



# BASICS OF MR SPECTROSCOPY

Lijing Xin

*CIBM EPFL MRI*

*27.04.2023*

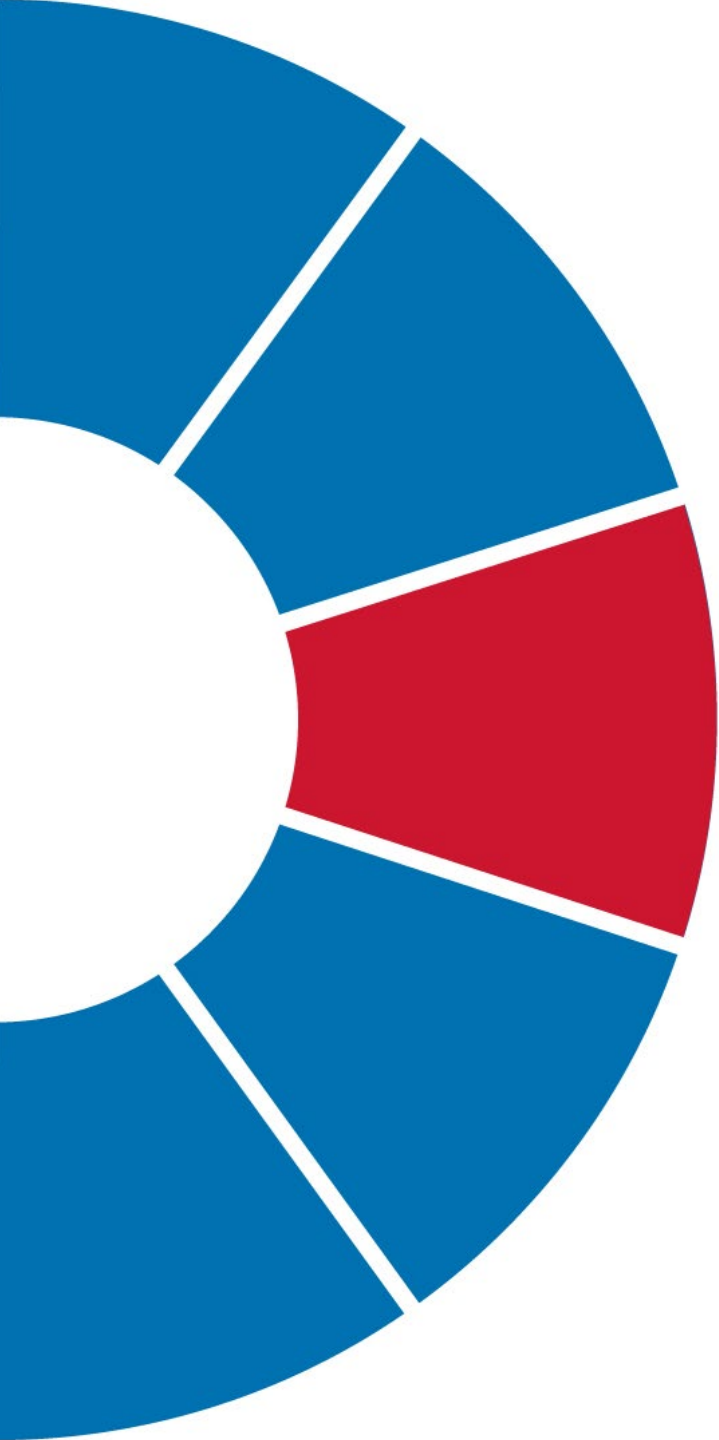


C I B M . C H

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# OUTLINE

- Introduction of MRS (chemical shift and J-coupling)
- Localization techniques
- $B_0$  Shimming
- $B_1^+$  calibration
- Water suppression
- Outer volume suppression



## CHEMICAL SHIFT AND J-COUPPLING

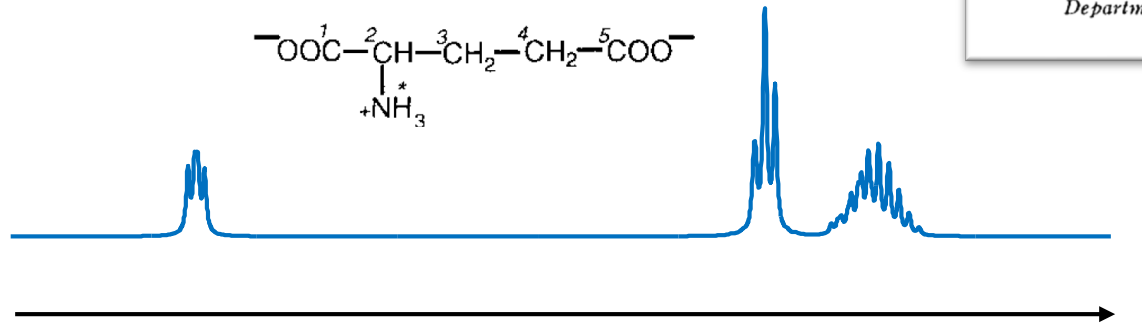
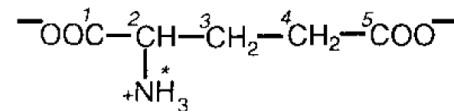
# RESONANCE FREQUENCY

Resonance frequency of a nucleus  $\omega_0 = \gamma B_0$

7T  
300MHz



## Glutamate

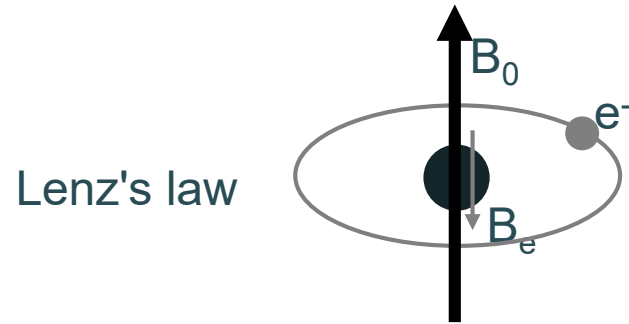


nuclei in a molecule resonant at different frequencies

### The Dependence of a Nuclear Magnetic Resonance Frequency upon Chemical Compound\*

W. G. PROCTOR AND F. C. YU  
Department of Physics, Stanford University, Stanford, California  
January 18, 1950

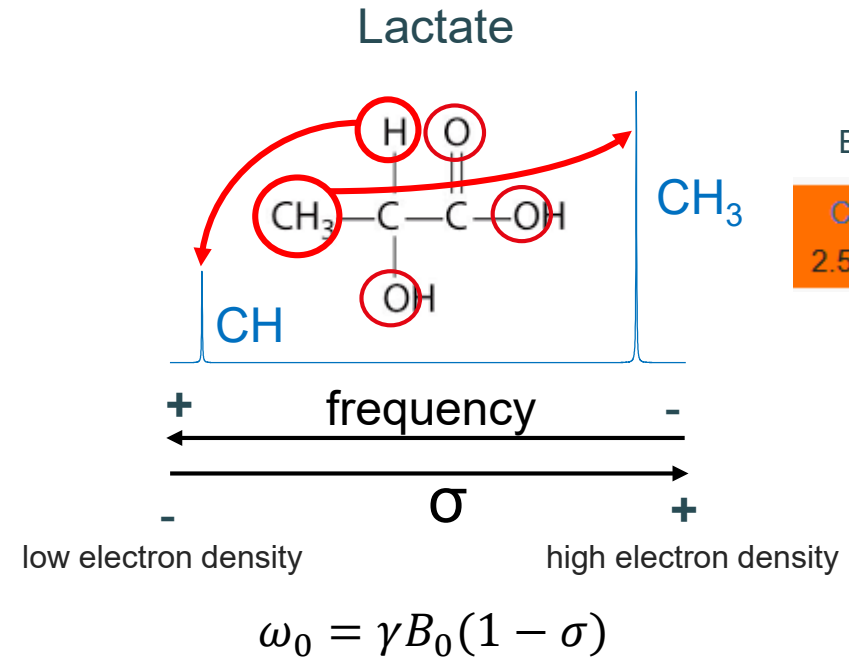
# SHIELDING AND RESONANCE FREQUENCY



$$B_{eff} = B_0 - B_e = B_0(1 - \sigma)$$

$\sigma$ , the shielding constant

Electrons around the nucleus shield it from the applied field

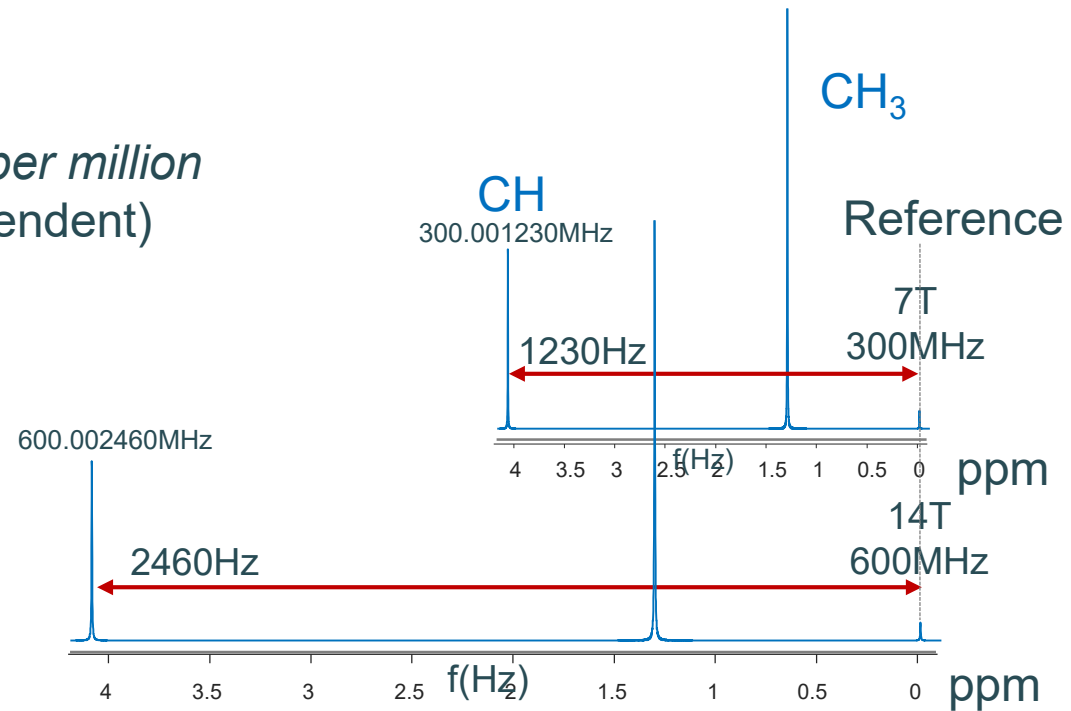


Resonance frequency depends on the chemical environment of the nucleus

# CHEMICAL SHIFT

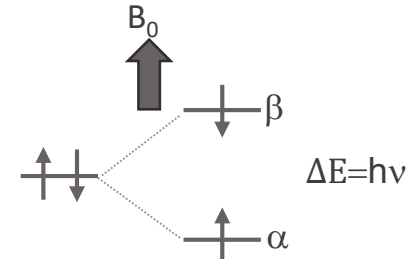
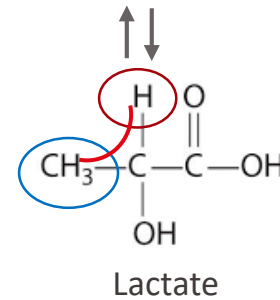
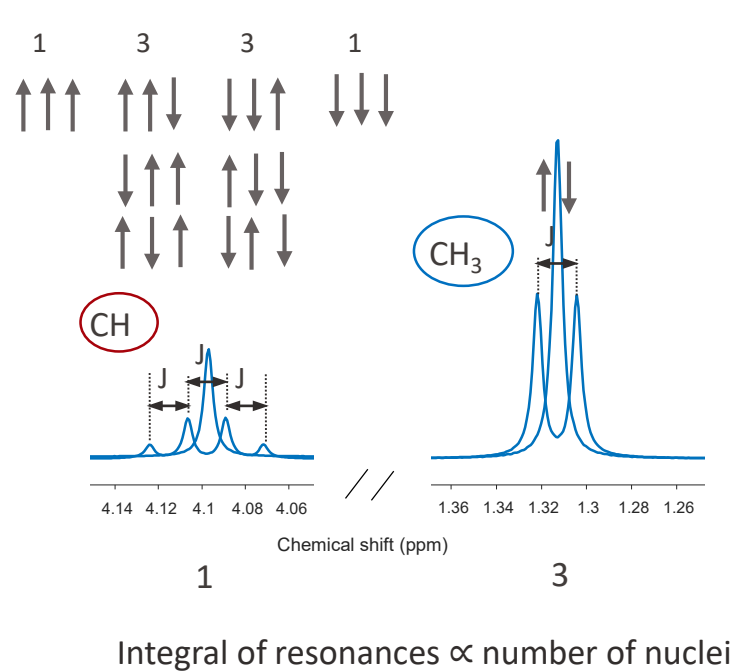
Chemical shift in *parts per million*  
(magnetic field independent)

$$\delta = \frac{\omega - \omega_{ref}}{\omega_{ref}} \times 10^6$$



# J-COUPLING

**J-coupling (spin-spin coupling, scalar coupling)**  
**Interactions between neighboring nuclear spins**

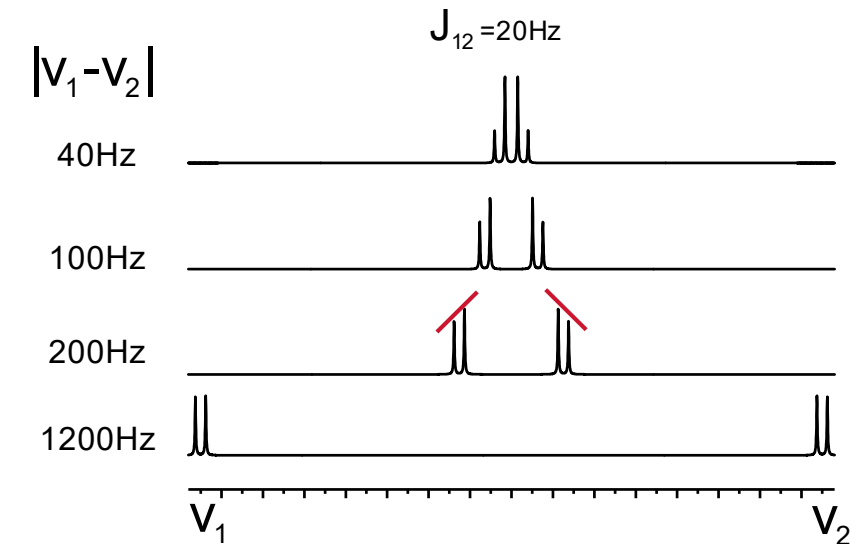


Number of splitting peaks:  $n+1$   
 $n$ : the number of neighboring identical nuclei  
 $J$ : coupling constant in Hz

| $n$ | Pascal's triangle      |
|-----|------------------------|
| 0   | 1                      |
| 1   | 1 1                    |
| 2   | 1 2 1                  |
| 3   | 1 3 3 1                |
| 4   | 1 4 6 4 1              |
| 5   | 1 5 10 10 5 1          |
| 6   | 1 6 15 20 15 6 1       |
| 7   | 1 7 21 35 35 21 7 1    |
| 8   | 1 8 28 56 70 56 28 8 1 |

# MORE ABOUT J-COUPLING

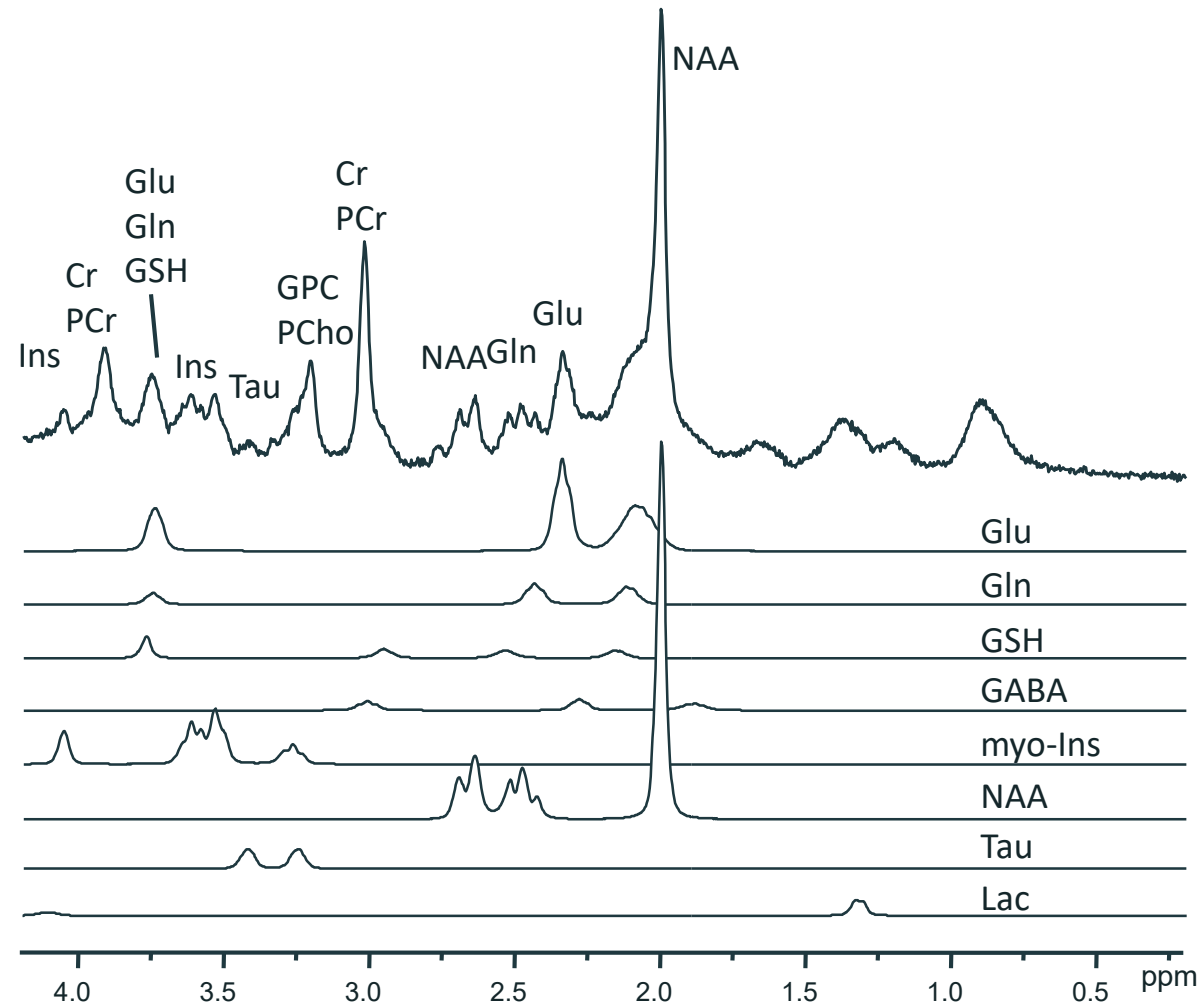
- J is independent of the magnetic field
- Peak splitting
  - Weakly coupled ( $|v_1 - v_2| \gg J_{12}$ ), e.g.  $^1\text{H}$ - $^{13}\text{C}$ , product operator formalism
  - Strongly coupled (roof effect): e.g.  $^1\text{H}$ - $^1\text{H}$ , density matrix formalism



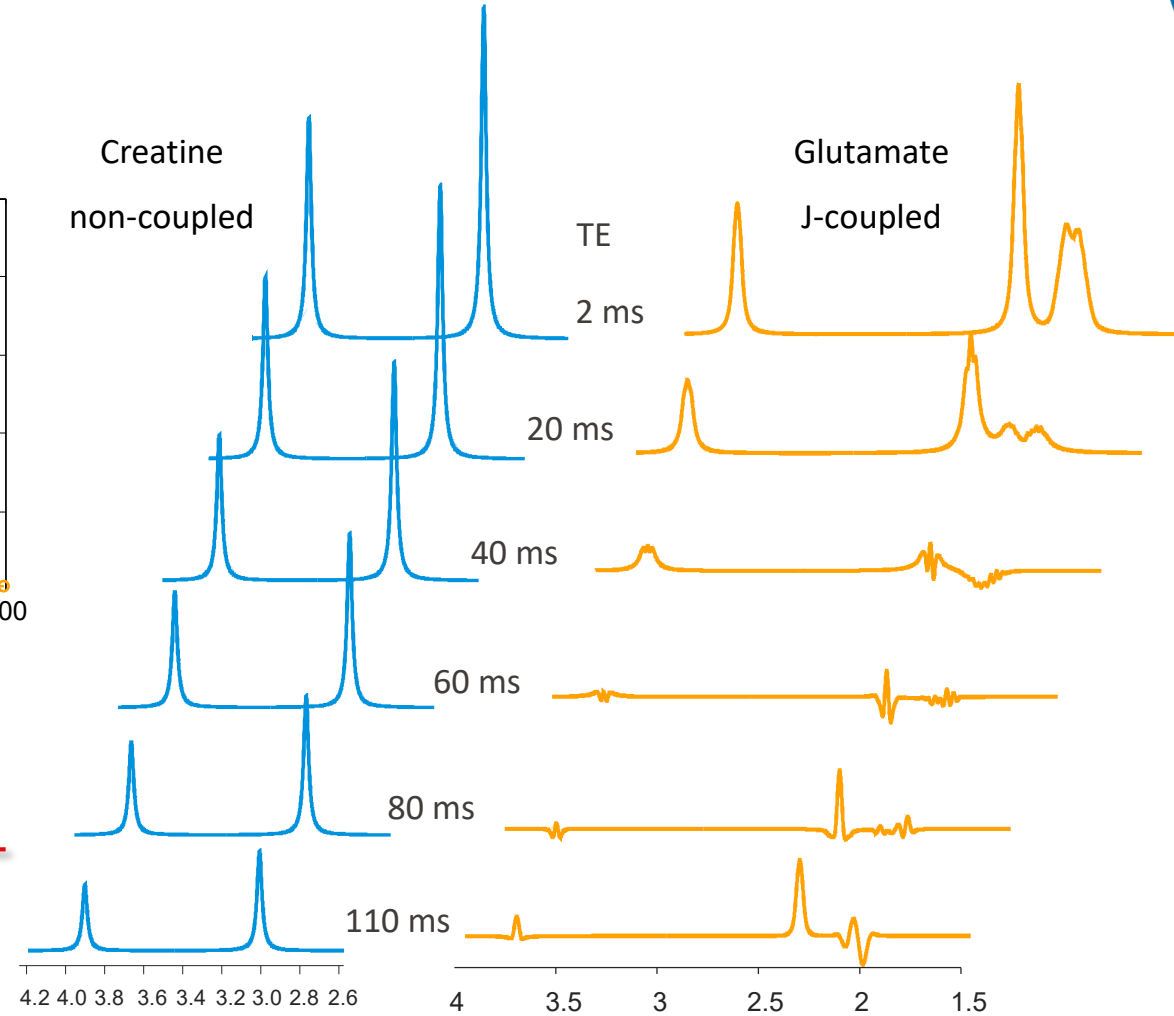
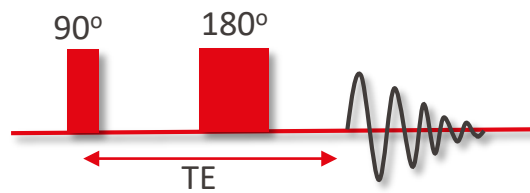
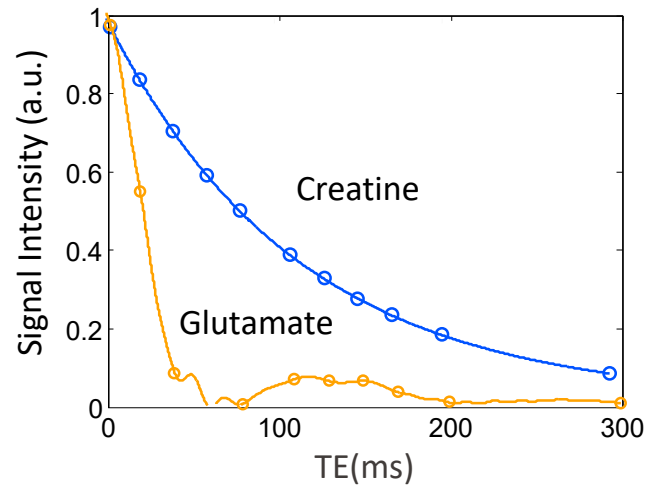


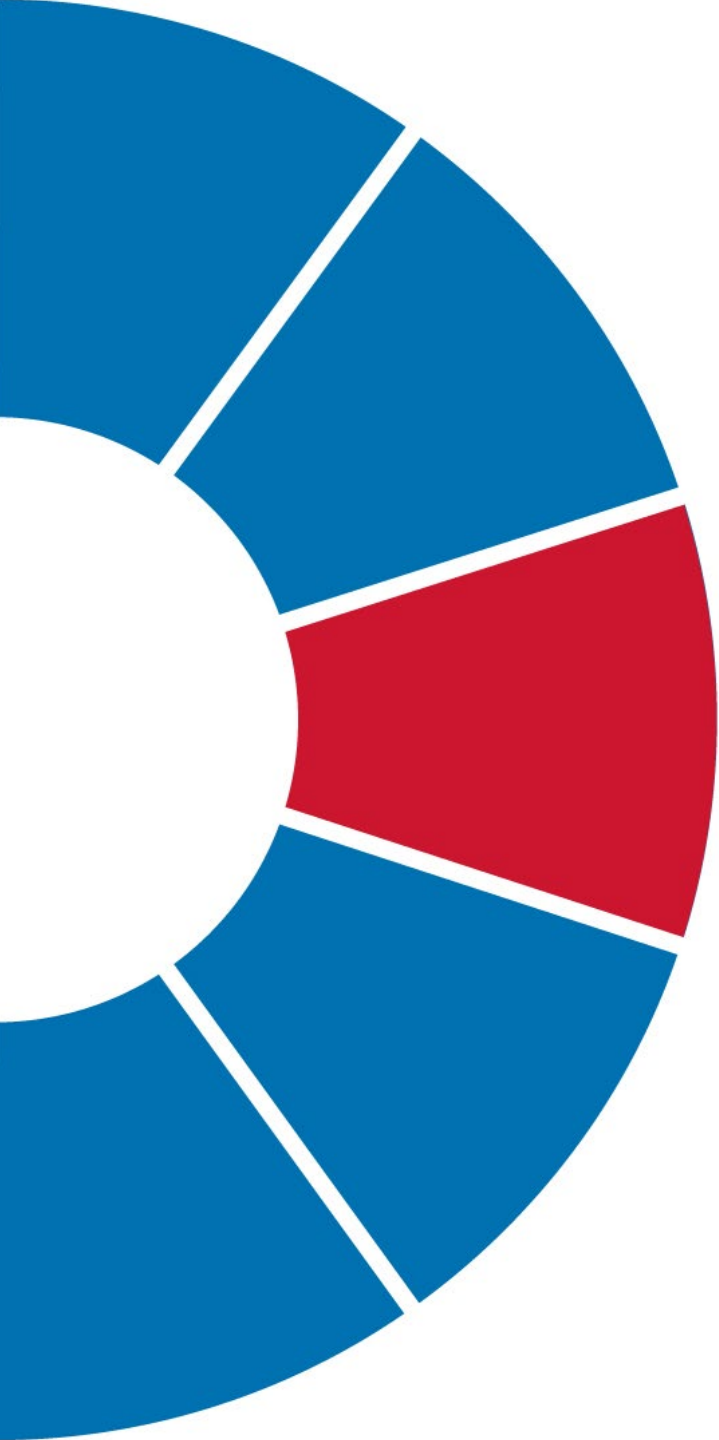
# FINGERPRINTS OF MOLECULES

Chemical shift  
J-coupling



# J-EVOLUTION WITH TE

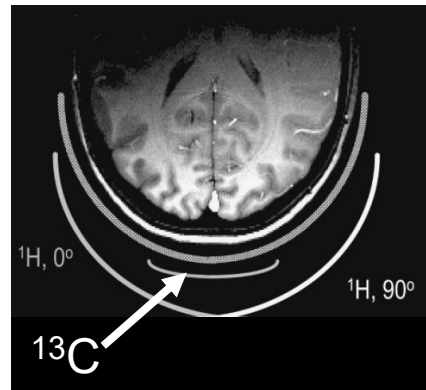
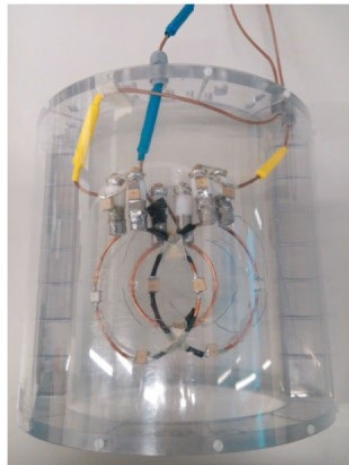




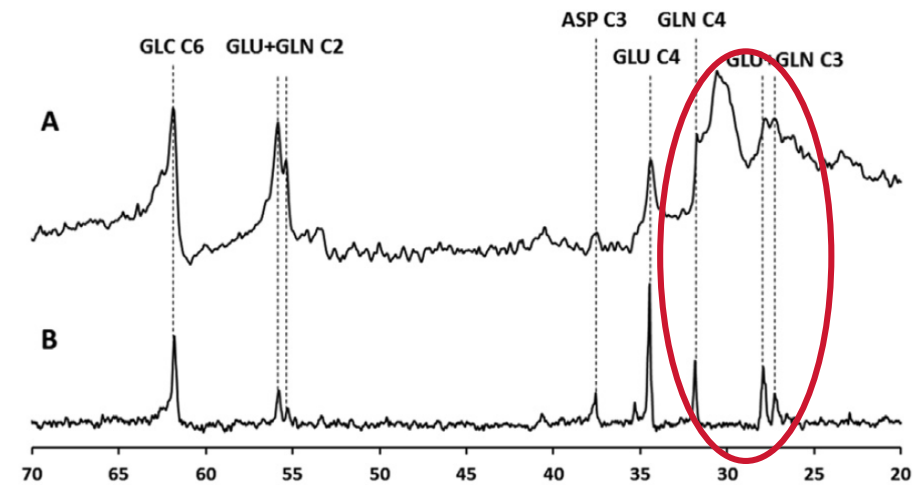
## LOCALIZATION METHODS

# LOCALIZATION WITH SURFACE COIL

surface coil

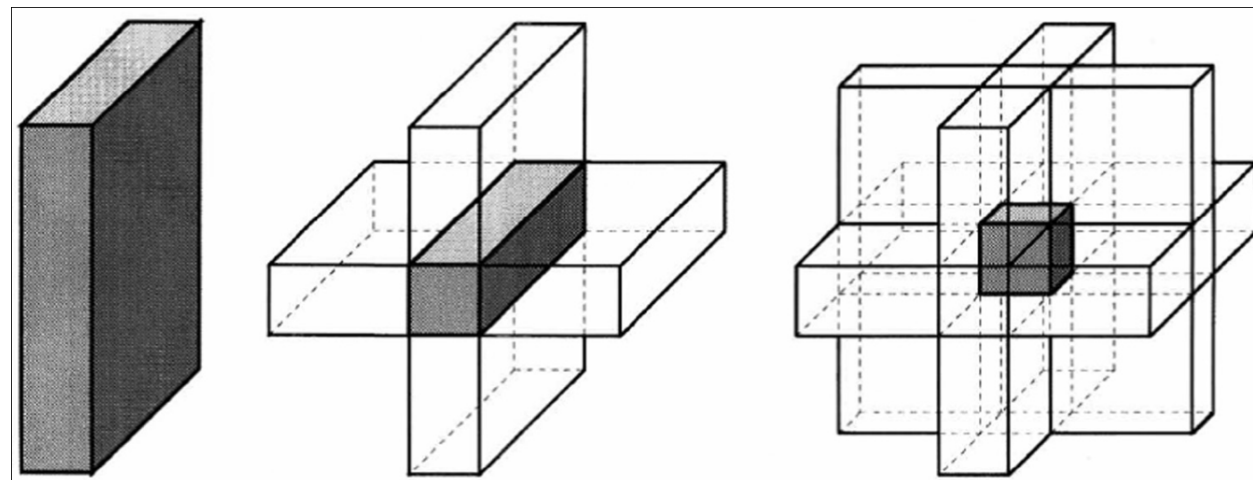
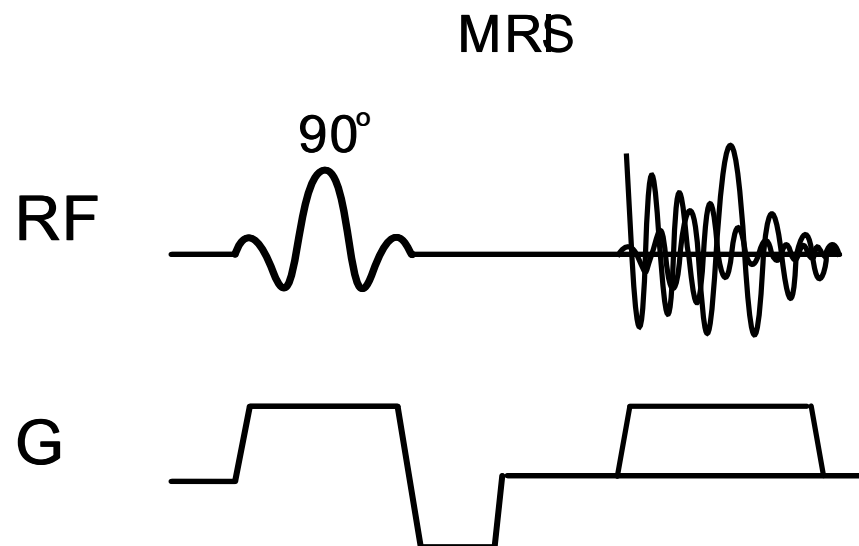


Lipid contamination

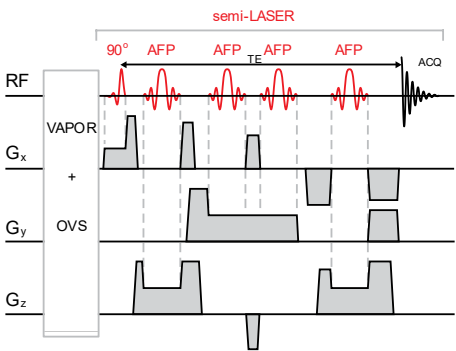
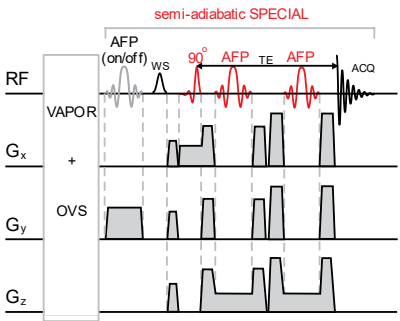
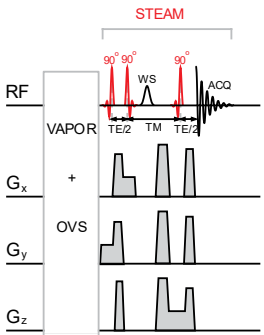
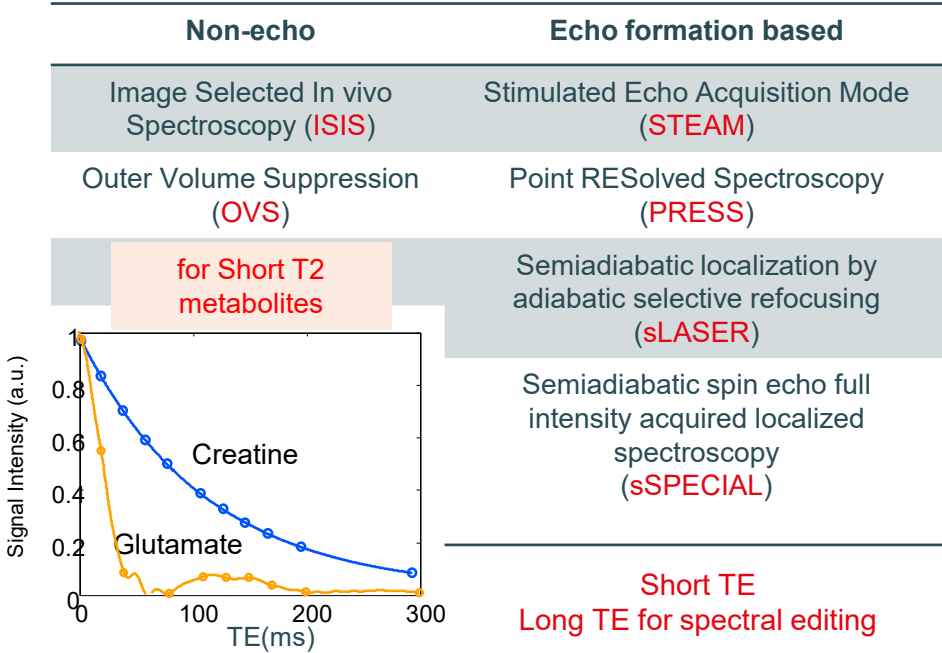


Valette et al., Anal. Biochem., 529, 216-228, 2017

# PRINCIPLE OF LOCALIZATION



# LOCALIZATION SEQUENCES



# CHEMICAL SHIFT DISPLACEMENT (CSD) ERROR

Different resonances may experience different slice selection in the localization sequence due to limited excitation bandwidth of the RF pulses

$$\text{CSDE (\%)}: \frac{\Delta x}{x} = \frac{\Delta f}{BW}$$

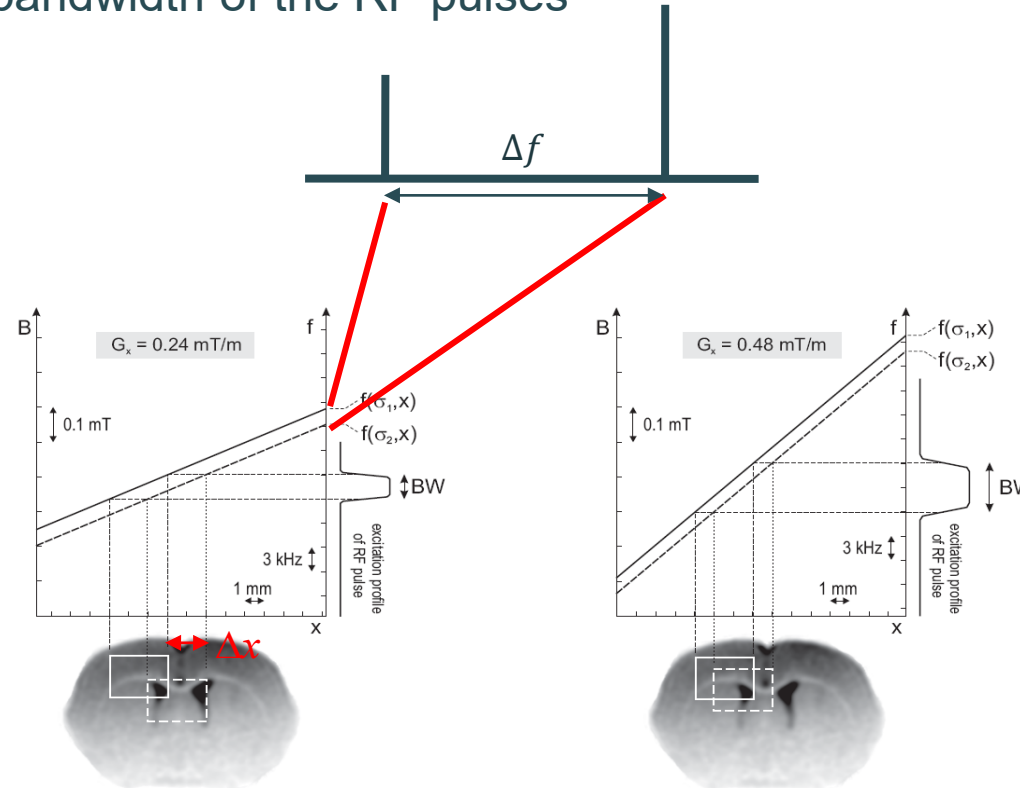
e.g. 10% error along one axis

Origin VOI:

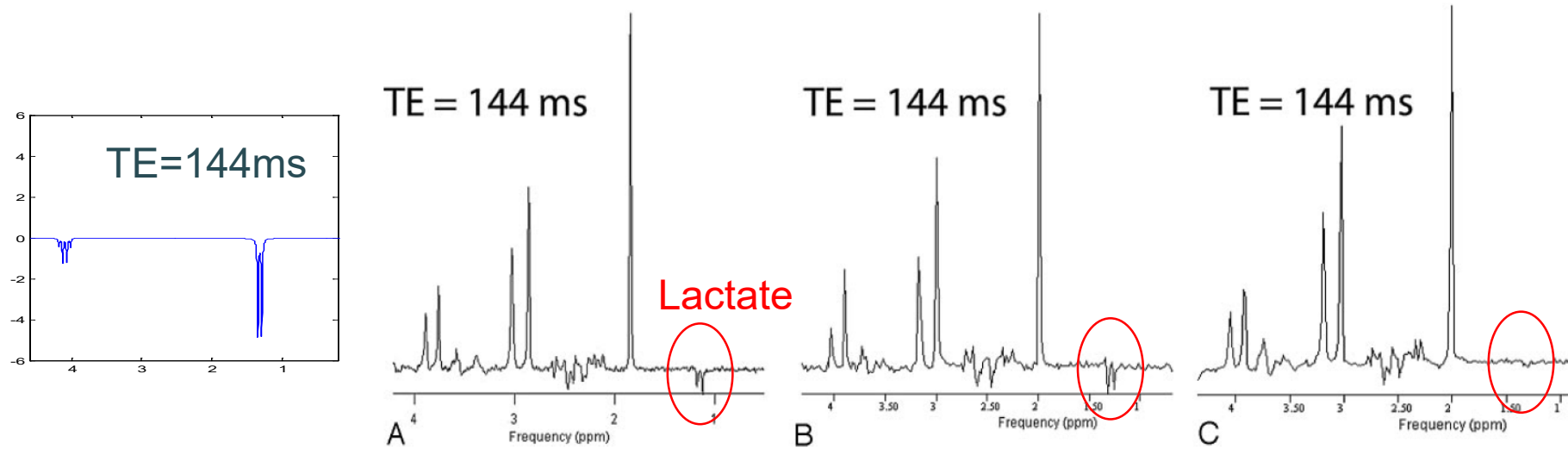
$$1 \times 1 \times 1 \text{ cm}^3 = 1 \text{ cm}^3$$

$$0.9 \times 0.9 \times 0.9 \text{ cm}^3 = 0.73 \text{ cm}^3$$

- Broadband RF pulse
- Strong gradient



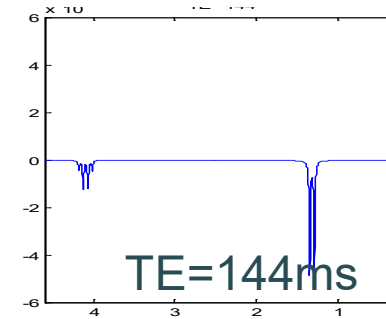
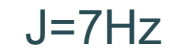
# CSDE FOR J-COUPLED METABOLITES



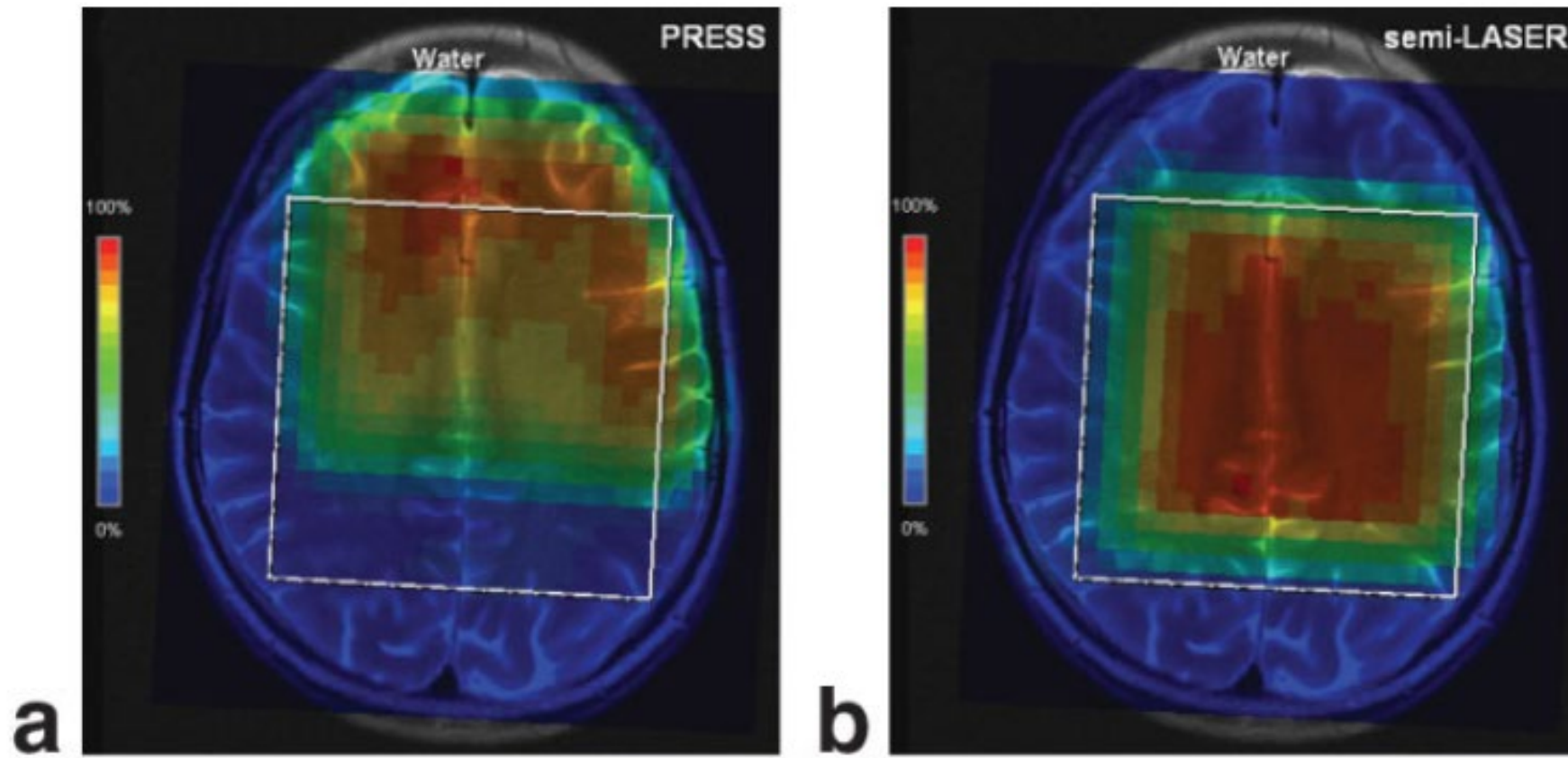
Radio-frequency pulse bandwidths for the selective refocusing pulses vary between vendors in the range of 874–2300 Hz.

*Lange et al, Am J Neuroradiol 27,2006.*





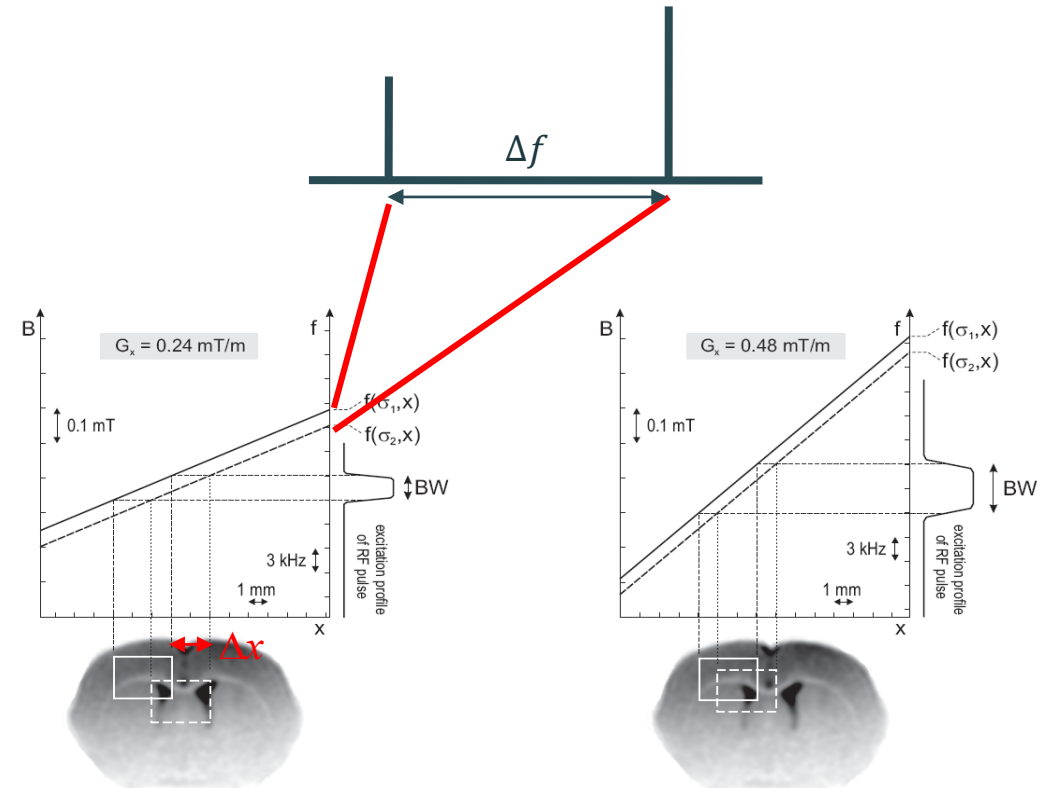
# EXAMPLE OF CSDE IN MRSI



# SUMMARY FOR REDUCING CSDE

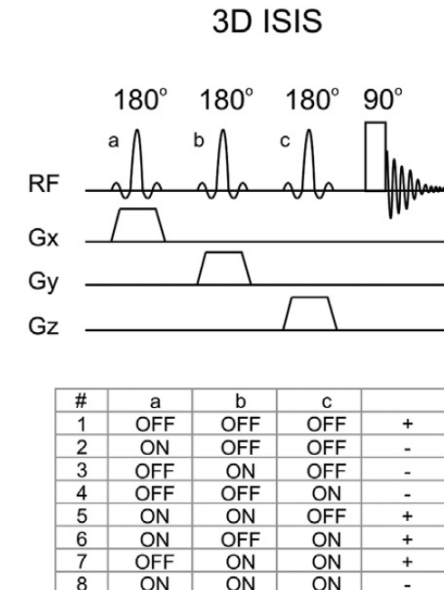
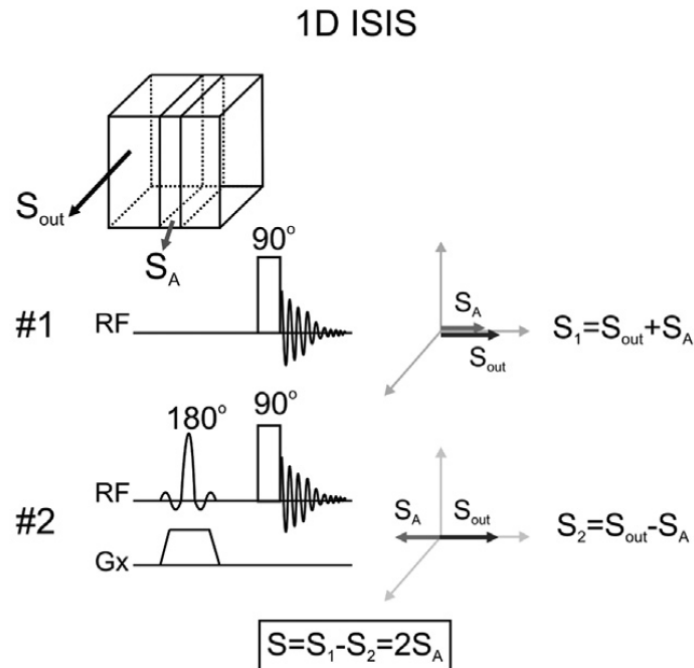
$$\text{CSDE (\%)}: \frac{\Delta x}{x} = \frac{\Delta f}{BW}$$

- Broadband RF pulse
- Strong gradient



# IMAGE SELECTED IN VIVO SPECTROSCOPY (ISIS)

## Multiple scans with add/subtract scheme



### ■ Pros

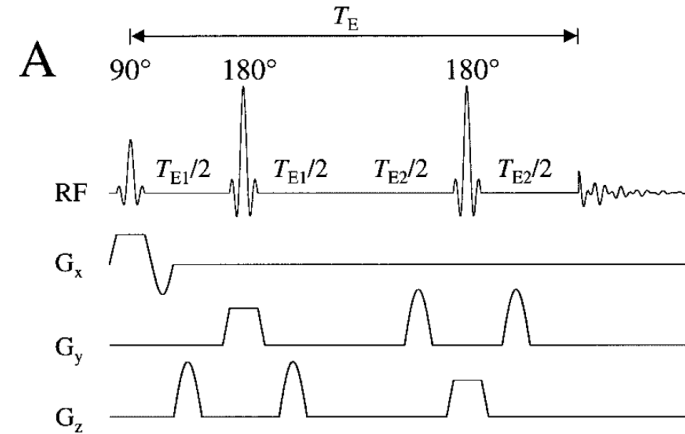
- No signal loss due to  $T_2$  and J-evolution

### ■ Cons

- Sensitive to motion during addition and subtraction
- Signal loss due to  $T_1$  relaxation

# POINT-RESOLVED SPECTROSCOPY (PRESS)

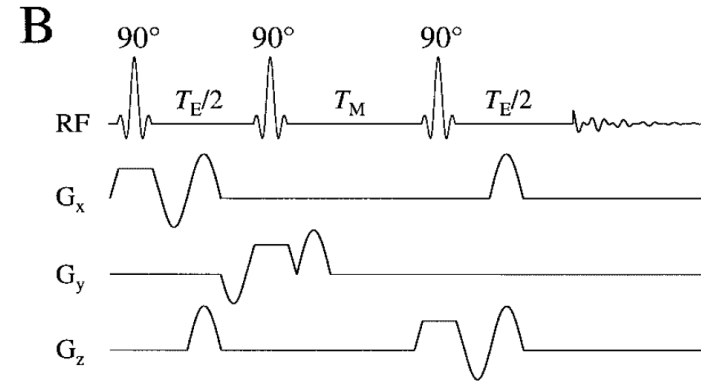
Three slice-selective pulses form a double spin echo – one-shot technique



- Pros: - full signal intensity detected  
- insensitive to motion
- Cons: - rather long echo times  
- sufficient  $B_1$  peak power necessary for 180° pulses

# STIMULATED ECHO ACQUISITION MODE (STEAM)

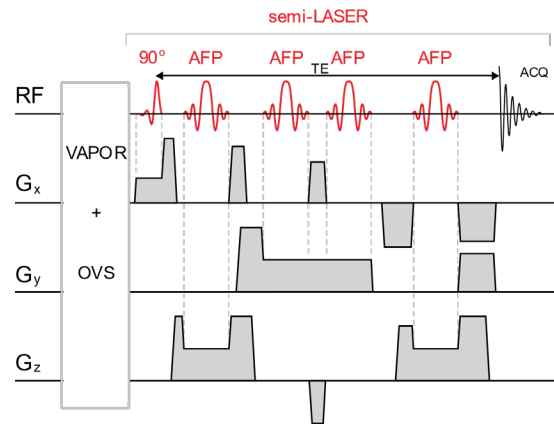
Three slice-selective pulses form a stimulated echo – one-shot technique



- Pros: - short echo time (relative to PRESS)
  - insensitive to motion
  - less sensitive to  $B_1$  inhomogeneity than PRESS
- Cons: - only one half of the magnetization available

# SLICE-SELECTIVE LOCALIZATION BY ADIABATIC SELECTIVE REFOCUSING (semi-LASER)

Slice-selective excitation + 2 pairs of slice-selective adiabatic refocusing pulses

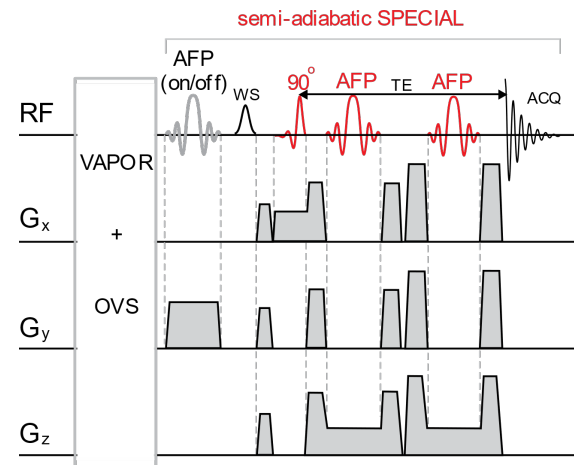


Adiabatic pulses generate a nonlinear phase variation across the slice and must be applied in pairs to obtain a slice-selective spin echo

- Pros:
  - full signal intensity available
  - longer minimum echo time but suppressed J-evolution
  - insensitive to  $B_1$  inhomogeneity in two dimensions
- Cons:
  - Longer echo time leads to  $T_2$  weighting of signal
  - high  $B_1$  peak power necessary for 180° pulses

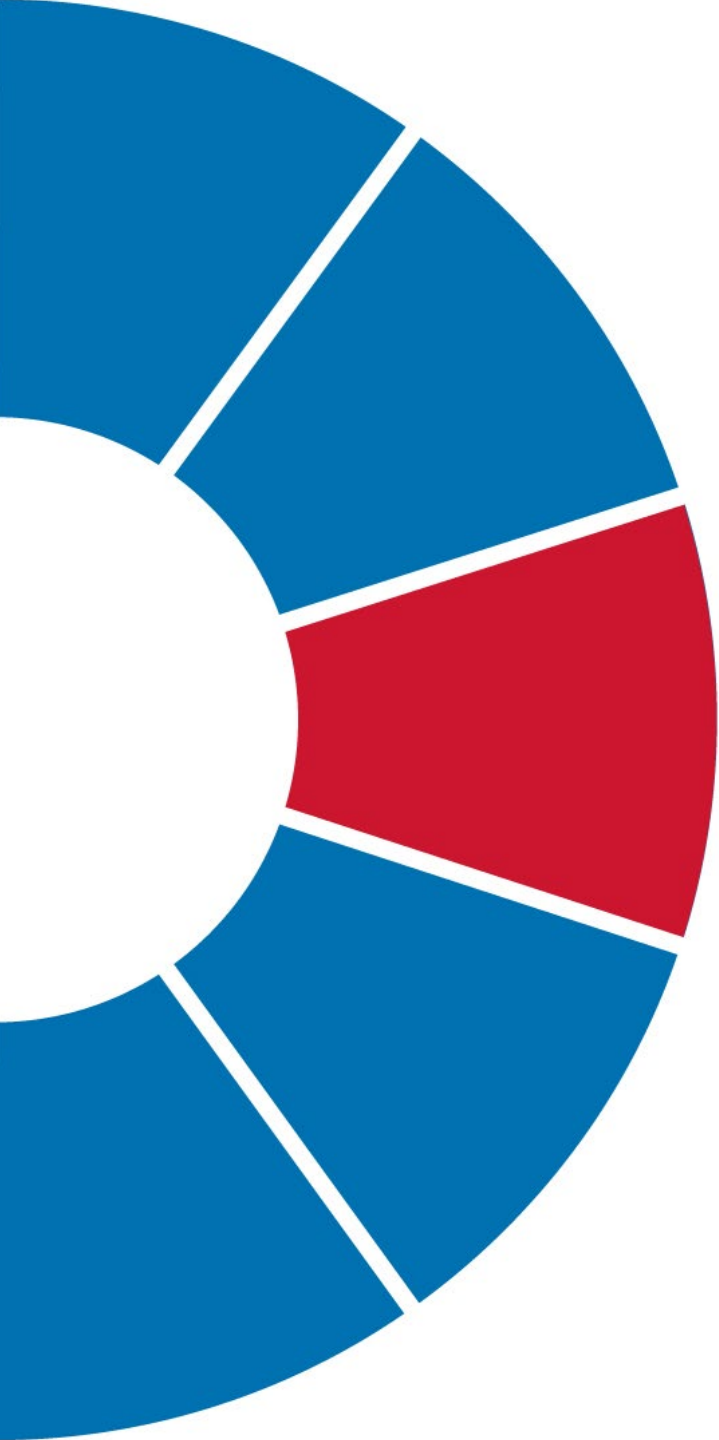
# SEMI-ADIABATIC SPIN ECHO, FULL INTENSITY ACQUIRED LOCALIZED SPECTROSCOPY (sSPECIAL )

## Spin-echo based add/subtract scheme - two shots technique



- Pros:
  - full signal intensity available
  - short TE (minimal signal loss due to  $T_2$  and J-evolution)
  - insensitive to  $B_1$  inhomogeneity in two dimensions
- Cons:
  - two scans necessary for localization
  - more sensitive to motion than single-shot methods
  - high  $B_1$  peak power necessary for 180° pulses



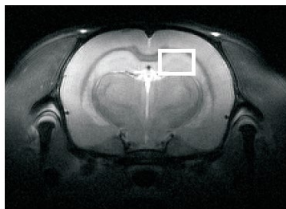
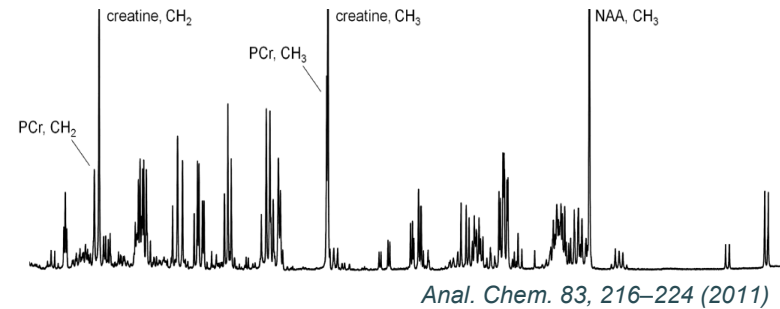


$B_0$  SHIMMING

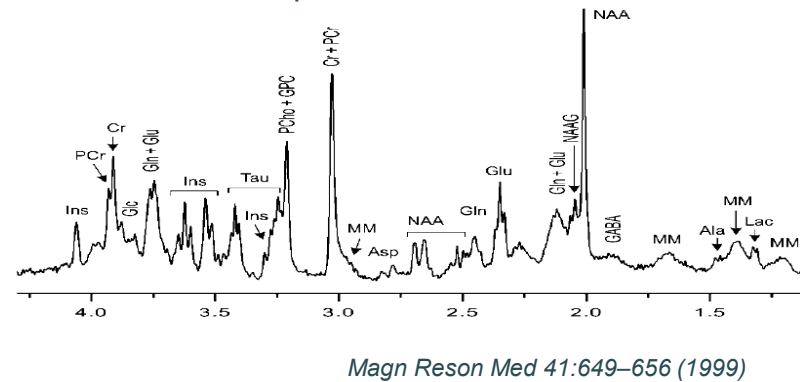
# MAGNETIC FIELD INHOMOGENEITY



Ex vivo spectrum of brain extract



In vivo spectrum of a rat brain

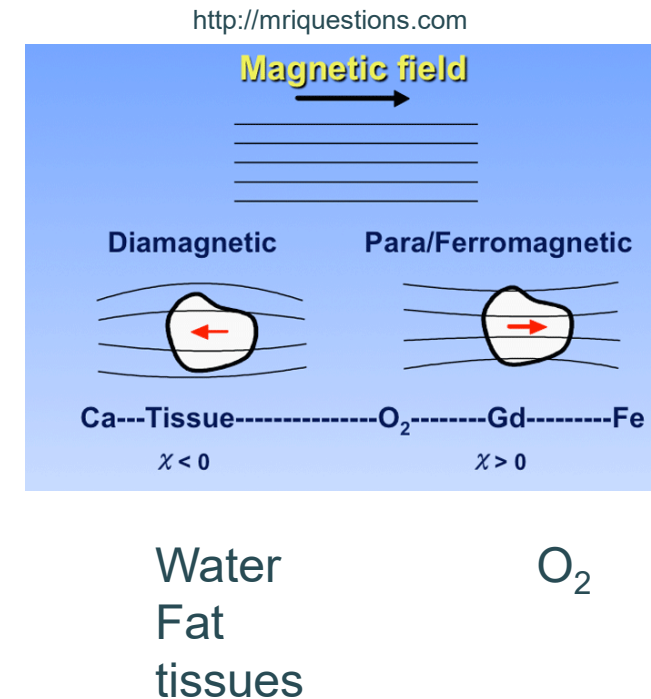
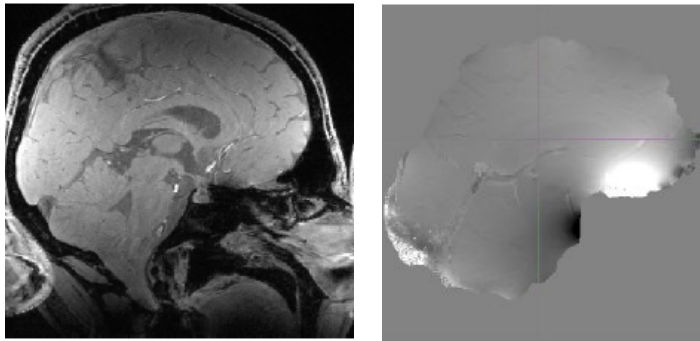


# ORIGIN OF MAGNETIC FIELD INHOMOGENEITY

- magnetic susceptibility difference between air and tissue

- Brain tissue(70-80% of water): diamagnetic
- Oxygen: paramagnetic

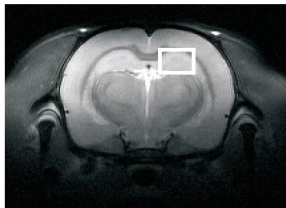
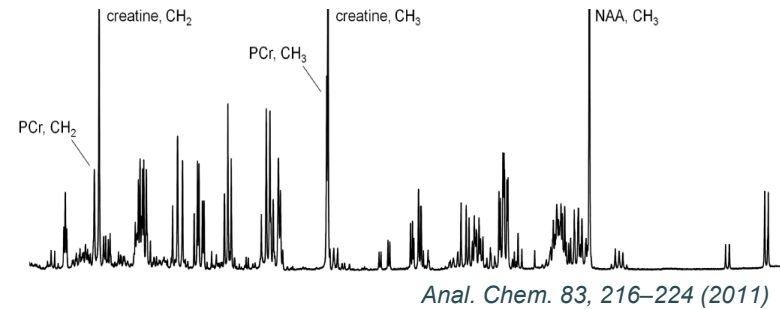
e.g. prefrontal cortex (close to nasal sinus cavity,  
air-tissue surface)



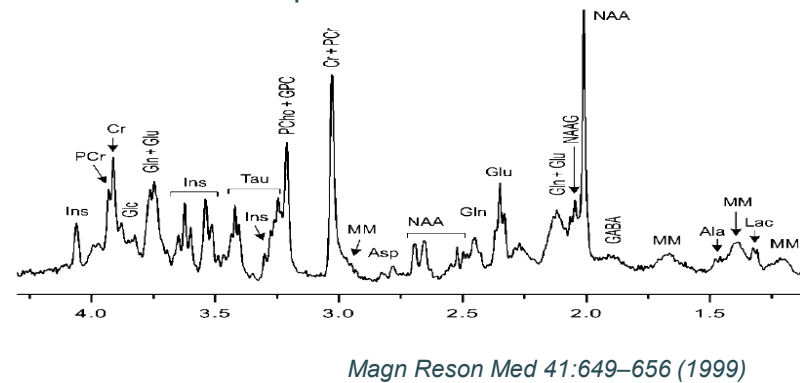
# MAGNETIC FIELD INHOMOGENEITY



Ex vivo spectrum of brain extract



In vivo spectrum of a rat brain



Higher magnetic susceptibility  
gradient in living tissue

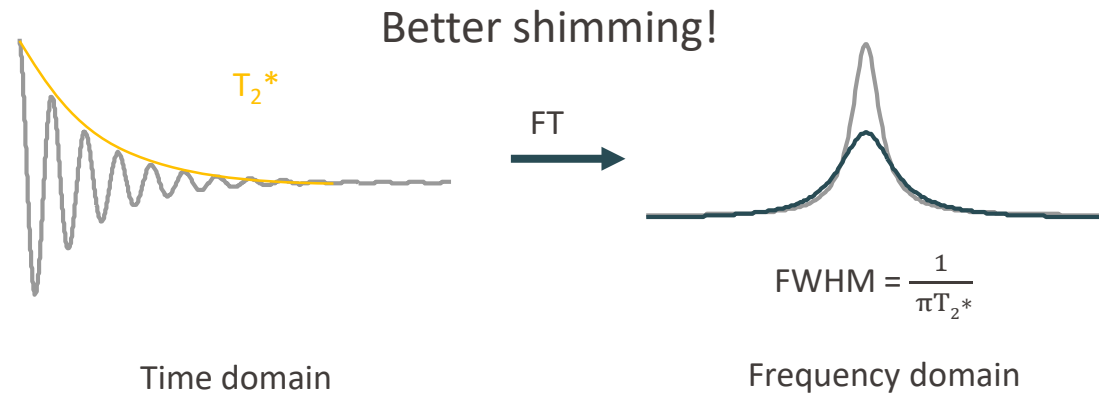
# $B_0$ SHIMMING: OPTIMIZE FIELD INHOMOGENEITY



$$FWHM \sim \frac{1}{\pi T_2^*} = \frac{1}{\pi T_2} + \frac{\gamma}{2\pi} \Delta B_0$$

Compensated by shimming

# B<sub>0</sub> SHIMMING: OPTIMIZE FIELD INHOMOGENEITY

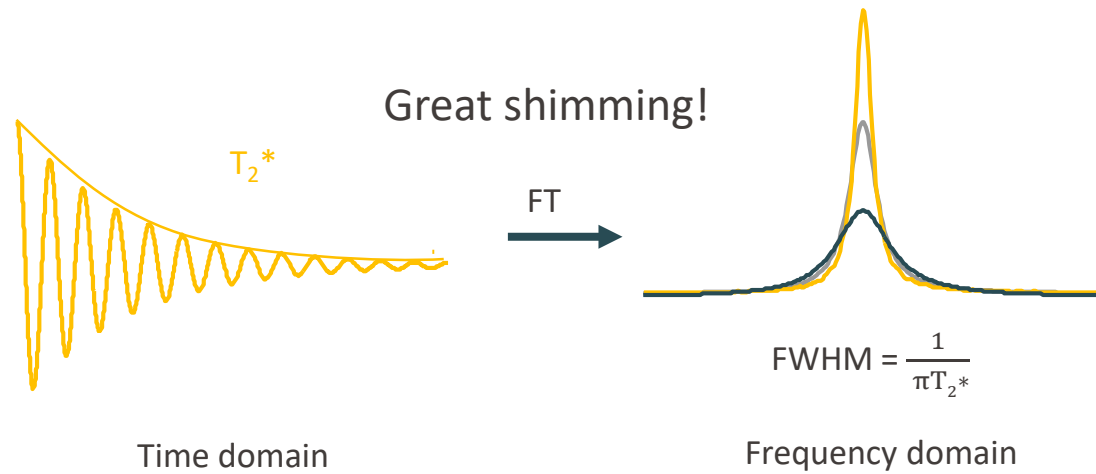


↓

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# $B_0$ SHIMMING: OPTIMIZE FIELD INHOMOGENEITY

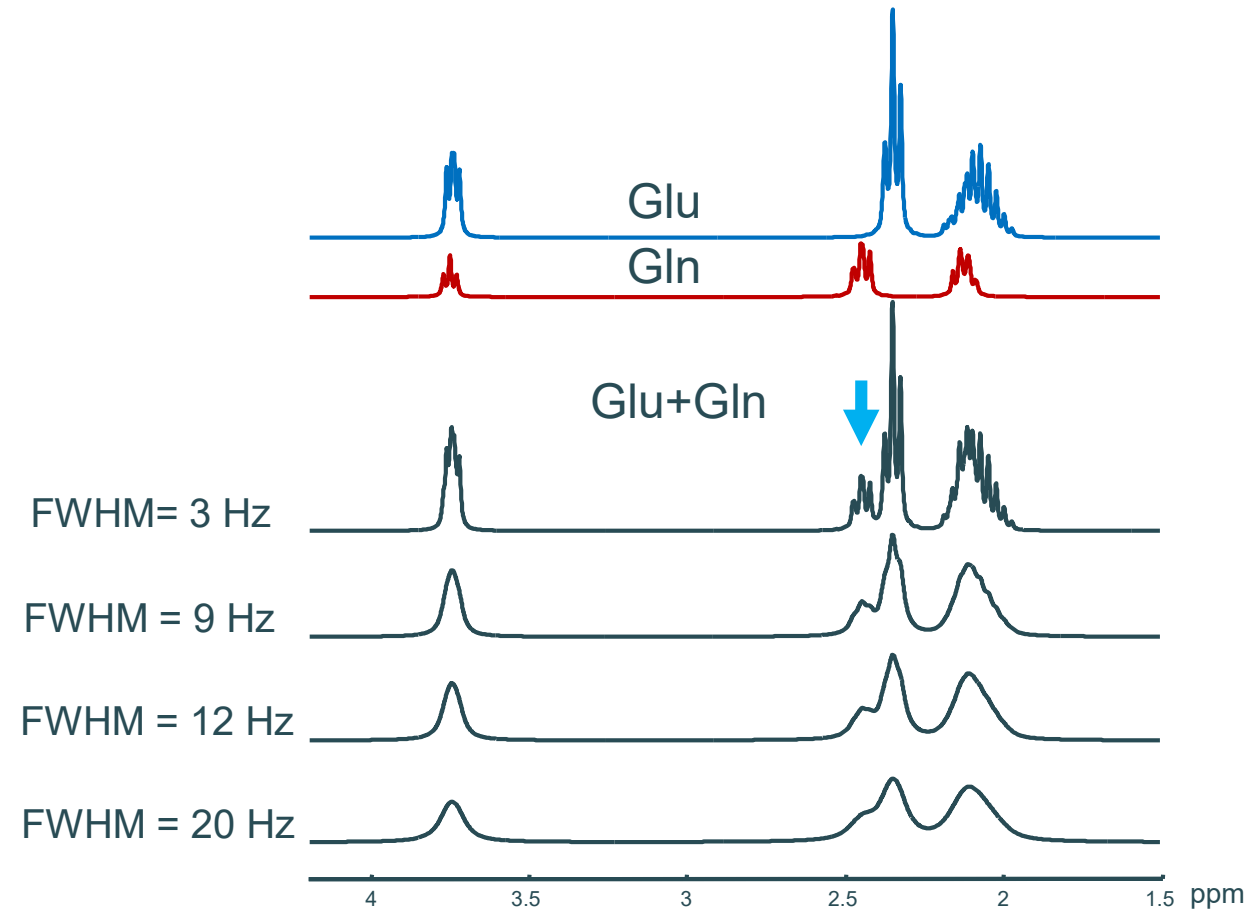


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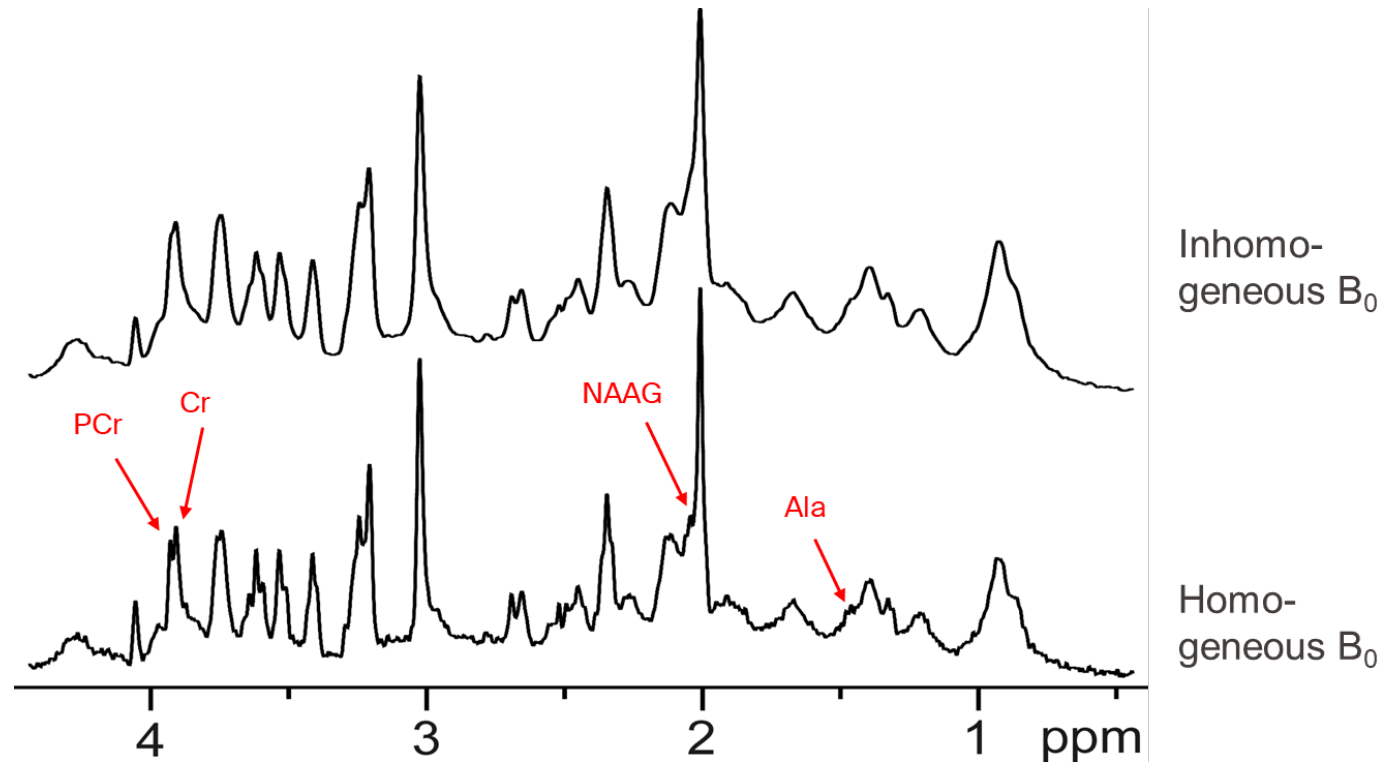
Compensated by shimming

# EFFECT OF $B_0$ INHOMOGENEITY ON SPECTRAL RESOLUTION





# EFFECT OF $B_0$ INHOMOGENEITY ON SPECTRAL RESOLUTION

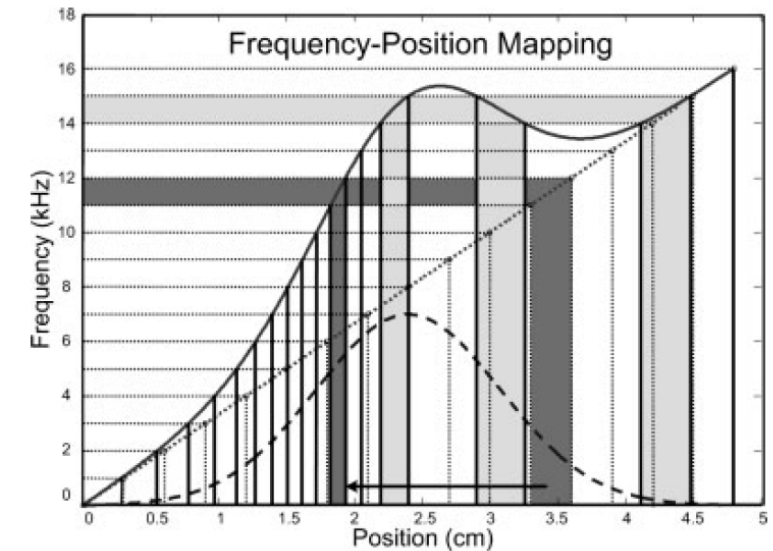


# WHY: $B_0$ SHIMMING

- Improved SNR
- Improved spectral resolution
- Efficient water suppression, outer volume suppression and editing performance (especially for MRSI)
- Avoiding mislocalization and distortion of localization profile

Dotted line: frequency-position mapping without  $B_0$  inhomogeneities

Solid line: frequency-position mapping with superposition of metal induced field inhomogeneities



W. Lu et al. Magn Reson Med 62, 2009.

# SPHERICAL HARMONICS FOR B<sub>0</sub> FIELD

- Magnetic field can be described as a linear combination of spherical harmonics

$$B_0(r, \theta, \phi) = \sum_n \left( r^n * \sum_i (k_{nm} * W_{nm}(\phi, \theta)) \right)$$

$r$  : Vector to spatial location (x,y,z) in the magnet

$W_{nm}(\phi, \theta)$  : Angular functions based on spherical harmonics

$K_{nm}$  : Coefficients of expansion

$\phi, \theta$  : fixed for a given projection

Field Generated by Low-Order Shims and Associated Spherical Harmonic Functions in Spherical and Cartesian Coordinates<sup>a</sup>

| <i>n</i> | <i>m</i> | Shorthand notation | Coefficients <sup>b</sup><br>( <i>k<sub>nm</sub></i> ) | Spatial dependence $r^n W_{nm}(\theta, \phi)$    |                           |
|----------|----------|--------------------|--------------------------------------------------------|--------------------------------------------------|---------------------------|
|          |          |                    |                                                        | Spherical                                        | Cartesian                 |
| 1        | 0        | $Z^c$              | $C_1$                                                  | $r \cos \theta$                                  | $z$                       |
| 1        | 1        | $X^c$              | $A_{11}$                                               | $r \sin \theta \cos \phi$                        | $x$                       |
| 1        | 1        | $Y^c$              | $B_{11}$                                               | $r \sin \theta \sin \phi$                        | $y$                       |
| 2        | 0        | $Z^{2c}$           | $C_2$                                                  | $r^2(3 \cos^2 \theta - 1)/2$                     | $z^2 - (x^2 + y^2)/2$     |
| 2        | 1        | $XZ$               | $3A_{21}$                                              | $r^2 \sin \theta \cos \theta \cos \phi$          | $xz$                      |
| 2        | 1        | $YZ$               | $3B_{21}$                                              | $r^2 \sin \theta \cos \theta \sin \phi$          | $yz$                      |
| 2        | 2        | $X^2 - Y^{2c}$     | $3A_{22}$                                              | $r^2 \sin^2 \theta \cos 2\phi$                   | $x^2 - y^2$               |
| 2        | 2        | $2XY$              | $3B_{22}$                                              | $r^2 \sin^2 \theta \sin 2\phi$                   | $2xy$                     |
| 3        | 0        | $Z^3$              | $C_3$                                                  | $r^3(5 \cos^3 \theta - 3 \cos \theta)/2$         | $z[z^2 - 3(x^2 + y^2)/2]$ |
| 3        | 1        | $XZ^2$             | $\frac{3}{2}A_{31}$                                    | $r^3 \sin \theta(5 \cos^2 \theta - 1) \cos \phi$ | $x(4z^2 - x^2 - y^2)$     |
| 3        | 1        | $YZ^2$             | $\frac{3}{2}B_{31}$                                    | $r^3 \sin \theta(5 \cos^2 \theta - 1) \sin \phi$ | $y(4z^2 - x^2 - y^2)$     |
| 3        | 2        | $Z(X^2 - Y^2)$     | $15A_{32}$                                             | $r^3 \sin^2 \theta \cos \theta \cos 2\phi$       | $z(x^2 - y^2)$            |
| 3        | 2        | $XYZ$              | $15B_{32}$                                             | $r^3 \sin^2 \theta \cos \theta \sin 2\phi$       | $2xyz$                    |
| 3        | 3        | $X^3$              | $15A_{33}$                                             | $r^3 \sin^3 \theta \cos 3\phi$                   | $x^3 - 3xy^2$             |
| 3        | 3        | $Y^3$              | $15B_{33}$                                             | $r^3 \sin^3 \theta \sin 3\phi$                   | $3x^2y - y^3$             |

1<sup>st</sup> order

2<sup>nd</sup> order

3<sup>rd</sup> order

Gradient coils

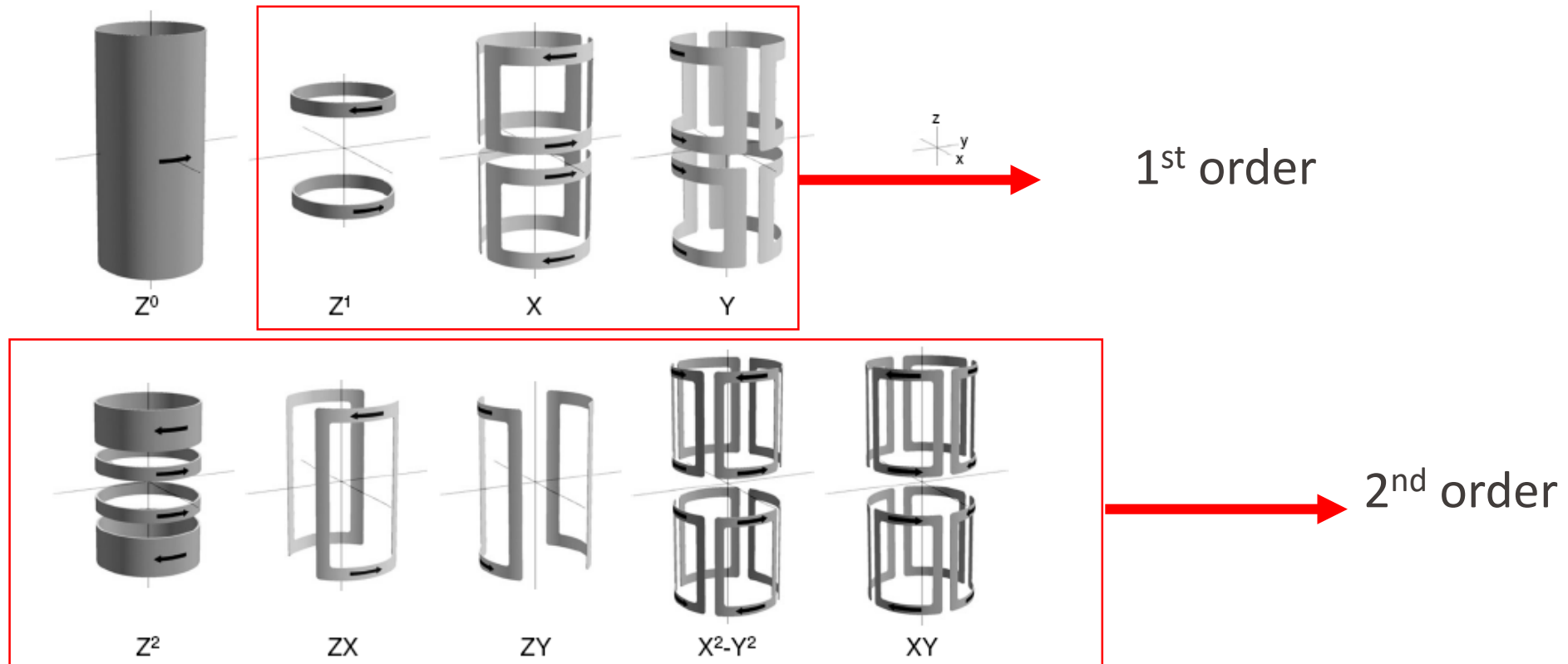
Shim coils

CIBM.CH

Gruetter et al, JMR,96 (1992)

# SHIM COILS

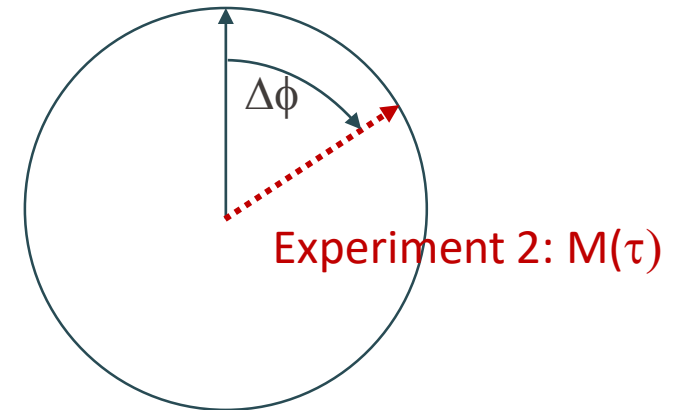
Each shim coil produces magnetic field corresponding to one spherical harmonic field.



# B<sub>0</sub> SHIMMING METHODS

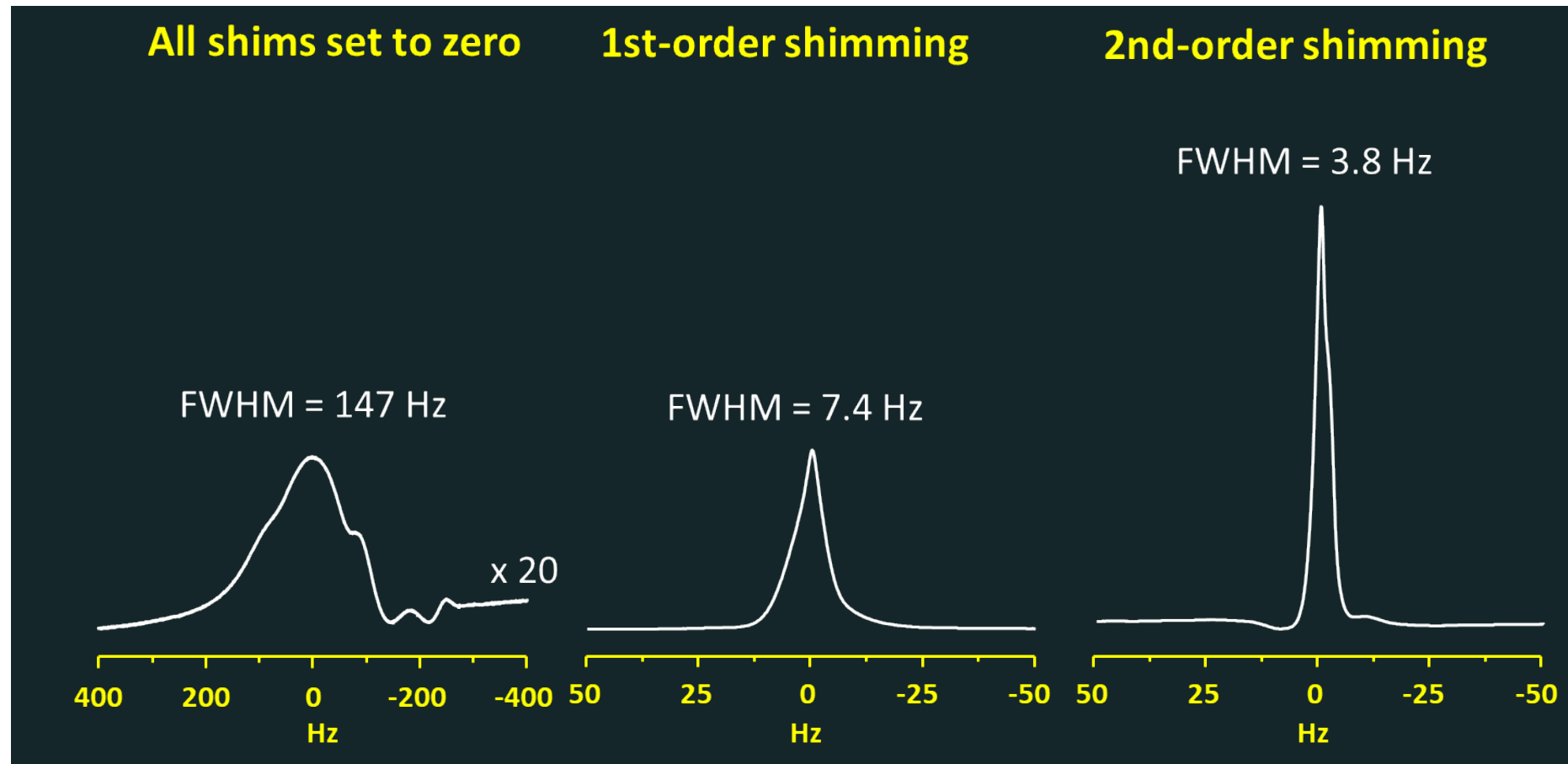
- B<sub>0</sub> can be measured from the **phase differences** of magnetization during a given period of free precession
- Manual shimming
  - Time-consuming
- Automated shimming methods (quantitative, accurate and fast)
  - 3D field mapping
  - projection based mapping: e.g. FASTMAP (high spatial sampling, preferred for small volume optimization)

Experiment 1: M(0)



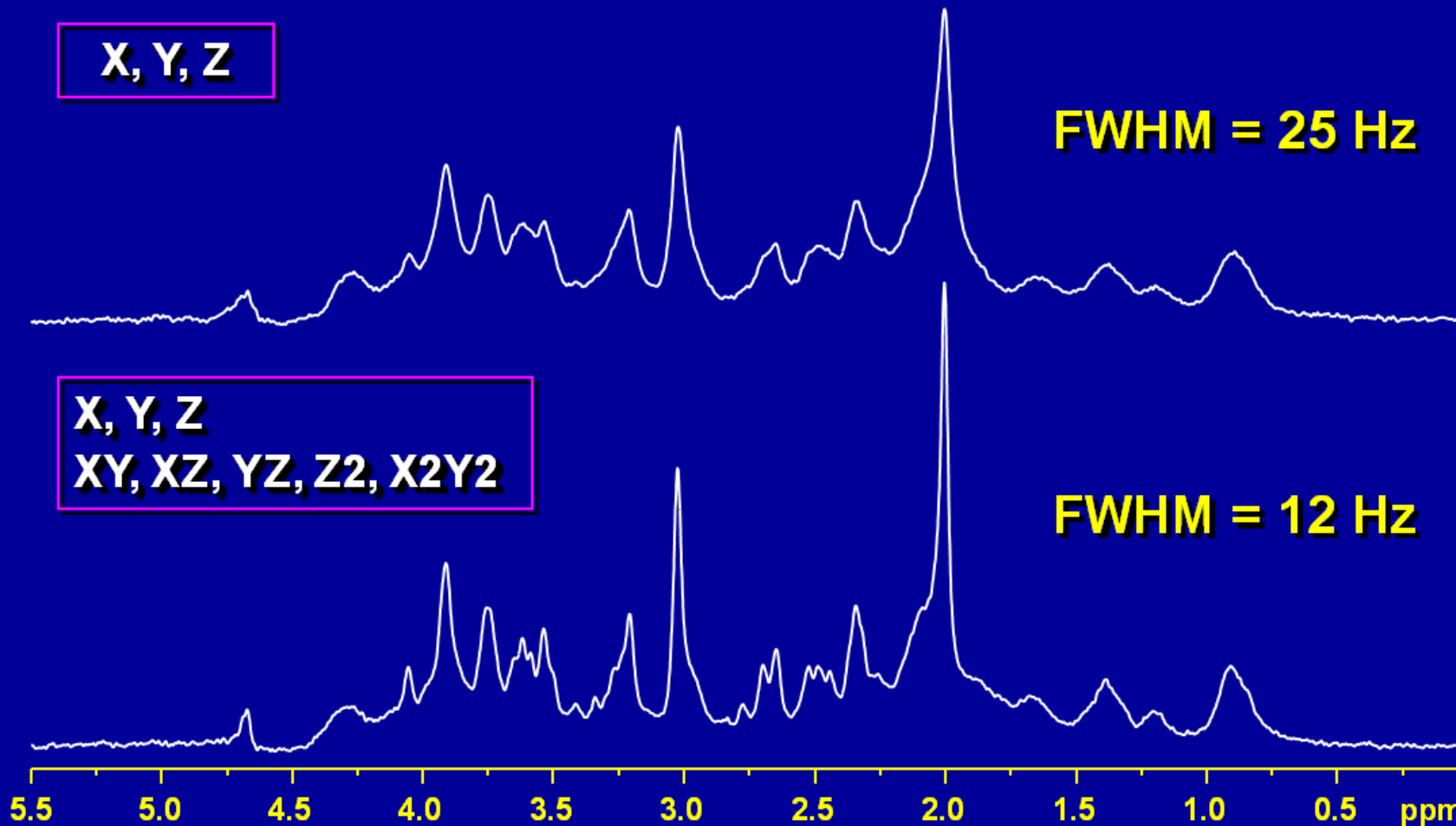
$$\Delta\phi^{(j)}(r, \tau) = \gamma B_0(r, \theta^{(j)}, \phi^{(j)})\tau$$

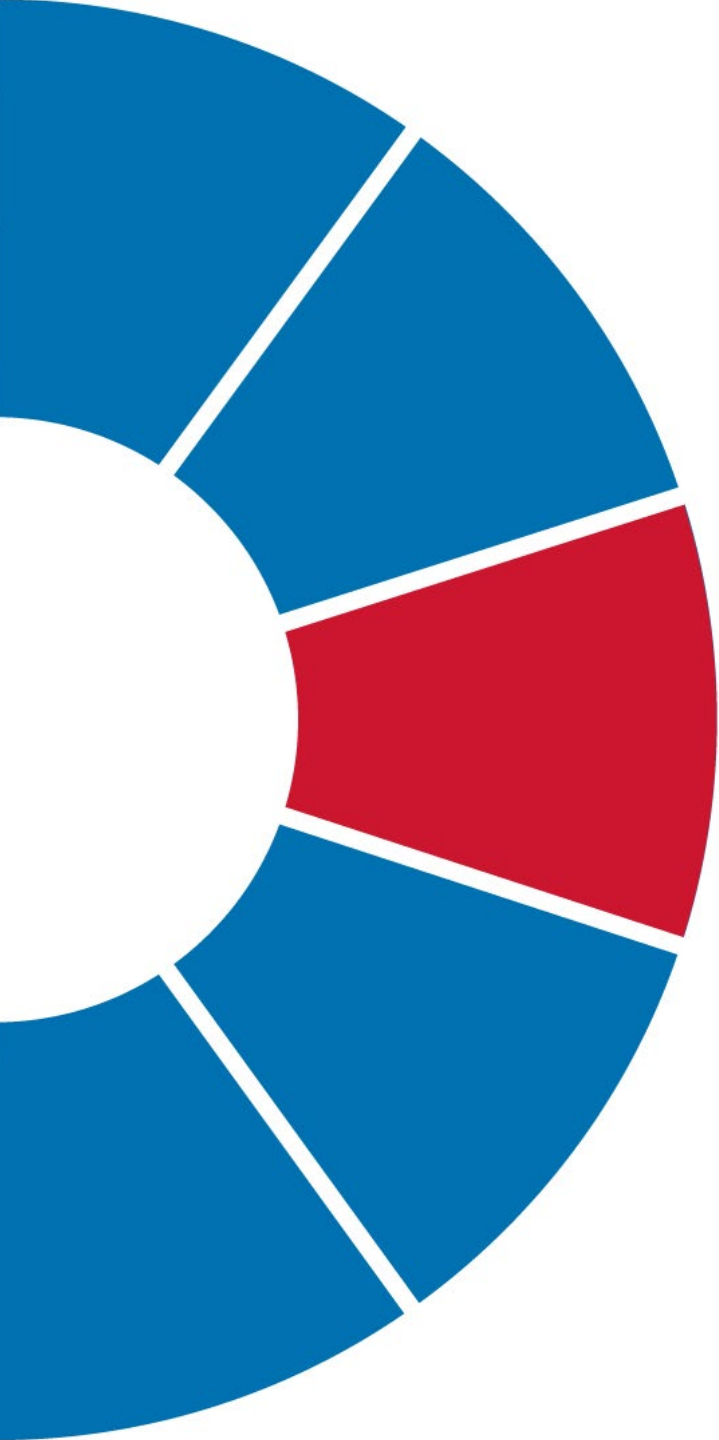
# EXAMPLE OF IN VITRO WATER SHIMMING RESULTS



# Effect of 2<sup>nd</sup>-order shimming at 7 T

STEAM TE = 6 ms, VOI = 2 x 2 x 2 cm<sup>3</sup>, occipital lobe, FASTMAP shimming





$B_1$  CALIBRATION



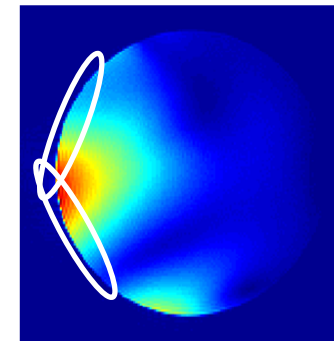
# $B_1^+$ CALIBRATION

## ■ Why?

- Achieve the required flip angle  $\alpha = \gamma B_1 T$
- Maximal signal intensity
- Optimal slice profile to reach the best localization performance

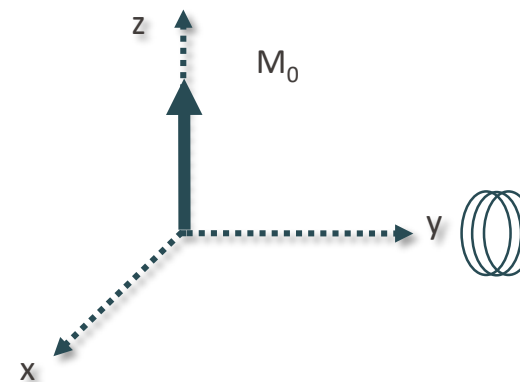
## ■ $B_1^+$ Calibration is critical before each scan

- Different  $B_1$  distribution for different subjects and coils



# $B_1^+$ CALIBRATION

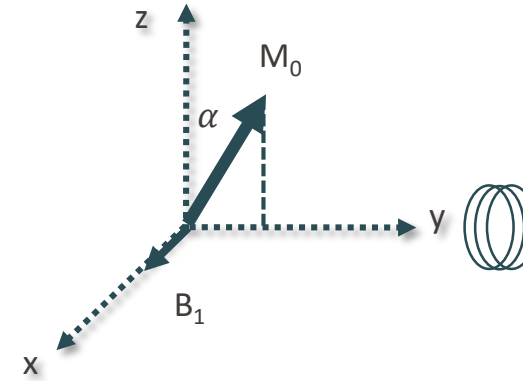
- Flip angle calibration  $\alpha = \gamma B_1 T$



# $B_1^+$ CALIBRATION

- Flip angle calibration  $\alpha = \gamma B_1 T$

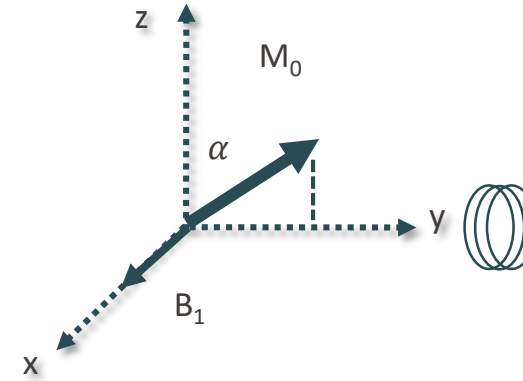
$$SI = \sin(\alpha)$$



# $B_1^+$ CALIBRATION

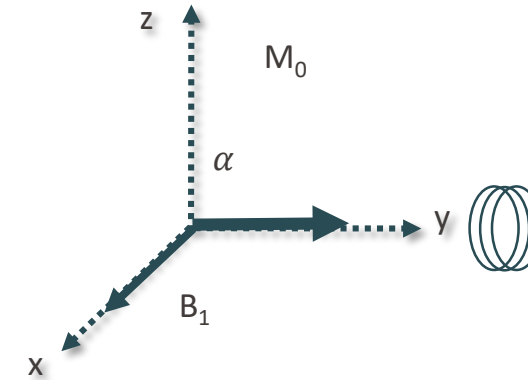
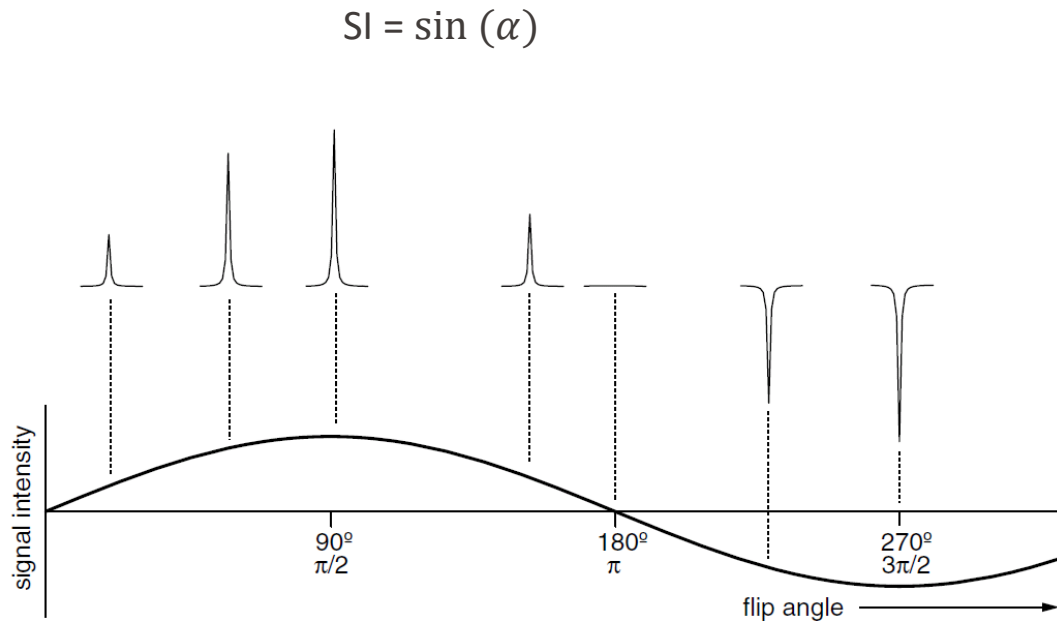
- Flip angle calibration  $\alpha = \gamma B_1 T$

$$SI = \sin(\alpha)$$



# $B_1^+$ CALIBRATION

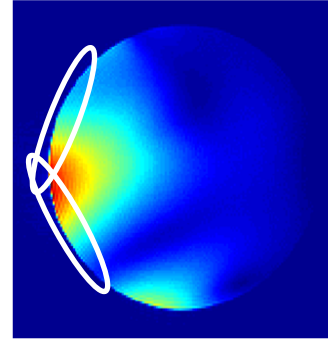
- Flip angle calibration  $\alpha = \gamma B_1 T$



# $B_1^+$ CALIBRATION

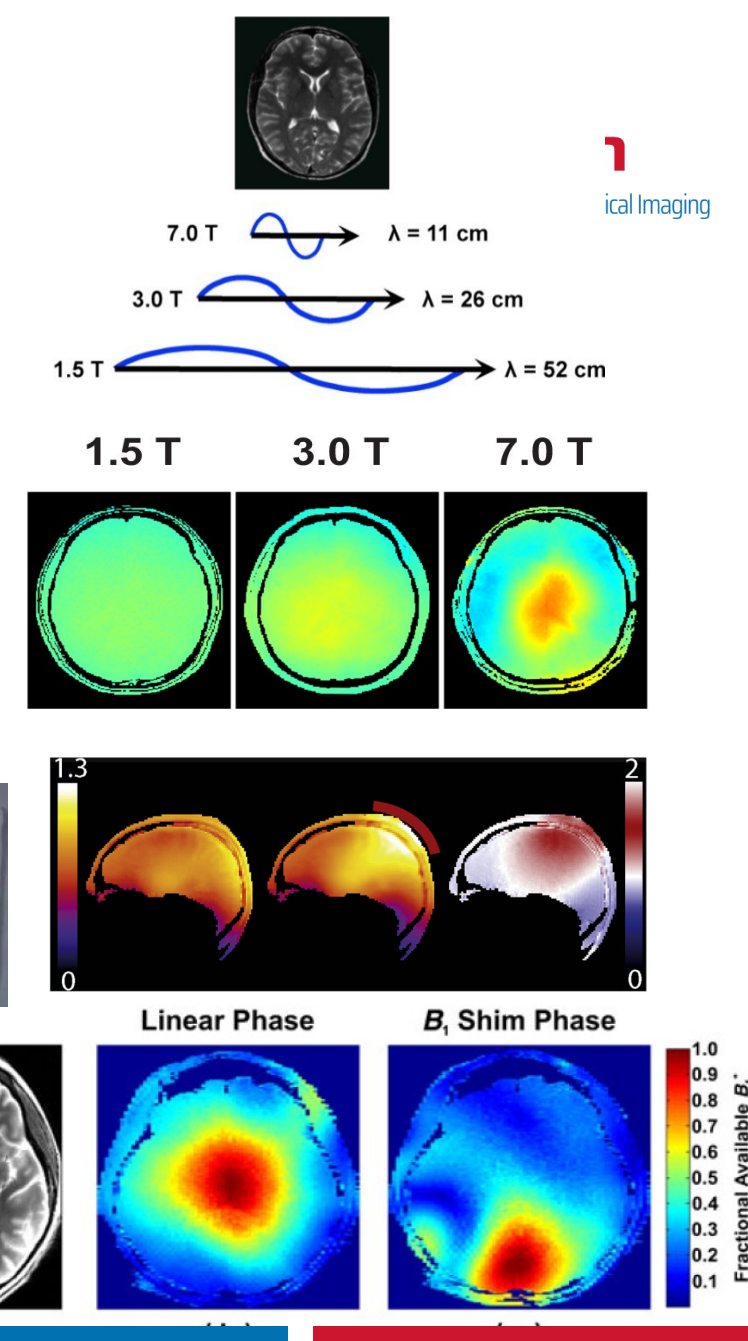
## ■ Surface coil

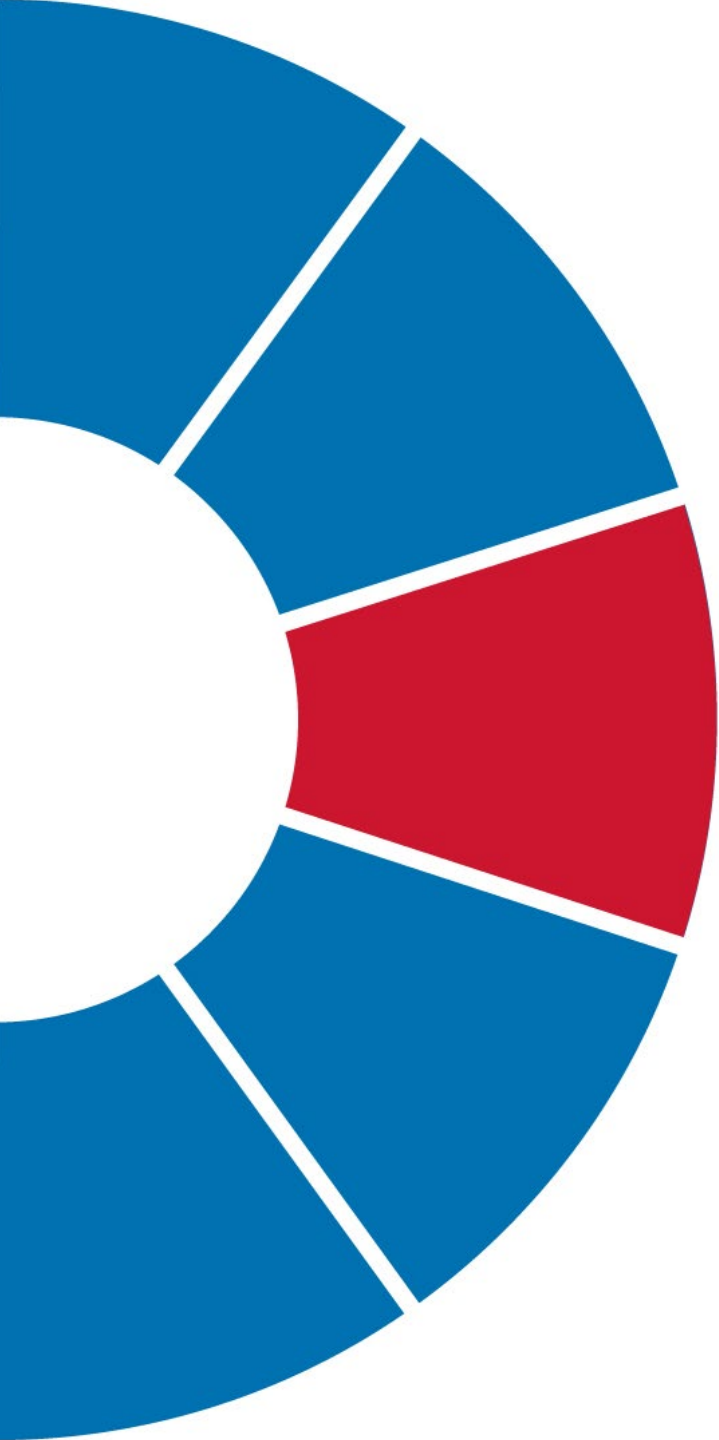
- Calibrate local RF power for  $B_1^+$



## ■ Volume coil

- Destructive and constructive interferences from standing waves at high magnetic fields (RF wavelength  $\leq$  sample size) lead to inhomogeneous  $B_1$  distribution
- High permittivity dielectric pad
- $B_1^+$  shimming using transmit arrays is desirable to achieve maximal local  $B_1^+$

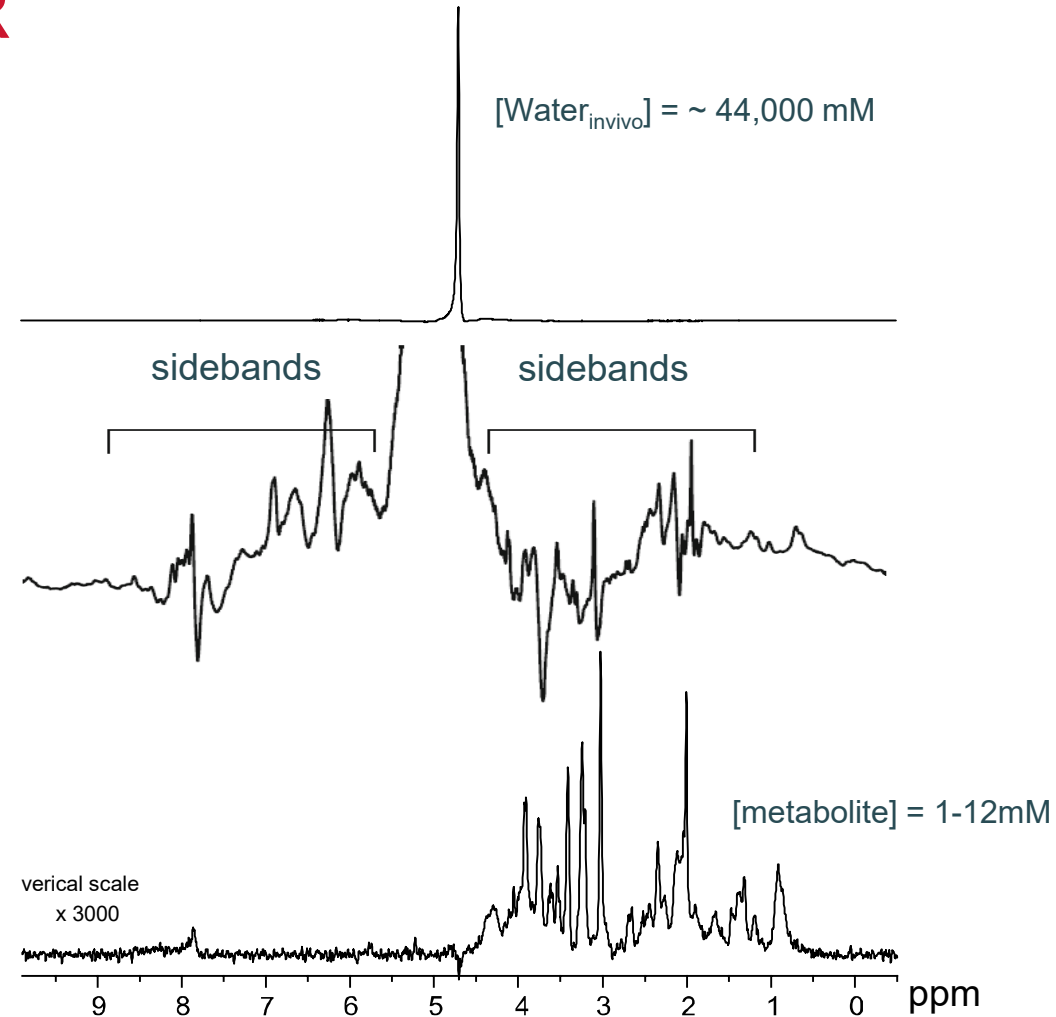




WATER SUPPRESSION

# WHY SUPPRESS WATER

- Water is about 10000 times bigger than metabolites
- Vibration induced water sidebands
- Baseline distortion



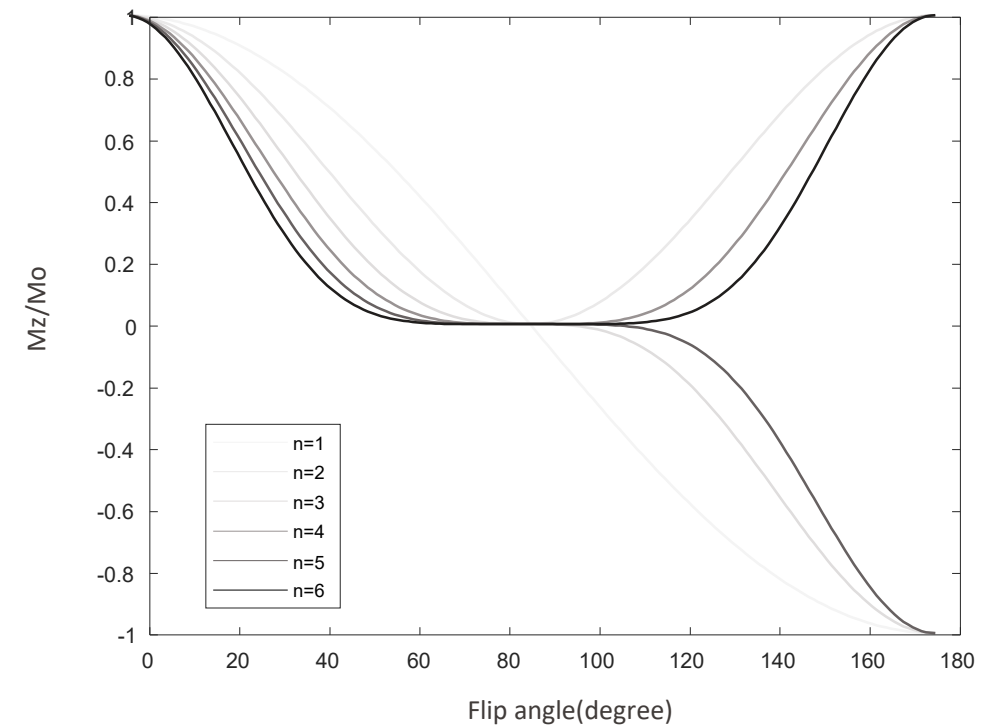
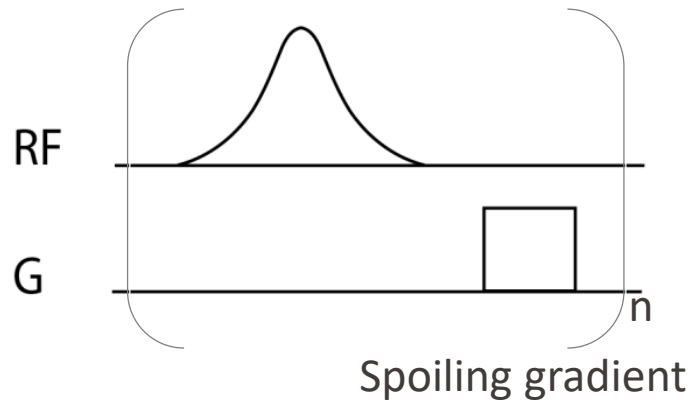
de Graaf R.A. (2012) Principles of  $^1\text{H}$  NMR Spectroscopy In Vivo. In: Choi IY., Gruetter R. (eds) Neural Metabolism In Vivo.



# WATER SUPPRESSION MODULE

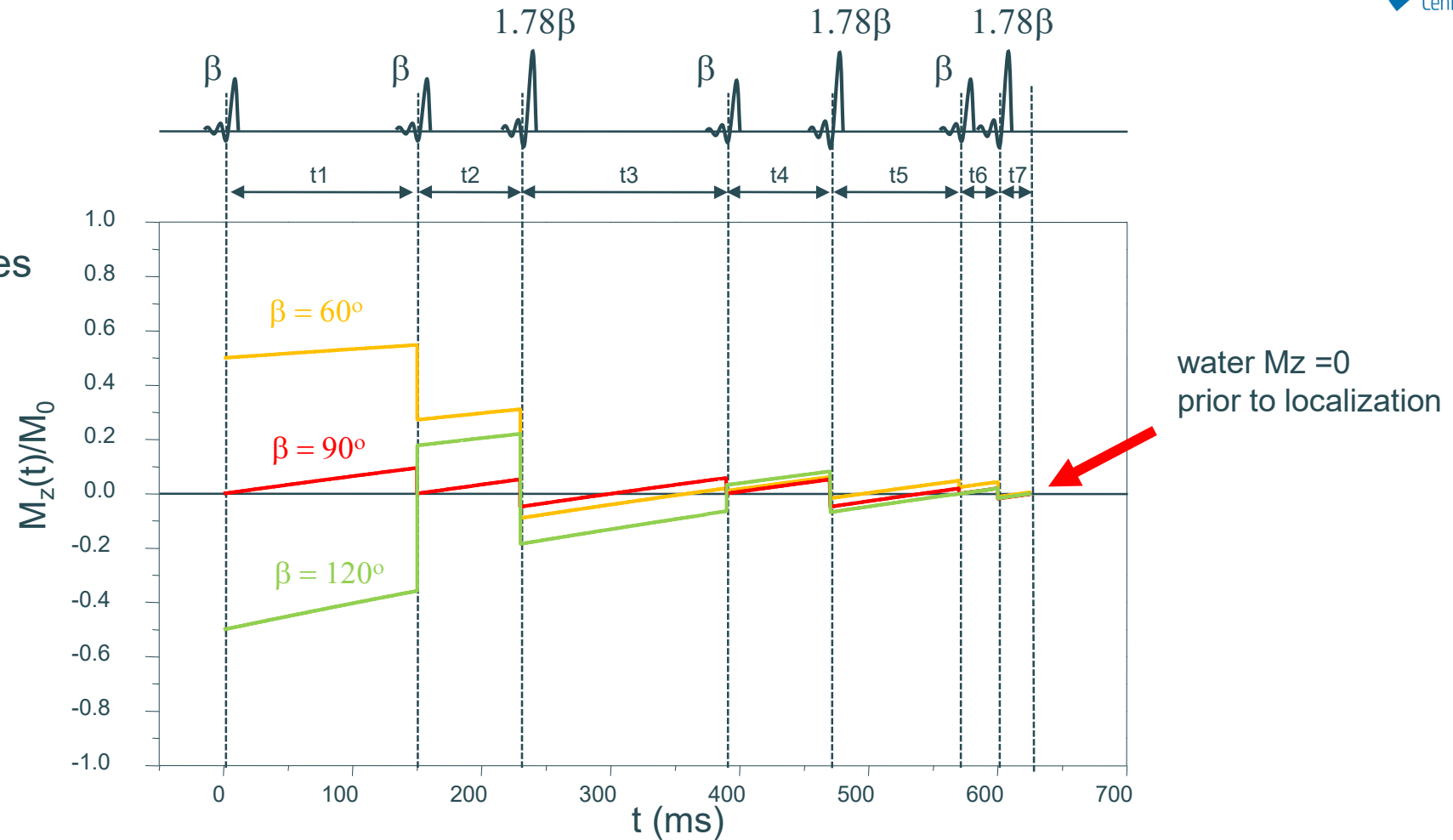
## CHEmical Shift-Selective (CHESS)

Frequency selective pulse for water resonance

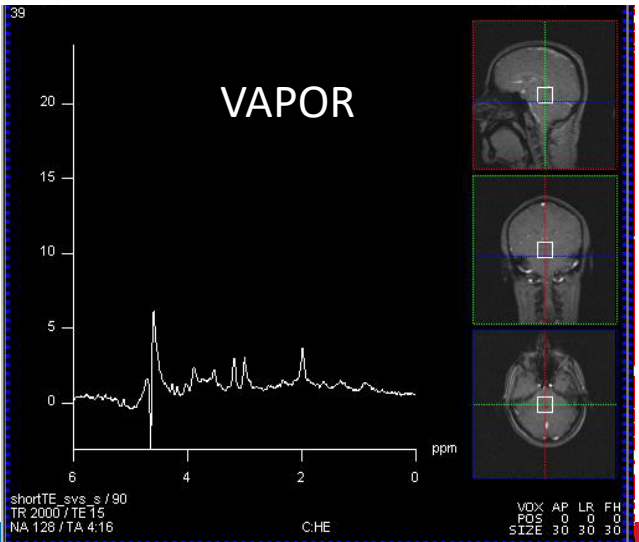
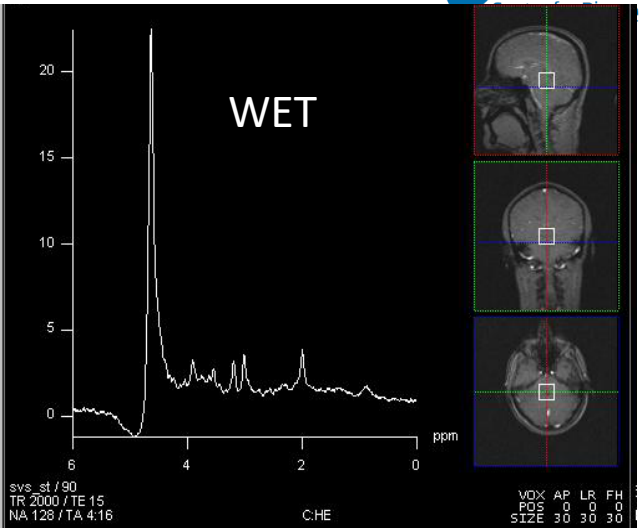
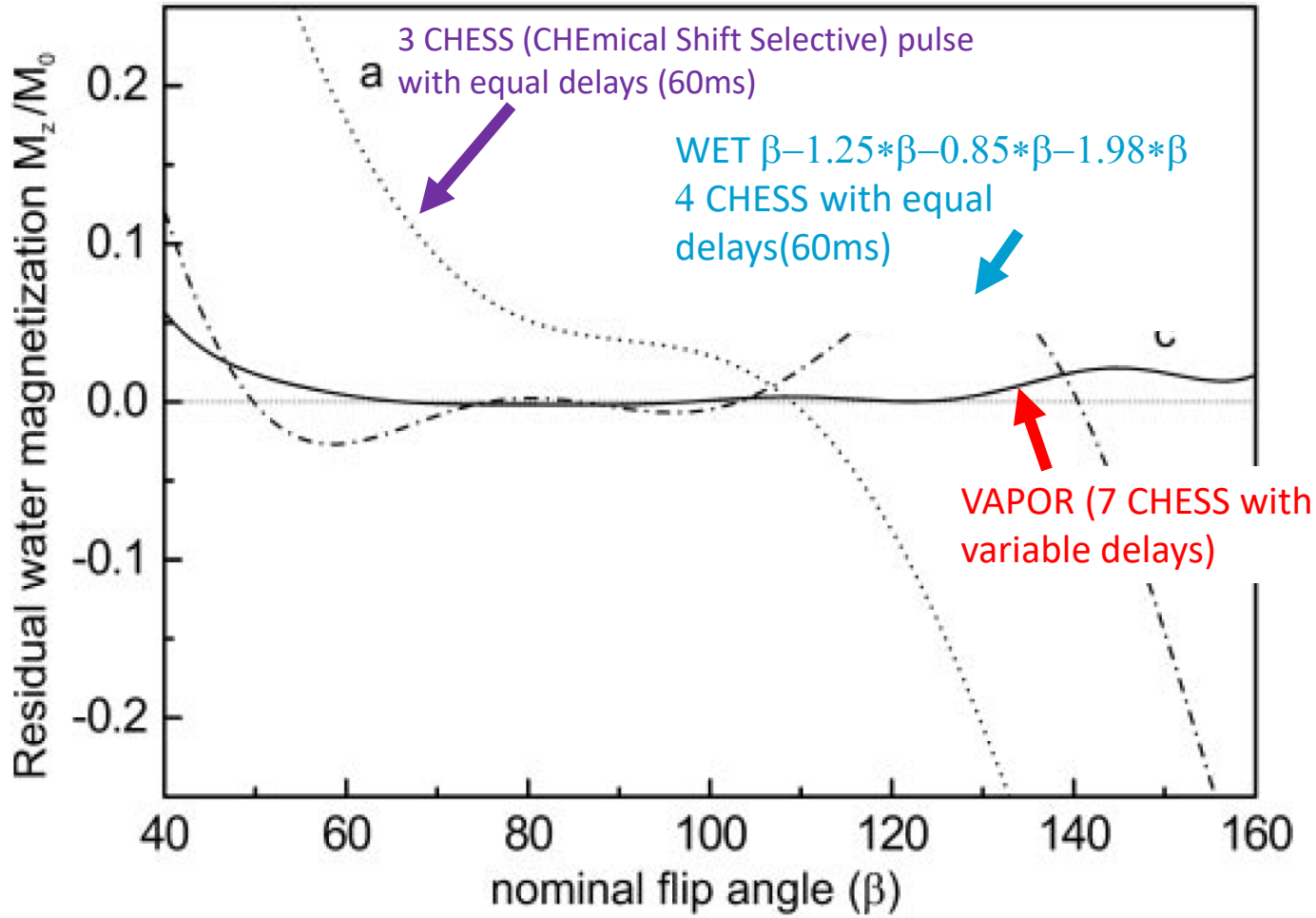


# Variable pulse Power and Optimized Relaxation delays (VAPOR)

- Multiple CHESS
- Variable delays
- Variable flip angles

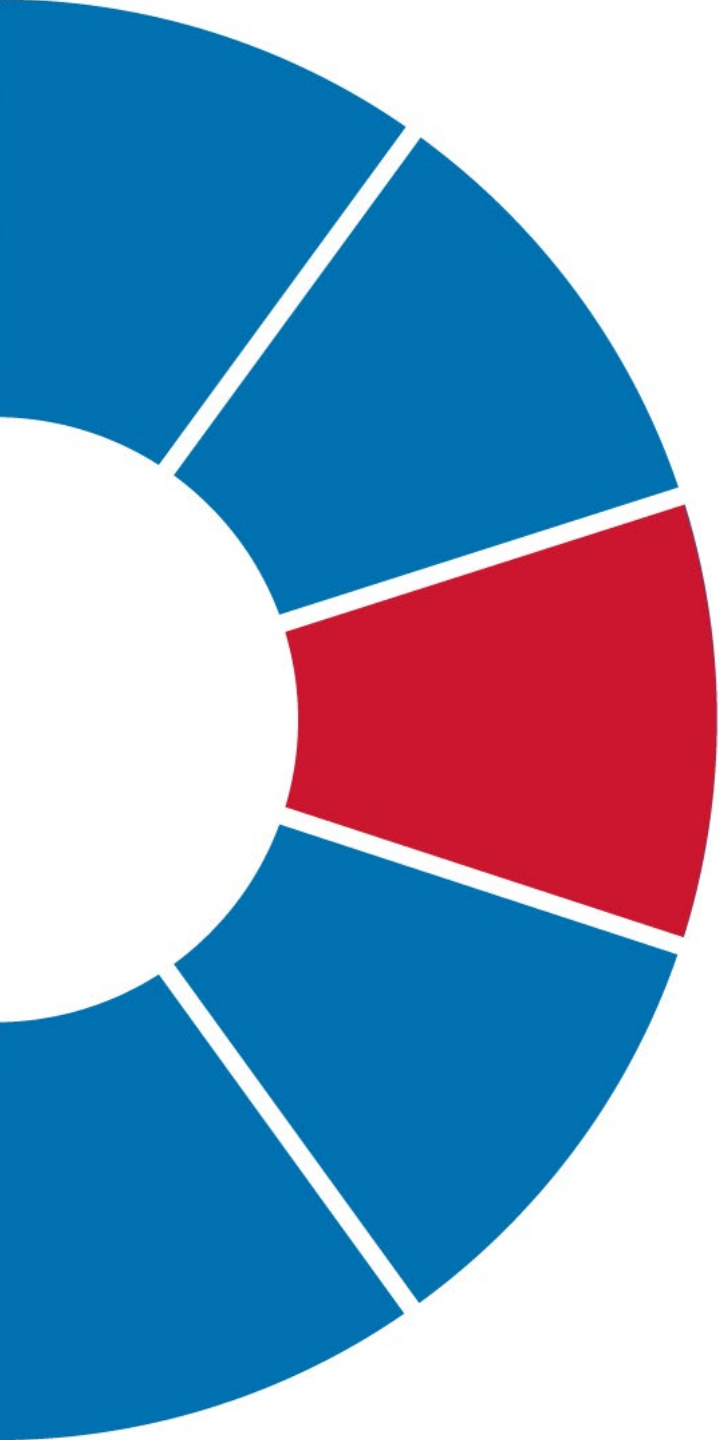


# COMPARISON WITH OTHER WATER SUPPRESSION METHODS



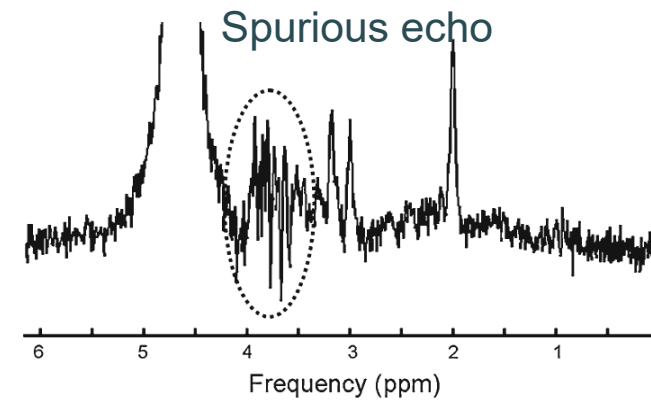
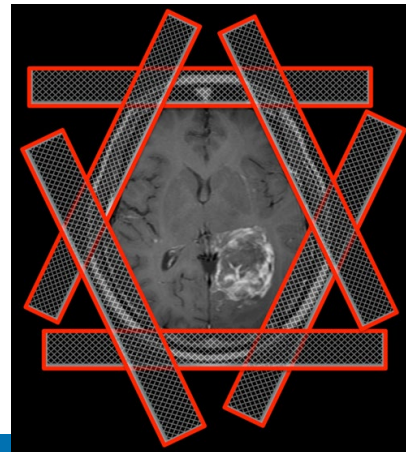
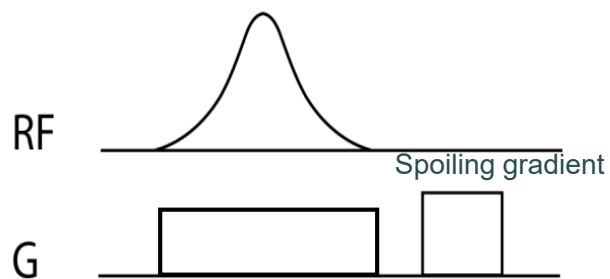
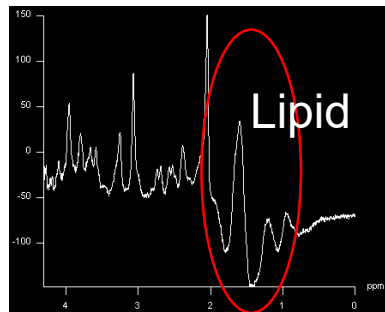
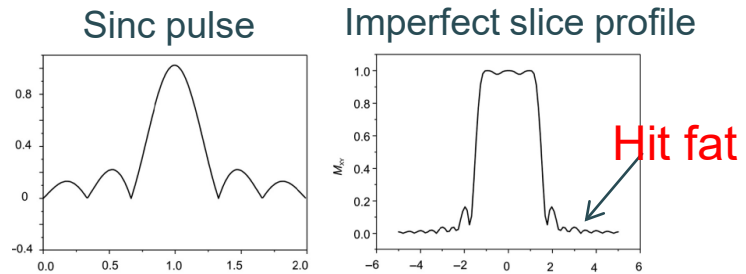
Waiting for patient registration.

C H

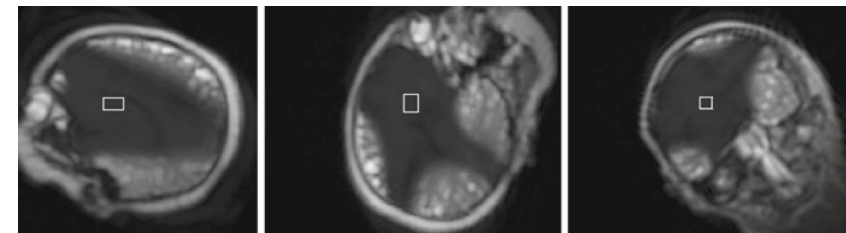
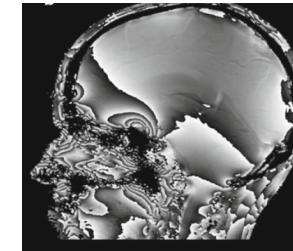


OUTER VOLUME SUPPRESSION

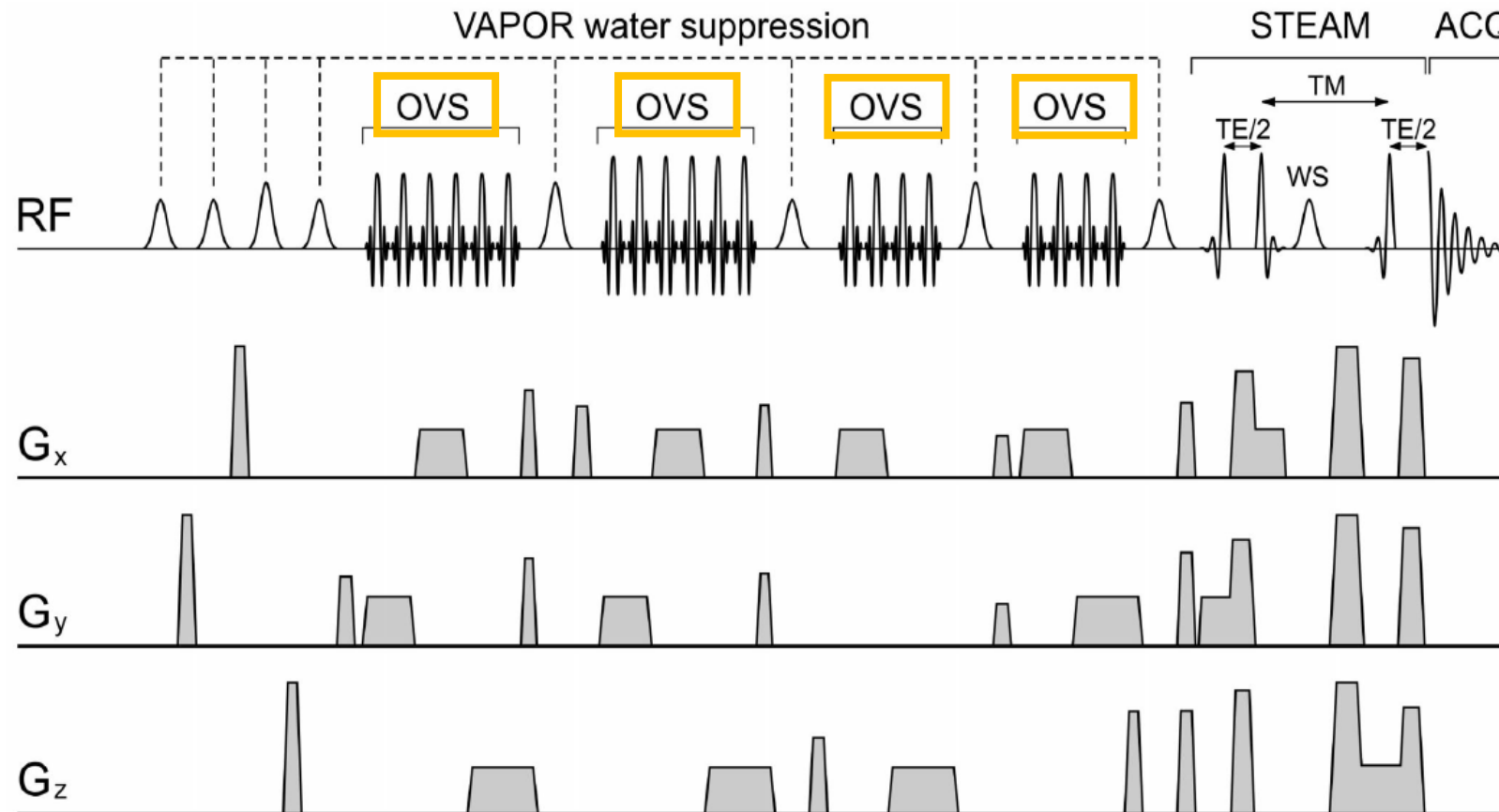
# OUTER VOLUME SUPPRESSION (OVS)



Water from elsewhere

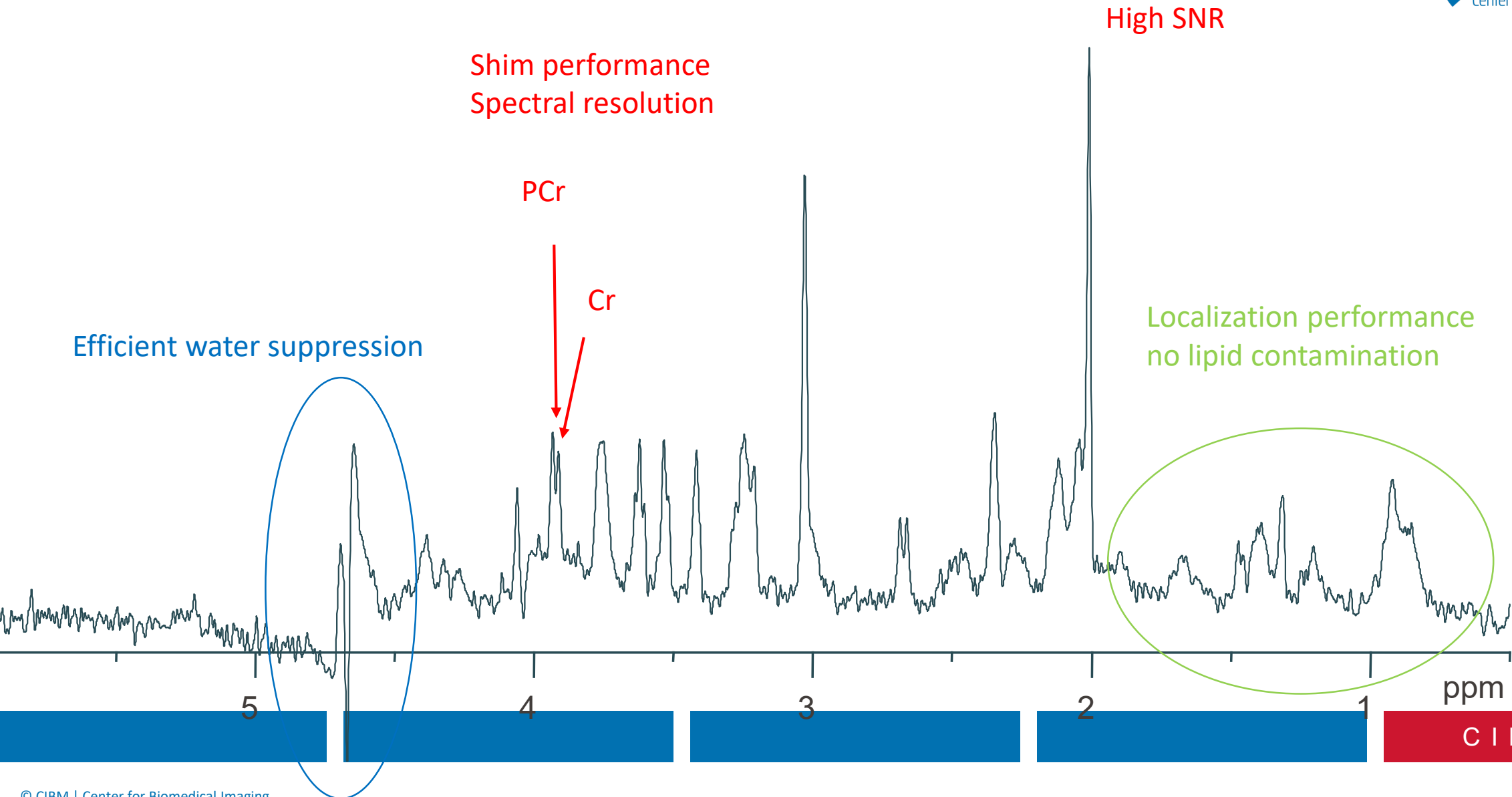


*mriquestions.com; Carlsson et al., Magn Reson Mater Phy 24, 2011.*



Application of several blocks of slice selective pulses saturating regions adjacent to the VOI. For a surface RF coil, variable amplitudes of the saturation pulses are useful.

# FINALLY, MR SPECTRUM QUALITY CONTROL





THANK YOU FOR YOUR ATTENTION



C I B M . C H