

Production Management (ME-419)

Module 2 – Demand Management

Optimizing Smoothing Coefficients & Demand Plan

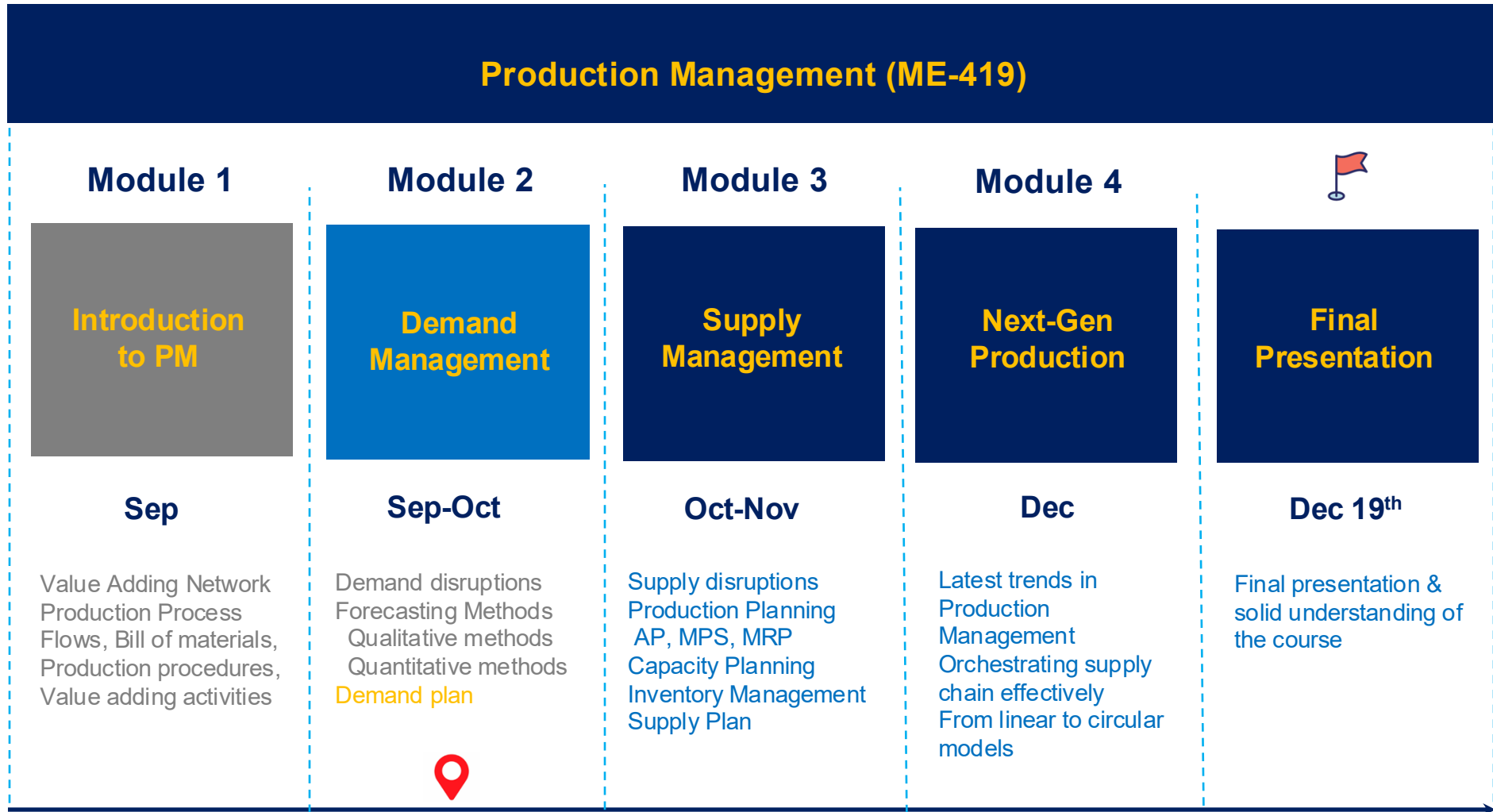
Amin Kaboli

Week 6 – Session 1&2 – Oct 17th, 2025

Course Framework



Business plan
Strategic plan
Financial plan



Demand Management – Forecasting Steps



Demand forecast
at the item and
aggregate levels



Goal: What is the purpose of the forecast (Type of products, Granularity, Horizon)



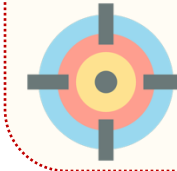
Data: Obtain, clean, and analyze appropriate data



Method: Select a forecasting method (Qualitative vs Quantitative)



Forecast: Make the forecast



Performance: Monitor the forecast errors

Model Initiation – Use of Our Dataset

cycle 1	cycle 2	cycle 3
used to initiate trend and seasonal components		
	used to initiate the base	
		used to validate the model

Holt & Winter Model

$$F_{t+h} = (B_t + hT_t) \times S_{t+h-c}$$

$$B_t = \alpha \frac{Y_t}{S_{t-c}} + (1 - \alpha)(B_{t-1} + T_{t-1})$$

$$T_t = \beta(B_t - B_{t-1}) + (1 - \beta)T_{t-1}$$

$$S_t = \gamma \frac{Y_t}{B_t} + (1 - \gamma)S_{t-c}$$

Initial trend component (T'): Cycle 1, 2, 3

Initial Seasonal component (S'): Cycle 1, 2, 3

Initial base (B'): Cycle 2

Model validation: Cycle 3

Model Initiation – Step 4

4.1. Define the validation cycle (Year 3)

4.2. Define the initial model $F'_{t+h} = (B' + hT') \times S'_{t+h}$

$$\text{Initial model } (F'_{t+h}) = (40243 + h * 166) * S'_{t+h}$$

$h = 1, 2, \dots, 12$

Examples:

$$h=1 ; F'_{24+1} = (40243 + (1) * 166) * S'_{24+1}$$

$$h=5 ; F'_{24+5} = (40243 + (5) * 166) * S'_{24+5}$$

$$h=11 ; F'_{24+11} = (40243 + (11) * 166) * S'_{24+11}$$

Note: I used the third cycle of my data for initial forecast and validation of my model

Final Forecast – Demand Plan

1. Initial forecast model

$$F'_{t+h} = (B' + hT') \times S'_{t+h}$$

2. Running forecast model (cycle 1) $F_{t+h} = (B_t + hT_t) \times S'_{t+h}$

Model Initialization – Smoothing Coefficient Optimization

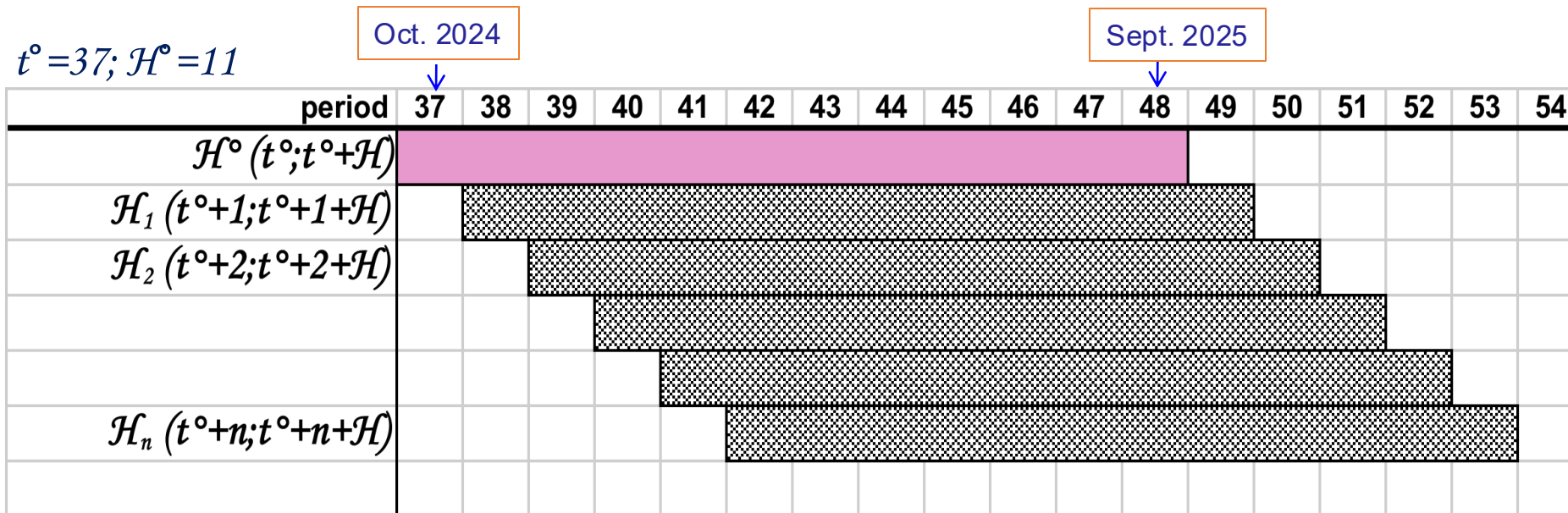
1. Initial forecast model $F'_{t+h} = (B' + hT') \times S'_{t+h}$ Horizon = $\mathcal{H}^\circ (t^\circ; t^\circ + \mathcal{H})$

Initial values = B', T', S'

$$h=1 ; F'_{36+1} = (44'492 + (1) * 166) * S'_{24+1}$$

$$h=1 ; F'_{37} = (44'492 + (1) * 166) * S'_{25}$$

$$h=1 ; F'_{37} = (44'492 + (1) * 166) * 1.56 = 69'695$$



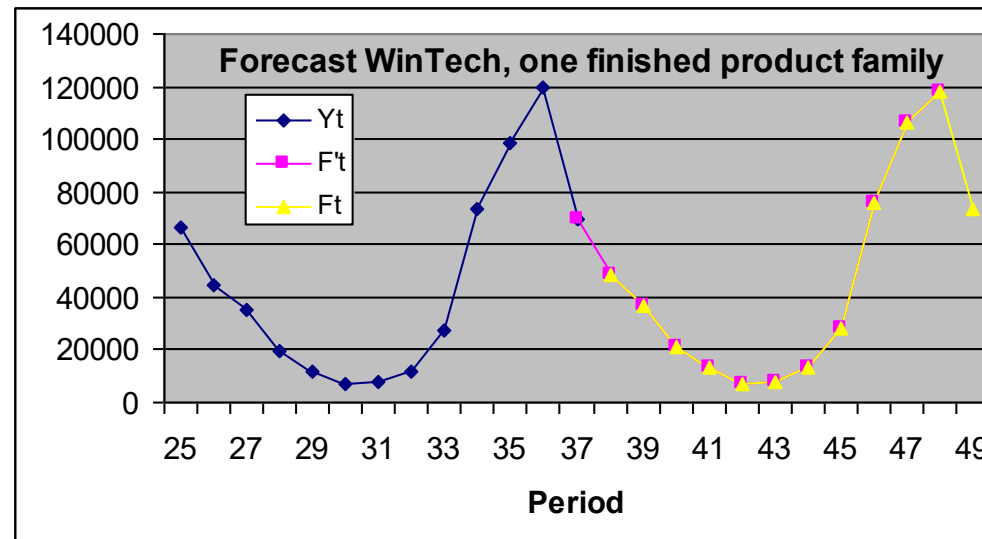
Final Forecast – Demand Plan

1. Initial forecast model

$$F'_{t+h} = (B' + hT') \times S'_{t+h}$$

2. Running forecast model (cycle 1) $F_{t+h} = (B_t + hT_t) \times S'_{t+h}$

3. Running forecast model (cycle 2) $F_{t+h} = (B_t + hT_t) \times S_{t+h-c}$

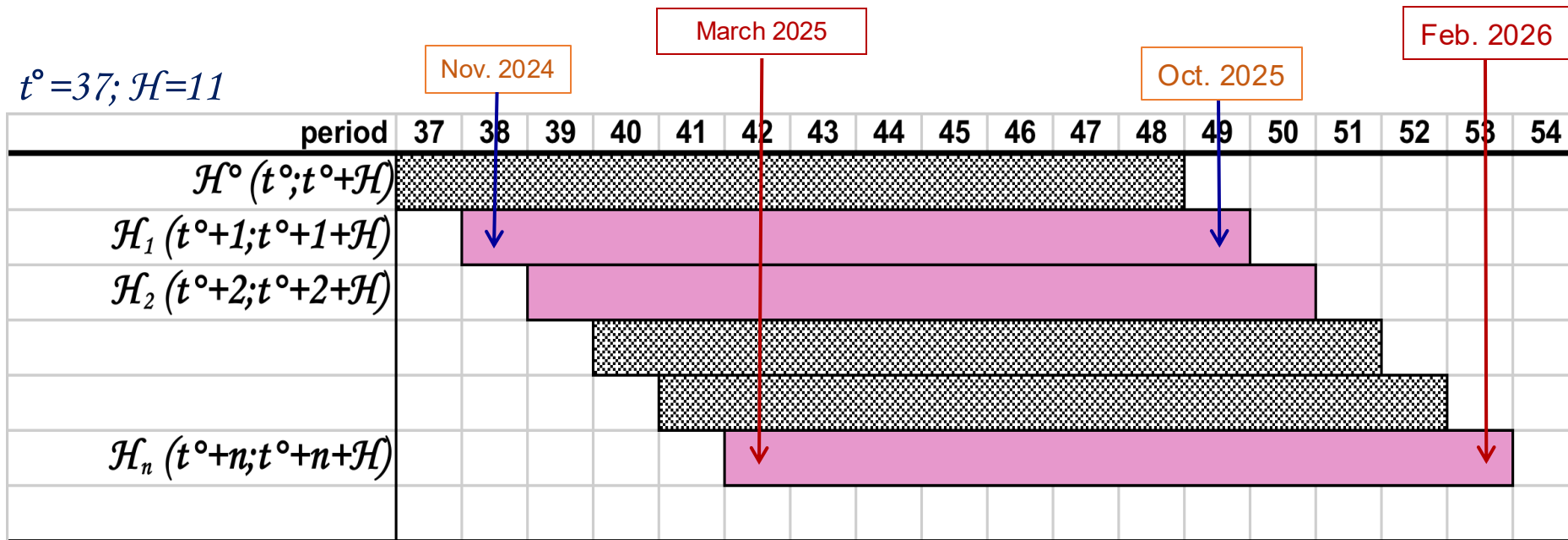


Running Model – Smoothing Coefficient Optimization

2. Following forecast model $F_{t+h} = (B_t + hT_t) \times S'_{t+h}$

Horizon = $\mathcal{H}_1 (t^\circ + 1; t^\circ + 1 + \mathcal{H})$; $\mathcal{H}_2 (t^\circ + 2; t^\circ + 2 + \mathcal{H})$; $\mathcal{H}_n (t^\circ + n; t^\circ + n + \mathcal{H})$

Adjusted values by exponential smoothing = B_t, T_t



Running Model – Smoothing Coefficient Optimization

2. Running forecast model $F_{t+h} = (B_t + hT_t) \times S'_{t+h}$

$$B_t = \alpha \frac{Y_t}{S_{t-c}} + (1 - \alpha)(B_{t-1} + T_{t-1})$$

$$T_t = \beta(B_t - B_{t-1}) + (1 - \beta)T_{t-1}$$

$$S_t = \gamma \frac{Y_t}{B_t} + (1 - \gamma)S_{t-c}$$

$t^\circ = 37; \mathcal{H} = 11$

period	37	38	39	40	41	42	43	44	45	46	47	48	49	50	51	52	53	54	
$\mathcal{H}^\circ (t^\circ; t^\circ + \mathcal{H})$																			
$\mathcal{H}_1 (t^\circ + 1; t^\circ + 1 + \mathcal{H})$																			
$\mathcal{H}_2 (t^\circ + 2; t^\circ + 2 + \mathcal{H})$																			
$\mathcal{H}_n (t^\circ + n; t^\circ + n + \mathcal{H})$																			

Running Model – Smoothing Coefficient Optimization

2. Following forecast model

$$F_{t+h} = (B_t + hT_t) \times S'_{t+h}$$
$$B_t = \alpha \frac{Y_t}{S_{t-c}} + (1 - \alpha)(B_{t-1} + T_{t-1})$$
$$T_t = \beta(B_t - B_{t-1}) + (1 - \beta)T_{t-1}$$
$$S_t = \gamma \frac{Y_t}{B_t} + (1 - \gamma)S_{t-c}$$

The values of α , β influence forecast reliability

3. Choose set of values $(\alpha, \beta)_0$ that minimizes the forecasting error

Procedure – Smoothing Coefficient Optimization (I)

Step 1. Following Initiate forecast over horizon H at period t_v-n , with $n \in [3; c/2]$ forecast model

Step 2. Compute initial forecast for the horizon $H^\circ (t_v-n; t_v-n+c-1)$ Initiate forecast over horizon H at period t_v-n , with $n \in [3; c/2]$ forecast model $F'_{t+h} = (B' + hT') \times S'_{t+h} \quad h \in [1; c]$

Step 3. Choose set of values α_j, β_k with $\alpha, \beta \in [0; 1]$

period	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36							
									cycle 2				validation cycle, cycle 3																		
$H^\circ(t_v-4; t_v-4+c)$																															
$H_1(t_v-4+1; t_v-4+1+c)$																													$MAPE_1(j, k)$		
$H_2(t_v-4+2; t_v-4+2+c)$																													$MAPE_2(j, k)$		
$H_3(t_v-4+3; t_v-4+3+c)$																												$MAPE_3(j, k)$			
$H_4(t_v-4+4; t_v-4+4+c)$																															$MAPE_4(j, k)$
																											$\overline{MAPE}(j, k)$				

Procedure – Smoothing Coefficient Optimization (II)

Step 4. Compute new forecast over the horizon H1 ($t_v-n+1; t_v-n+c$) by adjusting model parameters:

$$B_t = \alpha_j \frac{Y_t}{S_{t-c}} + (1 - \alpha_j)(B_{t-1} + T_{t-1})$$

$$T_t = \beta_k (B_t - B_{t-1}) + (1 - \beta_k)T_{t-1}$$

$$F_{t+h} = (B_t + hT_t) \times S'_{t+h}$$

period	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36						
									cycle 2				validation cycle, cycle 3																	
$H^0(t_v - 4; t_v - 4 + c)$																														
$H_1(t_v - 4 + 1; t_v - 4 + 1 + c)$																												$MAPE_1(j, k)$		
$H_2(t_v - 4 + 2; t_v - 4 + 2 + c)$																													$MAPE_2(j, k)$	
$H_3(t_v - 4 + 3; t_v - 4 + 3 + c)$																														$MAPE_3(j, k)$
$H_4(t_v - 4 + 4; t_v - 4 + 4 + c)$																												$MAPE_4(j, k)$		
																										$\overline{MAPE}(j, k)$				

Procedure – Smoothing Coefficient Optimization (III)

Step 5. Compute the forecast error: $MAPE_1(j, k)$

period	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36		
										cycle 2				validation cycle, cycle 3												
$\mathcal{H}^o(t_v - 4; t_v - 4 + c)$																										
$\mathcal{H}_1(t_v - 4 + 1; t_v - 4 + 1 + c)$																						$MAPE_1(j, k)$				
$\mathcal{H}_2(t_v - 4 + 2; t_v - 4 + 2 + c)$																						$MAPE_2(j, k)$				
$\mathcal{H}_3(t_v - 4 + 3; t_v - 4 + 3 + c)$																						$MAPE_3(j, k)$				
$\mathcal{H}_4(t_v - 4 + 4; t_v - 4 + 4 + c)$																								$MAPE_4(j, k)$		
																										$\overline{MAPE}(j, k)$

Procedure – Smoothing Coefficient Optimization (IV)

Step 6. Repeat steps 4 to 5 with n other horizons H_q ($t_v-n+q; t_v-n+q+c-1$) with $q=[2;n]$

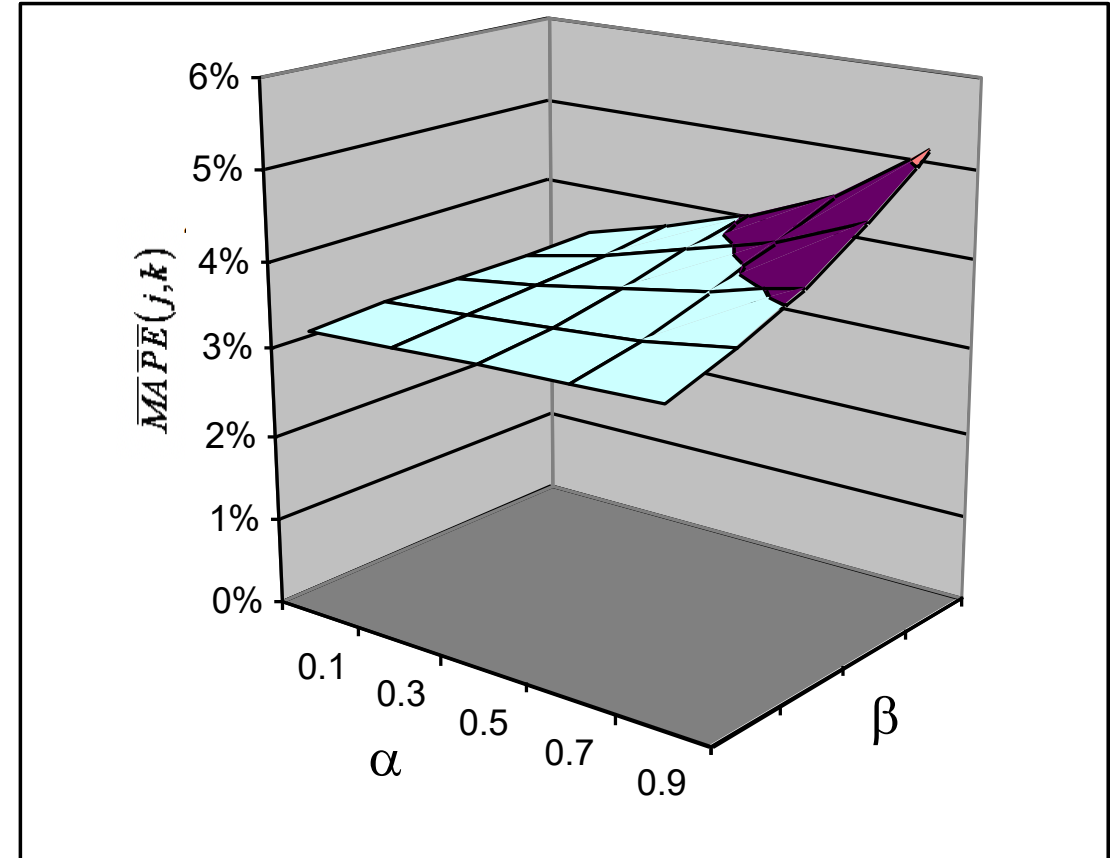
Step 7. Compute average $\overline{MAPE}(j,k)$ of the n forecast horizons

Step 8. Repeat steps 3 to 7 with several other sets of values $\alpha_j, \beta_k \in [0;1]$

period	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36		
									cycle 2				validation cycle, cycle 3													
$H^0(t_v-4; t_v-4+c)$																										
$H_1(t_v-4+1; t_v-4+1+c)$																										$MAPE_1(j,k)$
$H_2(t_v-4+2; t_v-4+2+c)$																										$MAPE_2(j,k)$
$H_3(t_v-4+3; t_v-4+3+c)$																										$MAPE_3(j,k)$
$H_4(t_v-4+4; t_v-4+4+c)$																										$MAPE_4(j,k)$
																										$\overline{MAPE}(j,k)$

Procedure – Smoothing Coefficient Optimization (V)

Step 9. Plot function $\overline{MAPE}(j,k) = f(\alpha_j, \beta_k)$



Step 10. Select set $(\alpha, \beta)_0$ that minimizes $\overline{MAPE}(j,k)$

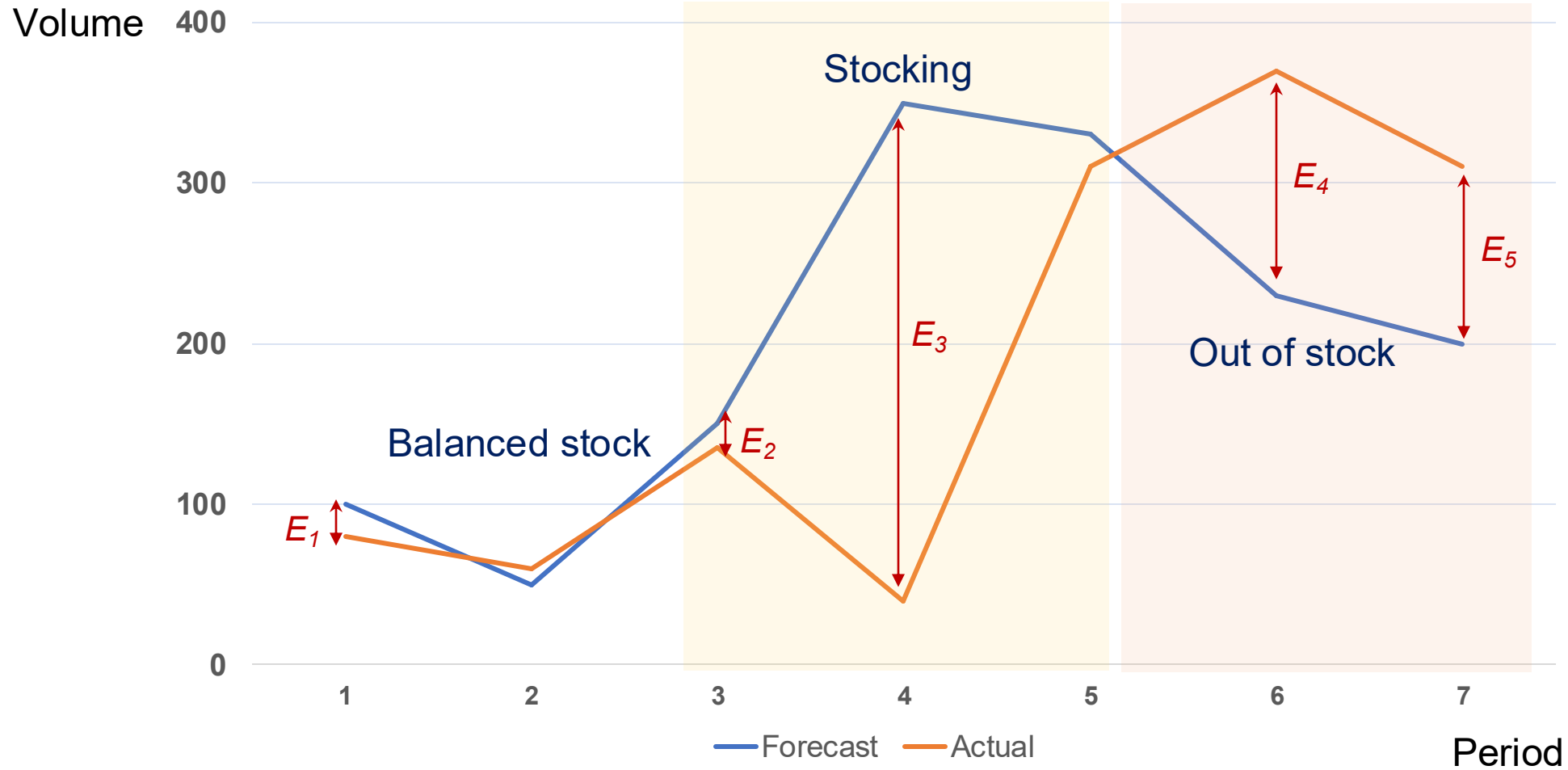
Assignment 6 – Tasks



15 min

- 1) Identify the demand typology for each product family (constant, cyclic, seasonal, with trend).
- 2) Test whether there is seasonality in your dataset or not (use auto-correlation)
- 3) Select a preliminary forecast model (align with task 1 and 2)
- 4) Compute possible initial trend components
- 5) Compute possible initial seasonal components
- 6) Validate the proposed initial model
- 7) Comment the results of the validation process
- 8) Set a logic for smoothing coefficients (alpha, beta, Gamma) for running your forecasting model.**
- 9) Forecast the demand of your product (product family level) for the next 18 months.**
- 10) Measure performance of your forecasting model (Use MAPE).**

Step 5: Performance – Monitor the Forecasting Error



Step 5: Performance – Monitor the Forecasting Error

E_t : forecast error calculated at the end of period t when the actual value Y_t is known;

Y_t : actual demand for period t

F_t : forecasting for period t

$$\text{error: } E_t = Y_t - F_t$$

PE_t : percentage error calculated at the end of period t when actual value Y_t is known

$$\text{percentage error: } PE_t = \frac{Y_t - F_t}{Y_t} = \frac{E_t}{Y_t}$$

Monitoring Forecasting Error – ME & MAE

E_t : forecast error calculated at the end of period t when the actual value Y_t is known;

F_t : forecasting for period t

$$\text{error: } E_t = Y_t - F_t$$

Mean Error (ME)

$$ME_t = \frac{1}{n} \sum_{i=t-n+1}^t [E_i]$$

Mean Absolute Error (MAE)

$$MAE_t = \frac{1}{n} \sum_{i=t-n+1}^t |E_i|$$

Monitoring Forecasting Error – MPE & MAPE

E_t : forecast error calculated at the end of period t when the actual value Y_t is known;

F_t : forecasting for period t

$$\text{error: } E_t = Y_t - F_t$$

$$\text{percentage error: } PE_t = \frac{Y_t - F_t}{Y_t} = \frac{E_t}{Y_t}$$

Mean Percentage Error (MPE)

$$MPE_t = \frac{1}{n} \sum_{i=t-n+1}^t PE_i$$

Mean Absolute Percentage Error (MAPE)

$$MAPE_t = \frac{1}{n} \sum_{i=t-n+1}^t |PE_i|$$

Monitoring Forecasting Error – With Smoothing

E_t : forecast error calculated at the end of period t when the actual value Y_t is known;

F_t : forecasting for period t

$$\text{error: } E_t = Y_t - F_t$$

Smoothed Mean Error (SME)

$$SME_t = \alpha E_t + (1 - \alpha)SME_{t-1}$$

Smoothed Mean Absolute Error (SMAE)

$$SMAE_t = \alpha |E_t| + (1 - \alpha)SMAE_{t-1}$$

Smoothed Mean Absolute Percentage Error (SMAPE)

$$SMAPE_t = \alpha |PE_t| + (1 - \alpha)SMAPE_{t-1}$$

Step 5: Performance – Monitoring Forecasting Errors

Forecasting Error (E)

$$E_t = Y_t - F_t$$

Forecasting Percentage Error (PE)

$$PE_t = \frac{Y_t - F_t}{Y_t} = \frac{E_t}{Y_t}$$

Mean Error (ME)

$$ME_t = \frac{1}{n} \sum_{i=t-n+1}^t [E_i]$$

Mean Absolute Error (MAE)

$$MAE_t = \frac{1}{n} \sum_{i=t-n+1}^t |E_i|$$

Mean Percentage Error (MPE) Mean Absolute Percentage Error (MAPE)

$$MPE_t = \frac{1}{n} \sum_{i=t-n+1}^t PE_i$$

$$MAPE_t = \frac{1}{n} \sum_{i=t-n+1}^t |PE_i|$$

Smoothed Mean Error (ME)

$$SME_t = \alpha E_t + (1 - \alpha) SME_{t-1}$$

Smoothed Mean Absolute Error (MAE)

$$SMAE_t = \alpha |E_t| + (1 - \alpha) SMAE_{t-1}$$

Smoothed Mean Absolute Percentage Error (MAPE)

$$SMAPE_t = \alpha |PE_t| + (1 - \alpha) SMAPE_{t-1}$$

Learning Points of Module 2 – Summary

- How to forecast and predict demand for a company
- What are the main components of demand management
- What are the main challenges of demand management
- Approaches to deal with demand management: Qualitative and Quantitative
- Qualitative: How to turn vision of decision makers into numbers (and remove biases)
- Quantitative: How to use historical data to better plan production for future
- How to create a demand plan
- How to measure the performance of a demand plan

Production Management (ME-419)

Module 2 – Demand Management

Forecasting Methods – Qualitative

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Week 4 – Session 1&2 – Oct 03rd, 2024

Forecasting Methods – Qualitative Methods



Forecasting Methods



Qualitative methods



Executive opinions



Salesforce opinions



Customer surveys



Delphi method



Quantitative methods



Causal models



Time series



Machine Learning

Qualitative Method – Executive Opinions

**Senior Executive
Level**



Finance



Operations



Marketing



R&D

**Developing long
range plan**



New Product

Qualitative Method – Salesforce Opinions

Members of Sales & Customer Service



Sales manager



Sales staff



Customer Service



Sales staff

Developing sales plan



Current product

Qualitative Method – Consumer Surveys

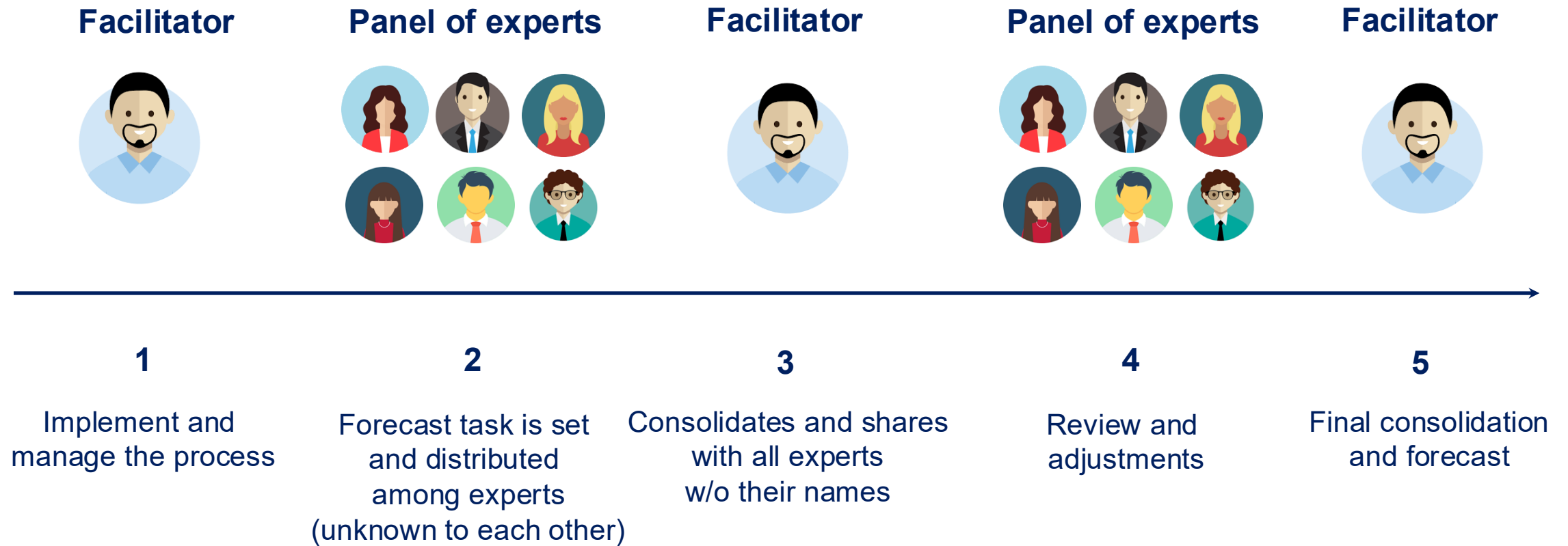


Survey



Art of constructing a survey,
administer it, and
correctly interpret the results

Qualitative Method – Delphi Method



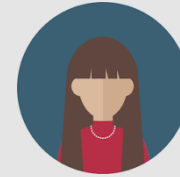
Forecasting Methods – Qualitative Methods



Forecasting Methods



Qualitative methods



Executive opinions



Salesforce opinions



Customer surveys



Delphi method



Quantitative methods



Causal models



Time series



Machine Learning

Qualitative Methods

What is the base for the qualitative method?

Qualitative Methods

What is the base for the qualitative method?

Observations, judgement, experience, ...

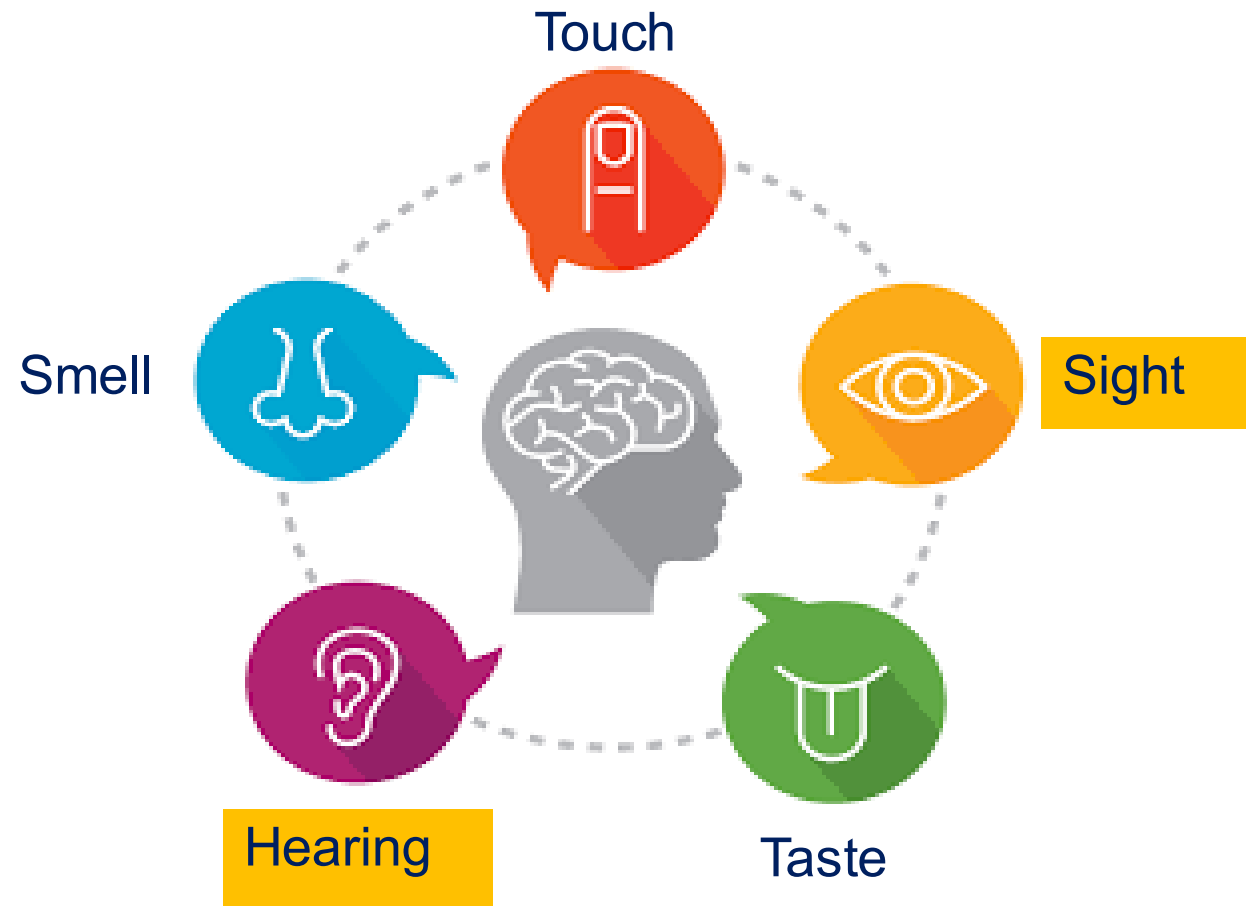
Do We See The Same?



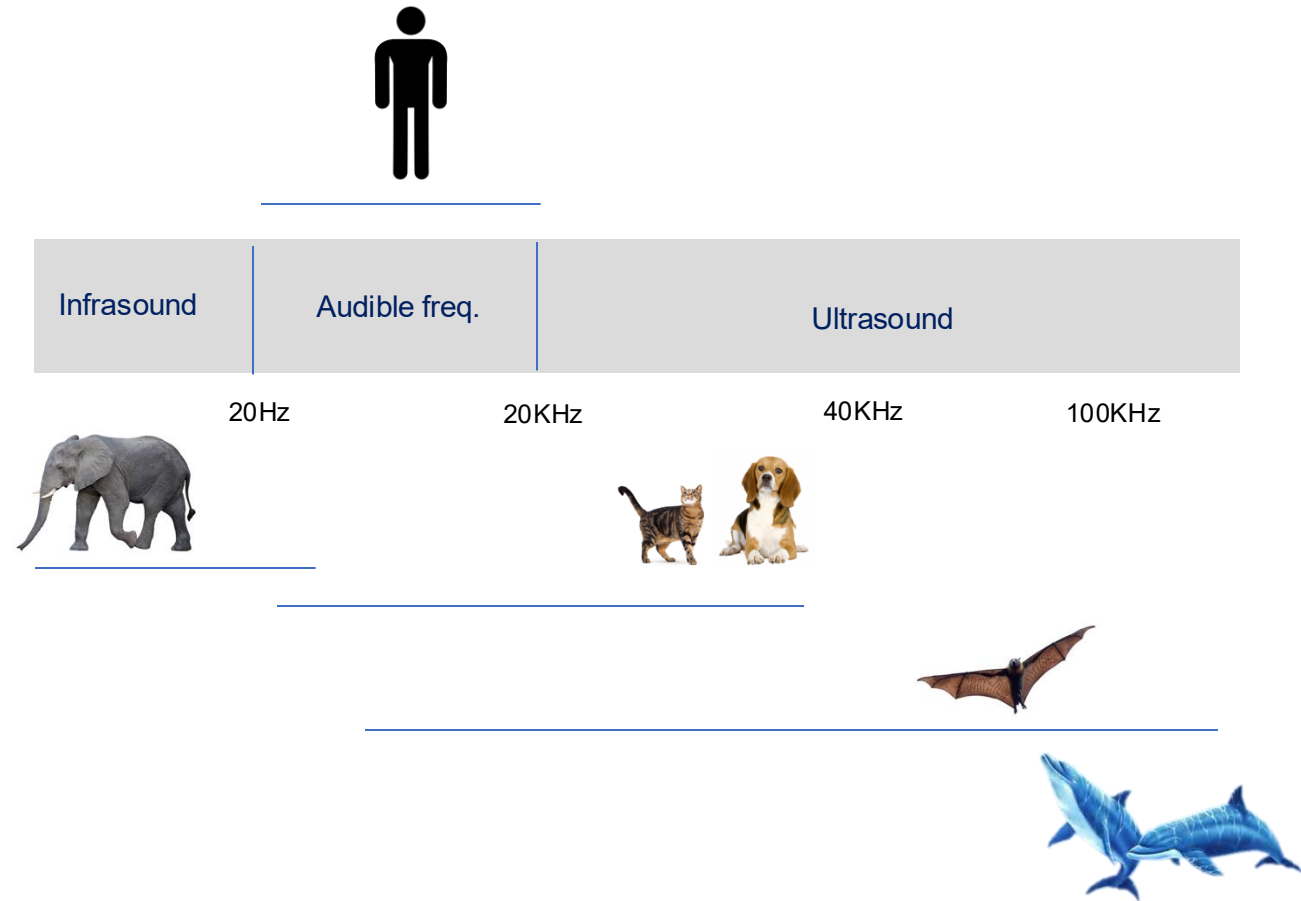
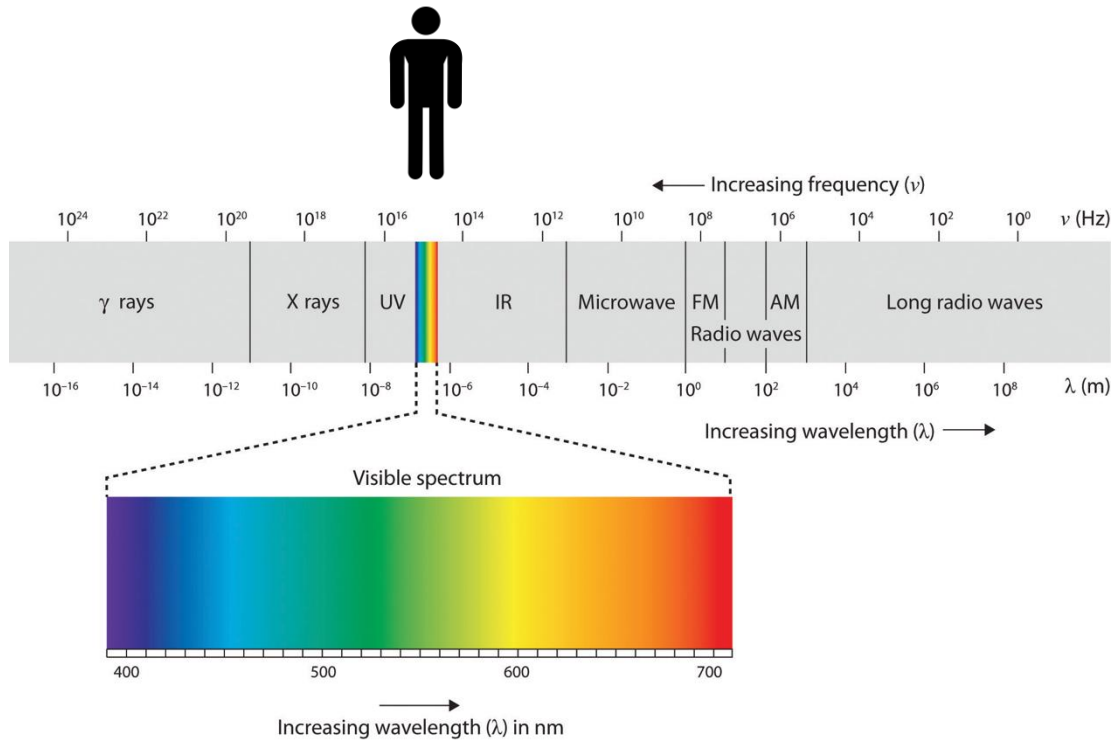
Perception – Our Five Senses



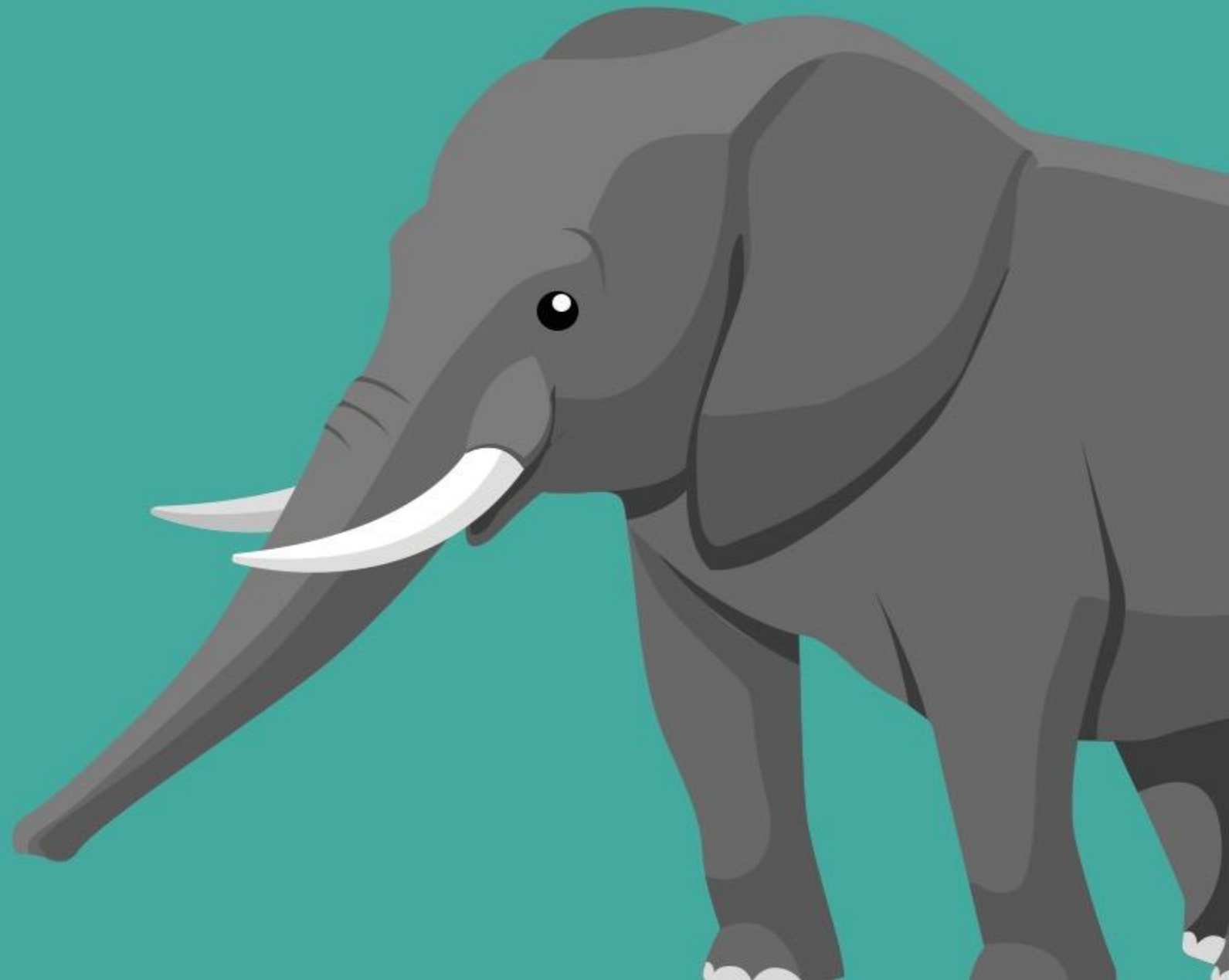
Perception – Two Main Senses



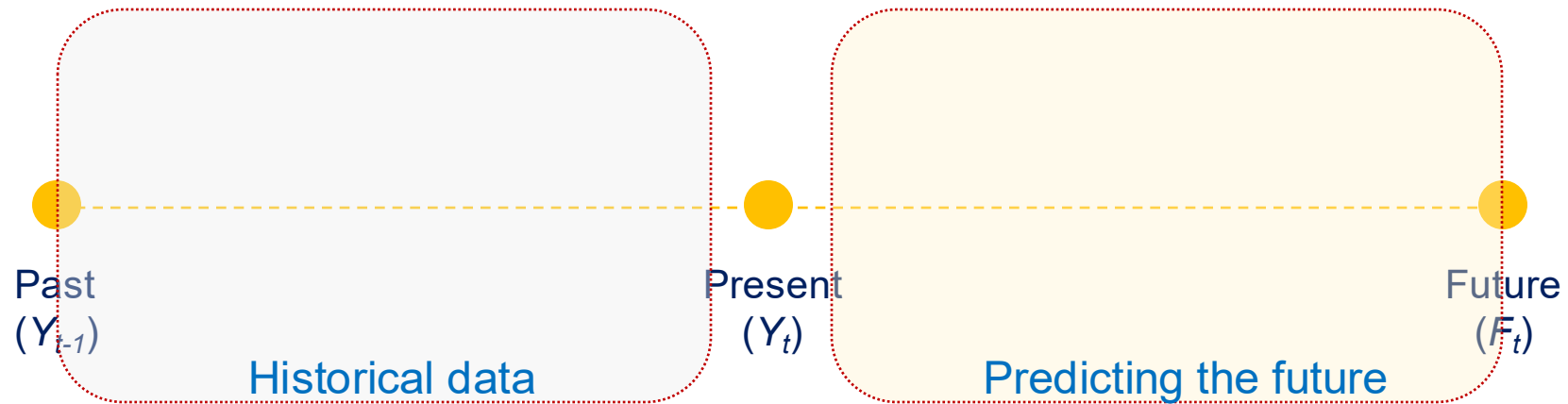
Perception Limitations – Sight and Hearing



ELEPHANT AND 6 BLIND MEN METAPHOR



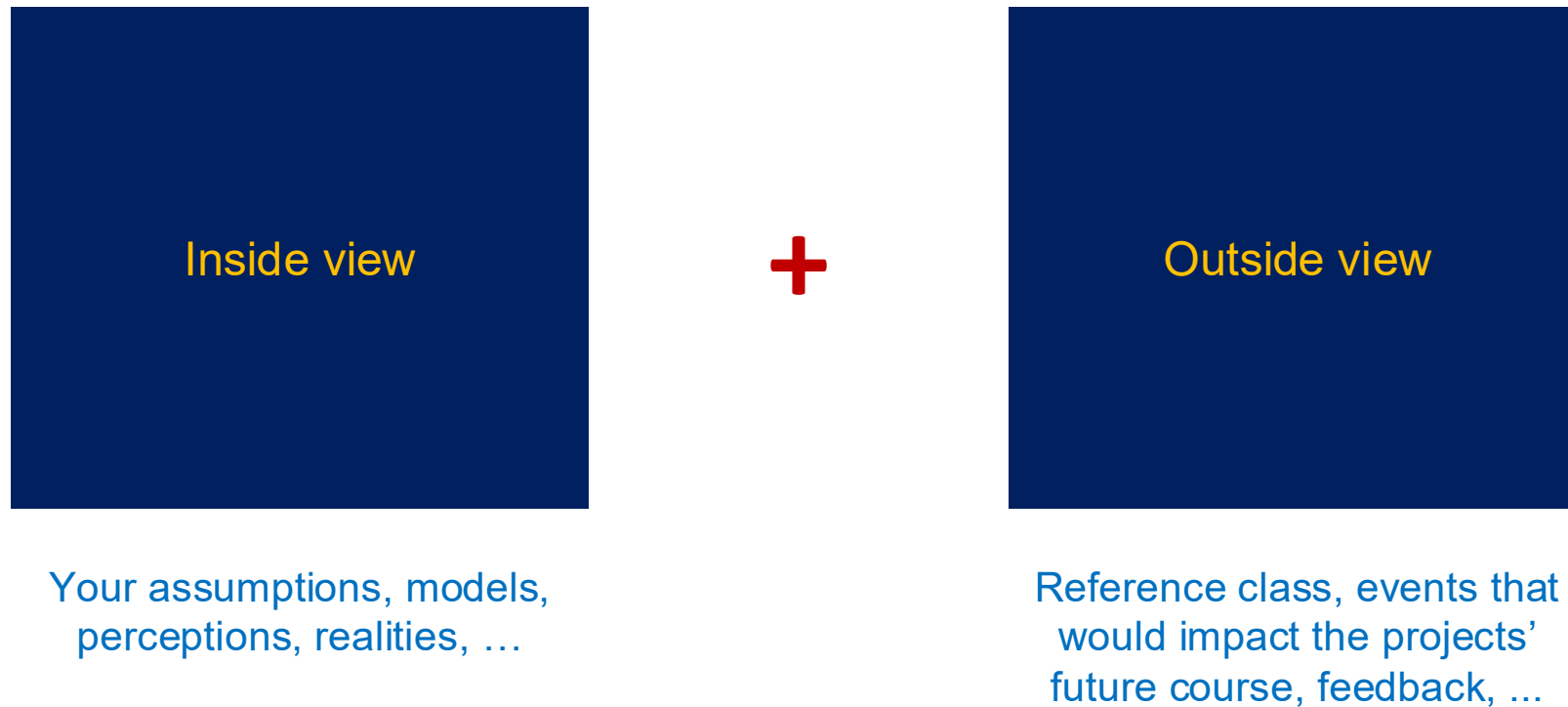
Reminder: The Science of Predicting The Future



Assumption: The future will be the same as the **past!**

- F_t : demand forecast for period t
- Y_t : actual demand for period t

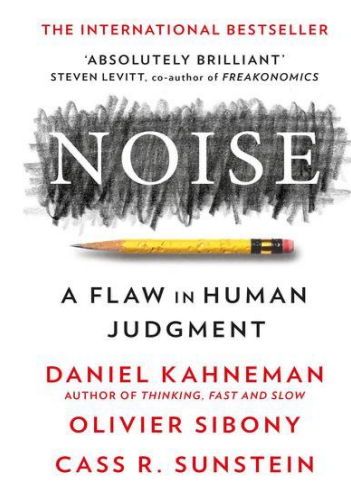
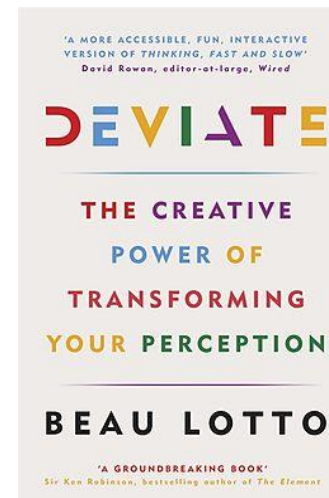
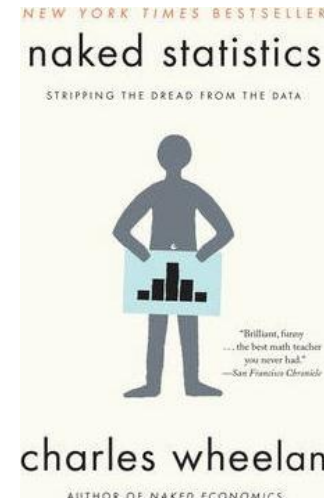
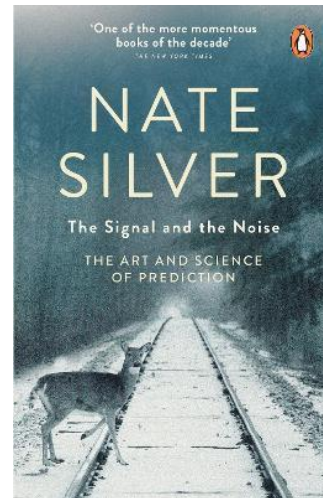
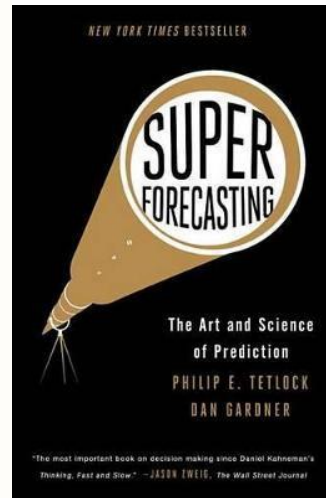
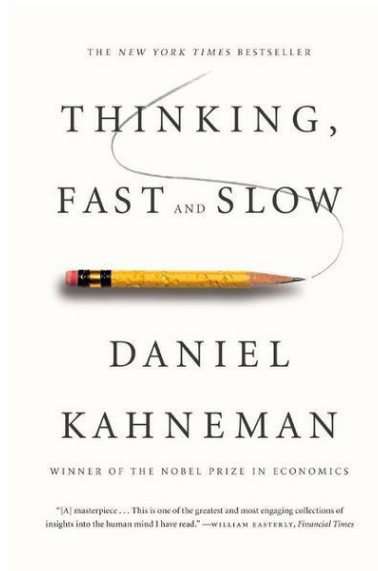
Demand Management – Best Way To Forecast/Predict Future



Sources:

1. Kahneman, D., & Lovallo, D. (2003). Delusions of success—How optimism undermines executive's decisions. *Harvard Business Review*, 81(7), 56-63.
2. Kahneman, D., & Lovallo, D. (1993). Timid choices and bold forecasts: A cognitive perspective on risk taking. *Management science*, 39(1), 17-31.

Want to Know More? – Selected Books

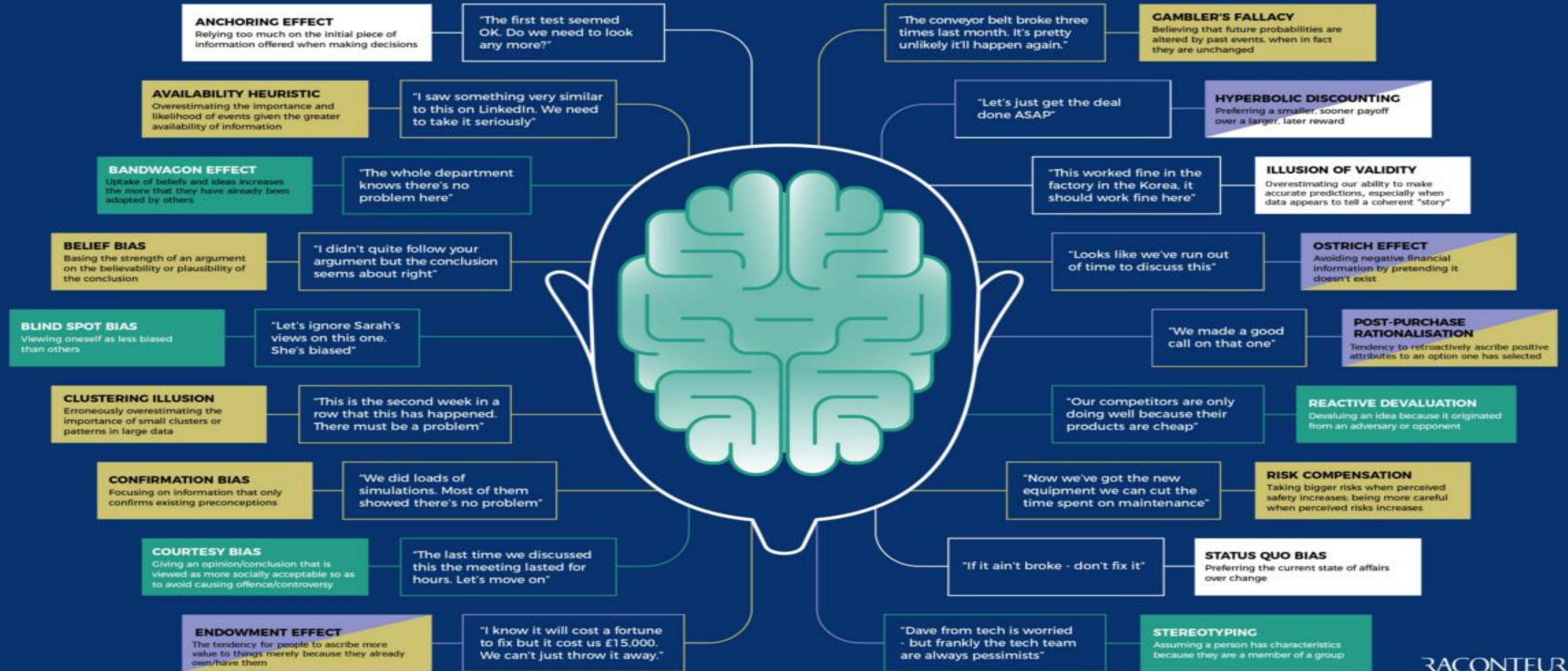


Cognitive bias

● Social ● Financial ● Failure to estimate ● Short-termism

When it comes to assessing risk, humans often fail to make rational decisions because our brains take mental shortcuts that prevent us making the correct choice. Since the 1960s behavioural scientists and psychologists have been researching these failings, and have identified and labelled dozens of them. Here are some that can cause havoc when it comes to assessing risks in business

ORIGIN
The notion of cognitive biases was first introduced by psychologists Amos Tversky and Daniel Kahneman in the early-1970s. Their research paper, 'Judgment Under Uncertainty: Heuristics and Biases', in the Science journal has provided the basis of almost all current theories of decision-making and heuristics. Professor Kahneman was awarded a Nobel Prize in 2002 after further developing the ideas and applying them to economics.



RACONTEUR

Production Management (ME-419)

Coaching Rooms

Amin Kaboli

Week 4 – Session 4 – Oct 16th, 2025

The Art of Giving and Receiving Effective Feedback



Feedback is a gift



Feedback/comments are
always welcome

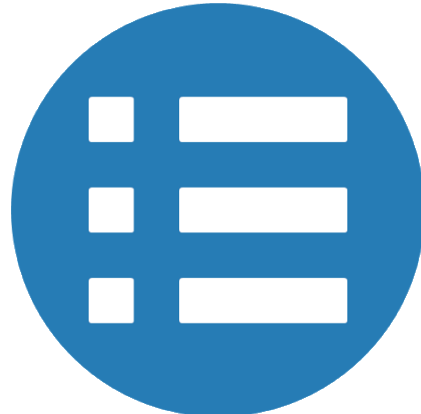
Giving Effective Feedback



Respectful

Ask for permission

May I share my observation



Fact-based

Share facts/ your feelings

What I observed/felt is that ...



Constructive

Stay focused on growth

What I suggest is that ...



Concise

Be to-the-point and short

Max three key points



Open

Be open to any reaction

I respect your feeling ...

Receiving Effective Feedback



Receive the gift

Be open and receptive

I appreciate your feedback



Listen

Listen to listen!

The goal is to listen not to answer, no interruption (zip it)



Understand

Focus on THE message

The goal is to understand, ask questions, clarify, repeat key points, ...



Decide

You always have a choice

Thank you, I have never seen it this way
OR
Thank you, let me reflect and get back to you?



Follow up

Reach a common understanding

There are many ways to follow up: revise the work, set up a meeting, ...