La première bissectrice est
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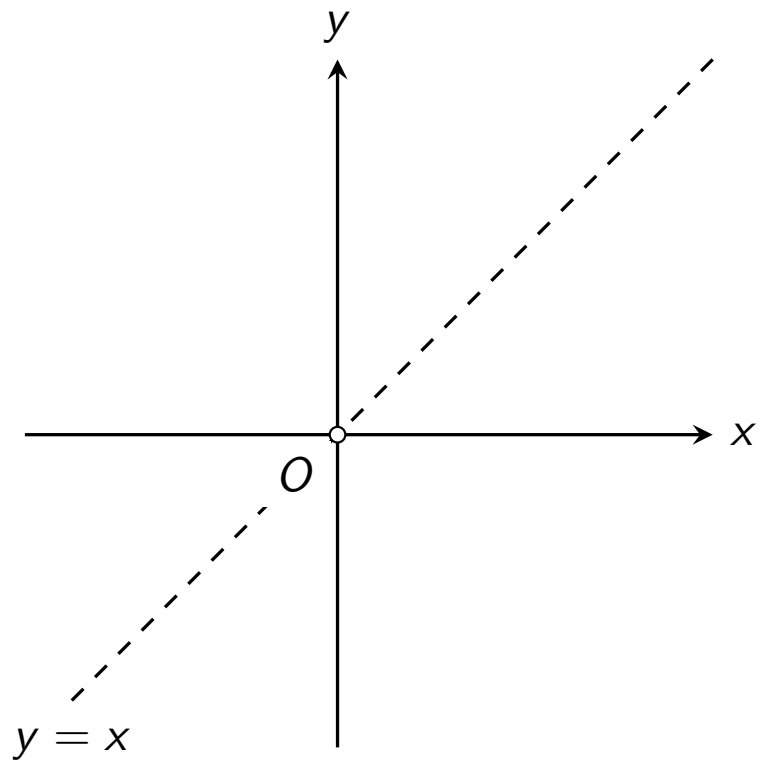

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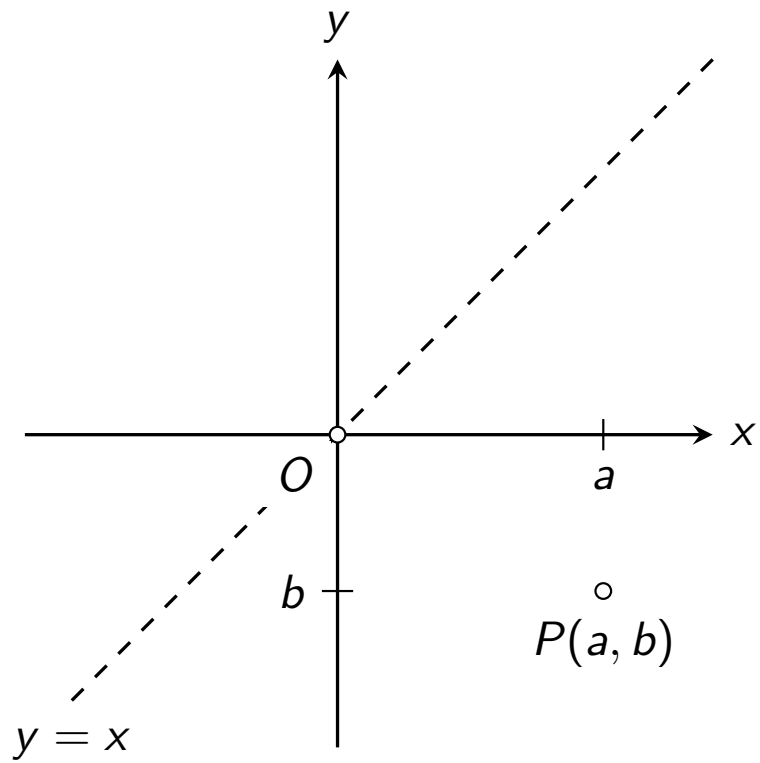
Soit $P(a, b)$ un point du plan.



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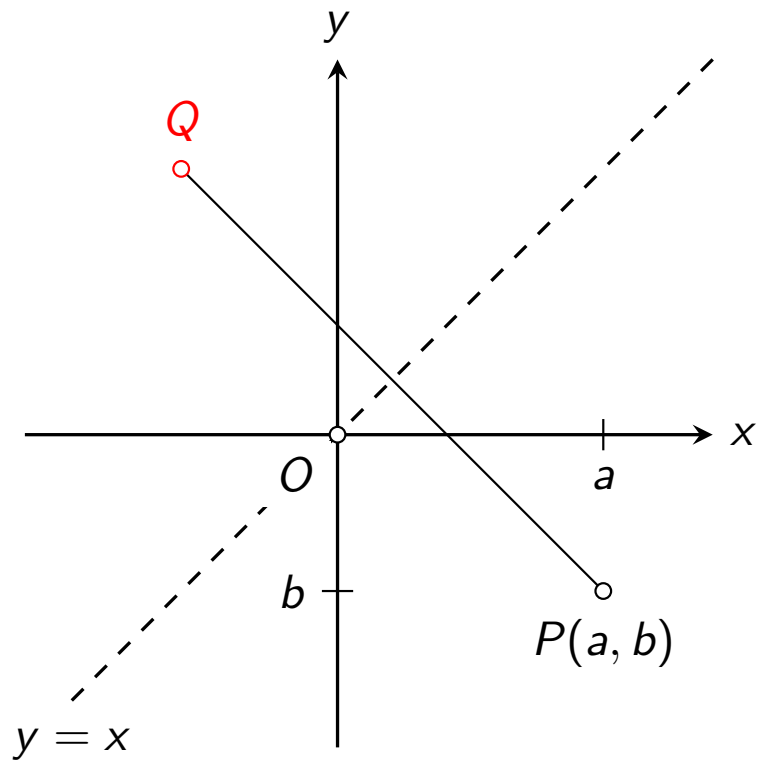
Le point Q symétrique de P par
rapport à la droite d



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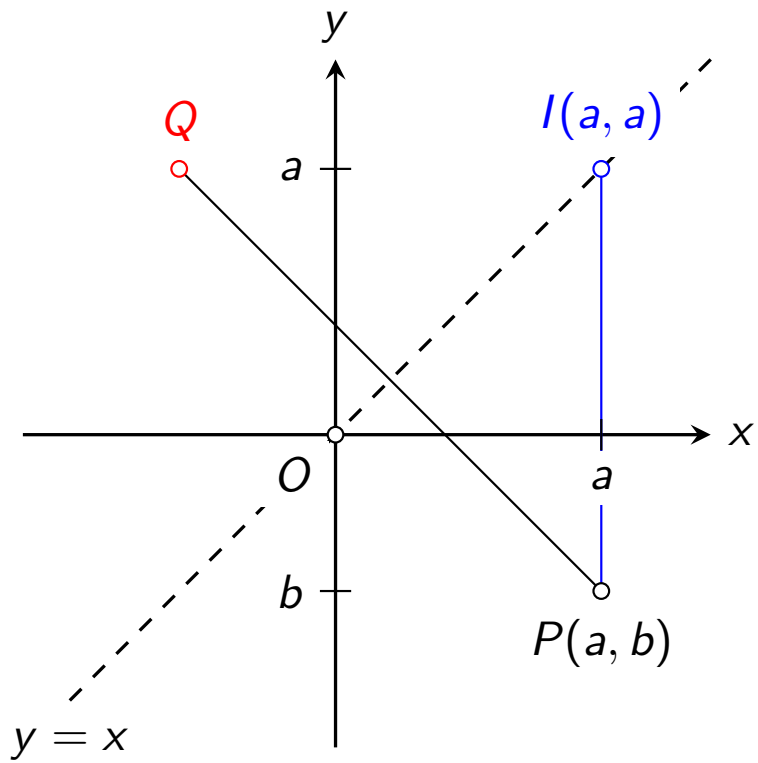

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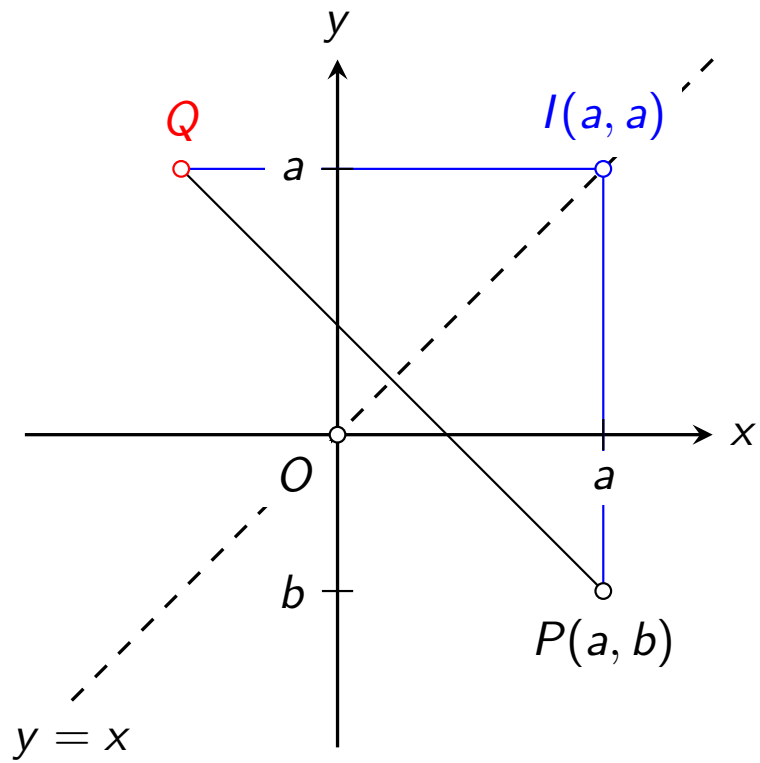

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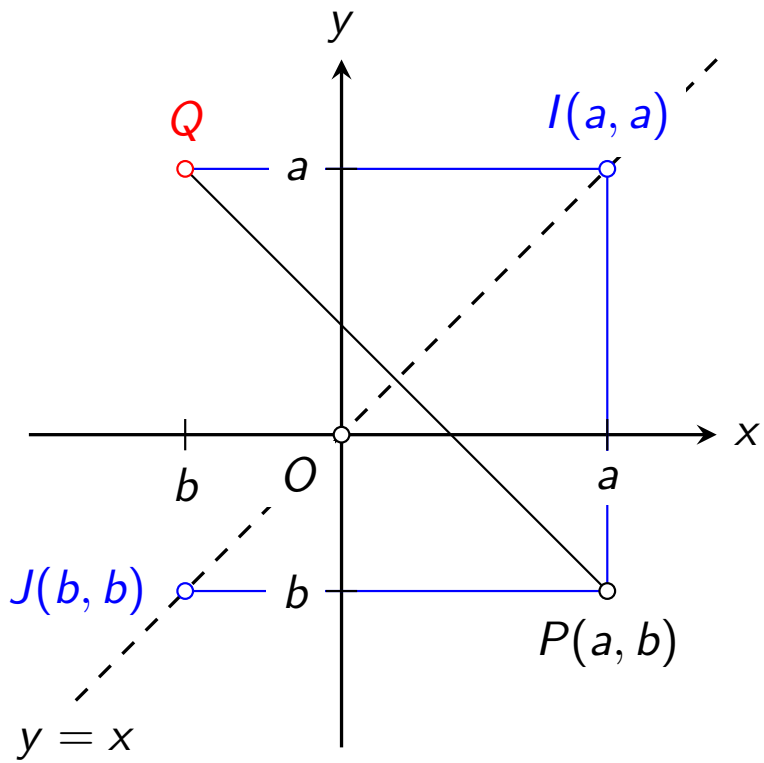

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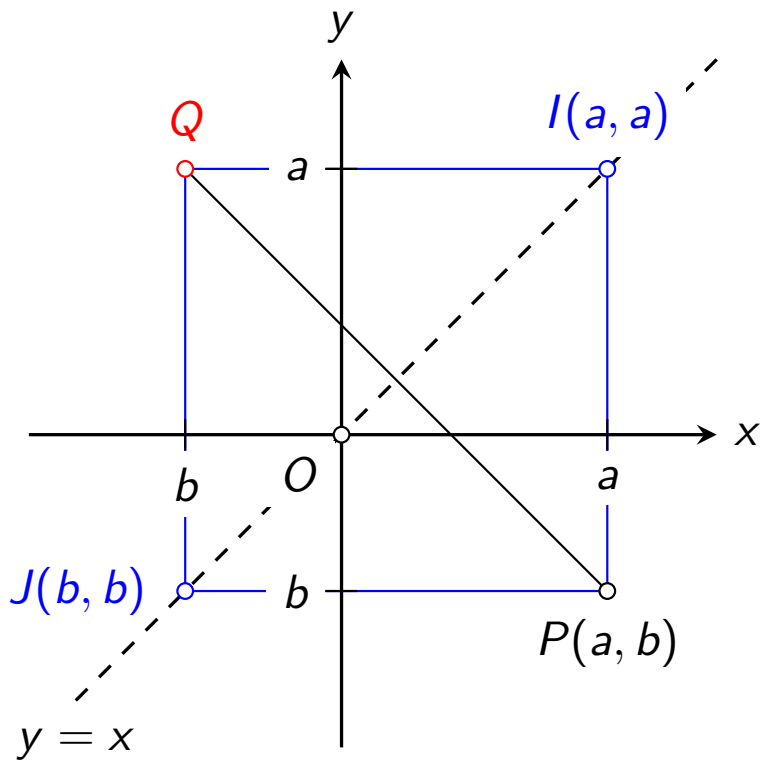
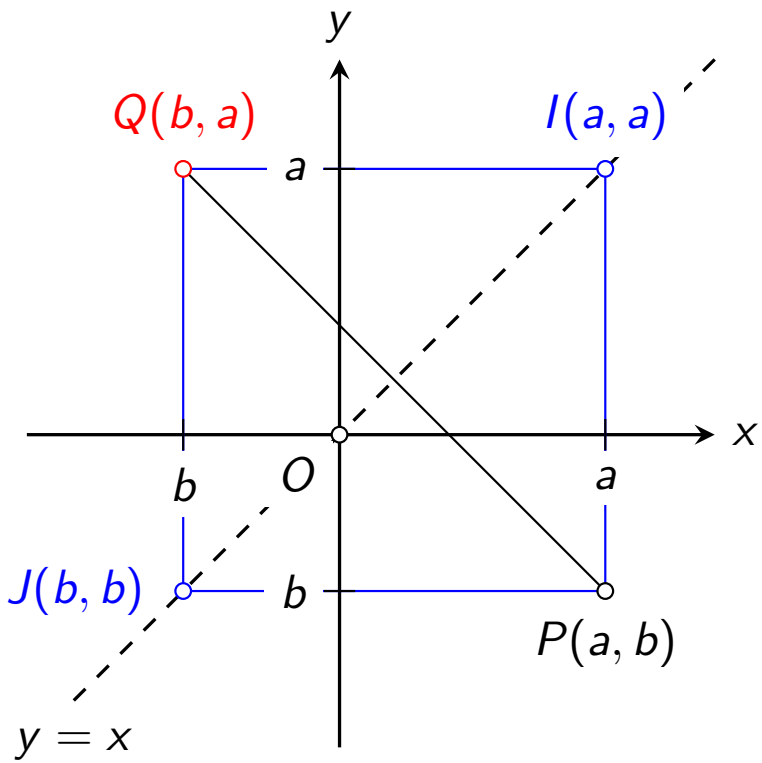


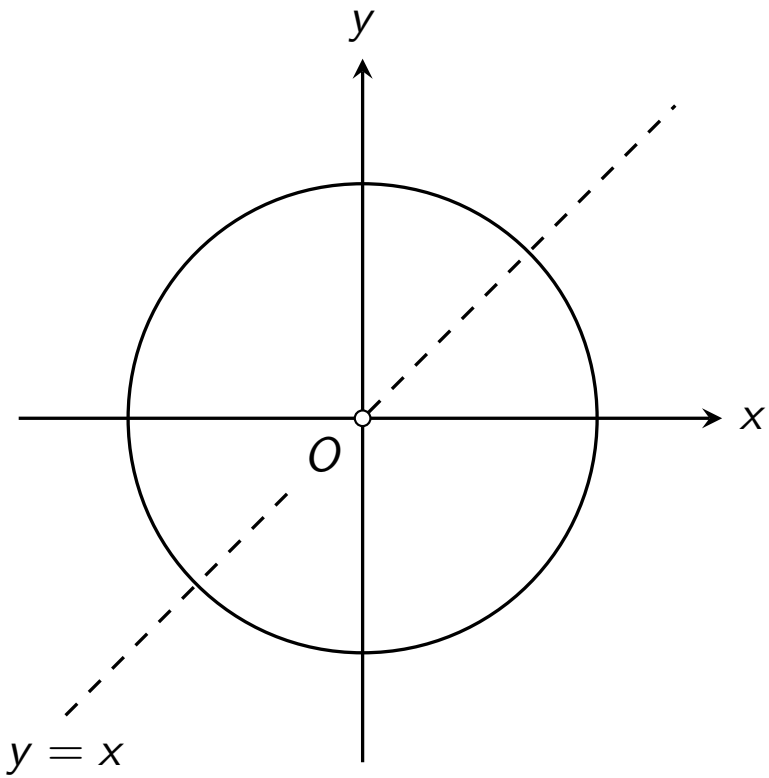
La première bissectrice est la droite d'équation $y = x$.

Soit $P(a, b)$ un point du plan.

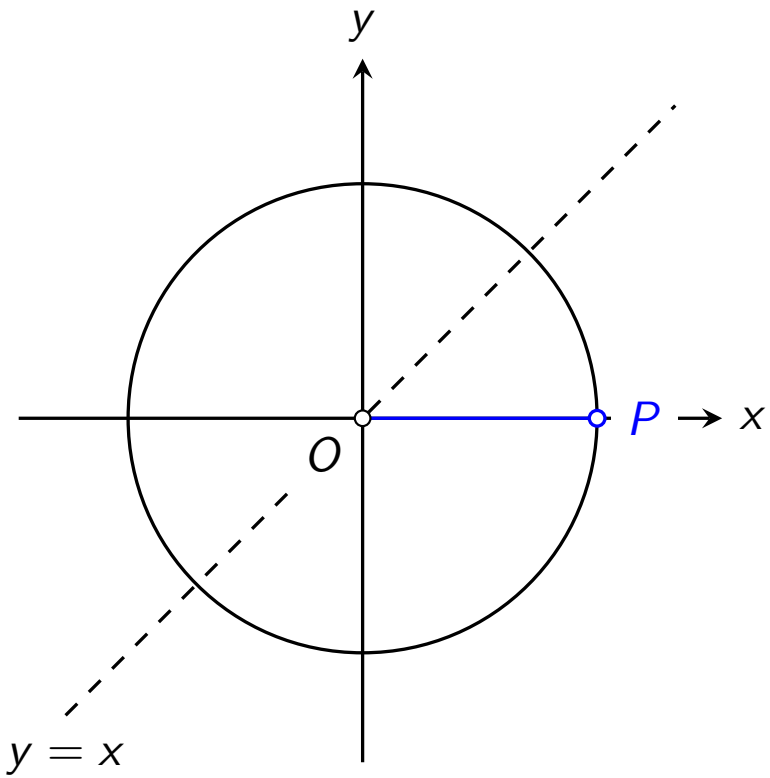
Le point Q symétrique de P par rapport à la droite d

a pour coordonnées $Q(b, a)$.



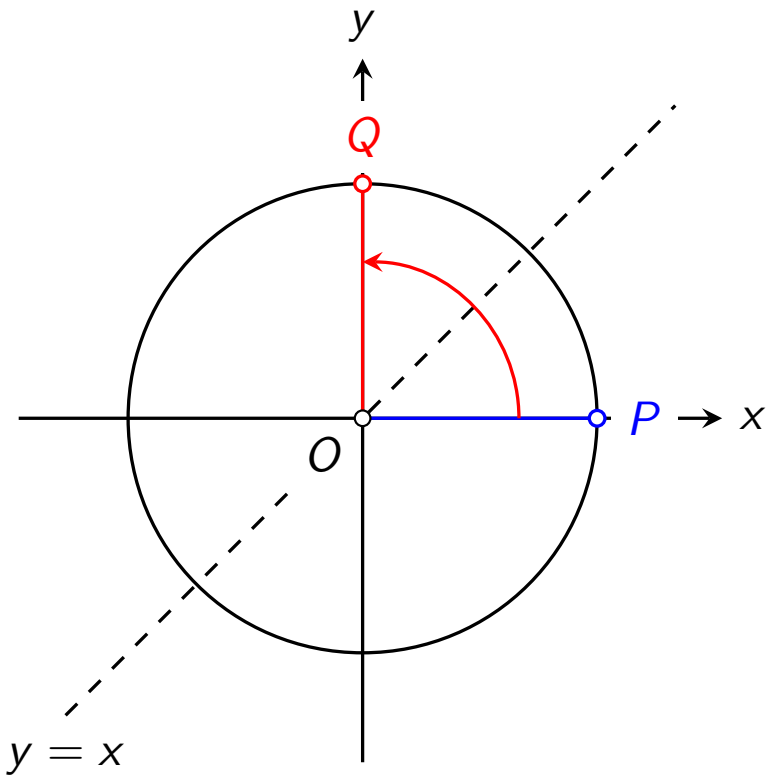


Sur le cercle trigonométrique,



Sur le cercle trigonométrique,

le point P repéré par l'angle α : $P(\cos\alpha, \sin\alpha)$



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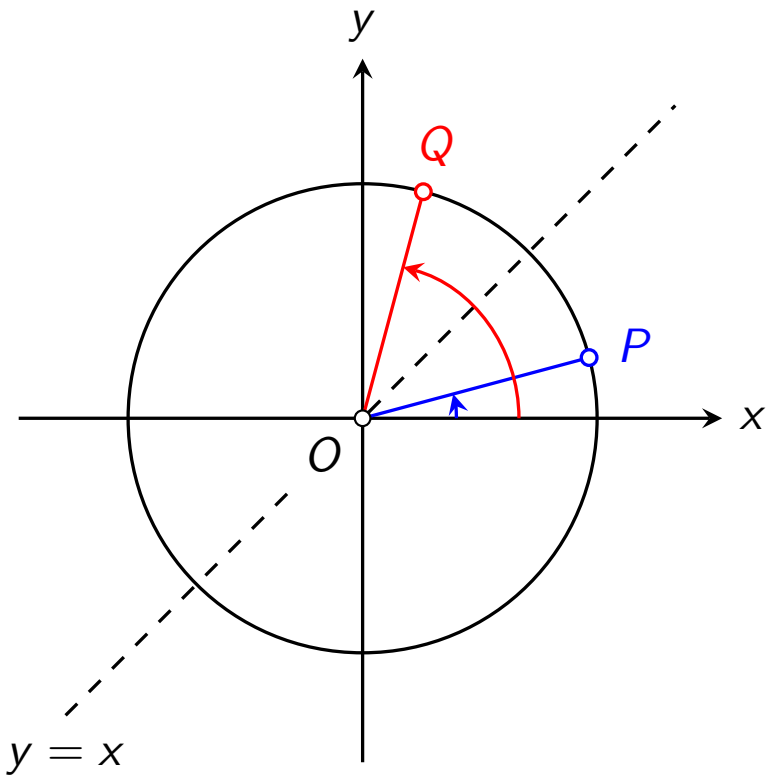

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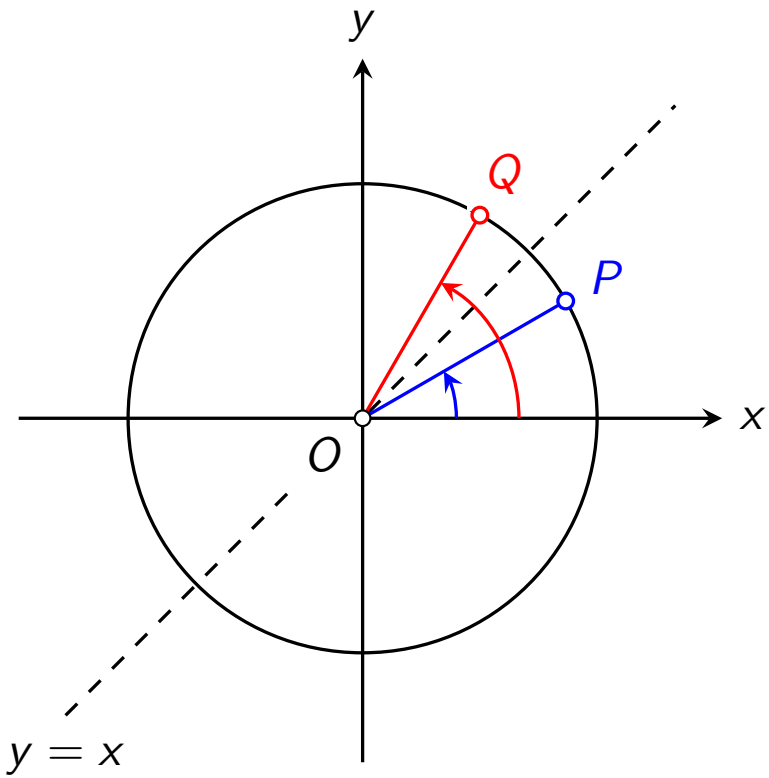

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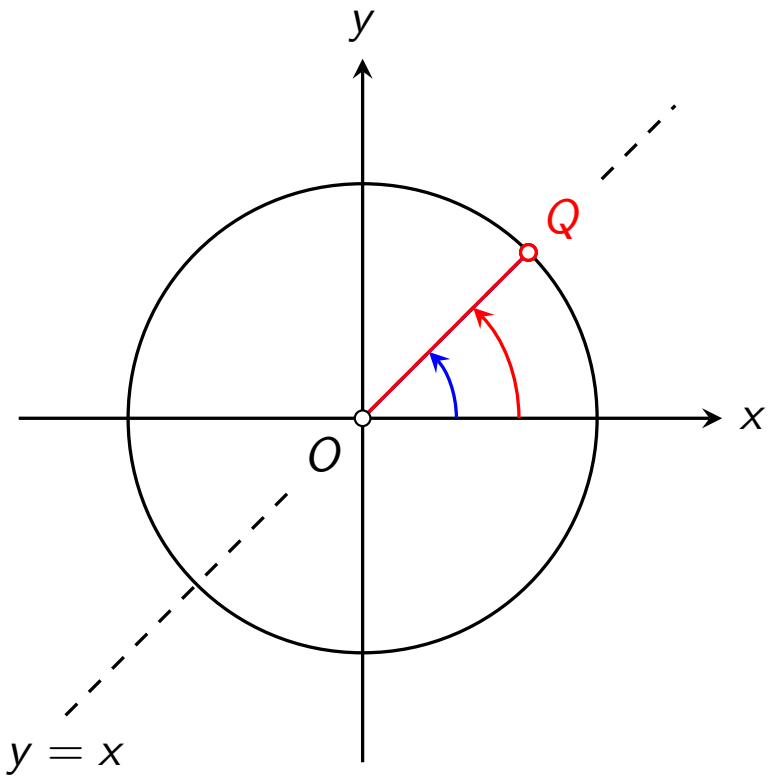

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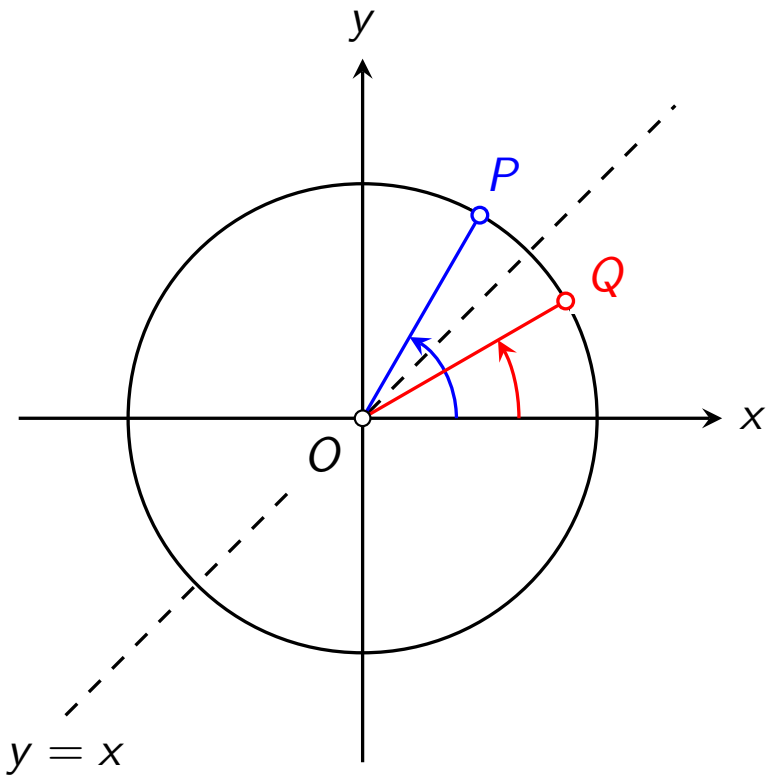

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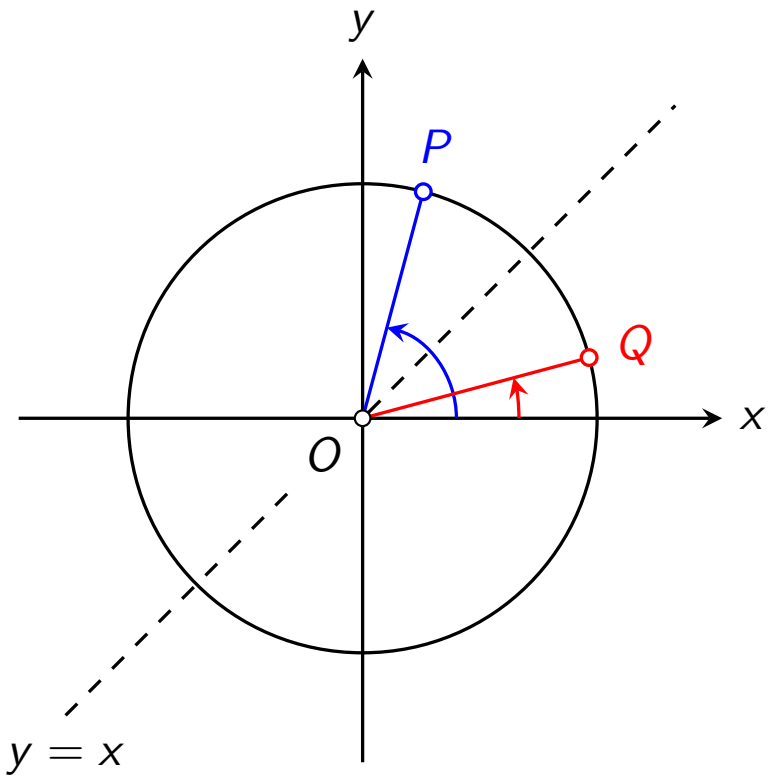

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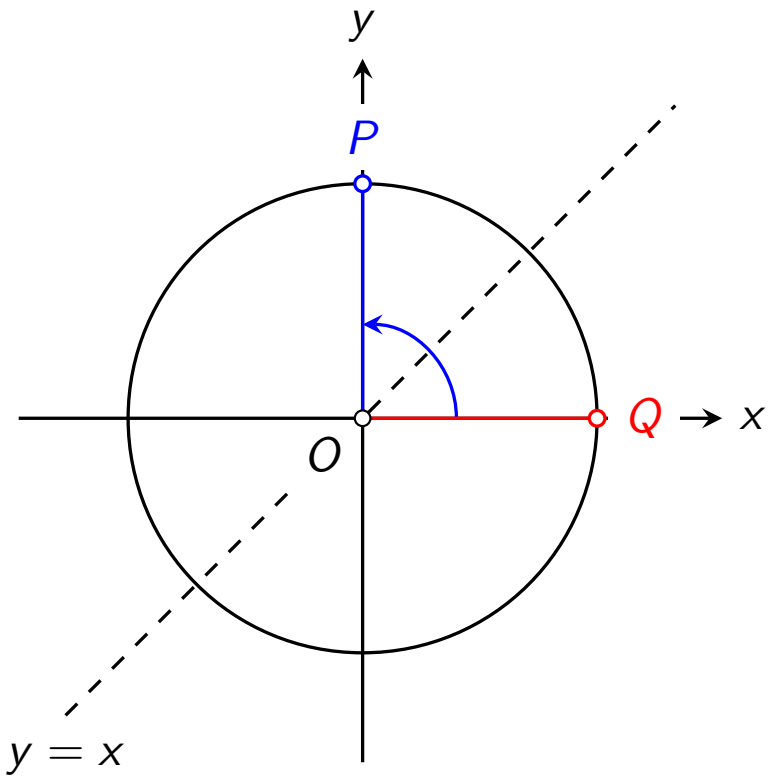

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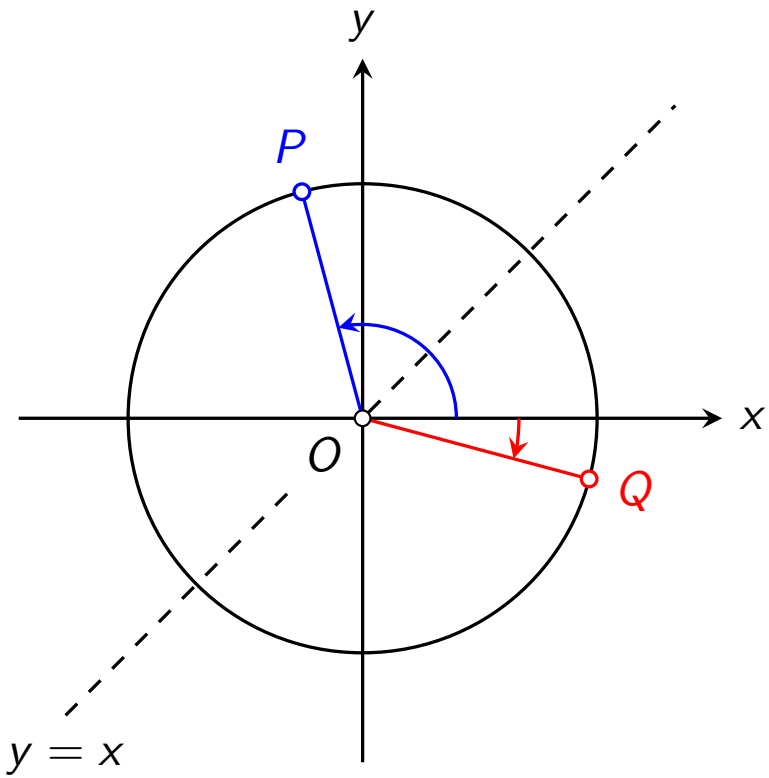

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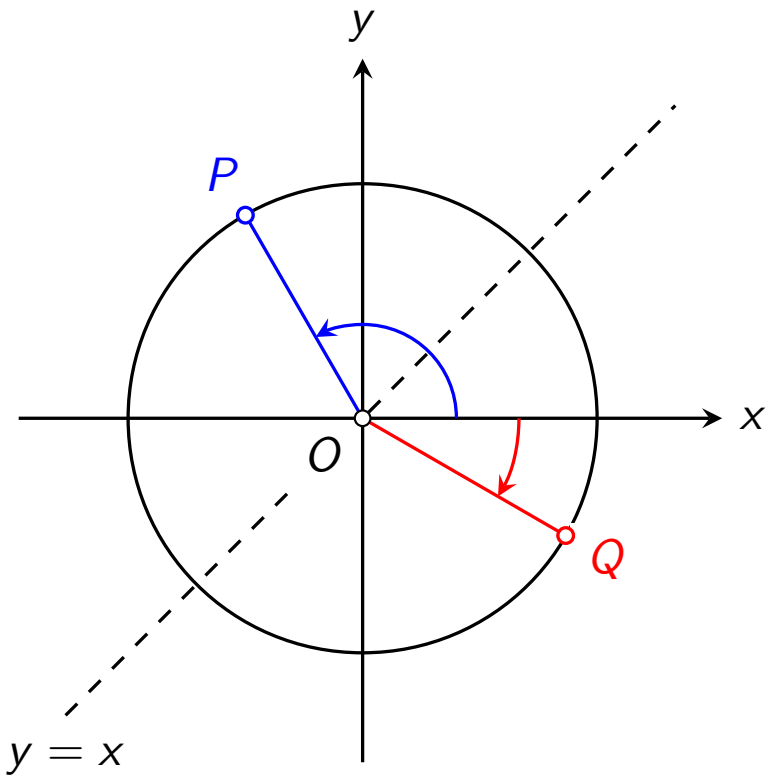

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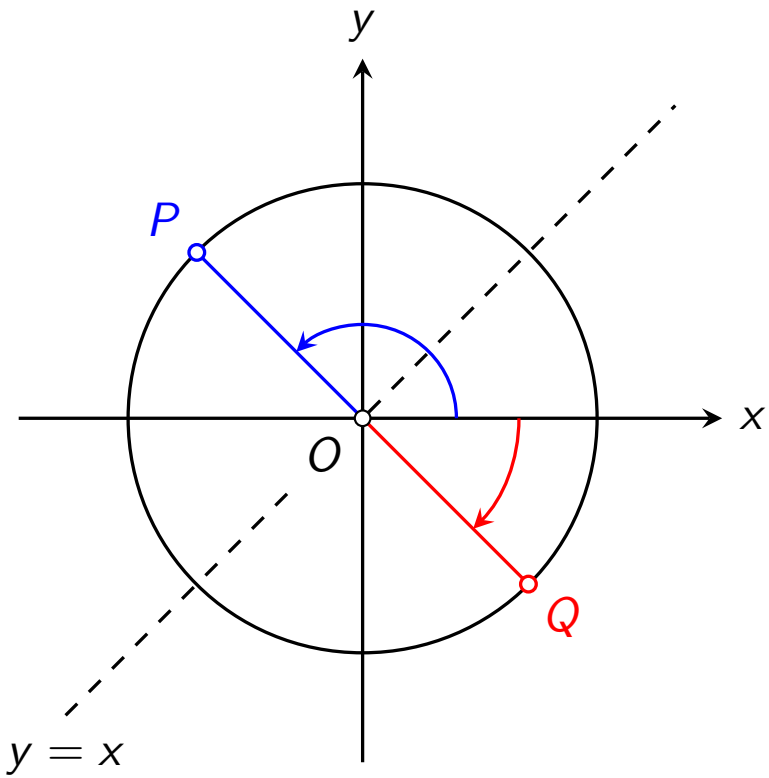

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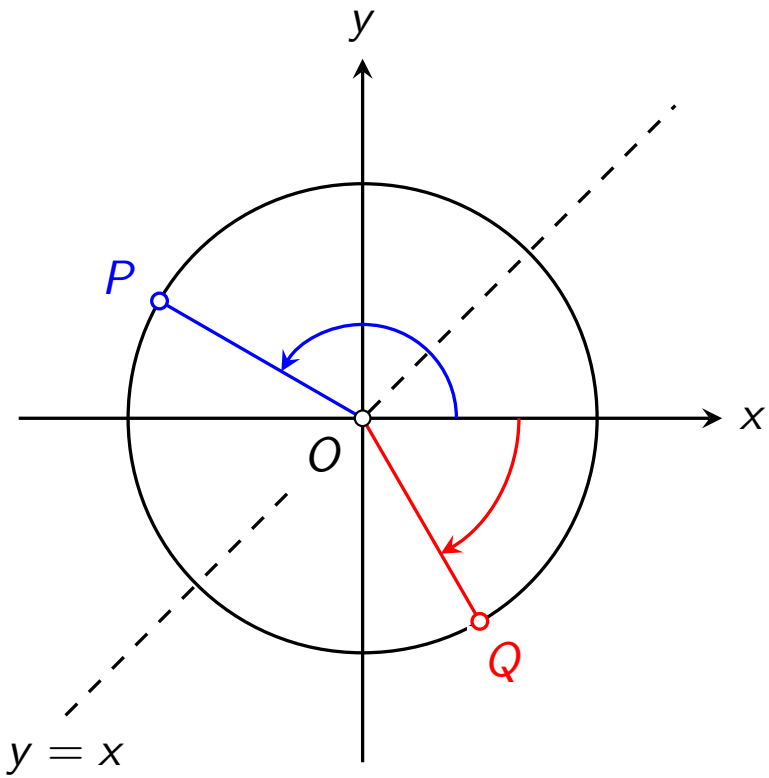

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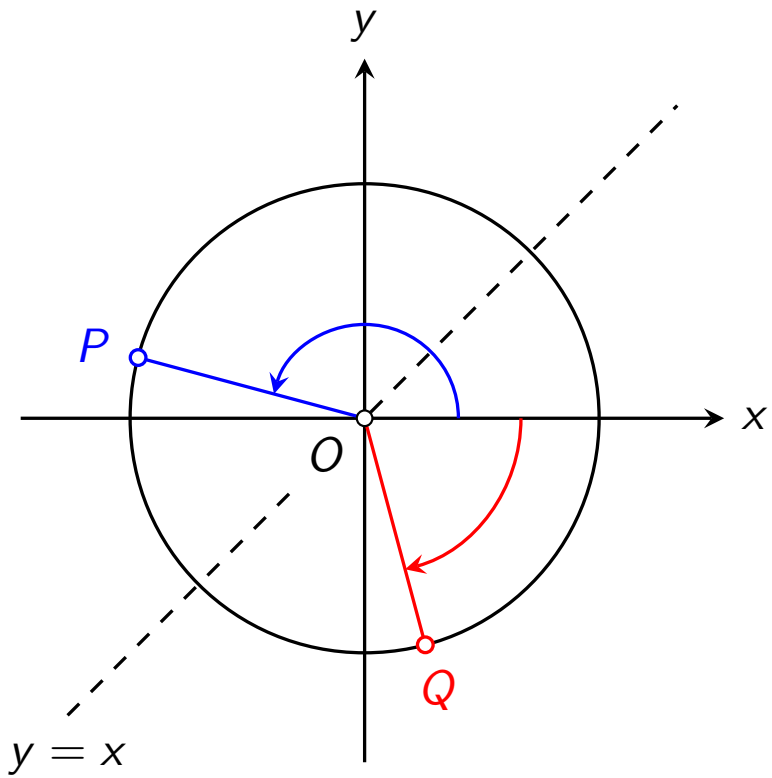

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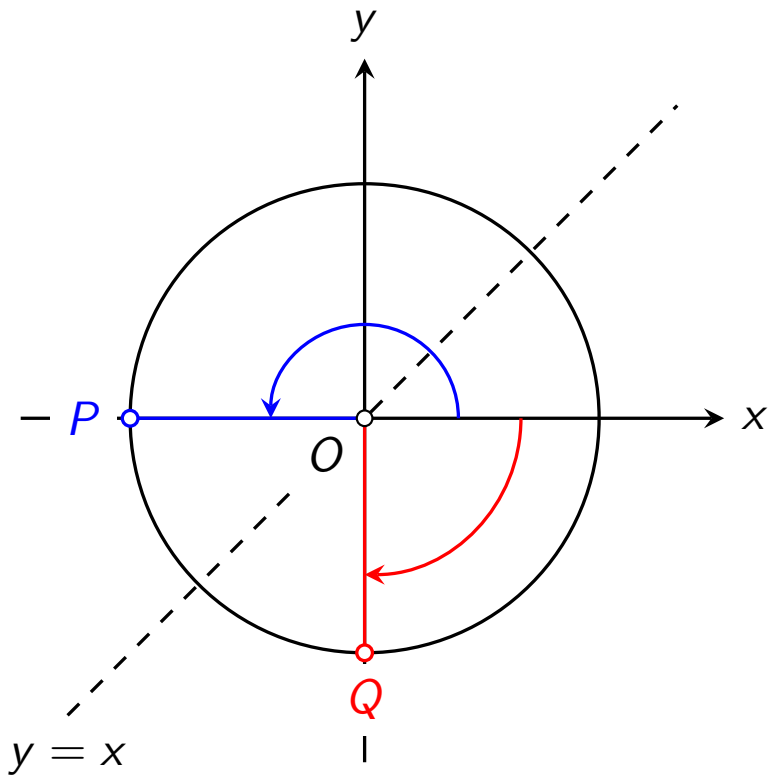

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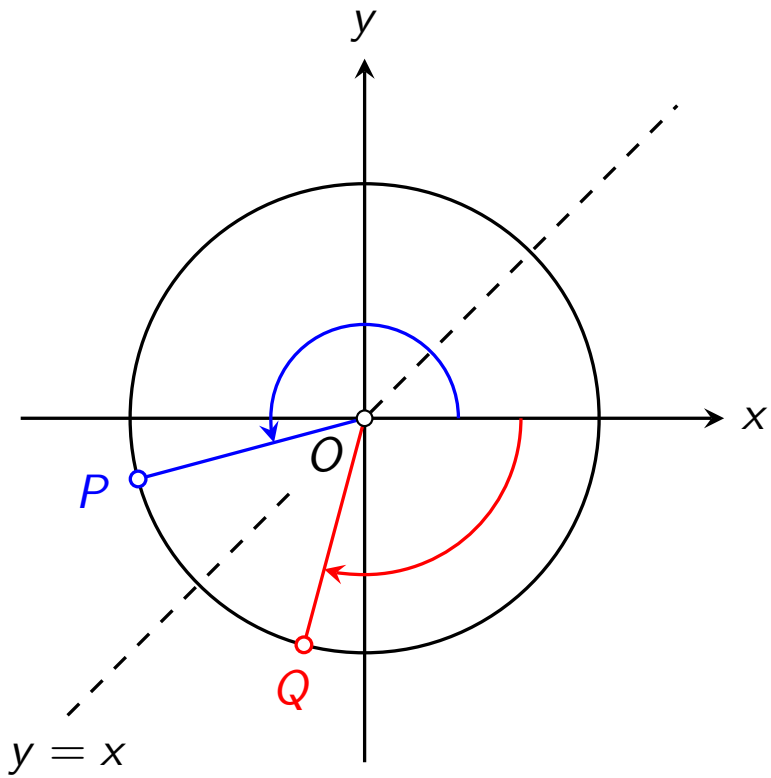

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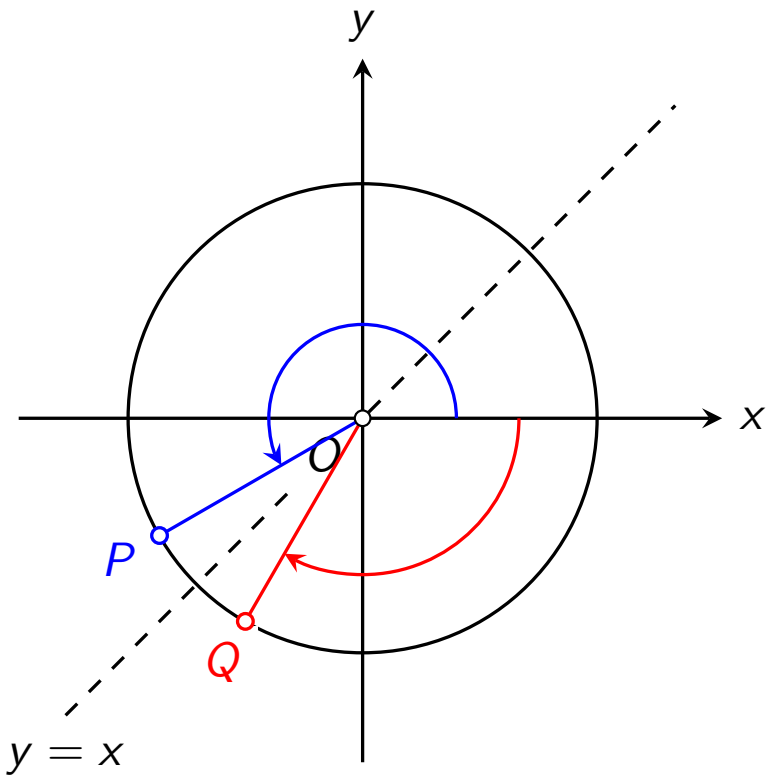

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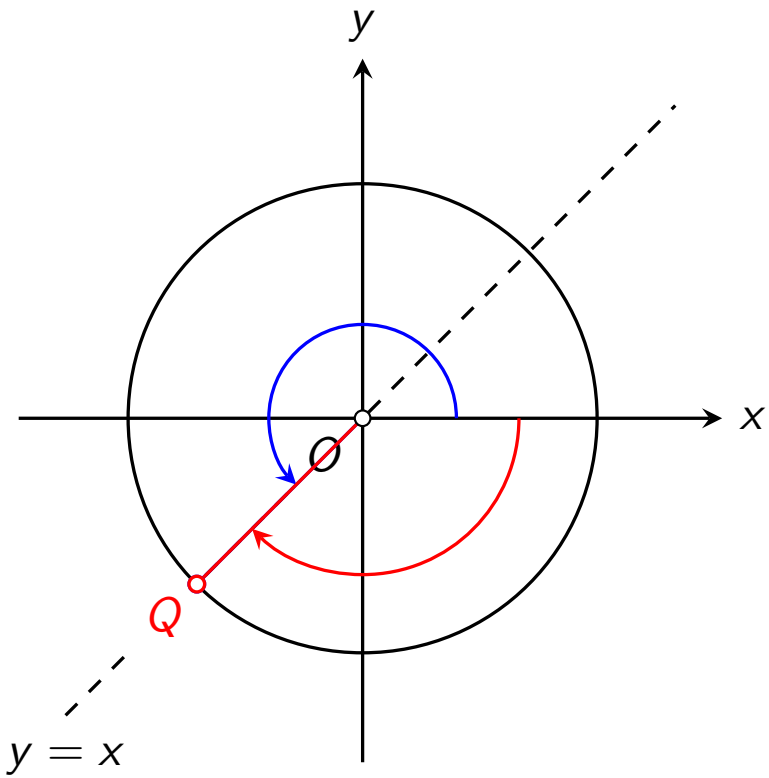

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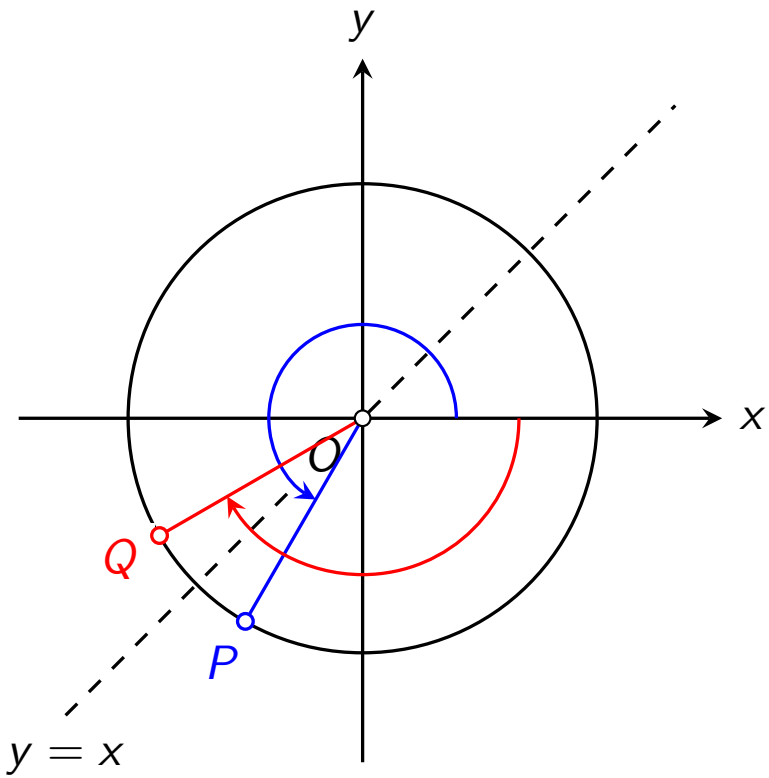

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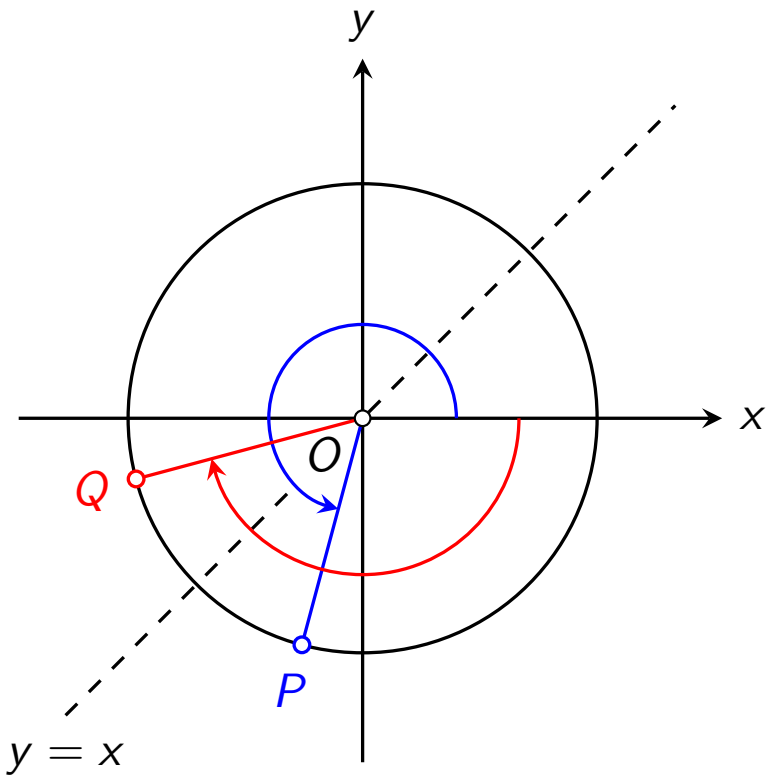

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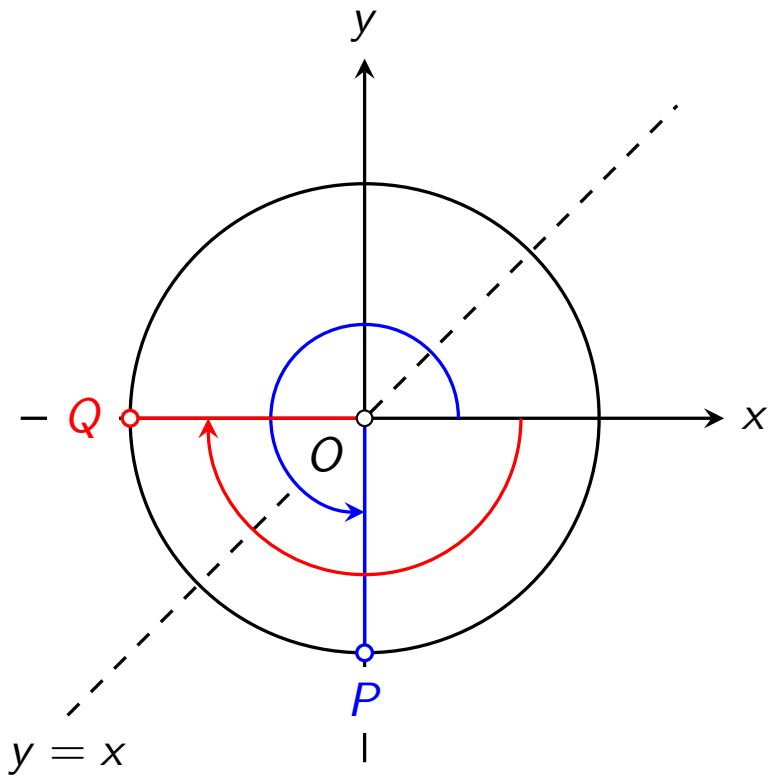

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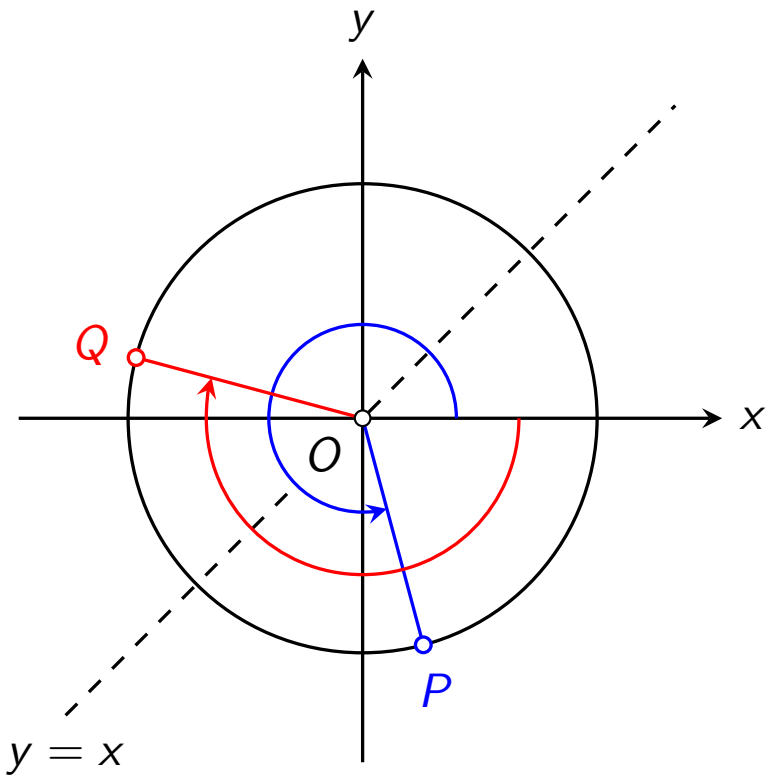

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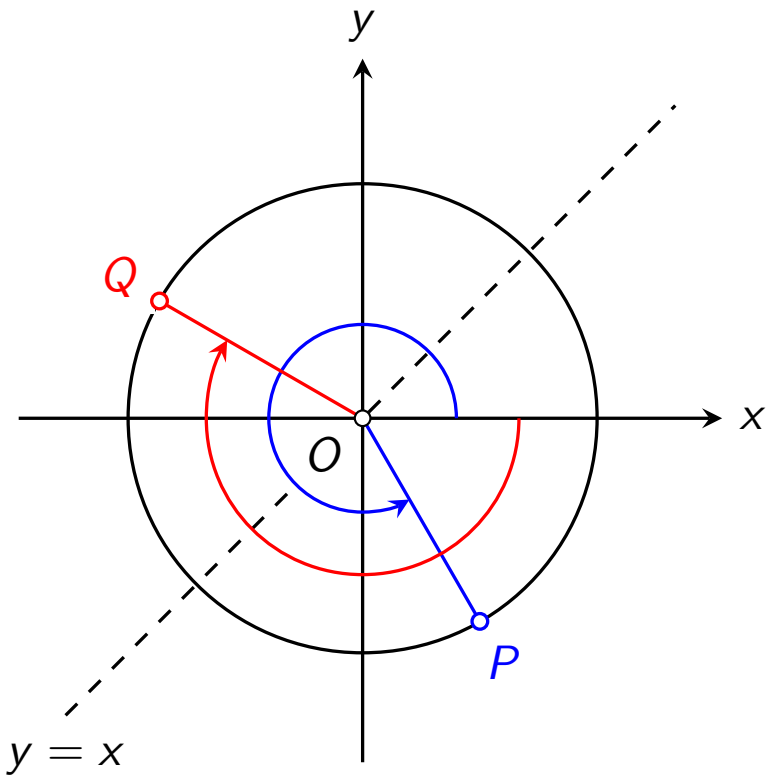

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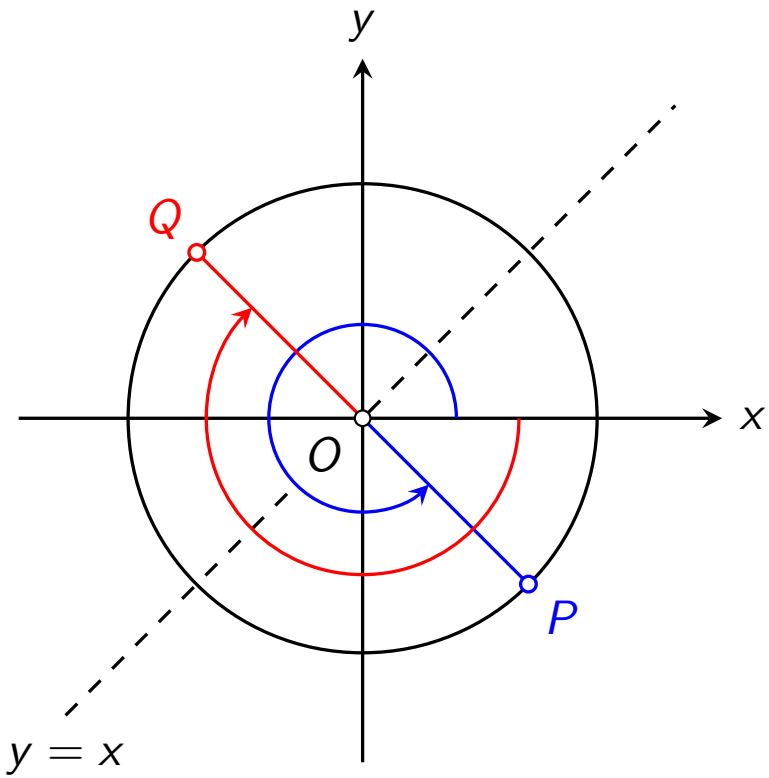

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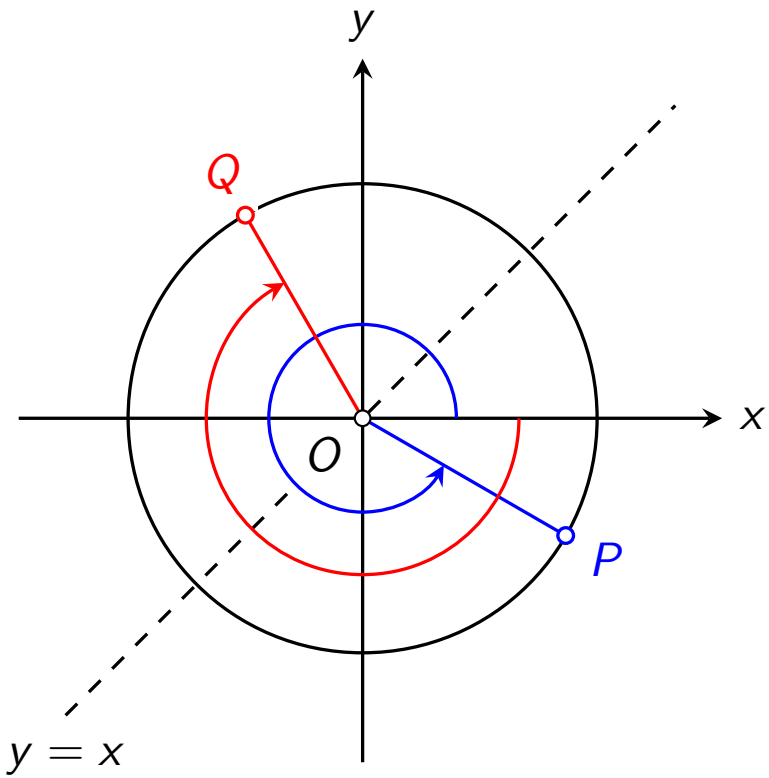

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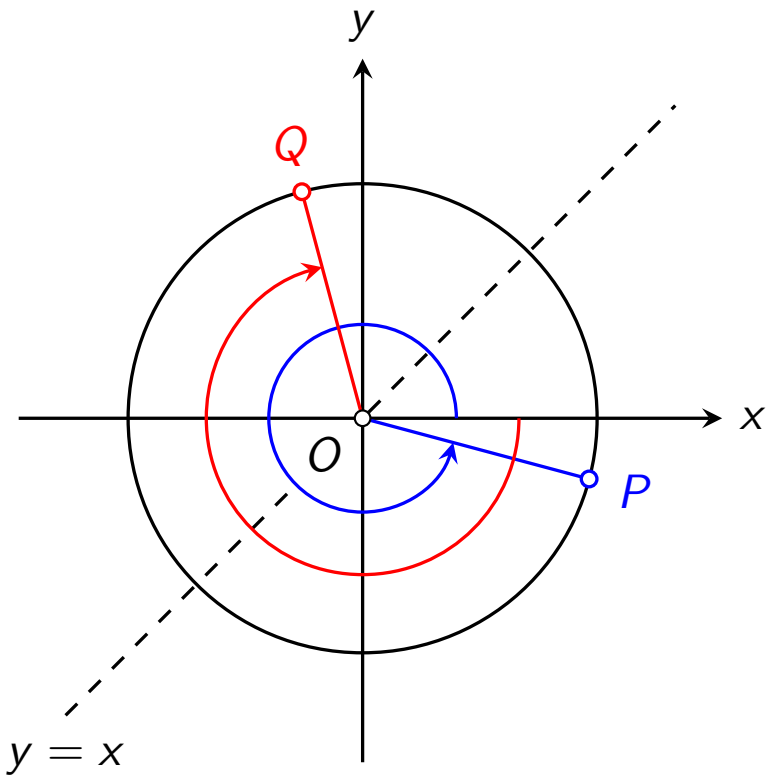

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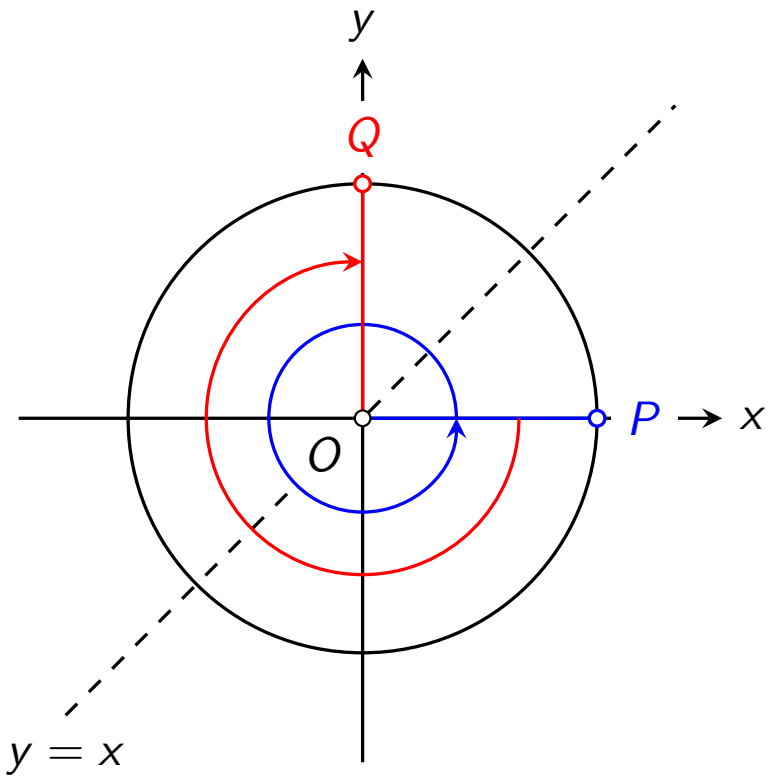

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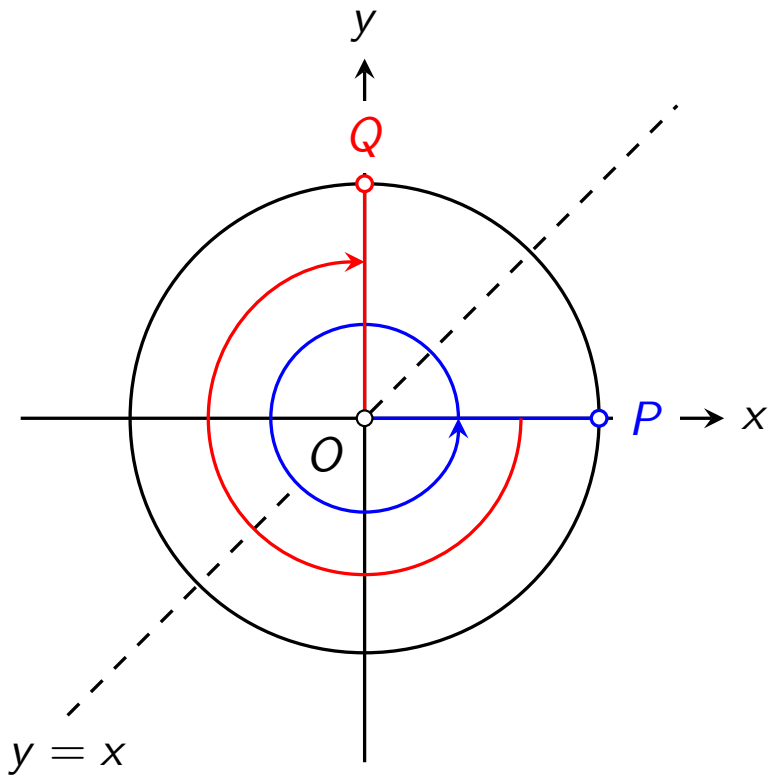


Sur le cercle trigonométrique, le point P repéré par l'angle α : $P(\cos\alpha, \sin\alpha)$ et le point Q repéré par l'angle $\frac{\pi}{2} - \alpha$: $Q(\cos\left(\frac{\pi}{2} - \alpha\right), \sin\left(\frac{\pi}{2} - \alpha\right))$ sont symétriques par rapport à la première bissectrice d'équation $y = x$.

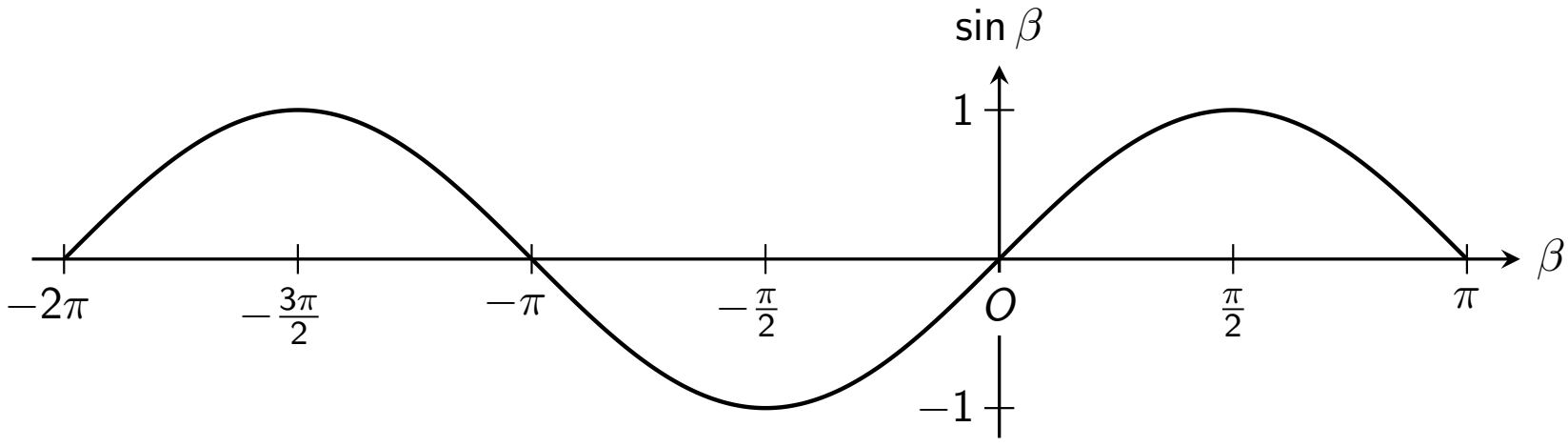
L'abscisse du point Q est donc égale à l'ordonnée du point P :

$$\cos(\tfrac{\pi}{2} - \alpha) = \sin \alpha$$

Et l'ordonnée du point Q est égale à l'abscisse du point P :

$$\sin(\tfrac{\pi}{2} - \alpha) = \cos \alpha$$

$\cos\alpha = \sin(\frac{\pi}{2} - \alpha)$



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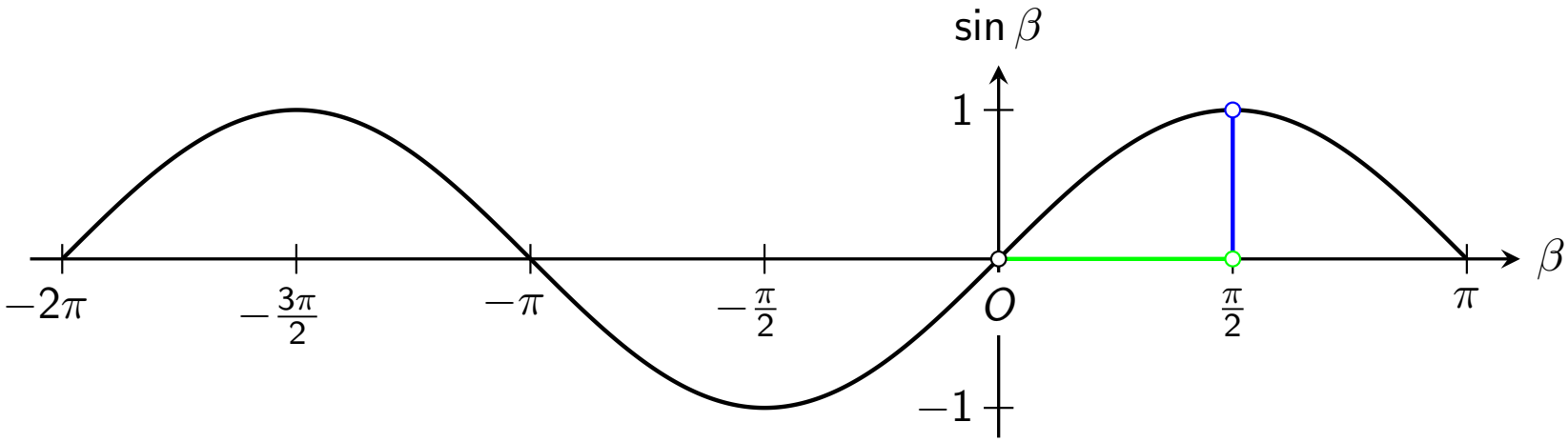
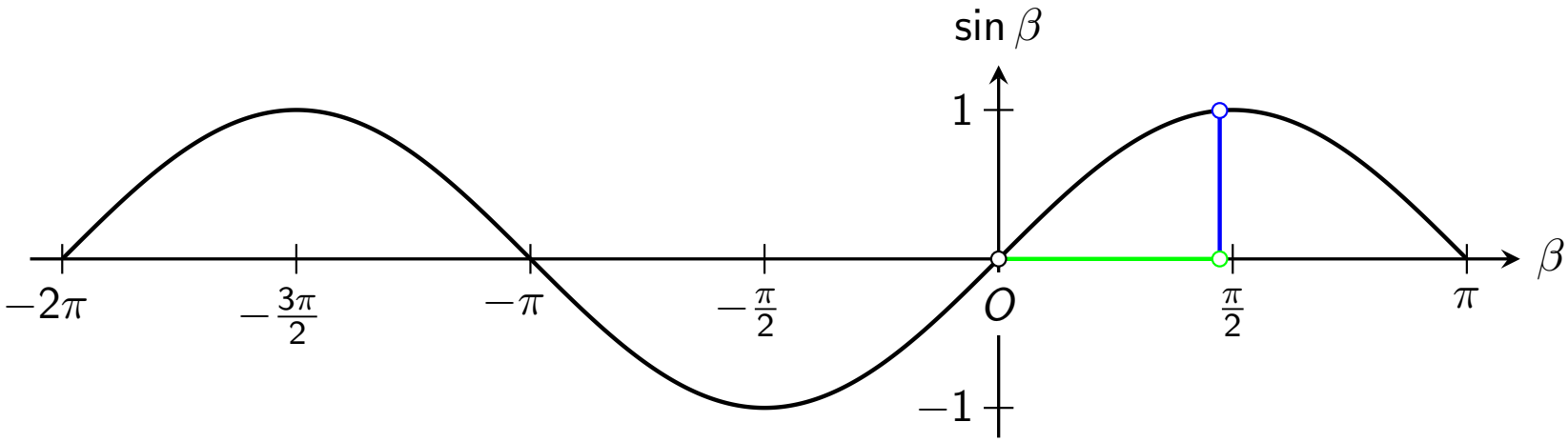
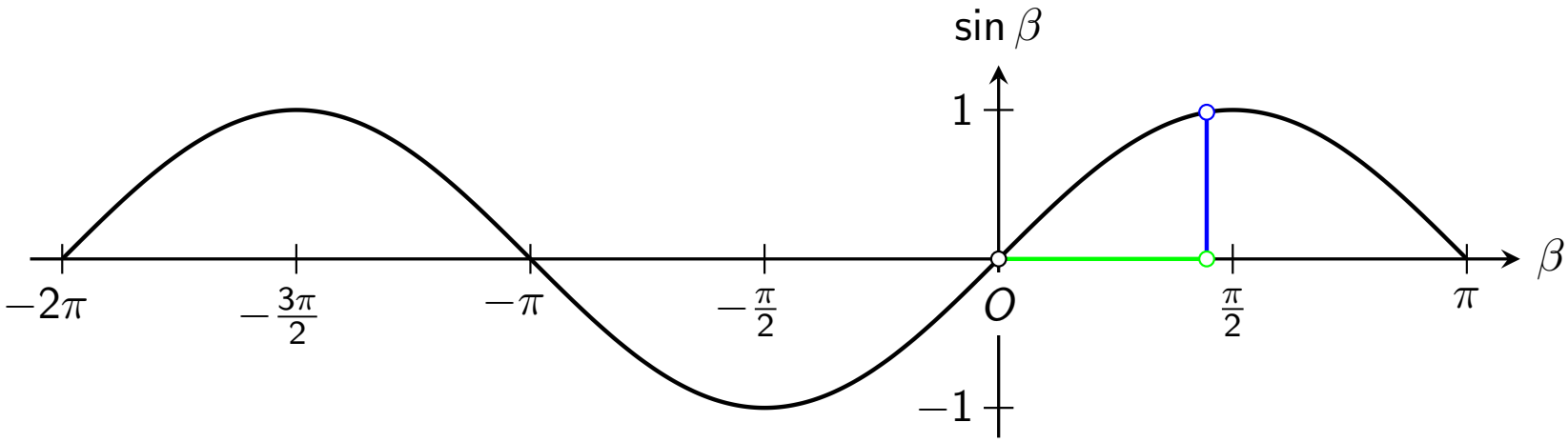


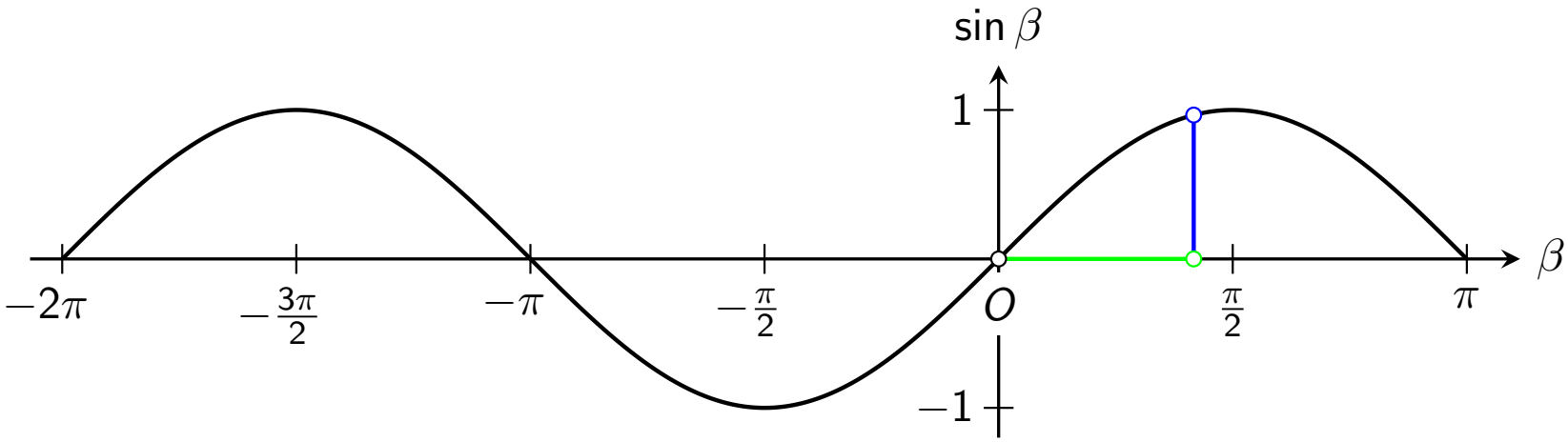
$\cos\alpha = \sin(\frac{\pi}{2} - \alpha)$



$\cos\alpha = \sin(\frac{\pi}{2} - \alpha)$



$\cos\alpha = \sin(\frac{\pi}{2} - \alpha)$



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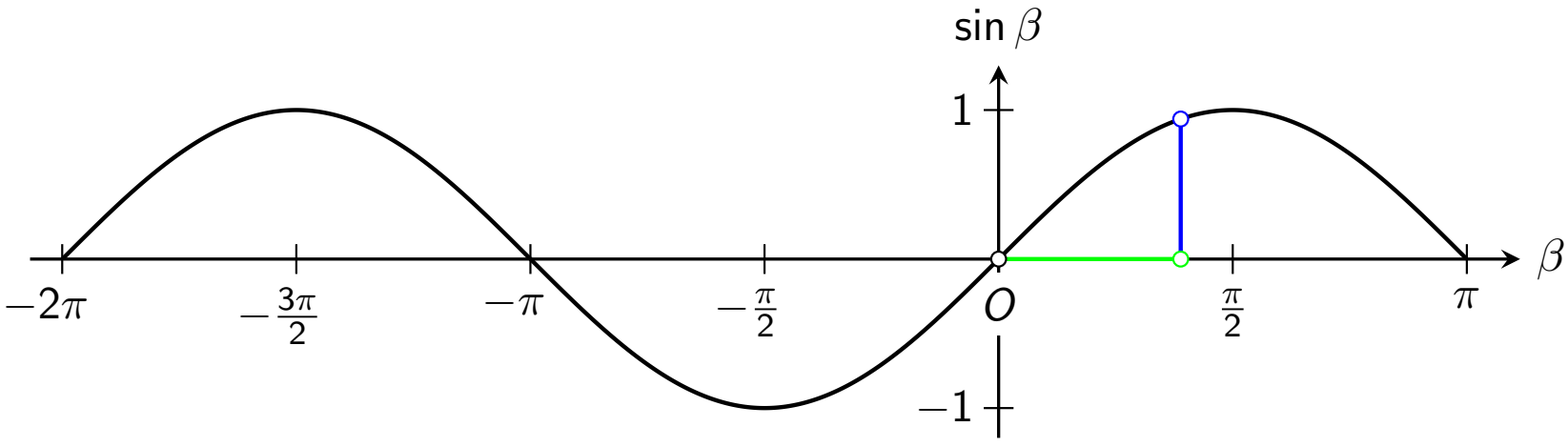
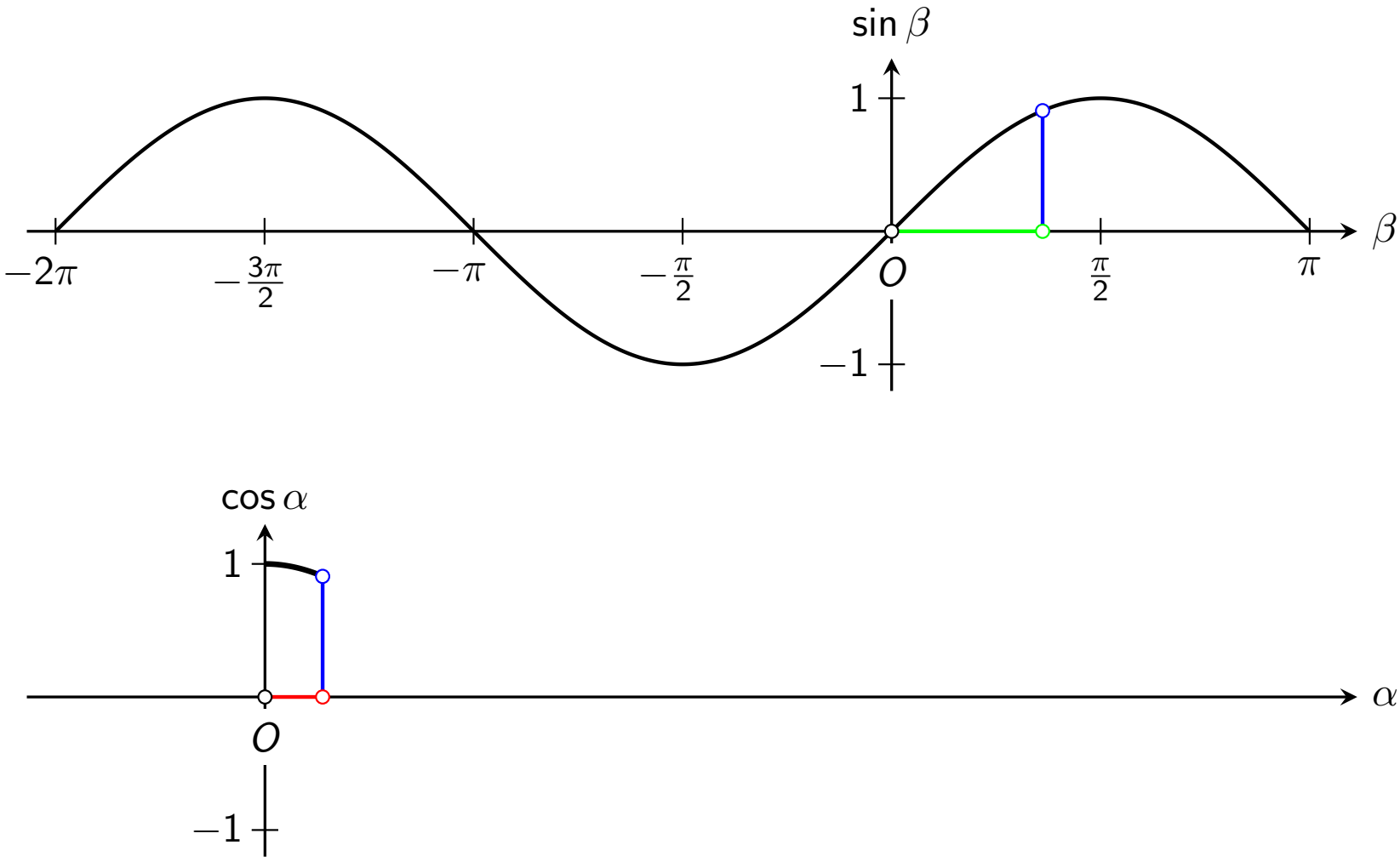


$\cos\alpha = \sin(\frac{\pi}{2} - \alpha)$



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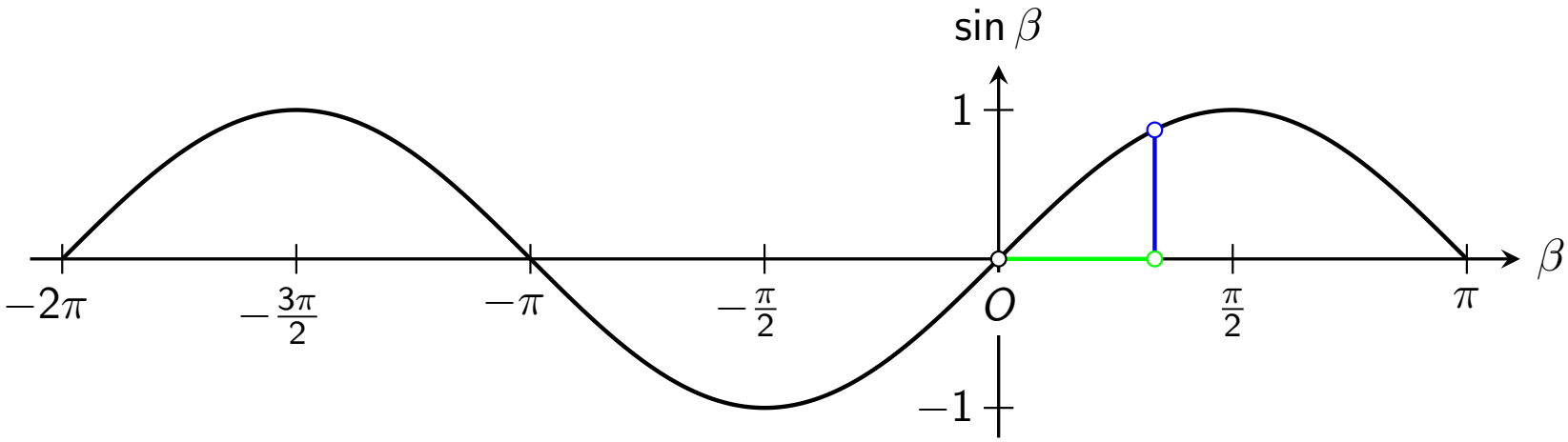

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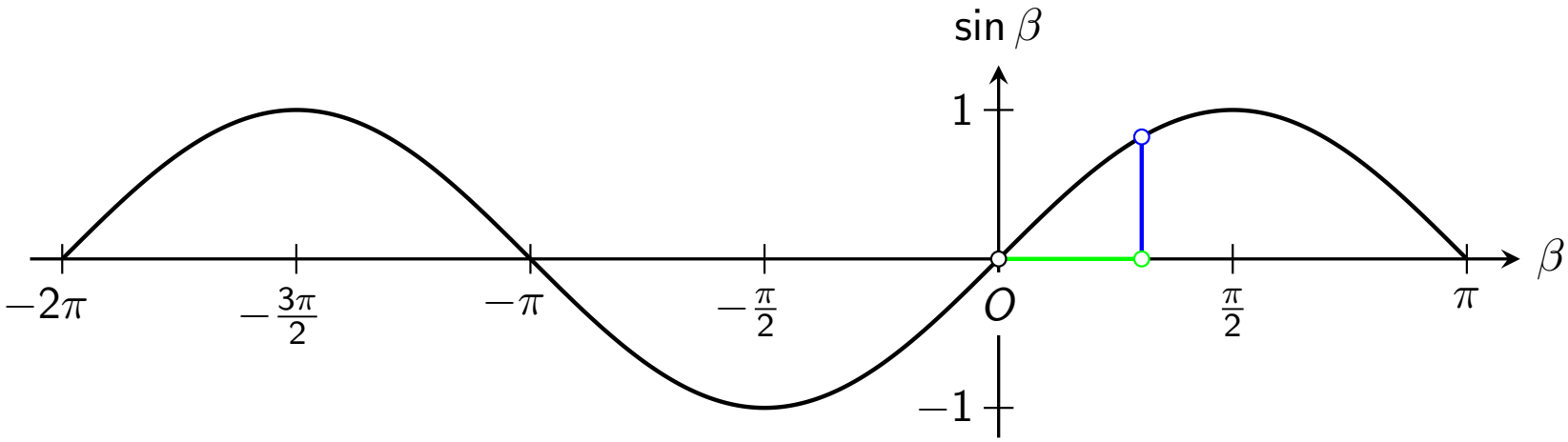

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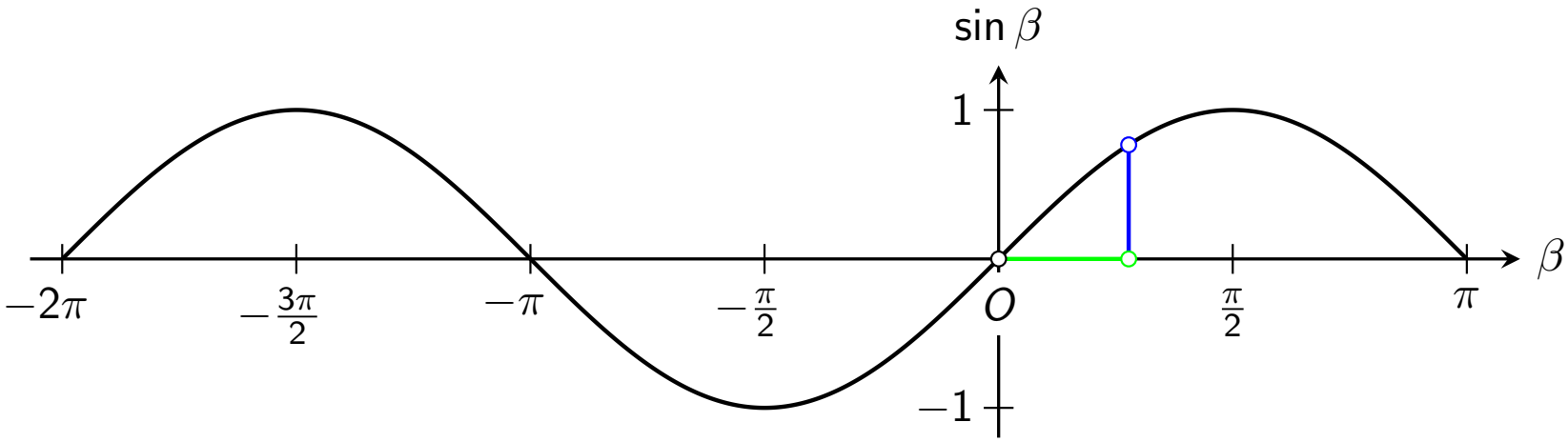
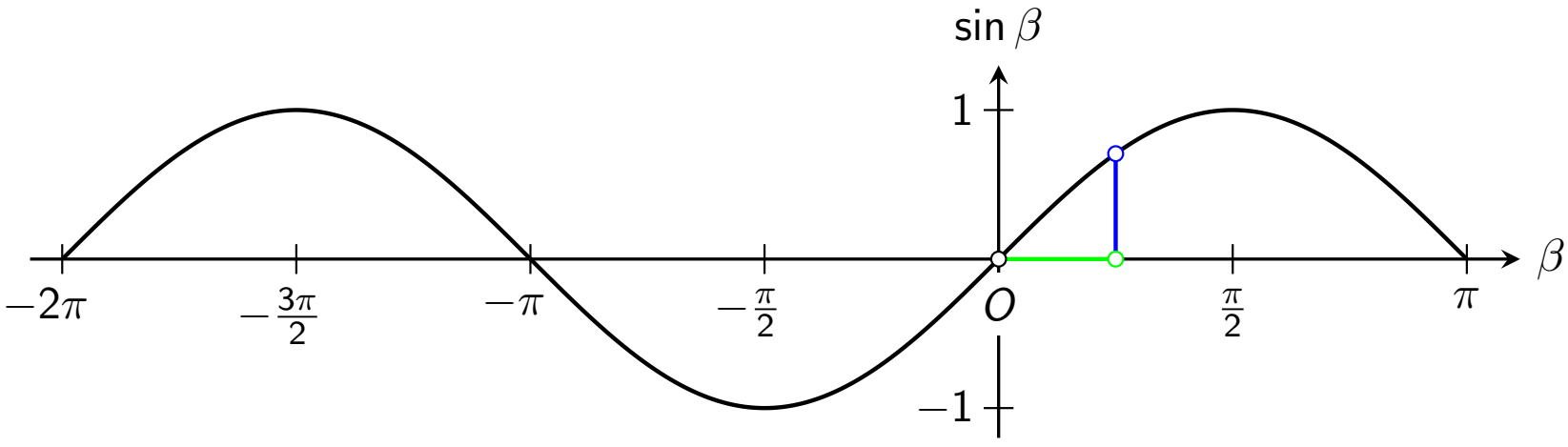
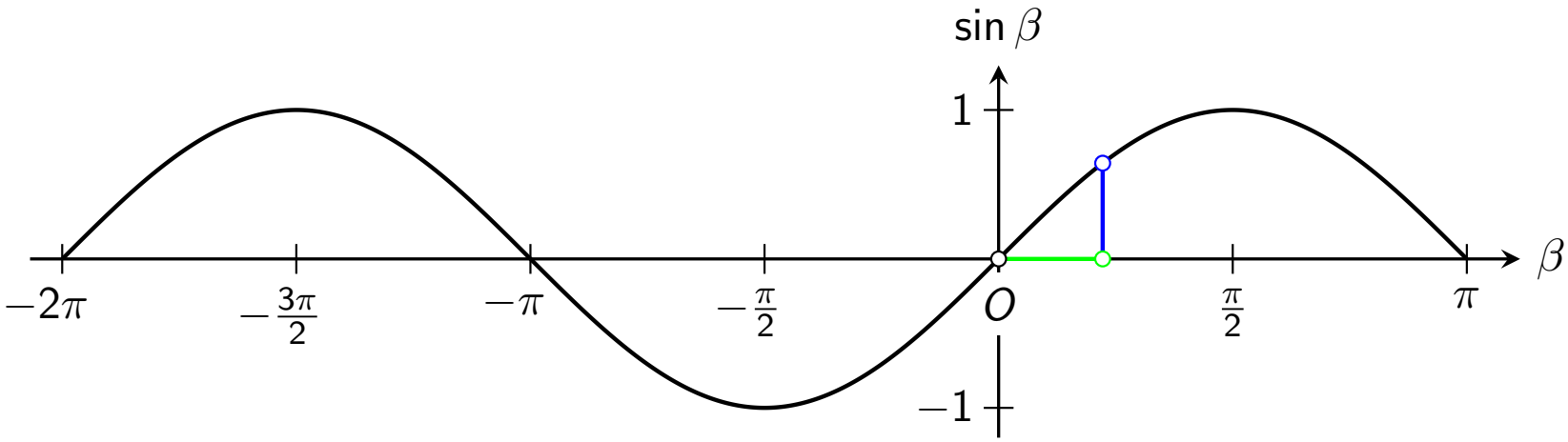


$\cos\alpha = \sin(\frac{\pi}{2} - \alpha)$



$\cos\alpha = \sin(\frac{\pi}{2} - \alpha)$



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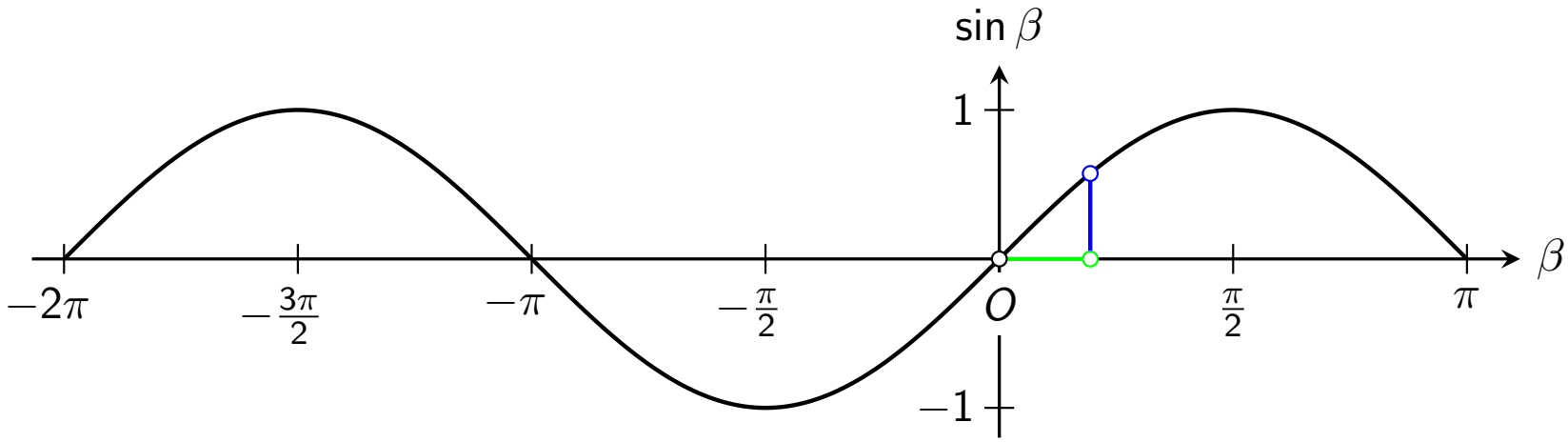

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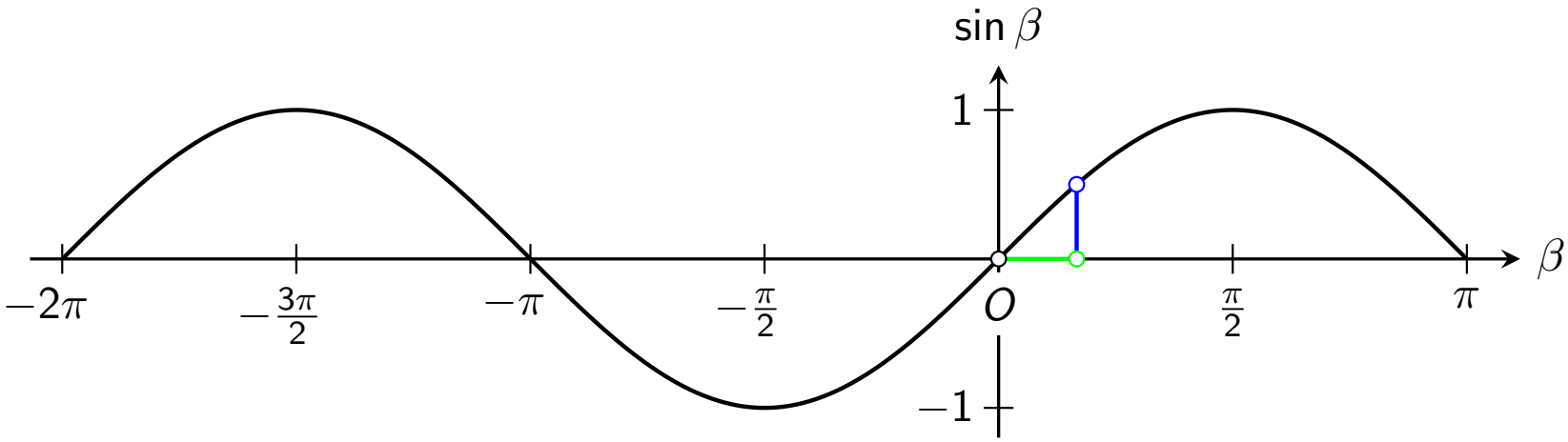

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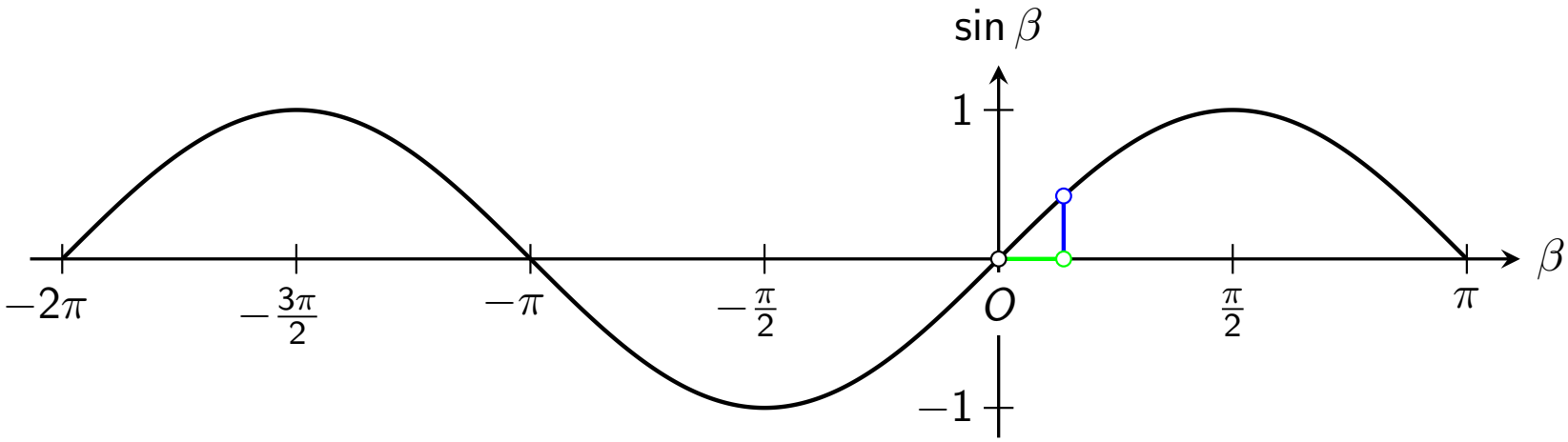

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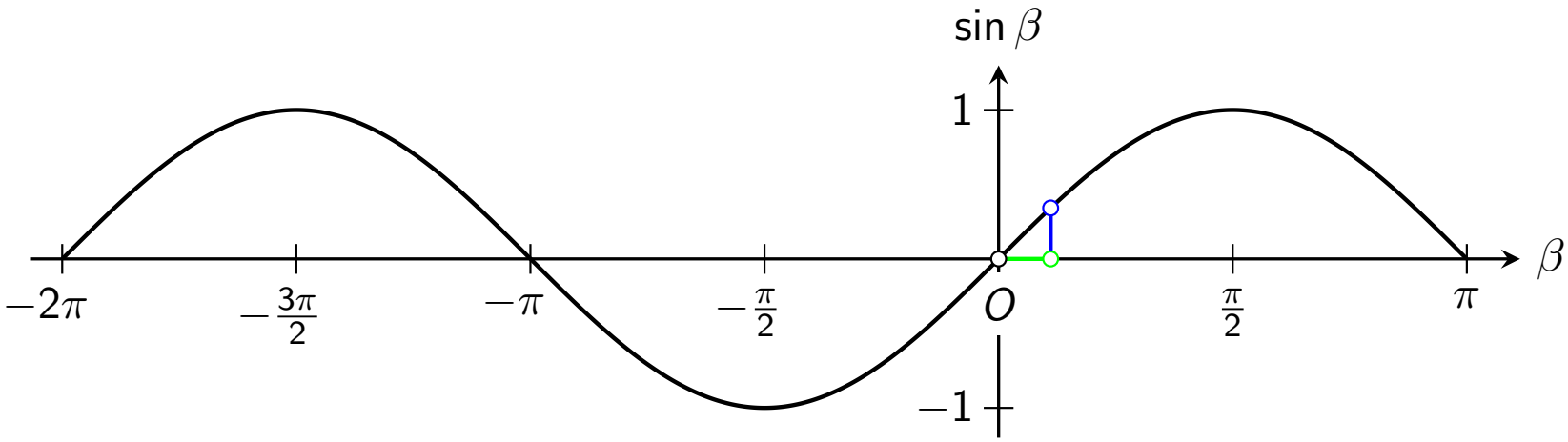

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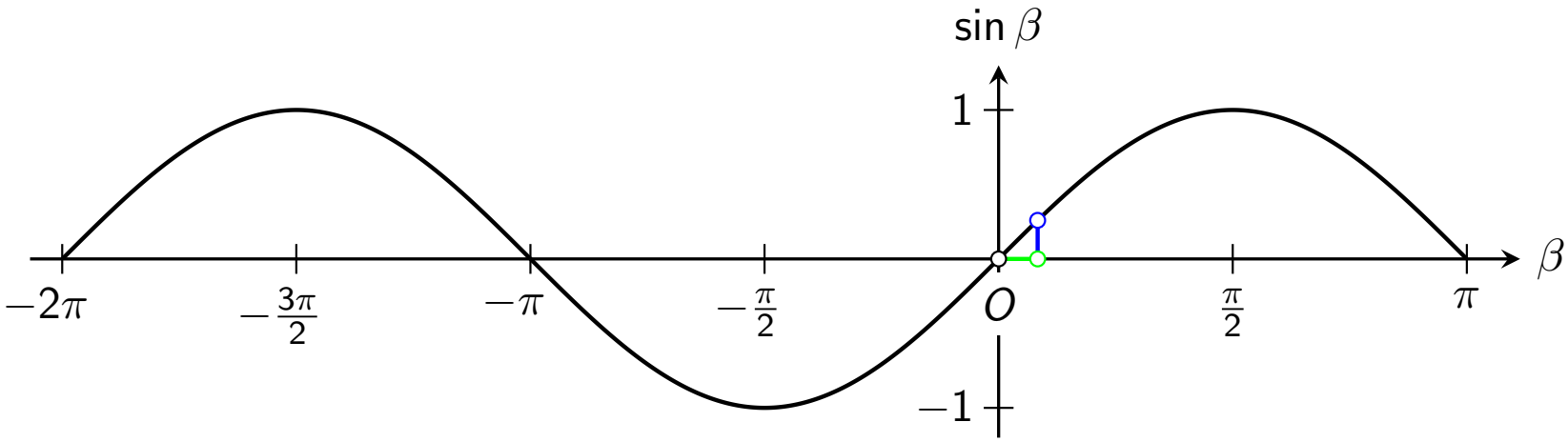

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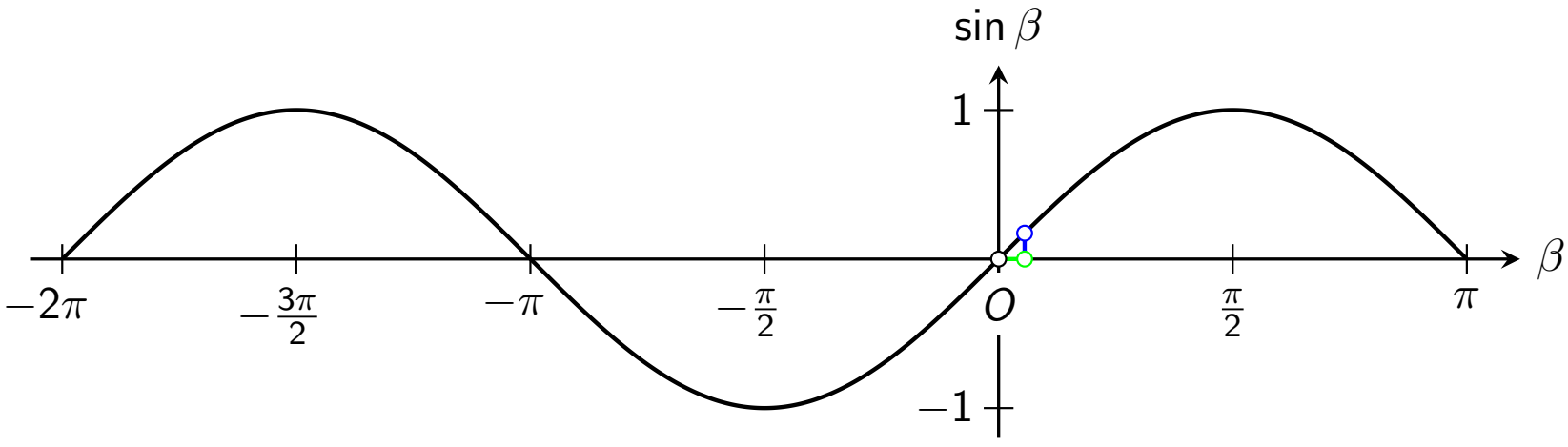

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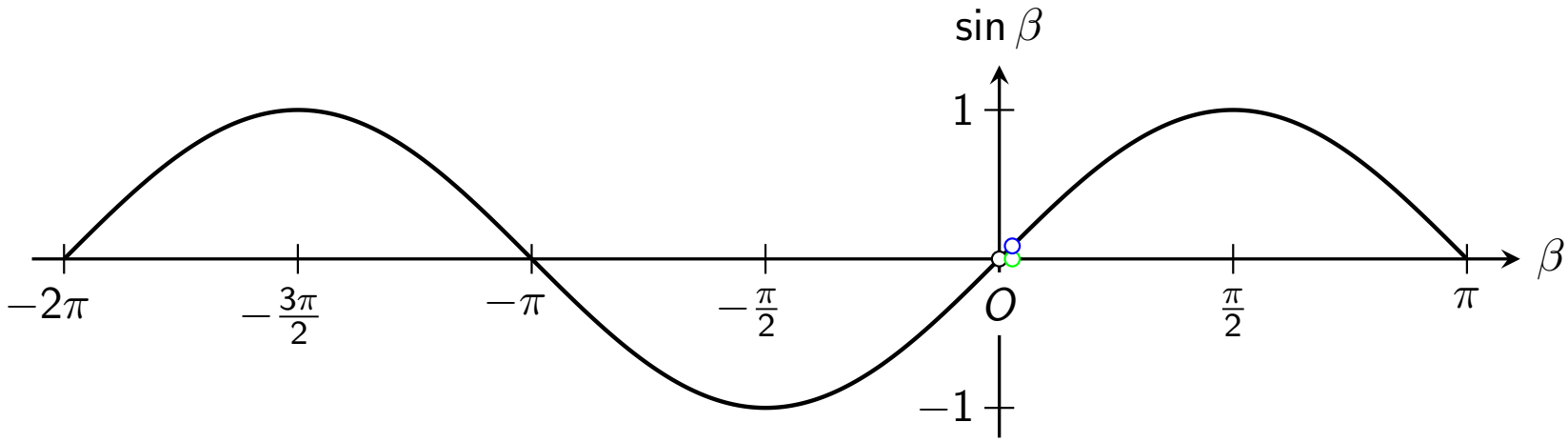

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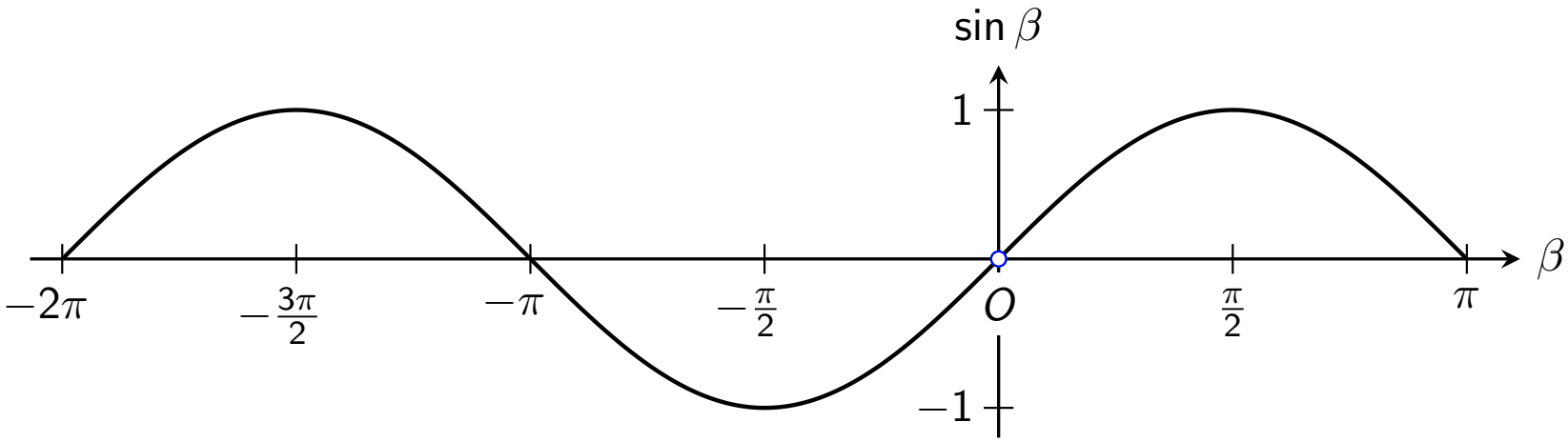

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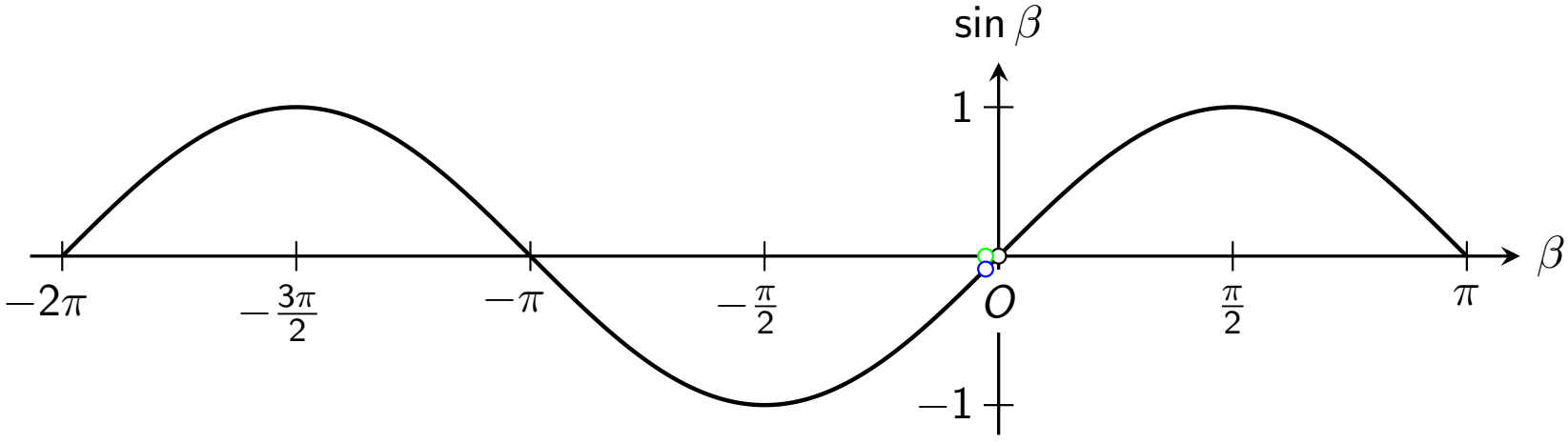

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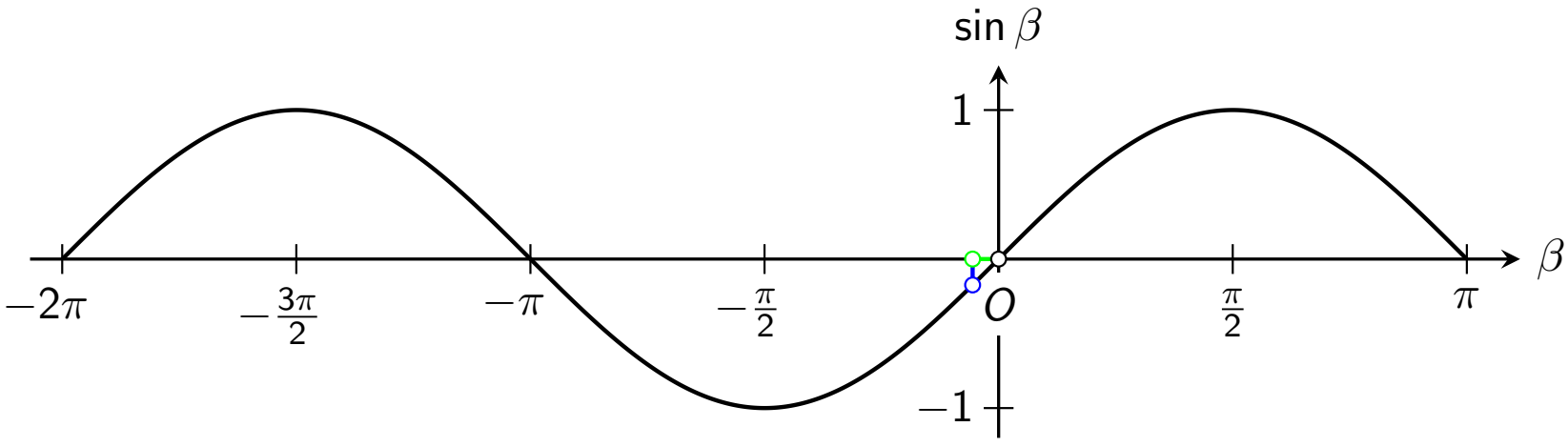

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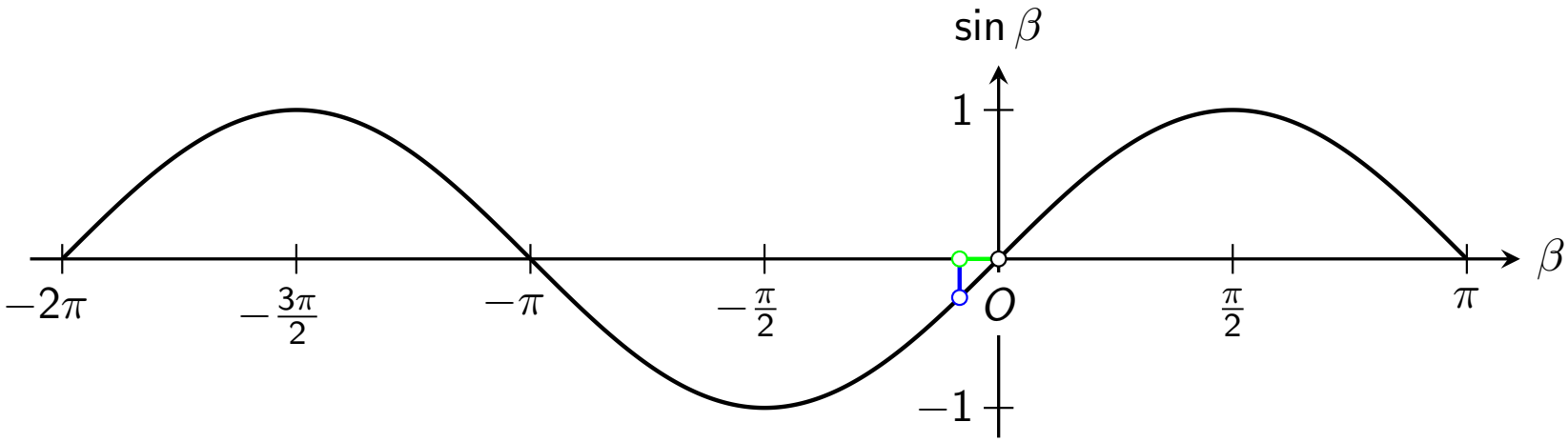
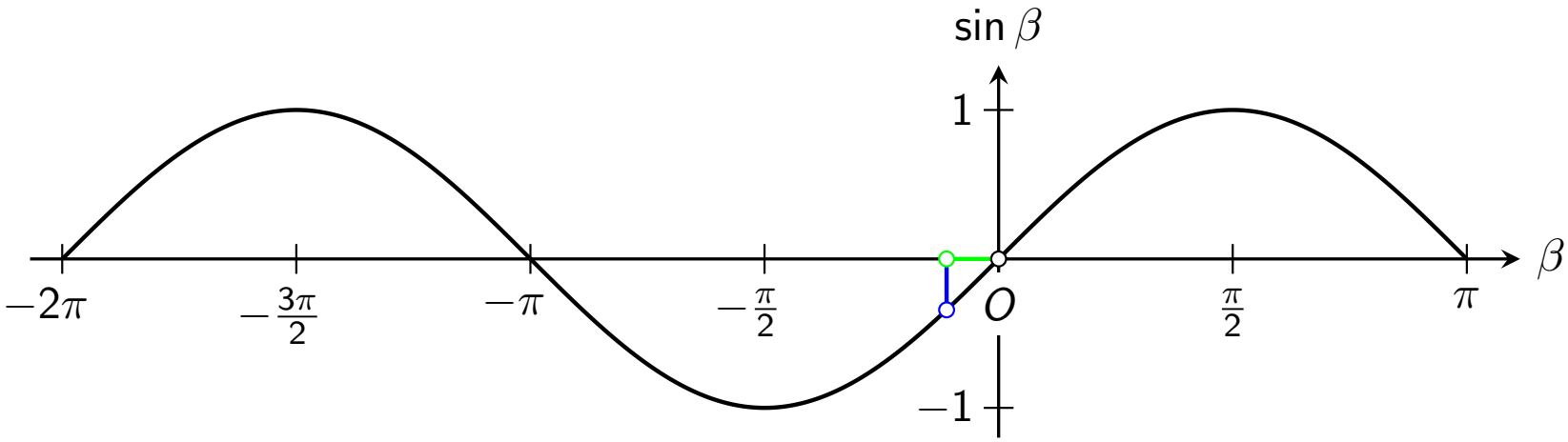
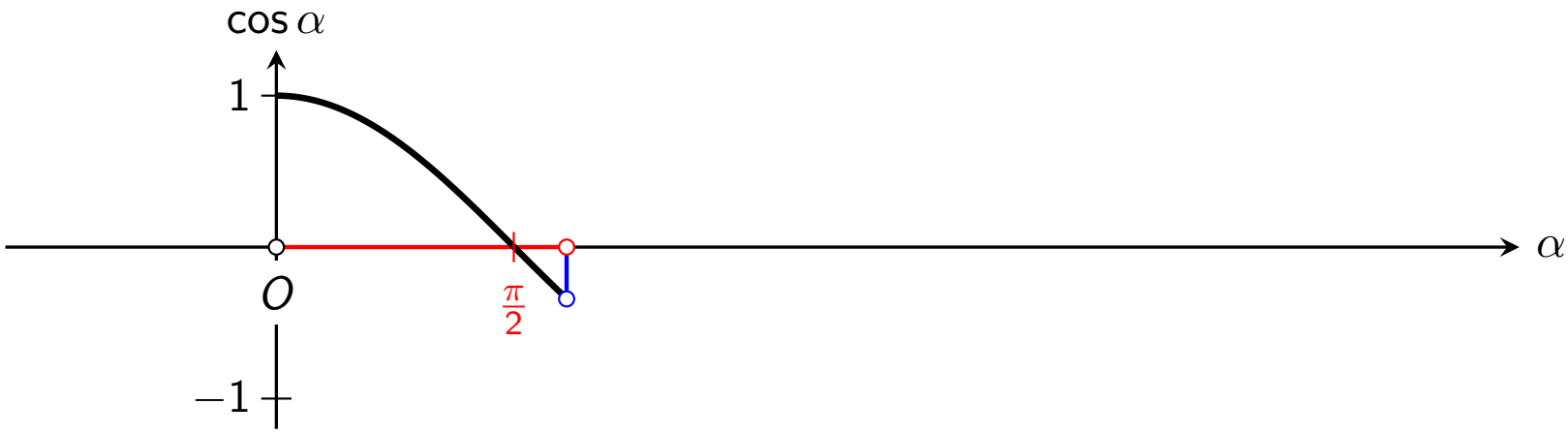


$$\cos\alpha = \sin\left(\frac{\pi}{2} - \alpha\right)$$





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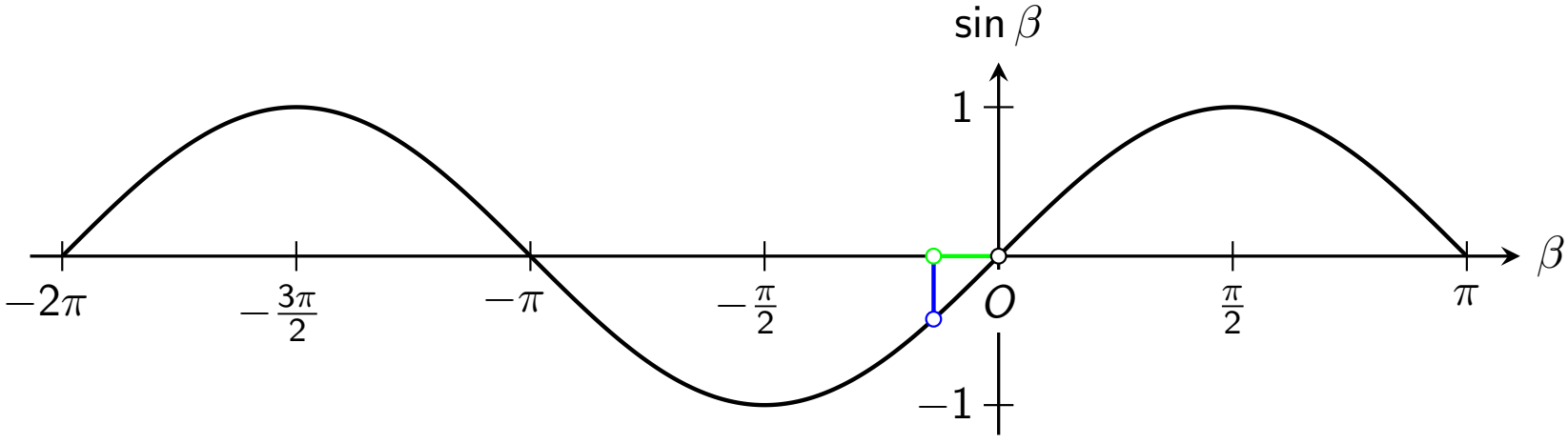

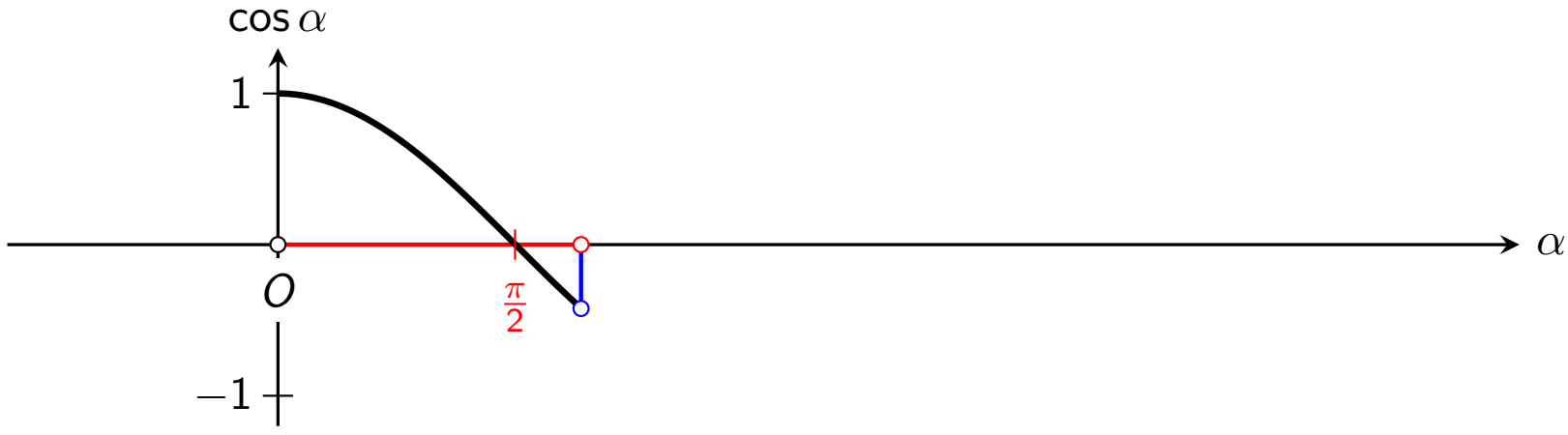

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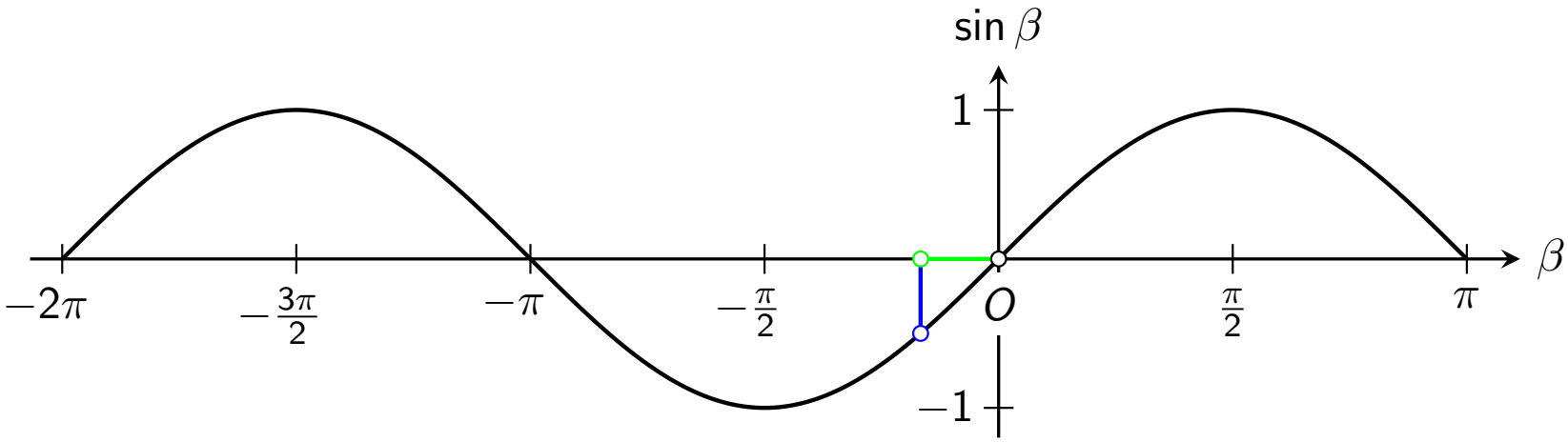

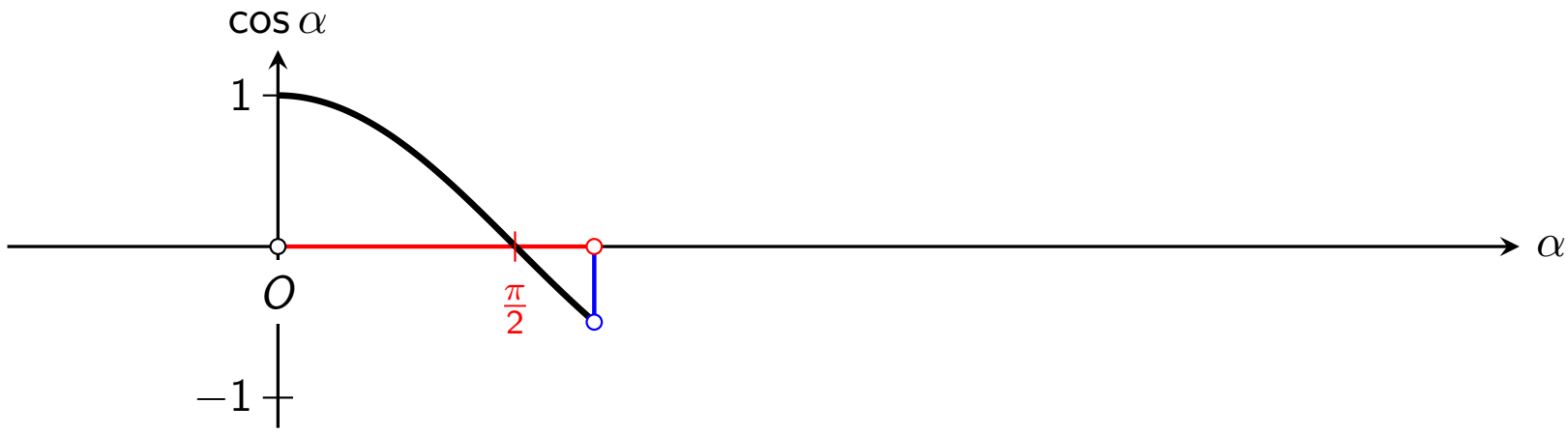

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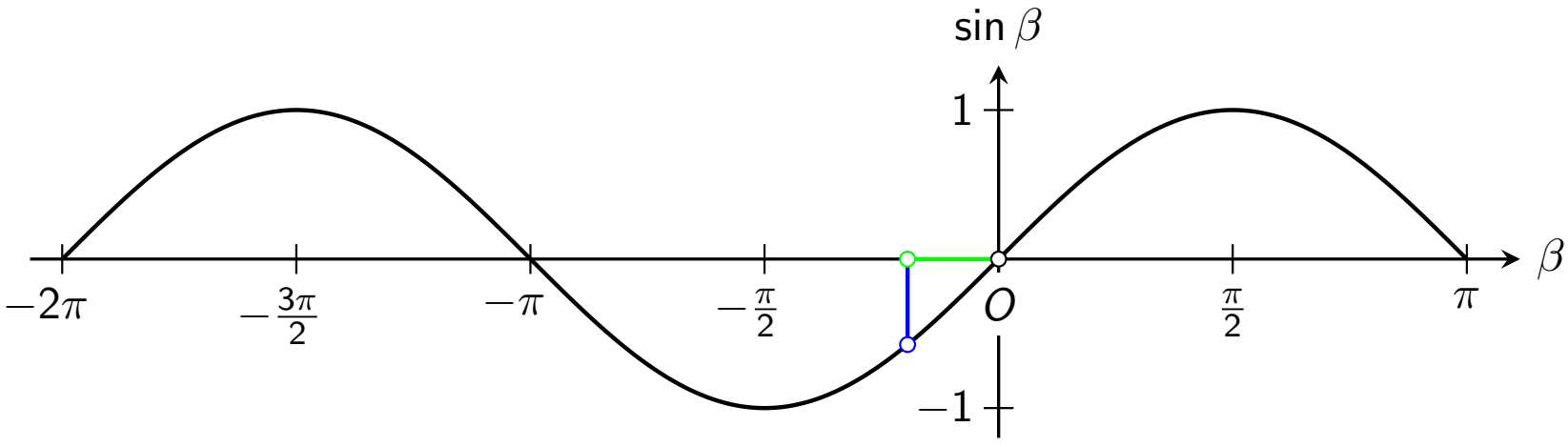

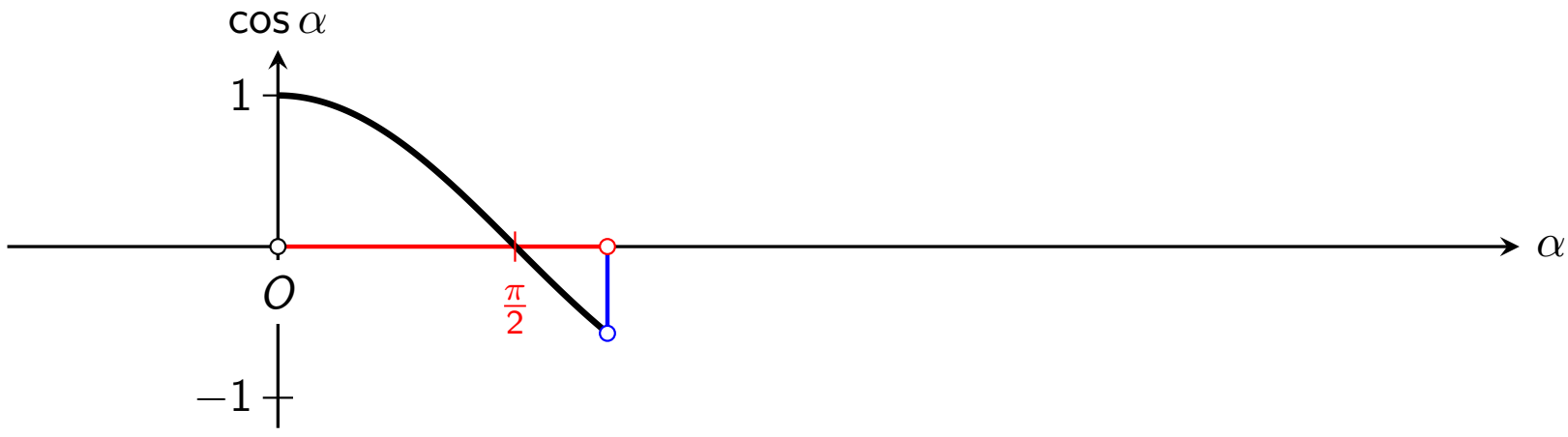

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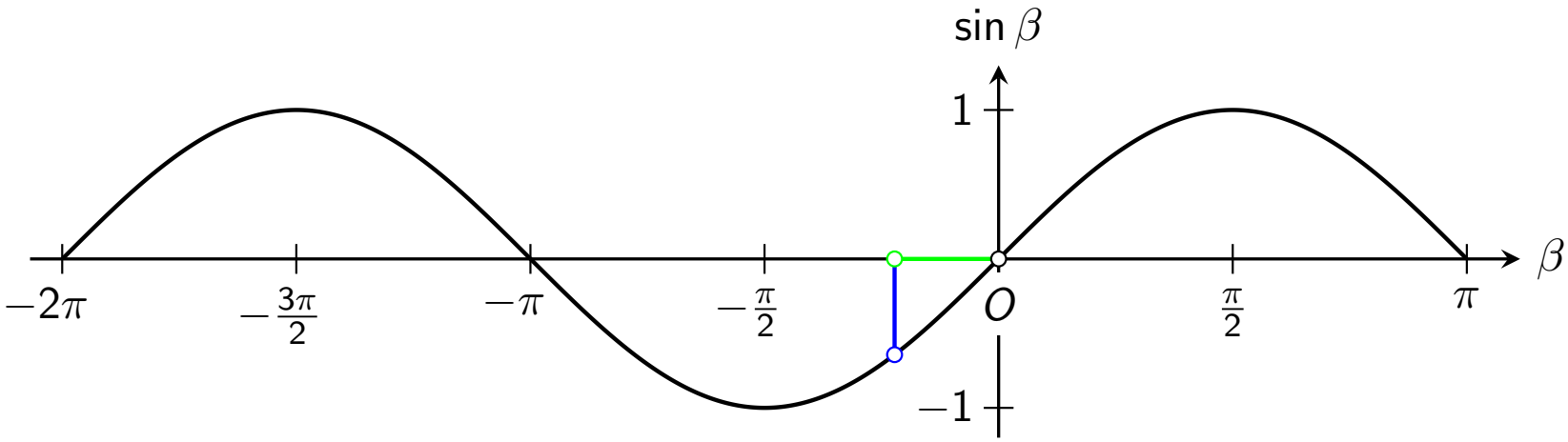

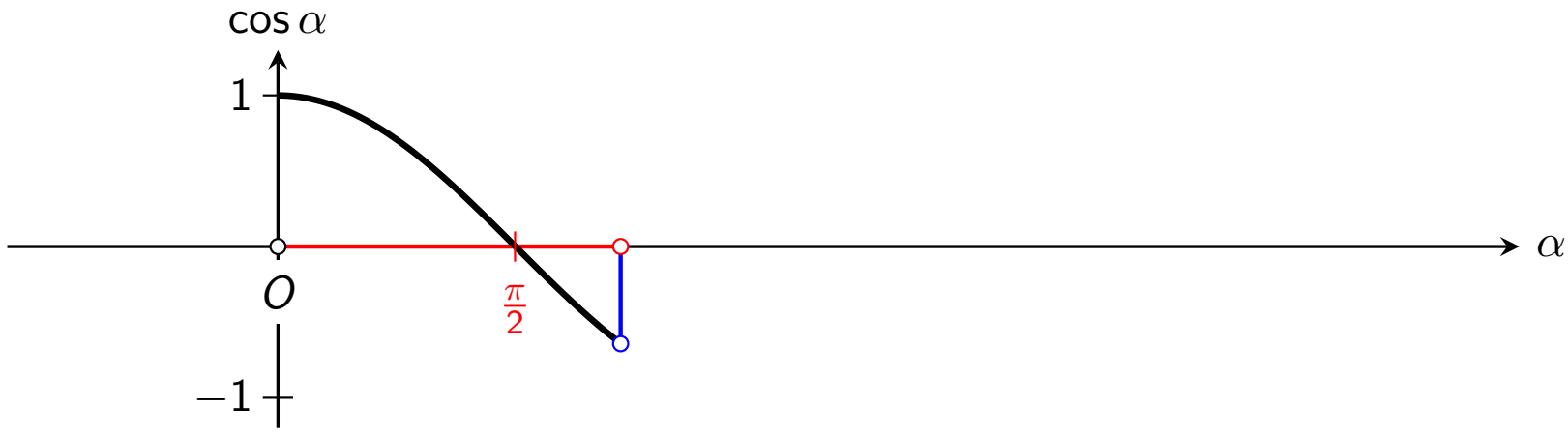

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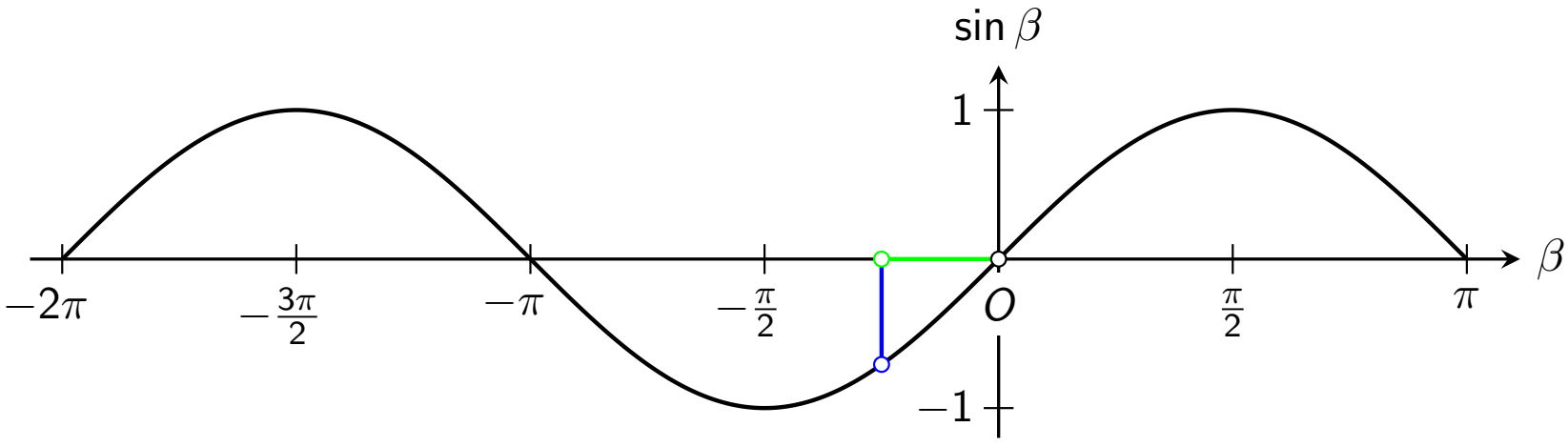

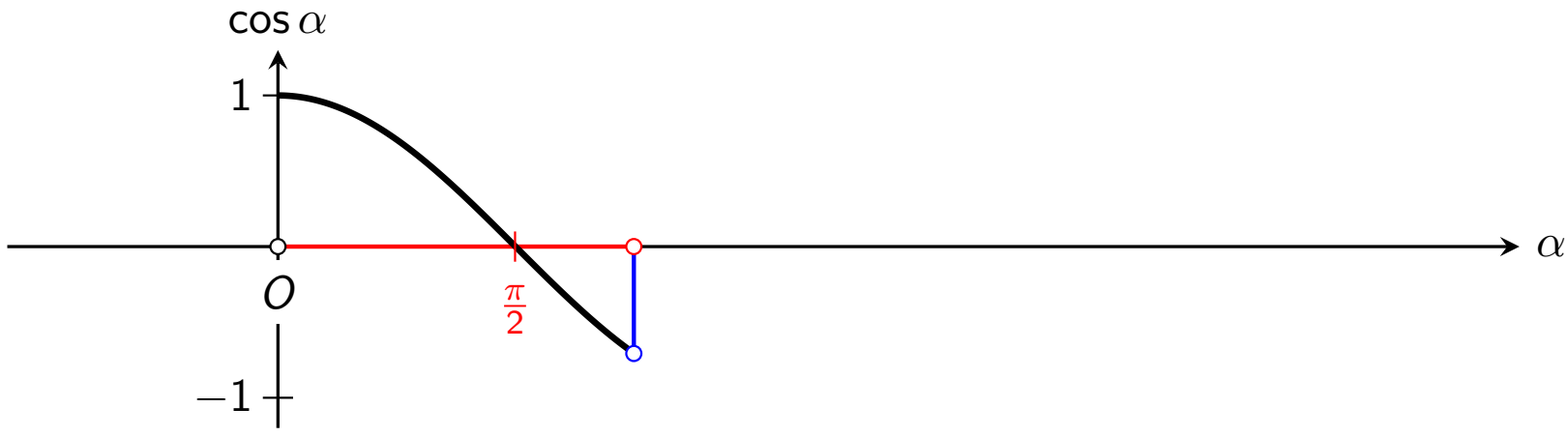

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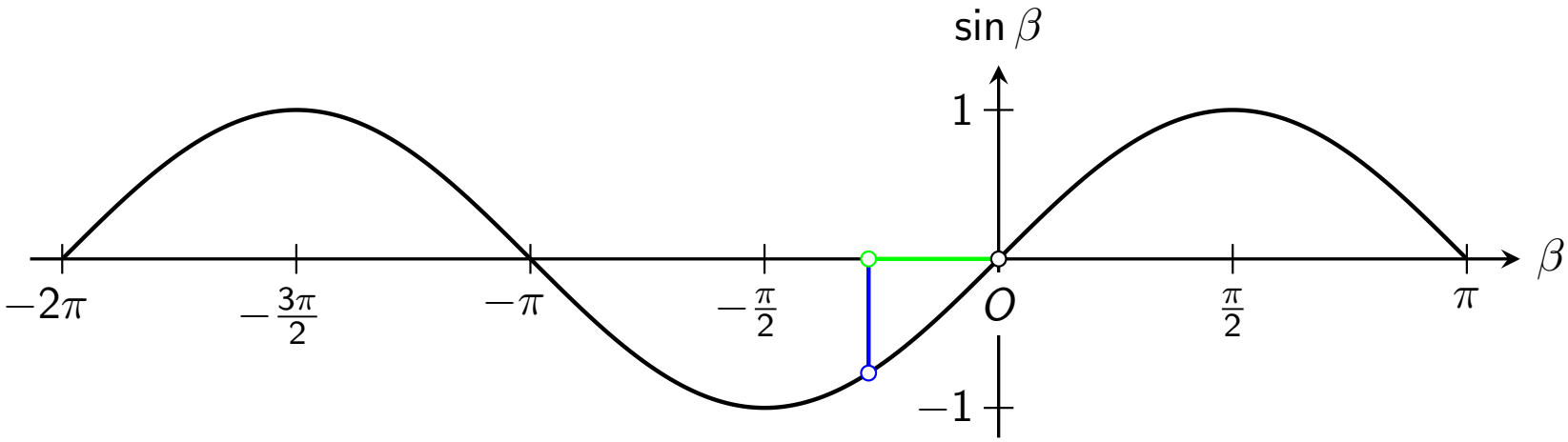

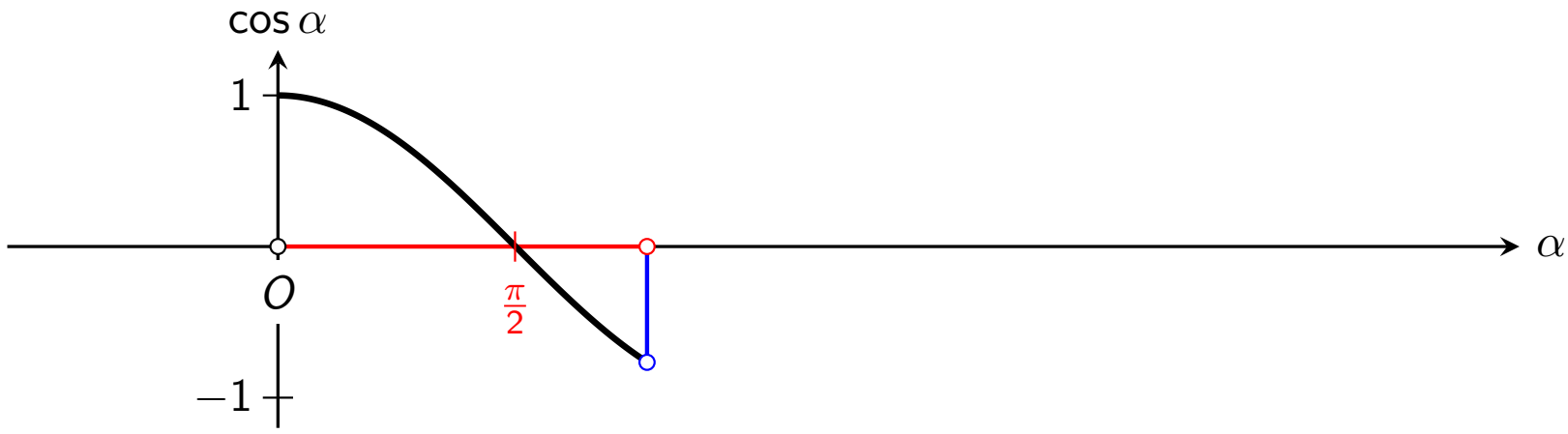

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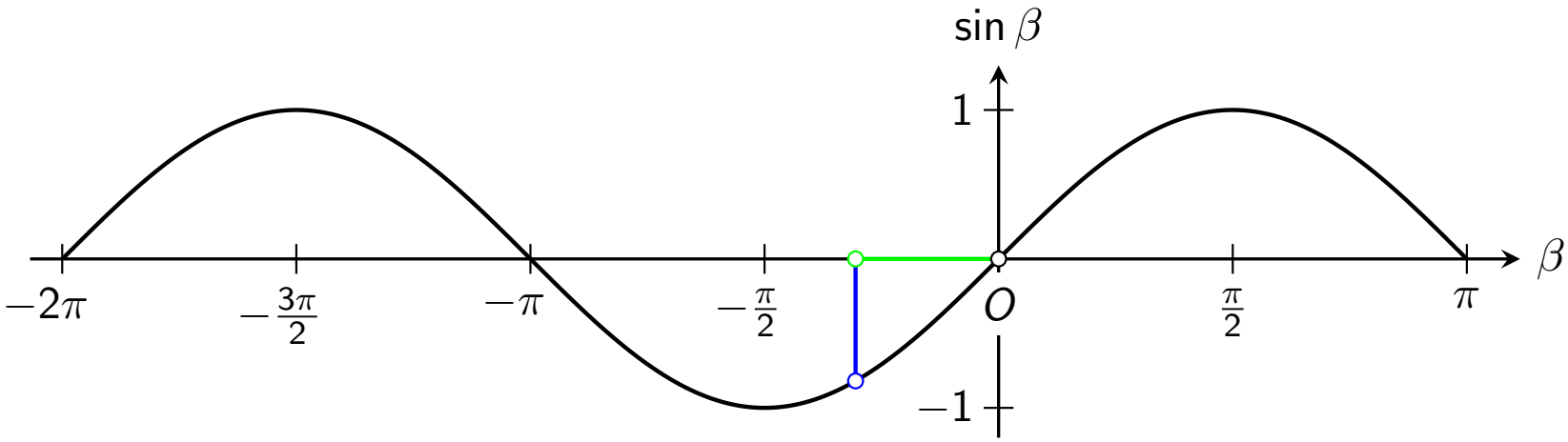
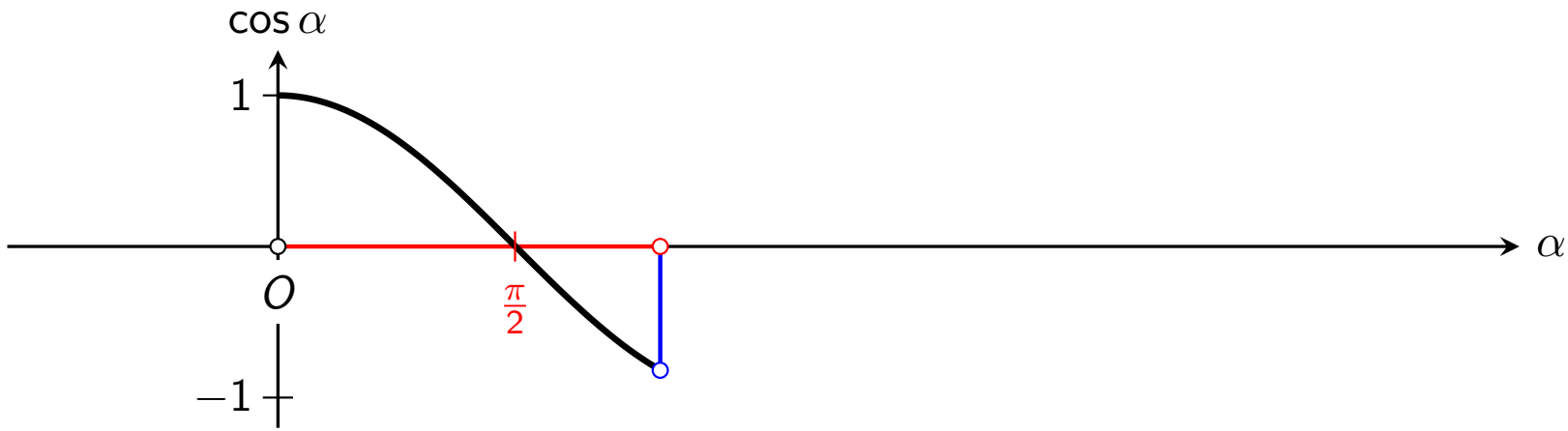
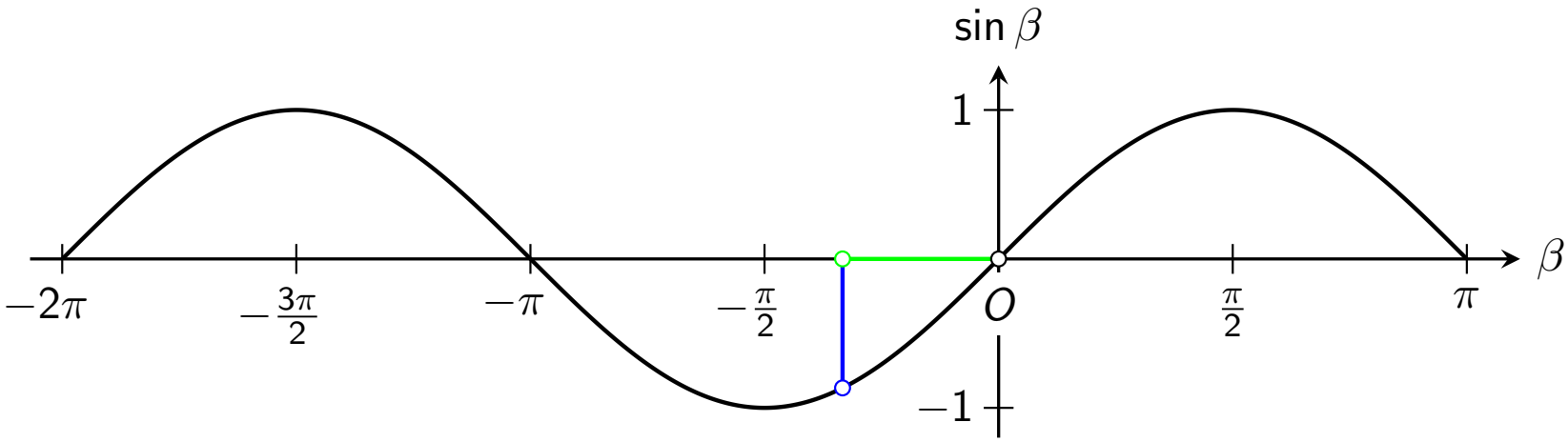
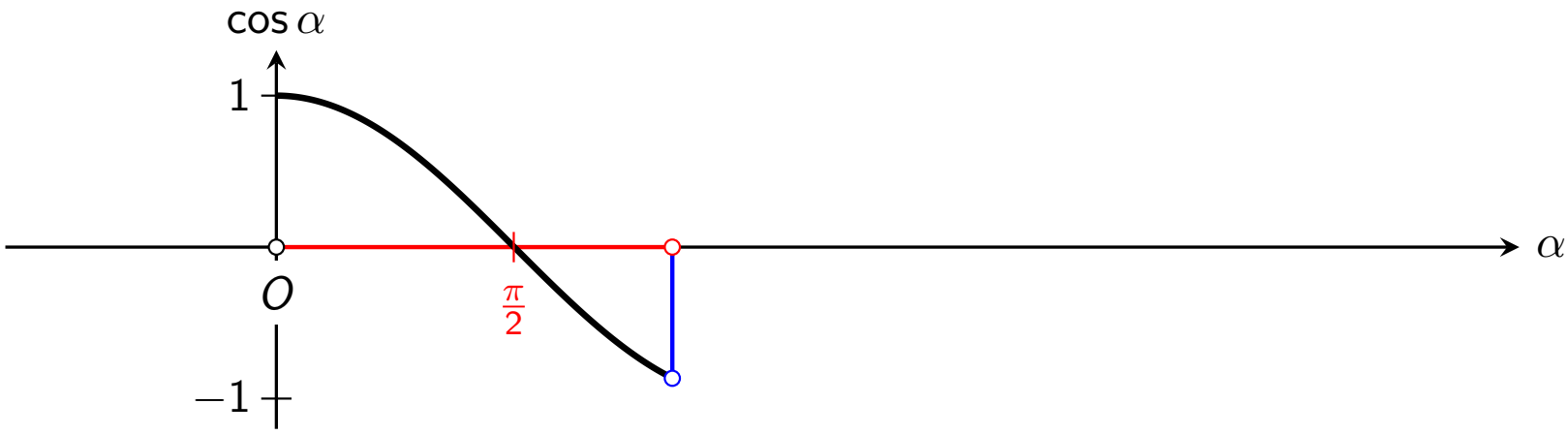


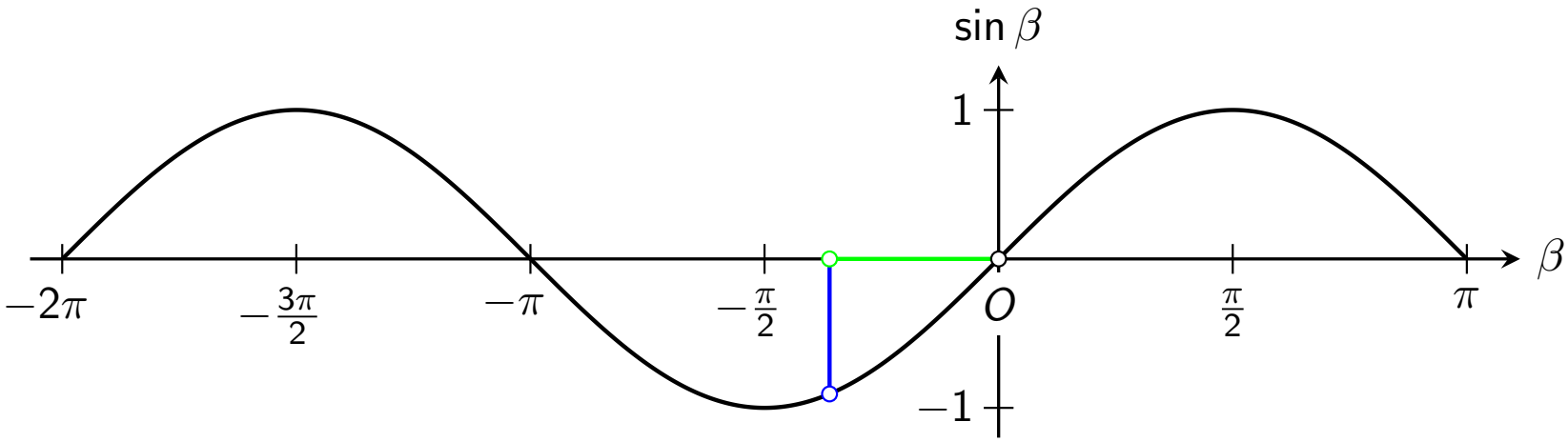


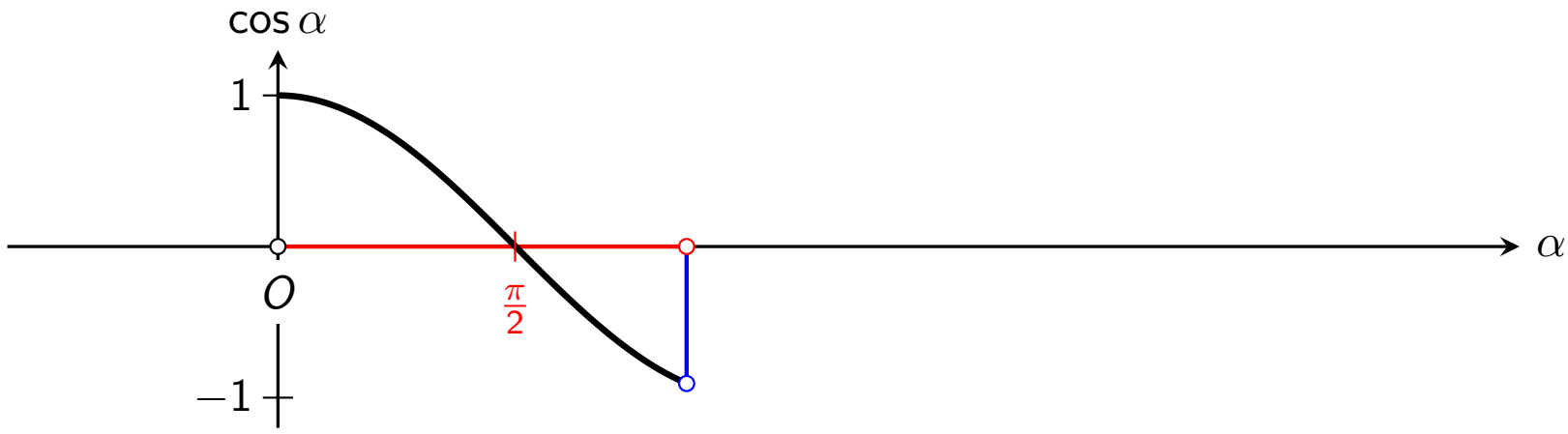
$$\cos\alpha = \sin\left(\frac{\pi}{2} - \alpha\right)$$





$$\cos\alpha = \sin\left(\frac{\pi}{2} - \alpha\right)$$





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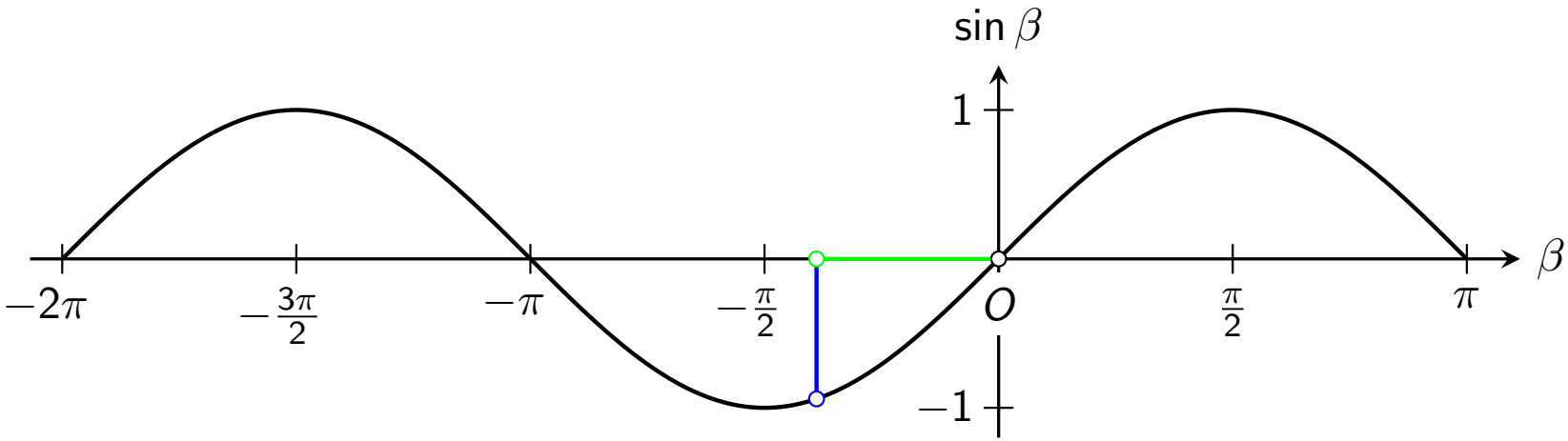

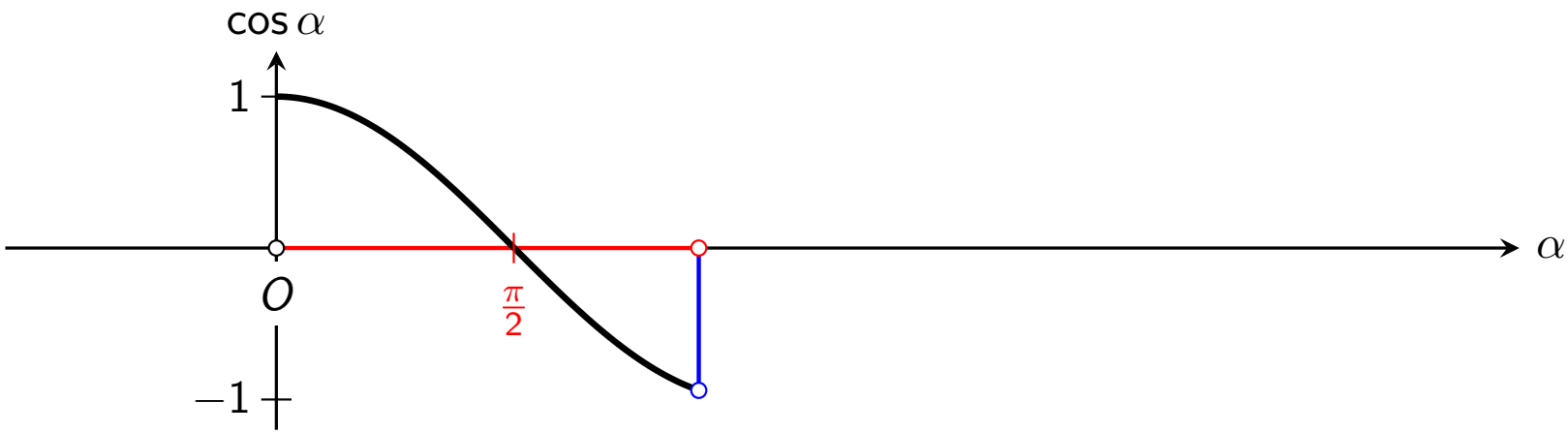

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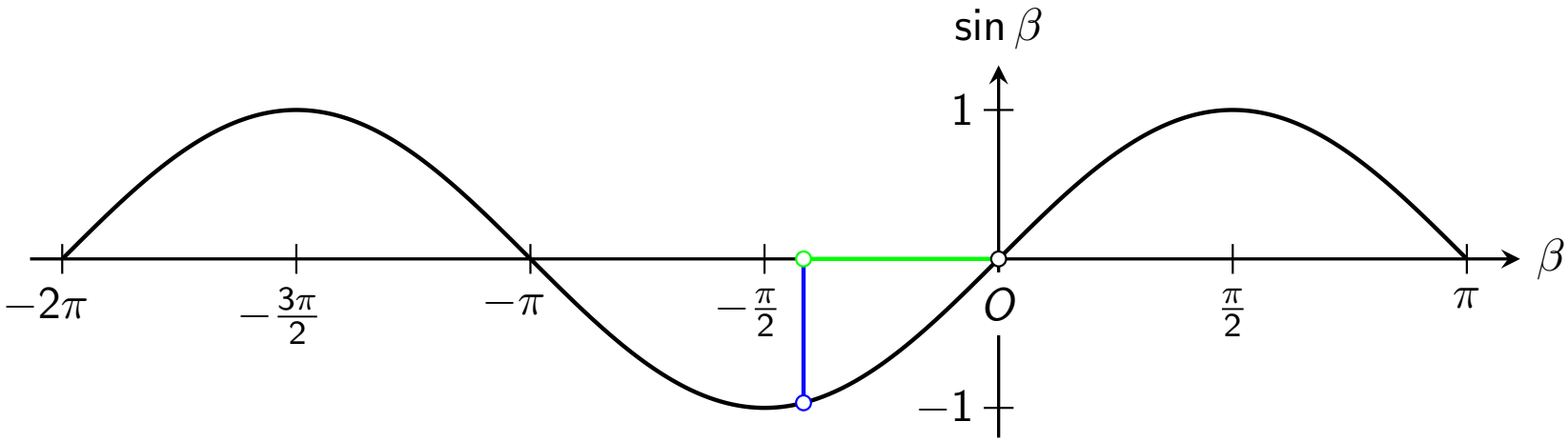

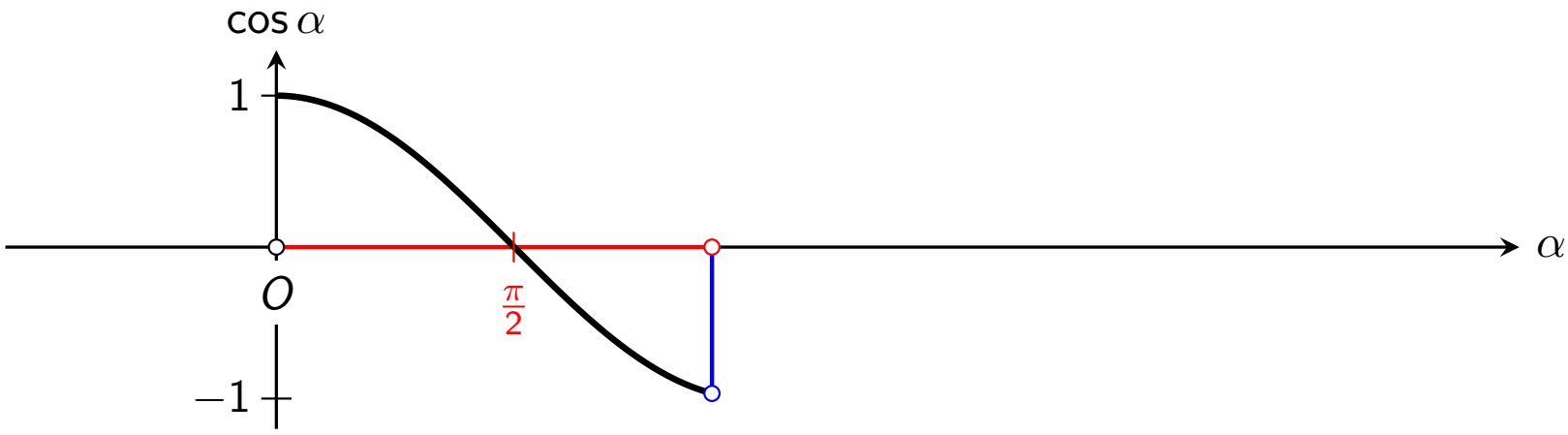

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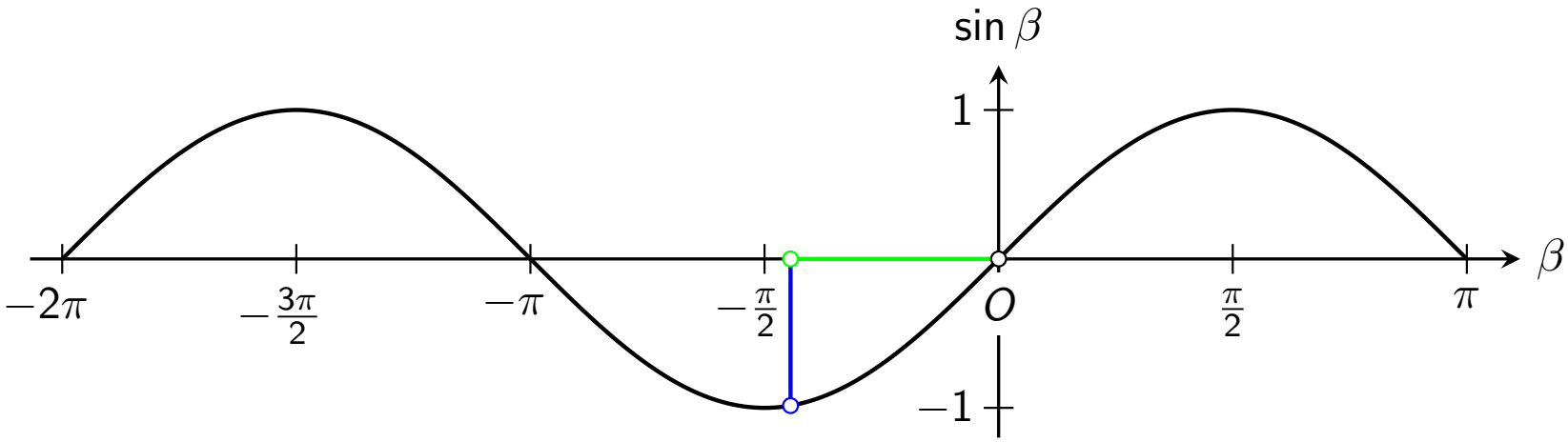

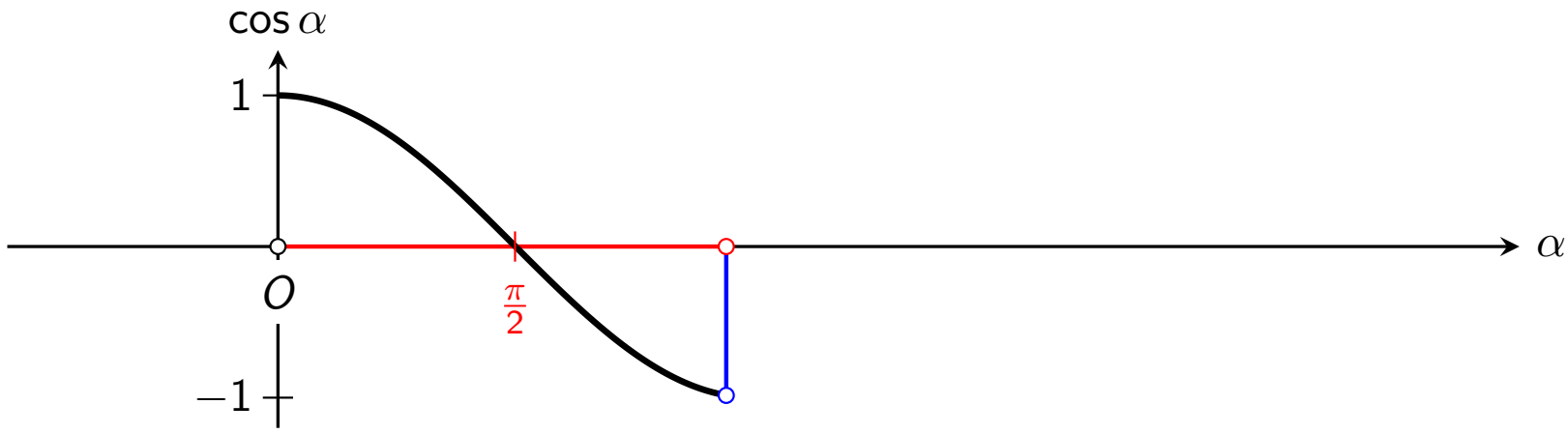

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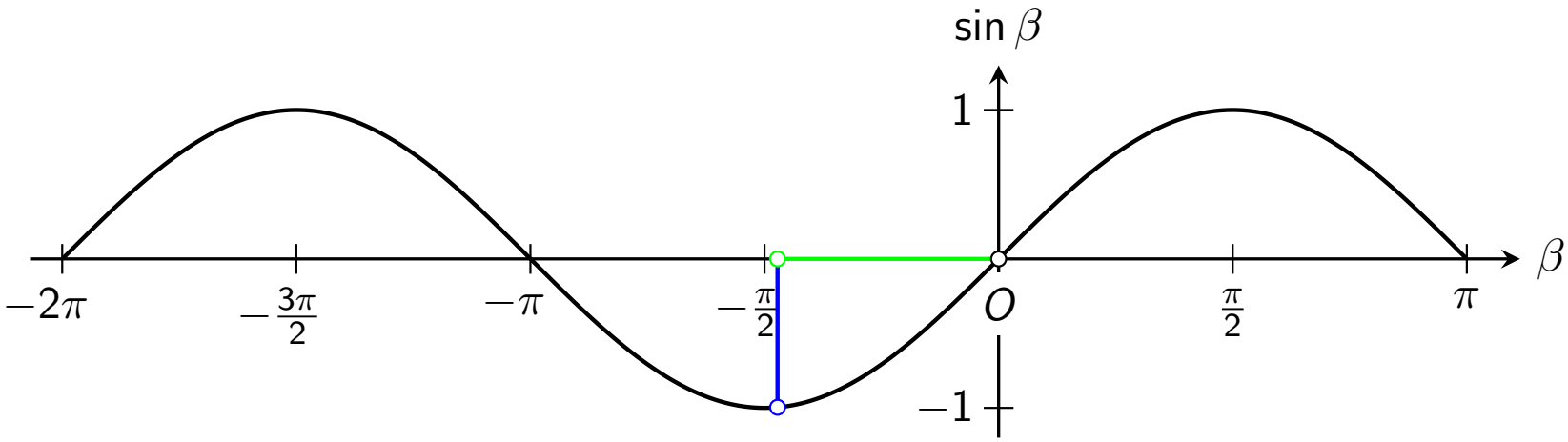

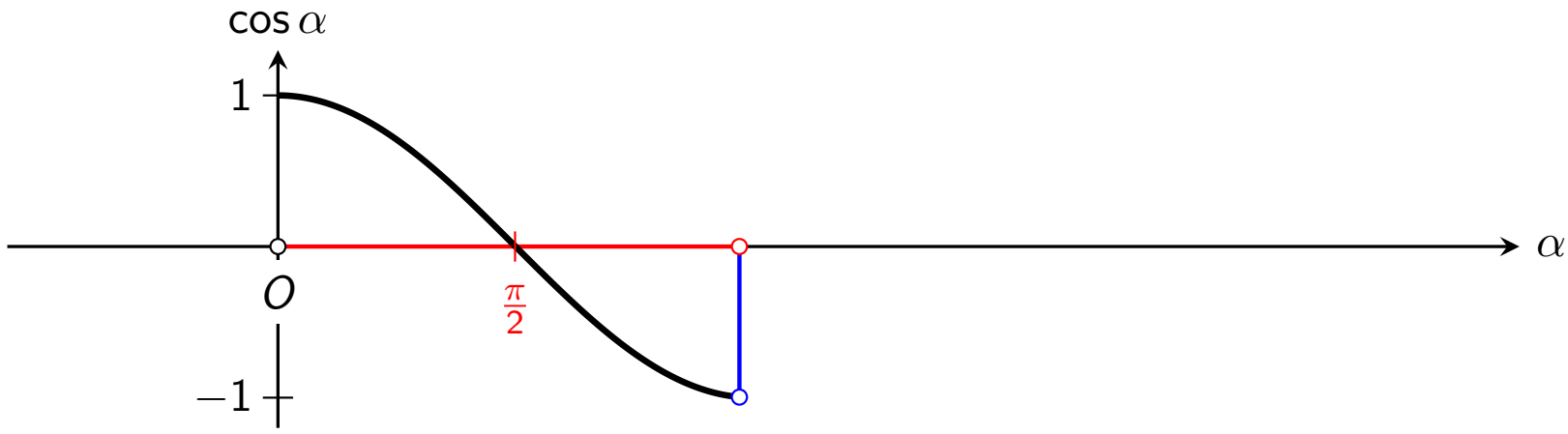

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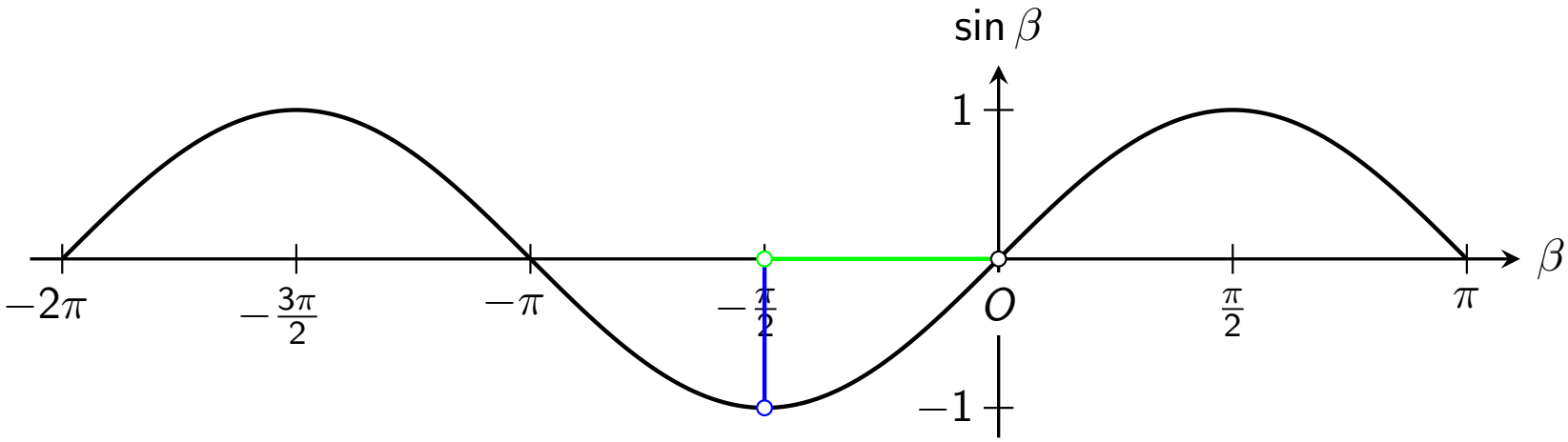

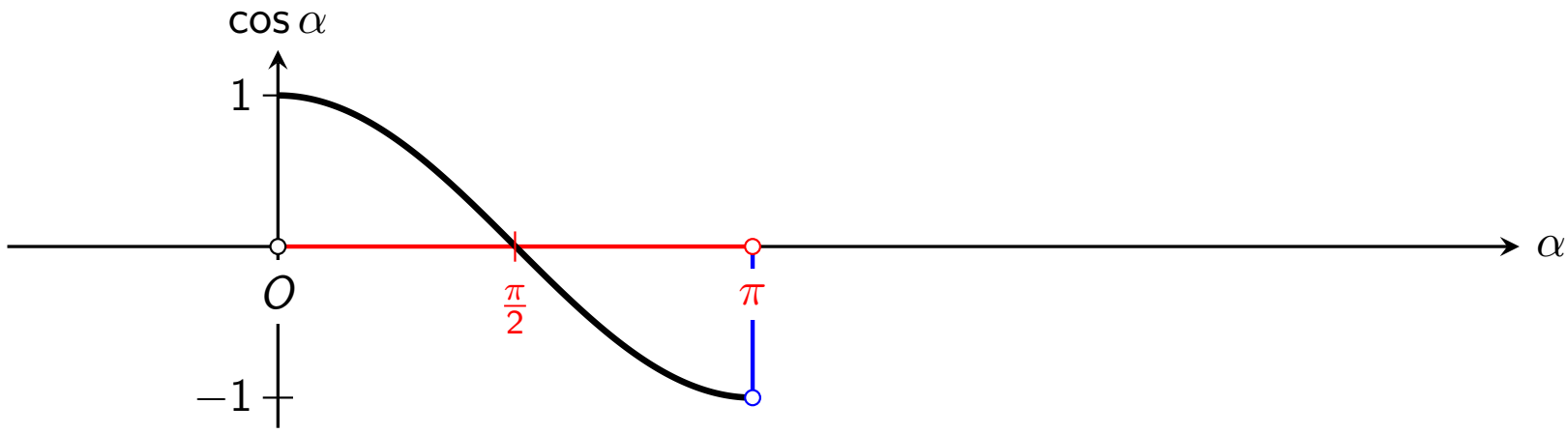

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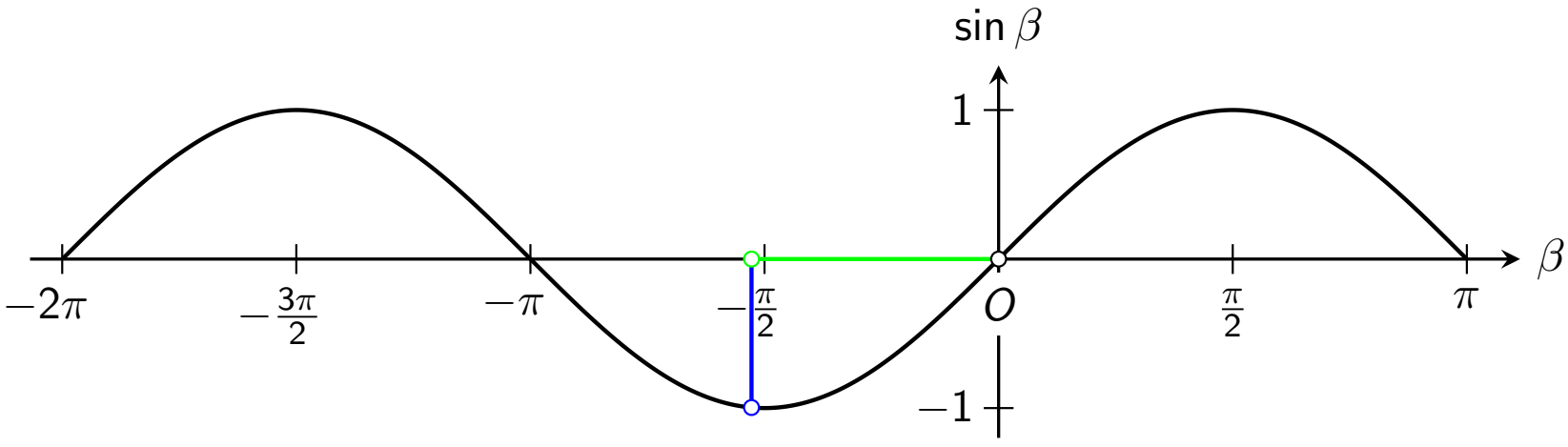

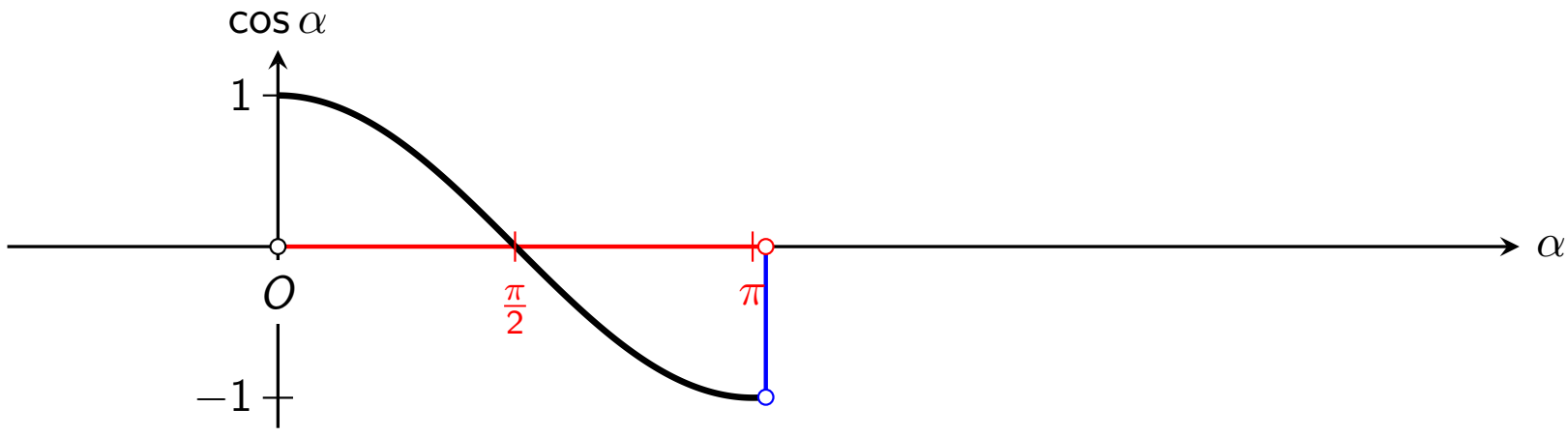

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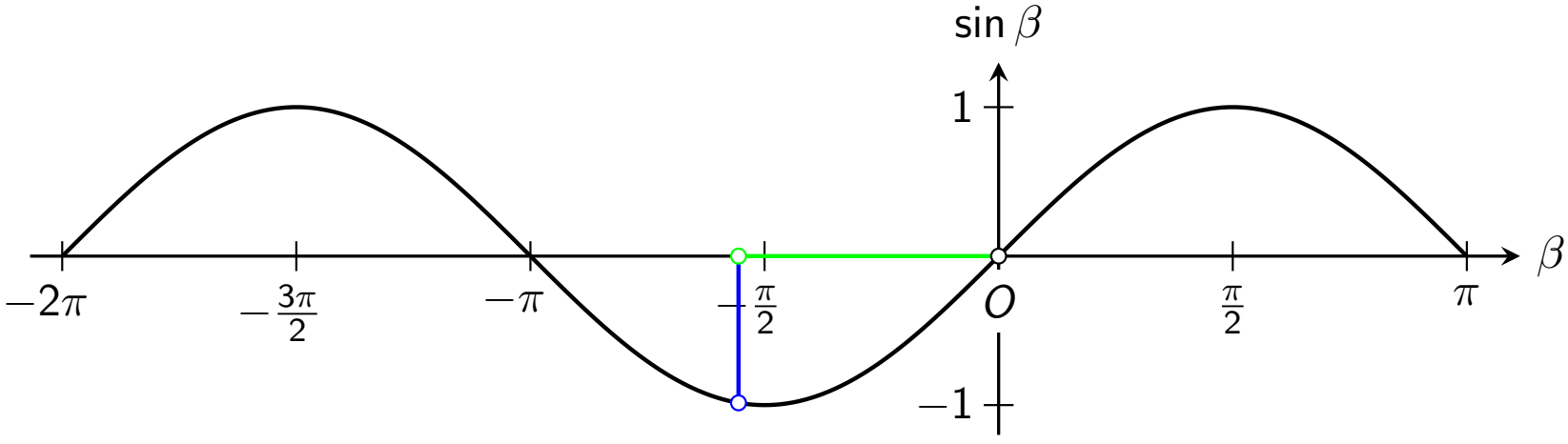
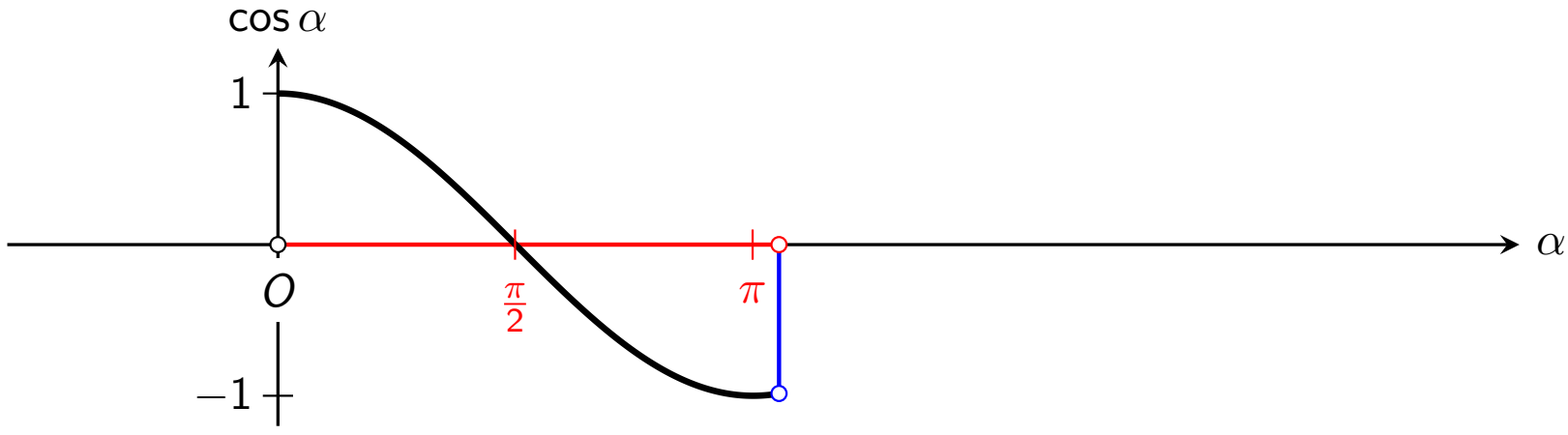
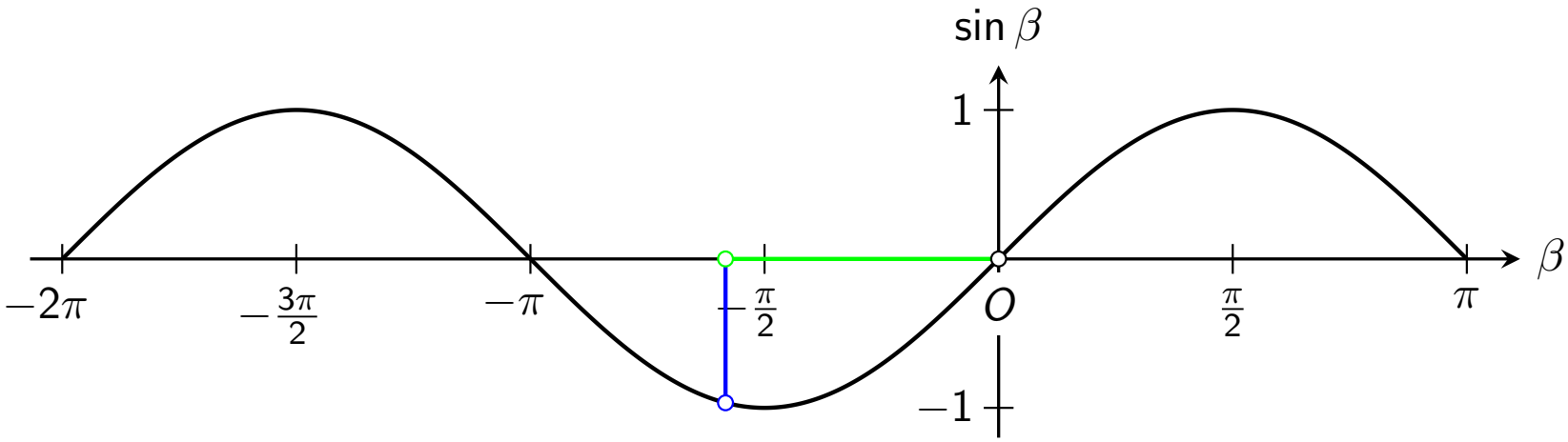
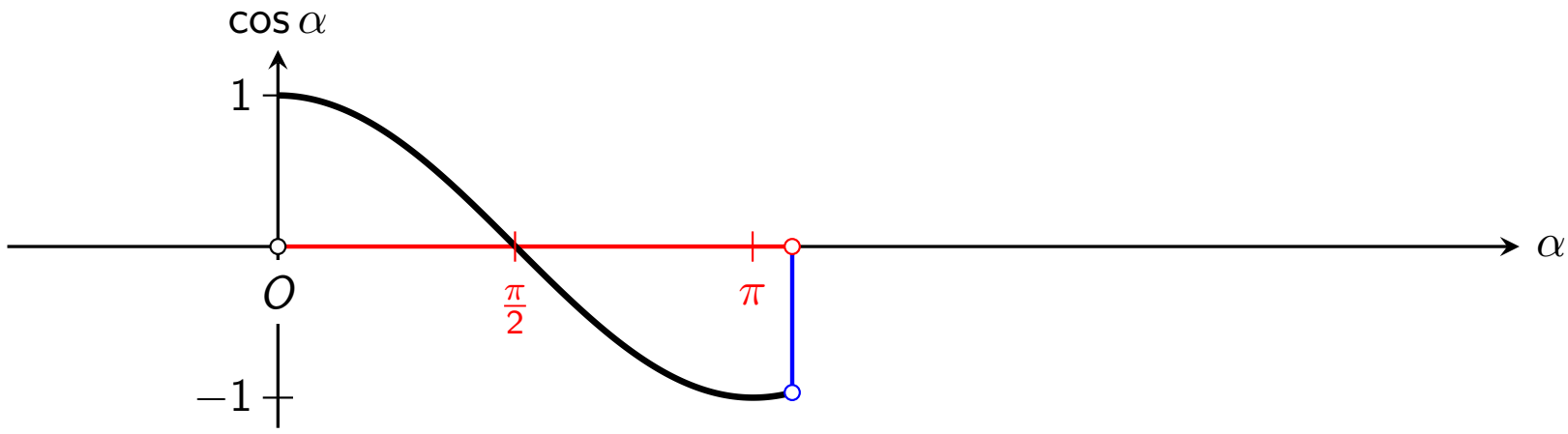




$\cos\alpha = \sin(\frac{\pi}{2} - \alpha)$





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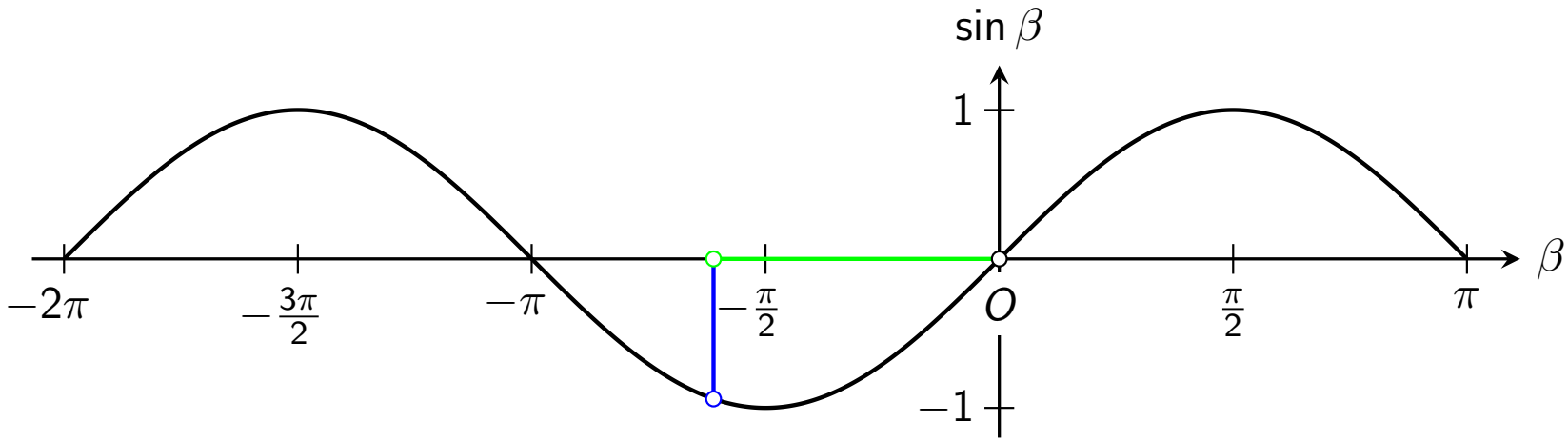

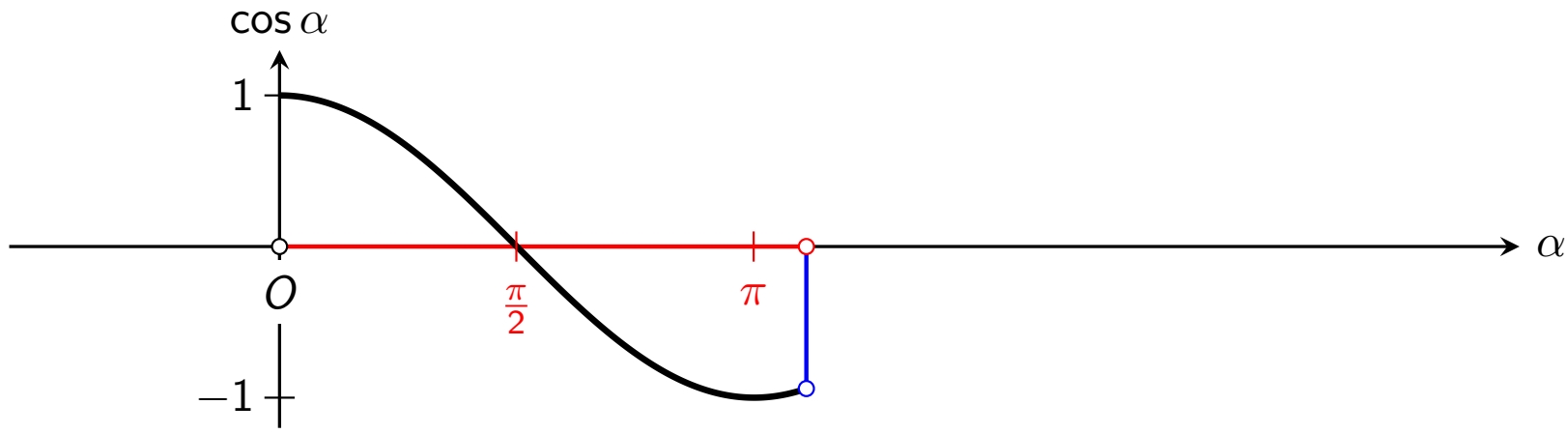

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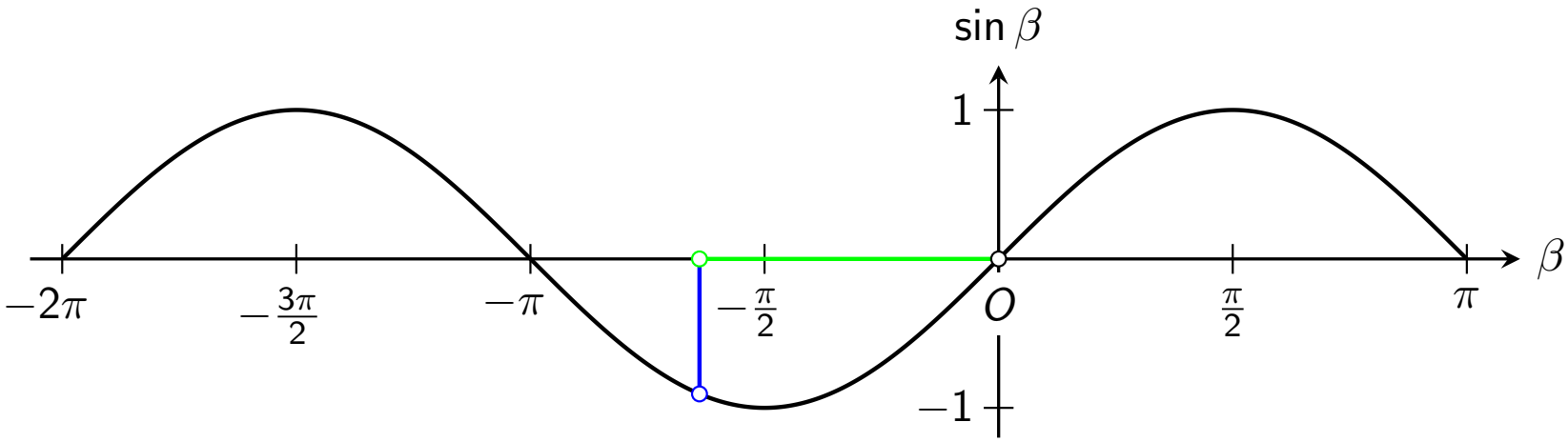

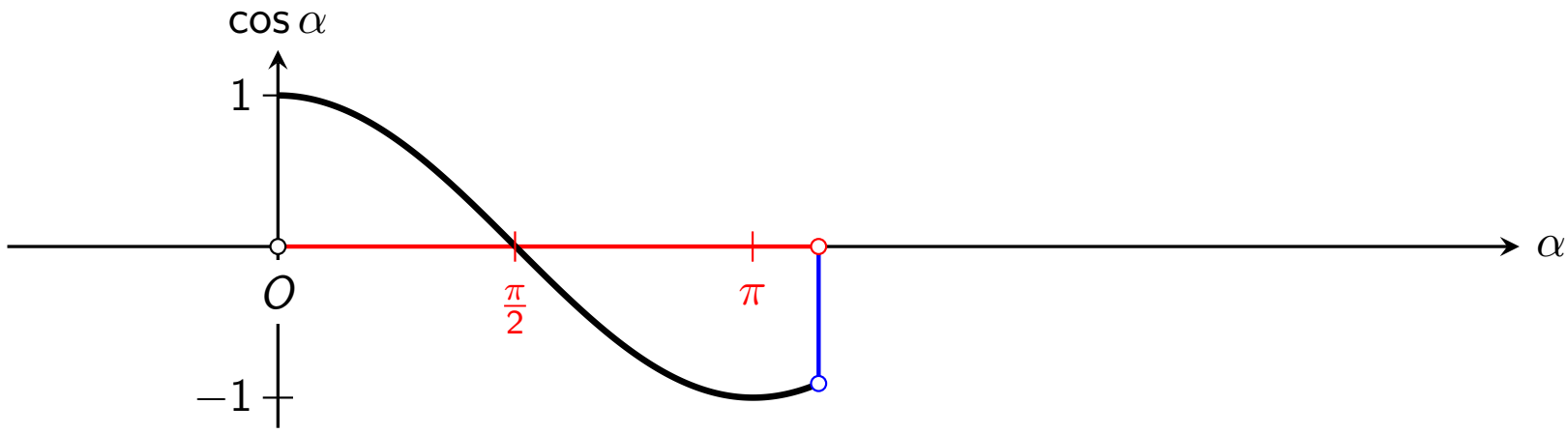

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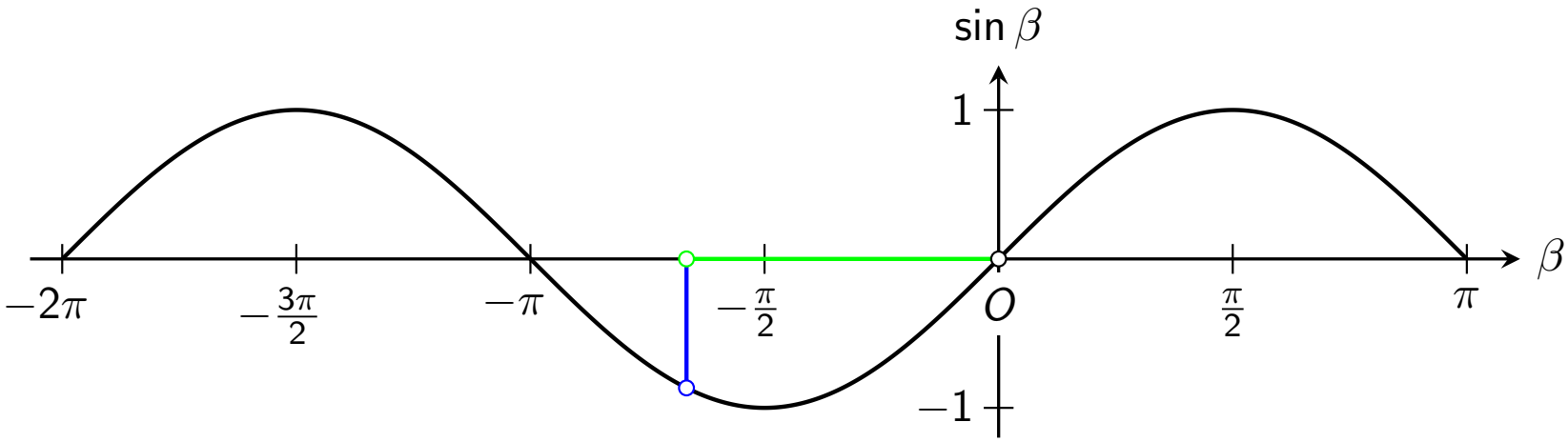

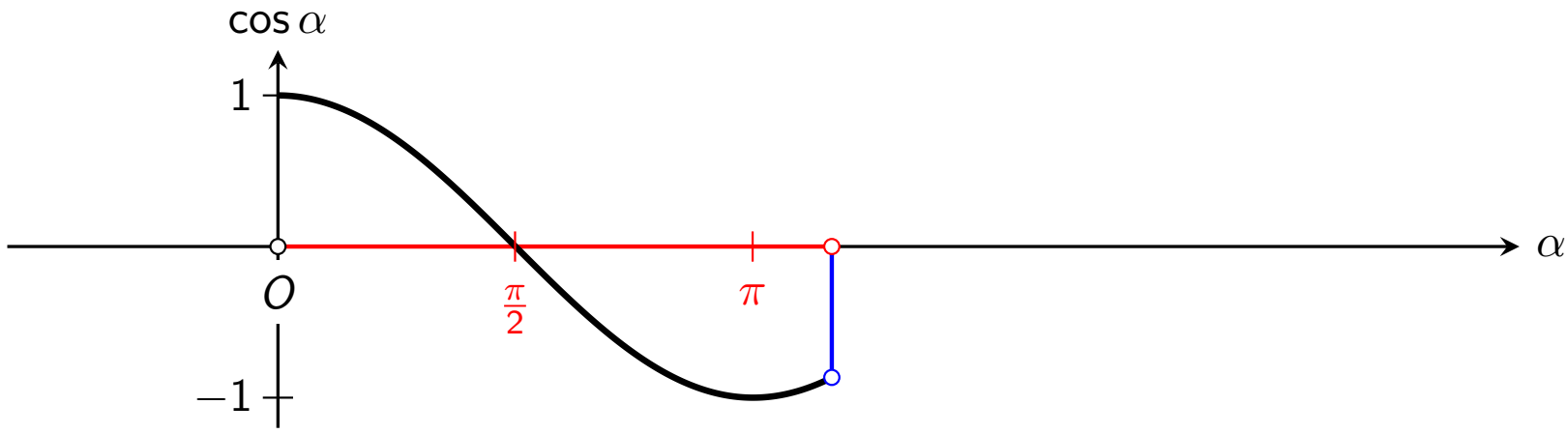

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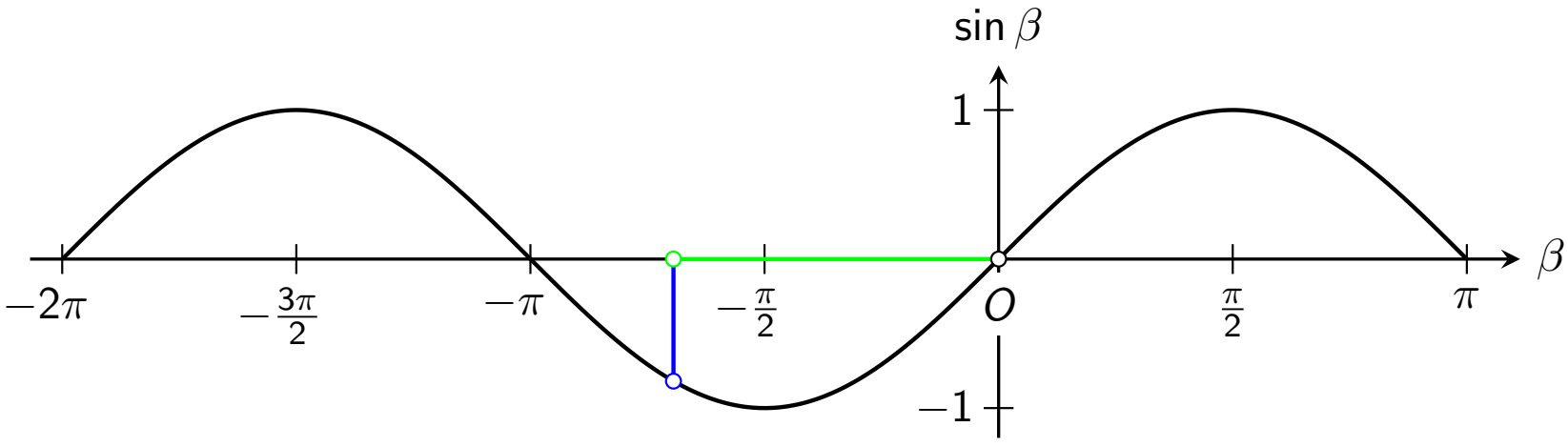

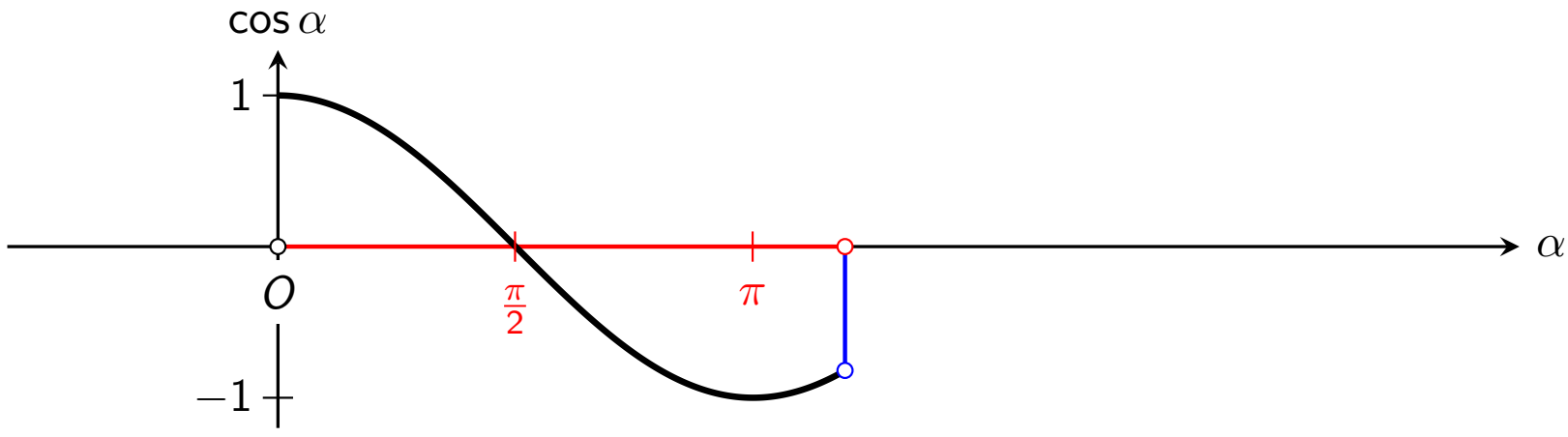

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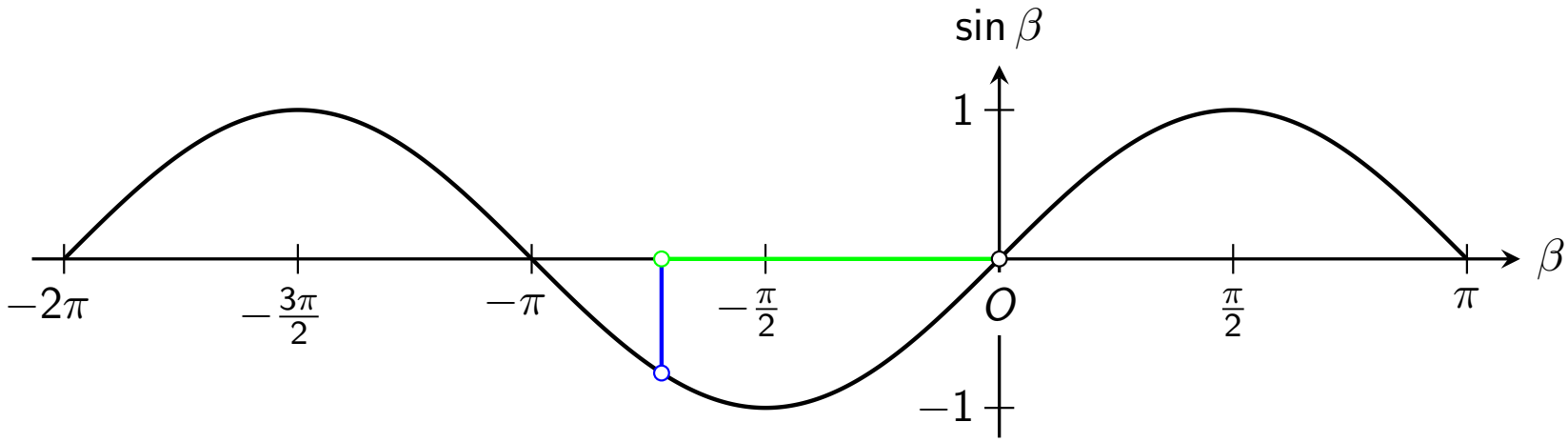

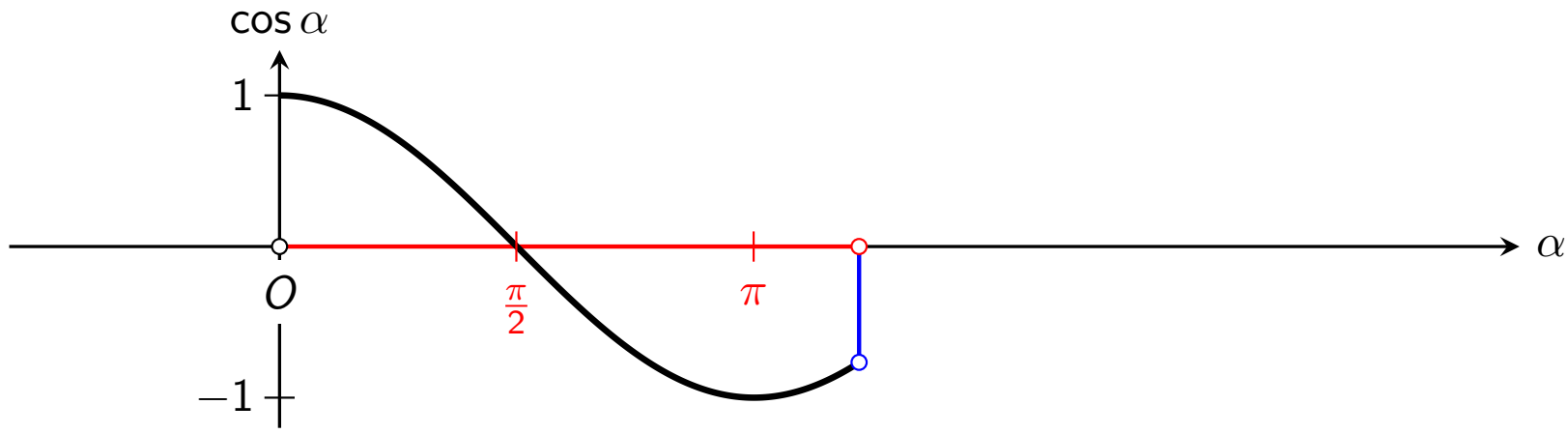

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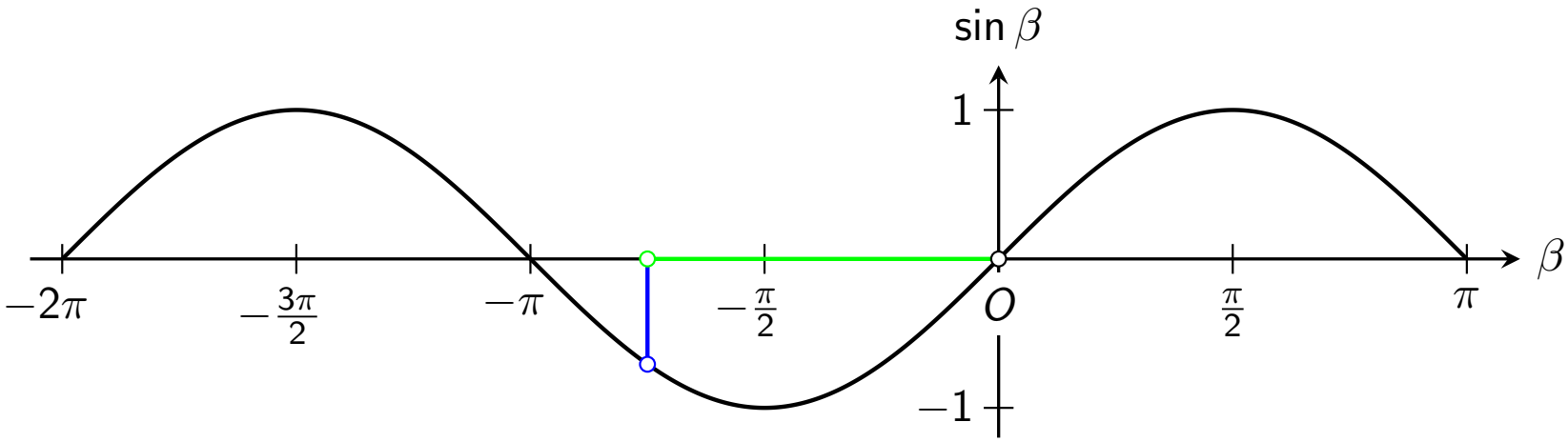

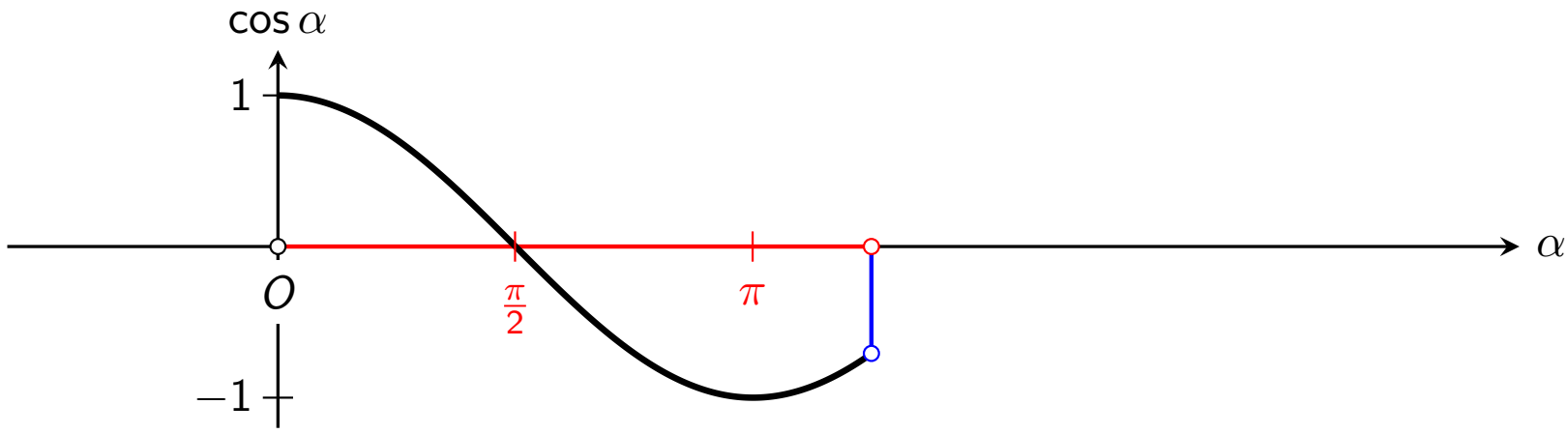

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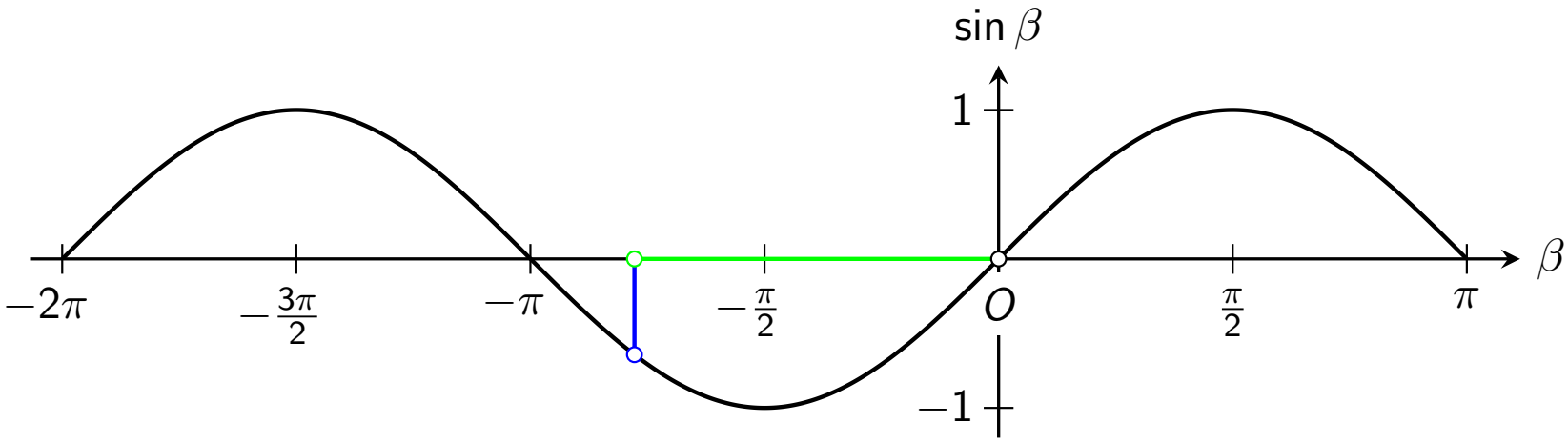

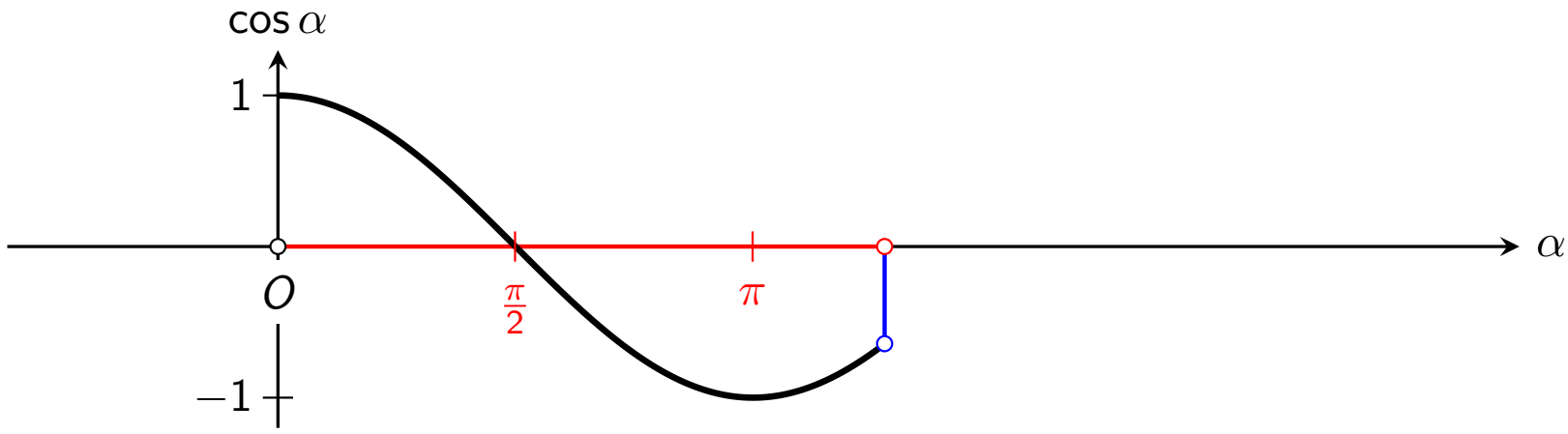

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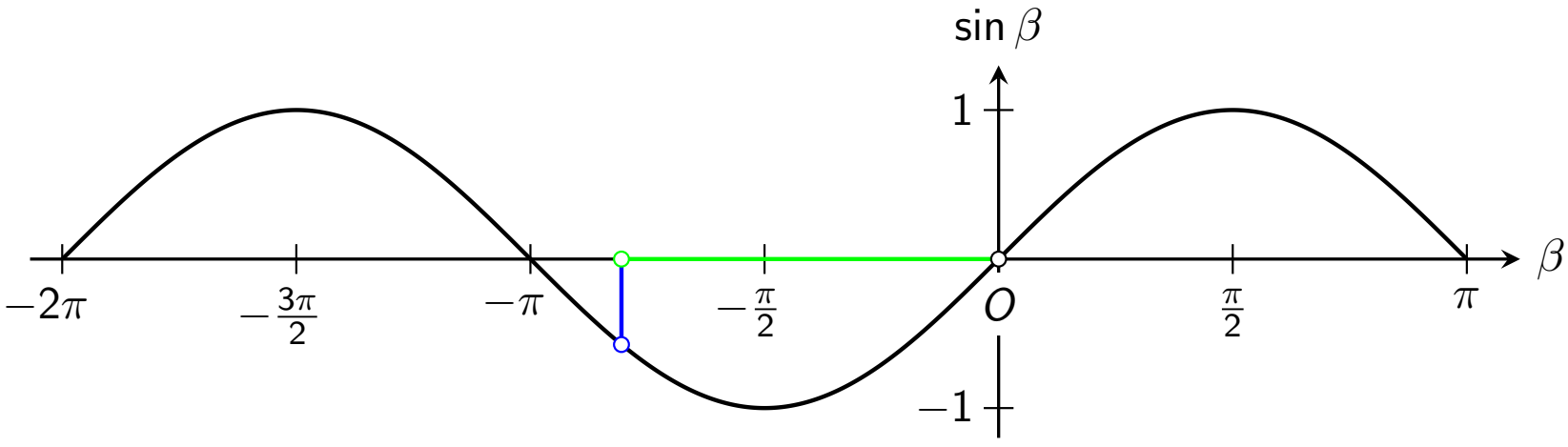

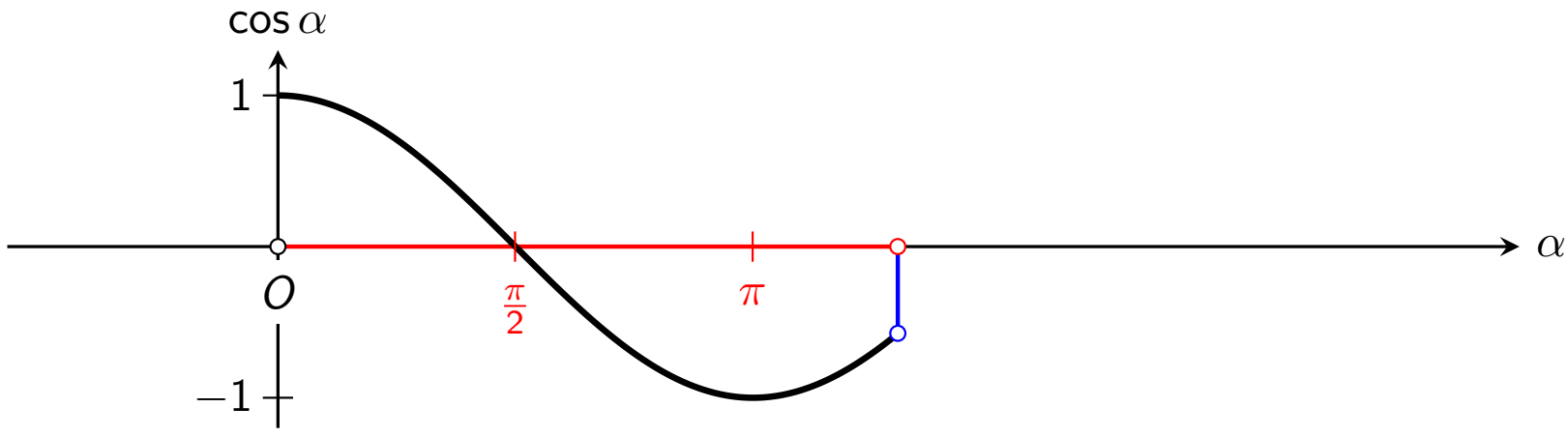

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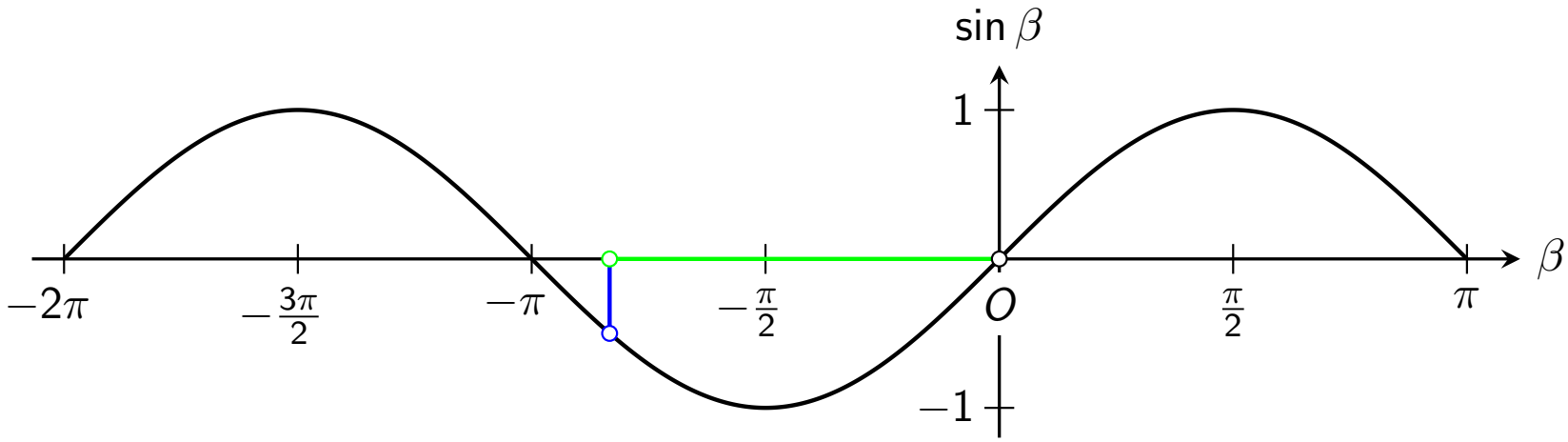

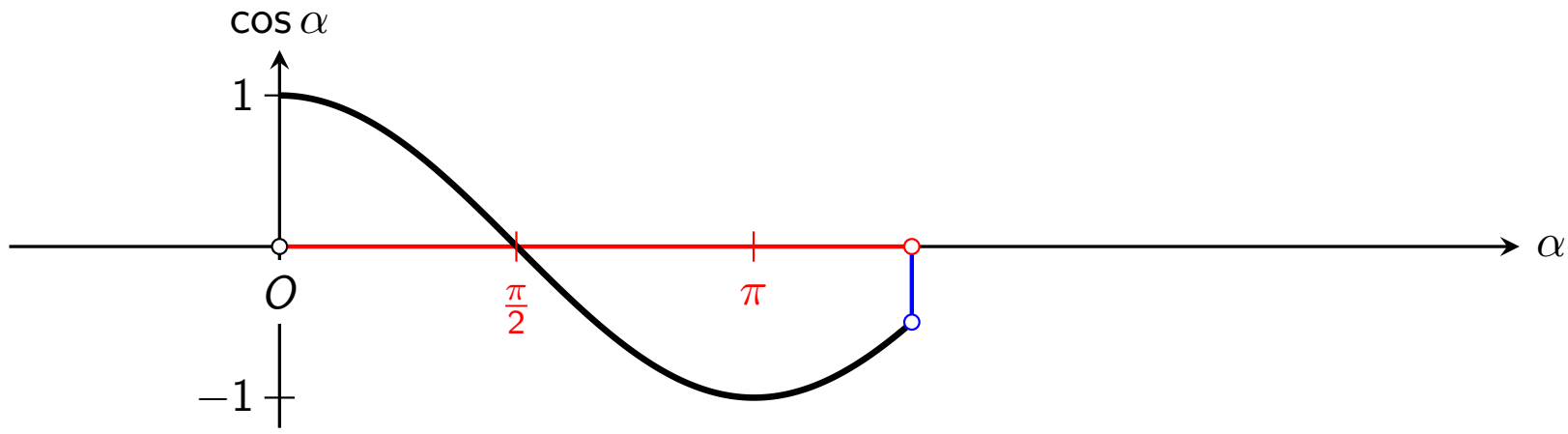

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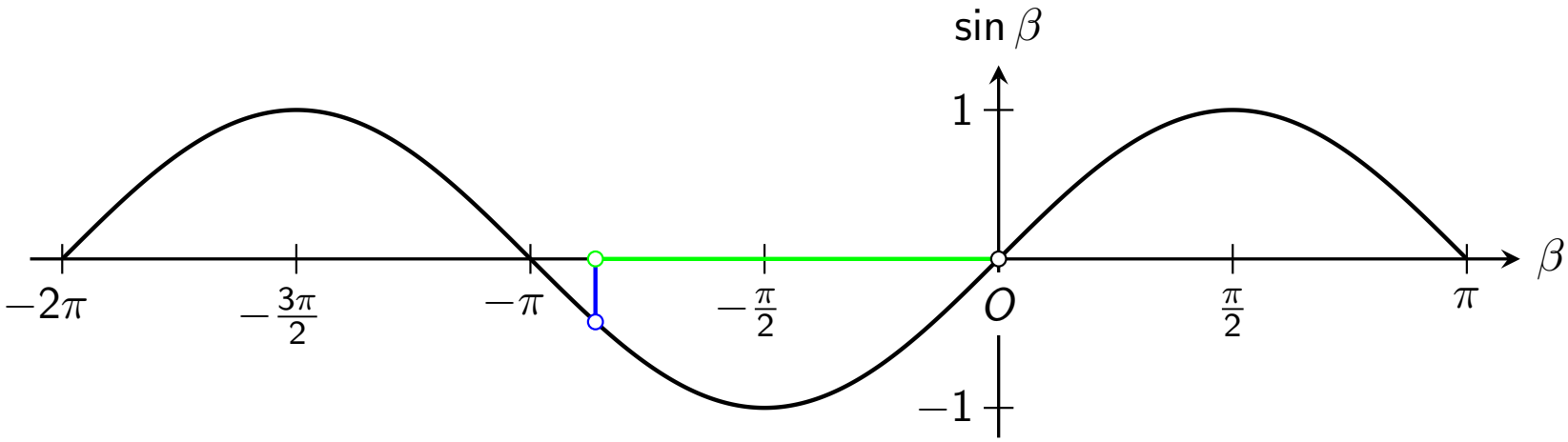

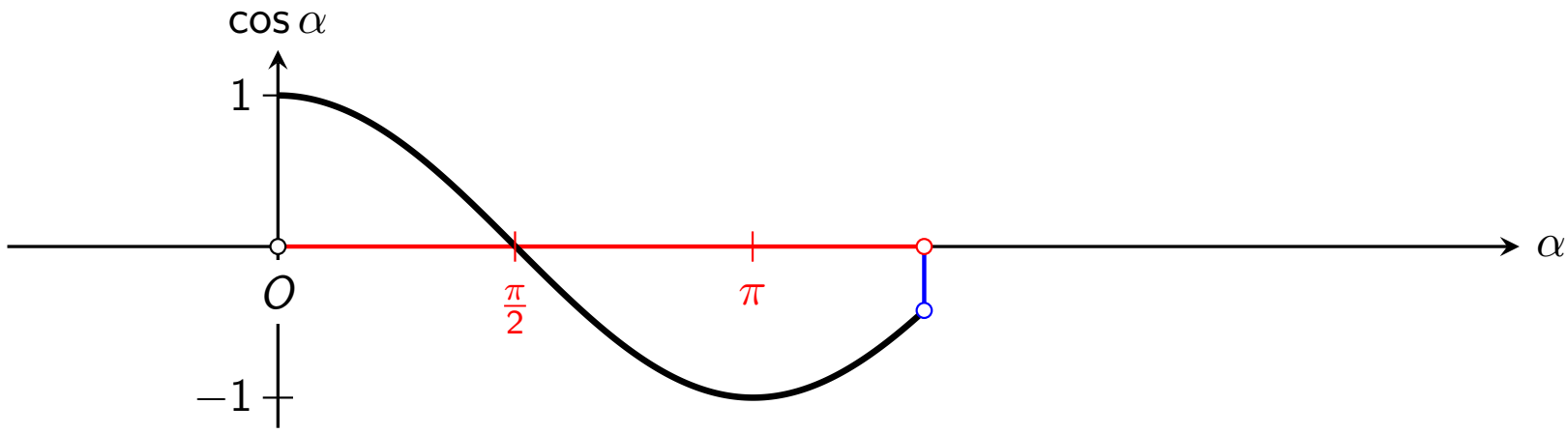

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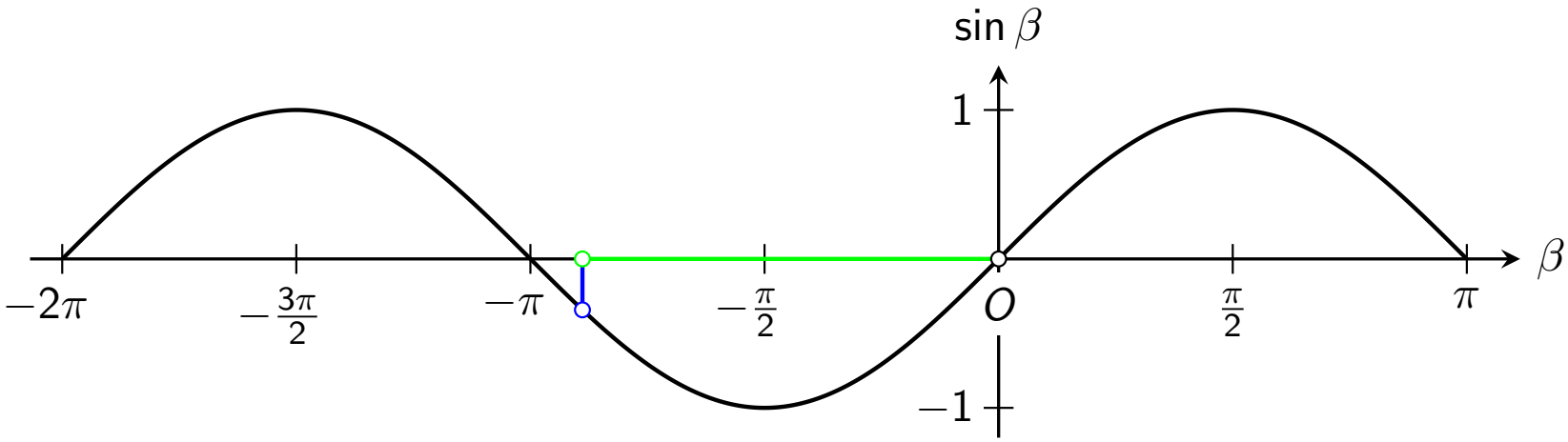

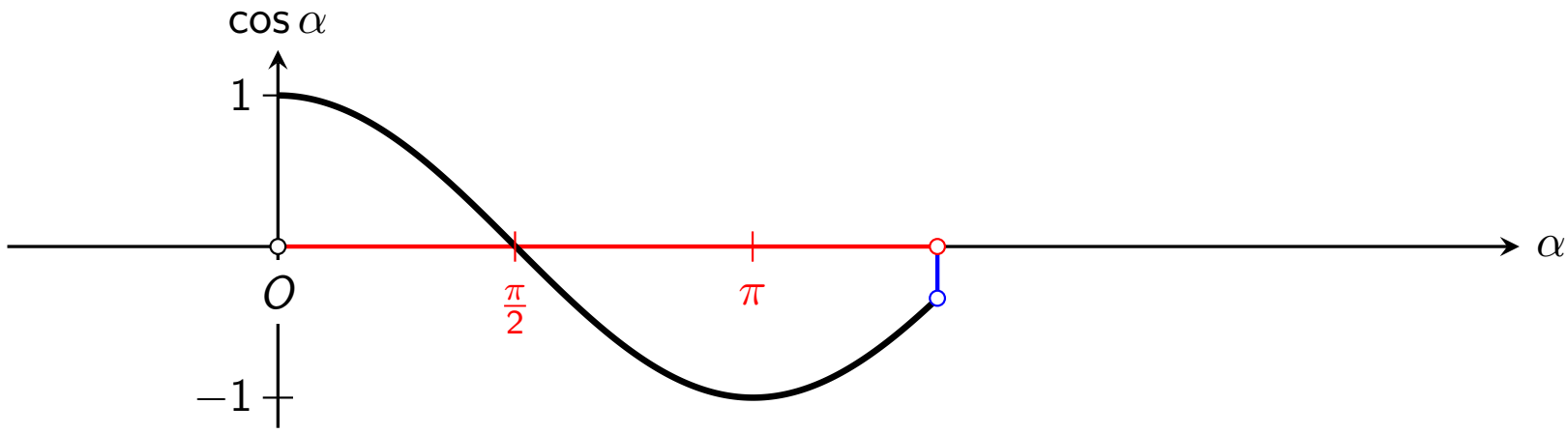

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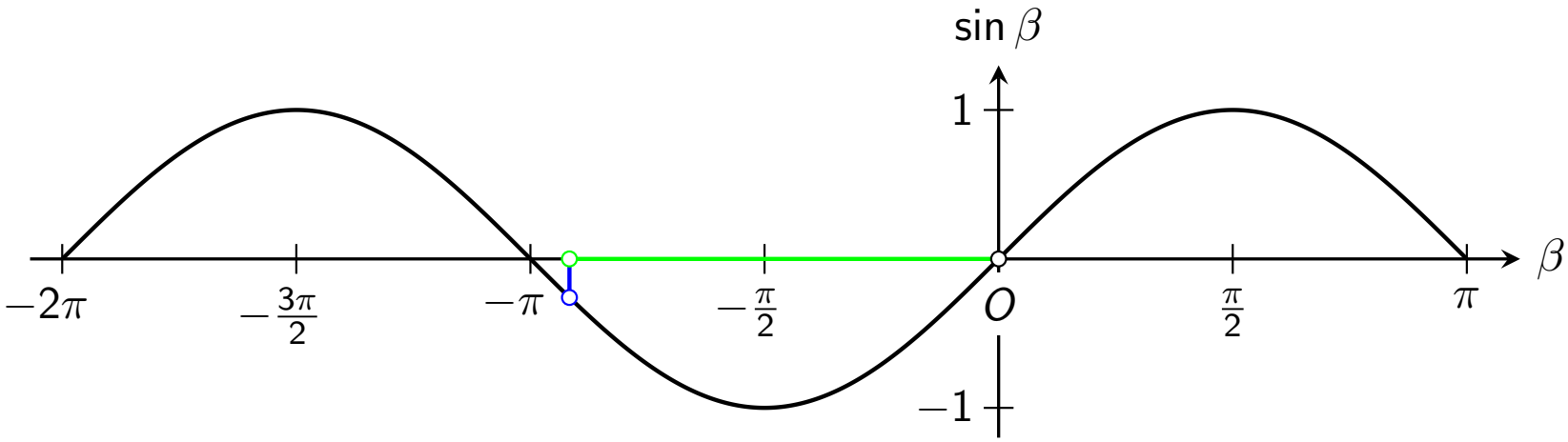

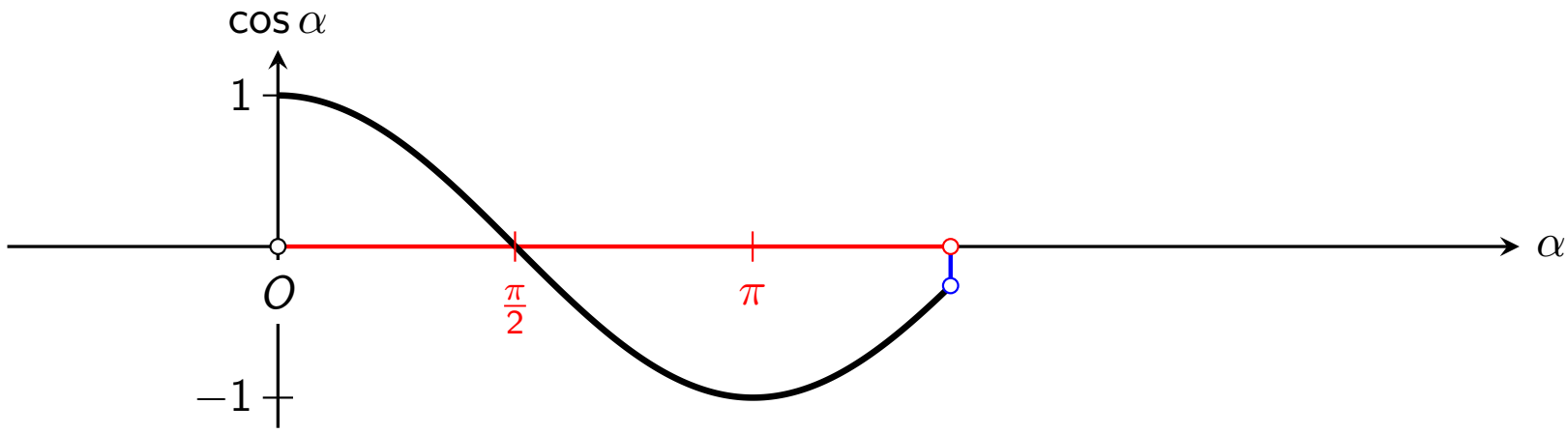

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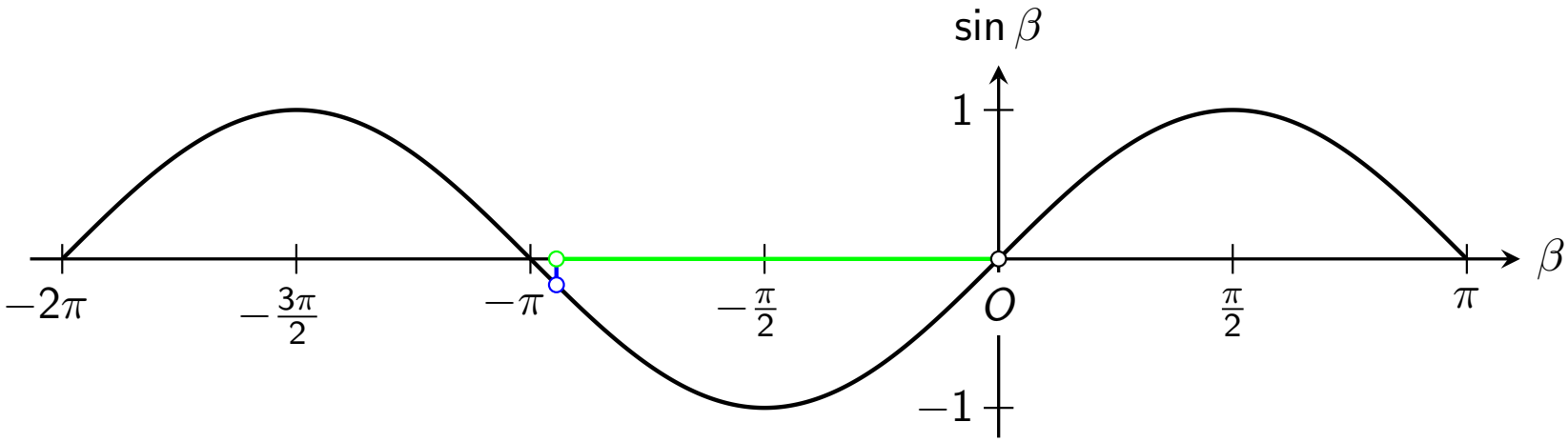

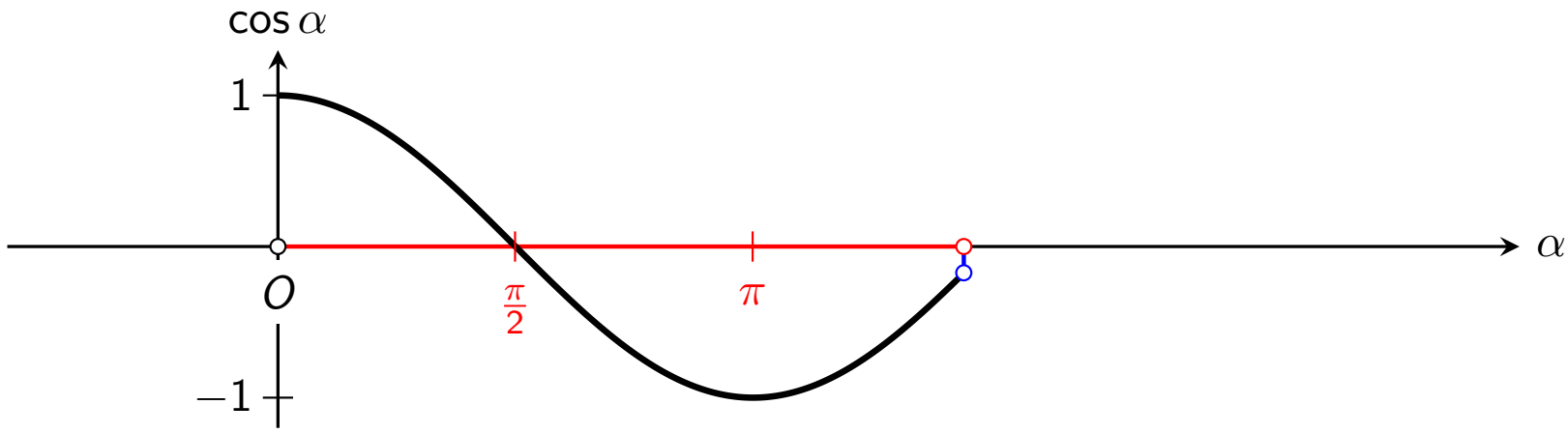

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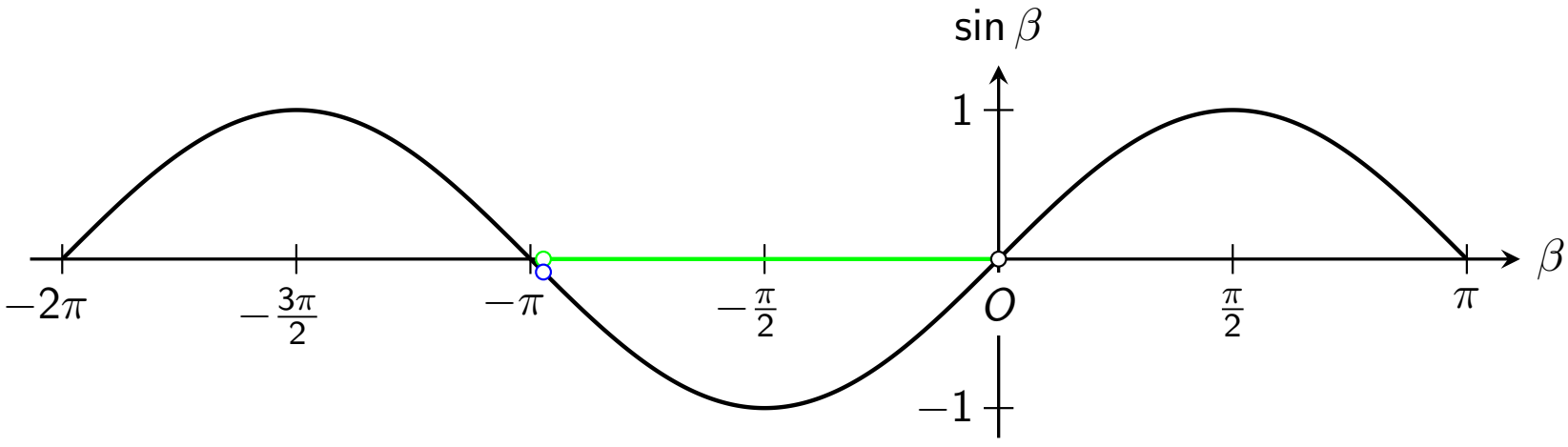

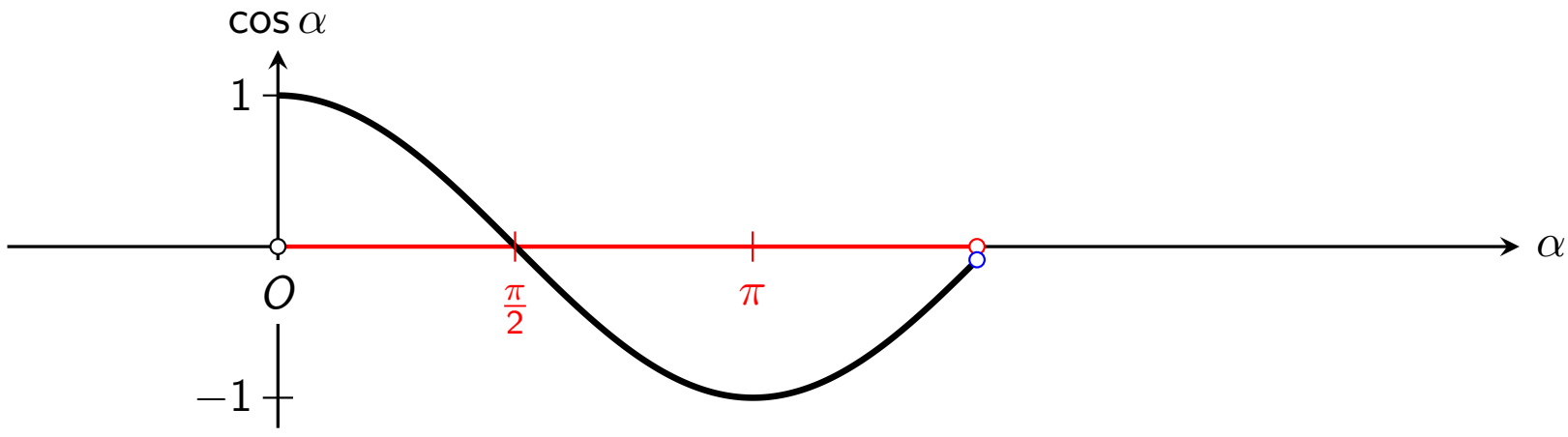

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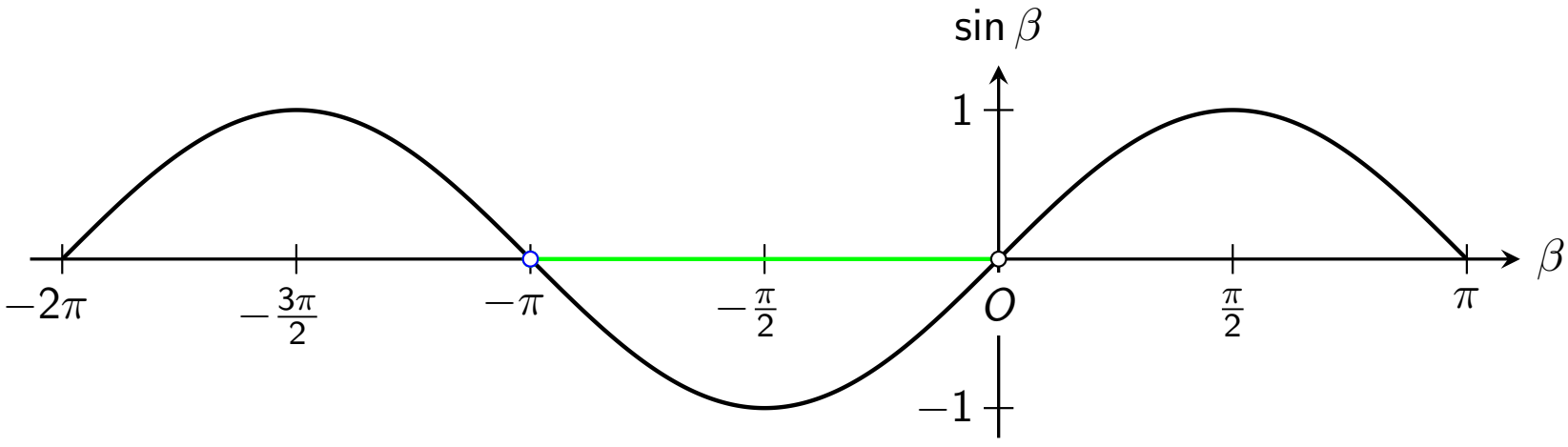

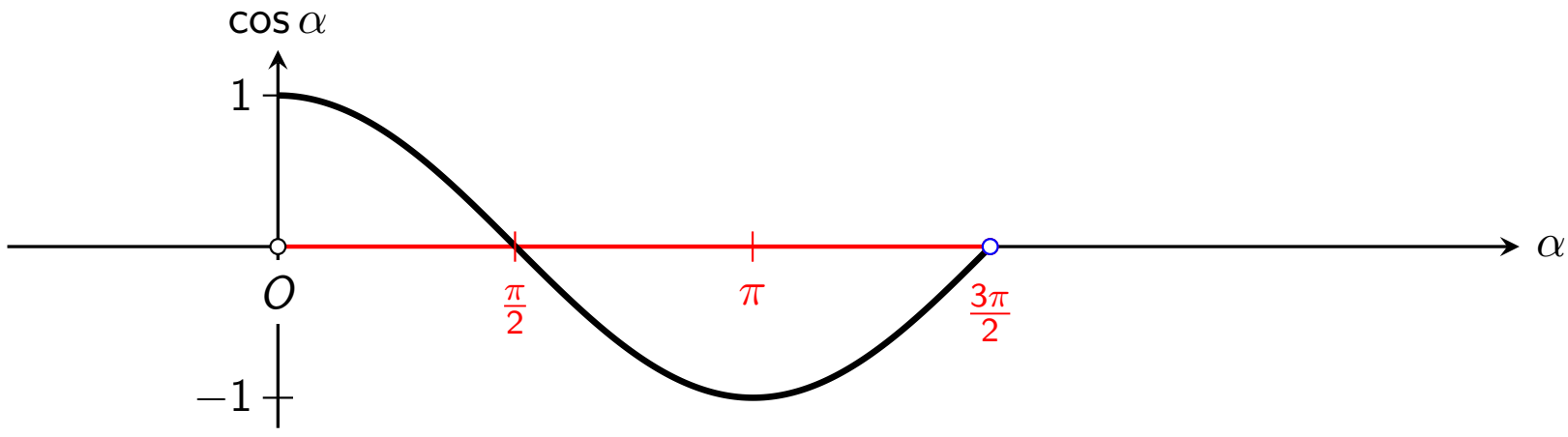

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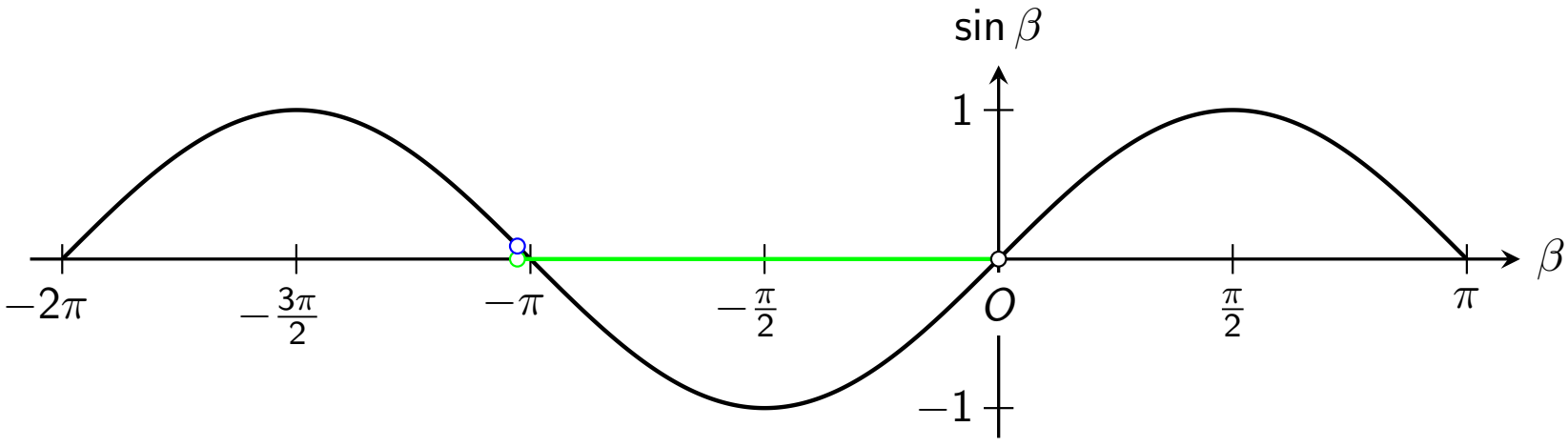

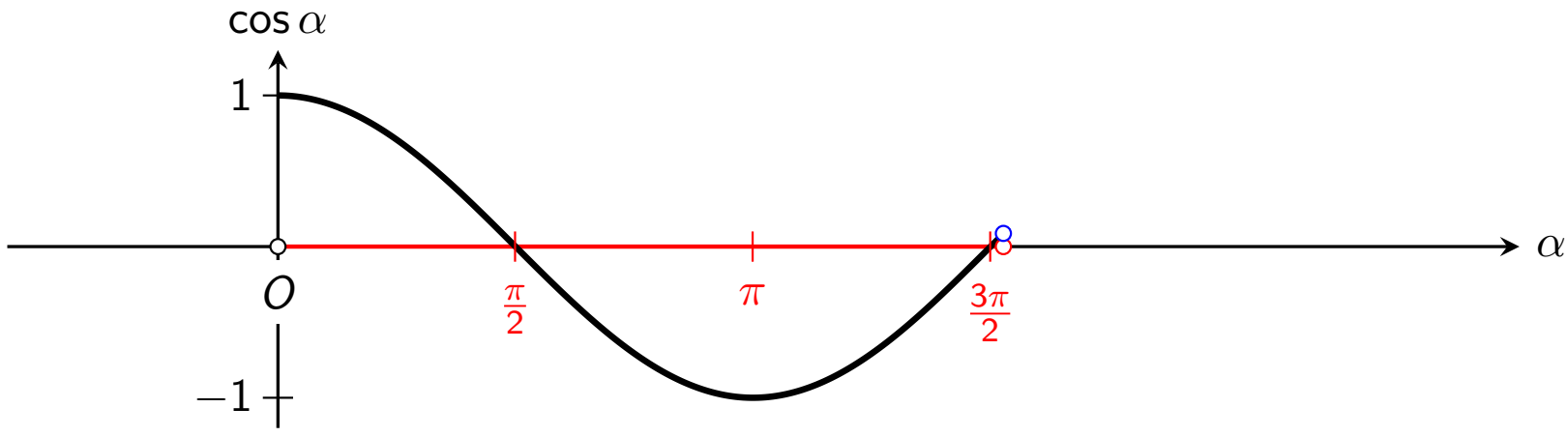

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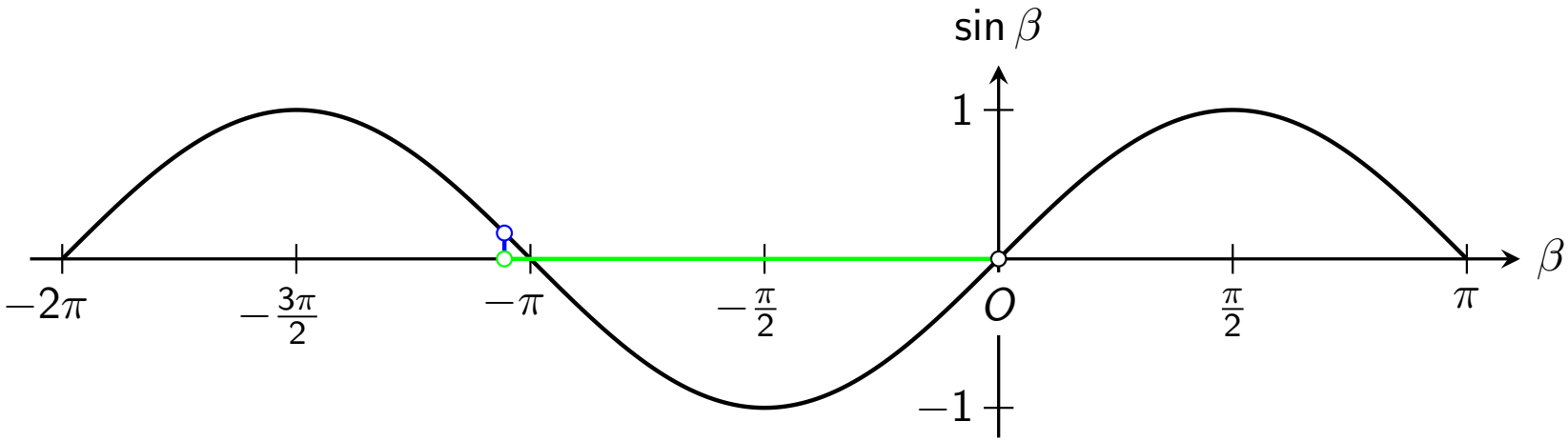

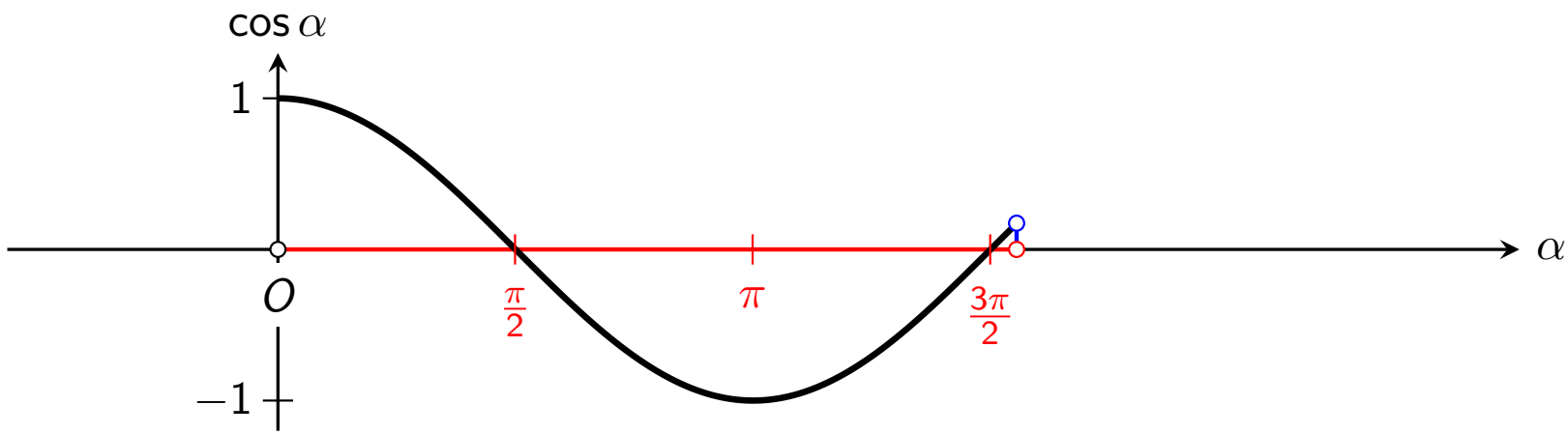

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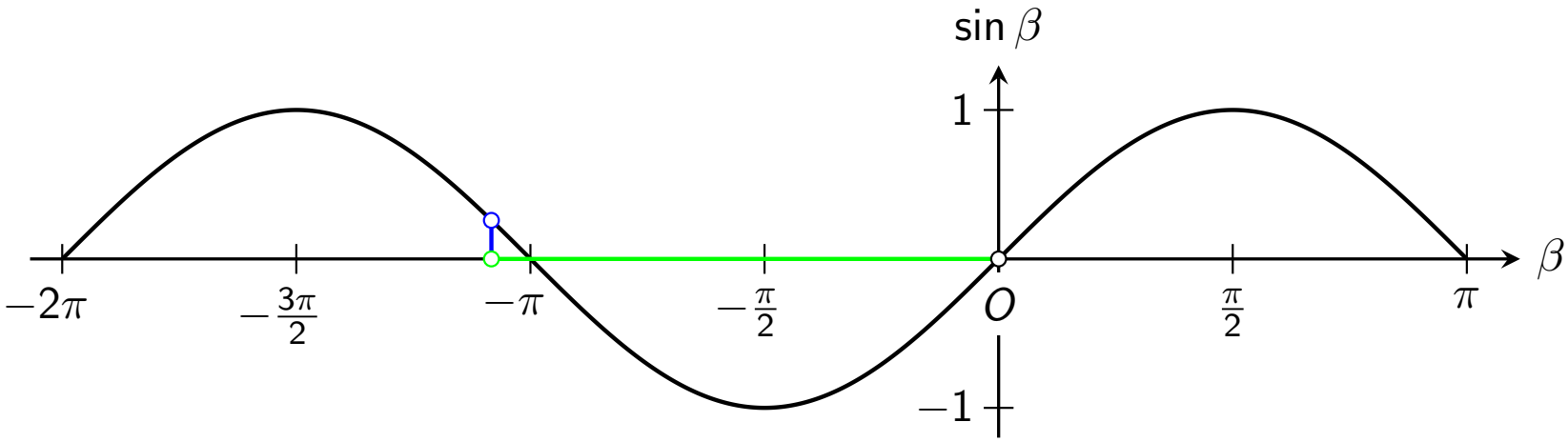

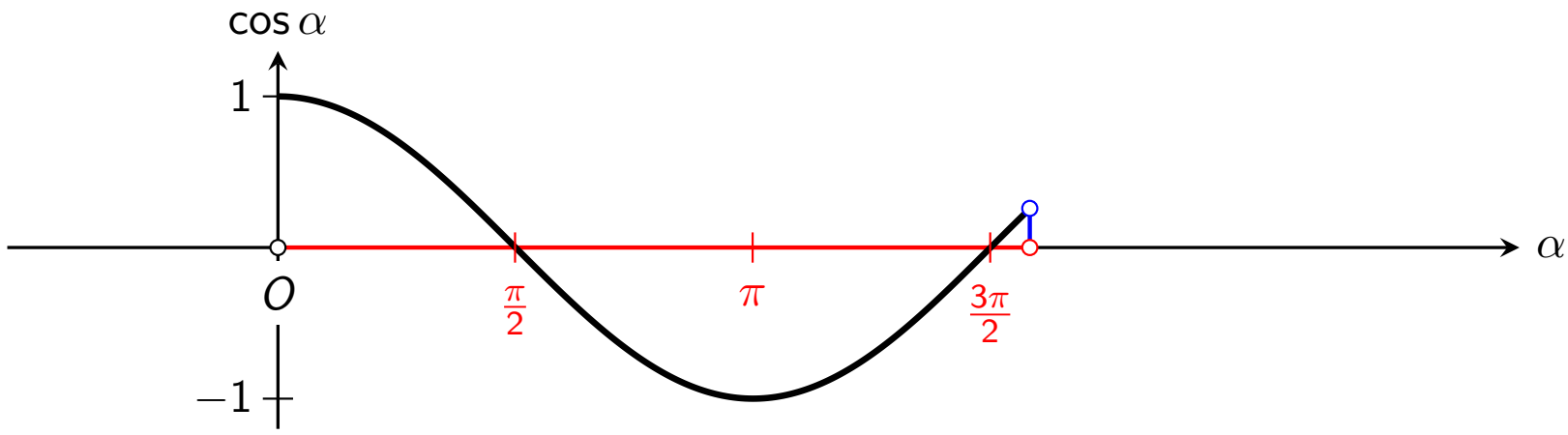

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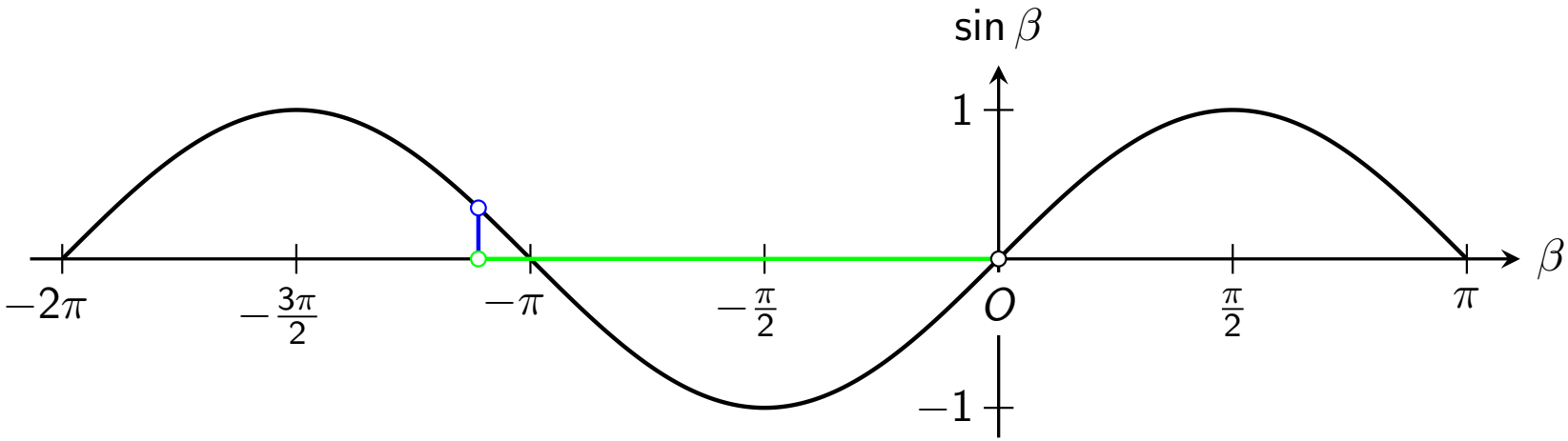

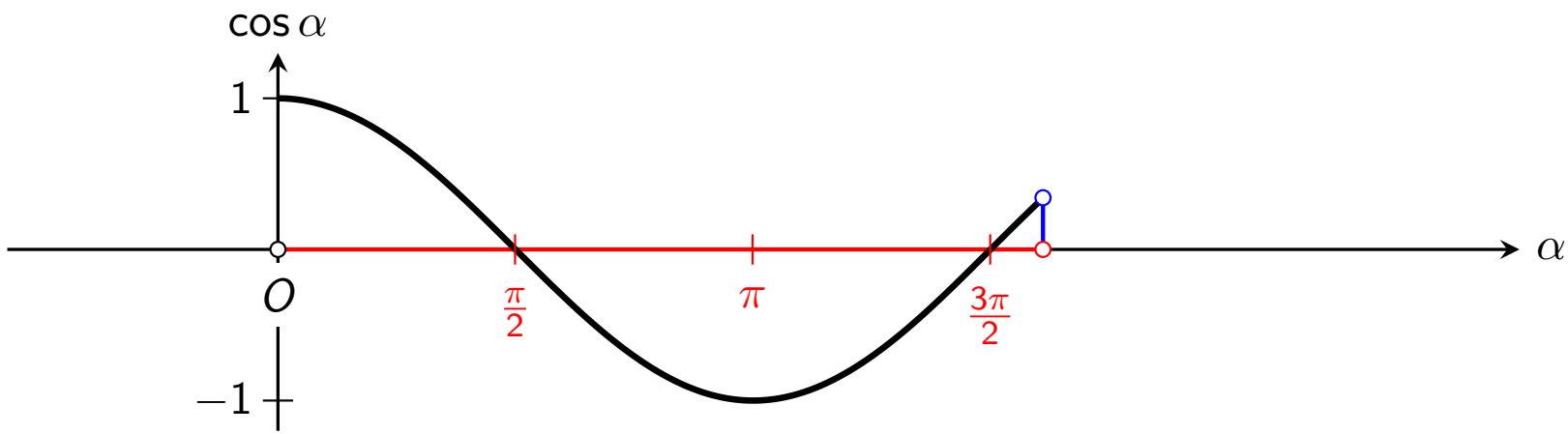

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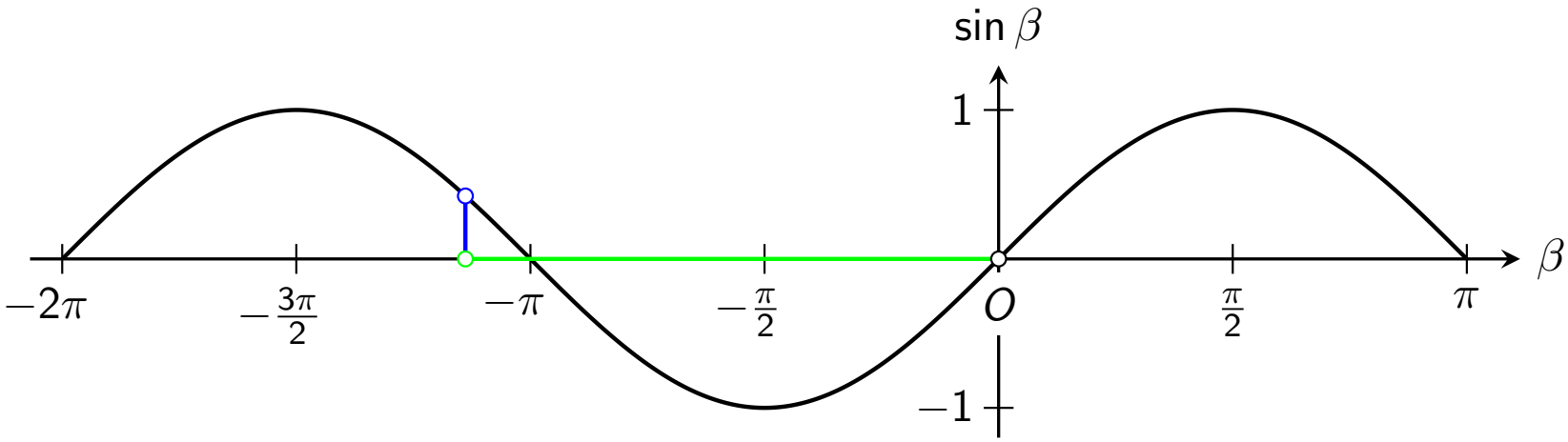

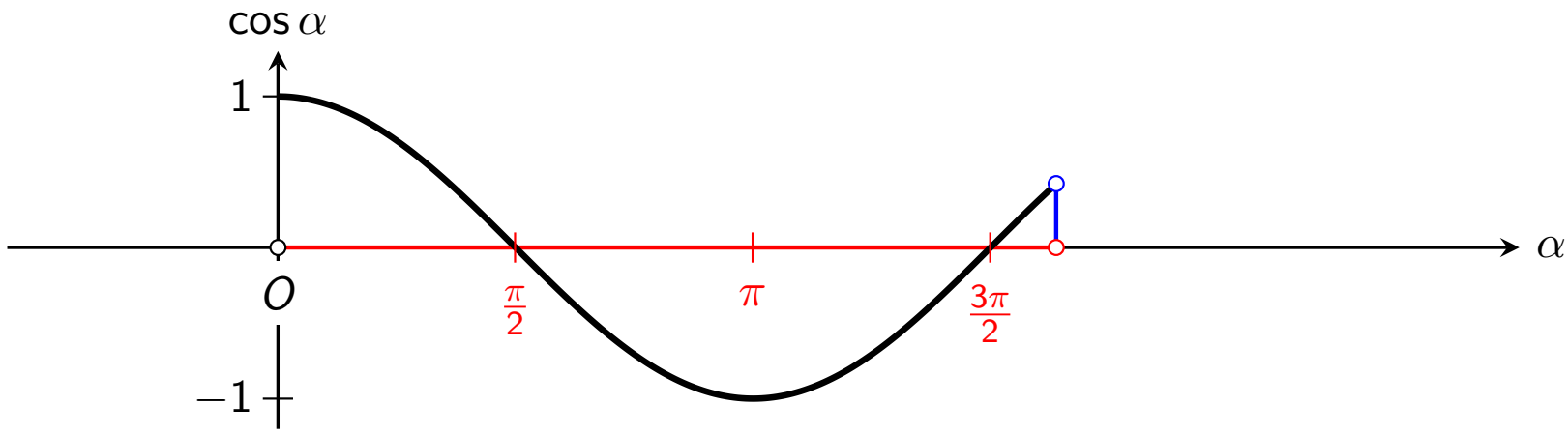

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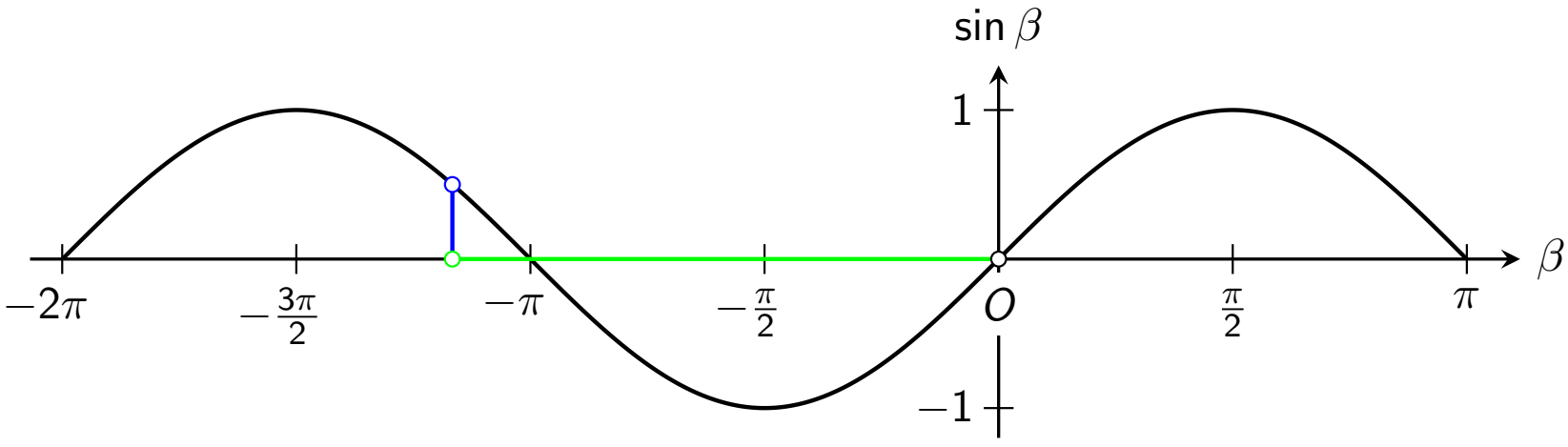

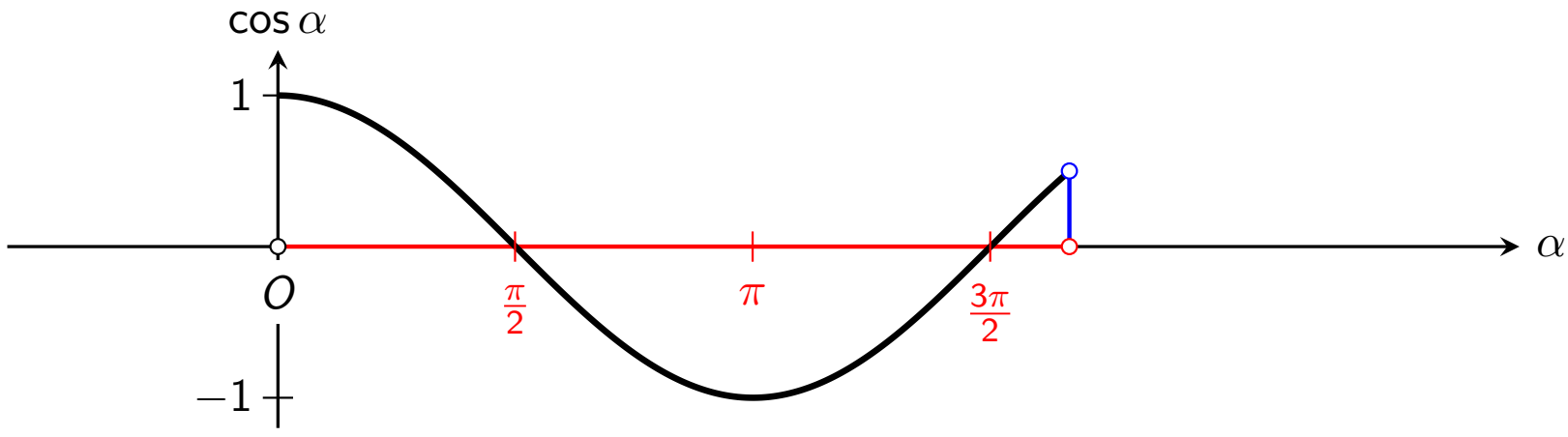

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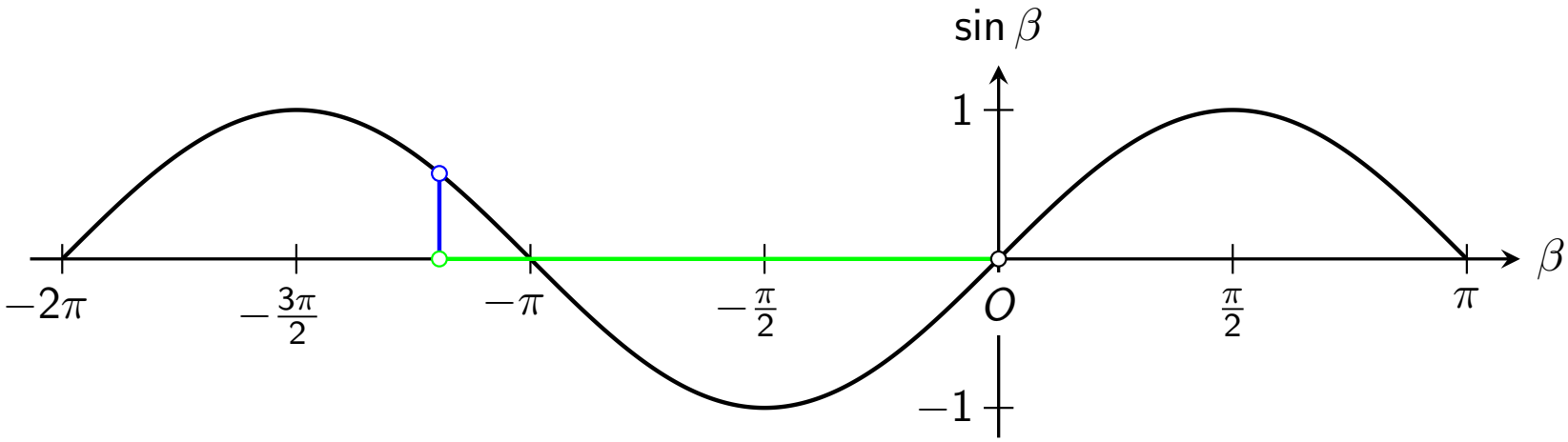

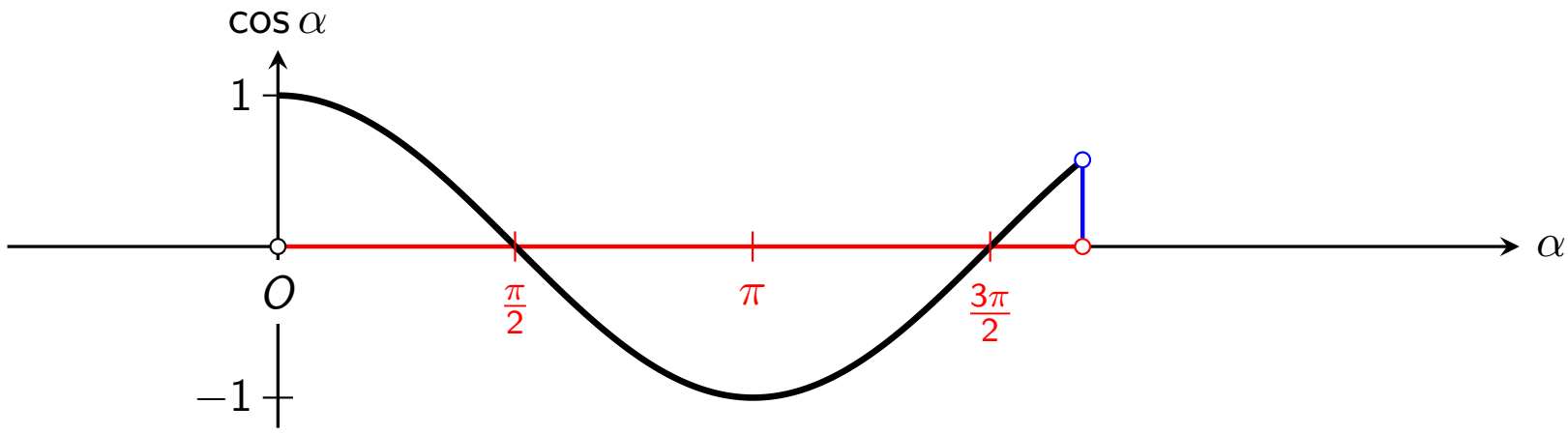

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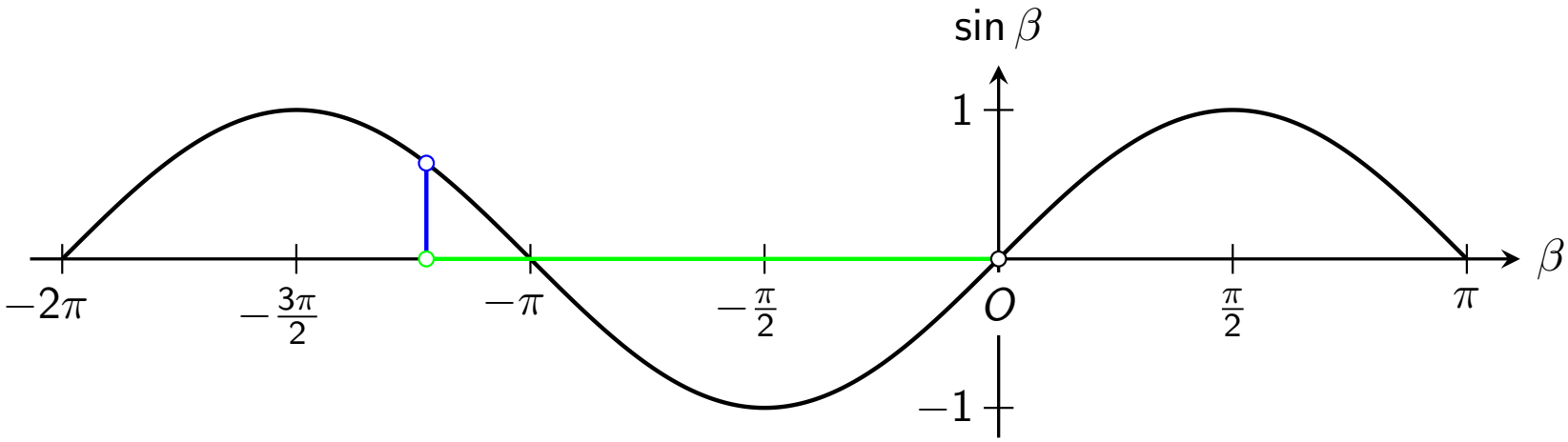

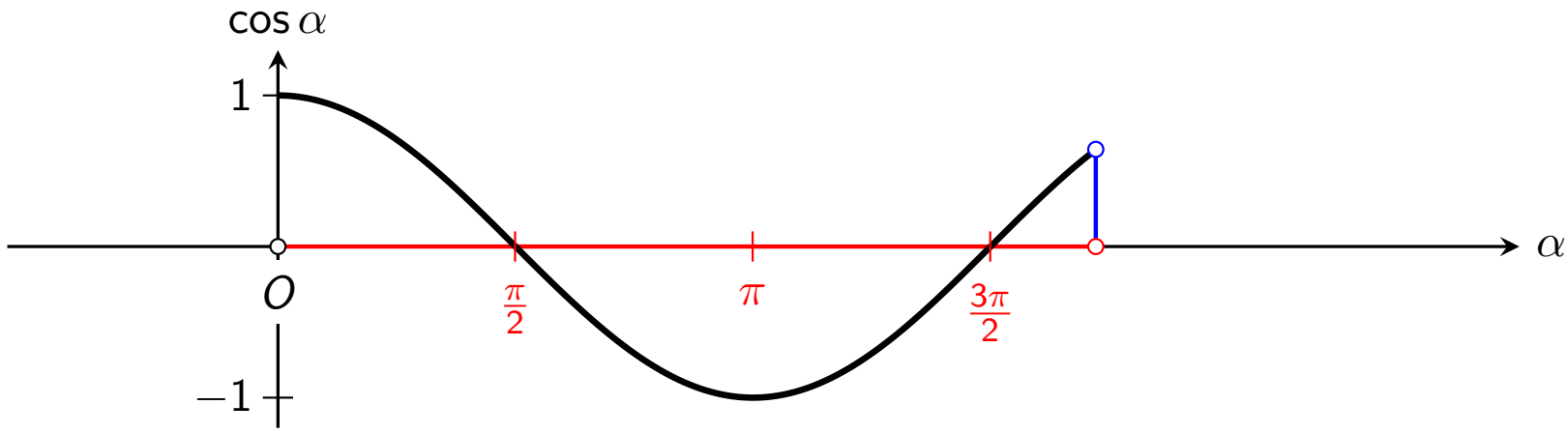

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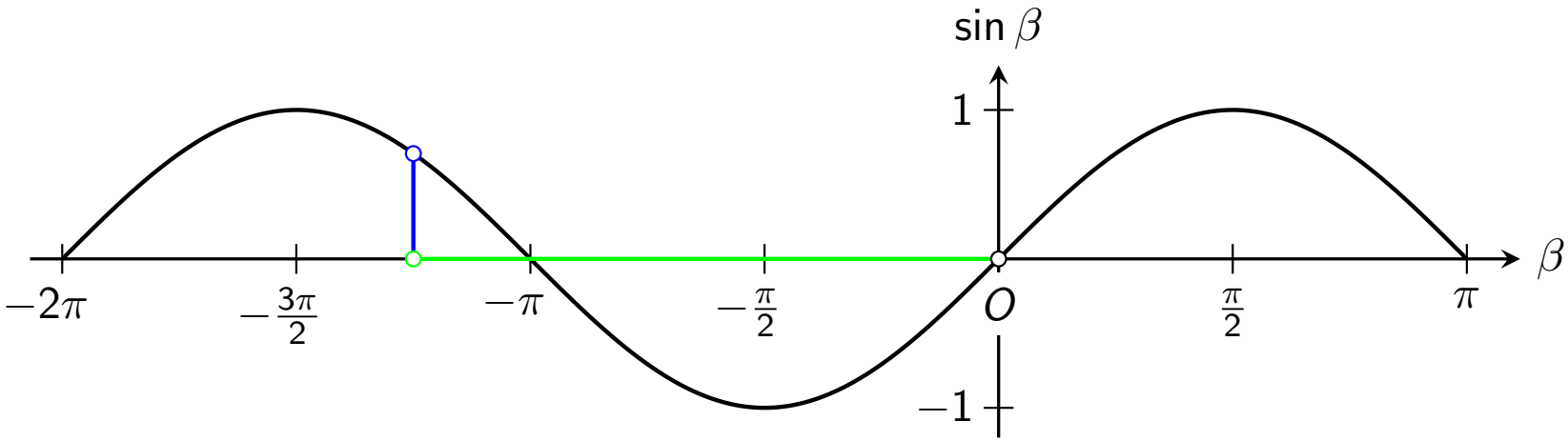

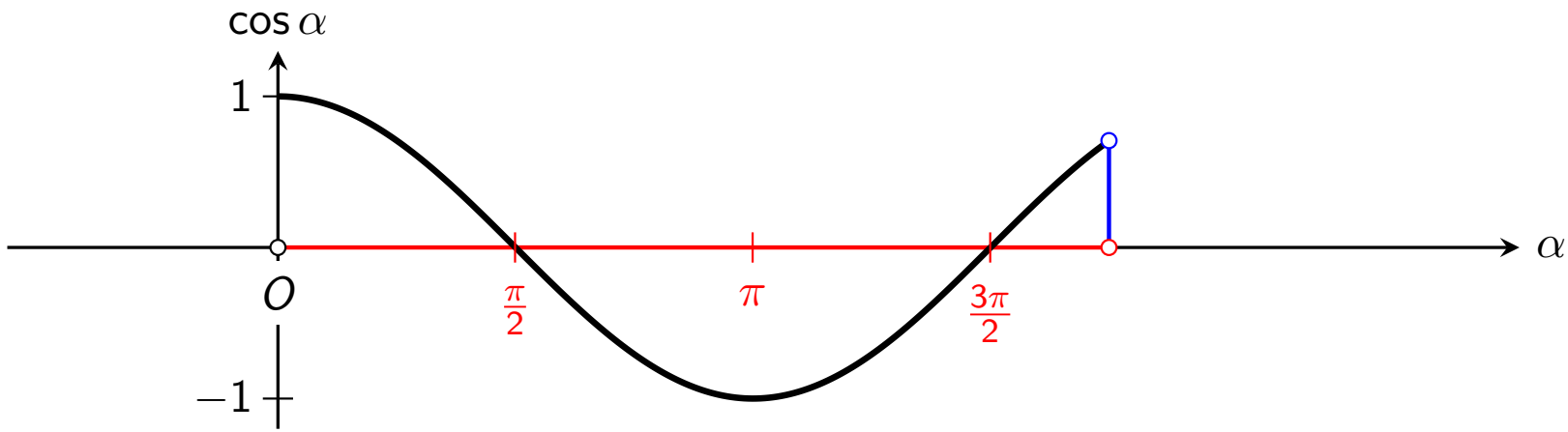

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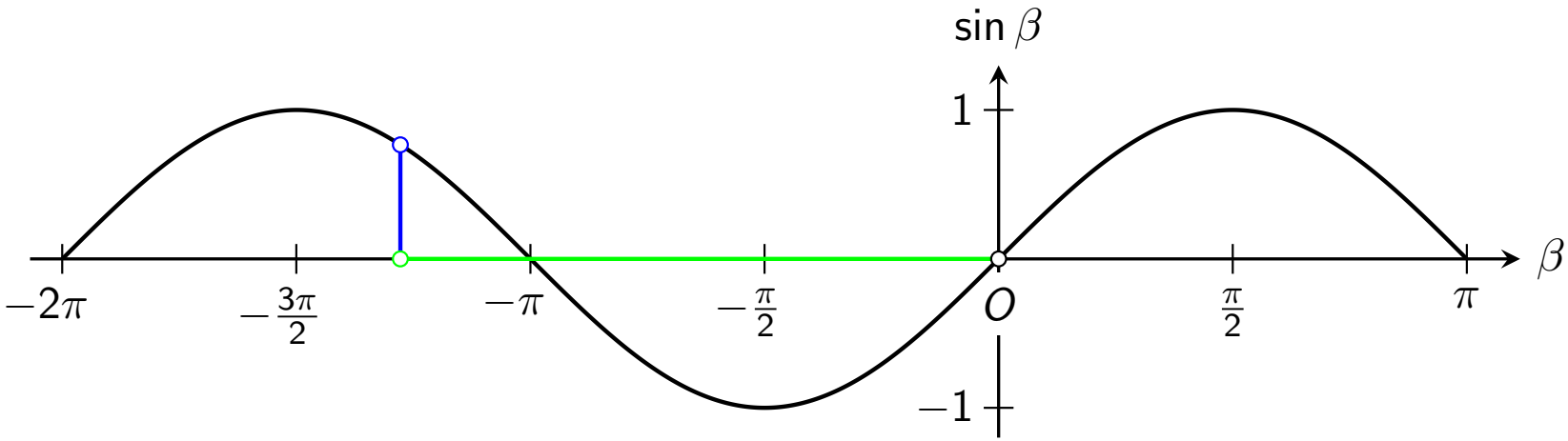

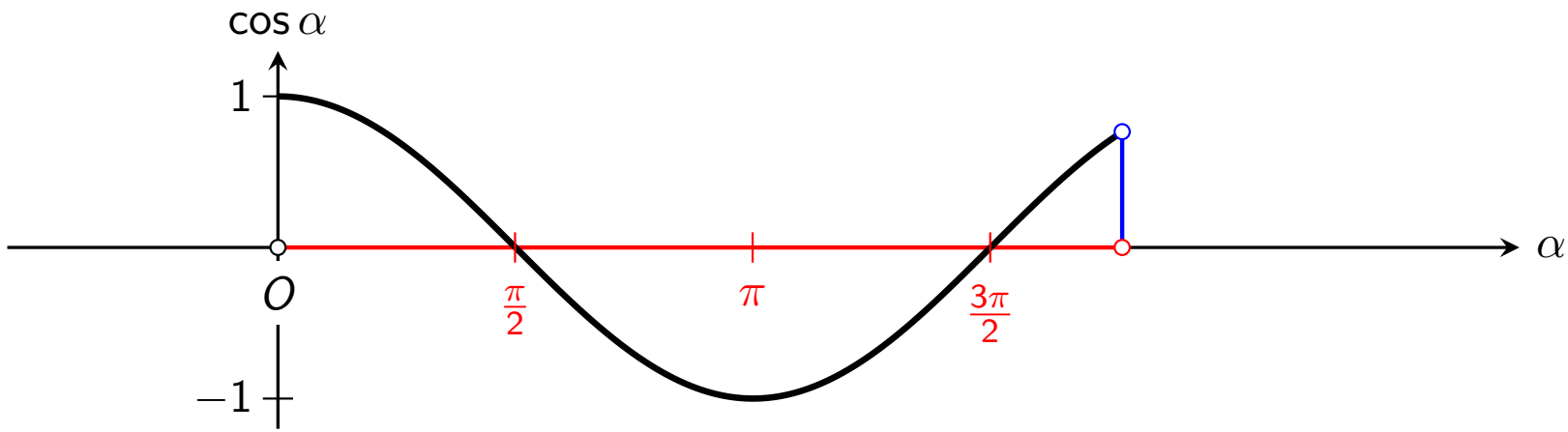

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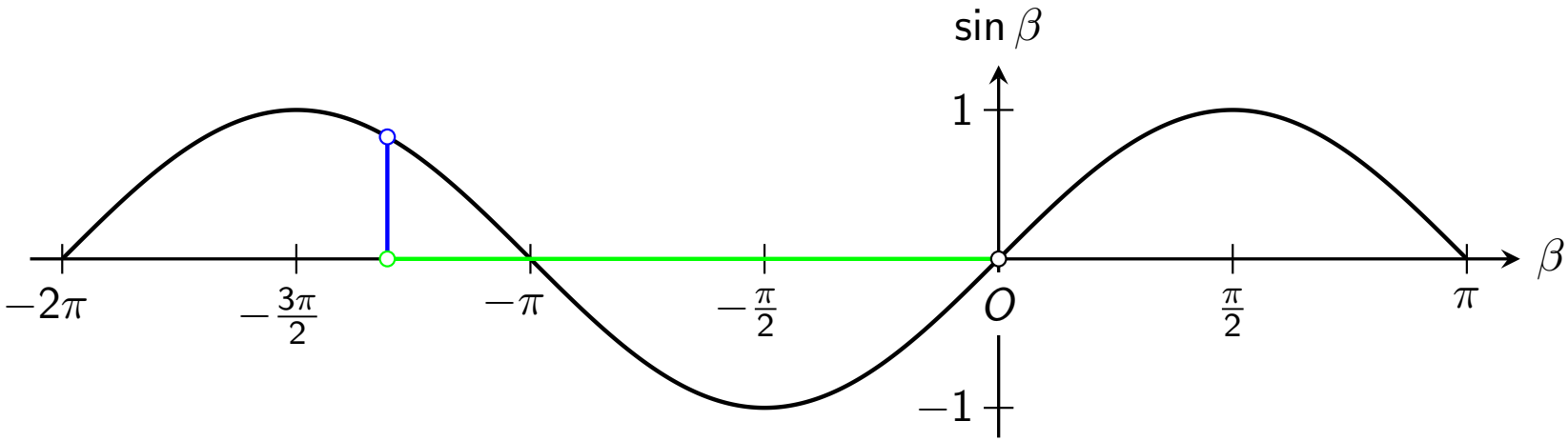

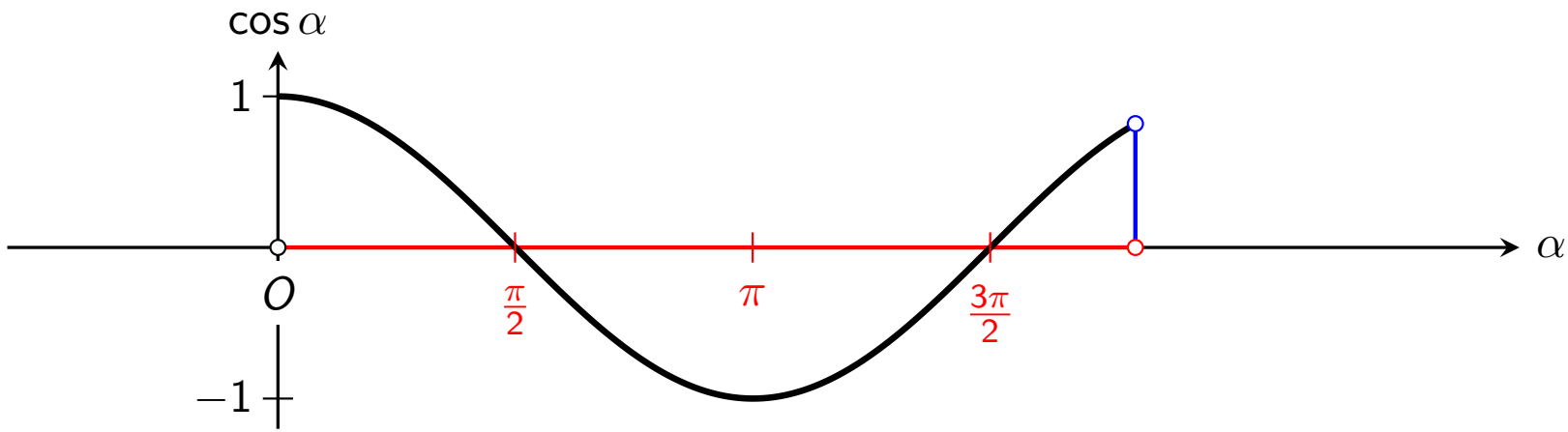

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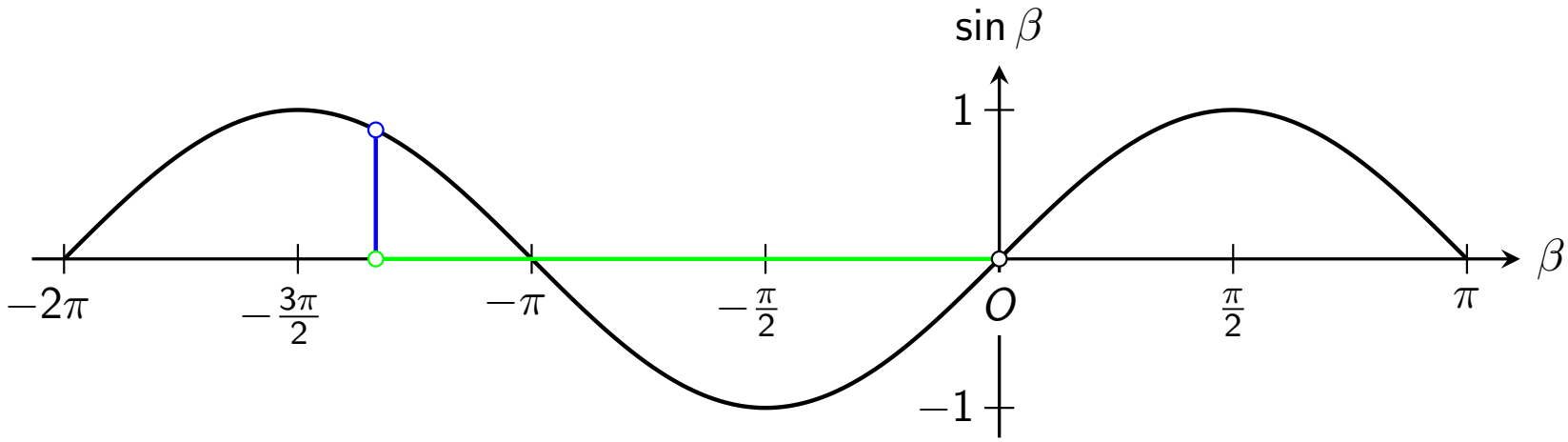
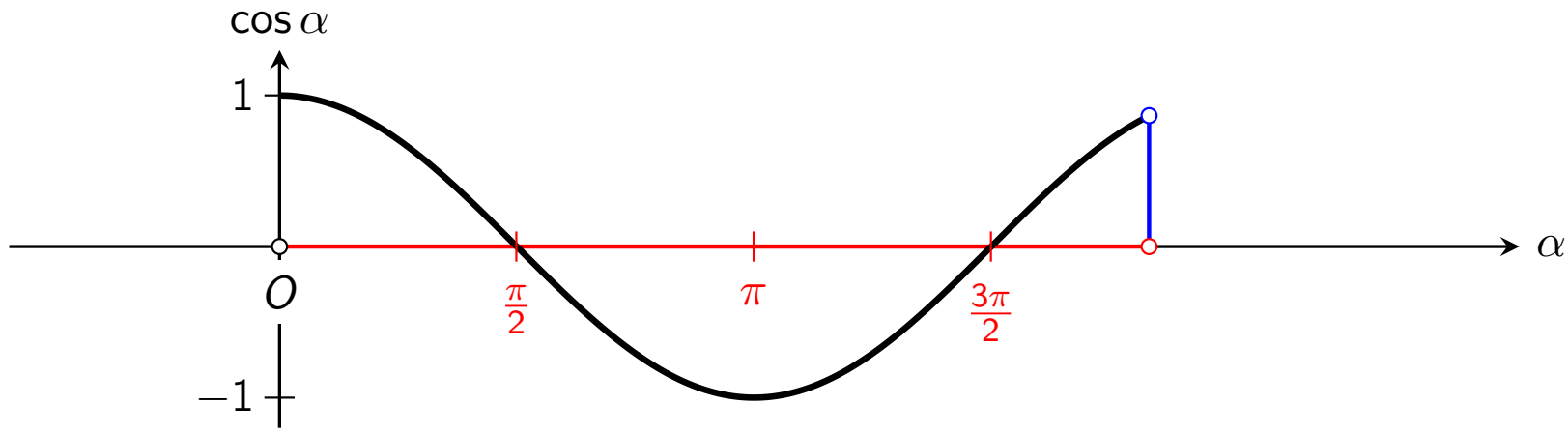
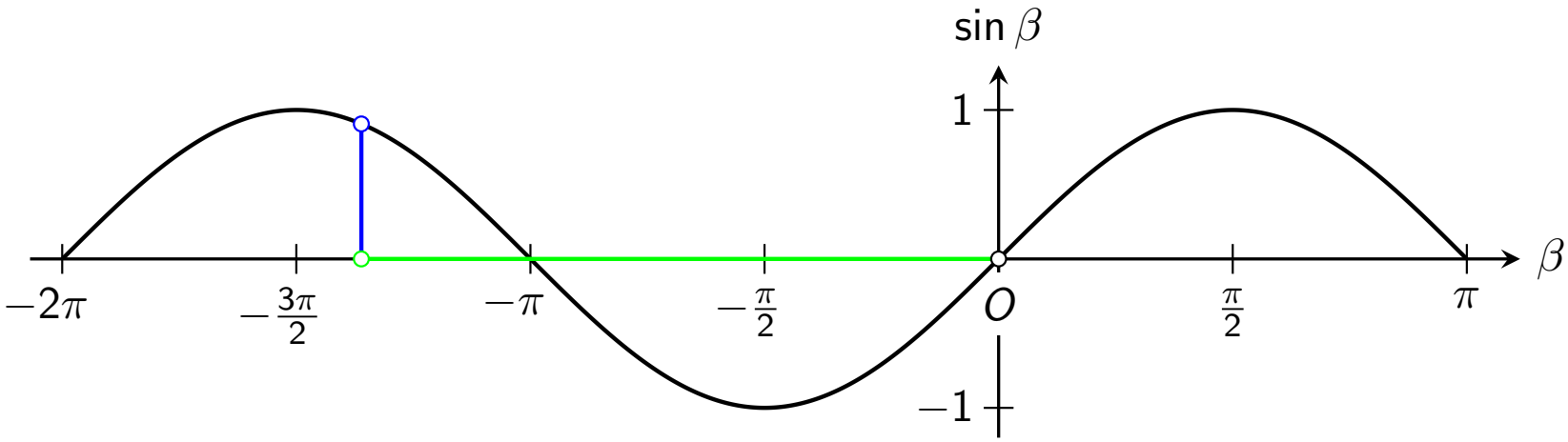
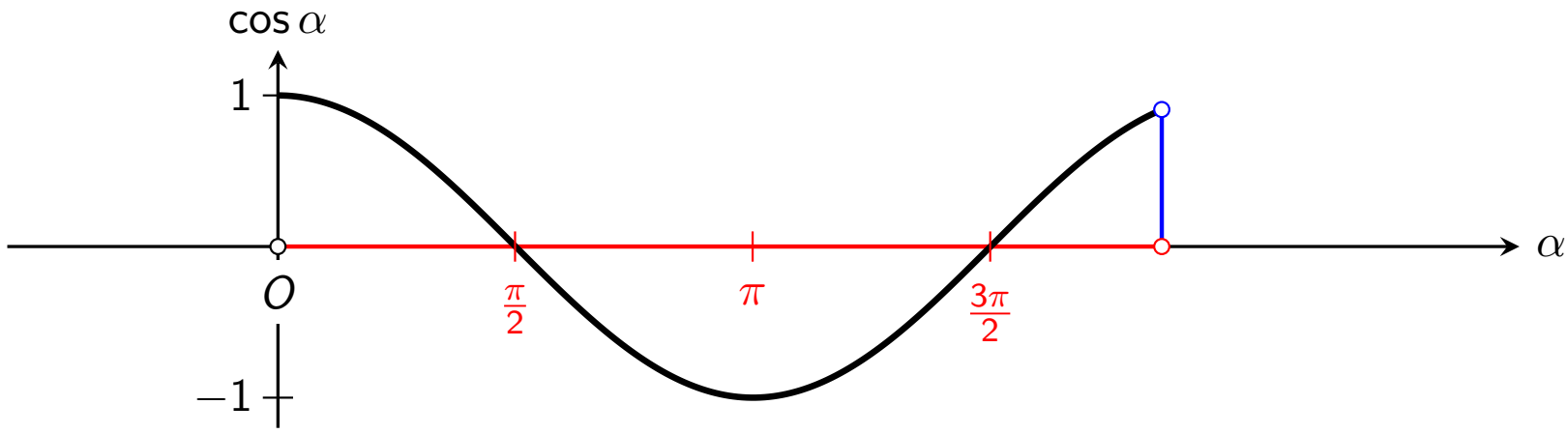


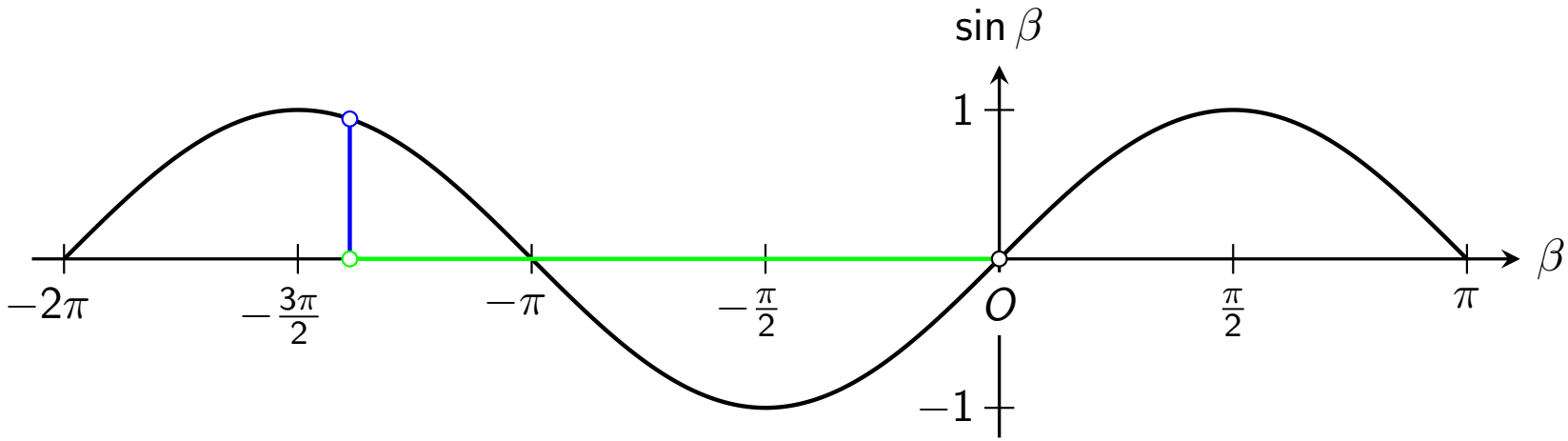


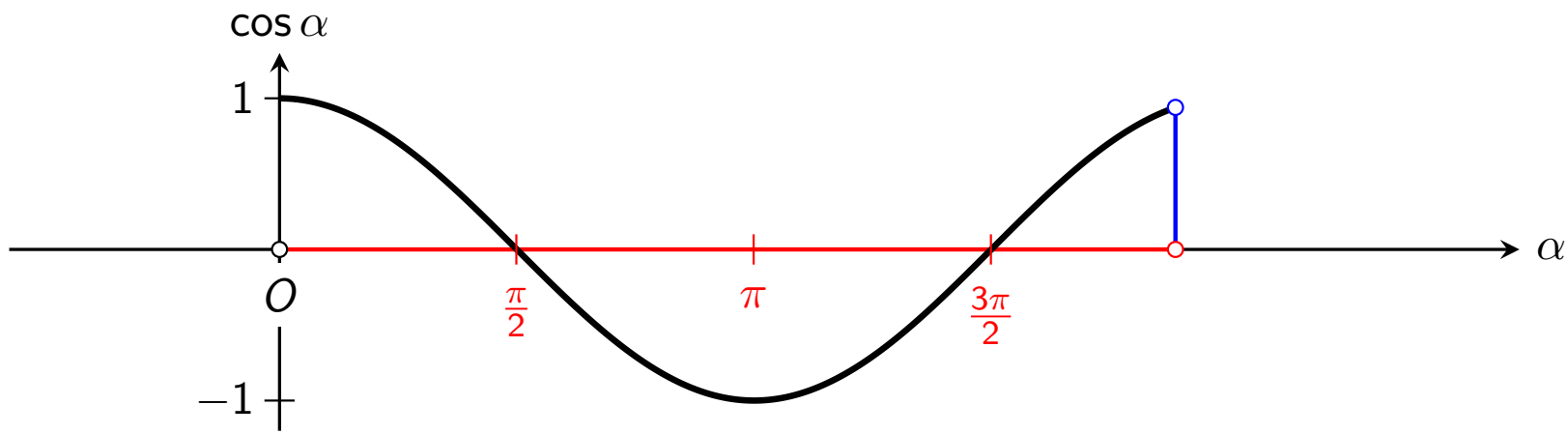
$\cos\alpha = \sin(\frac{\pi}{2} - \alpha)$



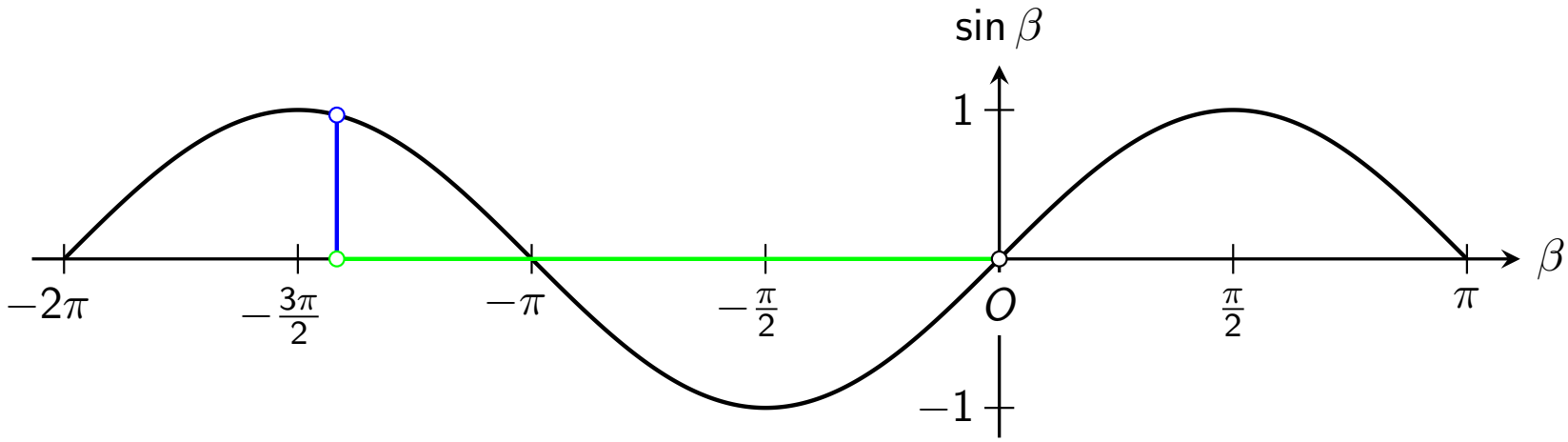


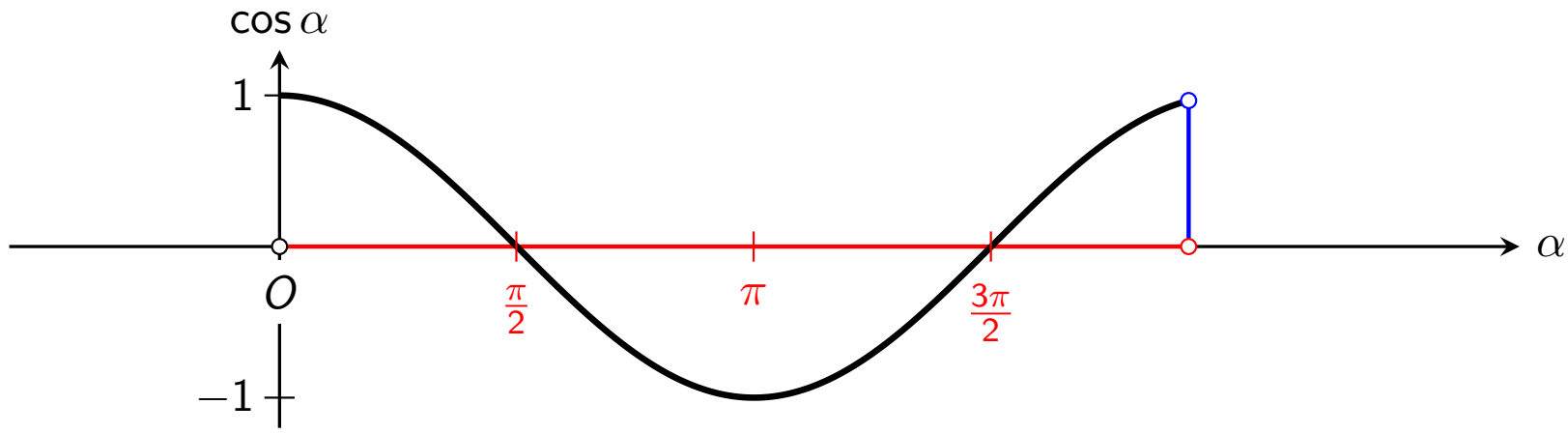
$\cos\alpha = \sin(\frac{\pi}{2} - \alpha)$





$\cos\alpha = \sin(\frac{\pi}{2} - \alpha)$





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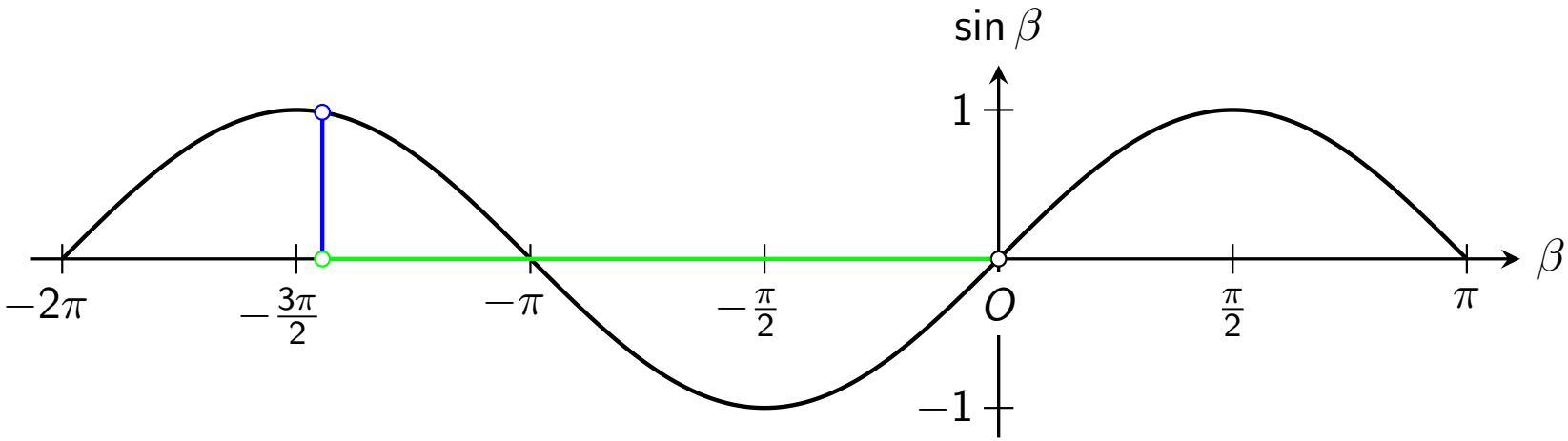

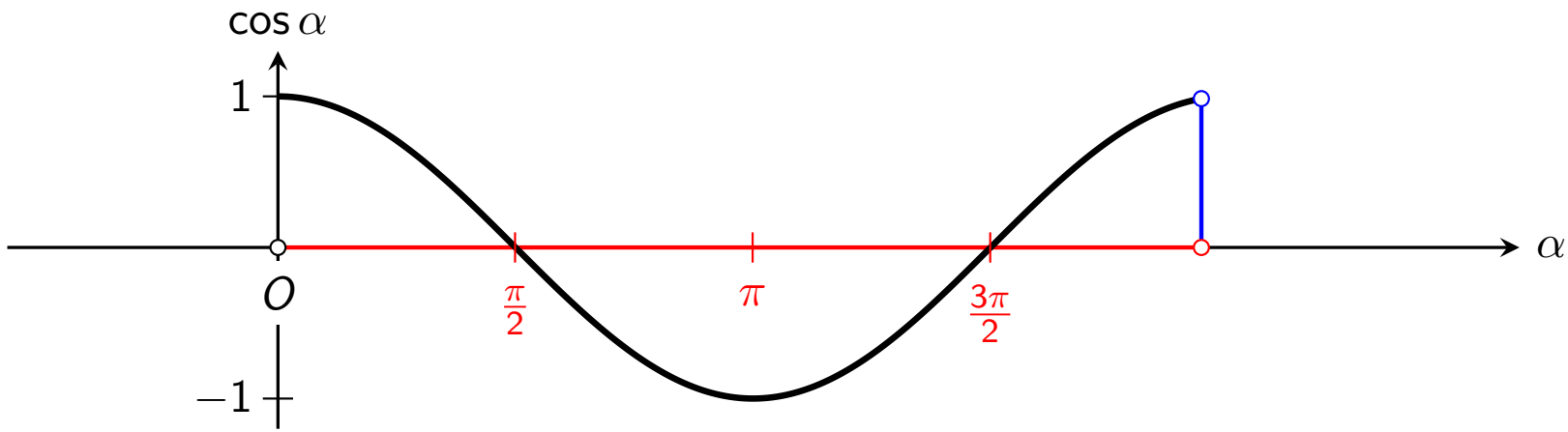

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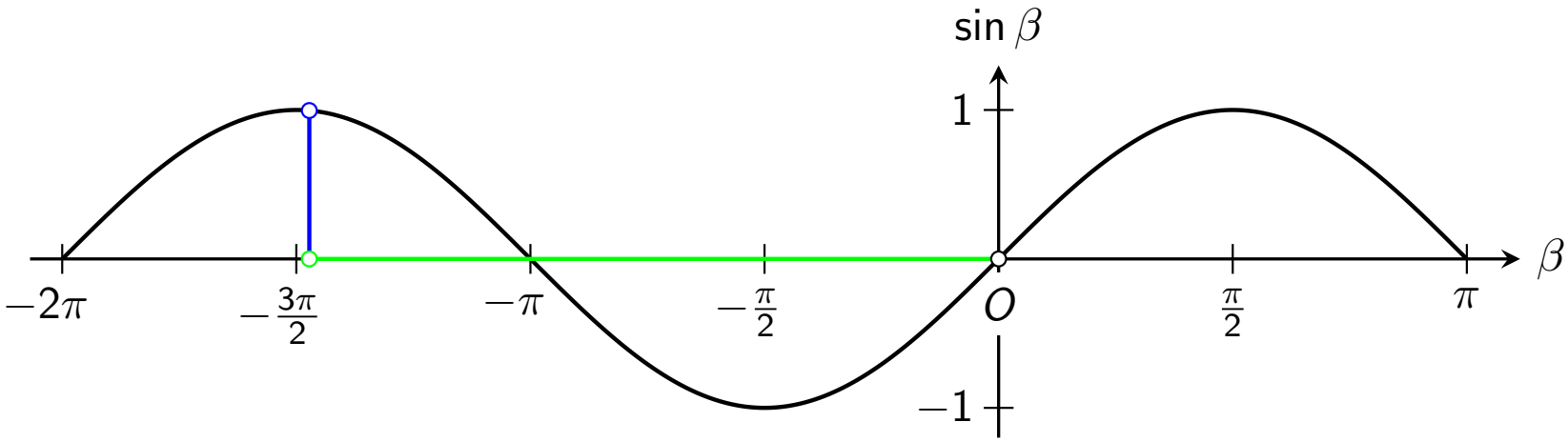
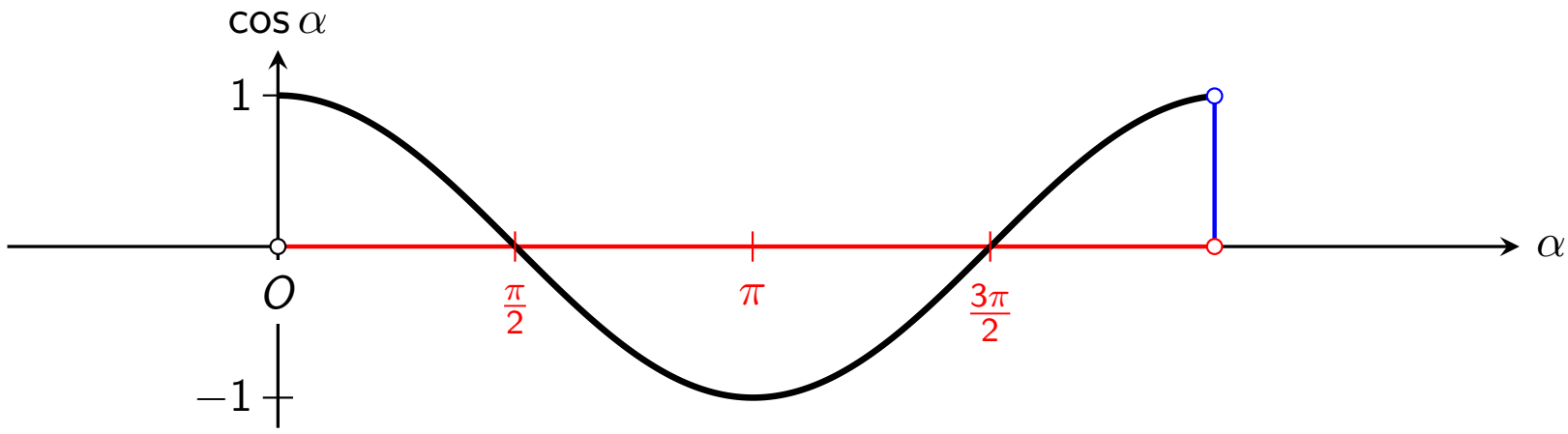
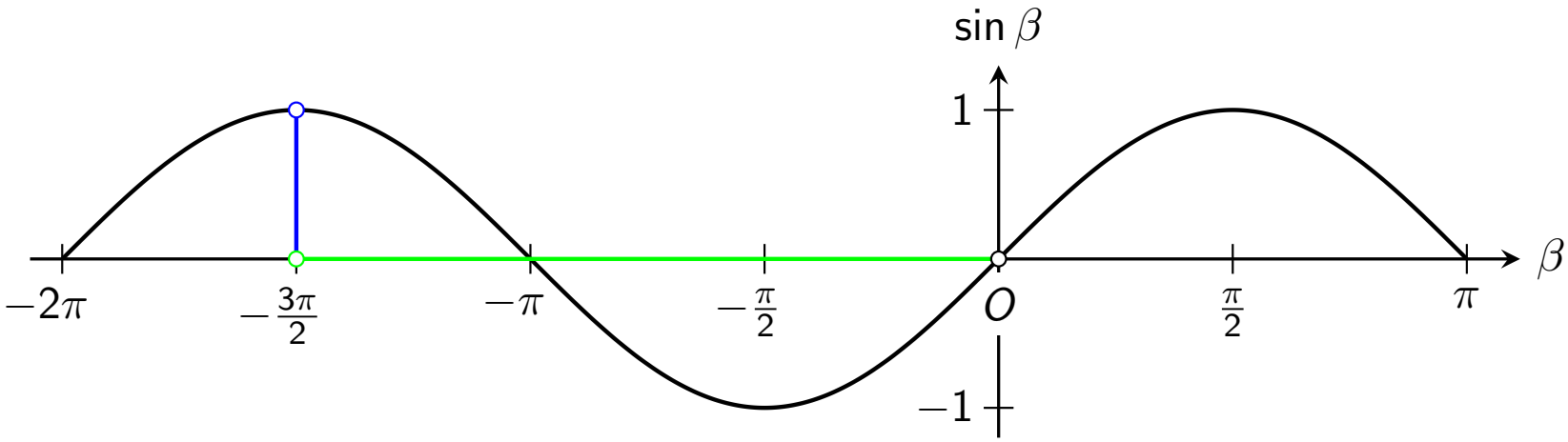
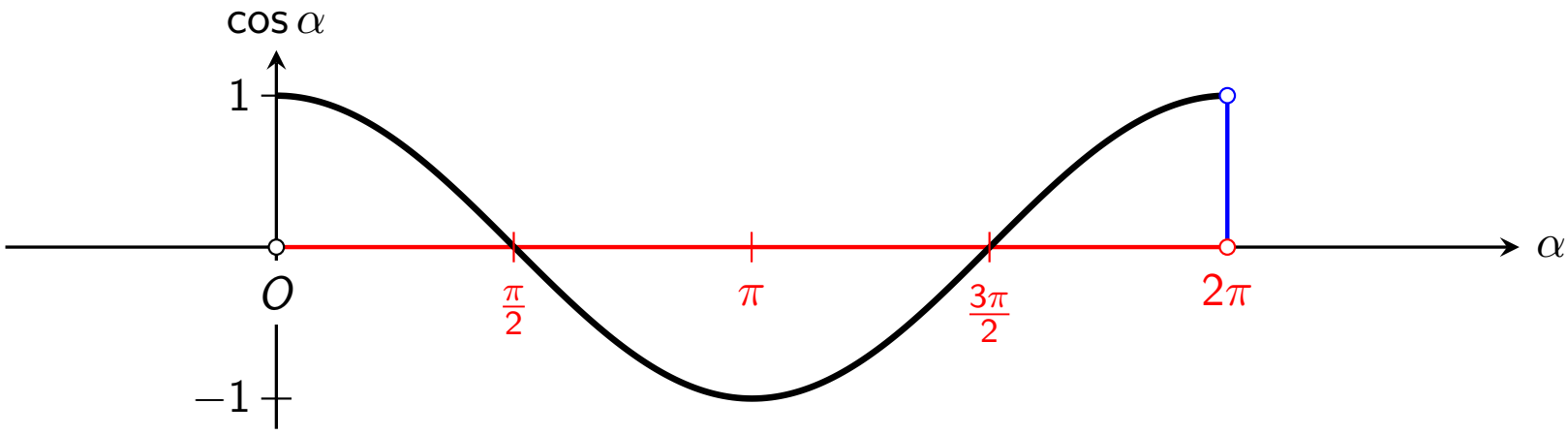




$$\cos\alpha = \sin\left(\frac{\pi}{2} - \alpha\right)$$





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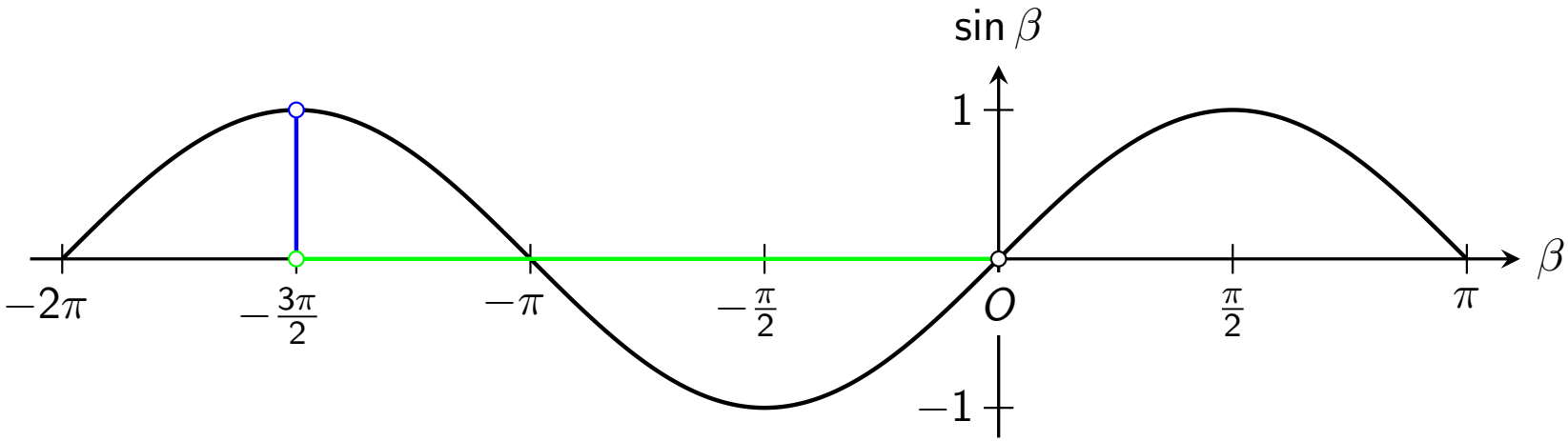

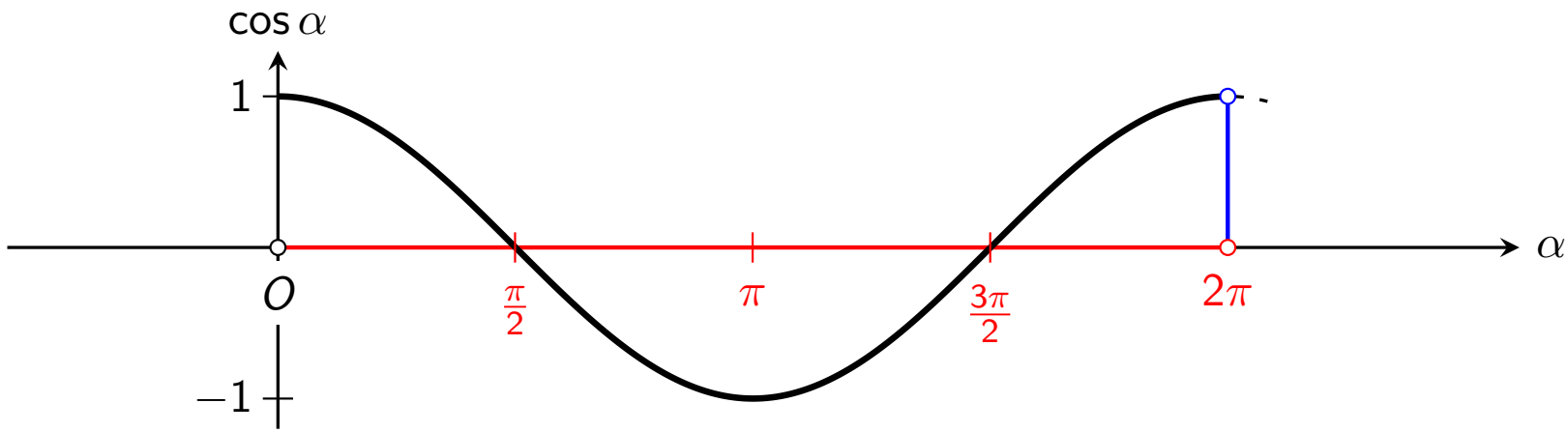

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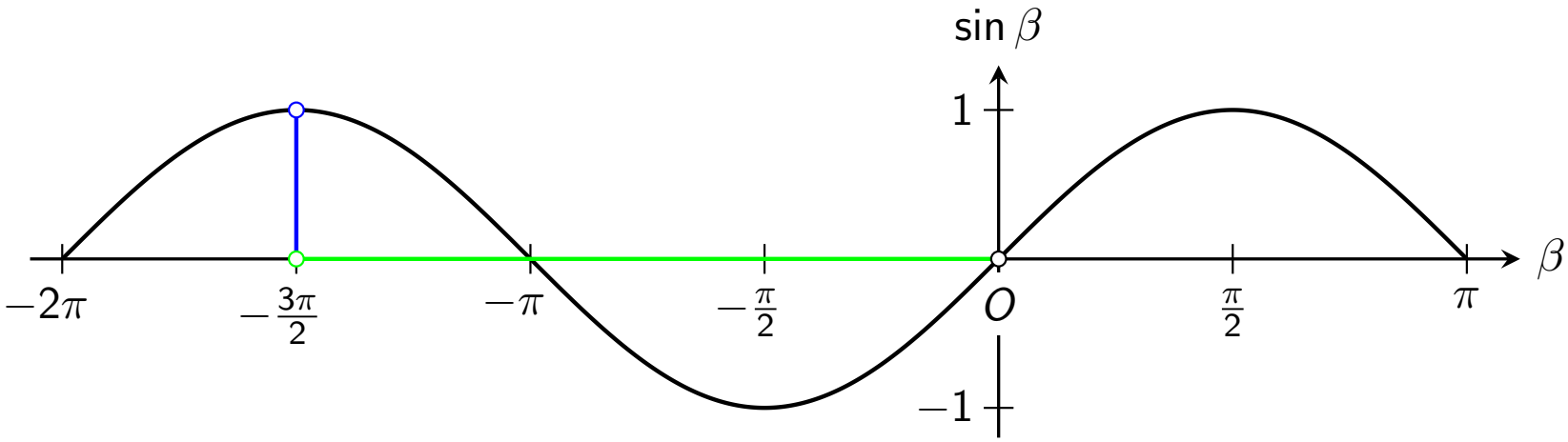

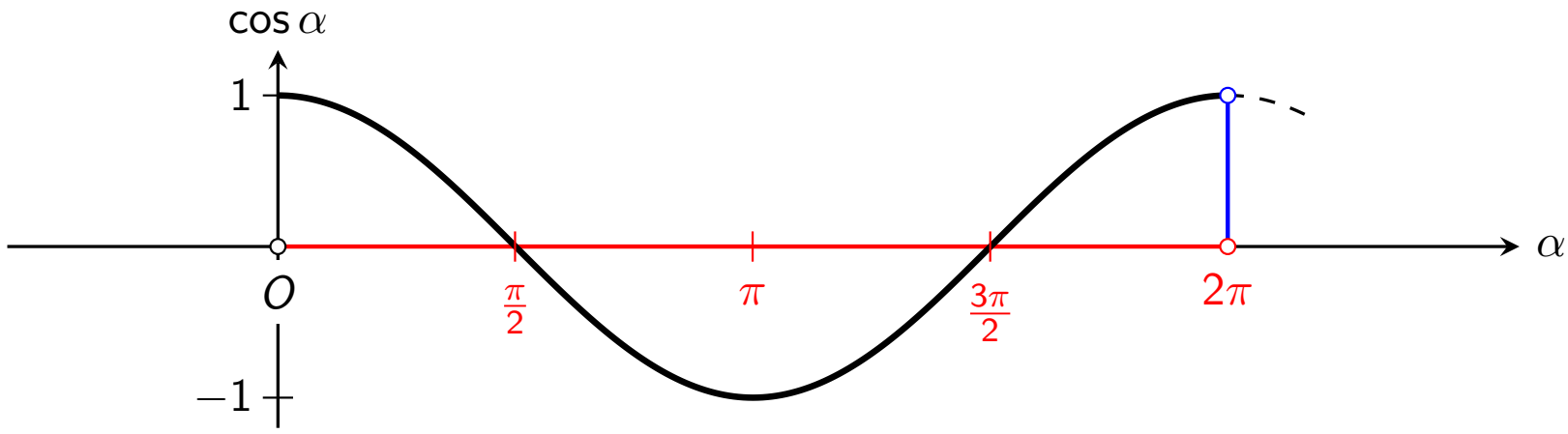

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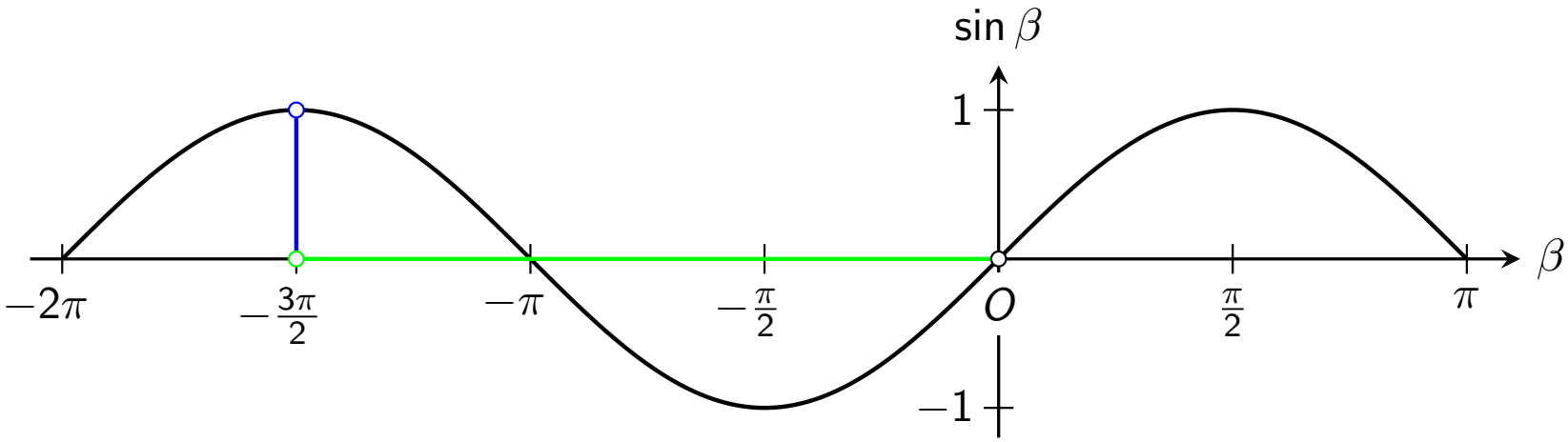

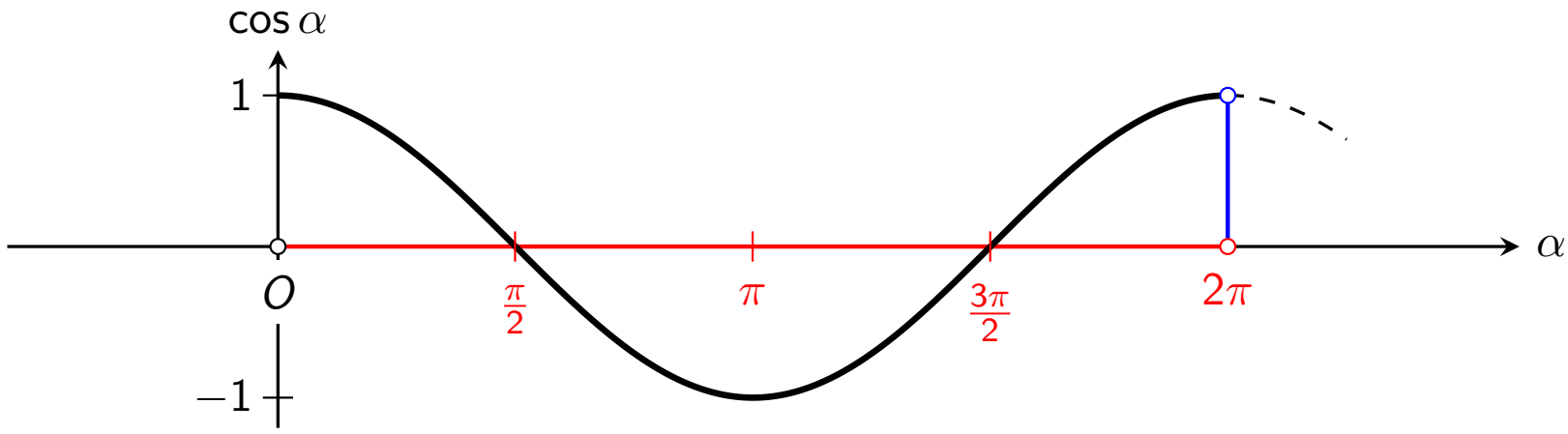

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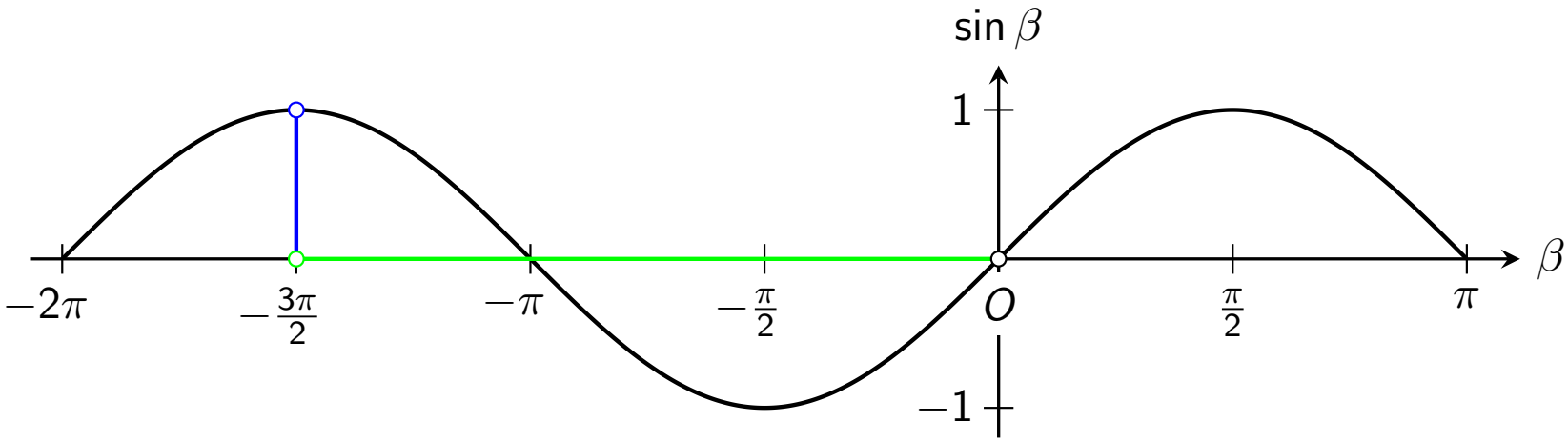

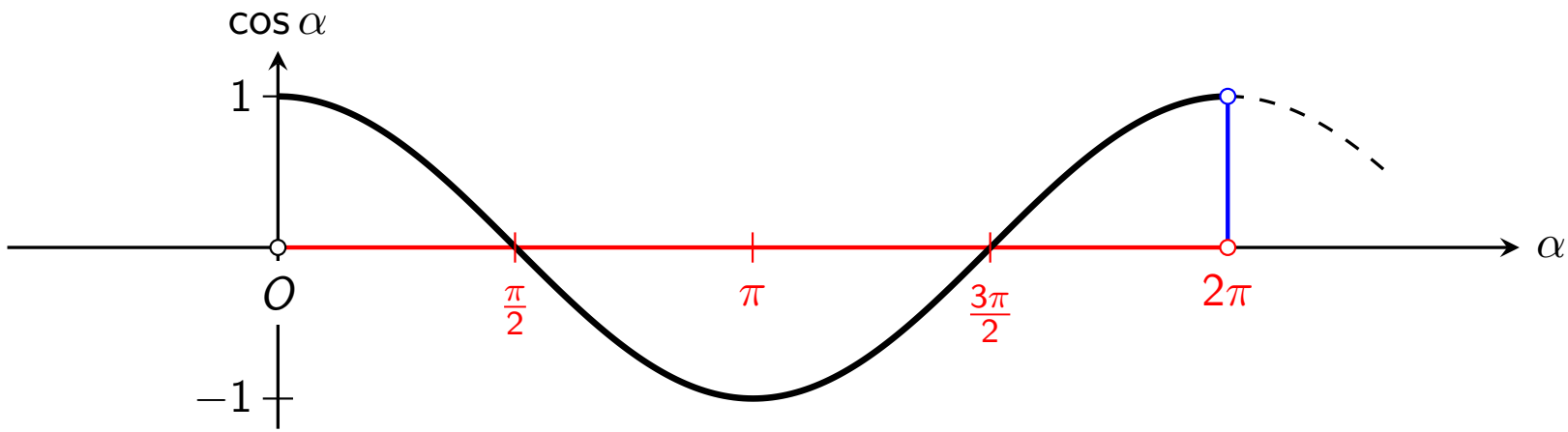

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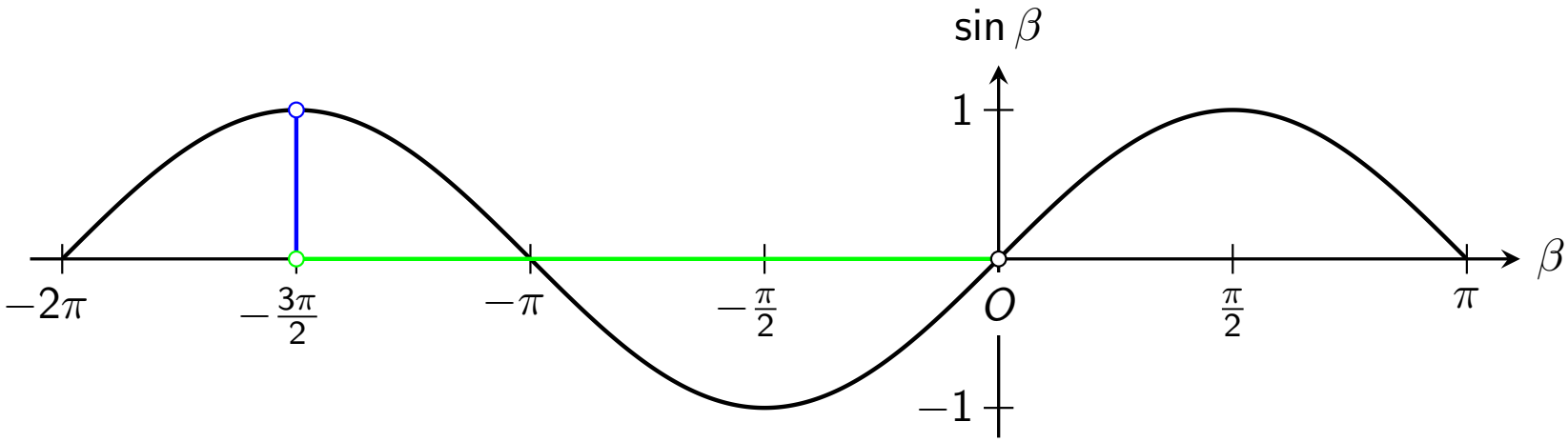
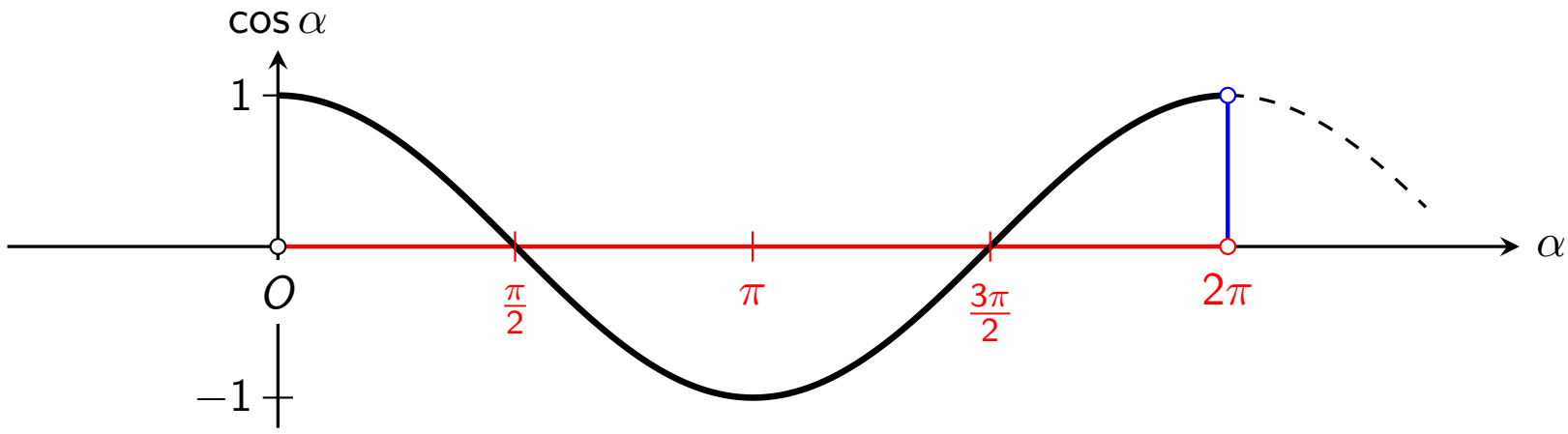
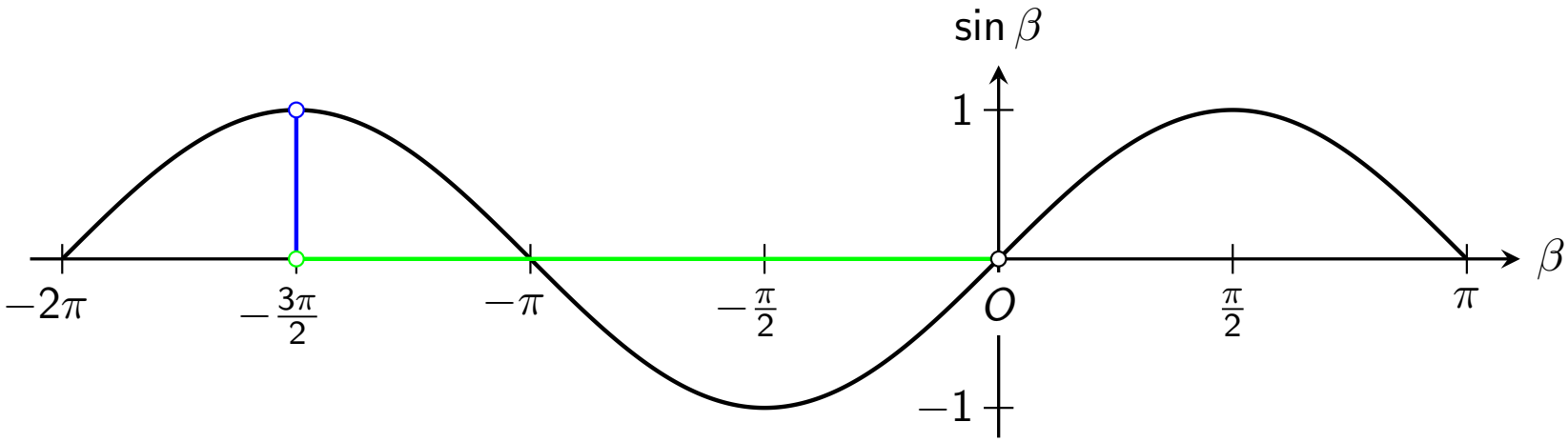
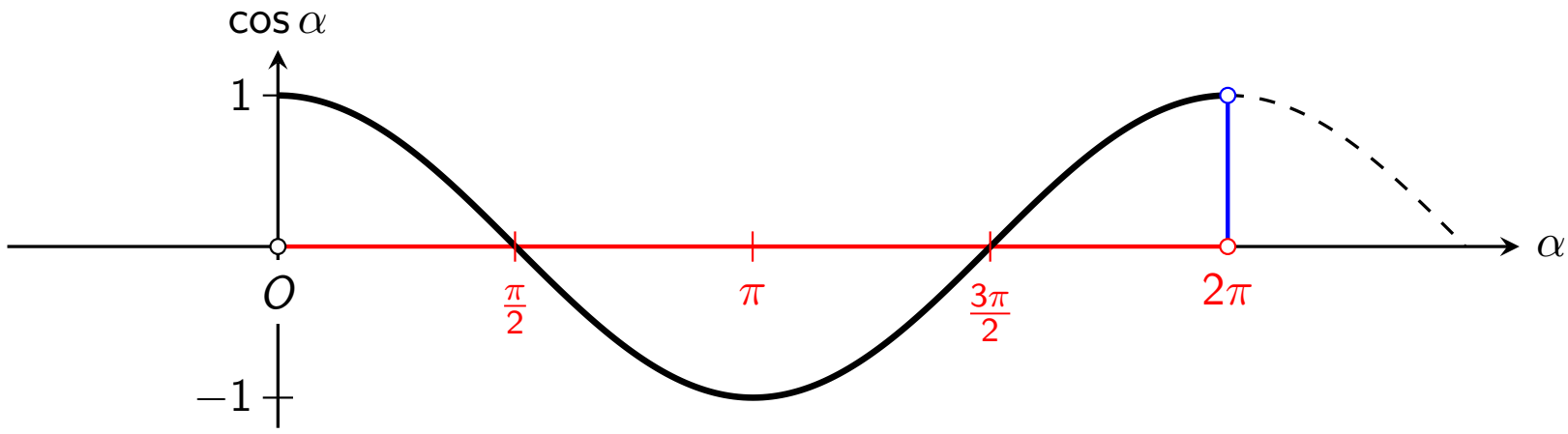




$$\cos\alpha = \sin\left(\frac{\pi}{2} - \alpha\right)$$





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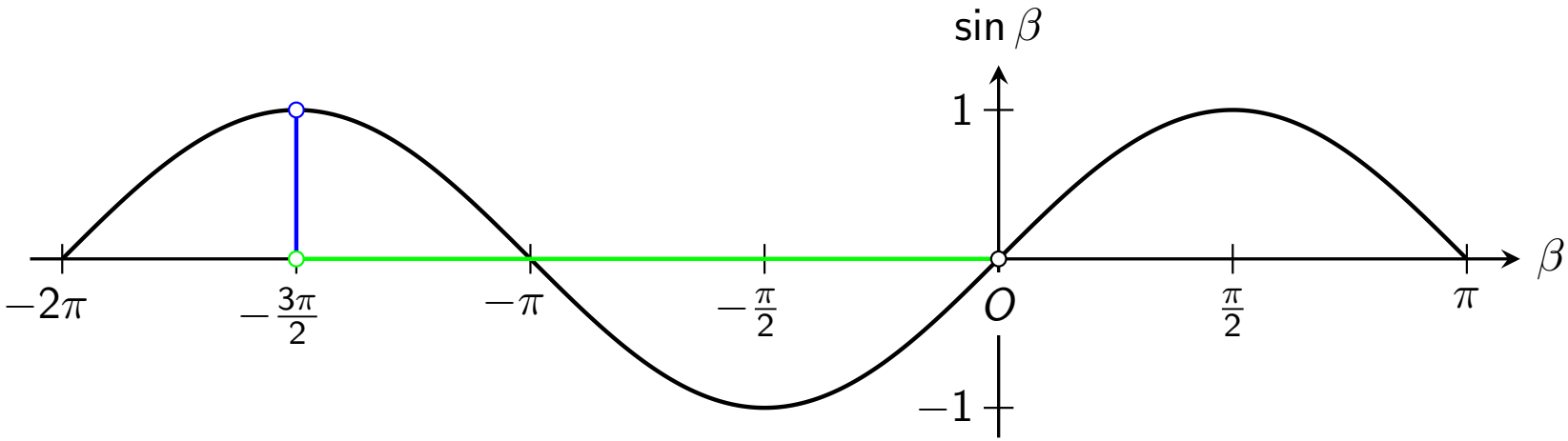

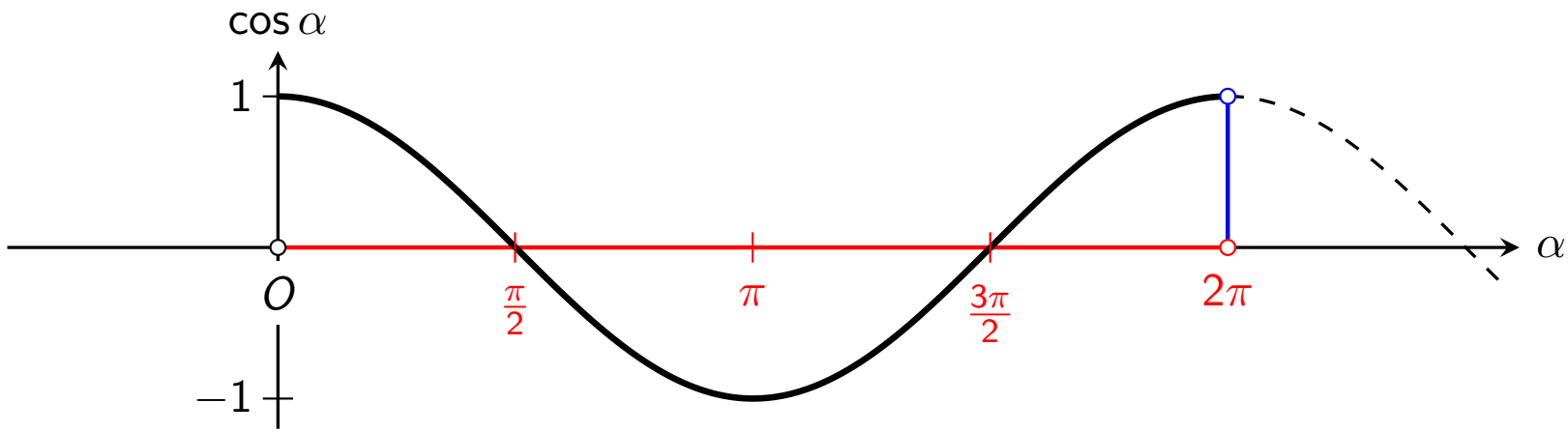

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