

## Lecture 4

## Embedded system design

CS476 - ESD  
March 11, 2024

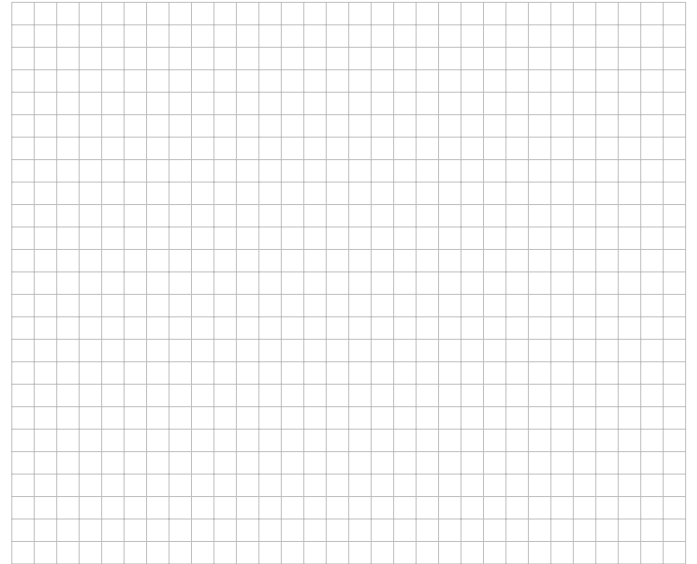
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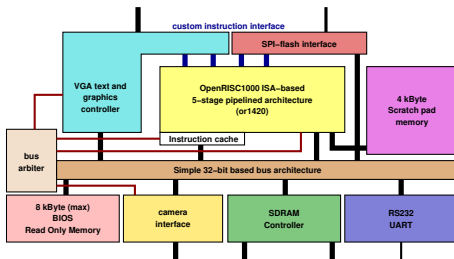
- Introduction
- Clock Trees
- Timing closure
  - Fined-grain paralyzing
  - Pipelining
  - Multi-cycling
- Conclusion

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## Notes



## Introduction



- ▶ Once we finished our architectural choices, we have to get the system running at the required frequency.
- ▶ We have to go into a phase which is called *timing closure*.
- ▶ To fully understand the timing closure we have first to go into some details of the final ASIC to be able to understand what is going on.

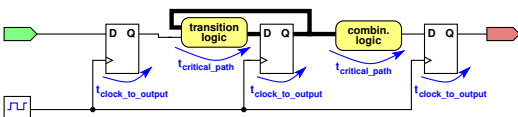
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## Notes

## Remember: RTL design



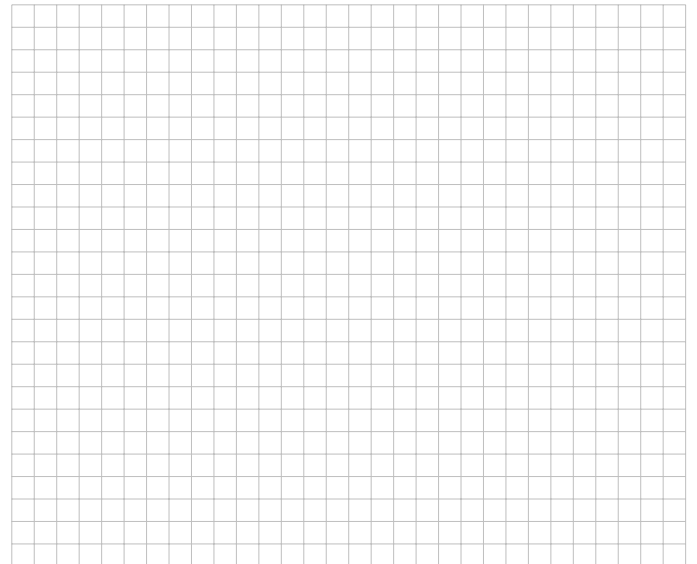
- ▶ All our designs we design synchronously using the Register Transfer Level (RTL) methodology.
- ▶ Hence all our circuits look like the simplified circuit above, where all flipflops are connected to the same clock source (throughout our chip).
- ▶ We know that due to transistor capacitance's all gates have a gate delay that causes hazards.
- ▶ The longest combinational path hence represents the critical path.
- ▶ The one thing that we did not consider yet is the question: *What happens with the clock line?*
- ▶ Just putting a wire over the whole chip probably will not work as:
  1. The clock line would have a big capacitive load.
  2. The RTL-design method assumes that the rising edge of the clock arrives at all flipflops at the same time.

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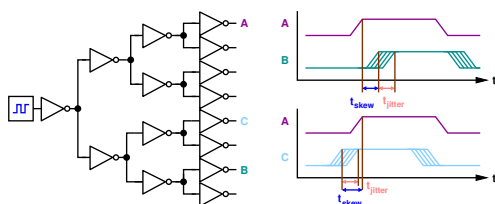
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## Notes

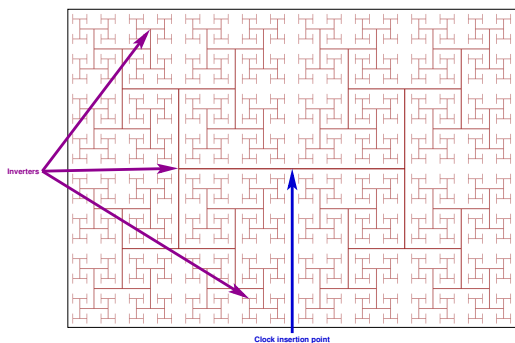


## Avoiding big capacitive load



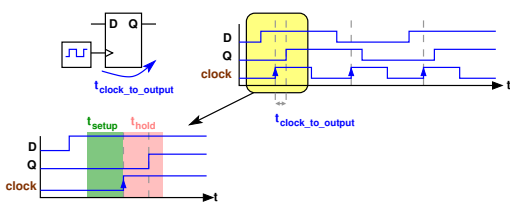
- ▶ Let's look into the first point: reducing the big capacitive load:
- ▶ Using a binary tree of inverters will reduce the load on each output, however, what is the result of this operation?
- ▶ We will introduce at the flipflop levels a clock-skew due to the fact that not all inverters have the same delay and line-length-mismatches.
- ▶ We also will have a jitter.
- ▶ Note that we can also have a negative skew that reduces the influence of the jitter.

## Reducing jitter and skew



- One of the methods is to make a *clock tree* in form of a H-tree.
- However, we still have a clock-uncertainty of approx.  $2 \cdot t_{\text{skew}} + t_{\text{jitter}}$ .

**Remember: Setup and hold**



- ▶ Remember: a real flipflop has a setup and hold time in which the D-input needs to be kept stable (otherwise the flipflop goes into meta stable state).
- ▶ So which kind of situation we now can have in the real-world taking into account the *clock tree*:
  1. The path is too fast (race-condition).
  2. The path is too slow (frequency cannot be met).

## Notes

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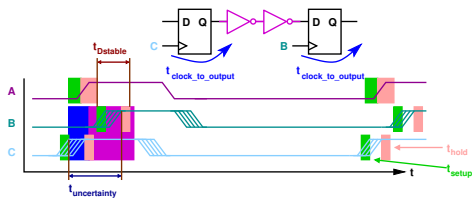
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## Notes

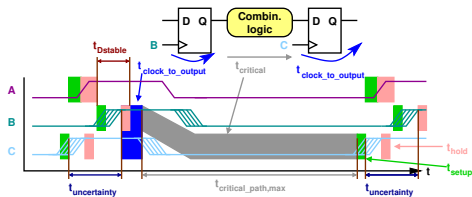
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## Race condition



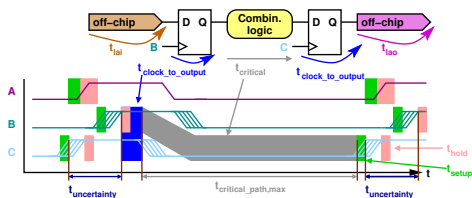
- ▶ Putting it all together gives us the above timing diagram.
- ▶ Let's take as example a shift-register, there are now two situation that can happen:
  1. The output of flipflop  $\textcircled{C}$  changes before the setup-time of flipflop  $\textcircled{B}$ , hence we have a functional error as the data is too early available!
  2. The output of flipflop  $\textcircled{C}$  changes during  $t_{\text{stable}}$  of flipflop  $\textcircled{B}$  which goes in meta stable state (Note that this situation will always happen independent of the clock frequency!).
- ▶ This problem can be solved by inserting a delay between the flipflops  $\textcircled{C}$  and  $\textcircled{B}$ . Fortunately this is done for us by the synthesis and/or P&R-tools.

Timing not met



- ▶ The other situation is shown above (hence  $t_{p, clock} = t_{clock\_to\_output} + t_{critical\_max} + t_{setup} + t_{uncertainty}$ ).
- ▶ We know that during the critical path time we may have hazards on the D-input of flipflop C, and that the correct value is available after  $t_{critical\_path}$ .
- ▶ Note that the synthesizer and/or P&R-tool might insert in front of the combinational logic some inverters to prevent flipflop C from going into meta stable state due to  $t_{destable}$  violation caused by hazards!
- ▶ Timing is not met when there exists at least one combinational logic path with a  $t_{critical\_path} > t_{critical\_path\_max}$ .

## Timing closure



- *Timing closure* is the process of getting all  $t_{critical\_paths} < t_{critical\_path,max}$ .
- But that's not all, we have two more timings that need attention, namely:
  1. The latest arrival of an external input signal ( $t_{ia}$ ) to the flipflop with respect to the positive clock edge.
  2. The latest arrival of the signal from a flipflop to the edge of the package ( $t_{ba}$ ) with respect to the positive clock edge.
- These two numbers depend on the chips connected to this one and are in general more difficult to determine.

## Notes

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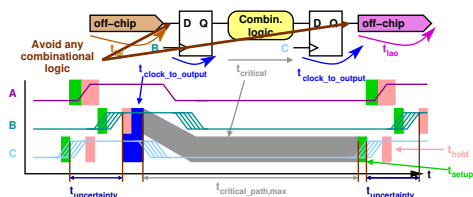
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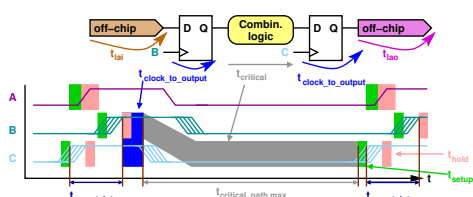
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## Timing closure off-chip

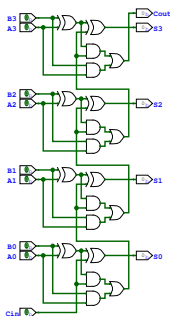


- The later aspect is "easily" solved by not using any combinational logic between the input(s) and the first flipflop(s) and no combinational logic between the last flipflop(s) and the output(s).
- This has the advantage that you do not have any hazards outside of your chip (good thing!)
- However, this is not always possible, in this case more advanced methods are required like:
1. Usage of a PLL/DLL to synchronize the attached chip with yours (think of DDR memory).
  2. Adding extra delays in some of the outputs to meet external timings.
- Note: even your internal delays due to the clock-tree may impose problems....

## Timing closure on-chip



- The on-chip aspect has some methods that you can use, but be aware, the synthesis tool might be more "intelligent" than you are (compare the compiler for a programming language).
- These methods are more for things that the synthesizer does not know about (for example what does your program do):
  - Fined-grain paralyzing.
  - Multi-cycling.
  - Pipelining.



- ▶ As example we take a 4-bit *carry-ripple adder (CRA)*.
- ▶ Assume that this adder is in the critical path.
- ▶ The critical path from this adder goes from  $C_{in}$  through the and- and or-gates up to  $C_{out}/S_3$ .
- ▶ So what can we do to speed-up this circuit, there are basically three methods:
  - ▶ Trading-off bigger area/energy consumption against speed.
  - ▶ Trading-off speed against area/energy consumption.
  - ▶ Trading-off latency against speed.

## Notes



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Clock Trees

**Timing closure**

Fine-grain paralyzing

Signalizing

Multi-cycling

Conclusion

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## Notes



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## Notes



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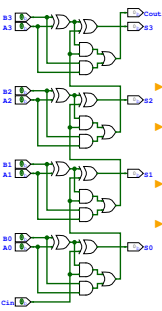
Conclusion

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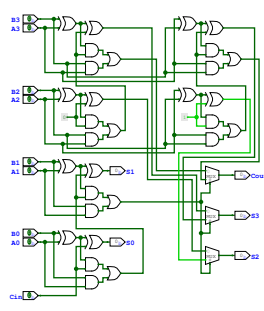
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## Fined-grain paralyzing

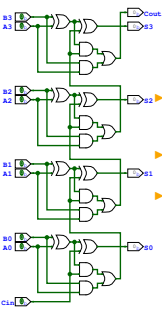


- ▶ In this method we cut the circuit (critical path) in 2 (or more) parts.
- ▶ The above part is duplicated and calculates the two answers depending the result of the carry.
- ▶ Finally the real carry selects the correct result.
- ▶ We now have a *carry select adder* (CSA) that is almost twice as fast.

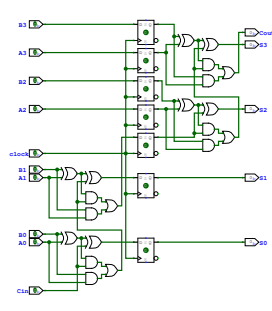


## Notes

## Pipelining

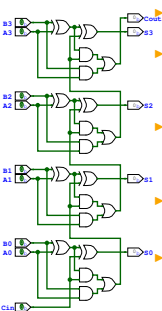


- ▶ In this method we divide the critical path in 2 (or more) parts and place a row of flipflops between the parts.
- ▶ The advantage is that we can do a calculation each cycle.
- ▶ However, we introduce a latency. This could cause problems in case of a feed-back loop.

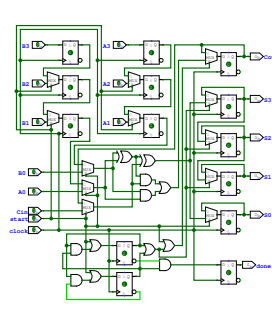


## Notes

## Multi-cycling



- ▶ In this method we calculate at each cycle one bit.
- ▶ Of course this has an impact on the performance, as now the addition takes 4 cycles instead of a single cycle.
- ▶ But think of the alternative, slowing down all the other functions as we need to reduce the maximum frequency of the CPU.
- ▶ Very often we perform a *radix-N* multi-cycle operation where at each cycle N-bits are determined.
- ▶ Of course, when A and B are guaranteed to be constant between start and done, we can replace the input shift-registers by a multiplexer.



## Notes

## Conclusion

- ▶ We have seen the details that determine the maximum speed with which we can safely operate a circuit.
- ▶ We also have visited three methods how to speed-up a critical path.
- ▶ Each of these methods makes a trade-off between area, energy consumption, complexity and speed.
- ▶ It depends on the requirements which of these methods can be applied to a given hot-spot.

## Notes

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## Notes

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