



**Snow mass balance,
snow melt,
and runoff**

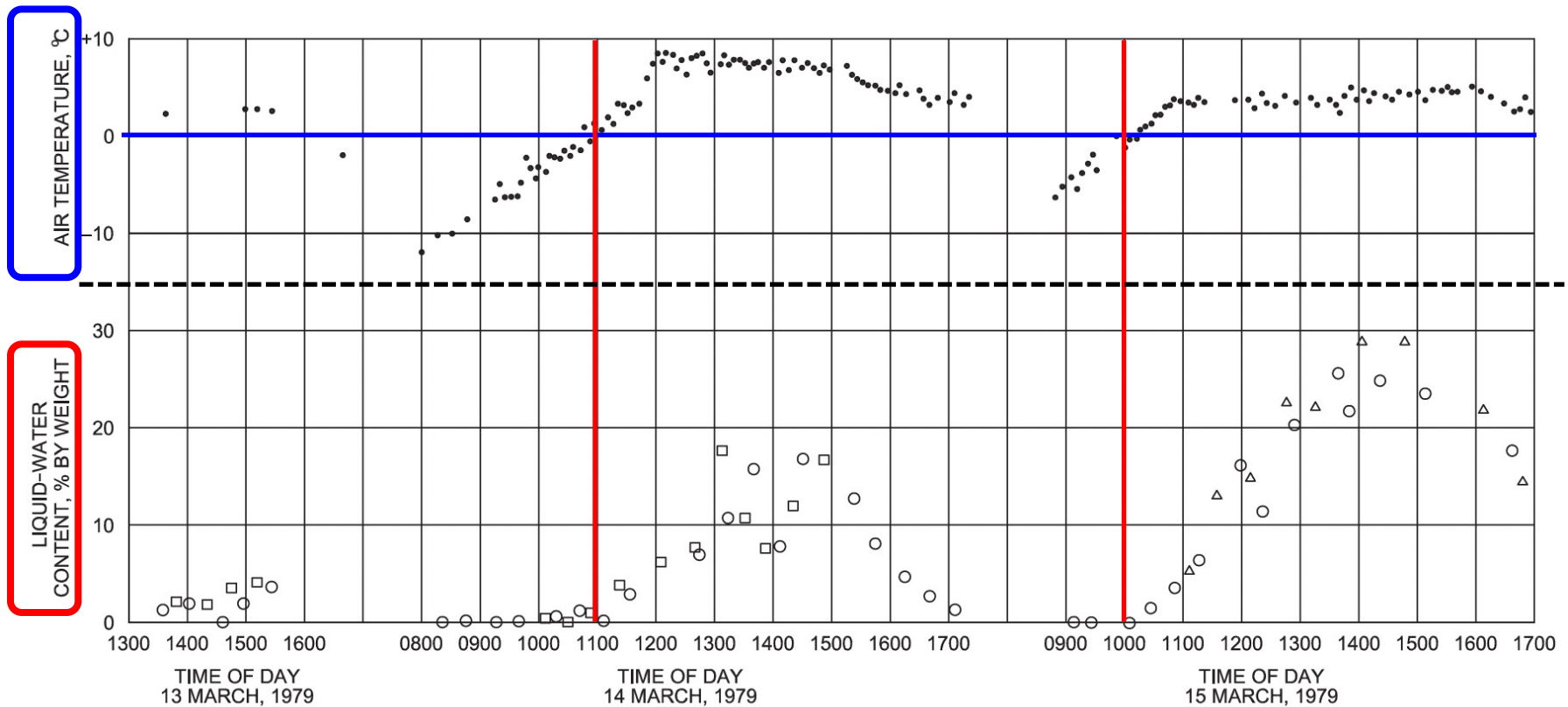
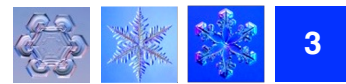


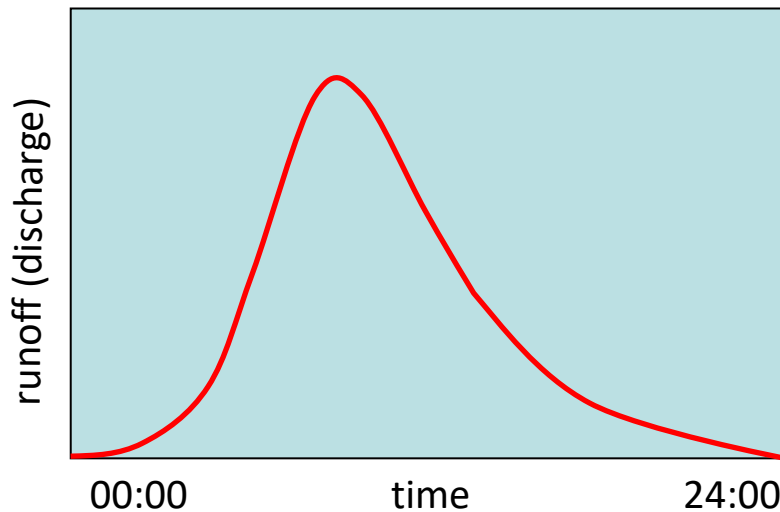
Figure 3.9 Daily variation of snowpack liquid-water content (mass of liquid water per unit mass of snow) determined by three different operators using the freezing calorimetry method at Fraser, Colorado (Jones *et al.*, 1983, copyright 1983 IWA Publishing with permission).

Compare slide #9 in "Snow properties" lecture.

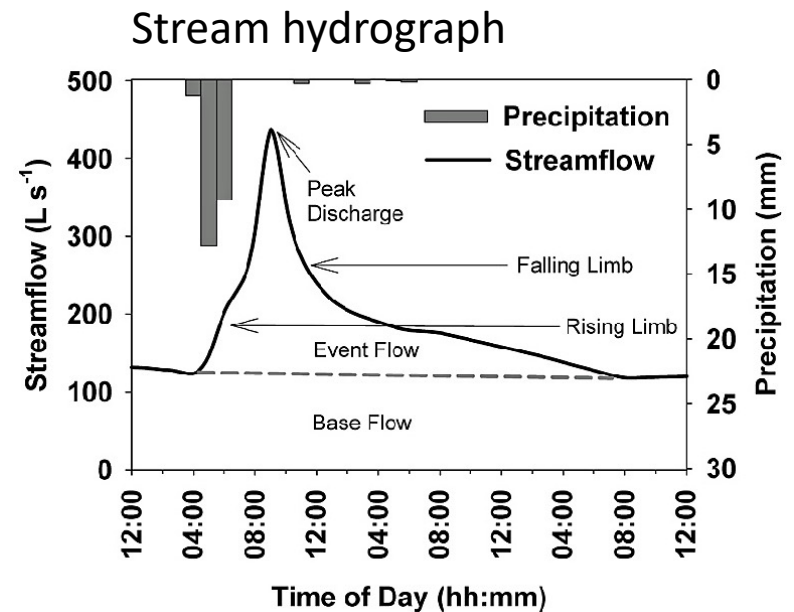
Snowmelt hydrograph

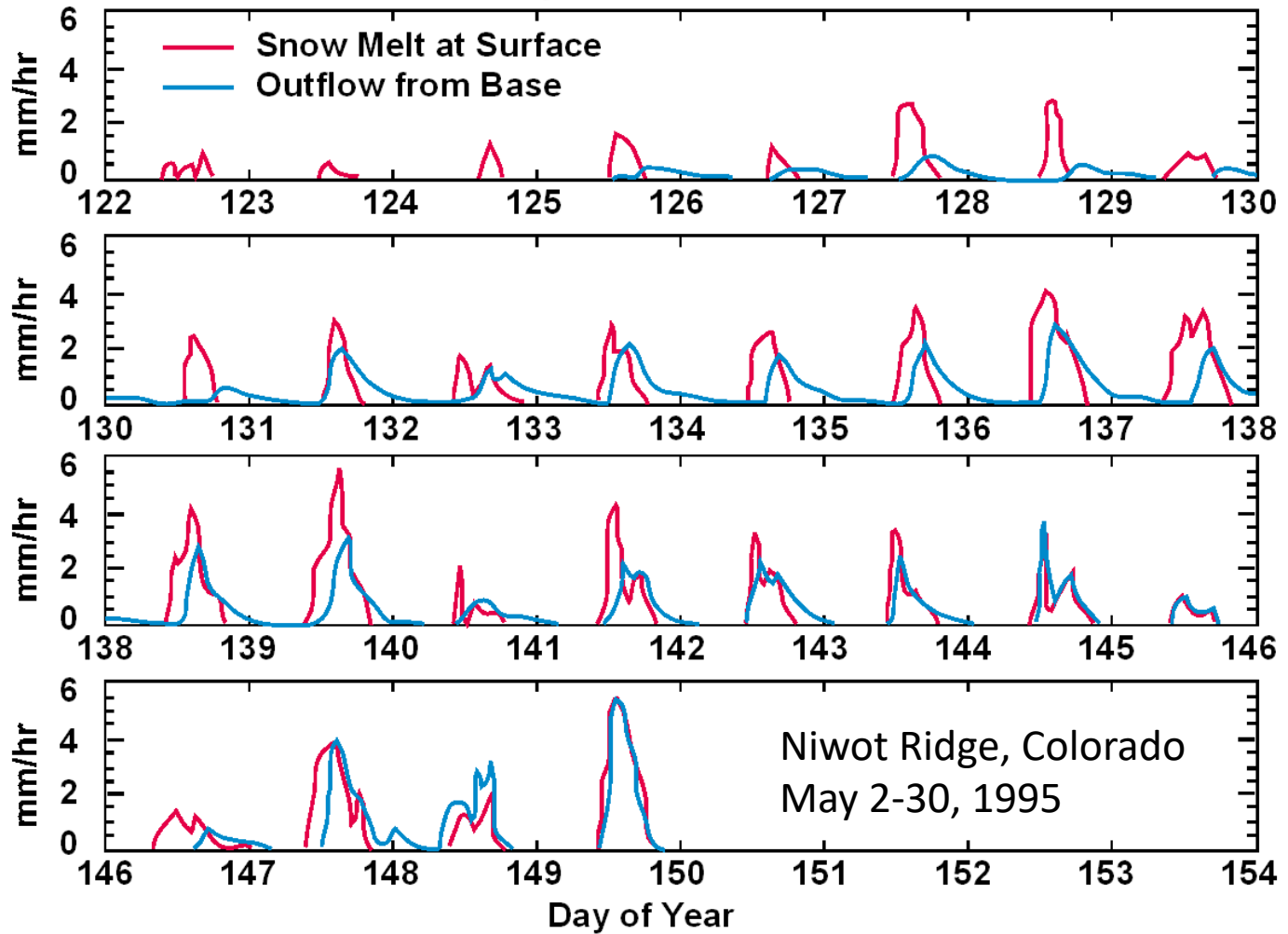


- Rate of water release from the base of the snowpack
- Resembles stream hydrograph
- Strong diurnal cycle
- Lags snowmelt at the surface by hours to days



Melt water release from the snowpack during a day

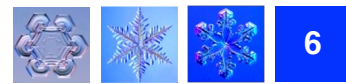




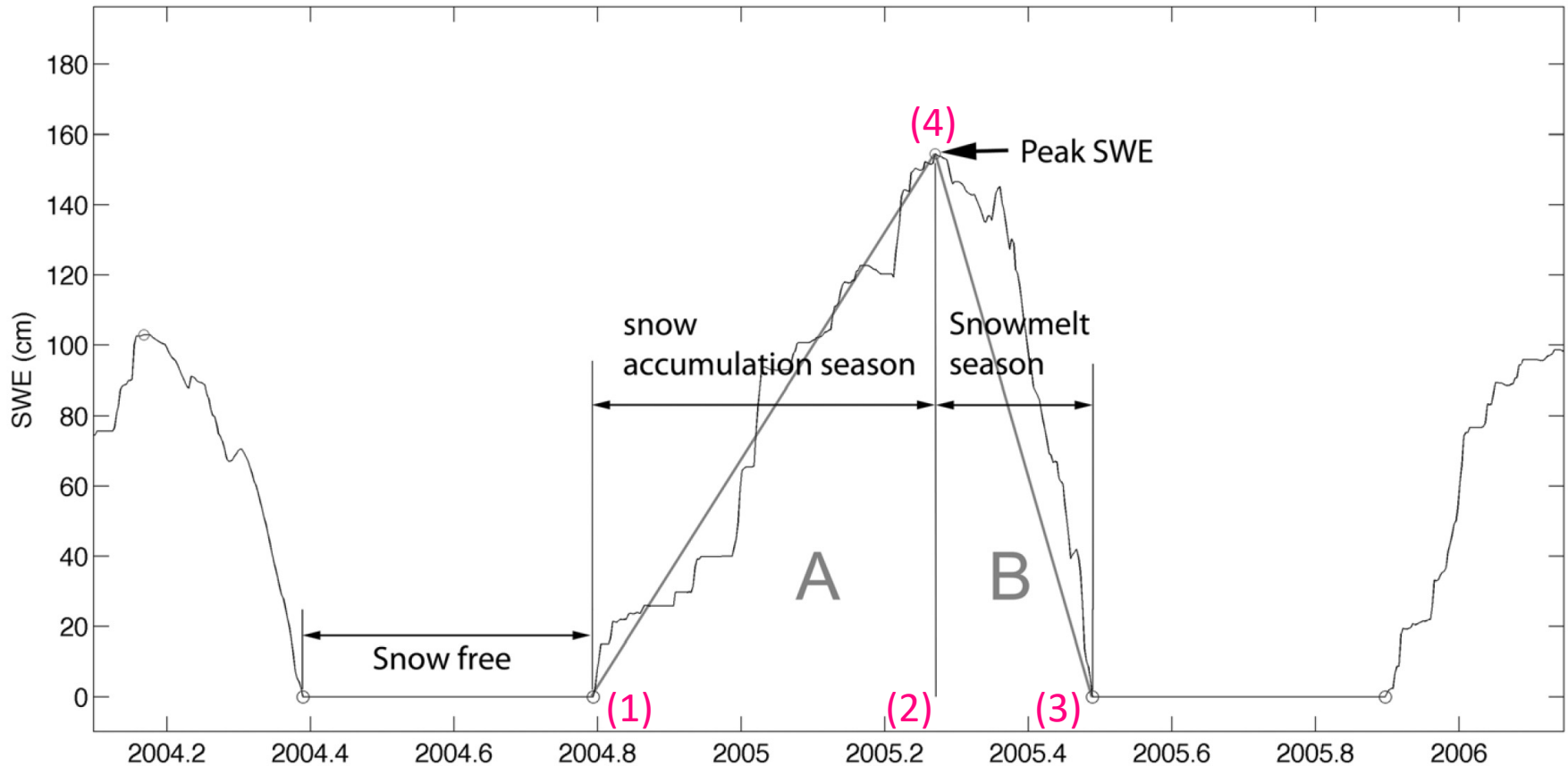
Melt- and rainwater experience a **time lag** and are **attenuated** as they move through the snow. Lag and attenuation are functions of depth, density, ice layers, grain size, and refreezing.



- Definitions and fundamentals
- Seasonal snow mass balance
- Snow melt modeling: Physics-based Models and Temperature Index Models
- Water movement through snow (simplified)
- Measuring water transport through snow: Novel observational approaches
- Modeling water transport in snow: Dual Domain Richard's Equation approach
- Rain On Snow (ROS) events
- Runoff formation, frozen ground



- **Snowpack**: accumulated snow on ground at a given time (precipitation and redistribution)
- **Input** (Accumulation): solid and liquid precipitation, condensation and deposition, and snow transport and redistribution
- **Snowmelt**: amount of liquid water produced by melting (phase change) during a given time period; water is either retained within the snowpack (LWC) or drained from the snowpack
- **Ablation**: total mass loss (snow + water) due to sublimation, evaporation, melting, and erosion (snow transport by wind)
- **Output**: total amount of liquid water (melt + percolating rain) leaving the snowpack at the base during a given time period
- → Ablation \neq Output !!



Daily SWE for an accumulation and melt season. (1), (2) and (3) mark the day of initial snow accumulation, peak SWE and snow disappearance, respectively. Metric (4) marks the peak SWE. A and B indicate the accumulation and melt seasons, respectively. [Trujillo and Molotch, 2013].



$$\frac{\Delta(SWE)}{\Delta t} = P - E - O$$

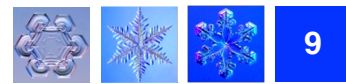
$\Delta(SWE)$: $(SWE_{t2} - SWE_{t1})$; $[\text{kg m}^{-2}]$ or $[\text{mm}]$

(change in snowpack water equivalent over a time interval)

P: net precipitation rate, including rainfall, snowfall, snow transport by wind (resulting in local accumulation or erosion)

E: net vapor exchange rate between snowpack and atmosphere (sublimation, evaporation, condensation, deposition)

O: outflow rate of liquid water from the snowpack



- Melt (outflow), evaporation/sublimation, and precipitation appear in the energy balance and the water balance equations → Coupling of energy and mass
- Over short time periods, sublimation/evaporation may be negligible ($E = 0$)
- During dry periods ($P = 0$), almost all outflow is from melting (when $E \approx 0$)
- → then: $O = M$, where M is the melt rate [$\text{kg m}^{-2} \text{s}^{-1}$] or [mm d^{-1}]

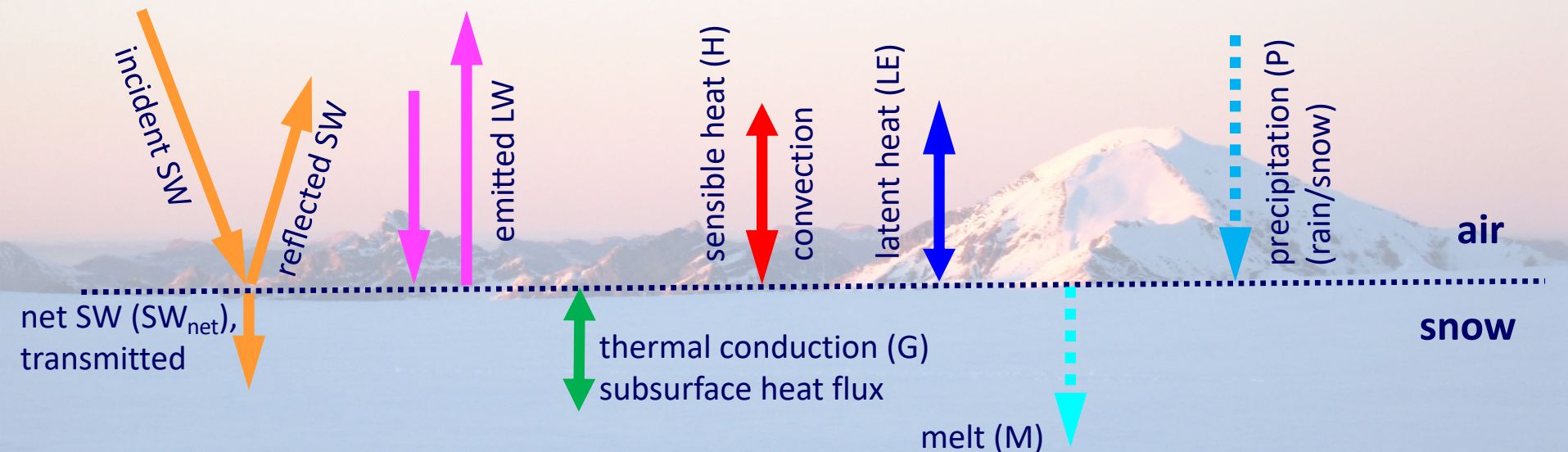
$$\frac{\Delta SWE}{\Delta t} = M = O$$

- → By measuring the rate of change in SWE, the melt rate M can be determined
- Melt rates of 20 mm d^{-1} are common, max. 70 mm d^{-1} possible (all expressed in [SWE])

Snow slab or layer: $dE/dt = (R + G + H + \boxed{LE} + \boxed{M} + \boxed{P}) * A \text{ [J s}^{-1}\text{]}$

Net radiation $R = SW\downarrow - SW\uparrow + LW\downarrow - LW\uparrow$

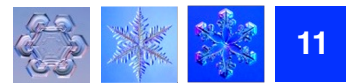
Transmitted SW : $(1-\alpha) SW\downarrow = SW_{net}$



Note: individual terms can have a positive or negative sign.

A = surface area [m²]; all fluxes [W m⁻²]

... : terms imply a mass change of the snowpack



- Degree day models = temperature index models – common approach in hydrology
- Simple relations between snow/ice ablation and air temperature
- Generally, they are site specific

$M = c * f(T_a, R, u, \dots)$; c needs to be calibrated
 c = prop. const., T_a = air temperature,
 R = (potential) solar radiation, u = wind speed

Basic model:

$$M = DDF \frac{1}{n} \sum_{i=1}^n T_i^+$$

$$M = \begin{cases} f_m(T_d - T_0), & T_d > T_0 \\ 0, & T_d \leq T_0 \end{cases}$$

$$M = f_m(T_d - T_0) + aR$$

DDF = degree day factor [$\text{mm d}^{-1} \text{ } ^\circ\text{C}^{-1}$],

T_i^+ = positive air temperatures [$^\circ\text{C}$]

T_0 = freezing temperature ($0 \text{ } ^\circ\text{C}$)

f_m = melt factor [$\text{mm d}^{-1} \text{ } ^\circ\text{C}^{-1}$] \neq DDF,

a = empirical factor [$\text{m}^3 \text{ J}^{-1}$]

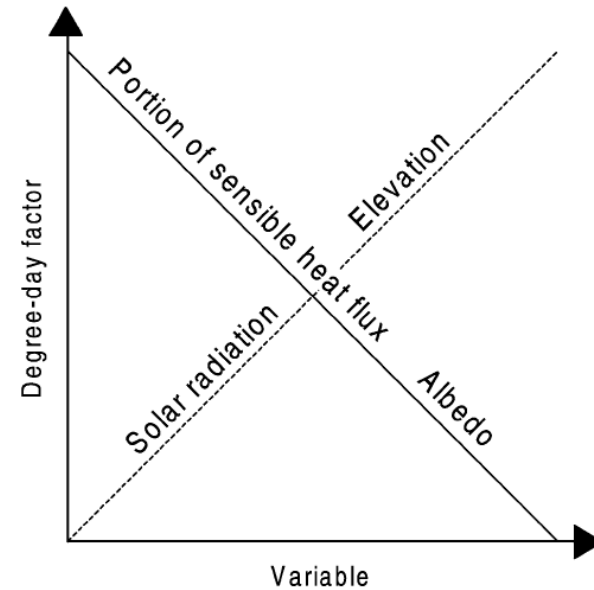
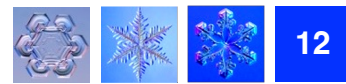


Fig. 1. Schematic plot illustrating qualitatively how degree-day factors are affected as variables increase. Degree-day factors increase as solar radiation and elevation increase and as portion of sensible heat flux and albedo decrease.

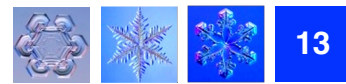
Hock 2003, J. Hydrol.

For phys. basis of DD models
see Ohmura 2001, J.Appl.Met.



The process of snowmelt can be split in three phases:

- (1) **Warming phase**: Absorbed energy raises the average snowpack temperature to a point at which the snowpack is isothermal (no vertical temperature gradient) at 0°C .
- (2) **Ripening phase**: Absorbed energy is used to melt snow, but the meltwater is retained in the snowpack in pore spaces by surface tension forces. At the end of this phase, the snowpack cannot retain any more liquid water and is said to be “ripe”.
- (3) **Output phase**: Further absorption of energy produces liquid water output, which then appears as runoff, infiltration or evaporation.



Energy required to raise the entire snowpack temperature to 0°C (Q_{cc}) [J m⁻²]: cold content

$$Q_{cc} = |\rho_w \cdot SWE \cdot c_{p,i} (\bar{T}_{snow} - T_{melt})|$$

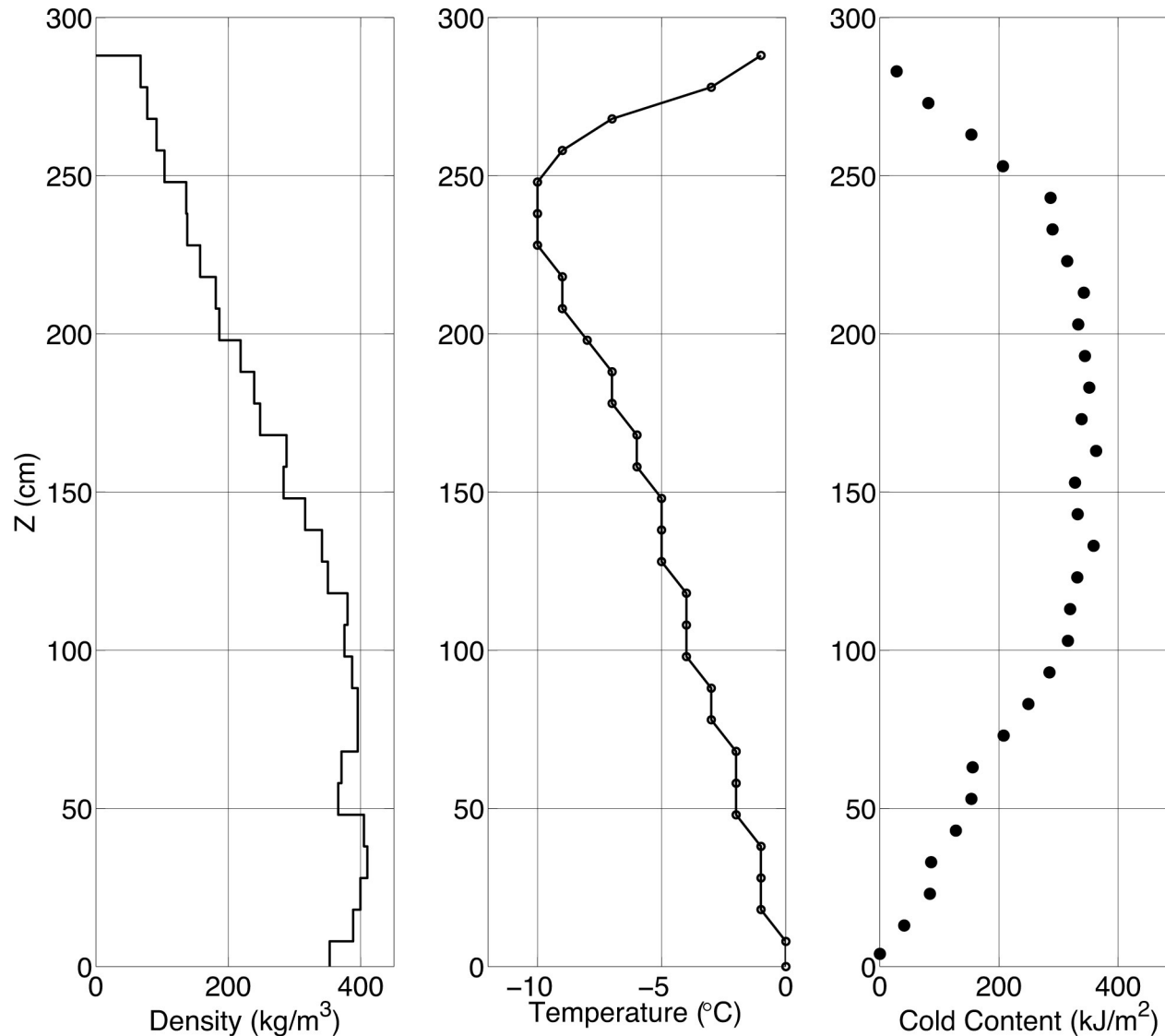
where

- $c_{p,i}$ = heat capacity of ice (2100 J kg⁻¹ K⁻¹ at 0°C),
- \bar{T}_{snow} = mean temperature of the snowpack (°C),
- T_{melt} = melting point of ice (0°C),
- ρ_w = density of water (approximately 1000 kg m⁻³),
- SWE = snow water equivalent [m] or [mm]

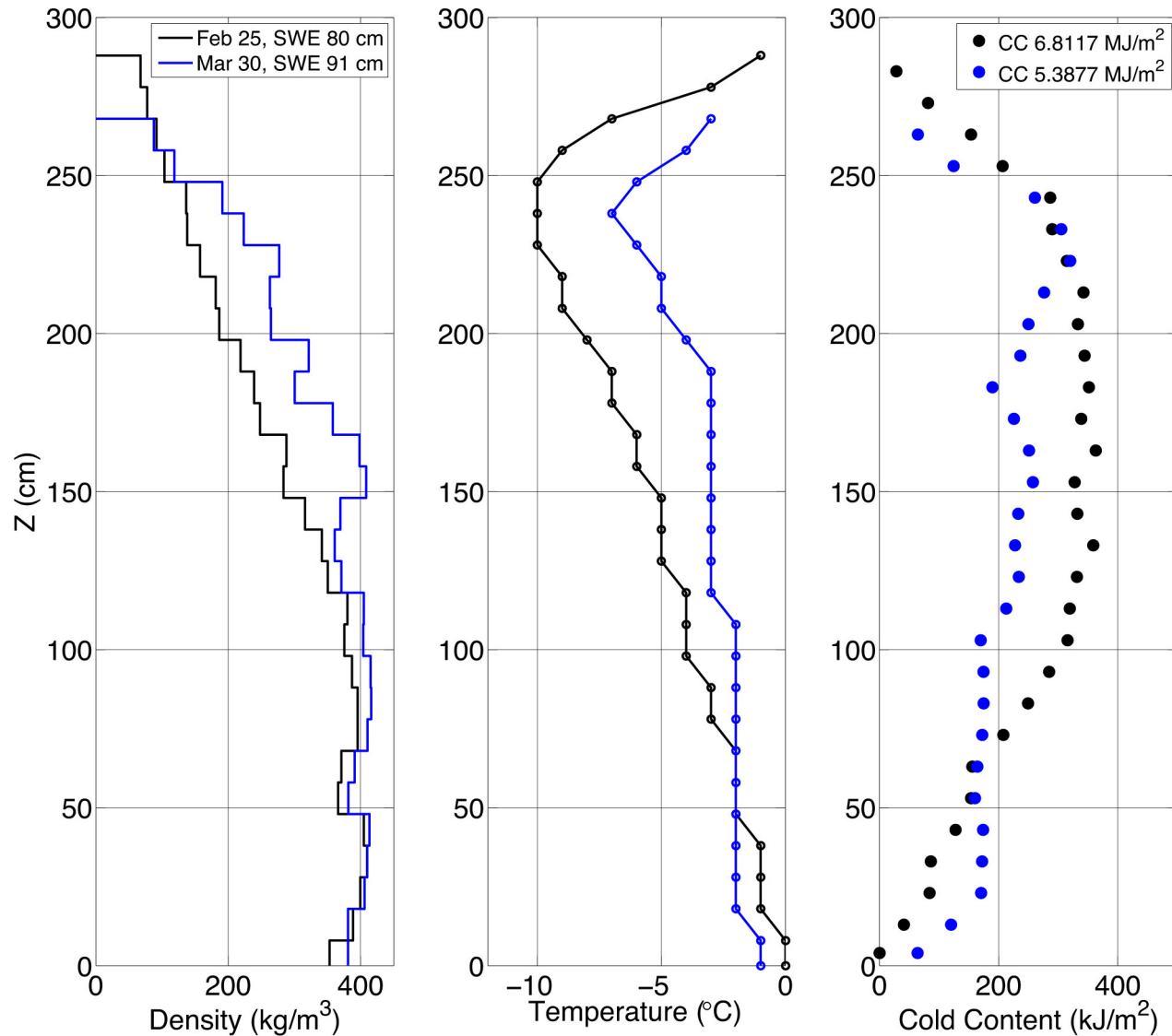
If snowpack water equivalent is unavailable but snow density and depth:
replace ρ_w with the snow density ρ_s , and SWE with snow depth (h_s).

$$\rho_w SWE = \rho_s h_s \text{ [kg m}^{-2}\text{]}$$

Snow Pit Example – Feb 25, 2003. Buffalo Pass (CO)



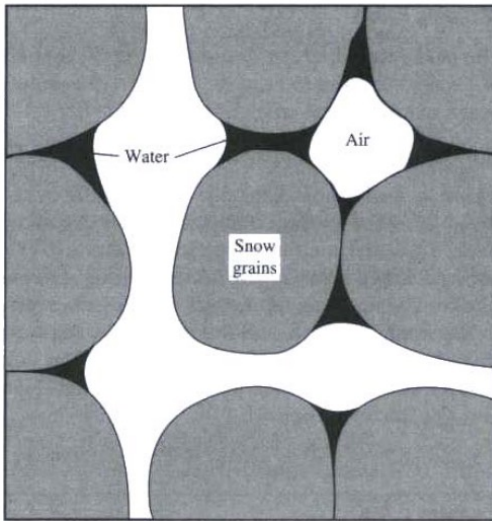
Snow Pit Example – ~1 month difference



Available energy (absorbed SW, LW, SH, LH, heat conduction) is used to melt snow, but the **meltwater is retained** in the snowpack **pore space** by **surface tension** and **capillary forces**.

θ = liquid water content (LWC): ratio of liquid water volume to the total snowpack volume
 θ_{ret} = maximum volumetric LWC a **ripe snowpack** can retain against gravity (“ret”: retention)

A **typical ripe snowpack** has: $\rho_s = 500 \text{ kg m}^{-3}$ and $\theta_{ret} = 0.03$



Dingman 2002, Figure 5-19

Recall, snowpack density can be written as:

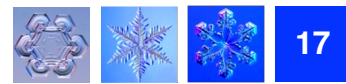
$$\rho_s = (1 - \phi) \rho_i + \theta \rho_w$$

$$\rho_i = \text{density of ice: } 917 \text{ kg m}^{-3}$$

ϕ = porosity, V_a / V_s , i.e.,
the ratio of pore volume to the total snowpack volume

How much water is contained in a ripe snowpack? →

(2) Ripening phase



→ How much water is contained in a **ripe** snowpack?

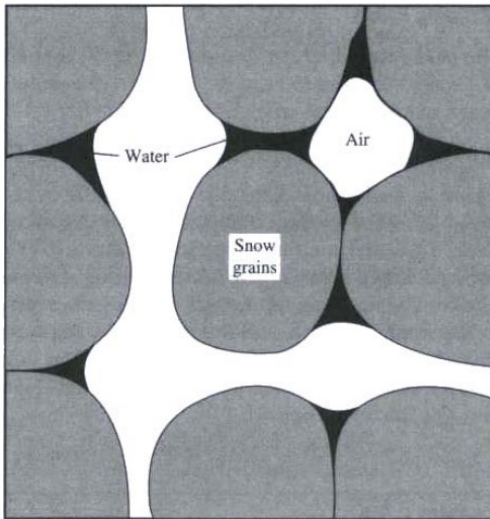
Recall: $\rho_s = (1-\Phi) \rho_i + \theta \rho_w$

Using $\rho_s = 500 \text{ kg m}^{-3}$ and $\theta_{ret} = 0.03$, → porosity $\Phi = 0.49$

Fraction of pore space filled with water at the end of the ripening phase:

$\theta_{ret} / \Phi = 0.061$ (6.1%) of the available pore volume.

Very little of the pore space in ripe snow is water (just 6% in this example!)



The net energy Q_{ripe} [J m^{-2}] required to complete the ripening phase is:

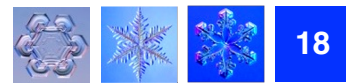
$$Q_{ripe} = \theta_{ret} h_s \rho_w L_f$$

L_f = latent heat of fusion (334 kJ kg^{-1})

h_s = snow depth [m]

θ_{ret} = max. vol. LWC of a ripe snowpack

ρ_w = density of water [kg m^{-3}]



- Following the ripening phase, further energy input results in more melting and downward **melt water percolation** immediately resulting in liquid **water output**.
- The energy Q_{out} [J m^{-2}] required to melt all snow remaining after the ripening phase is:

$$Q_{out} = (SWE - h_{w,ret}) \rho_w L_f$$

where

$$h_{w,ret} = \theta_{ret} h_s \quad [\text{m}]$$

(the liquid-water retaining capacity of the snowpack).

Total energy for complete warming and melting process:

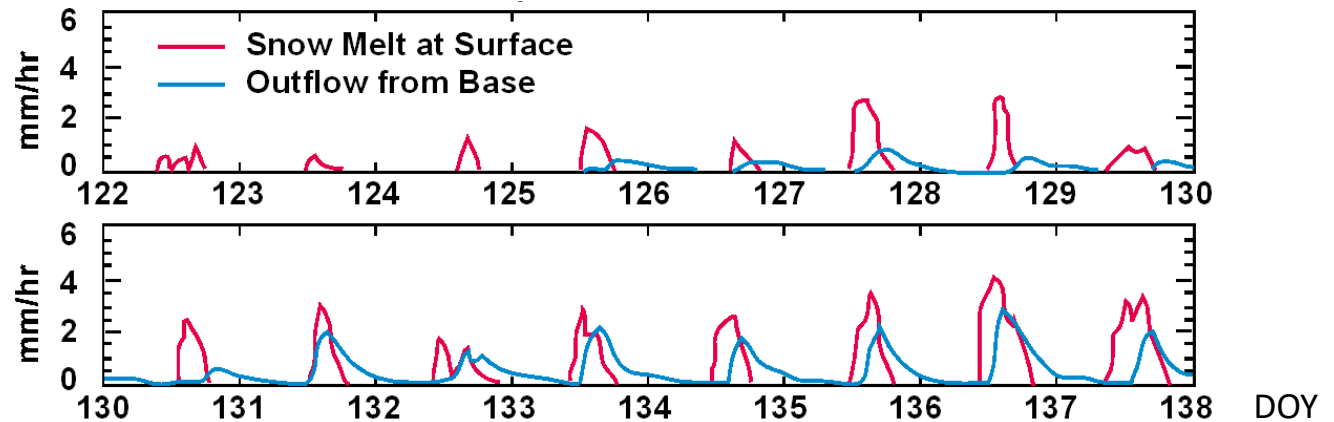
The snowmelt process requires absorption of energy Q of an amount equal to the **sum** of the energy absorption associated with the 3 individual phases necessary for runoff generation:

$$Q_{tot} = Q_{cc} + Q_{ripe} + Q_{out}$$



- **Outflow** results from melt, rainfall, and changes in liquid water holding capacity (e.g., metamorphism and changes in the snow micro-structure).
- Melt water produced near the snowpack surface can **refreeze** in colder layers below or gets **temporarily stored** in or on top of internal ice layers and due to capillary forces.
- **Transmission time** within the snowpack depends on the **permeability** (condition of pore matrix, connectivity of pores).
- **Timing** of outflow depends on storage, transmission, and liquid water content (holding capacity) within the snowpack.
- **Rainfall** on ripe snowpack can move quickly to the soil or produce surface runoff.
- **Total delay** for liquid water output = Σ of individual **time lags**.

Water movement through the snowpack influences the **timing** and the **magnitude** of the snowmelt and runoff peak.



Complex series of processes involved:

- energy balance
- snow metamorphism
- snowpack microstructure and stratigraphy
- water movement through saturated/unsaturated porous medium
- refreezing of melt water
- condition of the snowpack prior to introduction of water
- amount of water available at the snow surface

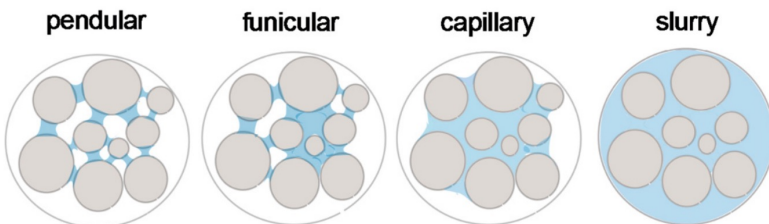
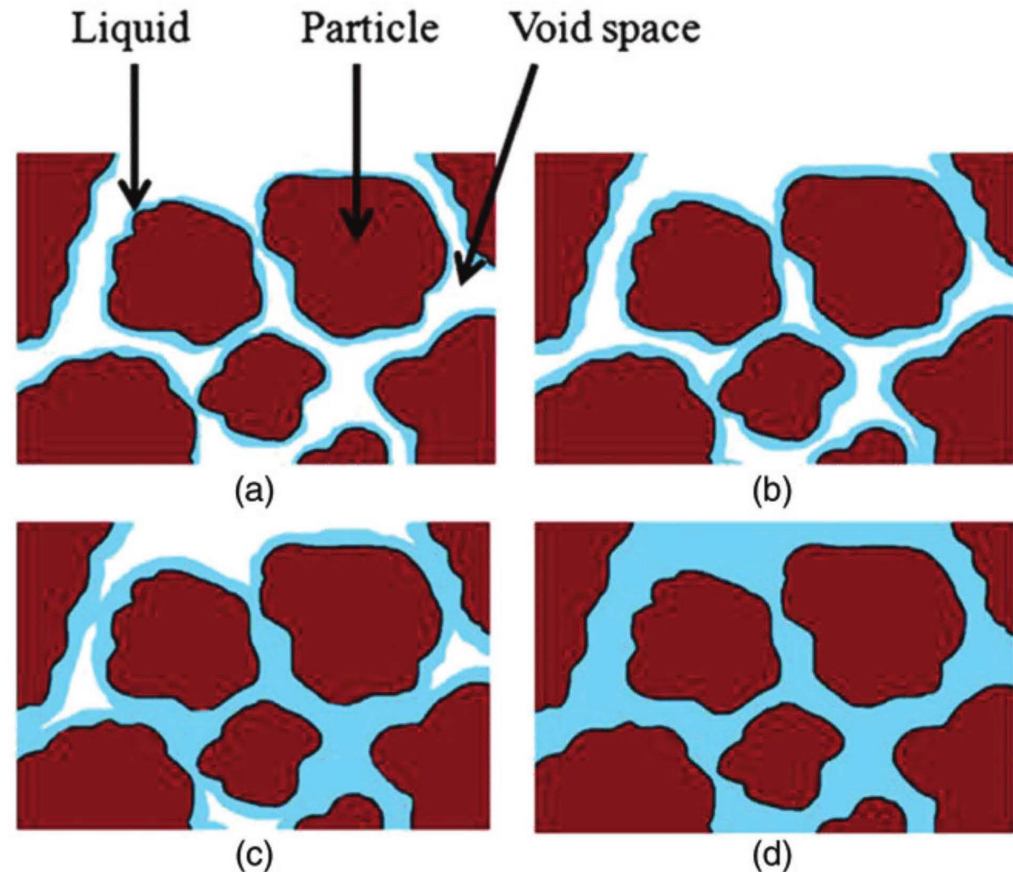
Poorly understood, few experimental studies, depends on the above listed factors.

Pendular: $< 15\%$
of pore space is free water (S_w).
Water doesn't drain

Funicular: 15% to 85%
of pore space is free water (S_w).
Water drains by gravity, but
air spaces are continuous

Capillary: $> 85\%$
of pore space is free water (S_w).
Water drains by gravity, and
air spaces are discontinuous

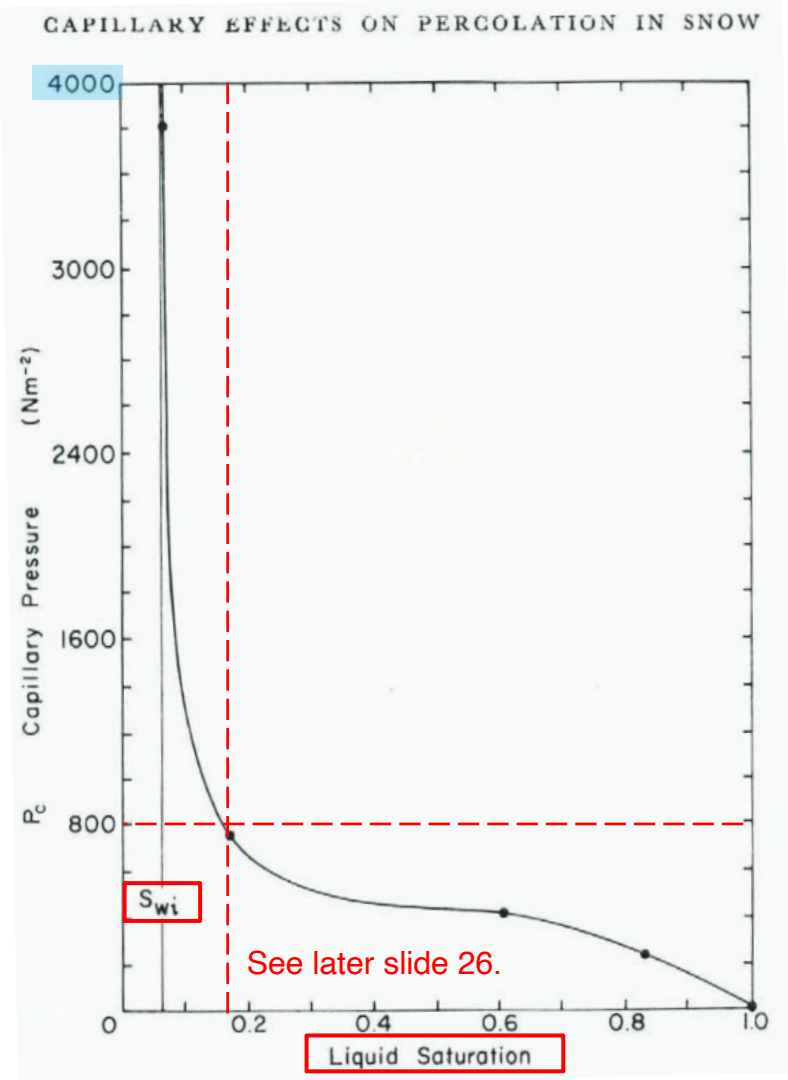
Slurry (saturated): $\approx 100\%$
of pore space is free water (S_w).
Water drains by gravity,
no more air space



Liquid bridging states
(a) pendular state, (b) funicular state,
(c) capillary state, and (d) slurry state (saturated).
(Kristensen and Schaefer, 1987).

Fig. 8. Different states of saturation of liquid in the granular materials.

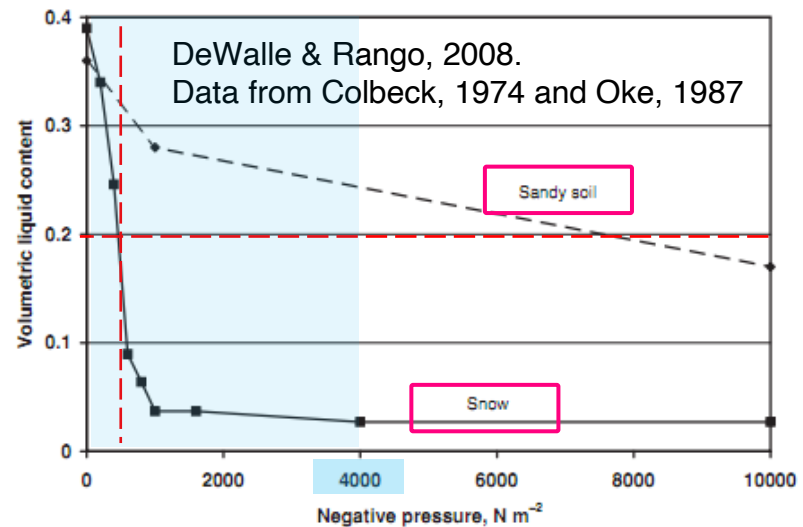
In snow: capillary effects are **small**, gravitational forces are **dominant**.



Capillary rise in snow is only a few cm.

80% of snowpack pore volume is drained with $P = -800 \text{ N m}^{-2}$. (This suction force is equivalent to 8 cm of water column only!)

Irreducible liquid water saturation due to capillary retention (“undrainable” water) is $S_{wi} = 0.05 - 0.07 \text{ [m}^3 \text{ m}^{-3}\text{]}$.
(vol. of water per vol. of pore space)

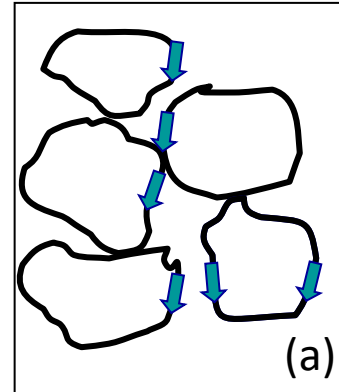


Situation (a):

- At melting temperature, a **thin film** of water surrounds each snow grain
- Much water can flow through this film (**pendular** and **funicular** regime).

Situation (b):

- Once pores are filled, **laminar flow** can occur
- Very efficient mechanism for draining the snowpack (**capillary**, **slurry**).

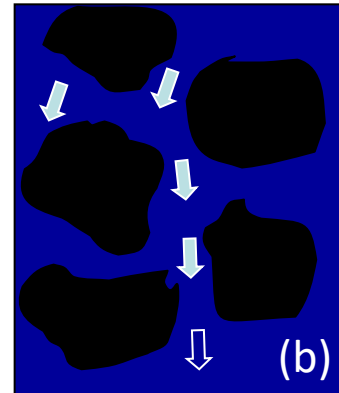


Flow in porous media: **Darcy's law** for unsaturated flow (\rightarrow Richards Eq.)

$$u_w = - \left(\frac{k_w}{\mu_w} \right) \left(\frac{dP_c}{dz} - \rho_w g \right)$$

pressure gradient term (relatively small)
gravity / acceleration term (relatively large)

- u_w = volume flux of water [$\text{m}^3 \text{m}^{-2} \text{s}^{-1}$] = [m s^{-1}]
- k_w = permeability of snow for water [m^2]
- μ_w = dynamic viscosity of water [Pa s] = [$\text{kg m}^{-1} \text{s}^{-1}$]
- P_c = capillary pressure [Pa]
- z = depth below snow surface [m]
- ρ_w = density of water [kg m^{-3}]
- g = gravity [m s^{-2}]



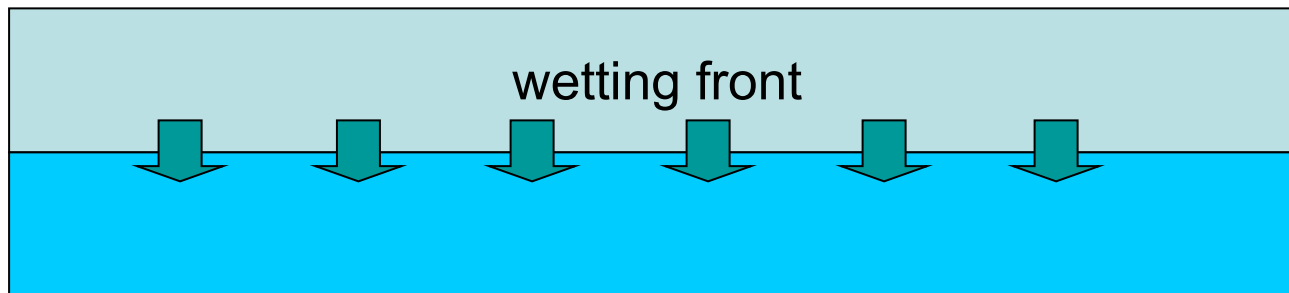
With capillary effects ignored, i.e., no pressure gradient:

$$u_w = - \left(\frac{k_w}{\mu_w} \right) \left(\frac{dP_c}{dz} - \rho_w g \right) \quad \rightarrow \quad u_w = \frac{\text{known } g \rho_w}{\mu_w} k_w = \alpha k_w$$

$$\mu_w = 1.79 \cdot 10^{-3} \text{ [Pa s] or [kg m}^{-1} \text{ s}^{-1}] \text{ for water at } 0^\circ\text{C} \quad \rightarrow \quad \alpha = 5.5 \cdot 10^6 \text{ m}^{-1} \text{ s}^{-1}$$

- Darcian flow assumes a wetting front.
- Does not account for preferential flow paths or for heat transport due to phase changes

→ Now we need to find k_w (permeability of snow for water [m^2]).



Realistic for snow?

Goal: Find k_w , the permeability of snow for water, which can be expressed as:

$$k_w = k S^{*n}$$

k = intrinsic permeability [m^2], (single phase flow at liquid saturation)

S^* = effective saturation, with $0 < S^* < 1$.

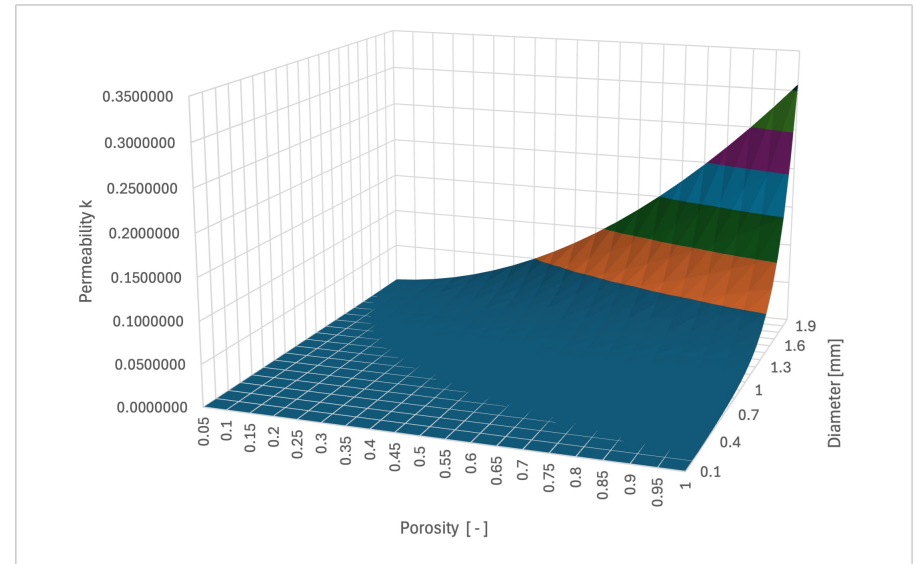
n = empirical const., $2 < n < 4$, with typical value being around 3.

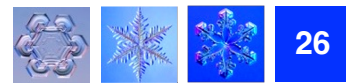
The intrinsic permeability, k , which is related to the mean grain diameter D [m], and the porosity ϕ [m m^{-3}] of the snowpack, is given by:

$$k = 0.077 D^2 \exp\left(-7.81(1 - \phi) \frac{\rho_i}{\rho_w}\right)$$

Empirical, experimental equation.

$k = f(D, \phi)$





The permeability is a function of saturation. Recall: $k_w = kS^{*n}$

Higher liquid saturation

→ higher k_w

→ higher flow rate

For instance, doubling of S^* increases k_w by a factor of 8 for $n=3$! ($(2x)^3 = 2^3 \cdot x^3 = 8 \cdot x^3$)

In porous media, the permeability during two-phase (unsaturated) flow is related to the level of **liquid saturation**, S_w , described by the **effective saturation**, S^* [-]; S^* is given as:

$$S^* = \frac{(S_w - S_{wi})}{(1 - S_{wi})}$$

S_w = liquid saturation (volume of liquid water per volume of pore space) [$\text{m}^3 \text{m}^{-3}$]

S_{wi} = **irreducible** liquid saturation (irred. vol. of liquid water per vol. of pore space) [$\text{m}^3 \text{m}^{-3}$]

Typically, $S^* \approx 0.1 - 0.2$ during normal melting conditions, and $S_{wi} \approx 0.05$.

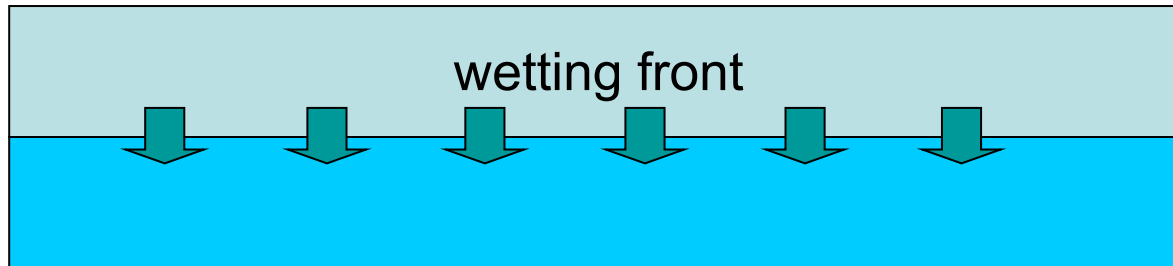
Low flow rate: $\approx 2 \text{ cm hr}^{-1}$, **High flow rate:** $\approx 20 \text{ cm hr}^{-1}$

Calculate an example for a given degree of saturation !

Combining the above theory with the continuity equation allows for predicting of the rate of water movement in snow for a given value of water flux as a function of time at various depths, i.e., the **propagation of the wetting front**, in contrast to the **flow velocity** (Colbeck, 1972, 1977):

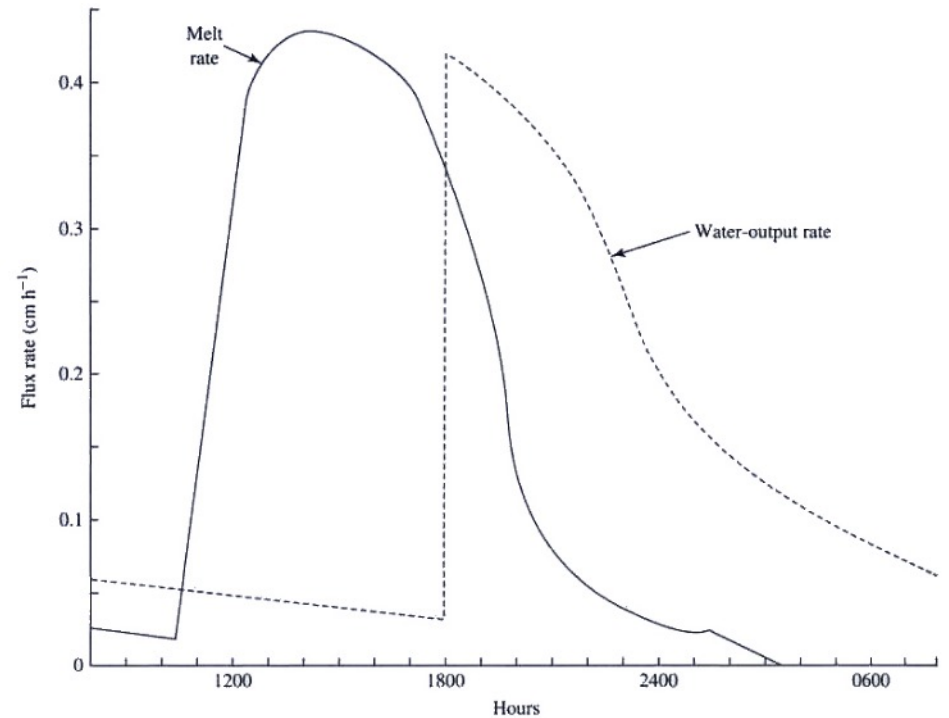
$$\left. \frac{dz}{dt} \right|_u = \frac{3\alpha^{1/3}k^{1/3}}{\phi(1 - S_{wi})} u_w^{2/3}$$

- $dz/dt |_{u}$ = speed of wetting front [m s^{-1}]
- α = $\rho_w g / \mu_w$ (cf. Darcy's Law) [$\text{m}^{-1} \text{s}^{-1}$]
- k = intrinsic permeability [m^2]
- u_w = flux of water due to melting and/or rainfall
- ϕ = porosity of snow [-]
- S_{wi} = irreducible liquid saturation [$\text{m}^3 \text{m}^{-3}$]



Recall: this is for homogeneous snow and a uniform water flux.

- Melt rate peaks in early afternoon.
- Melt starts at the surface, and the melt water percolates through the snowpack.
- Percolation speed increases as melt rate increases.
 - Water from peak melt overtakes melt from earlier.
 - Sharp wave front can develop.
- Lag is depth dependent.



Dingman 2002, Figure 5-26

Application of above theory matches reasonably well with experimental data.

Rapid gravity drainage of liquid water from snow.

85% of **accumulated** volume was collected within the first 2 hrs of drainage, i.e., preferential flow rather than slow matrix flow.

Experimental evidence for $2 < n < 4$ in equation for permeability, recall

$$k_w = kS^{*n}$$

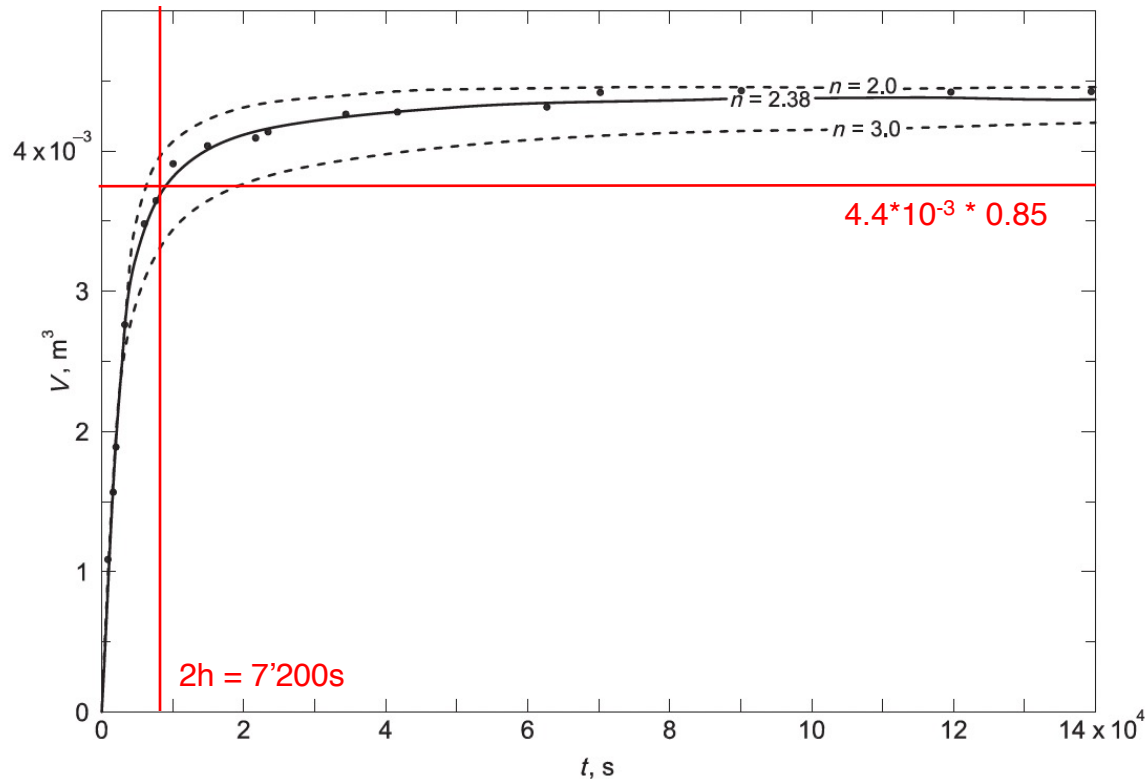
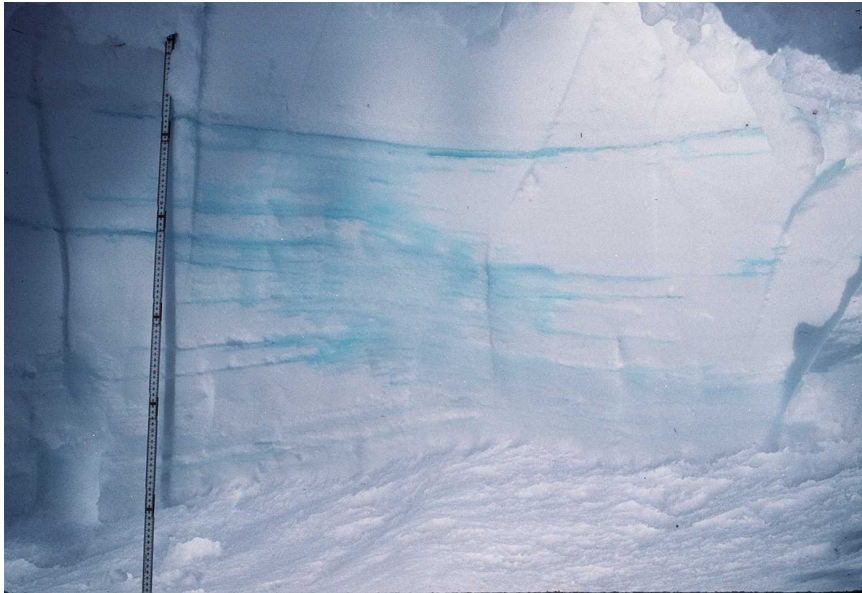
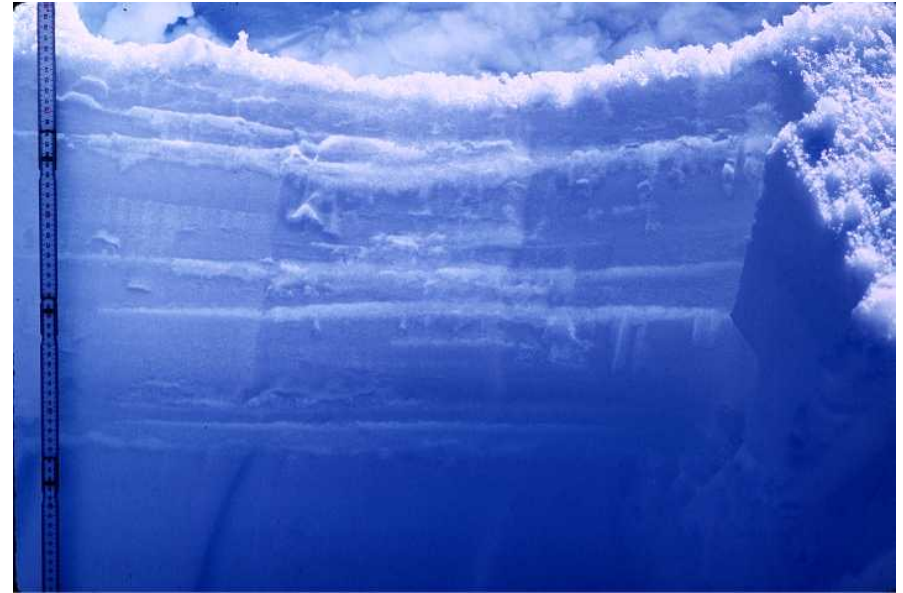


Figure 3.11 Accumulated drainage from melting snow core over time modelled with Darcy’s law with the assumption of negligible capillary effects (Denoth *et al.*, 1979, courtesy US Army, Cold Regions Res. Engin. Lab.) showing rapid initial and very slow later drainage of meltwater. Lines show fitted model with varying exponents “*n*” for the snowpack permeability function in Equation (3.11).

- Melt water movement in snow is very **complex** (often disagrees with theory).
- Snow is spatially **heterogeneous** (vertically and horizontally).
- Melt processes cause the snow grain size distribution (and other snow properties and conditions) to change rapidly. →→
- Erratic liquid water percolation patterns and behavior !!!



snow pit with dye



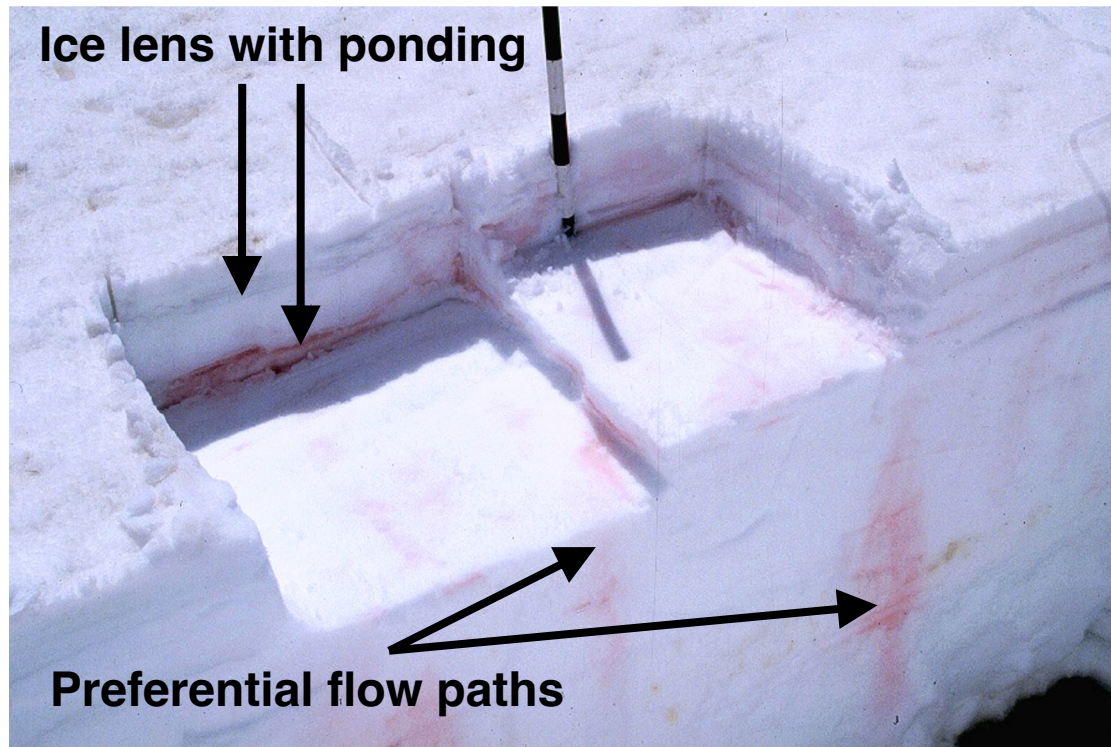
snow pit with backlighting

Shimuzu (1970) showed the intrinsic permeability of snow, k_w , varying by a factor of 100



Preferential flow paths and horizontal shunting

- Non-linear relationship between liquid water content and water flux in a preferential flow path.
- Flow is much faster than amount of liquid water content would suggest.
- Flow velocities range from 2-60 cm/hr.



In its standard version, the SNOWPACK model uses a **bucket scheme**. It retains water in a layer until the holding capacity (θ_h) has been reached, then water is passed on to the next layer.

$$\theta_h = \begin{cases} 0.0264 + 0.0099 (1 - \theta_i) / \theta_i, & \theta_i \leq 0.23 \\ 0.08 - 0.1023(\theta_i - 0.03), & 0.23 < \theta_i \leq 0.812 \\ 0, & \theta_i > 0.812 \end{cases}$$

The parameterization of the holding capacity above only considers **density**, but grain size is often considered as well.



... to **measure** and **model** liquid water flow in snow:

- Novel measurements of flow velocities in snow
- Richards Equation, Dual Domain Approach, and Ice Lenses

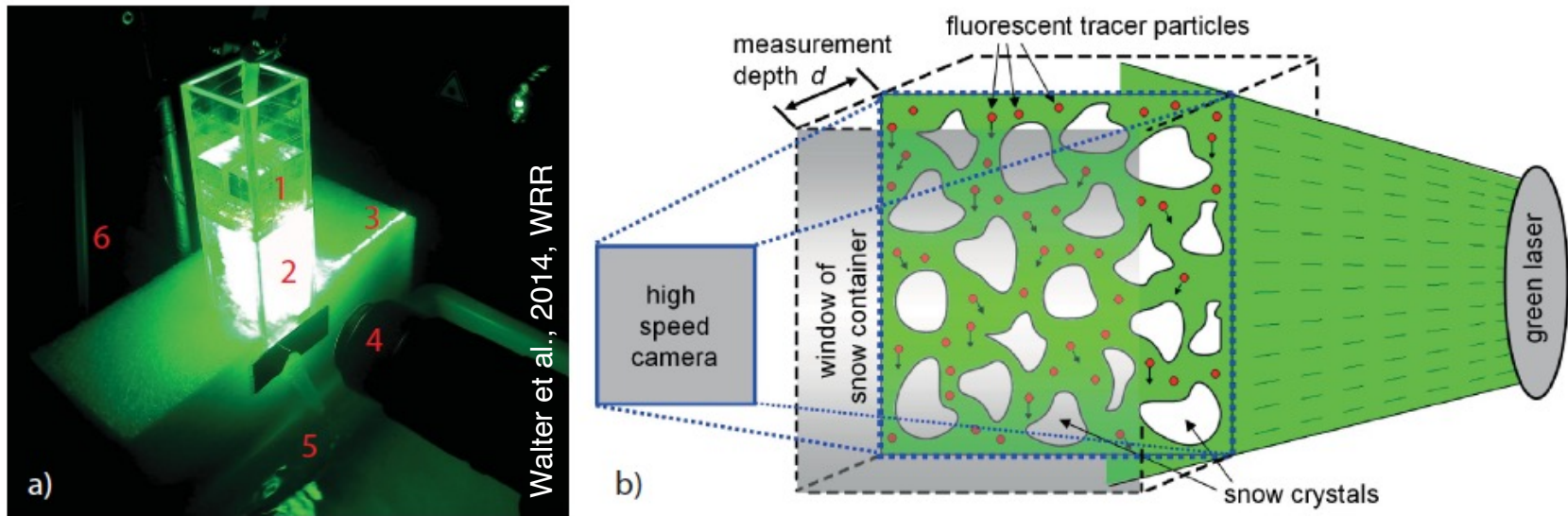


Figure 1. Experimental setup: (a) 1: upper reservoir with seeded water; 2: lower reservoir with wet-snow sample; 3: laser light sheet; 4: lens of high-speed camera with cut-on filter; 5: water basin; and 6: tube for pumping water into upper reservoir. (b) Schematic drawing of the measurement principle which is rotated by 90° clockwise in relation to Figure 1(a).

Reflections and refractions can disturb the images and velocity estimates.

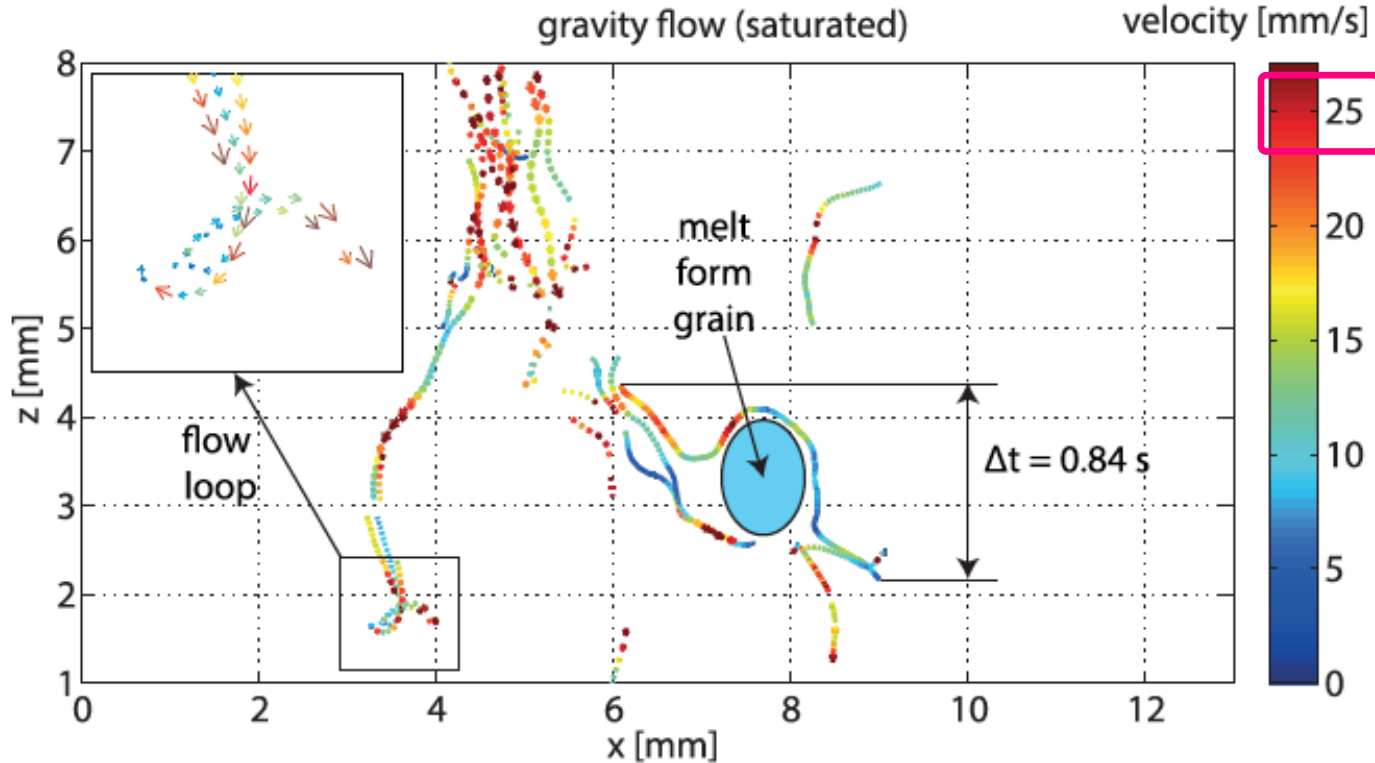


Figure 3. Particle trajectories for the **downward saturated gravity-driven flow**. Colors of arrows indicate particle velocities. The image shows about 30 individual particle tracks.

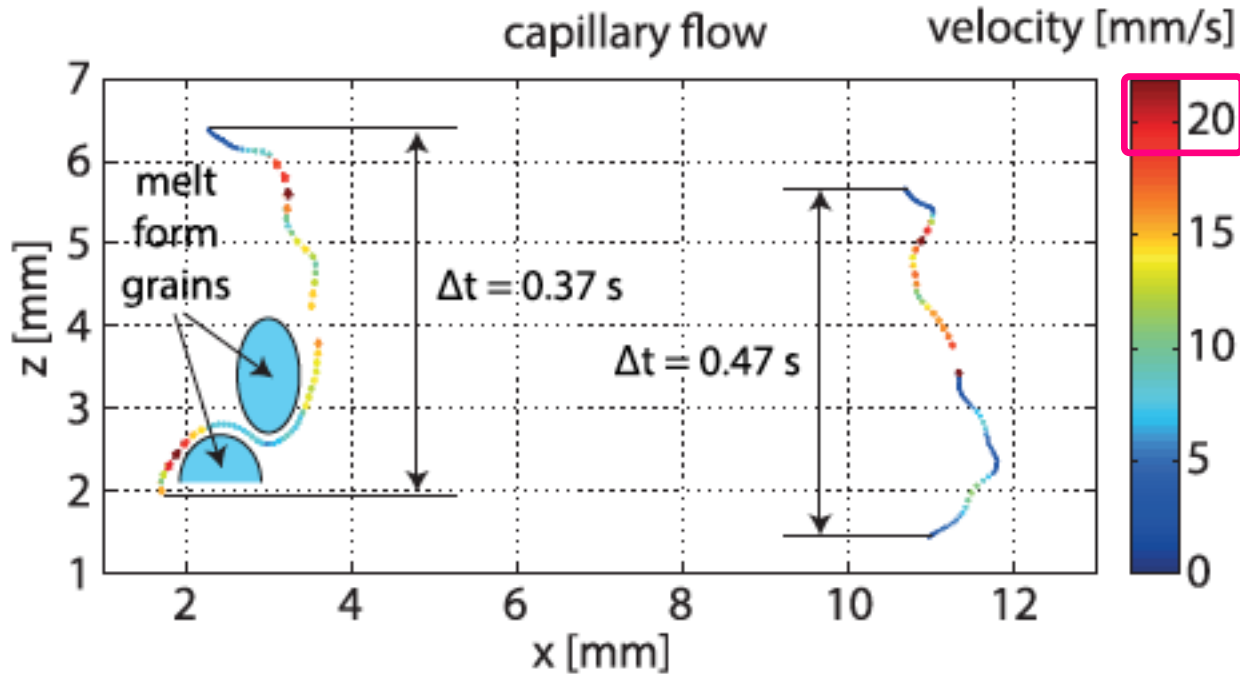


Figure 4. Particle trajectories for the upward flow driven by capillary forces. Colors of arrows indicate particle velocities.

Velocities are similar to saturated downward flow (cf. Fig.3, previous slide, i.e., quite fast).

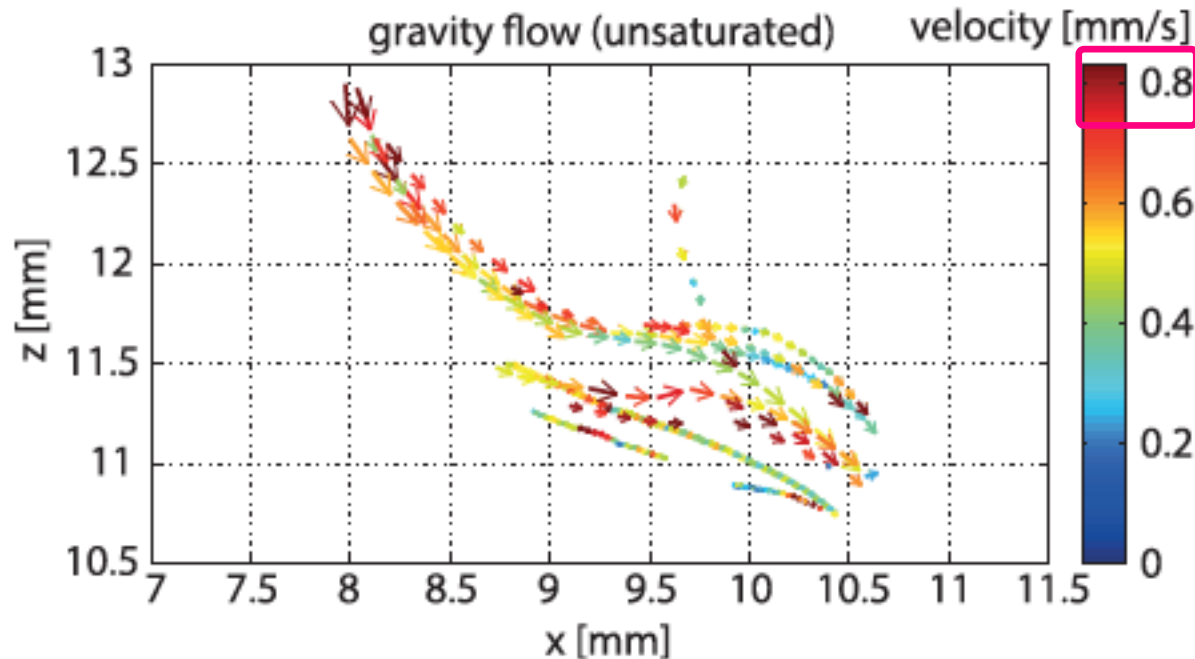
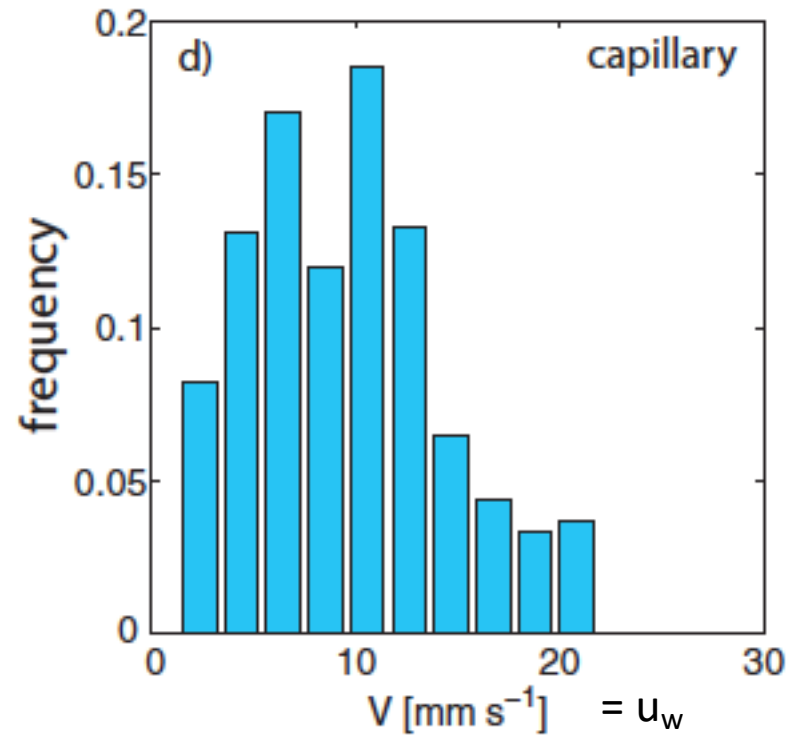
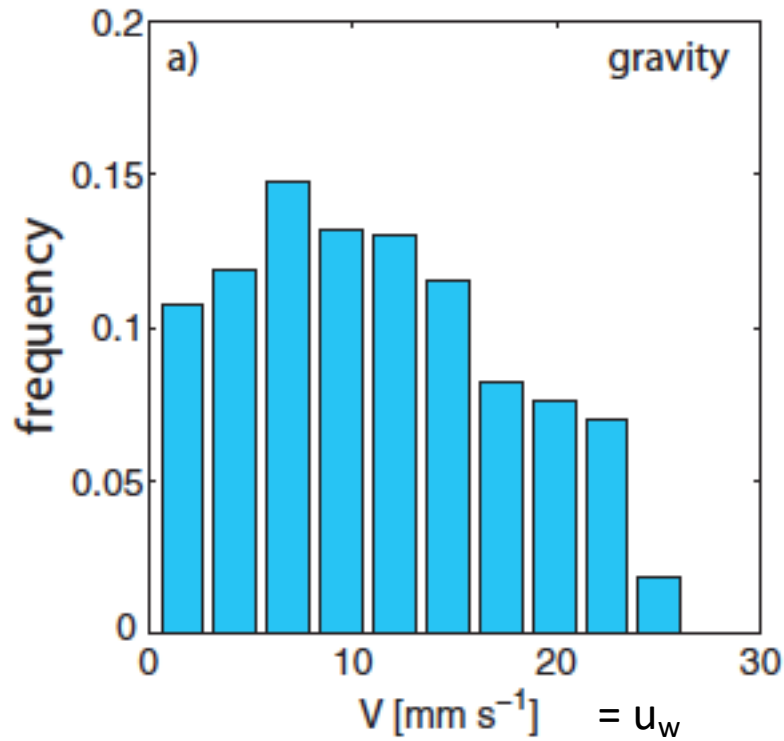
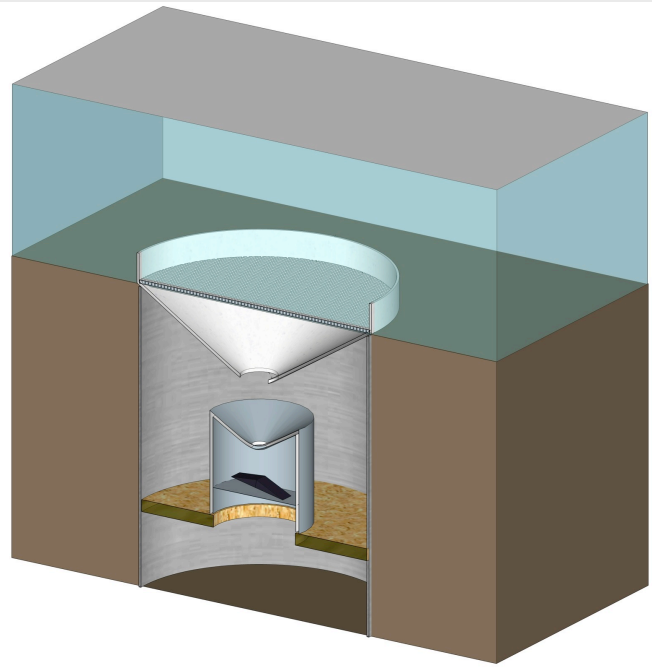


Figure 5. Particle trajectories for the **downward unsaturated gravity-driven flow**. Colors of arrows indicate particle velocities. The figure represents a zoom into a region of the recorded images where particles were successfully tracked.

Velocities are **much smaller** in downward UNSATURATED (probably gravity) flow than in both downward saturated and upward unsaturated flow (cf. previous slides).



- Snow lysimeter: → Snowpack liquid water output
- Soil moisture probes: → Soil moisture and temperature
- Stream runoff: → Discharge gauging stations



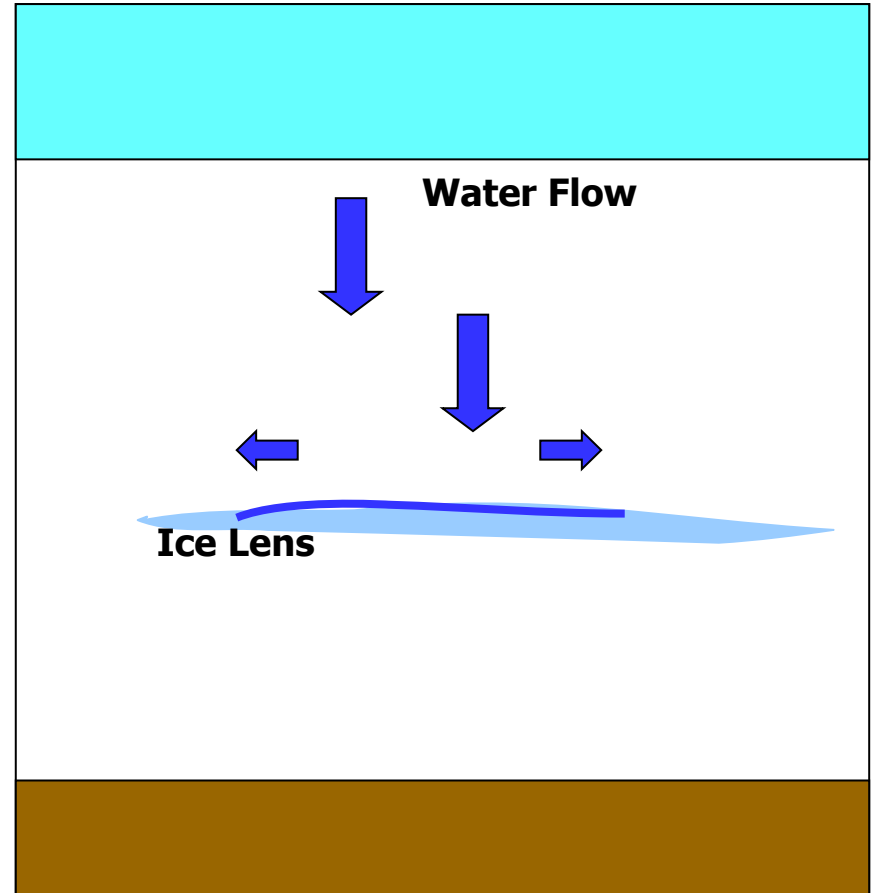
Ice Layers:

Develop from refreezing of internal melt

Relatively **impermeable** to subsequent flow and water vapor

Forces **ponding** of water and **lateral flow**

Flow fingers = preferential flow paths and **ice lenses** can redirect flow over several m²
[Kattleman, 1989]



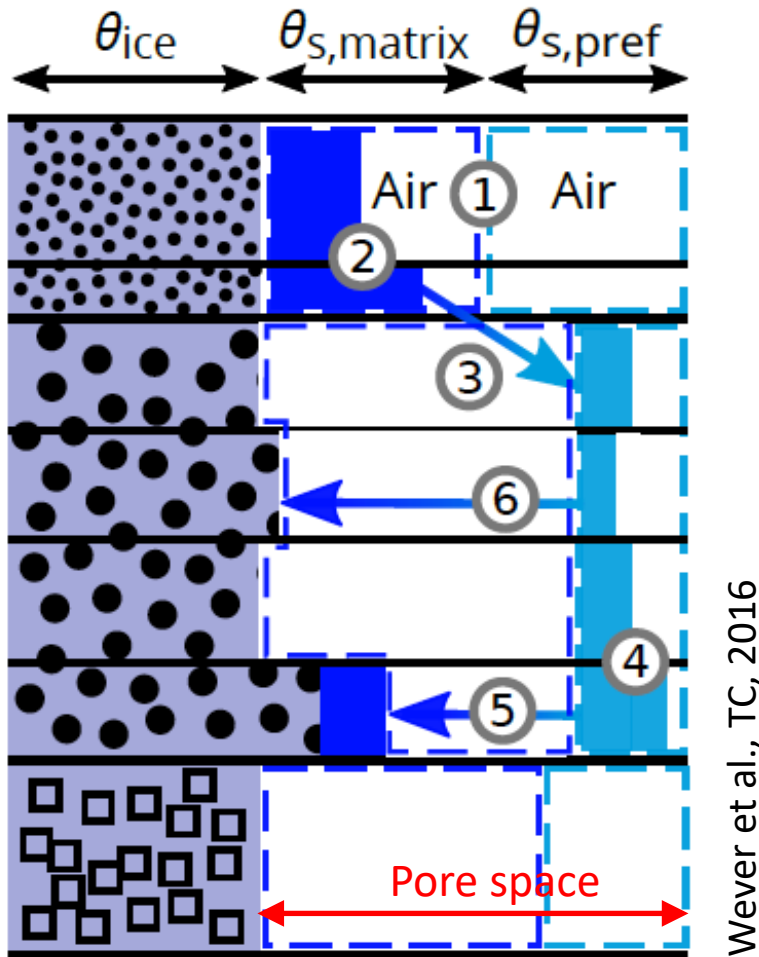


Figure 1. Schematic overview of the dual domain implementation for the SNOWPACK model, in which the pore space that can be occupied by liquid water is separated into a part for matrix flow ($\theta_{s,matrix}$) and a part representing preferential flow ($\theta_{s,pref}$). The numbers refer to processes described in the text.

Accounting for Preferential Flow!

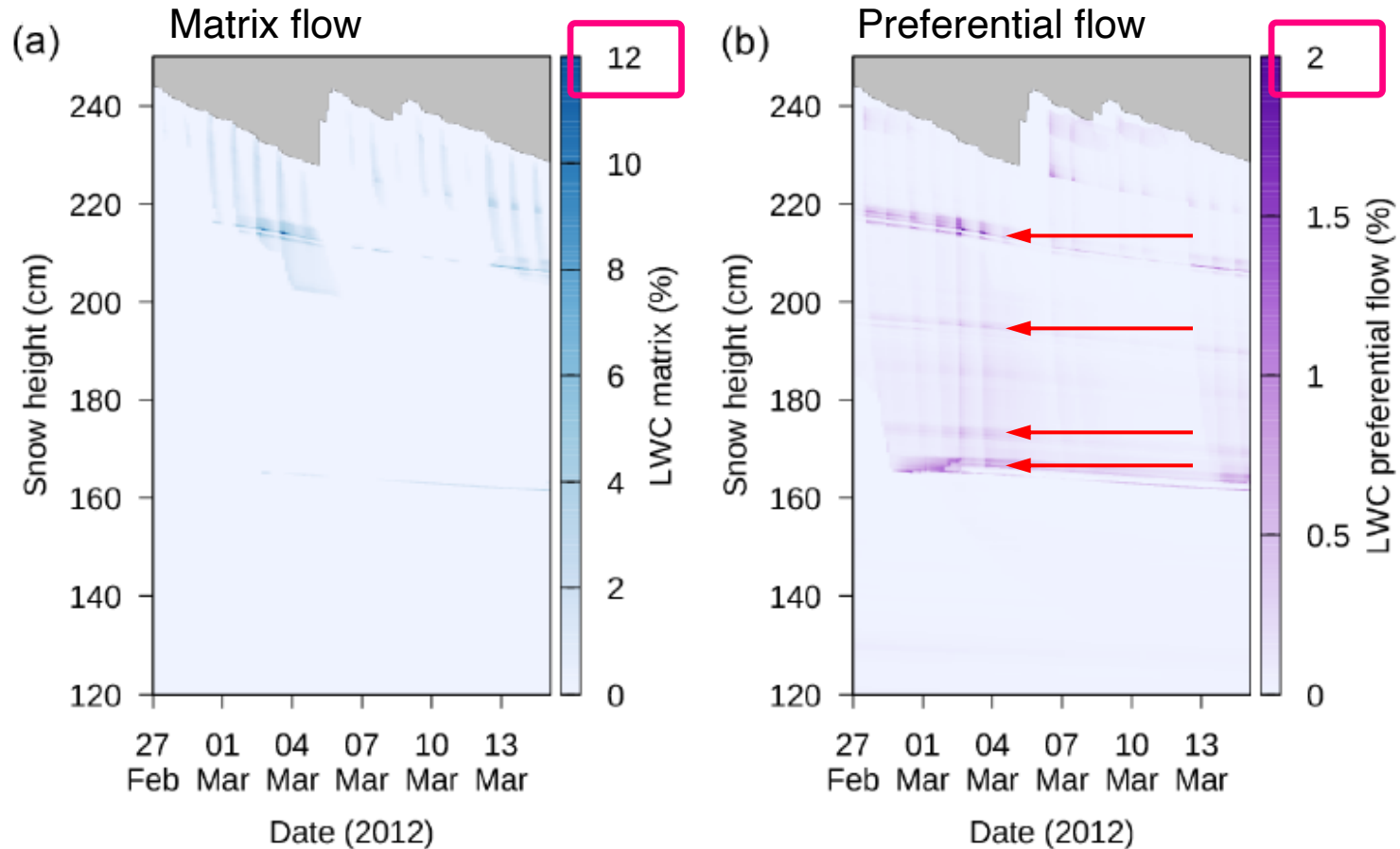
If pressure head exceeds water entry pressure head of layer below water moves from matrix to preferential flow (2).

If the saturation in the preferential flow path exceeds a threshold, water moves back to the matrix domain (5).

Only the matrix part is allowed to undergo phase changes, and ice layers form when water moves back from preferential flow to matrix flow and refreezes.

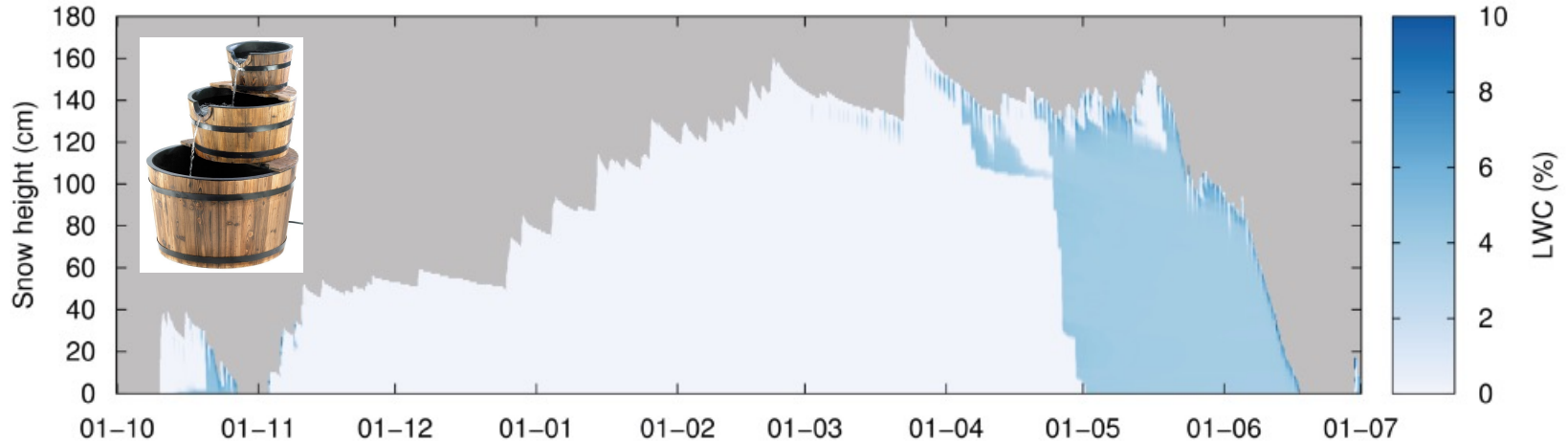
Preferential flow always remains in the liquid phase. Refreezing of preferential flow water is mimicked by moving water from preferential flow to the matrix flow domain (6).

Richards Equation:
Describes movement of water in unsaturated porous media.

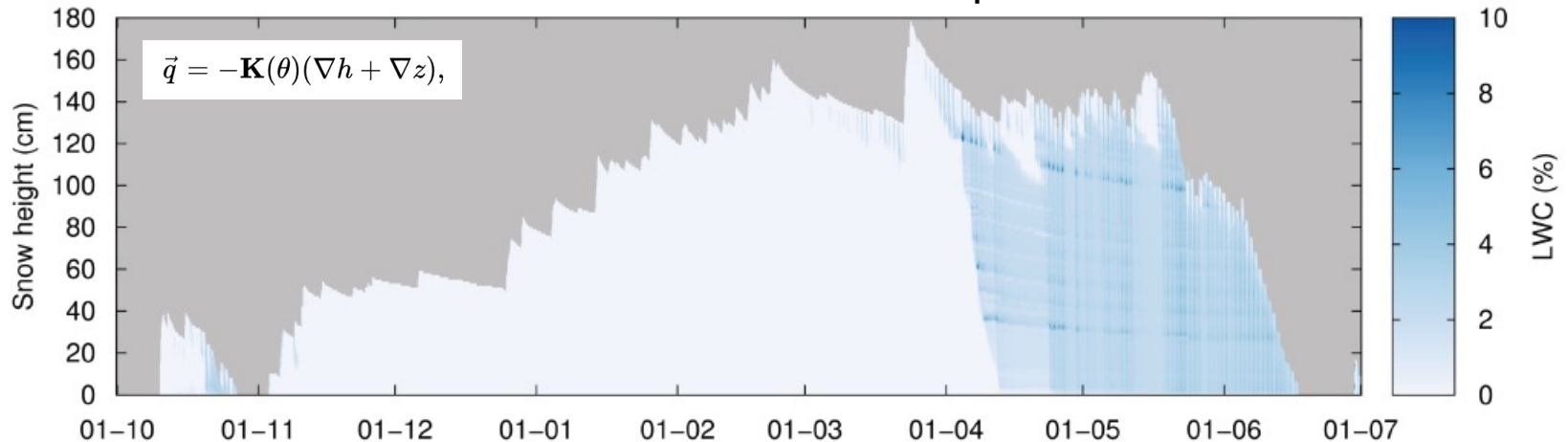


Liquid water as preferential flow is faster than in matrix flow.
Preferential snow drains the snowpack faster; matrix flow retains more water.
Preferential flow reaches deeper sub-freezing layers. → Ponding and ice layers.

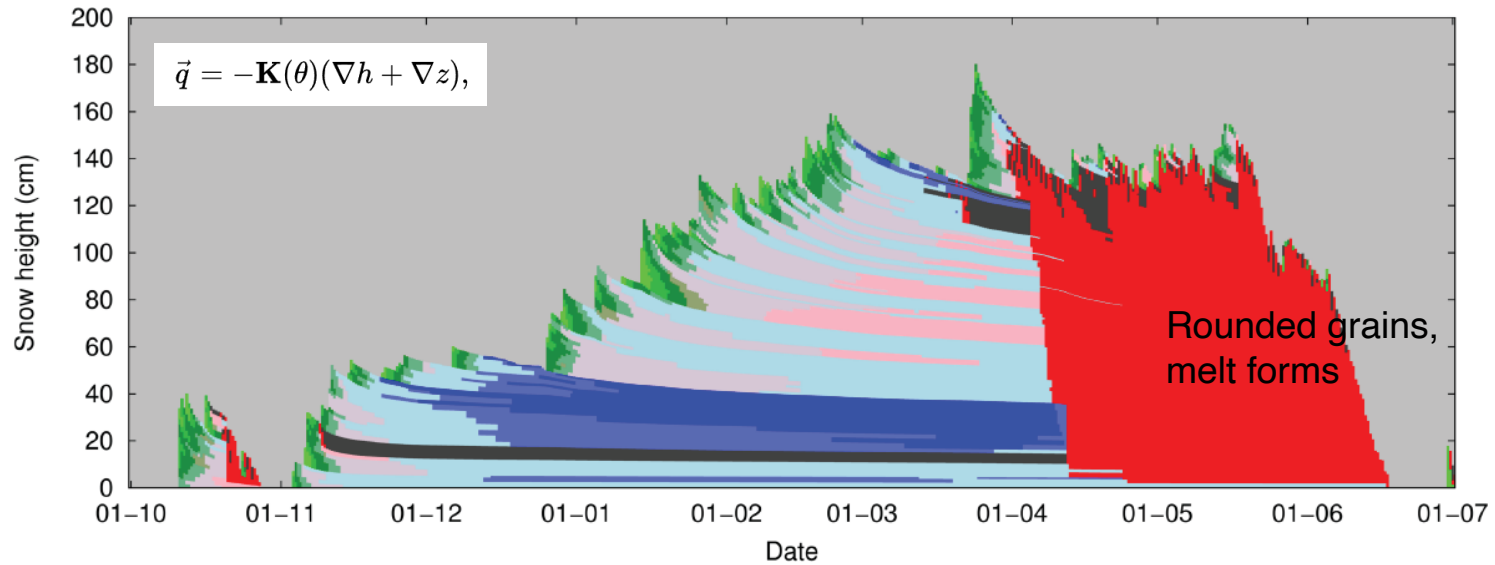
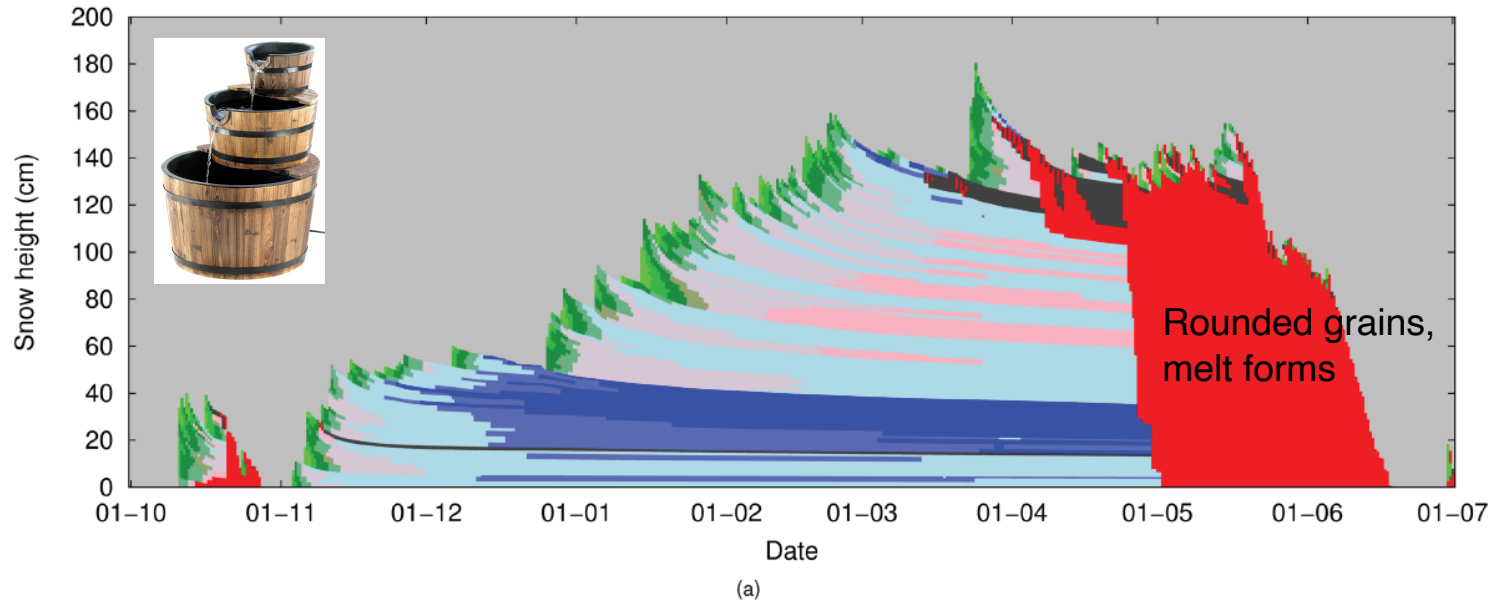
SNOWPACK Bucket Scheme



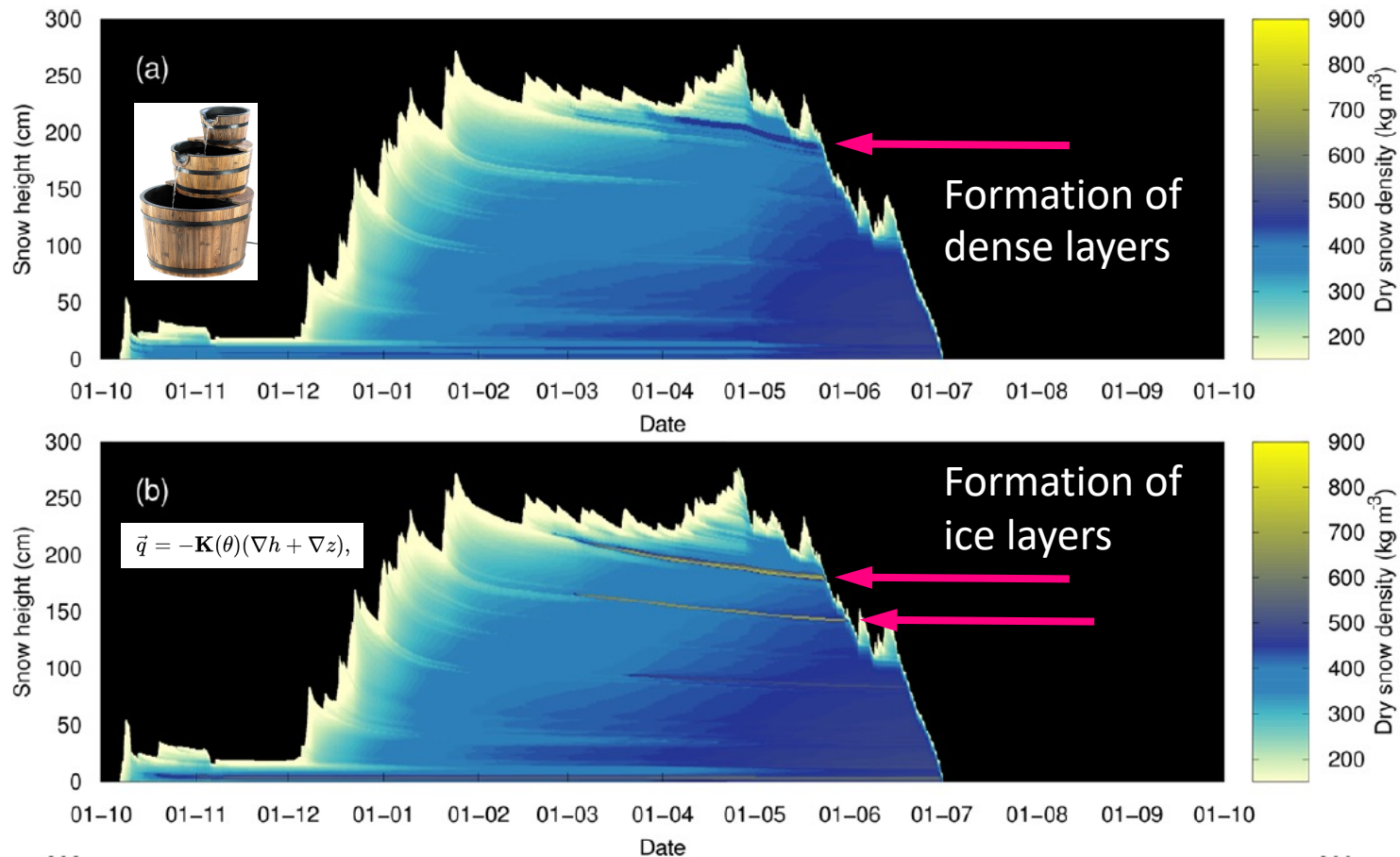
SNOWPACK Richards Equation



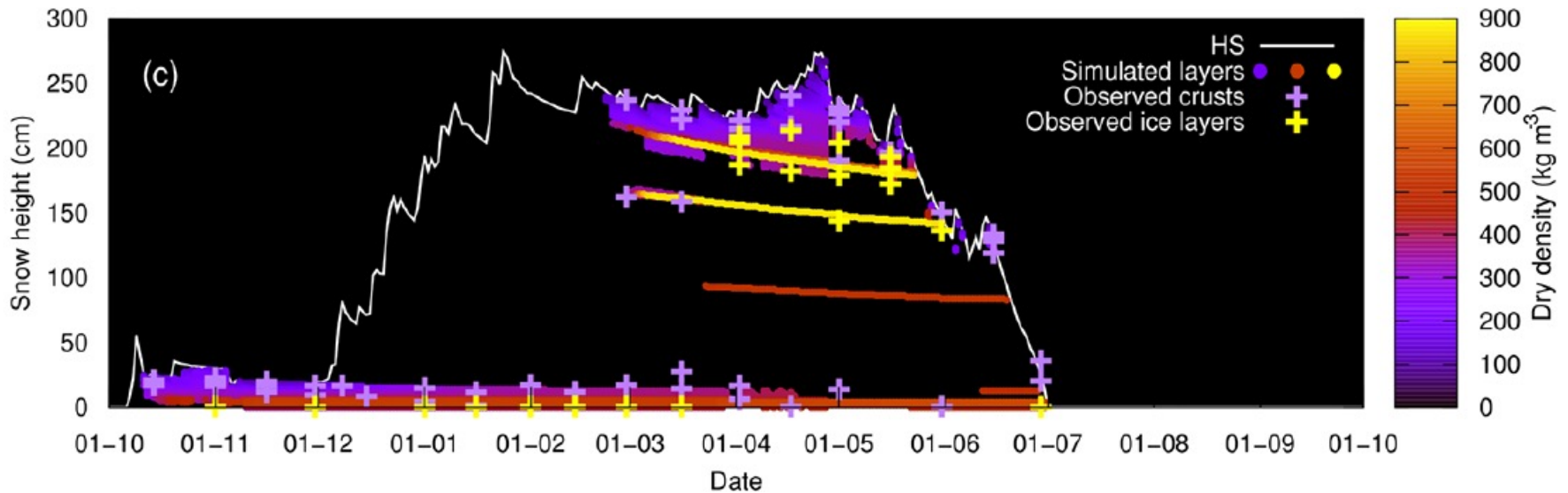
- Faster wetting of entire snowpack and thus earlier runoff formation (closer to observations).
- Ponding of water at grain size (type) transitions, i.e., layer interfaces.



Preferential flow is necessary to have sufficient water transport to sub-freezing layers, where water can pond and then form an ice layer. The comparison shows the formation of ice layers in panel (b) as opposed to just denser snow layers in (a).



Simulated ice layers and high-density crusts compare well with observations.



Snowmelt dynamics observed and simulated with the **Snowpack** and **StreamFlow** models in sub-catchments of the Dischma Valley, Davos, GR.

BK: Bucket Scheme, **RE**: Richards Equation

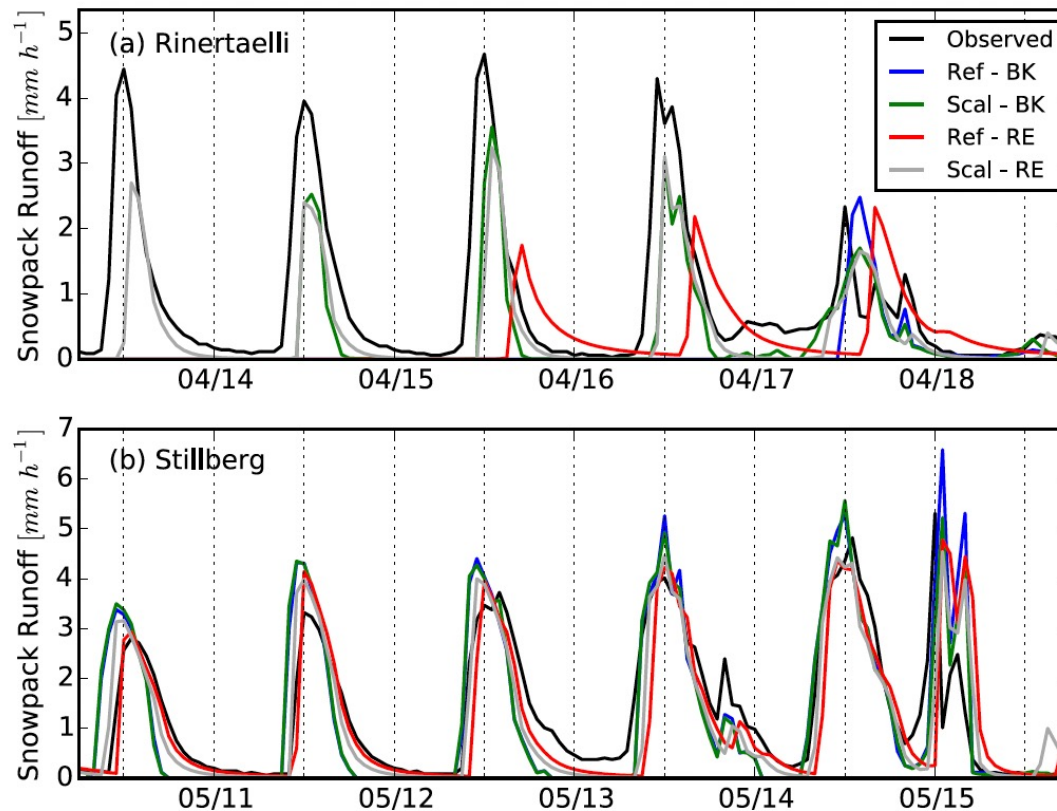


Figure 5. Comparison of observed and simulated liquid water output at the base of the snowpack in (a) Rinertaelli and (b) Stillberg for the four model configurations.

An existing snow cover may:

- Initially retard runoff formation
- Lead to overall increased runoff
- Change timing of peak runoff

Rain On Snow (ROS) events:

- Drastically change snowpack properties
- Can lead to surface or internal crusts
- Have had disastrous consequences

Def.: **runoff excess** = runoff – precipitation

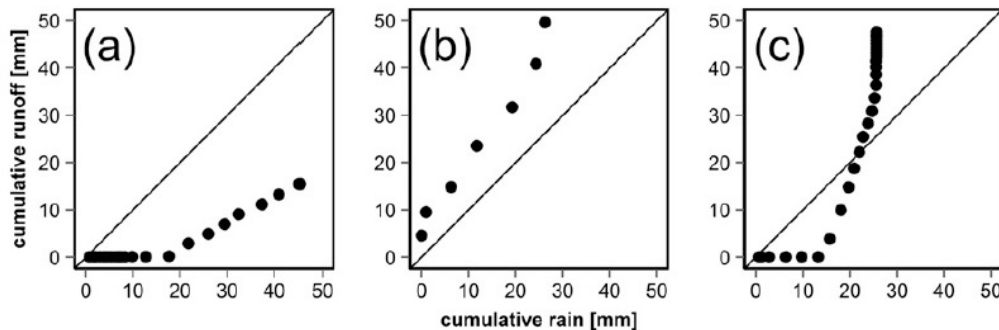
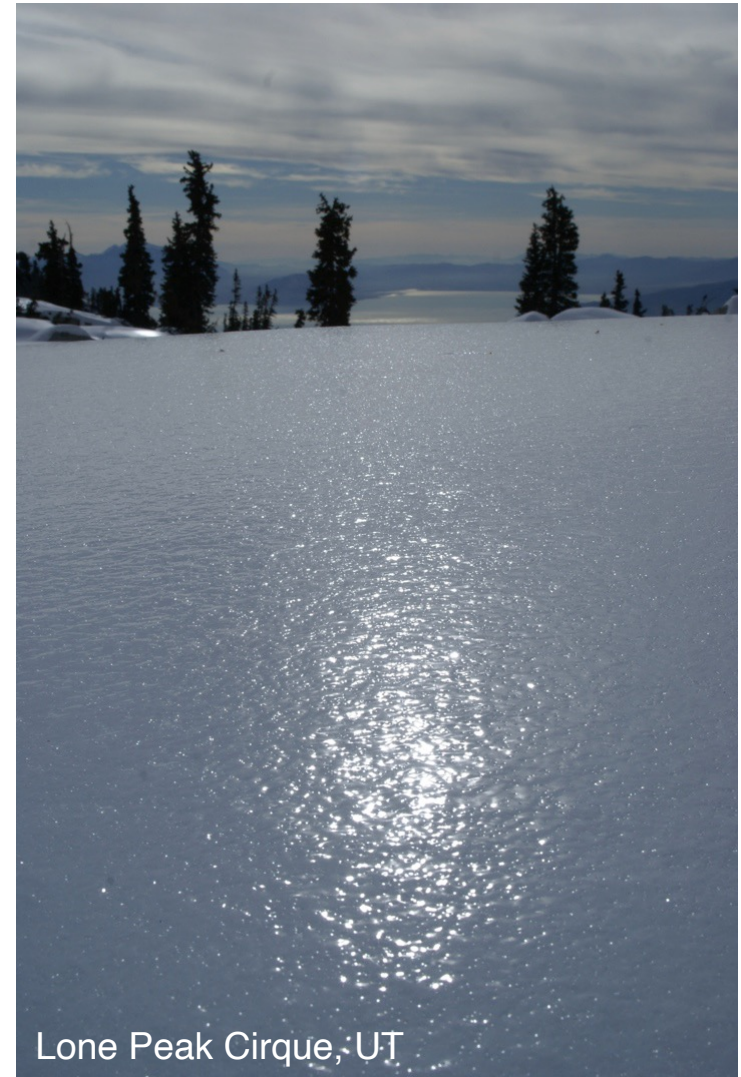


FIG. 4. Temporal trajectory of the ratio between cumulative snowpack runoff and cumulative rain input at hourly time steps for three ROS event patterns.



Oroville Dam nearly failed
in 2017 after a ROS event.
188'000 evacuees,
USD 1 Billion damage!



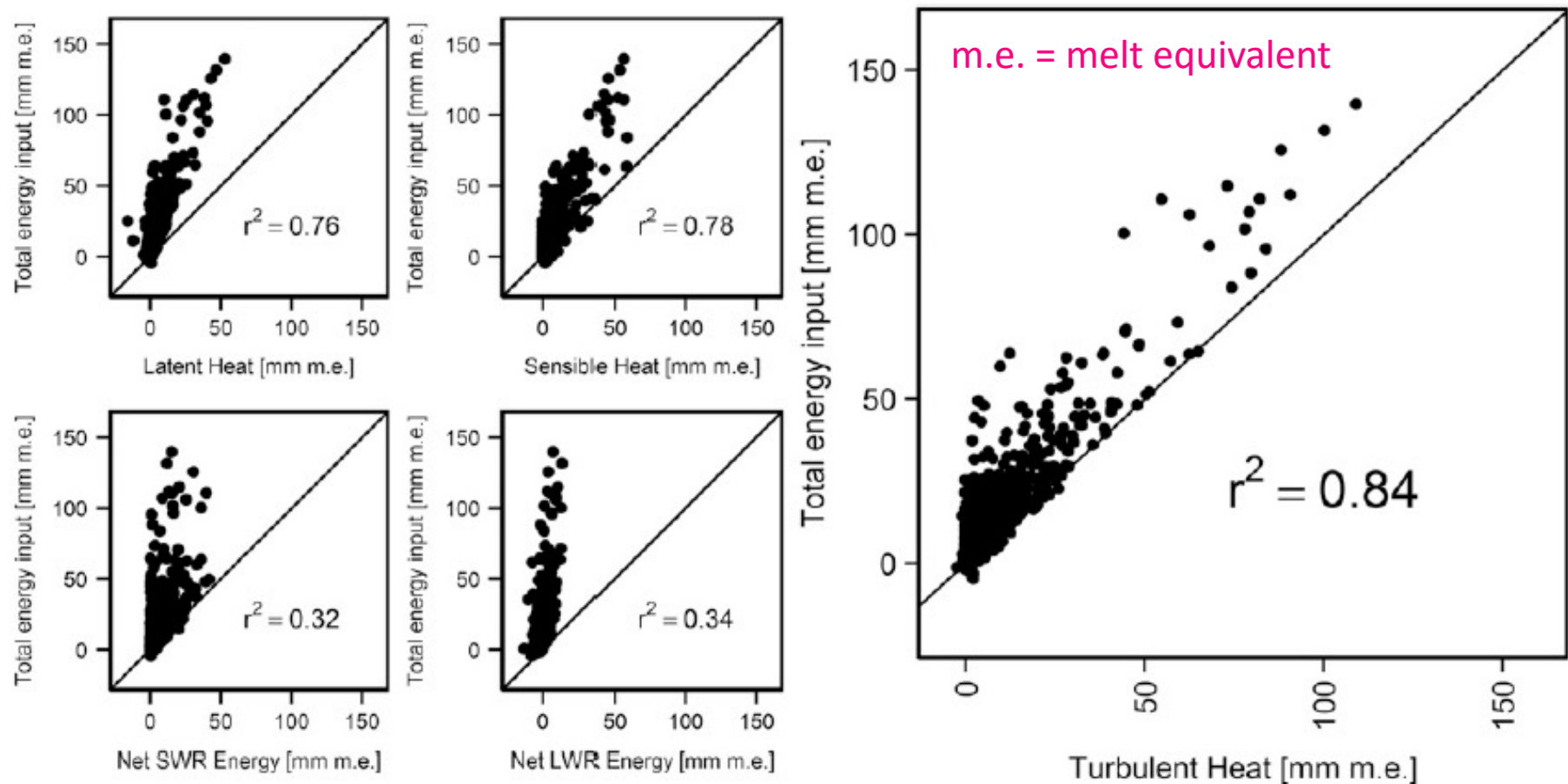


FIG. 5. Contribution of single energy balance terms to the total energy input to the snowpack during all ROS events analyzed: latent heat, sensible heat, net shortwave radiation, net longwave radiation, and turbulent (sensible plus latent) heat flux (mm m.e.). Ground heat flux and heat advected by rain are not shown.

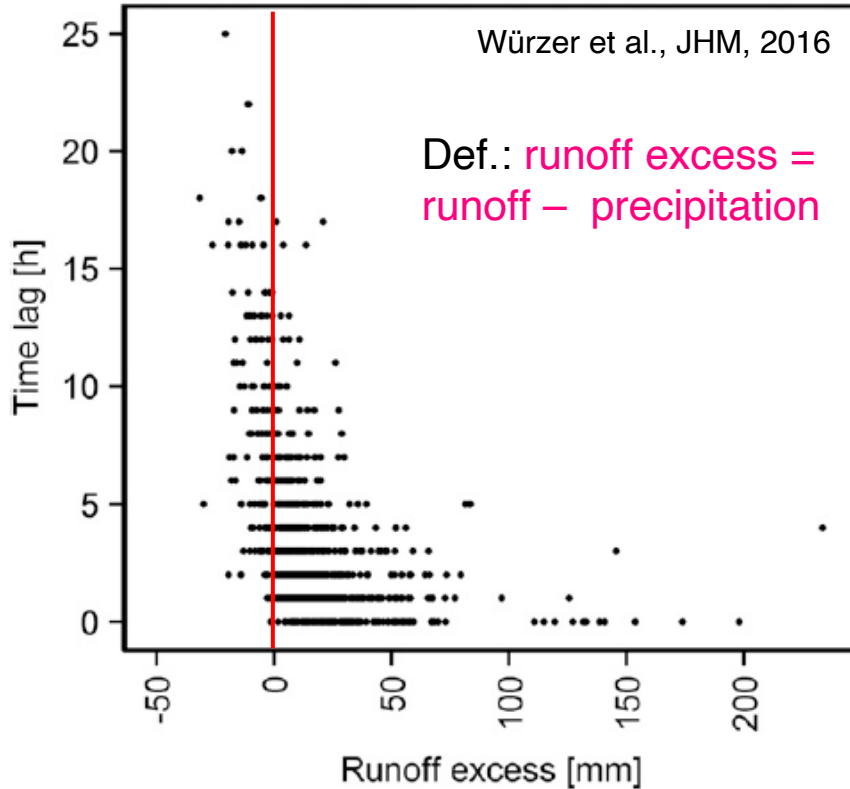


FIG. 6. Time lag between the start of rainfall and the start of snowpack runoff as it relates to runoff excess. Events without runoff are excluded from the figure (no time lag).

Events with large time lag typically do **NOT** produce large runoff excess.

Events with short time lag typically produce **LARGE** runoff excesses.

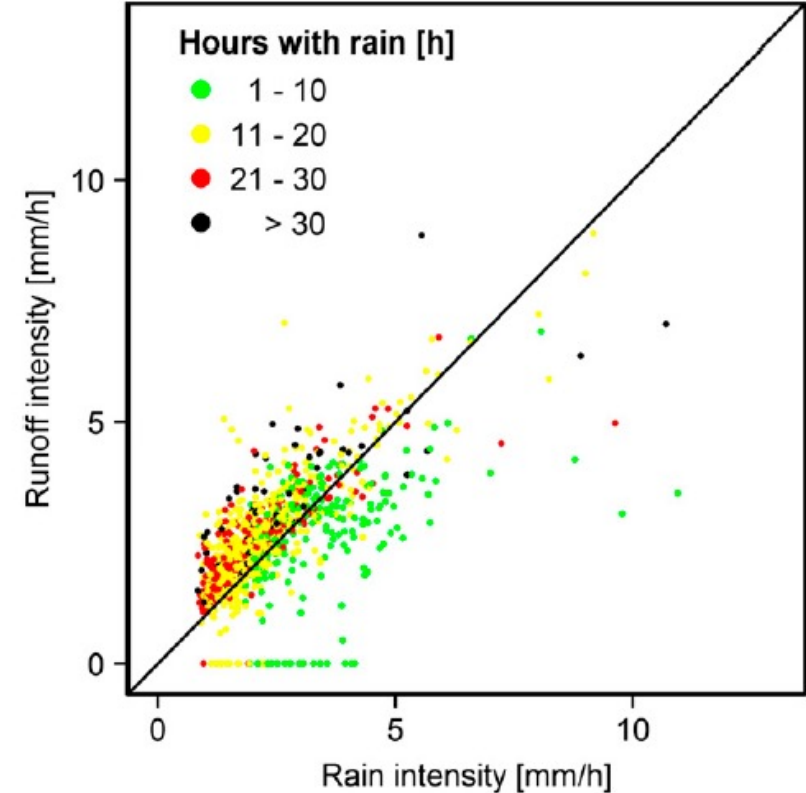


FIG. 9. Runoff intensities (averaged over the duration of runoff) vs rainfall intensities (averaged over the duration of rainfall) for rainfall events of different length.

For intense and short rain events, the snow cover **attenuates** discharge intensities.

For moderate and longer rain events, the snow cover **amplifies** discharge intensities.

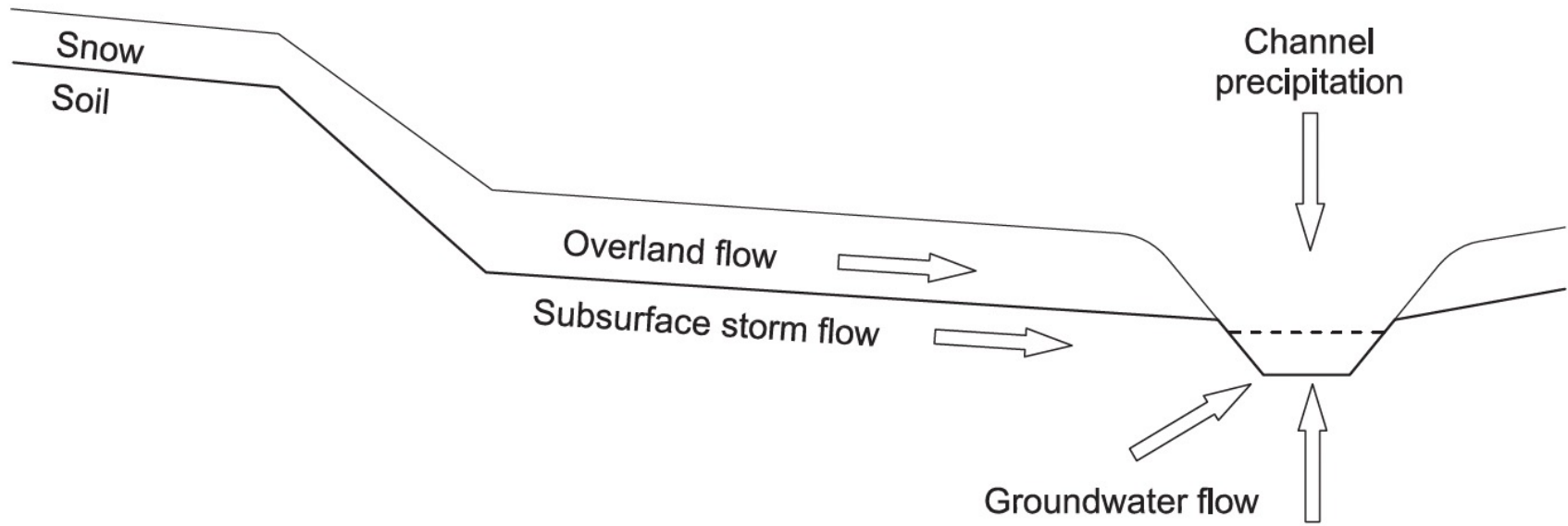


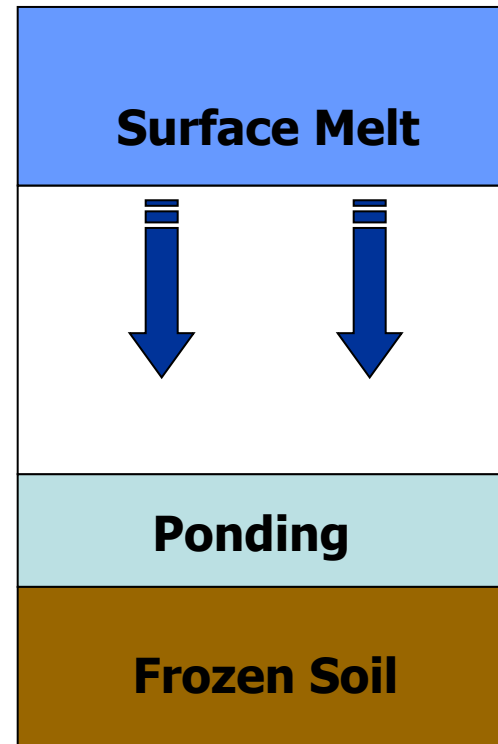
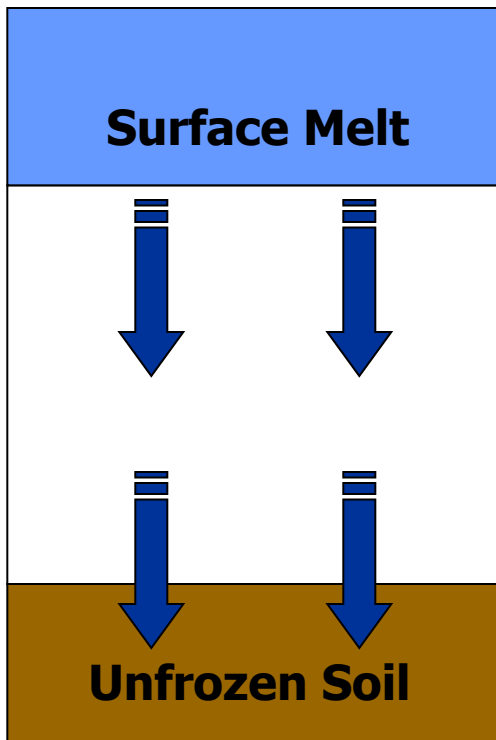
Figure 9.1 Diagram showing four major hydrologic flow paths possible for snow-fall and meltwater.

Infiltration rate vs. output rate. Depends on the state of soil.

Depends on slope, snowpack, and soil conditions.

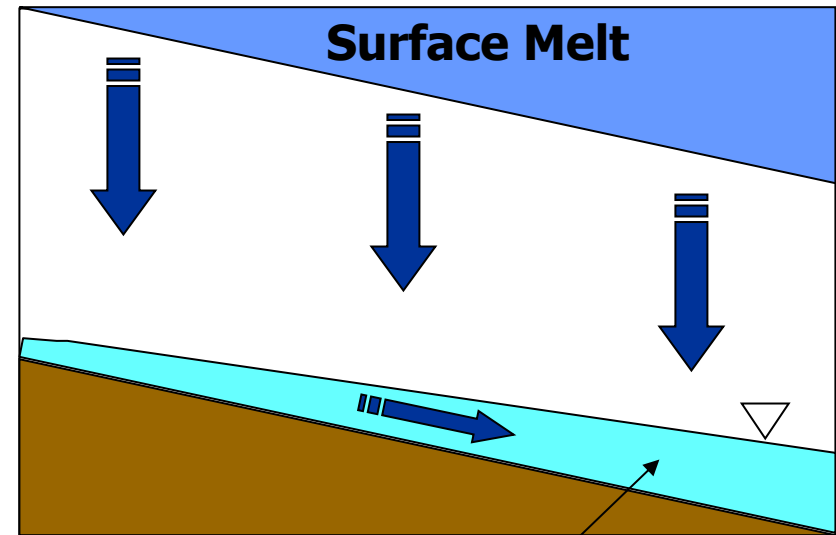
Snowmelt encountering **thawed**, permeable soil, at a rate less than the **infiltration rate**, will enter the soil. In this case it behaves much like rainfall would.

Snowmelt encountering **frozen** soil at the base of the snowpack, or other impediments to infiltration, may **pond** at the snow/soil interface.

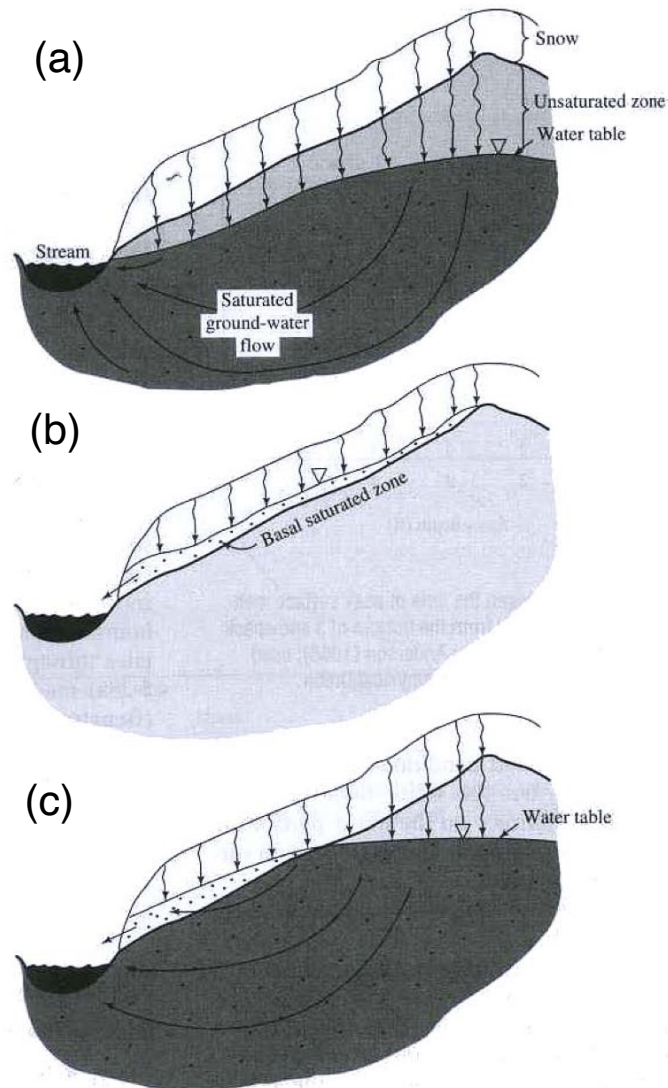


Sub-nival flow on a slope

- Lateral flow of basal ponded water may develop, depending on slope. If snow is still present, lateral flow is still through a porous medium.
- Liquid water at the base of a snowpack causes rapid destruction of small snow grains, leaving larger grains, allowing for more rapid flow (positive feedback).



Thickening of Basal Flow Layer



The water table is deep, and percolating meltwater infiltrates to raise the water table inducing increased groundwater flow to the stream.

Saturation excess, or the water table is at the soil surface, or the soil surface is impermeable (e.g., frozen ground), then percolating meltwater forms a basal saturated zone.

The lower portion of the water table rises above the ground surface into the snowpack. Water in the upper part of the slope moves as in (a), and the water in the lower part of the slope behaves as in (b).

Basal ice development

On shallow slopes, ponded meltwater may **refreeze** (at the base of the snowpack), forming **ice layers** that may **impede** further meltwater infiltration into the soil.



Figure 9.4 Rapid delivery of meltwater as overland flow on frozen ground in a pasture swale that has turned the snow into a slush layer. See also color plate.

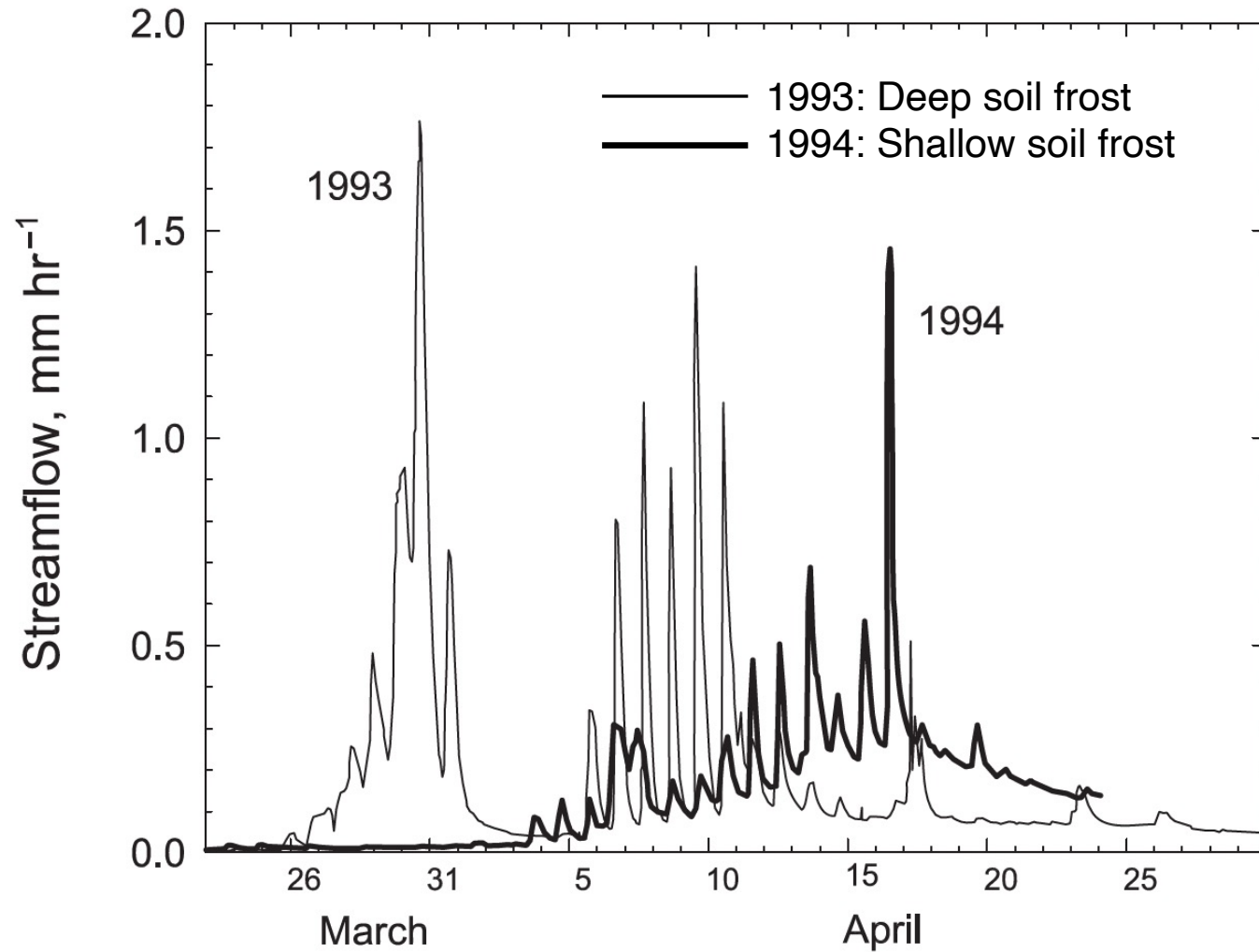


Figure 9.3 Streamflow from snowmelt in 1993 with deep soil frost and 1994 with shallow soil frost on a Vermont agricultural watershed (Shanley and Chalmers, 1999 © 1999 John Wiley & Sons Limited, reproduced with permission).

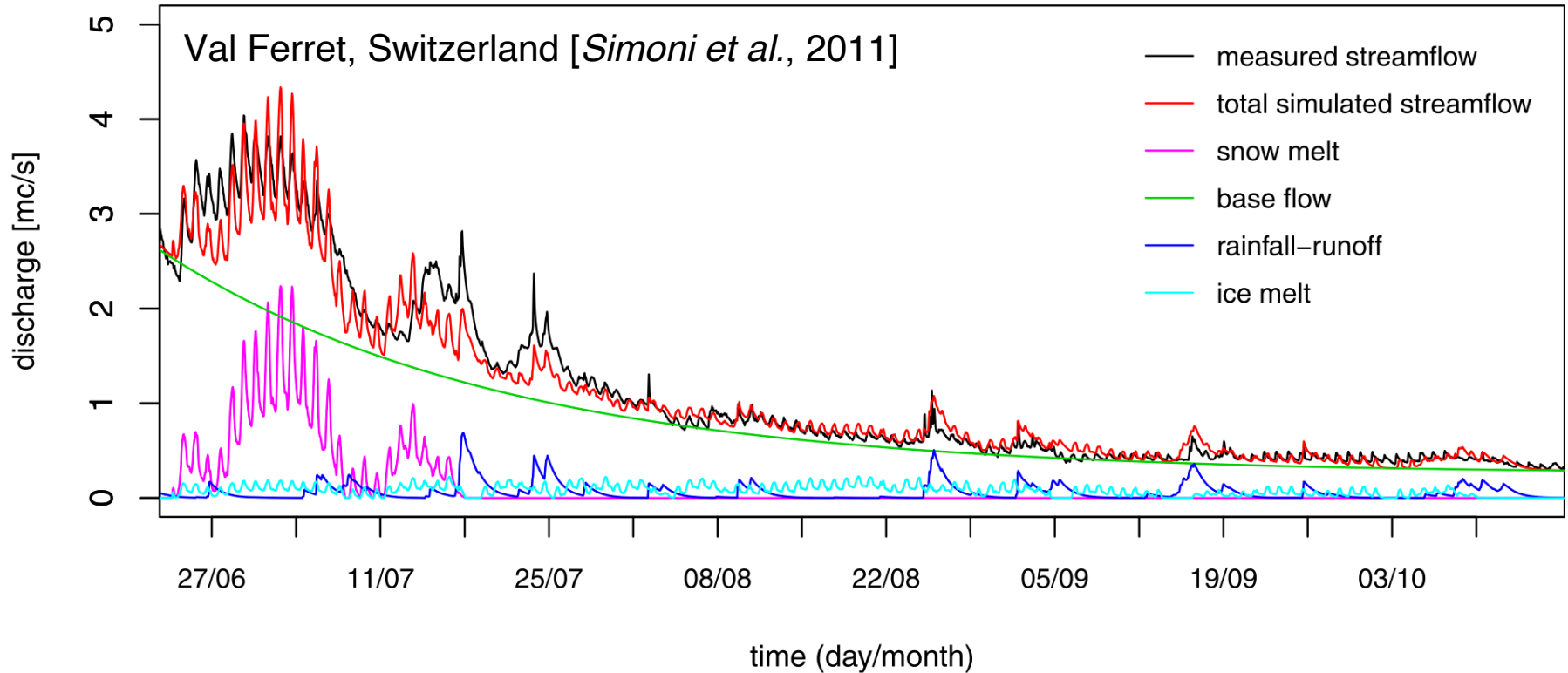
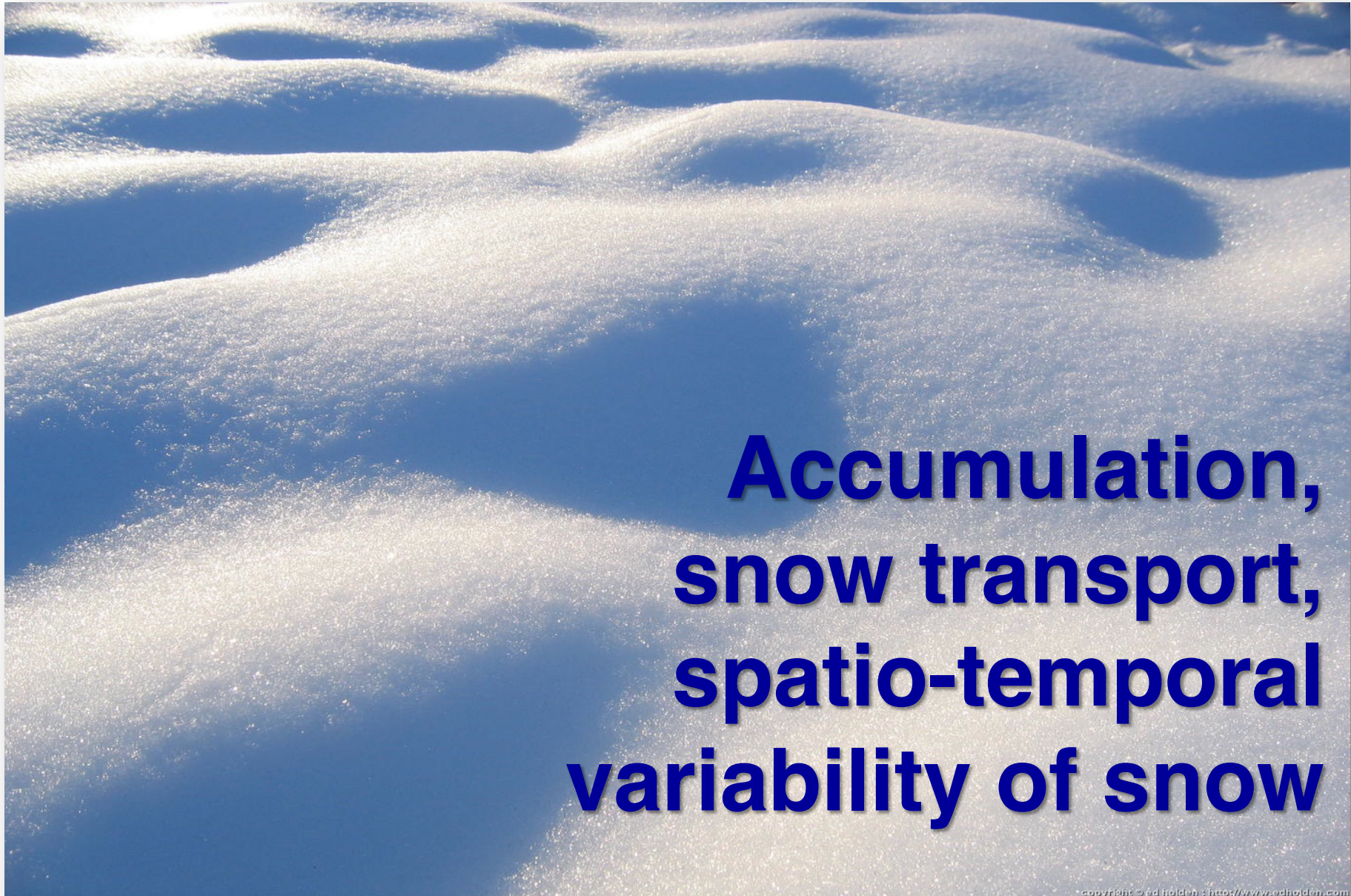


Figure 12. Simulated discharge (red line) obtained with the lumped model using spatially averaged air temperatures compared to streamflow measurements (black line). The four modeled components contributing to the streamflow are displayed with different colors: the snowmelt runoff (pink line), the ice melt runoff (light blue line; see (3)), the rainfall runoff (dark blue line; see (5)), and the base flow (green line; see (6)).

Snowmelt in the Alps...





**Accumulation,
snow transport,
spatio-temporal
variability of snow**