

$$\begin{aligned}\nabla \cdot \mathbf{E} &= \frac{\rho}{\epsilon_0} \\ \nabla \cdot \mathbf{B} &= 0 \\ \nabla \times \mathbf{E} &= -\frac{\partial \mathbf{B}}{\partial t} \\ \nabla \times \mathbf{B} &= \mu_0 \left(\mathbf{J} + \epsilon_0 \frac{\partial \mathbf{E}}{\partial t} \right)\end{aligned}$$

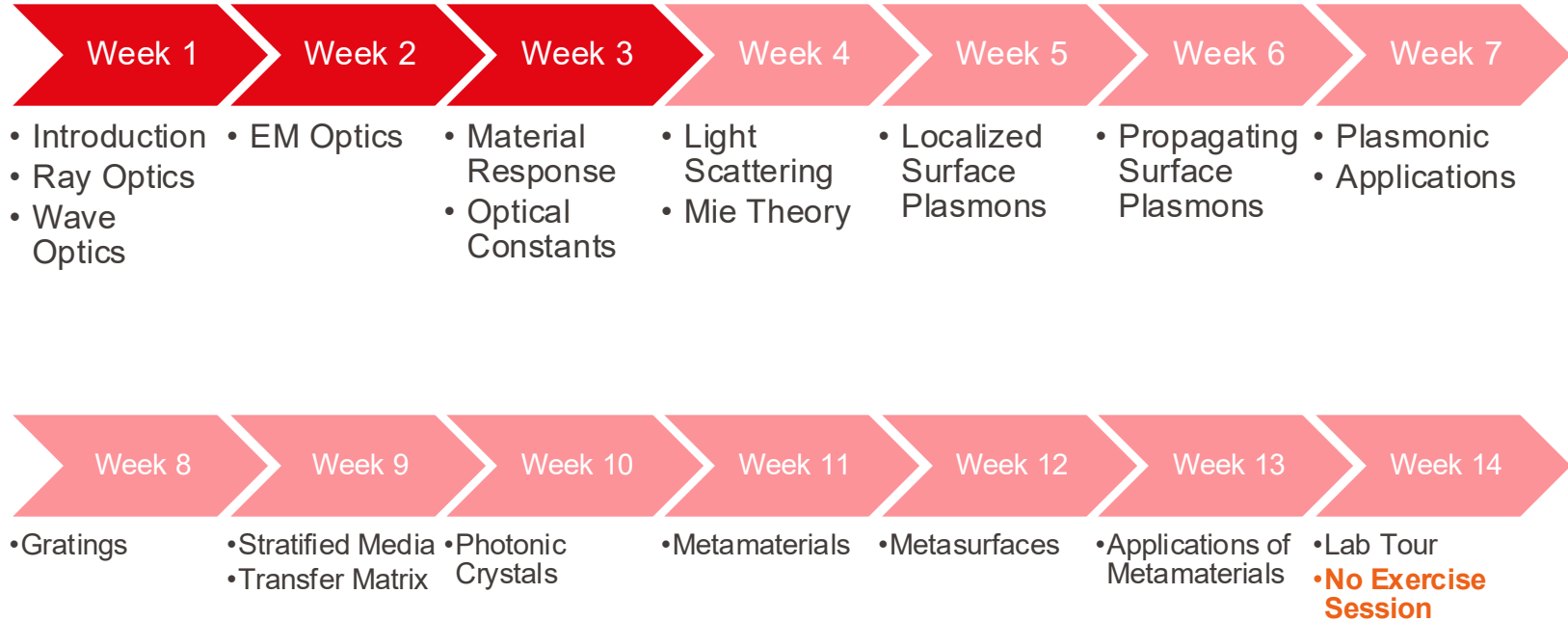
Week 3

(Material Properties and
Optical Constants)

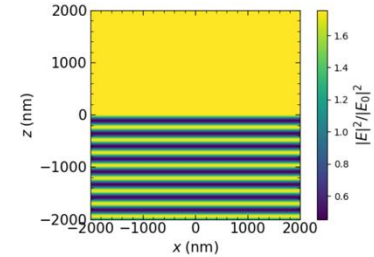
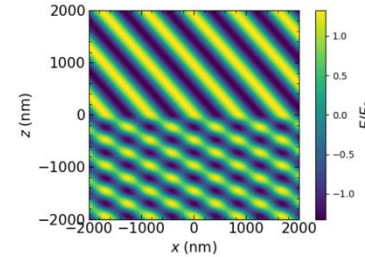
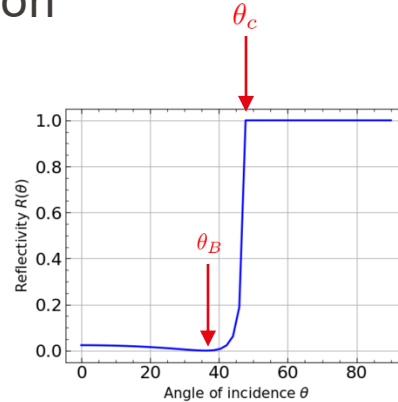
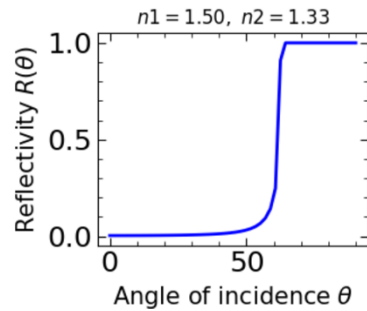
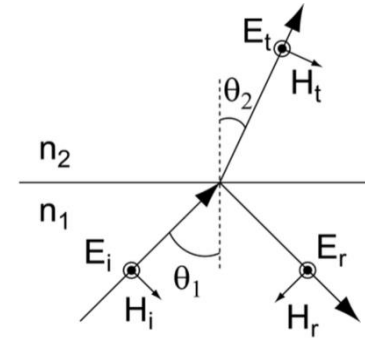
Stavros Athanasiou

Lausanne, 23 Sep 2025

Course Timeline

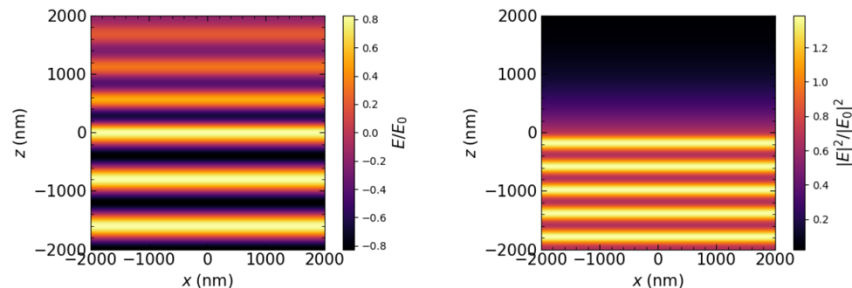


1. Derivation of the Fresnel Coefficients for TE-polarization
2. Total Internal Reflection
3. The Brewster Angle
4. Field Visualization



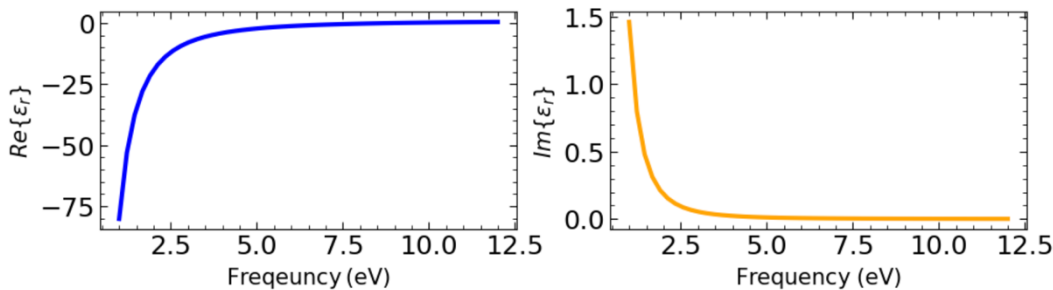
This Week : Material Properties and Optical Constants

- Propagation in Lossy Media



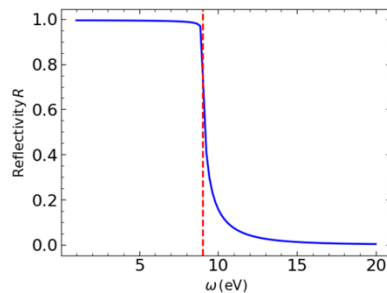
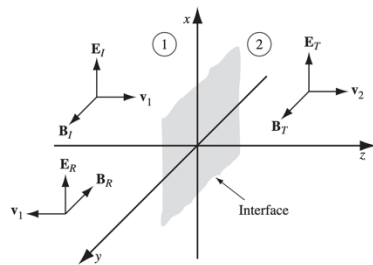
- The Drude Model

$$P = \varepsilon_r \varepsilon_0 E, \quad \varepsilon_r = 1 - \frac{\omega_p^2}{\omega^2 + i\gamma\omega},$$



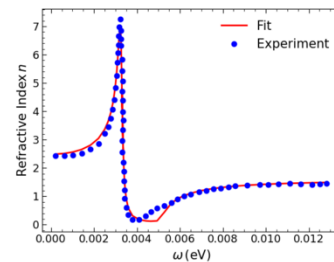
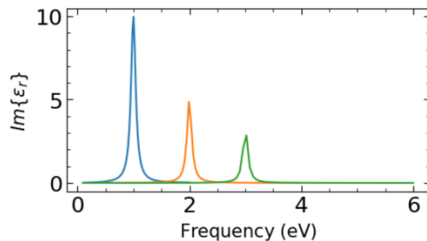
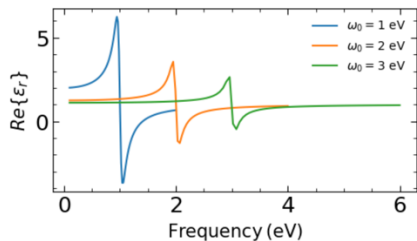
This Week : Material Properties and Optical Constants

- Reflection from a Metal Planar Surface



- The Lorentz Model in Action

$$\epsilon_r(\omega; \epsilon_\infty, \omega_p, \omega_0, \gamma) = \epsilon_\infty + \frac{\omega_p^2}{\omega_0^2 - \omega^2 - i\omega\gamma}$$



- Angular frequency ω , measured in rad/s (SI)
- Frequency f , measured in 1/s = Hz (SI)

$$f = \frac{\omega}{2\pi}$$

- Photon energy, measured in J (SI)

$$E = \hbar\omega = hf = \frac{hc}{\lambda} \quad \left(E [\text{eV}] = \frac{1239.8 \text{ eV nm}}{\lambda [\text{nm}]} \right)$$

In photonics, we deal with small magnitudes of energy

→ Use eV (electron-volt) instead of Joules.

$$1 \text{ eV} = 1.6 \cdot 10^{-19} \text{ J}$$

In photonics, we usually express frequency in eV, just like energy!
(convenient when dealing with material band gaps or transition frequencies)