

# ME-251: Thermodynamics and energetics I Final Review

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# Summary lecture

- Outline
  1. Generalities
  2. Energy and 1st law for closed systems
  3. Energy transfer by heat
  4. Thermodynamic properties
  5. 1<sup>st</sup> law for closed and open systems
  6. 2<sup>nd</sup> law and entropy
  7. Exergy
  8. Applications
  9. Mixtures and psychrometry

- System, surroundings, boundary, closed system, control volume, property, state, process, extensive and intensive property, equilibrium, specific volume, pressure, temperature

- Closed system

Energy increase is caused by heat input minus work output

$$E_2 - E_1 = Q - W \qquad \frac{dE}{dt} = \dot{Q} - \dot{W} \qquad E = U + KE + PE$$

- Open system

$$\frac{dE_{cv}}{dt} = \dot{Q}_{cv} - \dot{W}_{cv} + \sum_i \dot{m}_i \left( h_i + \frac{\vec{V}_i^2}{2} + gz_i \right) - \sum_e \dot{m}_e \left( h_e + \frac{\vec{V}_e^2}{2} + gz_e \right)$$

Heat input

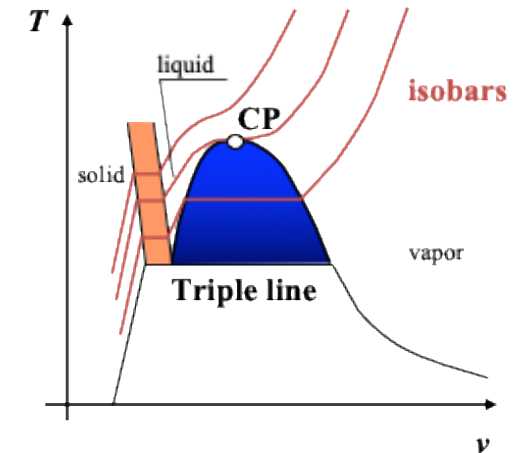
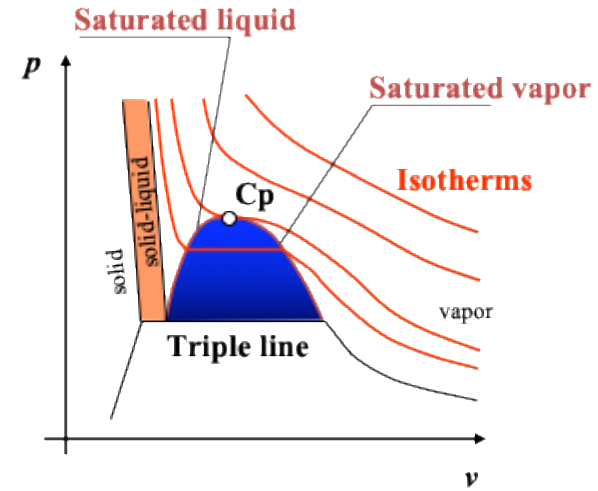
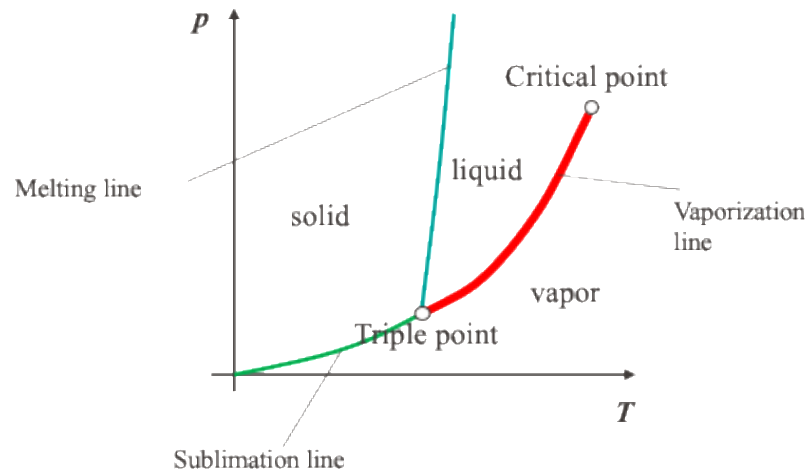
Control volume  
work output  
(excluding flow  
work)

Enthalpy + KE  
+ PE coming in

Enthalpy + KE  
+ PE going out



- p-v diagram
- T-v diagram
- p-T phase diagram
- Steam quality



# Evaluation of Thermal Dynamic Properties

	General	Incompressible	Ideal gas, $R = \tilde{R}/M$
$u$	$u(T, v)$	$u(T)$	$u(T)$
$h$	$h(T, p)$ <i>x needed for two phase</i>	$u(T) + pv$	$u(T) + RT = h(T)$
$c_v$	$\left. \frac{\delta Q}{\delta T} \right _v = \left. \frac{\partial u}{\partial T} \right _v$	$c_v(T) = \frac{du}{dT}$	$c_v(T) = \frac{du}{dT}$
$c_p$	$\left. \frac{\delta Q}{\delta T} \right _p = \left. \frac{\partial h}{\partial T} \right _p$	$c_p(T) = c_v(T)$	$c_p(T) = \frac{dh}{dT} = c_v + R$
$du$	$Tds - pdv$	$Tds$ or $c_v(T)dT$	$c_v(T)dT$
$dh$	$Tds + vdp$	$c_v(T)dT + vdp$	$c_p(T)dT$

For water,  $c_v \approx 4.2$  [kJ/kg],  $v \approx 10^{-3}$  [m<sup>3</sup>/kg]  
 $c_v \cdot 1[\text{K}] \approx v \cdot 4.2$  [MPa]

	General	Incompressible	Ideal gas, $R = \tilde{R}/M$
$s$	$s(T, v)$	$s(T)$	$s(T, v)$
$ds$	$\frac{\delta Q_{rev}}{T}$	$\frac{c_v(T)}{T} dT$	$\frac{c_v(T)}{T} dT + \frac{R}{v} dv$  $\frac{c_p(T)}{T} dT - \frac{R}{p} dp$

Change in  $u$ ,  $h$ , and  $s$ , can also be further simplified if  $c_v$  is assumed to be constant for incompressible substance or ideal gas (i.e., perfect gas)

- Different 2<sup>nd</sup> law statements, irreversible vs reversible, Carnot theorem and corollaries, Carnot efficiency, Clausius inequality
- Entropy, T-s diagram, isentropic efficiencies
- Closed system

$$S_2 - S_1 = \int_1^2 \left( \frac{\delta Q}{T} \right)_b + \sigma$$

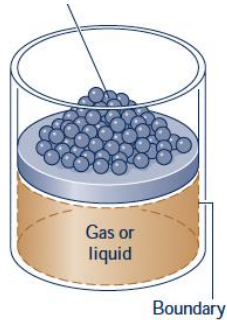
$$\frac{dS}{dt} = \sum_j \frac{\dot{Q}_j}{T_j} + \dot{\sigma}$$

- Open system entropy balance

$$\frac{dS_{cv}}{dt} = \sum_j \frac{\dot{Q}_j}{T_j} + \sum_i \dot{m}_i s_i - \sum_e \dot{m}_e s_e + \dot{\sigma}_{cv}$$

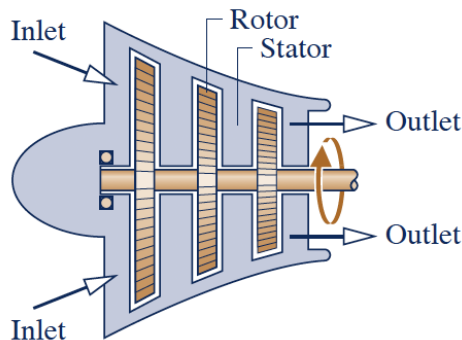
- Ideal gas polytropic process:  $pv^n = \text{const}$   
isentropic, isothermal, constant volume, constant pressure

- Expansion/compression work done by the system



$$W = \int_{V_1}^{V_2} p dV$$

- Control volume work of internally reversible open system



$$\left( -\frac{\dot{W}_{cv}}{\dot{m}} \right)_{int\ rev} = h_2 - h_1 - \left( \frac{\dot{Q}_{cv}}{\dot{m}} \right)_{int\ rev} = \int_1^2 dh - T ds = \int_1^2 v dp$$