

## Solutions to Exercise 6

**Problem 1.** The following algorithm implements a contention manager that transforms any obstruction-free algorithm into a wait-free one:

**uses:**  $T[1, \dots, N]$ —array of registers,  $Executing[1, \dots, N]$ —atomic wait-free snapshot object

**initially:**  $T[1, \dots, N] \leftarrow \perp$ ,  $Executing[1, \dots, N] \leftarrow \perp$

**upon**  $try_i$  **do**

**if**  $T[i] = \perp$  **then**  $T[i] \leftarrow \text{GetTimestamp}()$

**repeat**

$sact_i \leftarrow \{ p_j \mid T[j] \neq \perp \wedge p_j \notin \Diamond \mathcal{P}.suspected_i \}$

$Executing.update(i, \perp)$

$leader_i \leftarrow$  the process in  $sact_i$  with the lowest timestamp  $T[leader_i]$

**if**  $leader_i = i$  **then**  $Executing.update(i, i)$

**until**  $Executing.scan()$  contains only  $i$  and  $\perp$ ,  $\forall$  processes  $\in sact_i$

**upon**  $resign_i$  **do**

$T[i] \leftarrow \perp$

$Executing.update(i, \perp)$

The algorithm uses a procedure  $\text{GetTimestamp}()$  that generates *unique* timestamps. We assume that if a process gets a timestamp  $t$  from  $\text{GetTimestamp}()$ , then no process can get a timestamp lower than  $t$  infinitely many times. Thus, we can easily implement  $\text{GetTimestamp}()$  using only registers (or even without using any shared objects). For example, we can use the output of a counter (see the lecture notes on how to implement a counter from registers) combined with a process id (to ensure that timestamps are unique). The algorithm also uses a wait-free, atomic snapshot object to store the process that should be executing next (or is currently executing) in order to avoid two processes executing concurrently.