

Summary

Laboratory demonstration:
HeNe laser



Advanced Radiation Sources - PHSY761

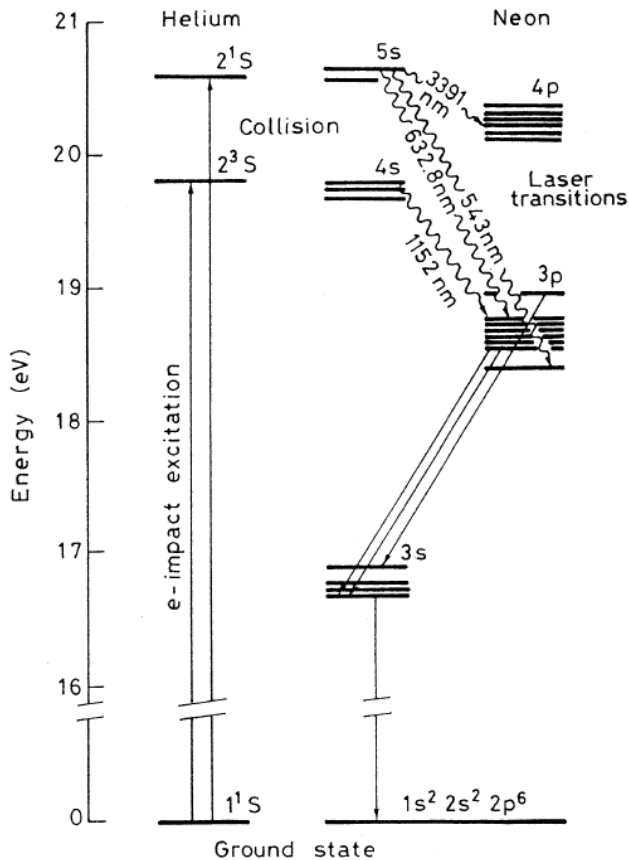
Exercise 03

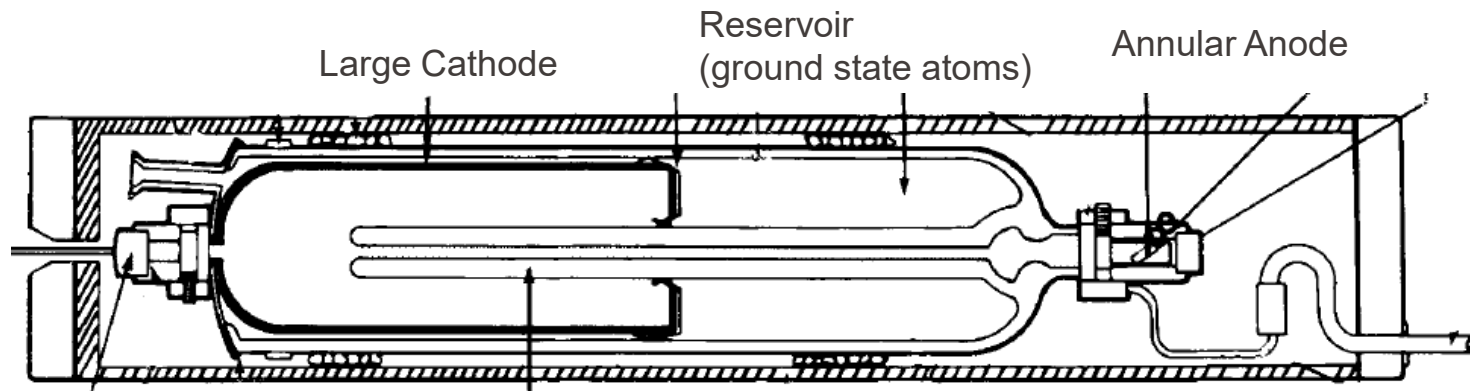
05 October

2023

Gases $\rightarrow$ narrow absorption bands, hard to “pump” with incoherent light

- Electron excitation of He and Ne by discharge in a gas tube
- Long lived He 2^1S , 2^3S : “energy reservoir” for the inversion
- Resonant energy transfer between He and Ne

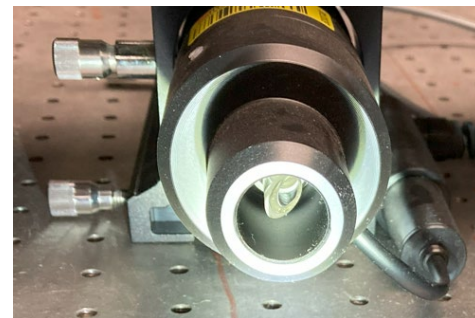
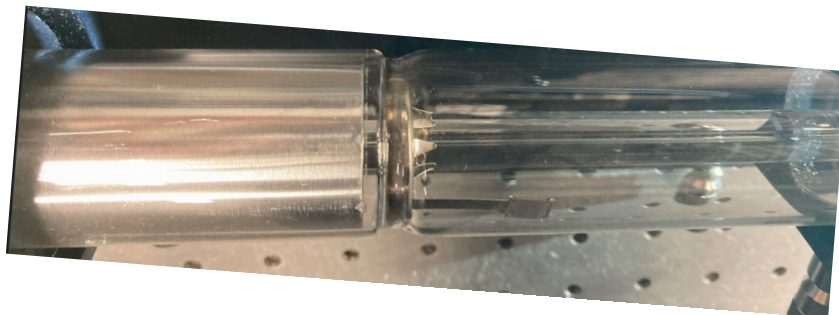




Capillary -> glow discharge (no "arcing")

(population inversion)

Brewster window: polarized output



632.8 nm $\rightarrow$ 474 THz (300 nm $\leftrightarrow$ 1 PHz)

Homogeneous contribution:

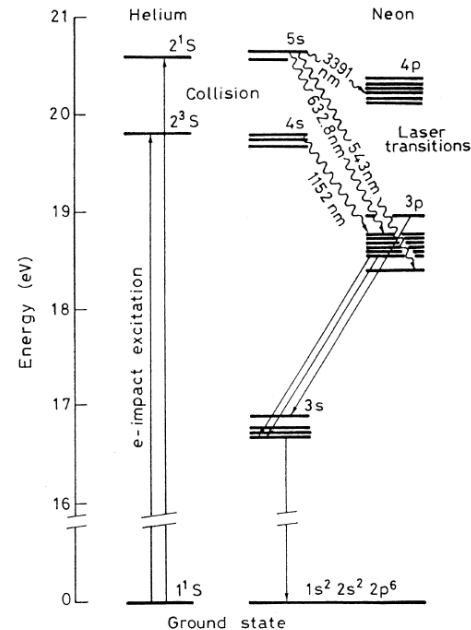
Natural linewidth: 19 MHz (lifetimes of s,p states)

Pressure broadening: 0.6 MHz

Inhomogeneous contribution:

Doppler broadening in the gas: 1500 MHz
(1.5 GHz)

Very narrow line, $1.5 / 474000 \rightarrow 10^{-6}$

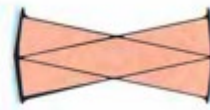


How does this compare with the longitudinal mode spacing (frequency spacing between cavity modes)

In our case: Two mirror with the same radius $R_1=R_2= -700$ mm

Assume a “confocal” geometry

(b) Symmetric
confocal
($R_1 = R_2 = -d$)

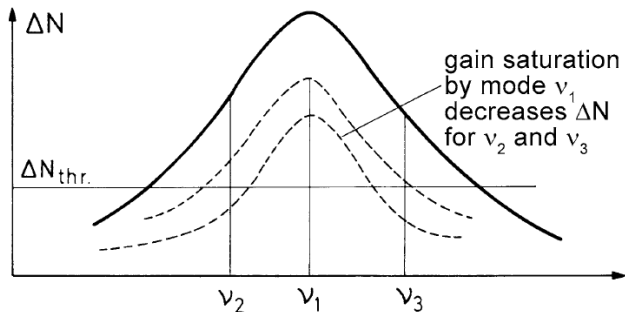


$$\text{Mode spacing} = c/2d = 3 \times 10^8 \text{ (m/s)} / (2 \times 0.7 \text{ m}) = 2.14 \times 10^8 \text{ s}^{-1}$$

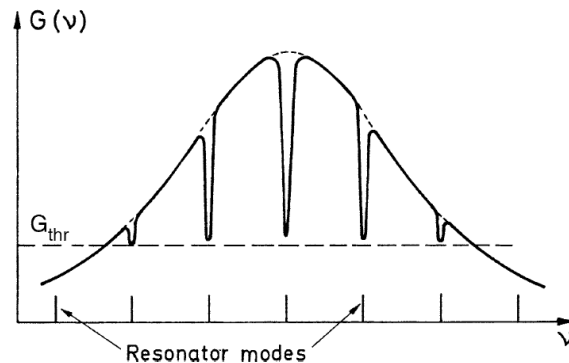
0.2 GHz $\rightarrow$ compare with the linewidth 1.5 GHz

7-8 cavity modes below the line.

Who is lasing?



Purely homogenous broadening

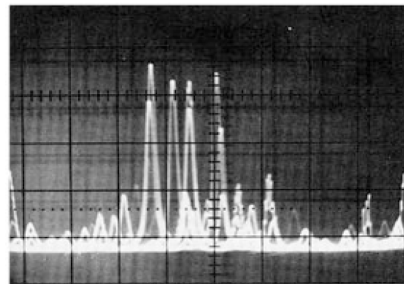


Inhomogeneous broadening : spectral hole burning

He-Ne laser:

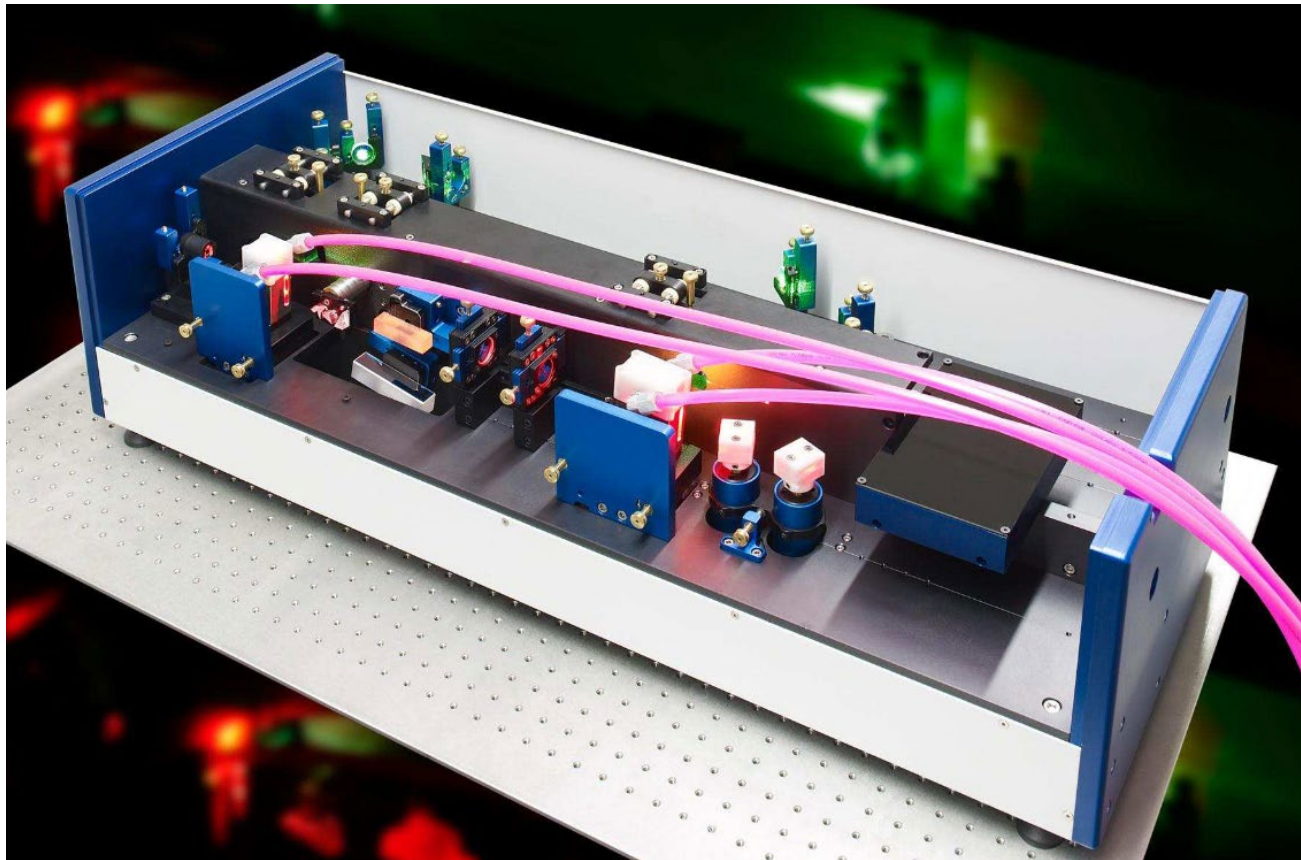


Ar ion laser:

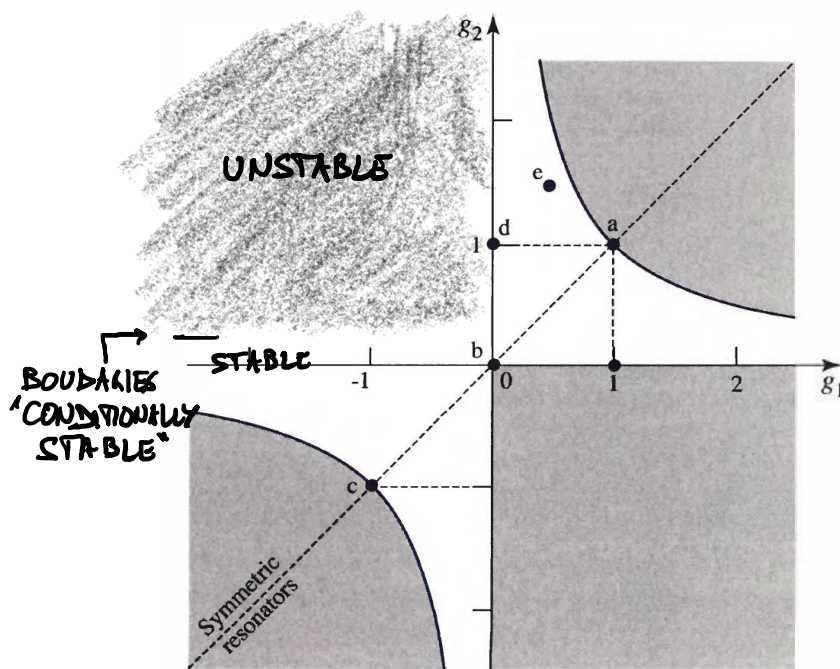


Independent lasing (stable multimode) if mode spacing > homogenous contribution

Dye laser



$$0 \leq \underbrace{\left(1 + \frac{d}{R_1}\right)}_{g_1} \underbrace{\left(1 + \frac{d}{R_2}\right)}_{g_2} \leq 1$$



Stability criterion for curved mirror resonators

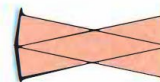
Two mirror resonator with the same radius

$R_1 = R_2 = -700$ mm

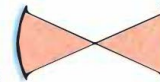
(a) Planar
($R_1 = R_2 = \infty$)



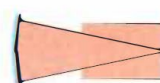
(b) Symmetric confocal
($R_1 = R_2 = -d$)



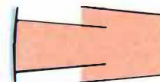
(c) Symmetric concentric
($R_1 = R_2 = -d/2$)



(d) Confocal/planar
($R_1 = d, R_2 = \infty$)



(e) Concave/convex
($R_1 < 0, R_2 > 0$)

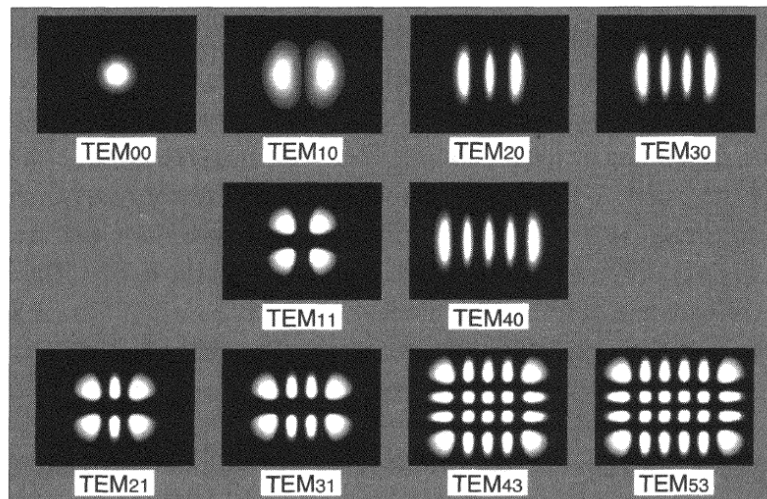


- We still don't know anything about the mode spatial shape and spectral structure!

The Transverse Electromagnetic Modes (TEM)

$$U_{pq}(x, y) = H_p\left(\frac{\sqrt{2}x}{w}\right) H_q\left(\frac{\sqrt{2}y}{w}\right) e^{-(x^2+y^2)/w^2}$$

H_n HERMITE POLYNOMIALS



- TEM_{lm} modes can be calculated for every longitudinal mode n ,
- The mode frequency ν_{nlm} , depends more strongly on n , but also on l and m
- Also the transverse mode are important in the laser dynamics: higher order can be minimized by cavity design, but this is not optimal for every application.