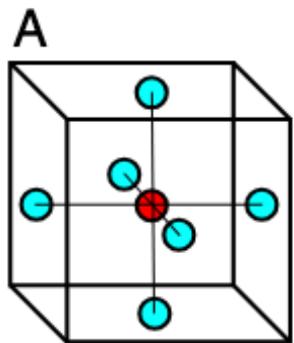


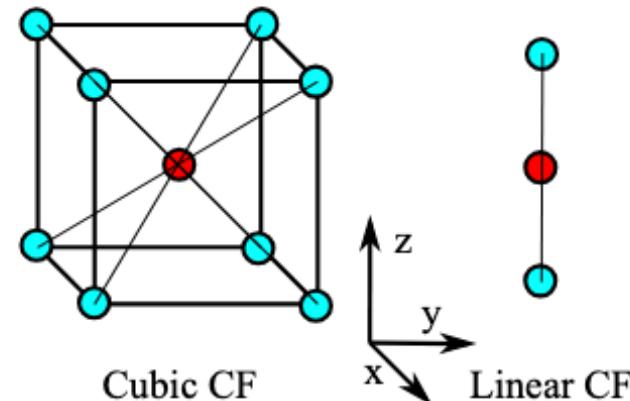


2.1 Crystal field symmetries

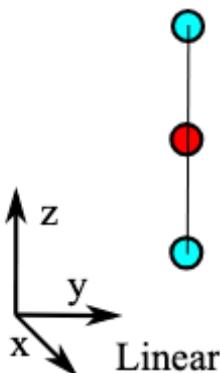
Consider the three structures shown below. The CF symmetry is indicated.
Sketch qualitatively the energy splitting for the d orbitals.



Octahedral CF



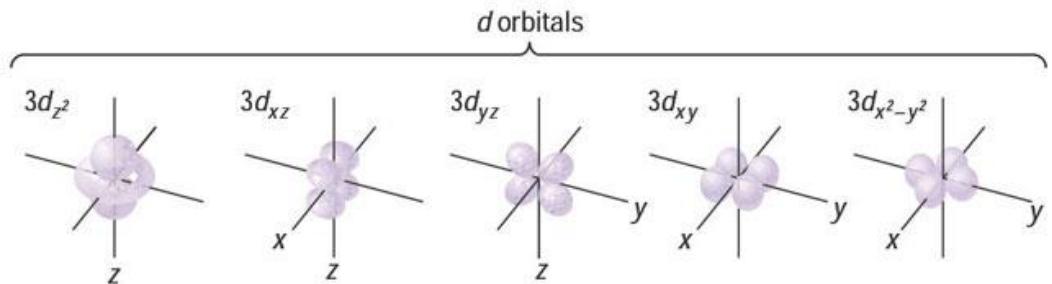
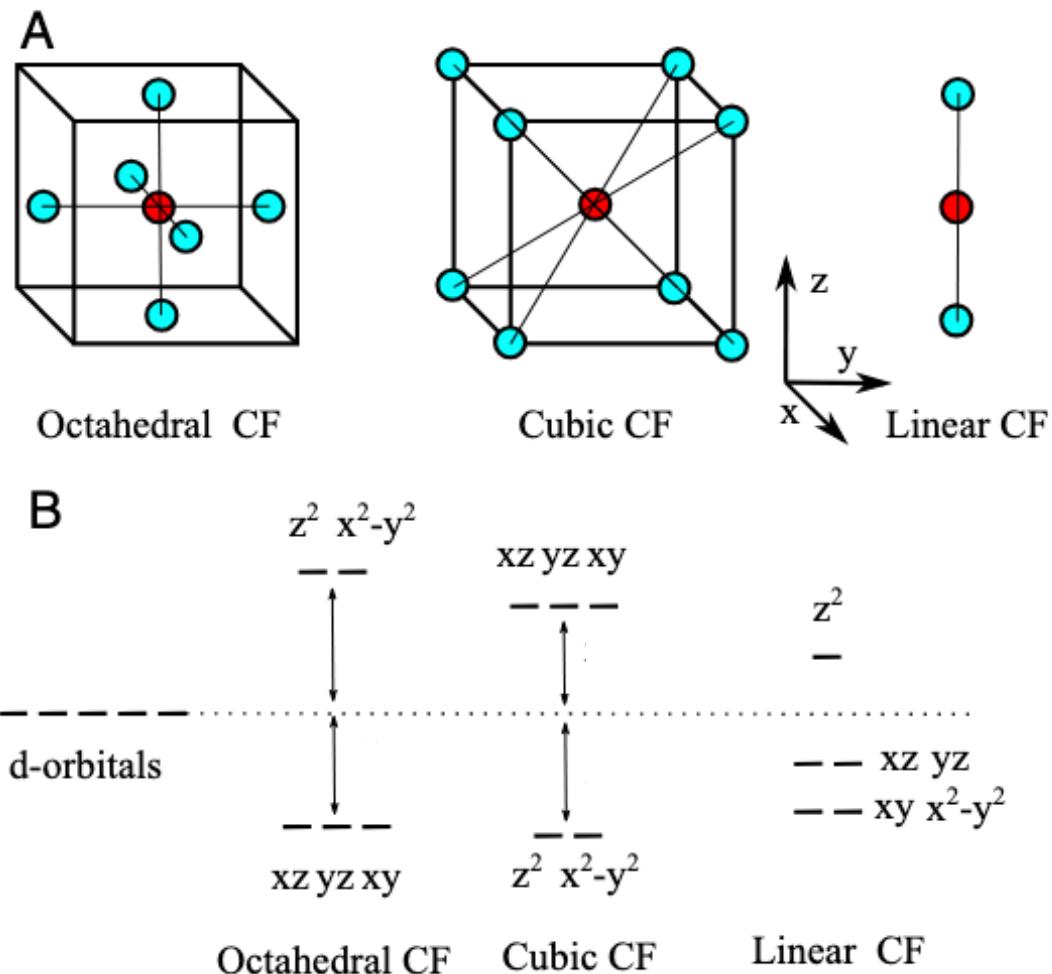
Cubic CF



Linear CF



2.1 Crystal field symmetries - Solution



Octahedral CF:

the xy, xz, yz orbitals point in between the ligands;
the x² – y² points towards the ligands in the xy plane and the z² points towards the ligands along the z axis →
xy, xz, yz lower, x² – y², z² higher

Cubic CF:

none of the orbitals points really towards the ligands, however the xy, xz, yz orbitals point in directions that are closer to the ligands with respect to the directions of the x² – y² and z² → x² – y², z² lower, xy, xz, yz higher

Linear CF:

the orbitals without z components are the lowest in energy, the xz and yz are a bit higher, and the z², the only one pointing towards the ligands, is the highest in energy

Figure adapted from

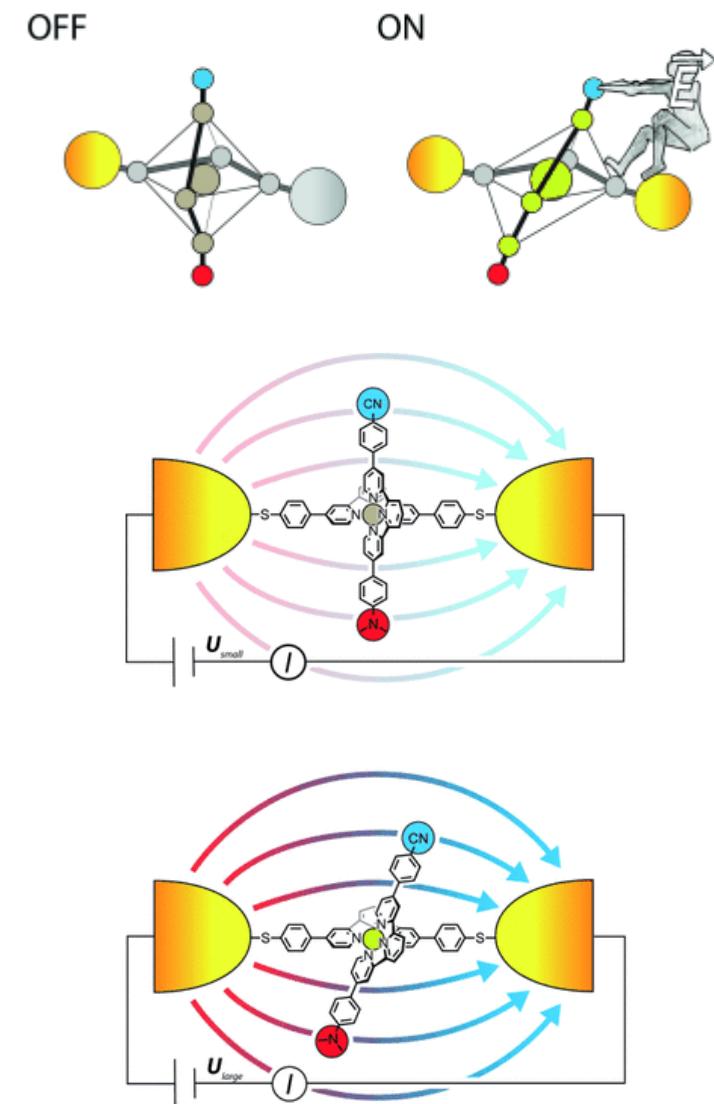
<https://www.pnas.org/cgi/doi/10.1073/pnas.1922556117>



2.2 Spin-crossover molecule for spintronics

Molecules having a single atom metal center are potential candidates for spintronics applications. The basic principle is sketched in the figure. An electric field can be used to deform the molecule, inducing a change in the spin state that can be read by a change in the current flowing in the circuit. This is the case of $[\text{Fe}^{2+}(\text{tpy})_2]$. In its normal state, the Fe center feels a very strong octahedral CF (O_h symmetry); the external electric field deforms the structure resulting in a CF weak with respect to Coulomb repulsion and having D_{4h} symmetry.

- 1) Sketch the d-orbitals energy scheme expected for the unperturbed molecule and for the case where the electric field is applied.
- 2) Give the value of S and L in the two cases
- 3) We replace Fe^{2+} with Co^{2+} ; give the value of S and L in the two cases





2.2 Spin-crossover molecule for spintronics - Solution

The central Fe atom in $\text{Fe}^{2+}(\text{tpy})_2$ is in a Fe^{2+} ion state corresponding to an electronic configuration $[\text{Ar}] 3\text{d}^6 4\text{s}^0$

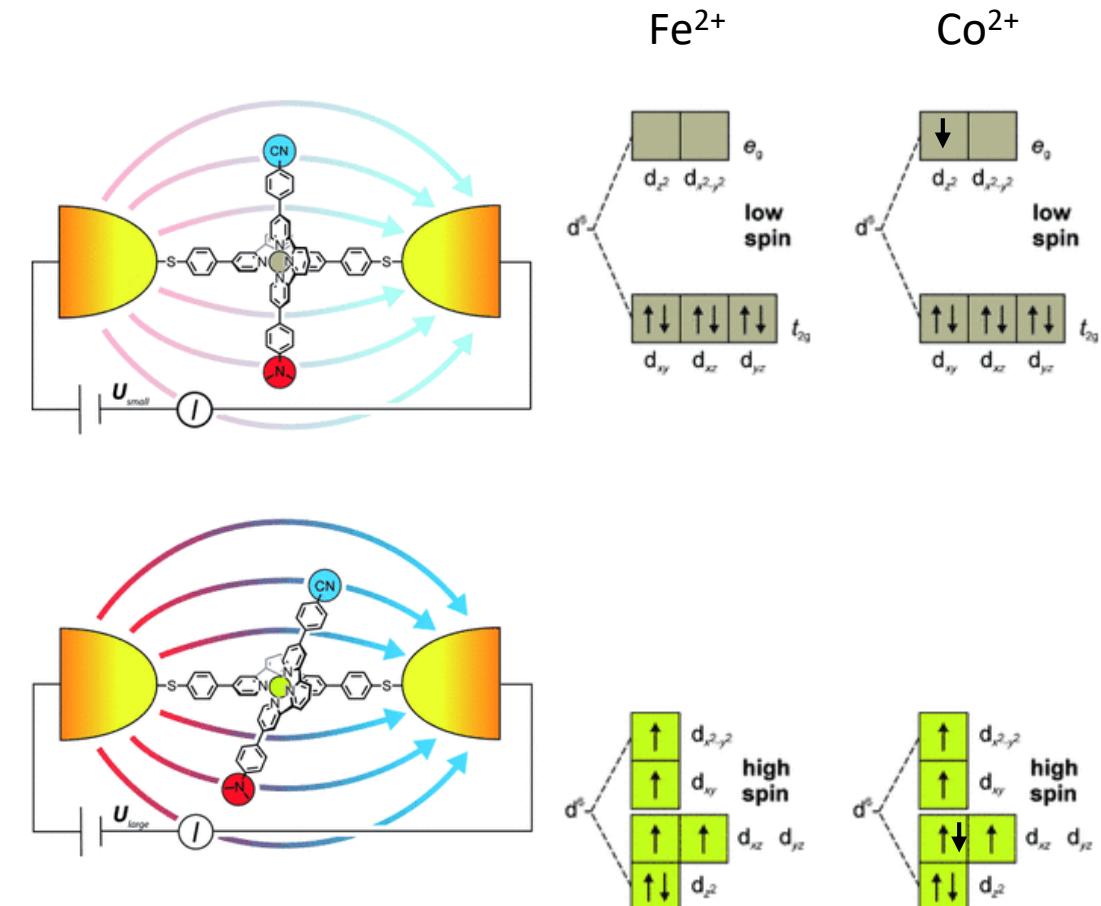
The Fe^{2+} ion results in five spin-degenerate d-orbitals. In an almost perfect octahedral coordination, the $10D_q$ crystal field interaction is strong enough to split them in e_g and t_{2g} groups as in figure. The splitting is larger than the Coulomb repulsion; therefore the 6 electrons fill the orbitals according to the figure, giving the low-spin (LS) ground state with zero net spin ($S=0$, $L=0$).

By reduction of the crystal field interaction, for example, by increasing the metal-ligand distance through mechanical distortion, the crystal field splitting parameter $10D_q$ decreases and the e_g states become accessible. Filling the levels according to Hund's rule leads to a maximization of the total net spin ($S=2$, $L=0$), the so-called high-spin (HS) state. The exact energy splitting of the 5 d-orbitals depends on the detail of the distortion.

In the case of Co^{2+} , the electronic configuration is $[\text{Ar}] 3\text{d}^7 4\text{s}^0$.

In O_h symmetry, $S=1/2$ and $L=0$ (the two e_g orbitals are degenerate but it is not possible to transform one into the other by a rotation)

In D_{4h} symmetry, $S=3/2$ and $L=1$ (the d_{xz} d_{yz} orbitals are degenerate and it is possible to transform one into the other by a rotation $|\langle d_{yz} | L_z | d_{xz} \rangle| = 1$)





2.3 Co adatoms on Gr/Ru(0001) and Gr/Ir(111)

Graphene is a 2D material with potential applications in spintronics. In this work we demonstrate that the magnetic properties of Co adatoms adsorbed on graphene can be tuned by choosing the appropriate support for graphene.

From combined XAS-XMCD and STM measurement we find that Co adatoms adsorb on top of C atom on Gr/Ru(0001) and on the graphene hollow site (center of the honeycomb graphene unitary cell) on Gr/Ir(111).

Fitting the XAS-XMCD data we find that the CF parameters describing the two systems are:

$10Dq = 0$, $Ds = 0.4$ eV and $Dt = 0.23$ eV for on Co/Gr/Ru(0001),

$10Dq = 0$, $Ds = -0.17$ eV and $Dt = 0.12$ eV for on Co/Gr/Ir(111).

1) Calculate the energy splitting of the d-orbitals for the two systems;
2) For Co/Gr/Ru(0001), the Coulomb repulsion redistributes the electron between the 4s and 3d shells resulting in a mixed electronic configuration with 50% d^7 and 50% d^8 ; the d^7 situation is represented in sketch (1), the d^8 configuration is obtained adding one electron to the first free orbital. The following nomenclature is used: A_1 (d_{z^2}), E_1 (d_{xz} ; d_{yz}), E_2 ($d_{x^2-y^2}$; d_{xy}).

Calculate L_z

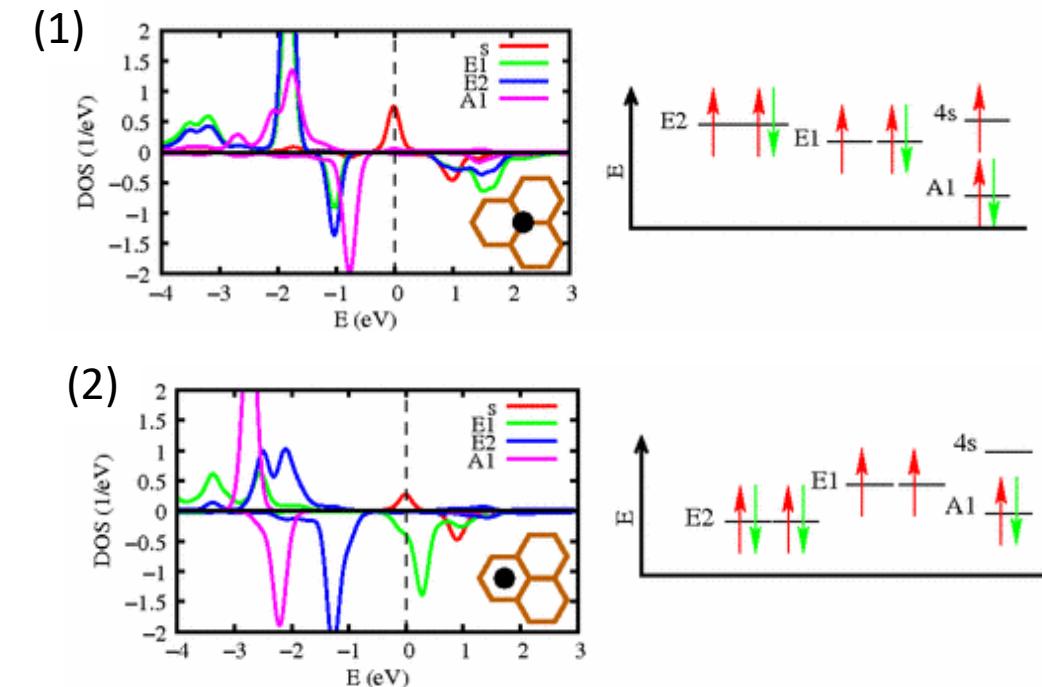
3) For Co/Gr/Ir(111), the Coulomb repulsion redistributes the electron between the 4s and 3d shells resulting in a mixed electronic configuration with about 85% d^8 and 15% d^9 ; the d^8 situation is represented in sketch (2), the d^9 configuration is obtained adding one electron to the first free orbital.

Calculate L_z

Tailoring the Magnetism of Co Atoms on Graphene through Substrate Hybridization

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Adapted from: [10.1103/PhysRevLett.113.177201](https://doi.org/10.1103/PhysRevLett.113.177201)



<https://doi.org/10.1103/PhysRevB.81.115427>



2.3 Co adatoms on Gr/Ru(0001) and Gr/Ir(111) - Solution

1) Co/Gr/Ru(0001) the energies are:

-2.18 eV A_1

0.52 eV E_1

0.57 eV E_2

Co/Gr/Ir(111) the energies are:

-0.38 eV A_1

0.65 eV E_1

-0.46 eV E_2

The 4s shell ($L = 0$) does not contribute to the orbital moment and thus will not be considered in the following.

The A_1 singlet also does not produce orbital moment and then it is not discussed in the following.

2) Co/Gr/Ru(0001):

In the d^7 configuration the E_1 doublet produces $L_z=1$ (full spin up, one spin down), the E_2 doublet produces $L_z = 0$ (full spin up, no spin down), thus total $L_z = 1$

In the d^8 configuration the E_1 doublet produces $L_z=1$ (full spin up, one spin down), the E_2 doublet produces $L_z = 2$ (full spin up, one spin down), thus total $L_z = 3$

Since the total electronic configuration is 50% d^7 + 50% d^8 , one finds total $L_z = 2.0$.

Experimentally, taking into account all the small corrections, one finds total $L_z = 2.15$

3) Co/Gr/Ir(111):

In the d^8 configuration the E_1 doublet produces $L_z=0$ (full spin up), the E_2 doublet (full) produces $L_z = 0$, thus total $L_z = 0$

In the d^9 configuration the E_1 doublet (full spin up, one spin down) produces $L_z = 1$, the E_2 doublet (full) produces $L_z = 0$, thus total $L_z = 1$

Since the total electronic configuration is 85% d^8 + 15% d^9 , one finds total $L_z = 0 + 0.15*1 = 0.15$.

Experimentally, taking into account all the small corrections, one finds total $L_z = 0.09$

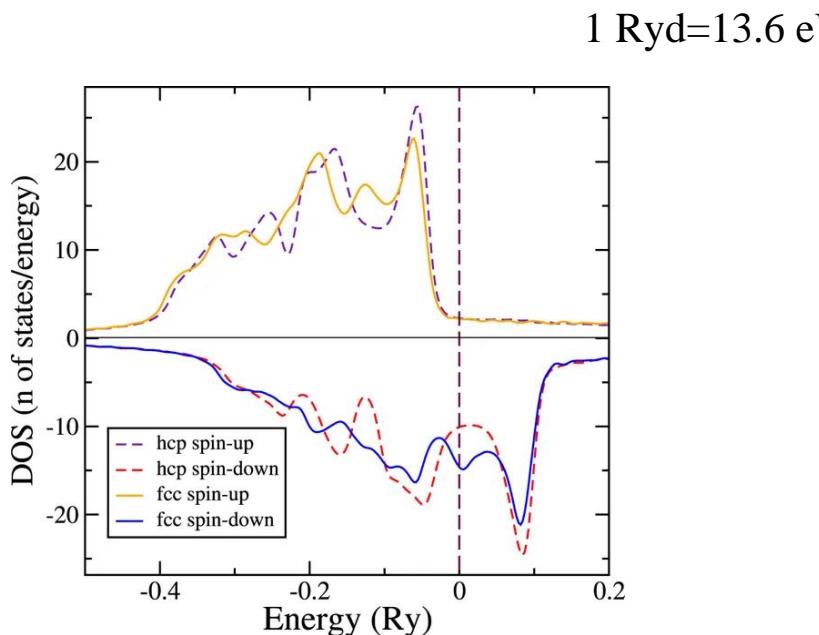


2.4 Co magnetic moment

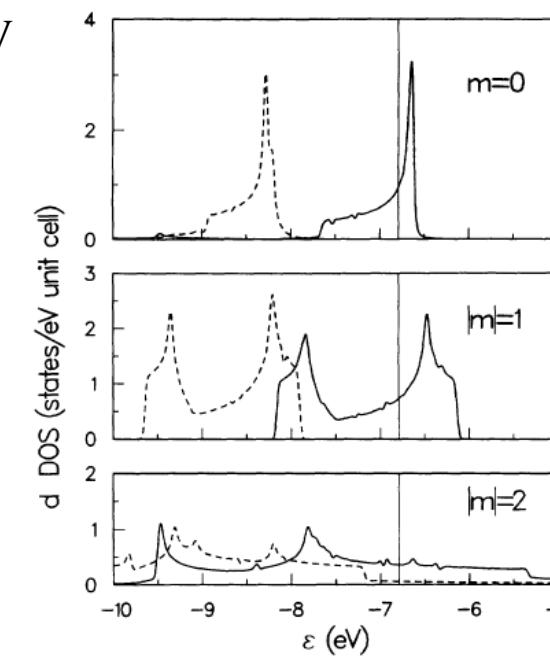
For spintronics applications, systems having the magnetization pointing out-of-plane have several advantages. We studied the magnetic properties of a monolayer of Co grown on Pt(111) (Co/Pt(111)) as possible candidate. Let's see from a theoretical point of view if this system is promising. This information can be qualitatively inferred by looking at the energy spread of the Density of States (DOS) of Co in three cases, namely in a) bulk, b) free standing monolayer and c) monolayer grown on Pt(111), shown below.

- 1) Focus on case a). What is the energy range of the d-orbitals?
- 2) Consider the spin S. Classify the three cases
- 3) Consider now the orbital moment L. Focus on the monolayer cases (free and supported). Is L the same? Can we say something about the L direction?

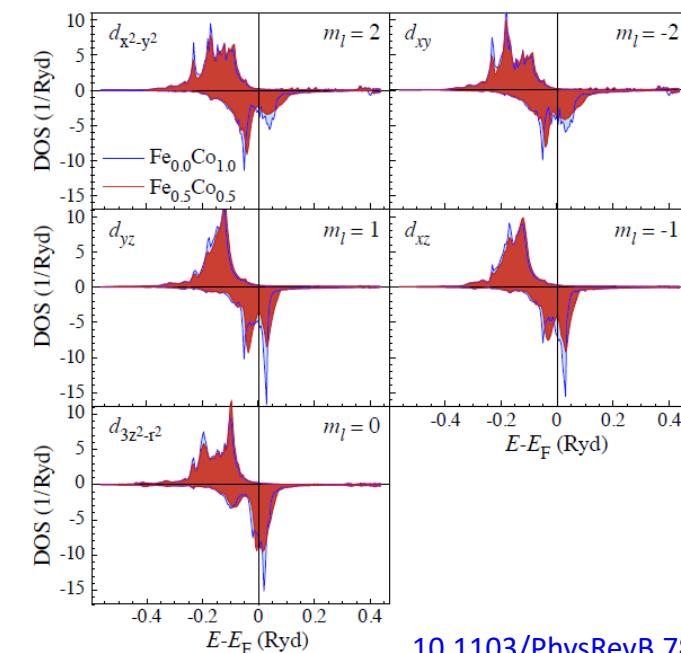
a) Co bulk



b) Free-standing ML



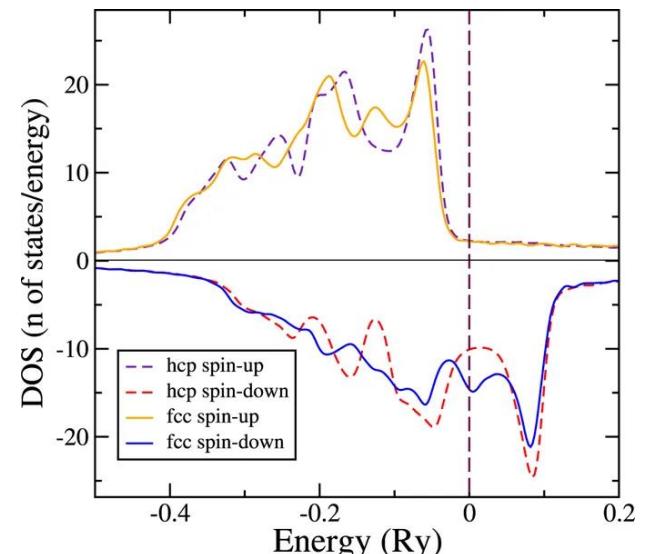
c) Co/Pt(111)





2.4 Co magnetic moment - Solution

- 1) The d-orbitals in the bulk case go from about -0.4 Ry (minimum of spin-up) to about 0.12 Ry (maximum of spin-down)
- 2) The spin moment depends on the unbalance between spin up and down. In all cases the majority states are full. Then, we need to look at the minority states. In the bulk case the minority states extend from -0.3 Ry to 0.12 Ry (i.e. $dE = 0.42$ Ry); in b) case the minority states extend from -0.2 Ry to 0.12 Ry (i.e. $dE = 0.32$ Ry). ; in c) case the minority states extend from -0.22 Ry to 0.08 Ry (i.e. $dE = 0.32$ Ry). Then, S is smaller in the bulk case and almost identical in the other two cases
- 3) In b) case, the d-orbitals with $m = \pm 2$ are the ones with larger DOS energy spread, i.e. the ones that have larger dispersion, meaning that are the ones that interact more strongly. Since these two orbitals are the ones corresponding to an in-plane orbital precession, the out-of-plane component of L will be quenched. On the contrary d-orbitals with $m = \pm 1, 0$ are quite narrow in energy, meaning that preserve L values close to the atomic case. Then, in case b) L is pointing in the in-plane direction.
- 4) In c) case, the DOS energy spread is almost the same for all the d-orbitals, corresponding to an similar reduction factor of L in both in-plane and out-of-plane direction



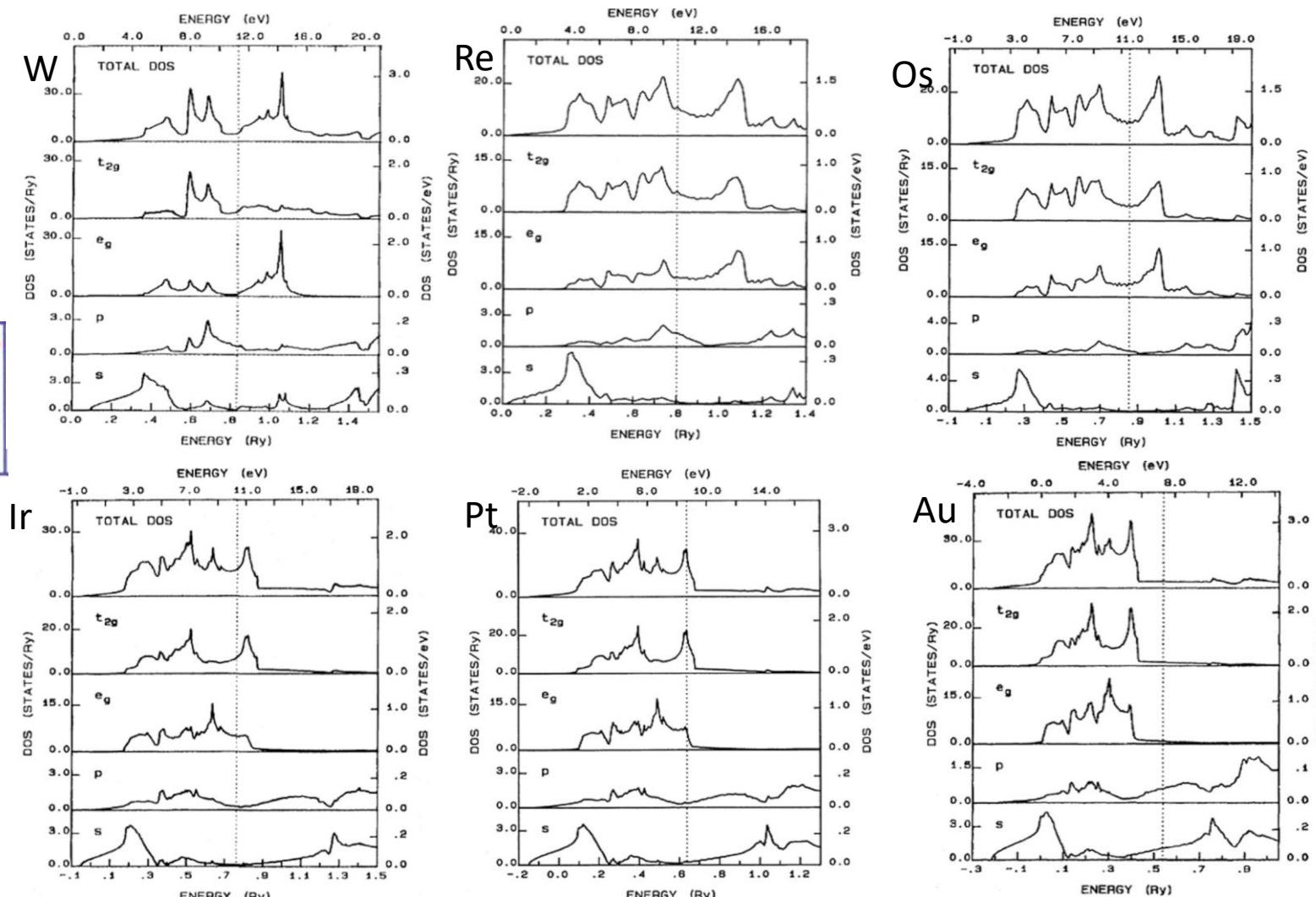


2.5 Interaction at 3d-5d interfaces

Interfaces composed by 3d thin films grown on a 5d substrate have applications in spintronics due to the high SOC of the 5d substrate. This SOC can be transferred to the 3d element via hybridization. The DOS of 5d metals is shown here below.

Order them from the worse to the best choice in expected strength of the interface hybridization, i.e. in magnetic moment induced in the 5d substrate

74	183.85	W	75	186.207	Re	76	190.2	Os	77	192.22	Ir	78	195.09	Pt	79	196.9665	Au
5828			5869			5285			4701			4100			3130		
3680			3453			3300			2716			2045			1337.58		
19.3			22.4			22.5			21.4			21.4			19.3		
[Xe]4f ¹⁴ 5d ⁴ 6s ²		Tungsten	[Xe]4f ¹⁴ 5d ⁵ 6s ²		Rhenium	[Xe]4f ¹⁴ 5d ⁶ 6s ²		Osmium	[Xe]4f ¹⁴ 5d ⁷ 6s ²		Iridium	[Xe]4f ¹⁴ 5d ⁸ 6s ¹		Platinum	[Xe] 4f ¹⁴ 5d ⁹ 6s ¹		Gold

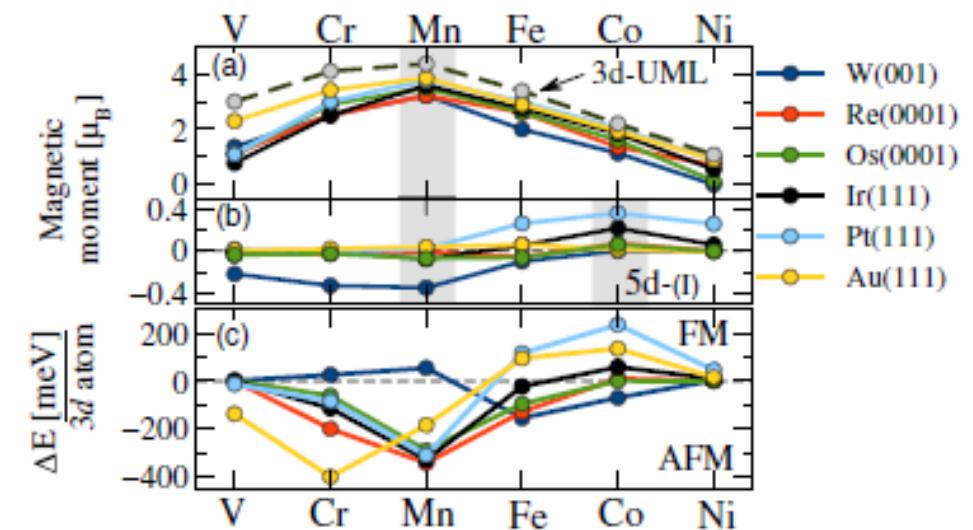




2.5 Interaction at 3d-5d interfaces - Solution

- Au is the worse since it has a negligible d-DOS at Fermi level
- W is next
- Then Re, Os and Ir are mostly equivalent
- Pt is the best choice

You can compare with calculations as shown in the figure on the side.
The trend is mostly respected except for W which also show a large induced moment.
The calculations take into account the lattice size of the different substrate and thus the precise CF and d-orbital splitting



<https://doi.org/10.1103/PhysRevLett.117.247202>