

Optical spectroscopy

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Optical spectroscopy

Outline

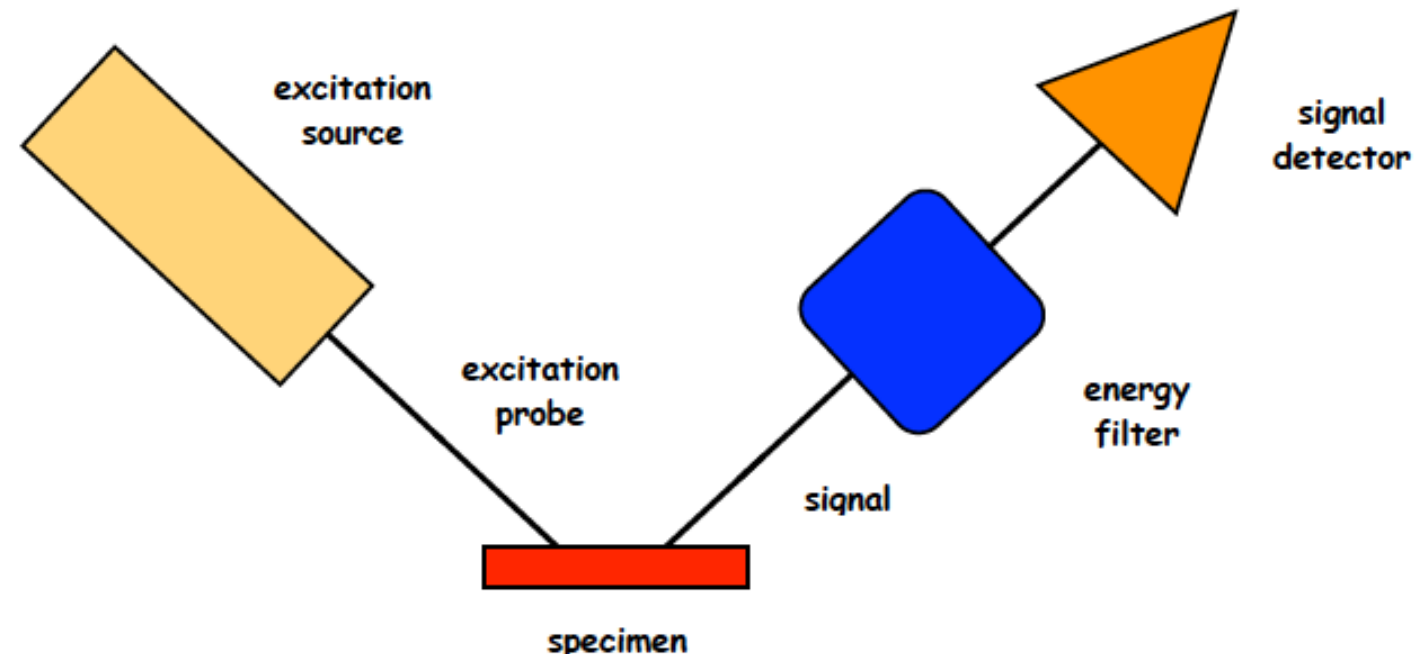
1. Introduction
2. Excitation sources
3. Dispersive elements
4. Photodetectors
5. Special spectroscopy methods:
 1. Raman spectroscopy
 2. Cathodoluminescence
6. Applications

Optical and other spectroscopy techniques

Goals of optical spectroscopy:

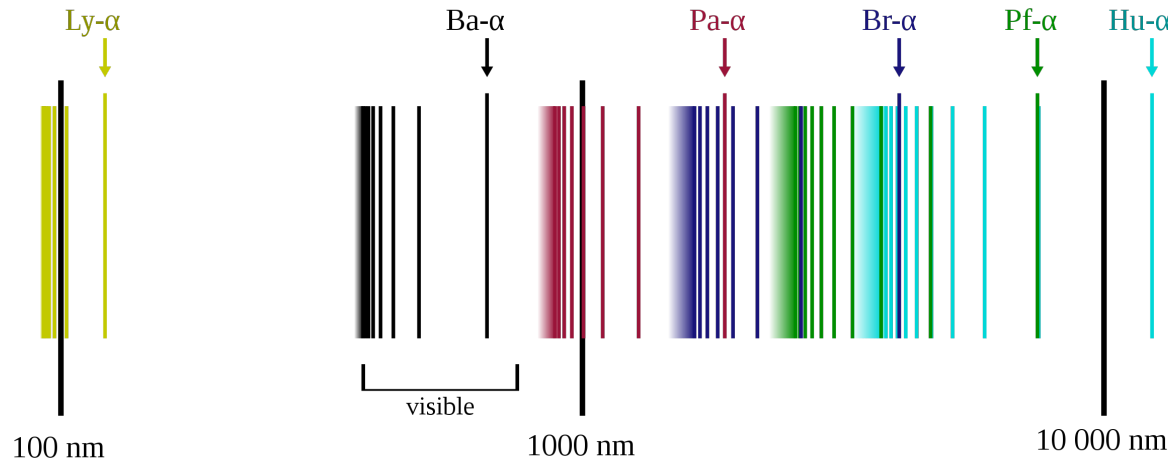
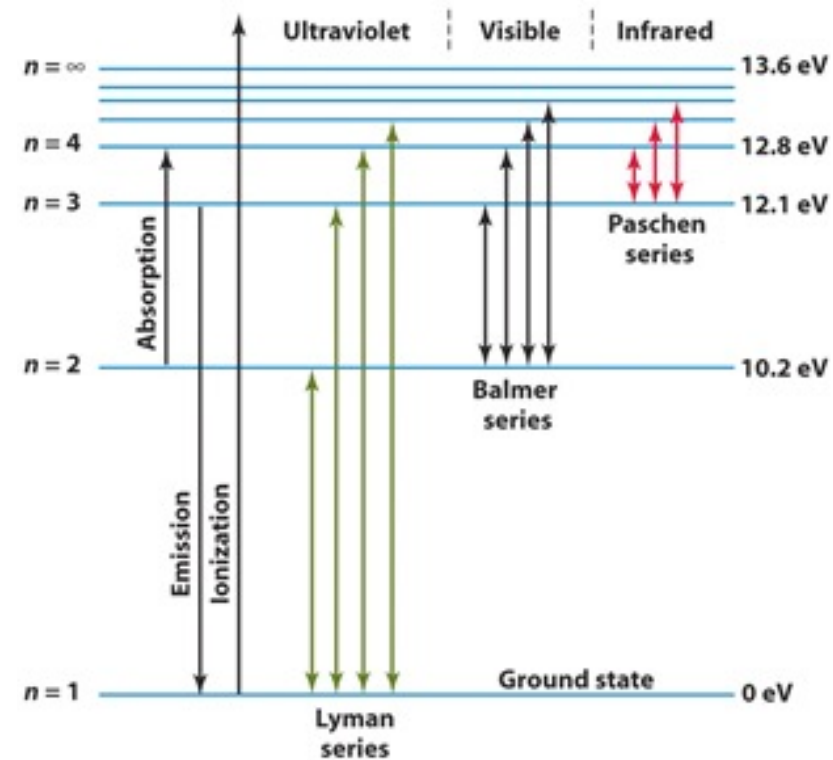
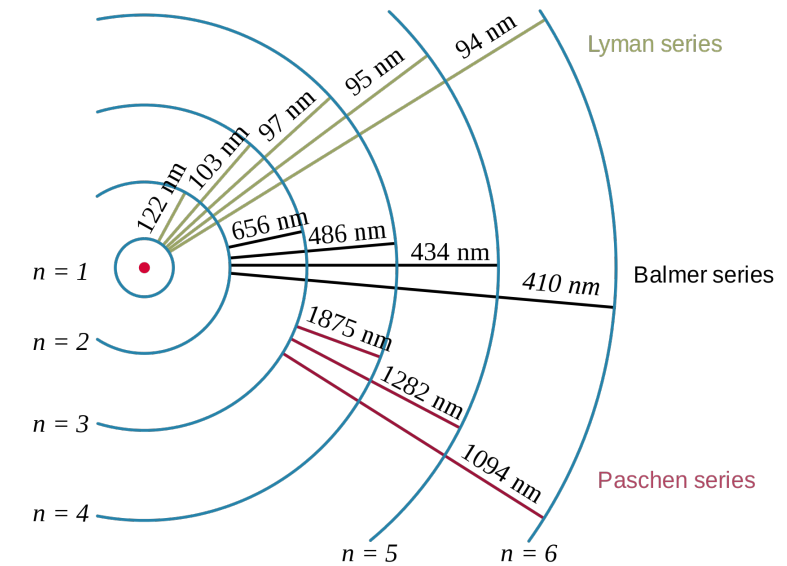
- Characterize the electronic energy levels of a system by exciting electrons and observing the energy of emitted light
- Excitation can be done by light (photo-luminescence, **PL**) or by electrons (cathodoluminescence, **CL**)
- In some systems, optical absorption is measured (photoluminescence excitation spectroscopy, **PLE**, absorption spectroscopy, or spectrophotometry/FTIR)

- Other related techniques:
 - **Raman spectroscopy** (inelastic scattering of photons)
 - **EDS** (emission of X-ray photons, excitation by electrons)
 - **AES** (emission of electrons, excitation by UV/X-ray photons)
 - **EELS** (energy loss of scattered electrons)



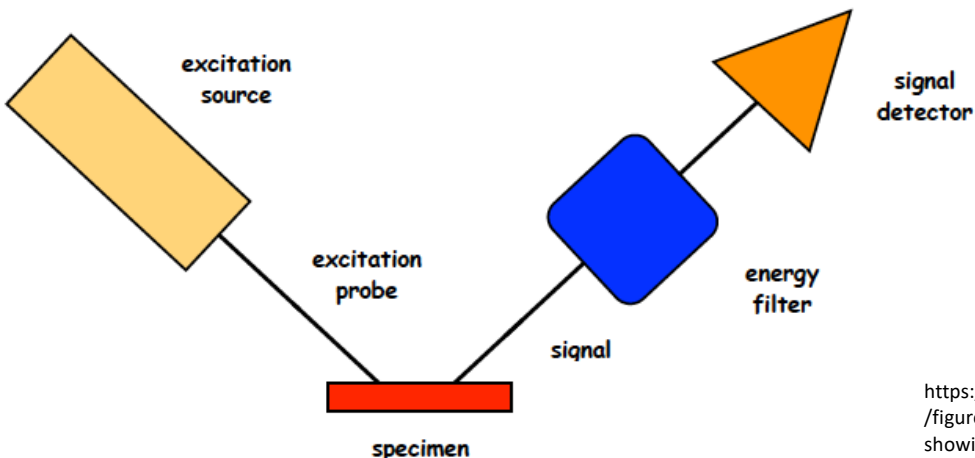
Example: The Hydrogen atom

- The electron in the Hydrogen atom can occupy any of many energy levels, from its ground state ($n=1$, defined here at $E=0$ eV), to a free electron (ionized atom), at $n=\infty$ and $E=13.6$ eV.
- Excitation by an electron (e.g. in a discharge tube) or a photon of sufficient energy can excite the electron to any level, from which it will fall to a lower level (event. to the ground state) by the emission of a photon.
- The photon energy corresponds to the energy difference between the levels, and can thus be in the UV, visible, or IR range.
- The excitation energy should be sufficiently high! E.g. to see the full Lyman series, we need to excite with deep UV ($E>13.6$ eV or $\lambda<90$ nm). The emitted photon energy will be between 10.2 and 13.6 eV. The Balmer series will show a photon energy between 1.9 and 3.4 eV (excitation $E>3.4$ eV, $\lambda<360$ nm), etc.

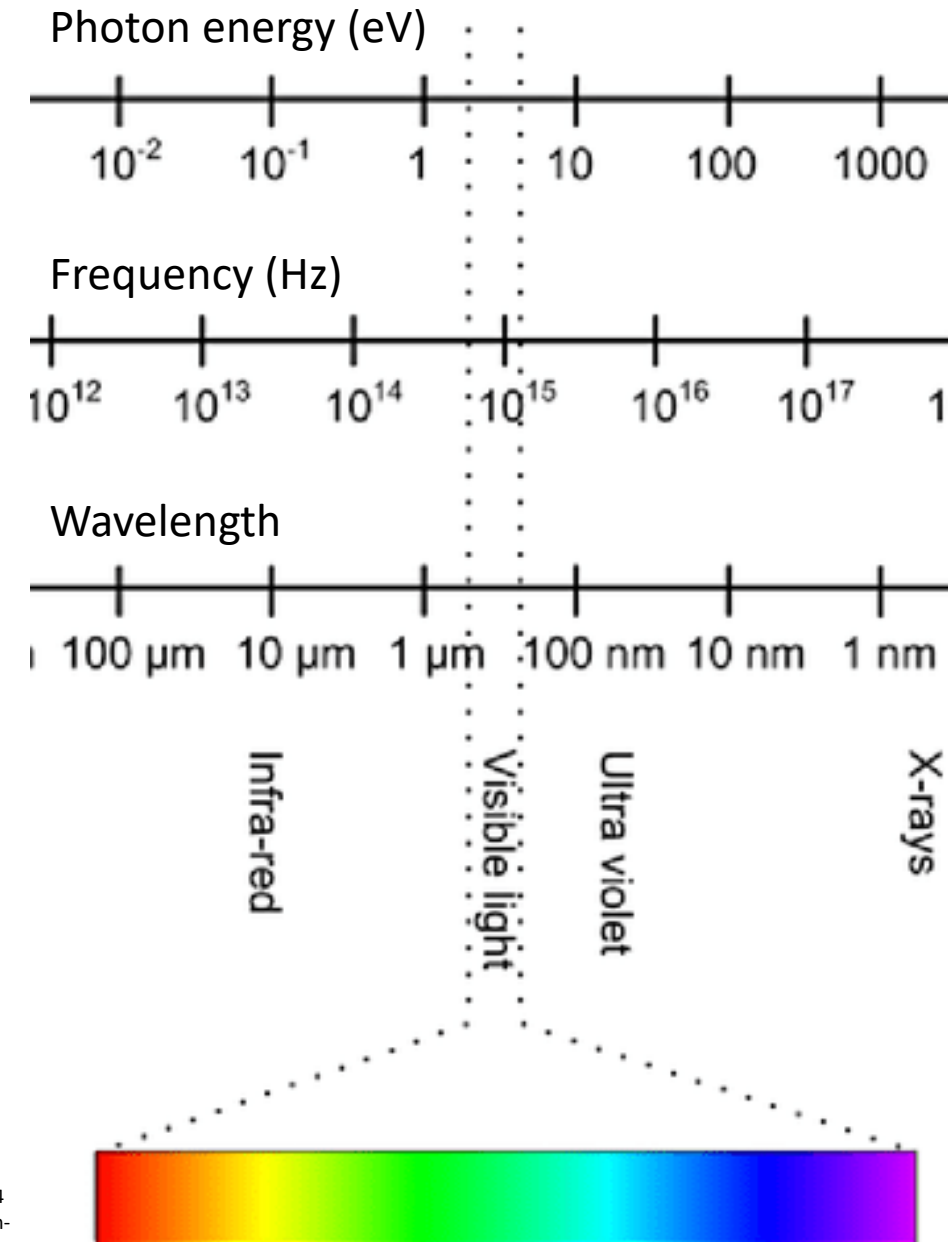


Energy range

- Important classification: according to wavelength (energy) range
- The electronic energy levels of the system determine the wavelength of emitted light:
 - Near UV range ($100 < \lambda < 400$ nm): $E = 3\text{-}12$ eV (electronic levels in atoms, insulators)
 - Visible - near-IR range ($400 < \lambda < 1500$ nm): $E = 0.8\text{-}3$ eV (electronic levels in semiconductors)
 - IR range ($1.5 < \lambda < 10$ μm): $E = 0.1\text{-}0.8$ eV (vibration/rotation levels in molecules, dopants and subbands in semiconductors)
- The energy range determines the type of excitation source and detector to be used



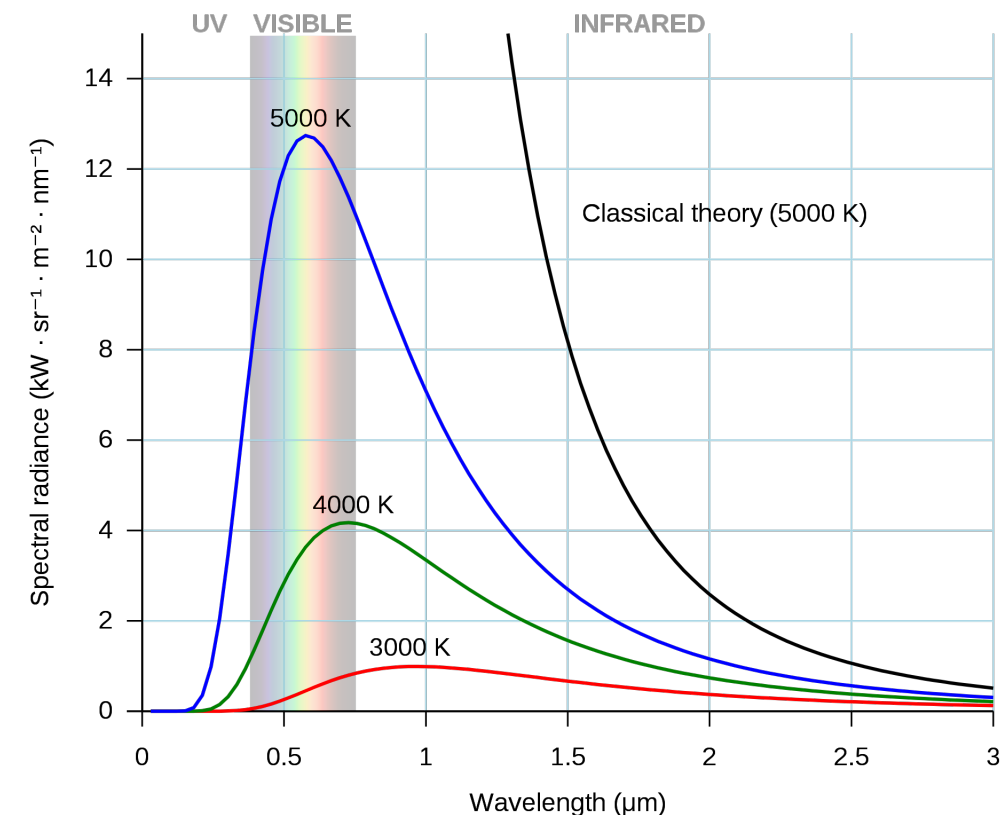
https://www.researchgate.net/profile/Roland_Macana/publication/326705984/figure/fig2/AS:669064661831684@1536528854132/Electromagnetic-spectrum-showing-the-energy-of-one-photon-the-frequency-and-wavelength.ppm



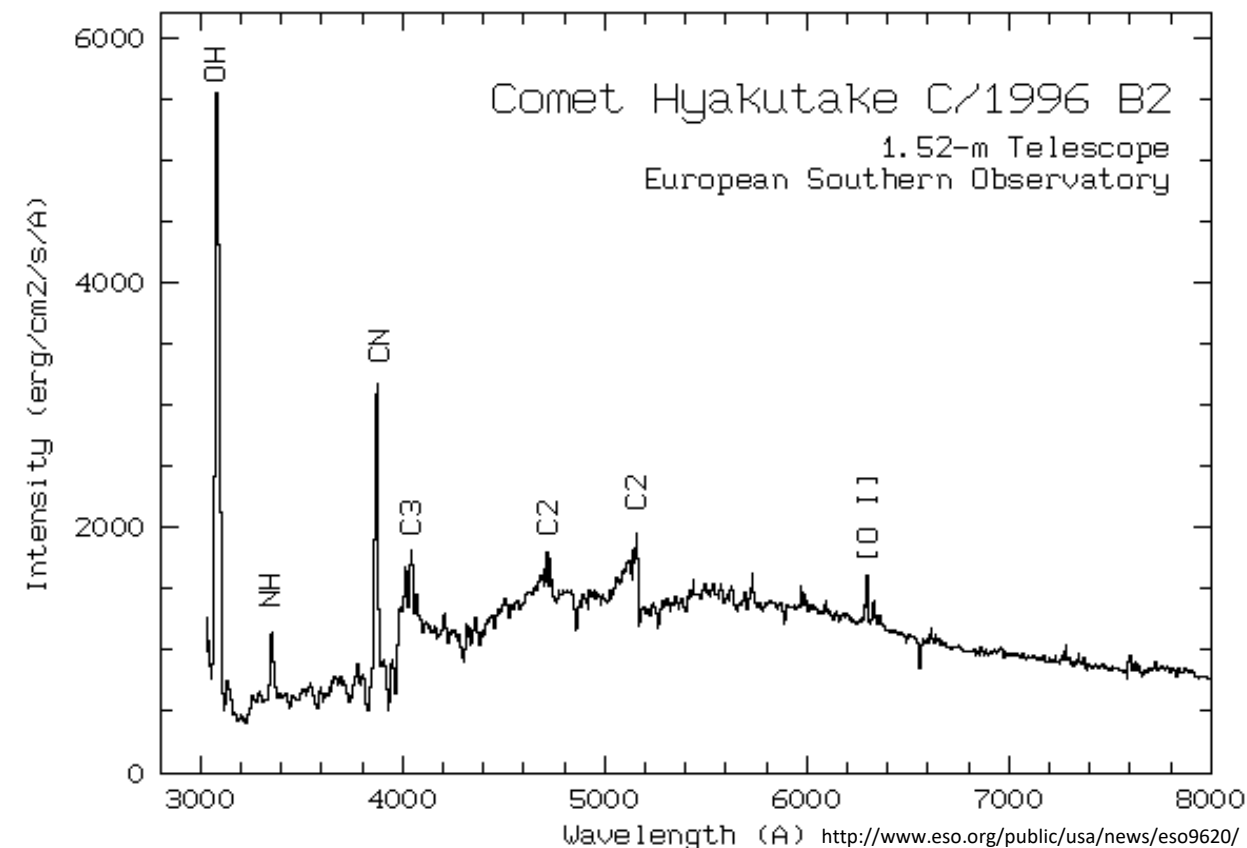
Typical applications of optical spectroscopy(1)

In astronomy:

- Blackbody radiation allows to measure the temperature of stars, their velocity (Doppler shift) and distance.
- Absorption lines allow to identify elements and molecules in the atmosphere of stars and planets.
- Reflected light spectra can show the composition of comets.



https://upload.wikimedia.org/wikipedia/commons/thumb/1/19/Black_body.svg/1920px-Black_body.svg.png

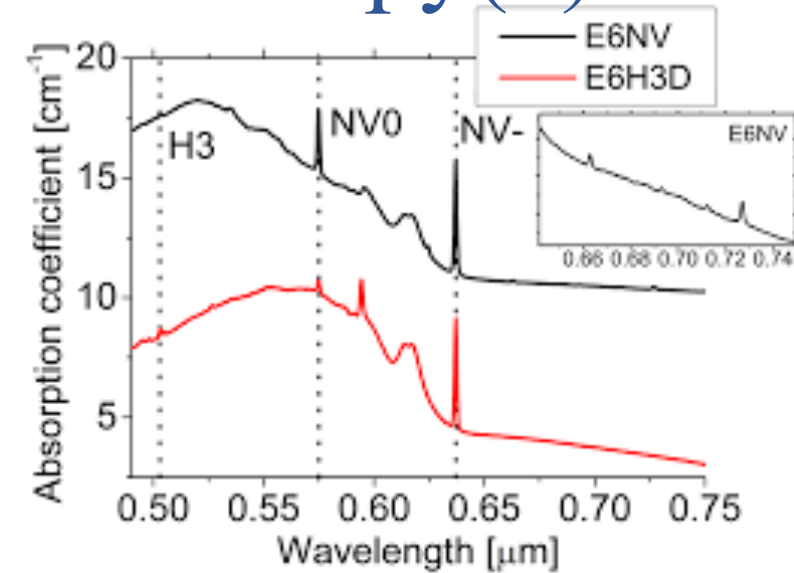


<http://www.eso.org/public/usa/news/eso9620/>

Typical applications of optical spectroscopy(2)

In semiconductor research:

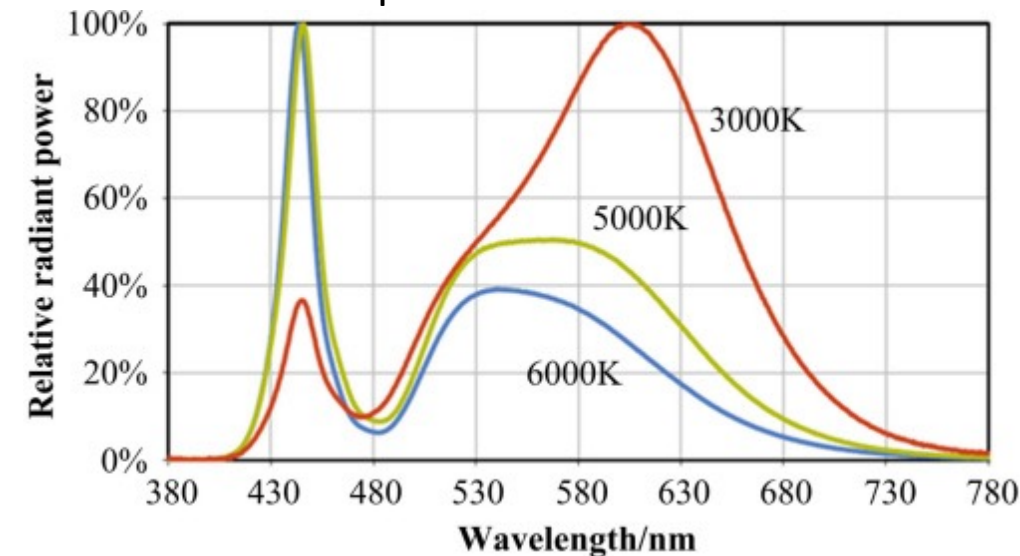
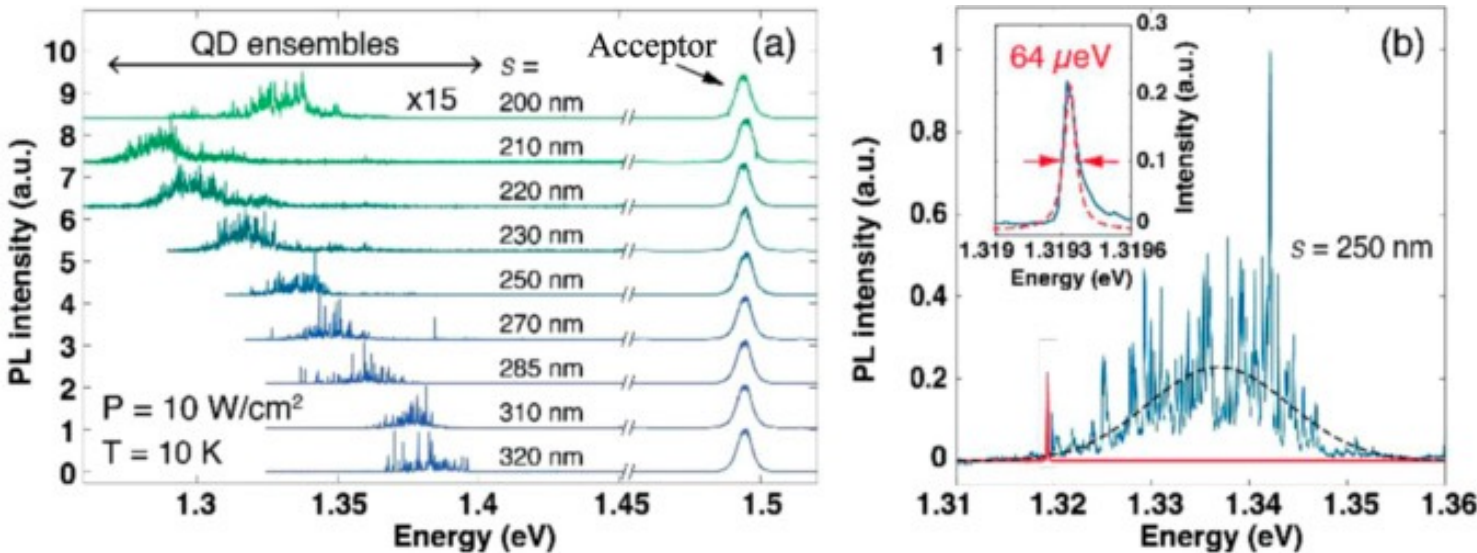
- Measurement of energy gap in compound semiconductors.
- Measurement of light emission of LEDs and laser diodes.
- Study of impurities and defects in semiconductors.
- Physics research of semiconductor nanostructures: Quantum dots, nanowires, layered 2D semiconductors, graphene, nanotubes,...



Emission spectra of NV centers in diamond

Emission spectra of different white LEDs

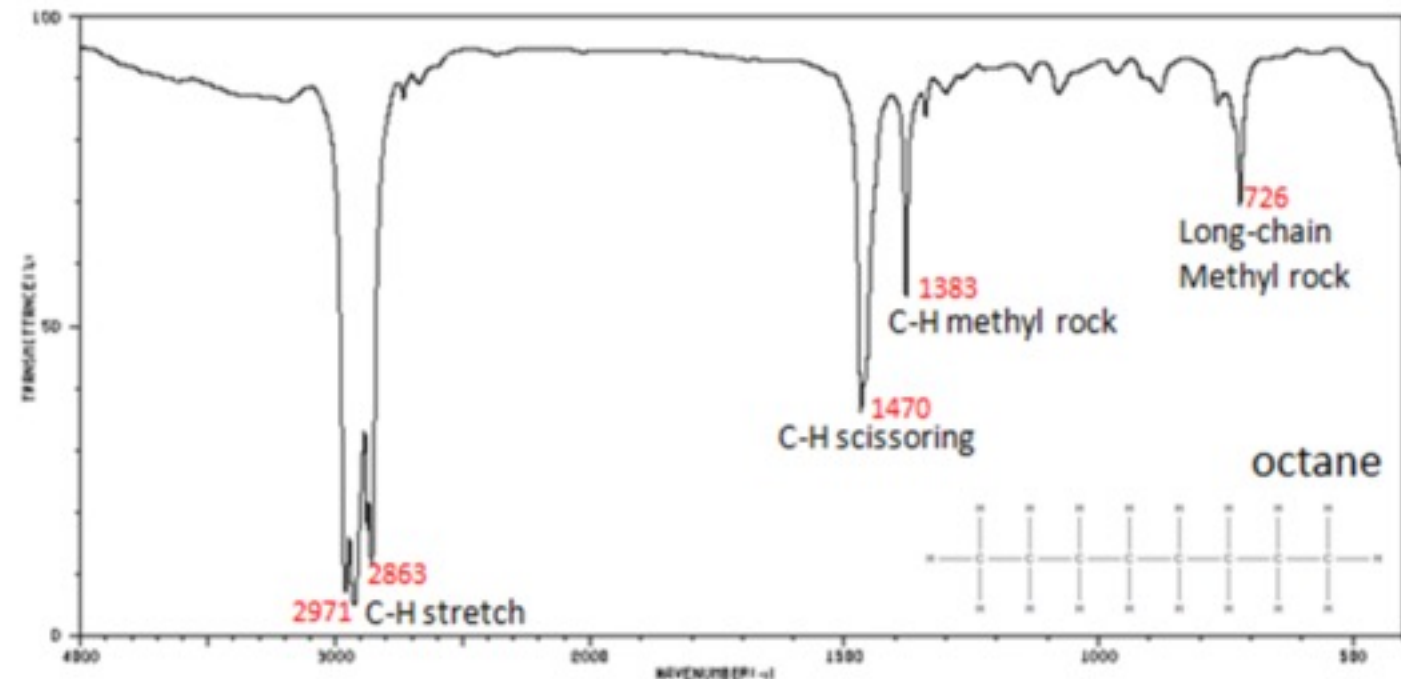
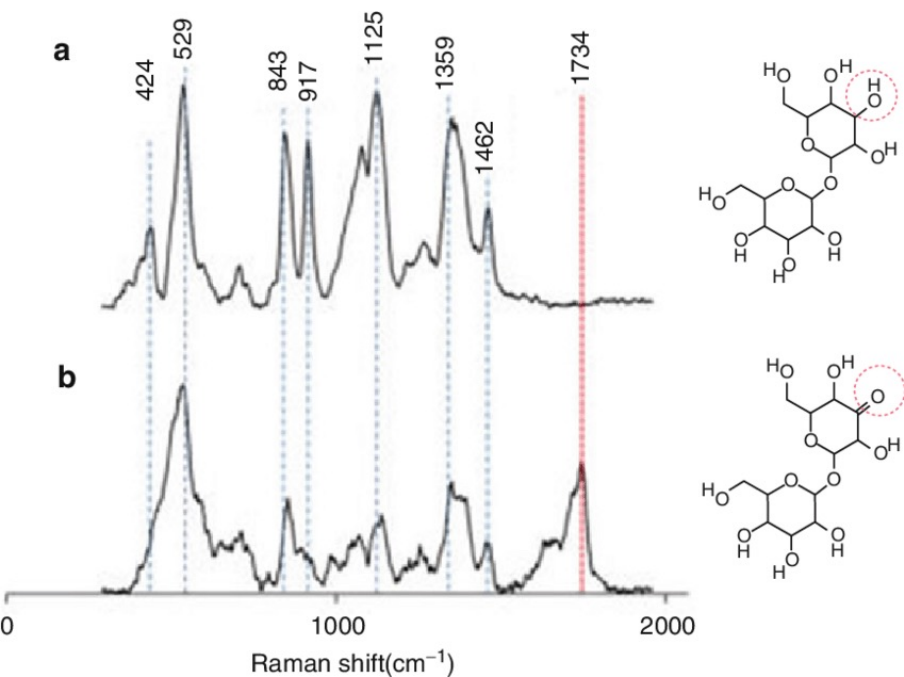
Emission spectra of quantum dot ensembles (10 QDs)



Typical applications of optical spectroscopy(3)

In (bio)chemistry:

- Identification of elements by atomic emission spectroscopy (AES).
- Identification of molecules by UV-VIS-IR absorption spectroscopy.
- Characterization of chemical reactions by ultrafast spectroscopy.
- Investigation of chemical bonds by Raman spectroscopy.



Typical applications of optical spectroscopy(4)

In police work:

- Quick automatic identification of drugs, explosives and other substances by UV-VIS-IR absorption spectroscopy or VIS Raman spectroscopy.



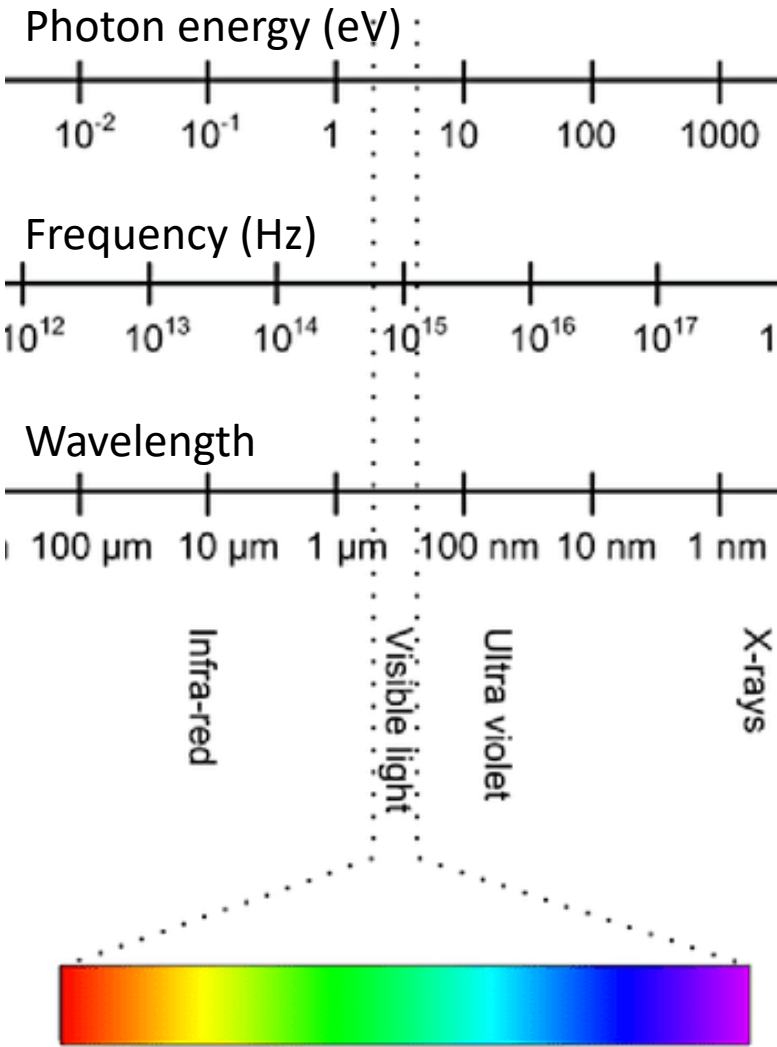
Optical spectroscopy: Energy vs. Wavelength

- Most optical spectroscopy is done with dispersive optics: prisms, gratings, etc.
- The link between energy and wavelength: $E=h\nu$ and $\nu=c/\lambda$, or: $E(\text{eV})=hc/e\lambda=1.24/\lambda(\mu\text{m})$
- Typical photon energy in the visible range: $\lambda \approx 500\text{nm}$, $E \approx 2.5 \text{ eV}$
- Resolution depends on the derivative of the dispersion: $\Delta E=\Delta\lambda \cdot dE/d\lambda=-1.24 \cdot \Delta\lambda/\lambda^2$
- It's much more precise to measure optical wavelength than photon energy!
 - Example: In the visible range (e.g. $\lambda \approx 500 \text{ nm}$) we can easily measure $\Delta\lambda = 5 \text{ pm}$, equivalent to $\Delta E = 25 \mu\text{eV}$. It's difficult to find a photon detector with similar energy resolution!
- Particle (e.g. electron) and X-ray spectroscopy is usually done with energy-dispersive instruments or direct energy-sensitive detectors (Si or Ge diodes etc.). It's possible to measure energies of 1-10 keV with a precision of 1-2 eV.
- Thermal effects (phonons): At room temperature $E = 26\text{meV}$, which can cause spread in detected energy. It might be useful to cool the sample! Detectors might need cooling too.
- In Raman and IR spectroscopy, it is customary to use energy units called Wavenumber: $\sigma=1/\lambda$ (unit= cm^{-1}). So for $\lambda=500\text{nm}$, $\sigma=20,000\text{cm}^{-1}$; at $\lambda=5\mu\text{m}$, $\sigma=2,000\text{cm}^{-1}$.
- The unit conversion is: $E(\text{eV})=(100hc/e) \cdot \sigma = 1.24 \cdot 10^{-4} \cdot \sigma$.

Optical spectroscopy: Energy vs. Wavelength

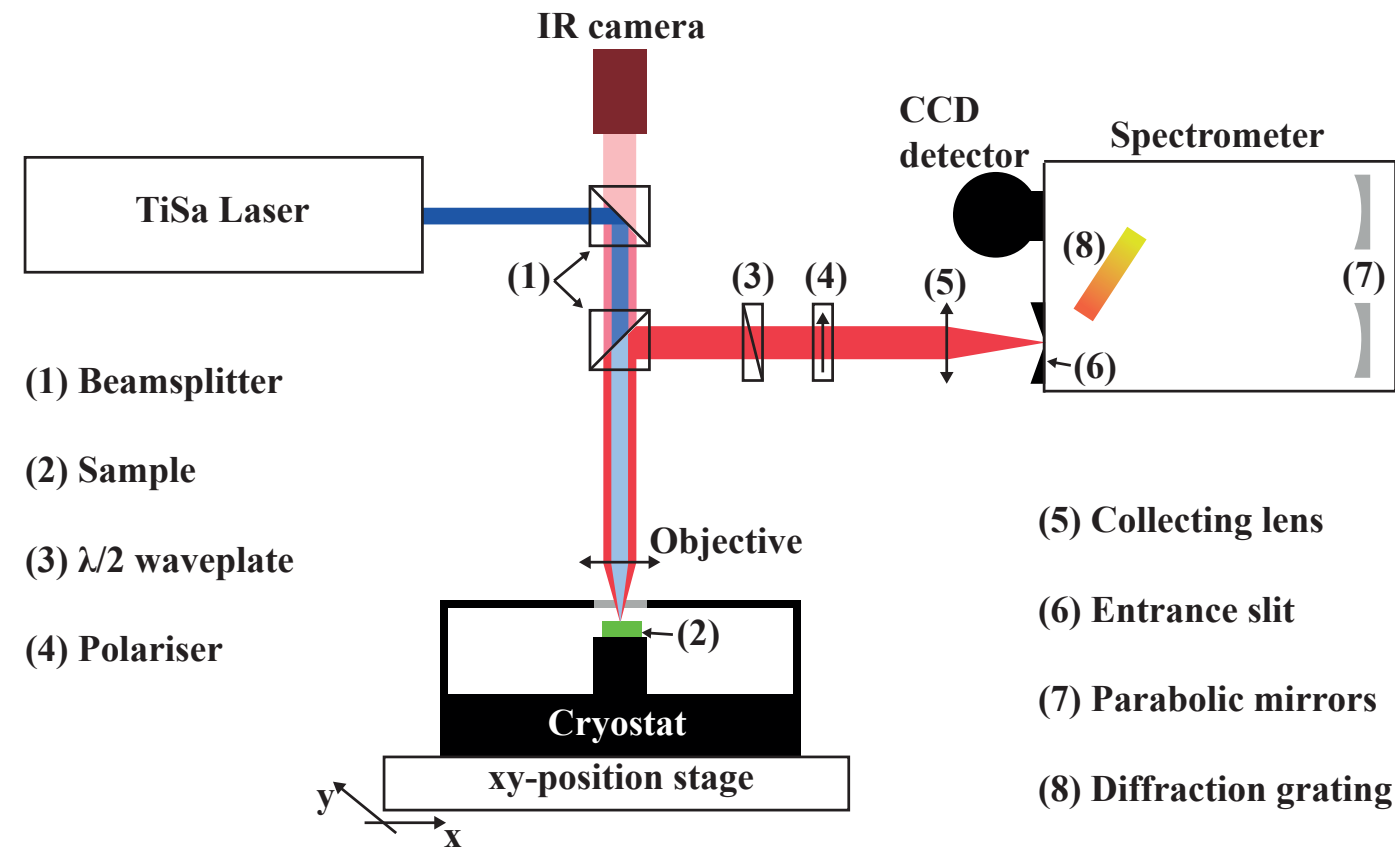
- Table of unit conversions:

	Wavelength	Wavenumber	Frequency	Photon energy
Symbol	$\lambda [nm]$	$\sigma [cm^{-1}]$	$\nu [Hz]$	$E_p [eV]$
Factor of conversion	λ	$10^7 / \lambda$	$3 \cdot 10^{17} / \lambda$	$1224 / \lambda$
	$10^7 / \sigma$	σ	$3 \cdot 10^{10} \cdot \sigma$	$1.22 \cdot 10^{-4} \sigma$
	$3 \cdot 10^{17} / \nu$	$3.33 \cdot 10^{11} \nu$	ν	$4.1 \cdot 10^{-15} \nu$
	$1224 / E_p$	$8197 \cdot E_p$	$2.44 \cdot 10^{14} E_p$	E_p
	200	$5 \cdot 10^4$	$1.5 \cdot 10^{15}$	6.12
Examples	500	$2 \cdot 10^4$	$6 \cdot 10^{14}$	2.45
	1000	10^4	$3 \cdot 10^{14}$	1.224

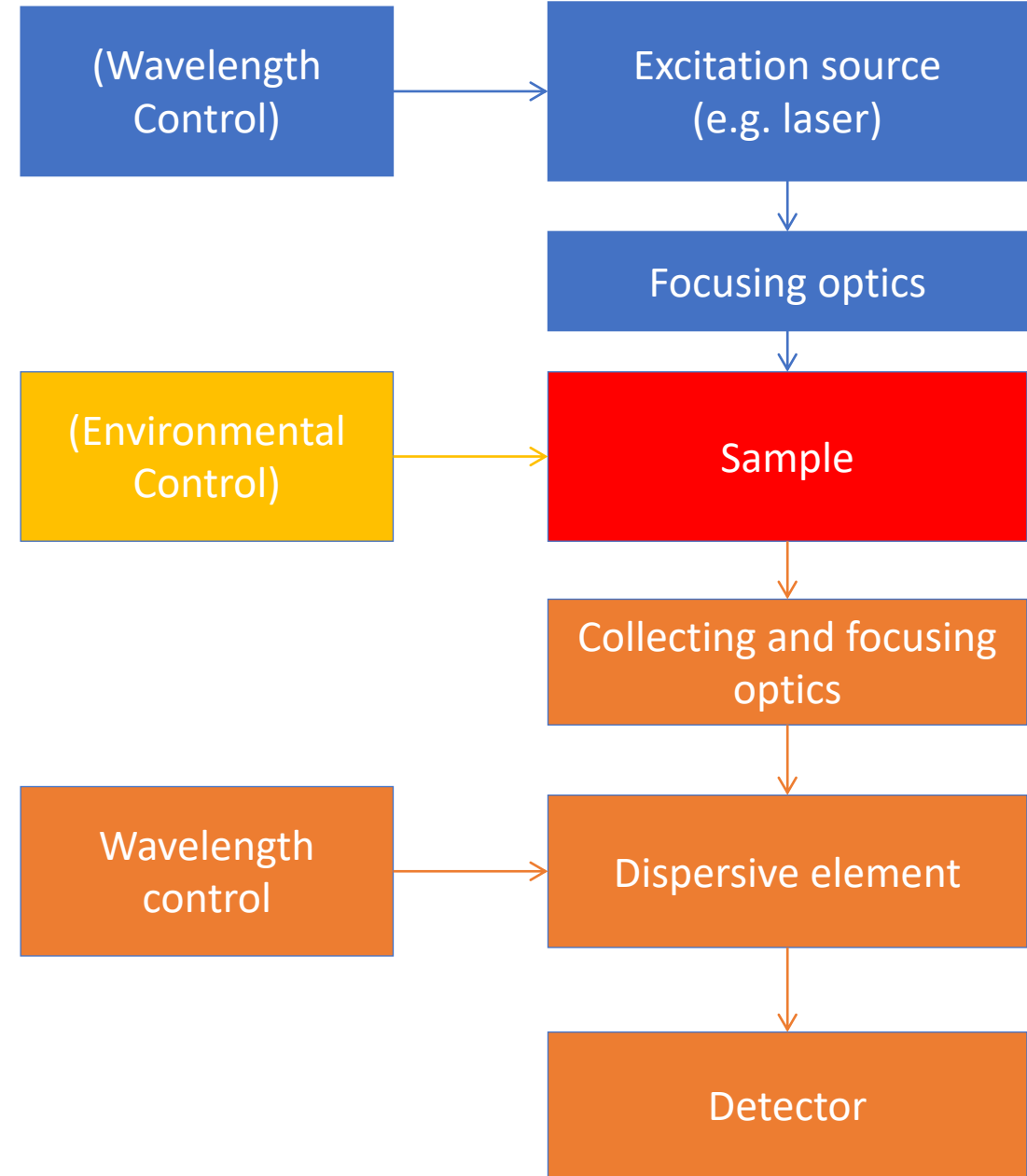


Optical spectroscopy: Experimental setup – micro-PL

- In many systems there is an external excitation source. Its energy can sometimes be tuned
- The sample might need to be held at low temperature to avoid phonon interactions

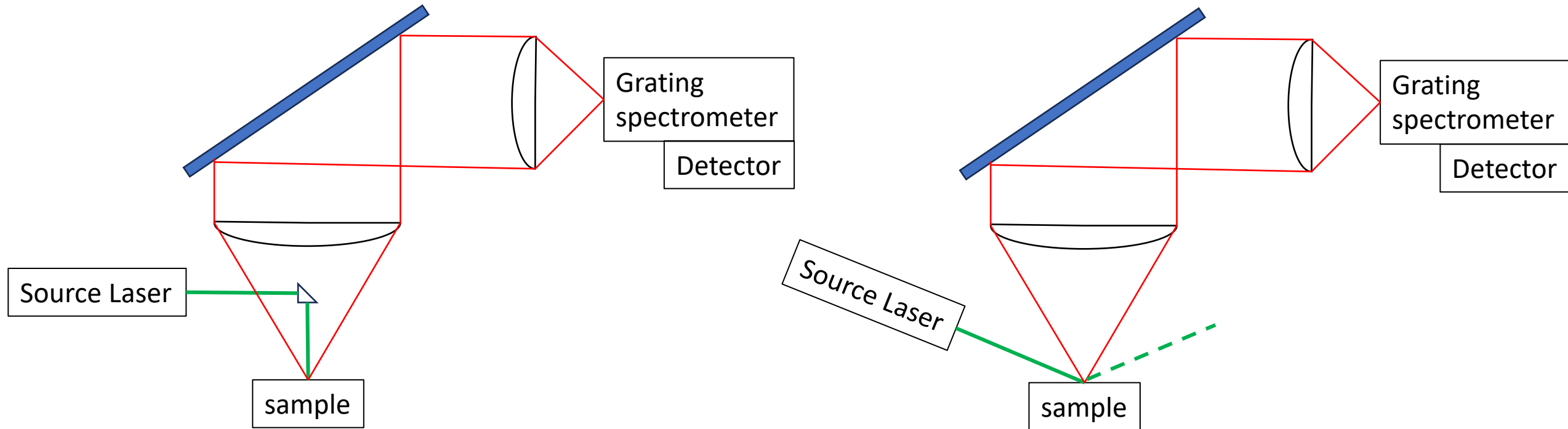


Typical low-temperature micro-photoluminescence system



Optical spectroscopy: Experimental setup – PL

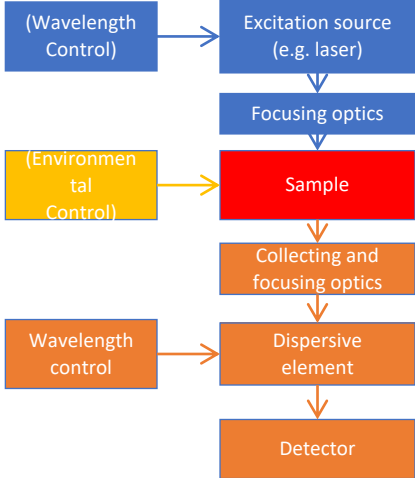
- In some cases large-area and room-temperature PL is enough, leading to a simplified system.
- The laser source might be inclined to avoid reflections into the spectrometer



Typical room-temperature photoluminescence systems

Excitation sources

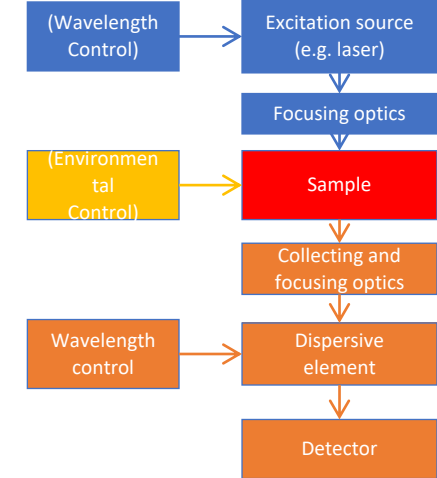
- In most systems there is an external excitation source. Its energy must be higher than that of the studied transitions!
- Typical exceptions: characterization of light sources (LEDs, lasers), discharge or flame spectroscopy, astronomy.
- The excitation source can be broadband (white light or discharge lamp) or monochromatic (broad source plus filter / monochromator, laser).
- Comparison of excitation sources:



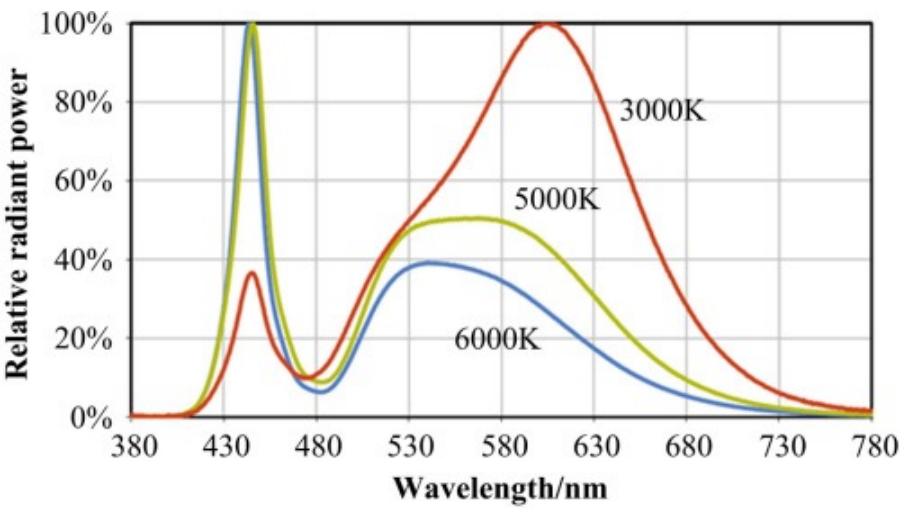
Source type:	Broadband	Broadband + Filter	Broadband + Monochromator	LED	Laser
Advantages:	- Cheaper - High light output	- Cheaper - Selectable wavelength	- Monochromatic light at any wavelength	- Cheaper - High power at a narrow wavelength band	- High intensity monochromatic light - Some tuning is possible
Disadvantages:	- No wavelength selection - Source energy is spread over band	- Power loss in filter - Filter is usually broadband	- Expensive - Very low light output per unit wavelength	- No tuning	- Expensive - Tuning range is sometimes limited

Broadband sources

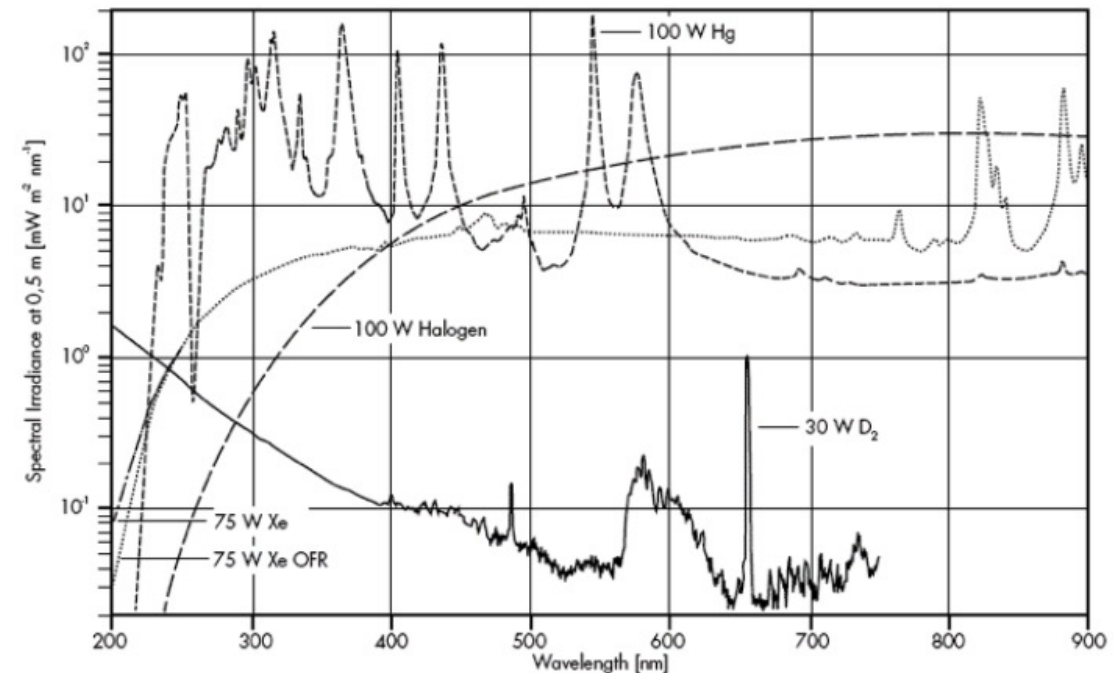
- Three main types of broadband sources:
 - Thermal filament (e.g. Halogen-tungsten)
 - Gas discharge at high pressure
 - White LED (recent types can emit high power)
- Typical image and spectra of broadband light sources:



- Halogen spectrum is blackbody (very smooth, but low in UV)
- High-pressure discharge lamps have many broad peaks that form a quasi-continuous spectrum
- White LED has a moderately wide spectrum

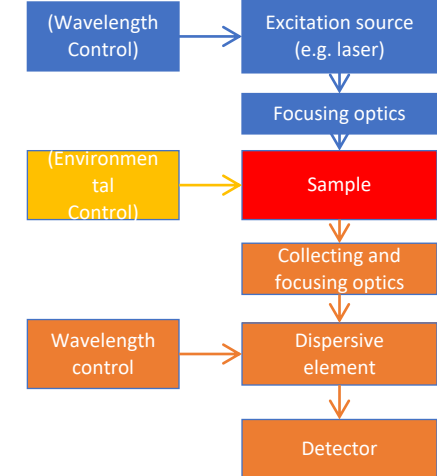


Halogen and Discharge lamps (Hg, Xe)

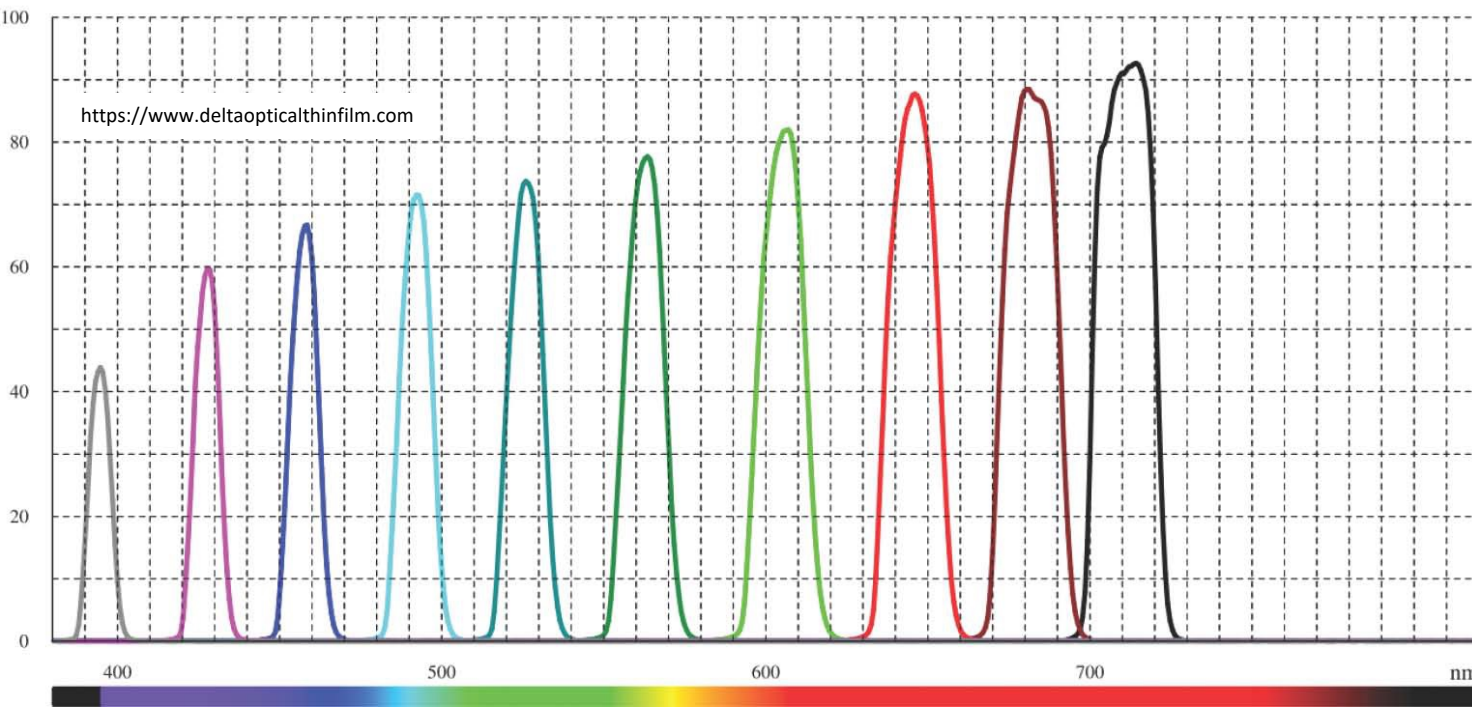


Broadband source + filters

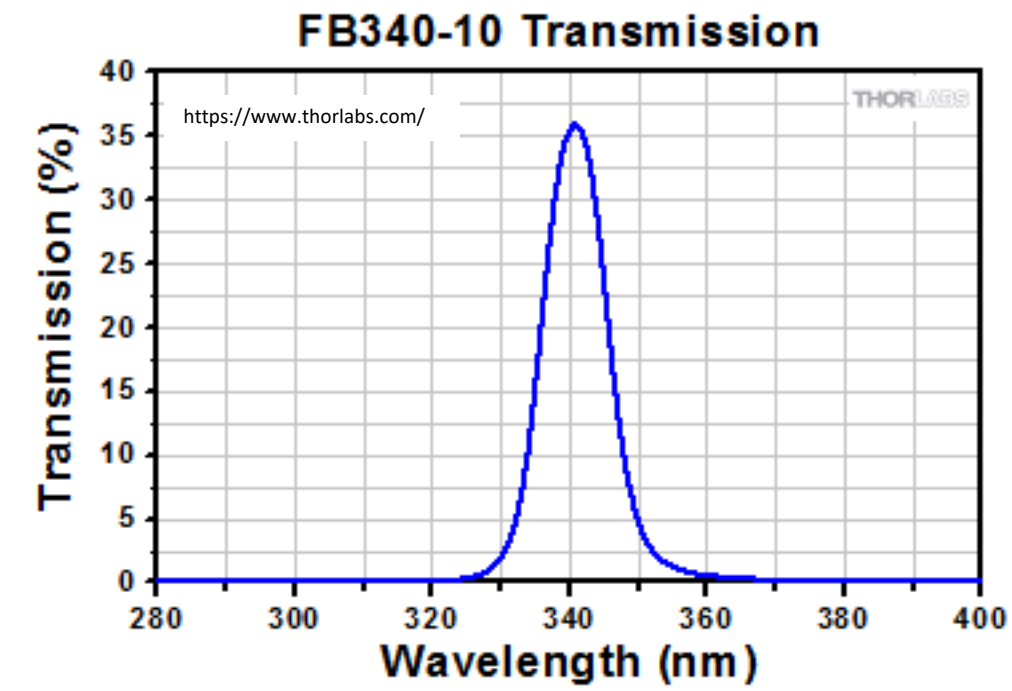
- To obtain a narrower bandwidth, the light from a broadband sources is filtered by a bandpass optical filter of fixed or variable wavelength
- Typical bandwidth: 10-20 nm at WL=400-700 nm
- Typical power at 340 nm, distance 25cm, filter D= 25mm, BW=10 nm:
 - Halogen lamp: 0.014 mW
 - Hg lamp: 1.4 mW



Transmission of a visible-range linear optical bandpass filter (at 10 positions)

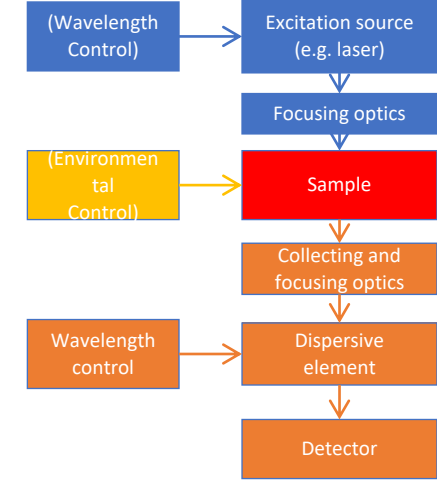


Transmission of a fixed UV optical bandpass filter

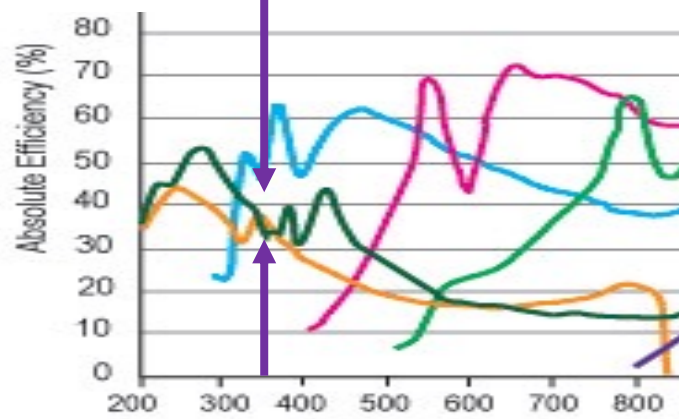


Broadband source + monochromator

- To obtain a very narrow and variable bandwidth, the light from a broadband sources is filtered by a simple grating monochromator (see below)
- The bandwidth and transmission are determined by the monochromator slit width: a simple 7.4 cm monochromator has a dispersion of 5.3 nm/mm, so a slit of 1 mm width will have a spectral width of 5.3 nm. Light intensity is also proportional to the slit width...
- Typical power at 340 nm, distance 25cm:
 - Halogen lamp: 70 nW
 - Hg lamp: 7 μ W

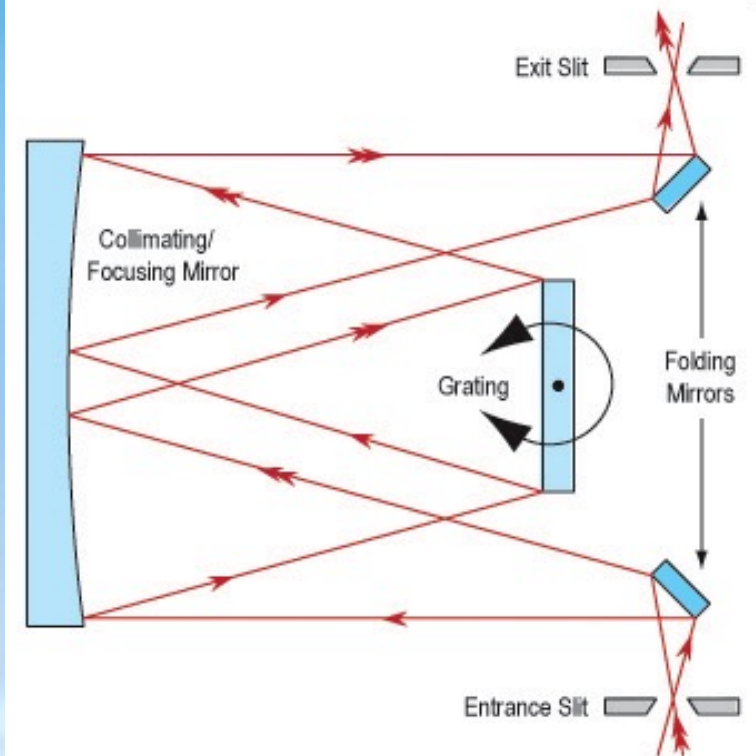


Monochromator efficiency



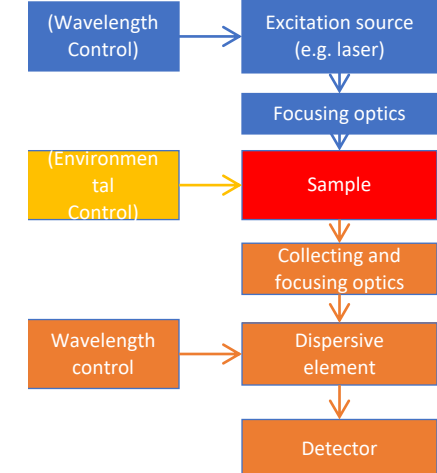
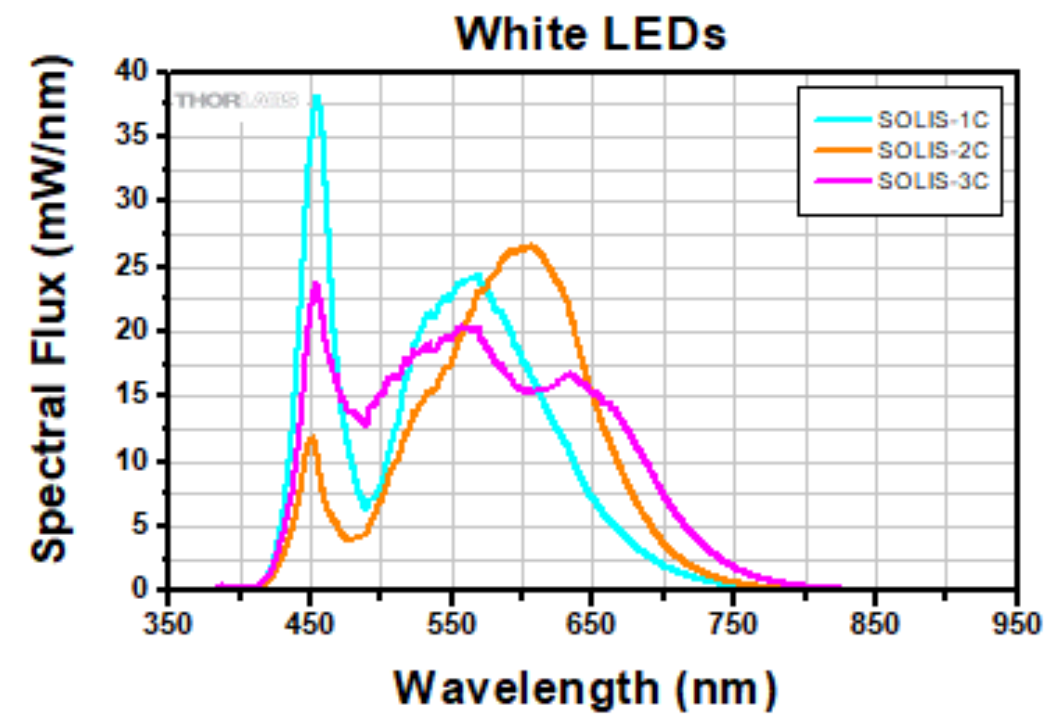
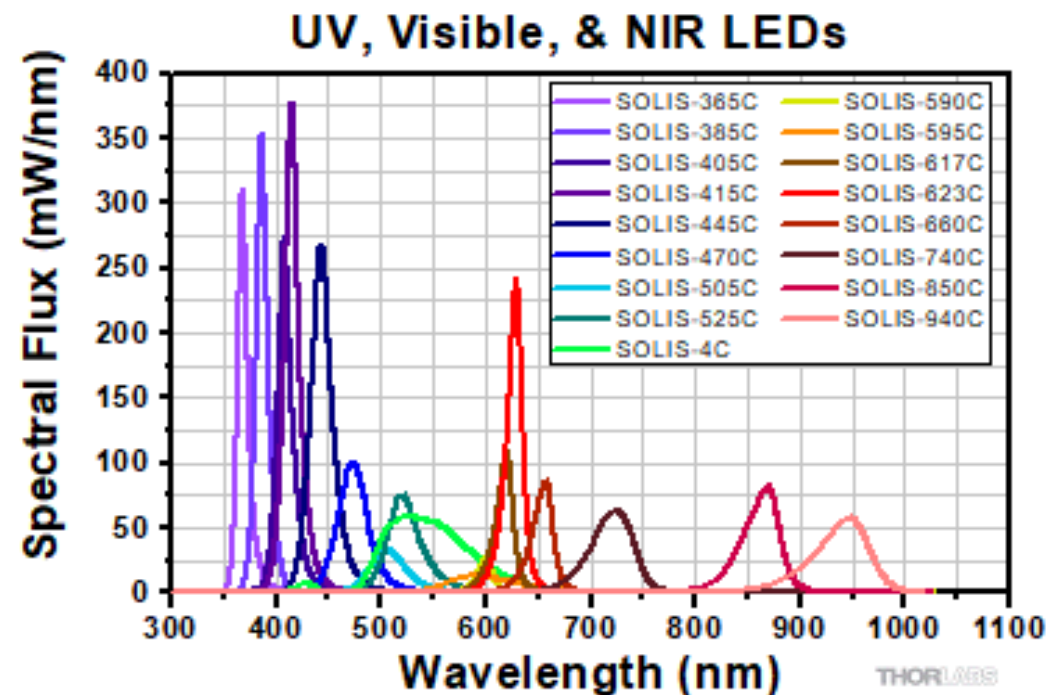
<https://www.edmundoptics.com/f/manual-mini-chrom-monochromators>

Manual Mini-Chrom Monochromators Internal Layout



LED sources

- New LED sources can emit at one wavelength band ("colored LEDs") or broadband ("White LEDs"):
- "White" LED has higher UV emission than a halogen lamp
- The UV source at 365 nm has a bandwidth of 10 nm and emits a power of 3W – more than any broadband source.



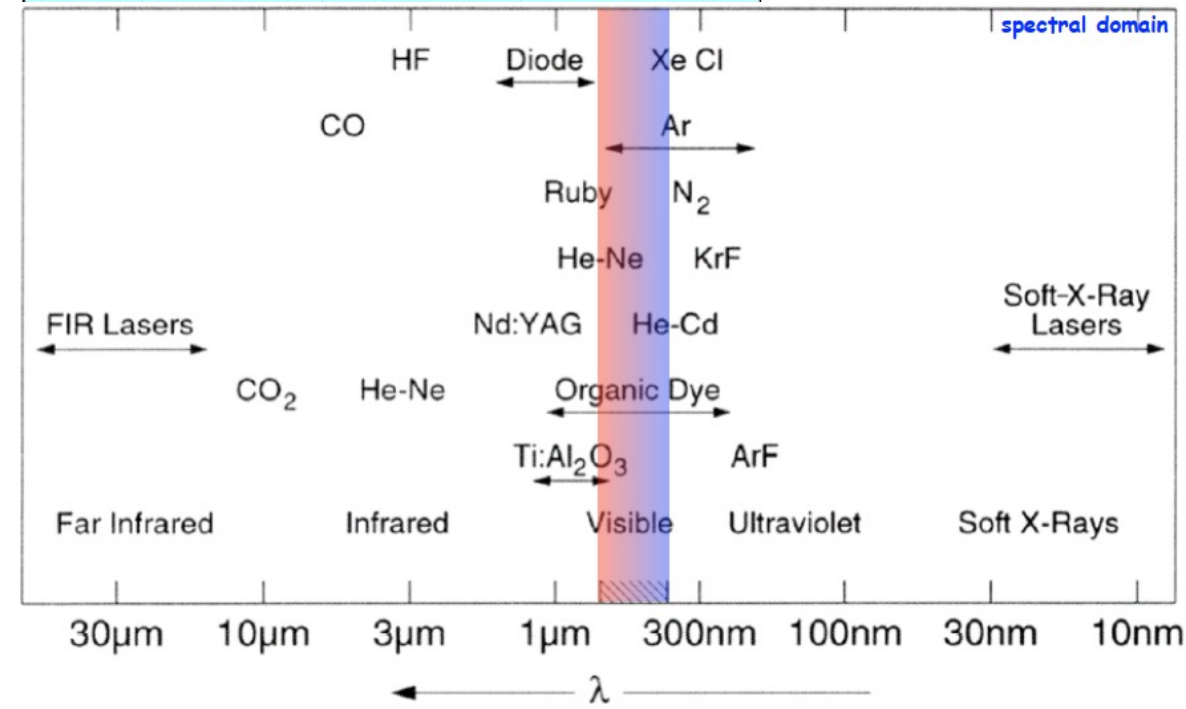
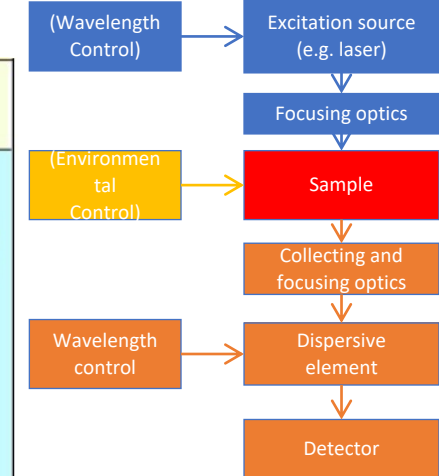
Laser sources

- Laser sources have several advantages:
 - Monochromatic light ($\ll 1$ nm): all the energy is concentrated in one wavelength
 - Parallel beam of small diameter (mm): easy to focus
- The main disadvantage: limited or no tunability.
- Main types of lasers:
 - Gas lasers (HeNe, Ar, CO₂, ...)
 - Organic dye lasers* (less used now)
 - Excimer lasers (ArF, KrF, ...)
 - Solid crystal lasers (Ti:Sapphire*, Nd:Yag, ...)
 - Diode lasers
 - Fiber lasers
 - Free-electron lasers (huge, very expensive!)

*Continuously tunable

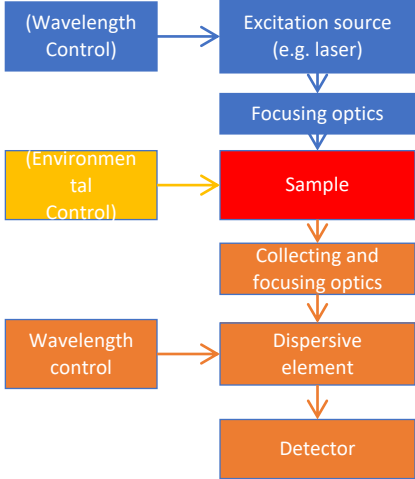
Some high-power lasers

CIE band	Wavelength [nm]	Medium	Typical operation
UV-A	325	He-Cd	CW (10 mW)
UV-A	350	Argon	CW (100 mW)
Visible	441	HeCd	CW (10 mW)
Visible	458, 488, 514	Argon	CW (15 W)
Visible	530	Nd:YAG doublé	CW (10 W)
Visible	568, 647	Krypton	CW (10 W)
Visible	632	He - Ne	CW (20 mW)
IR - A	1064	Nd:YAG	CW (20 W)
IR - A	700-1000	Ti-Saph	pulsed (1.5 W)
IR - A	800 - 1500	Semicon	CW (20 mW)

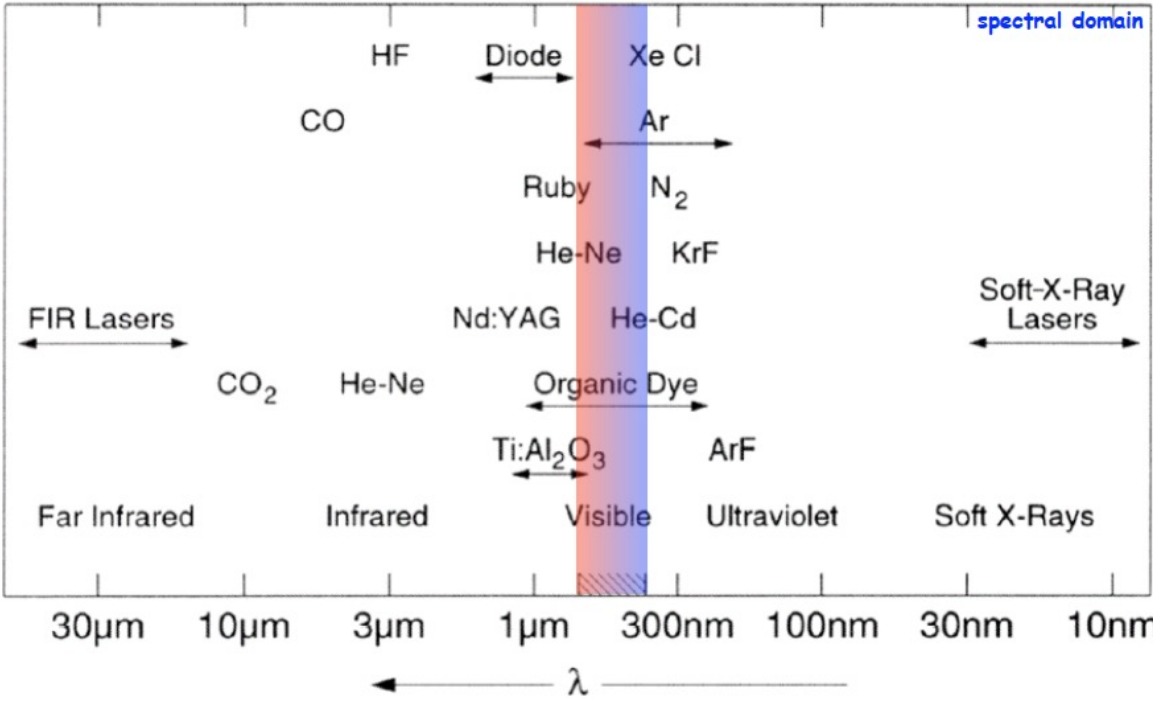


Main laser sources used in spectroscopy

- Laser sources for spectroscopy usually have power of 1 mW – 1W, tunability is a plus
- Fixed-wavelength types, for simple applications:
 - HeNe (628 nm)
 - Fixed-wavelength diode lasers (wavelength can be chosen)
 - Nd:Yag and Doubled Nd:Yag (DPSS) (1062 and 532 nm)
- For UV excitation, high-power pulses:
 - Excimer lasers (ArF, KrF, ...)
- Tunable lasers:
 - Ti:Sapphire
 - Some diode lasers



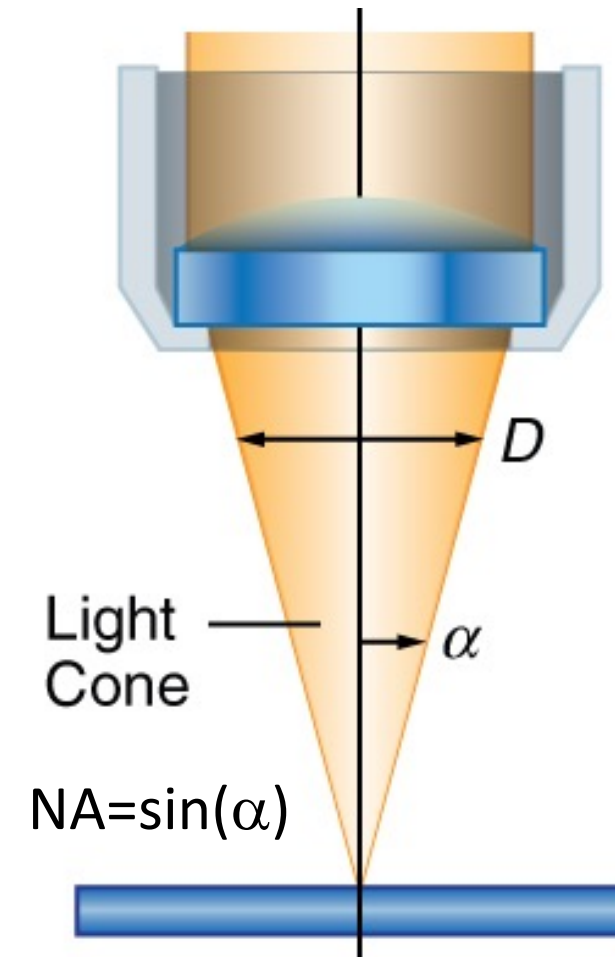
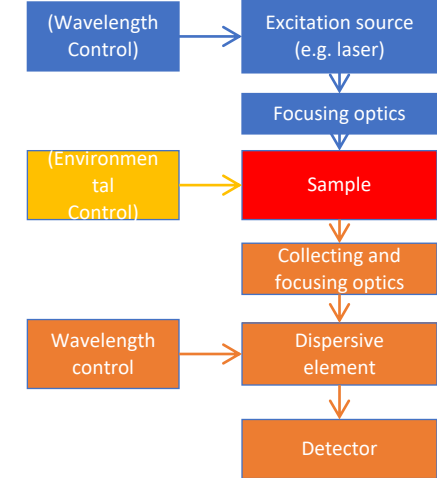
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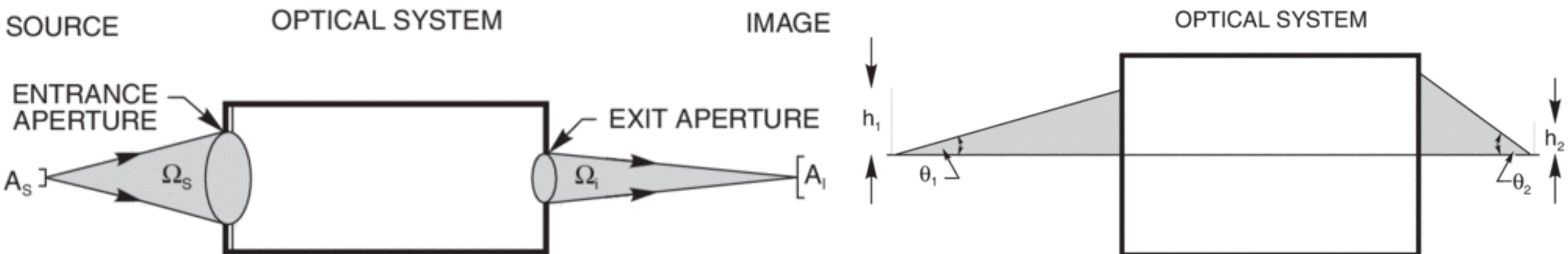
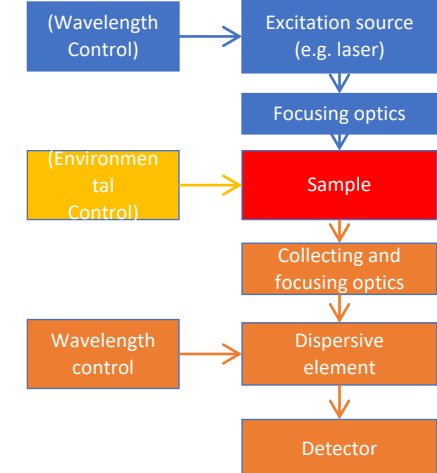
Focusing optics

- The focusing optics brings the light from the source to the sample, covering the required area: from cm^2 (liquid absorption) to μm^2 (micro-photoluminescence, μPL)
- In many systems, the light intensity is controlled by attenuators
- In some cases, the light polarization is also controlled
- In the case of large areas, illumination homogeneity can be important; sometimes a "white" diffuser is needed.
- When focusing on small areas, microscope objectives are used to obtain a diffraction-limited spot ($D=1.22\lambda/NA$)
- Optical fibers can also be used to bring the excitation light to the sample. They have the advantage of small size and flexibility (e.g. in moving systems)
- In rare cases, an elliptical excitation spot is needed; the optics should then include a cylindrical lens.



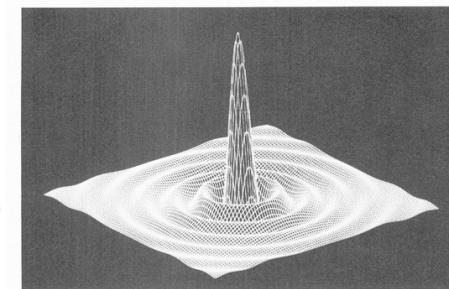
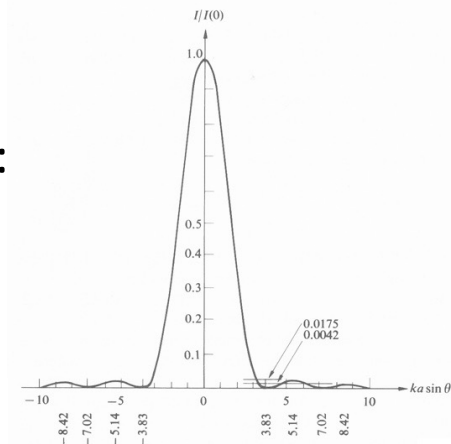
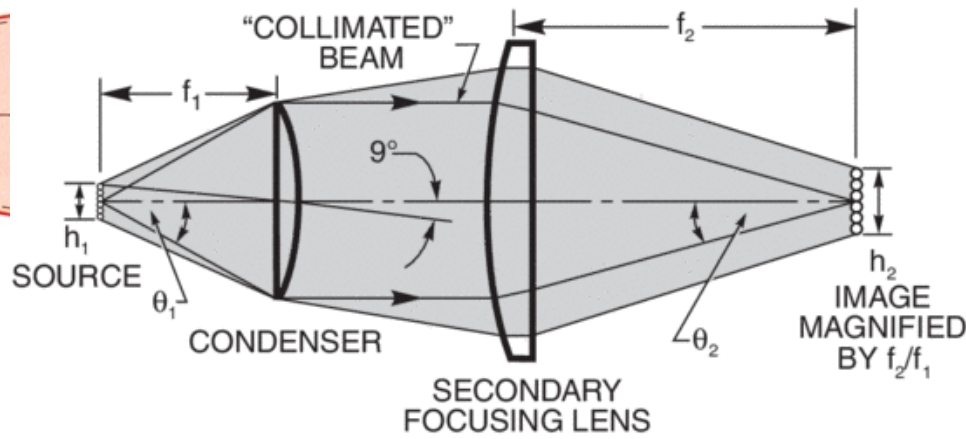
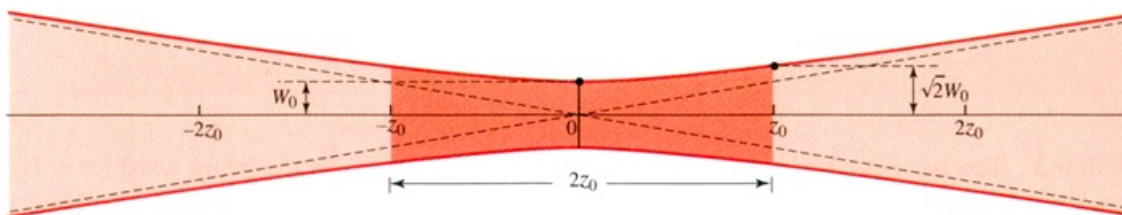
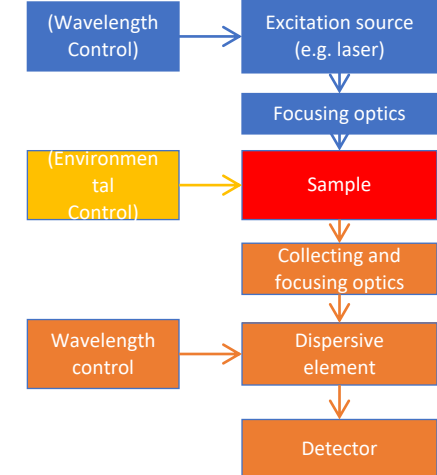
Size considerations – optical etendue

- The source size and emission angle form an optical **invariant** called the **optical etendue**. In air, it is the product of the source area and the solid angle of the emitted light: $G = A_s \Omega_s$.
- In a system with axial symmetry (as most optical systems are), we can use a 1D version: $G = h_s \theta_s$.
- In practice, this means that we need to match the value of G between source and image, otherwise we lose part of the intensity.



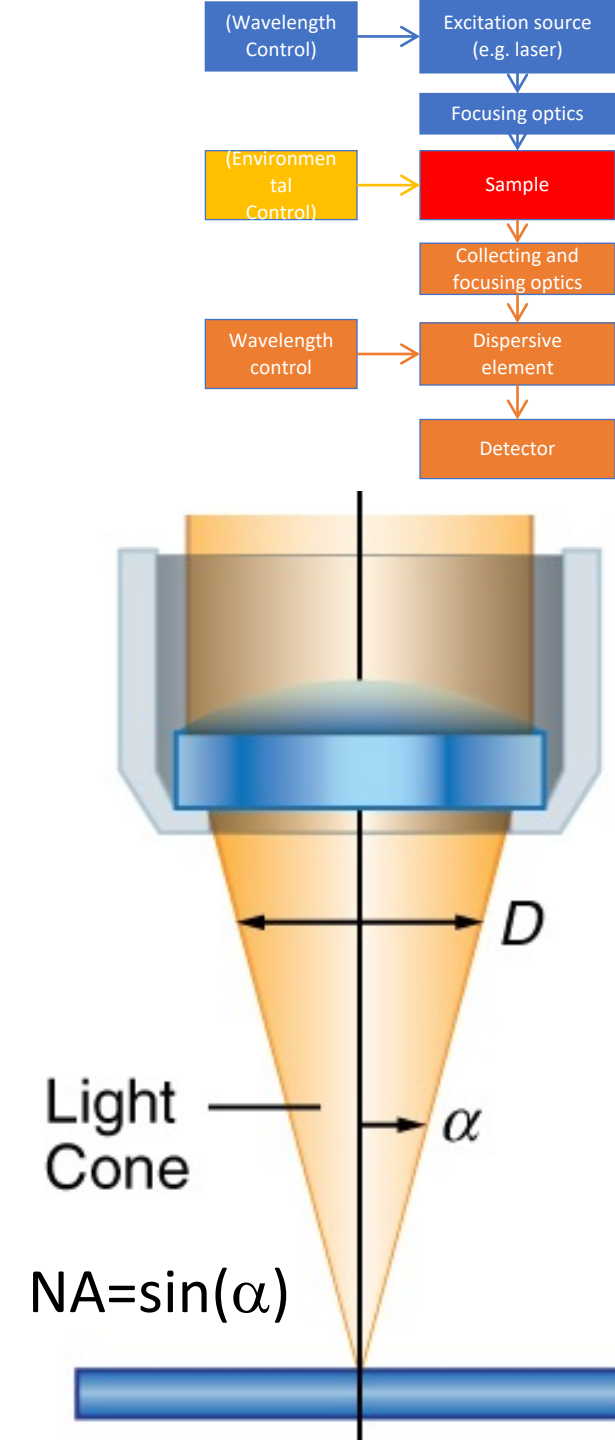
Size considerations – optical etendue

- Example of the use of the optical etendue:
 - Most lasers emit a TEM00 mode, which is a Gaussian beam; it has the property that: $G = W_0 \theta_0 = \lambda / \pi \approx 2 \cdot 10^{-7} m$.
 - The diffraction limit of a lens gives: $h_s = \frac{0.61 \lambda}{NA}$, so: $G = h_s \theta_s \cong h_s NA = 0.61 \lambda \approx 3.6 \cdot 10^{-7} m$.
 - Comparing these equations, we see how it's easy to focus a laser beam to a diffraction-limited spot without much loss.
- Another example:
 - A halogen or discharge lamp with a size of 2 mm and emission angle of 1 rad, will have: $G = r \theta \approx 1 \cdot 10^{-3} m$. Since a focusing lens can not have a much bigger angle than 1 rad, we can't focus this light to a smaller spot than the lamp's size, unless we limit the size with an iris and lose light.



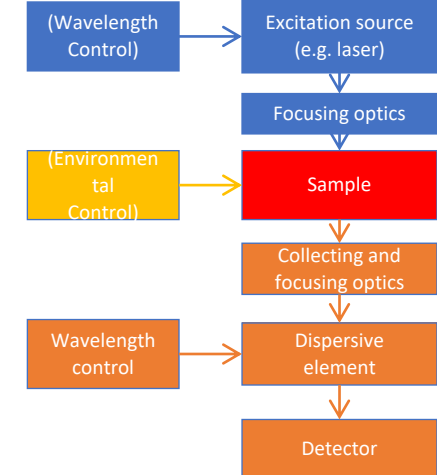
Collecting optics

- The collecting optics brings the light from the sample to the dispersive element, covering the required area: from cm^2 (liquid absorption) to μm^2 (micro-photoluminescence, μPL)
- When collecting from a small area (in μPL systems), microscope objectives with high numerical aperture are used to collect the maximum light. The same optics is then used for excitation and collection. Semi-transparent mirrors are used to direct the incoming and outgoing beams.
- In many cases, especially when the same lens is used, filters are needed to remove the (much stronger) reflected excitation light from the dispersive element entrance.
- In some cases, the light polarization is also controlled, and can also be used to distinguish between the reflected excitation and the signal.
- Optical fibers can also be used, sometimes a single fiber can send the excitation light and bring back the PL light. They have the advantages of very compact size and flexibility, but the disadvantage of a small optical etendue. Fiber luminescence can sometimes be a problem.



The dispersive element

- The dispersive element is the most important part of the system. It allows to distinguish between different photon energies (wavelengths)
- The type of dispersive element to be used depends on the needs:
 - Resolvance or resolution (distinguish between close wavelengths)
 - In some cases (e.g. Raman spectroscopy), the rejection ratio is very important
 - Wavelength range of operation
 - Throughput (or efficiency, or losses): the transmission of the element
 - Speed and ease of use
- We look here at several types of dispersive elements:
 - The diffraction grating (the most common)
 - The FTIR spectrometer (also very popular)
 - The refractive prism
 - The Fabri-Perot interferometer



The diffraction grating spectrometer

- The diffraction grating spectrometer is the most widely used in physics research and industry.
- It combines high resolution, wide spectral range, moderately high efficiency, and simple use.
- Its operation is based on the wavelength dispersion properties of the **diffraction grating**.

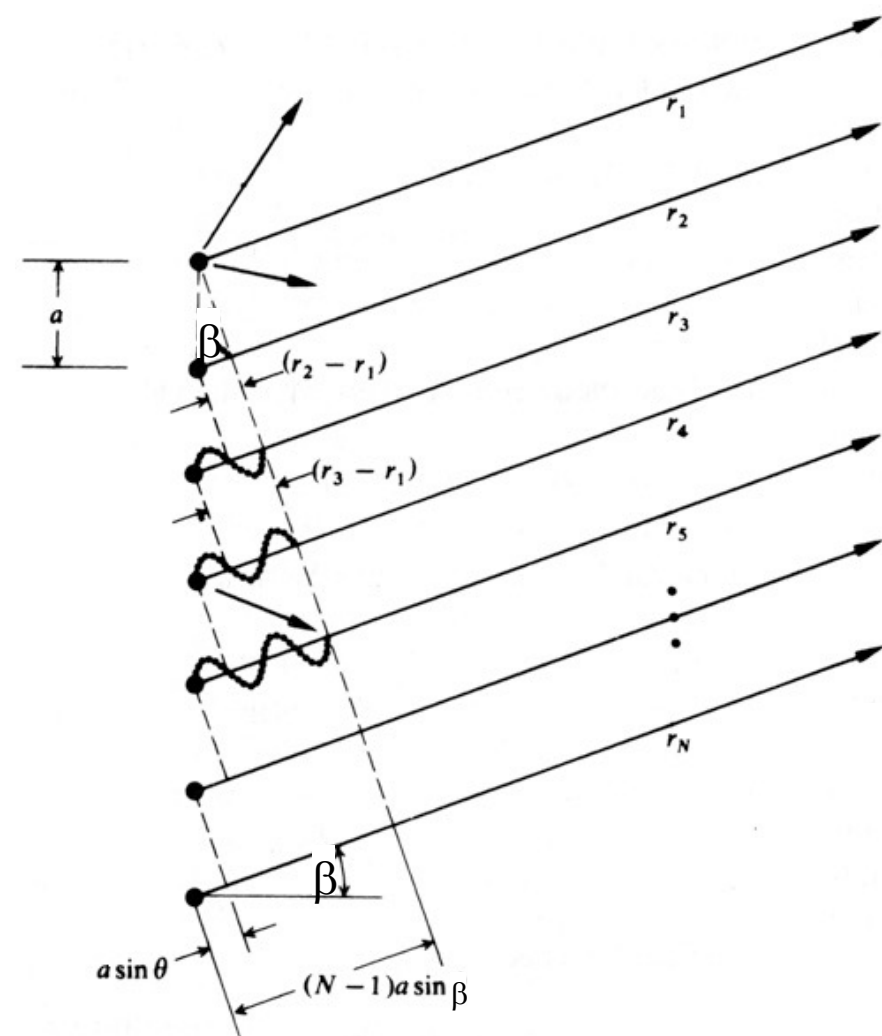


The diffraction grating – physics (1)

- A transmission grating is a regular array of N slits, with a periodicity a , illuminated by a plane wave. Each slit can be modeled as a source, emitting a field: $E_j = E_0 e^{i(\mathbf{k} \cdot \mathbf{r} - \omega t)}$, $E_0 = E_{in}/N$, or an intensity: $I_0 = I_{in}/N^2$
- The waves emitted at an angle β have an increasing phase lag, each successive wave has an extra phase: $\Delta\varphi = k \cdot \Delta\mathbf{r} = ka \sin \beta = \frac{2\pi a}{\lambda} \sin \beta$, so wave no. j has a phase : $\Delta\varphi_j = (j - 1)\Delta\varphi$ relative to the first wave.
- The sum of all fields gives a total intensity: $I = \left| \sum_{j=1}^N E_0 e^{i\varphi_j} \right|^2 =$

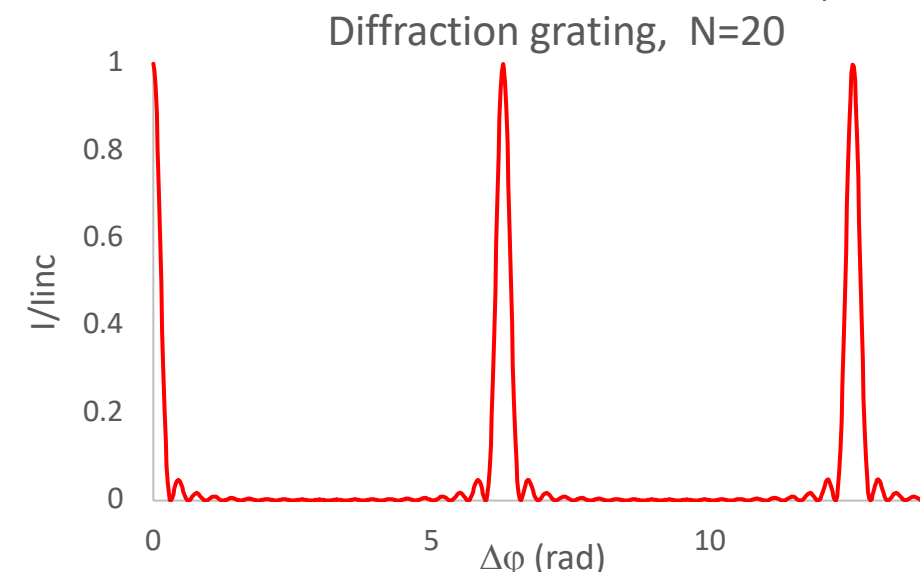
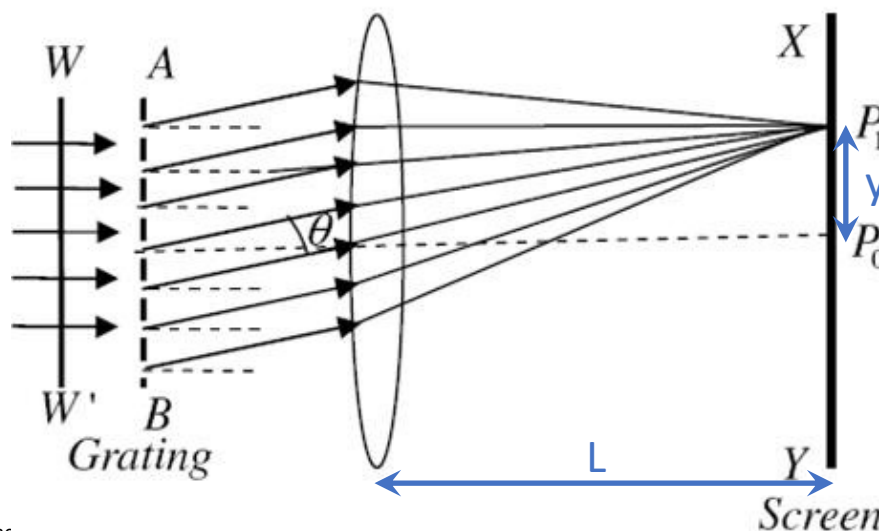
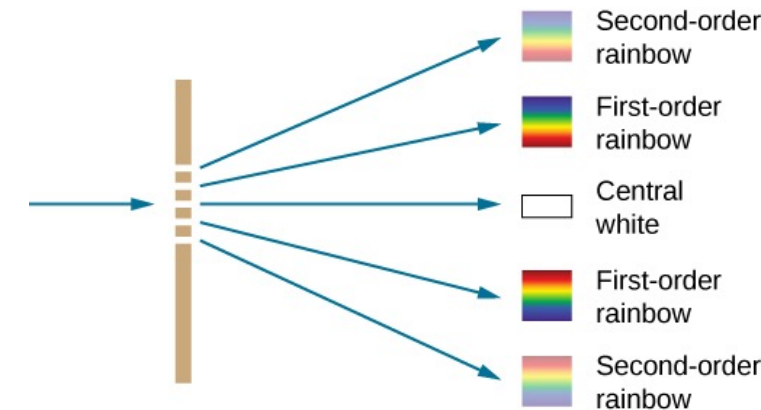
$$I_0 \left| \sum_{j=1}^N e^{i\Delta\varphi(j-1)} \right|^2 = I_0 \left| \frac{1 - e^{i\Delta\varphi N}}{1 - e^{i\Delta\varphi}} \right|^2 = I_0 \left| \frac{e^{i\Delta\varphi N/2} (e^{-i\Delta\varphi N/2} - e^{i\Delta\varphi N/2})}{e^{i\Delta\varphi/2} (e^{-i\Delta\varphi/2} - e^{i\Delta\varphi/2})} \right|^2 =$$

$$I_0 \left| \frac{-2i \sin \Delta\varphi N/2}{-2i \sin \Delta\varphi/2} \right|^2 = I_0 \frac{\sin^2 \Delta\varphi N/2}{\sin^2 \Delta\varphi/2}.$$



The diffraction grating – physics (2)

- The total intensity is: $I = I_0 \frac{\sin^2 \Delta\varphi N/2}{\sin^2 \Delta\varphi/2}$. Let's analyze this expression:
 - The big peaks correspond to: $\sin^2 \Delta\varphi/2 = 0$, or: $\Delta\varphi_{\max} = 2m\pi$.
 $m=\dots,-2,-1,0,1,2,\dots$ is the **diffraction order**. The intensity is: $I=N^2 I_0=I_{\text{in}}$.
 - The minima ($I=0$) correspond to: $\sin^2 \Delta\varphi N/2 = 0$, or: $\Delta\varphi_{\min} = 2m'\pi/N$.
 - The small peaks correspond to: $\sin^2 \Delta\varphi N/2 = 1$, or: $\Delta\varphi_{\max'} = (2m'+1)\pi/N$.
- The emerging waves are parallel, so a lens (or curved mirror) is needed to focus them on a screen. If its focal length is L , the focused point on the screen will correspond to: $y \approx L\beta$.
- In a typical grating, $N = 10^5$; the function $\sin^2 \Delta\varphi N/2$ is extremely narrow! The first zero corresponds to: $\Delta\varphi_0 = 2\pi/N \approx 10^{-4}$.

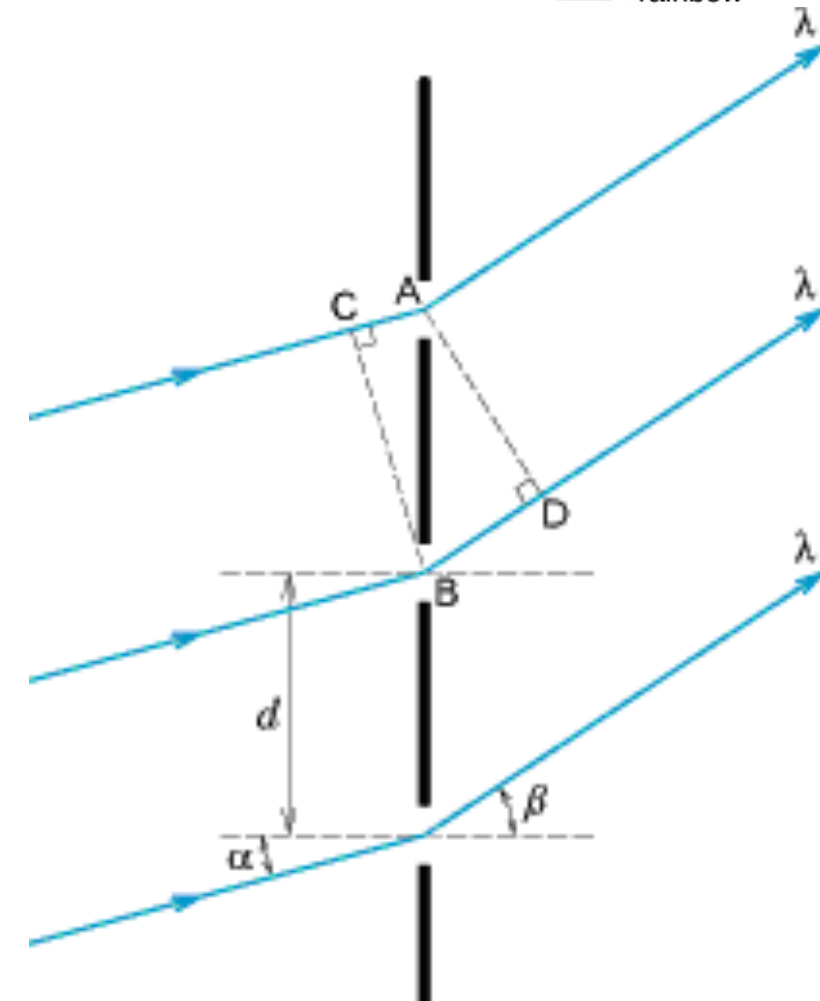
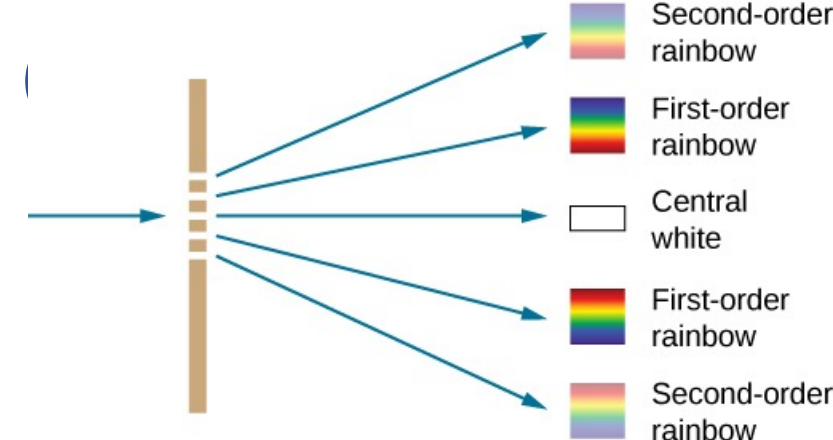


The diffraction grating – physics

- If the arriving wave has an angle α , there is an extra phase between the successive emitted waves, due to the path difference before the grating:

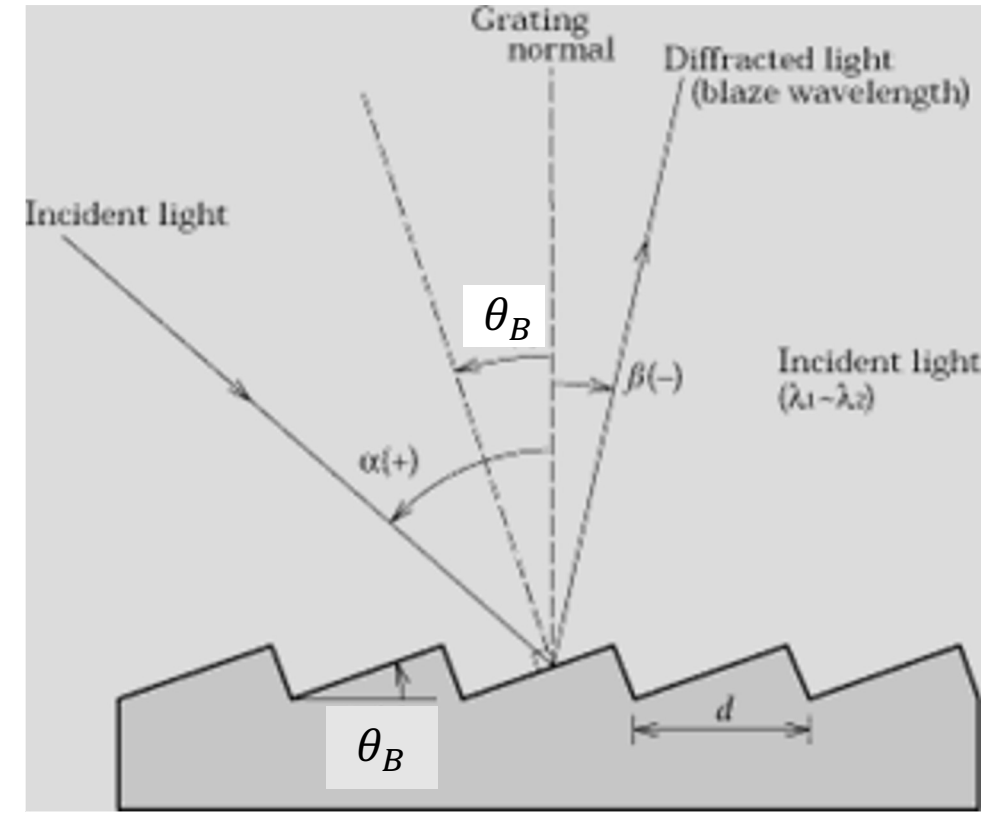
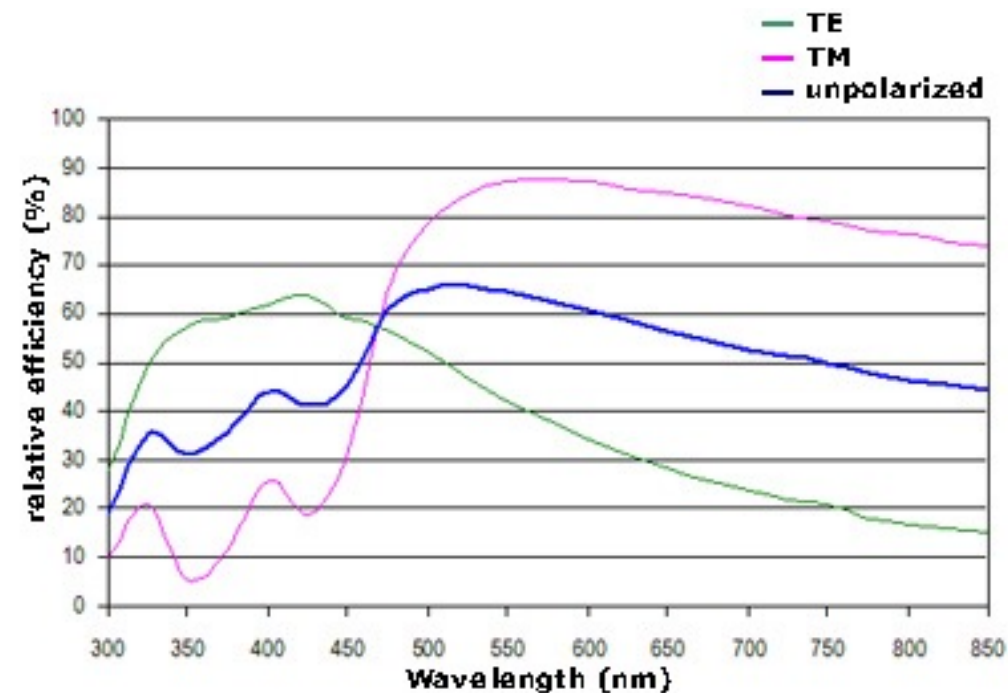
$$\Delta\varphi_{AC} = -\frac{2\pi a}{\lambda} \sin \alpha, \text{ which adds to the phase difference acquired after the grating: } \Delta\varphi_{BD} = \frac{2\pi a}{\lambda} \sin \beta.$$

- Total phase difference is then: $\Delta\varphi = \frac{2\pi a}{\lambda} (\sin \beta - \sin \alpha).$
- The condition for a maximum: $\Delta\varphi_{\max} = 2m\pi$ gives now: $\sin \beta - \sin \alpha = \frac{m\lambda}{a}.$
- The intensity of the peaks is the same: $I = N^2 I_0 = I_{\text{in}}.$
- The condition for minima: $\Delta\varphi_{\min} = 2m'\pi/N$ gives now: $\sin \beta - \sin \alpha = \frac{m'\lambda}{aN} = \frac{m'\lambda}{L_r}$ (L_r = total grating size).
- The transmission grating has two drawbacks:
 - Loss of light by the opaque regions (25-50%).
 - The transmitted intensity is divided between the diffraction orders.



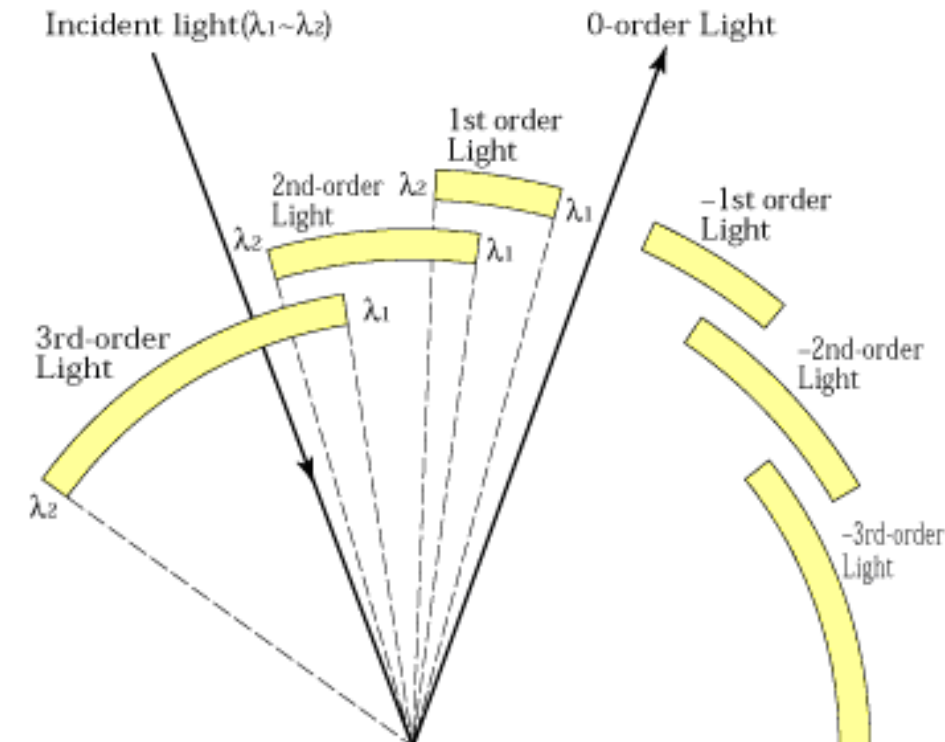
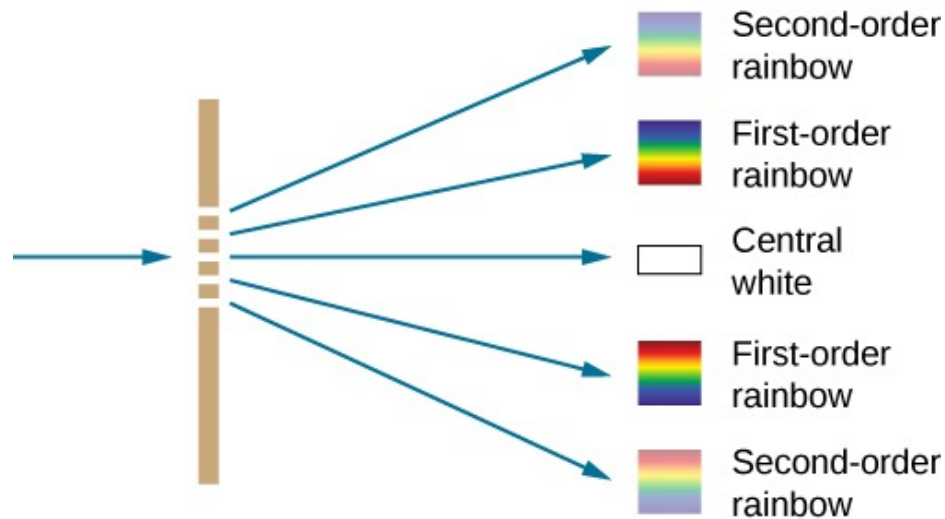
The diffraction grating – physics (4)

- It is more efficient to use a grating of mirrors (**reflective grating**). It allows to choose the mirror angle θ_B .
- The condition for the maxima is the same: $\sin \beta - \sin \alpha = \frac{m\lambda}{a}$.
- Choosing the angle allows to maximize the reflected intensity in a specific diffraction order, by satisfying the reflection condition: $\alpha - \beta = 2\theta_B$ as well ("blazing"). This gives: $2\sin \theta_B \cos(\alpha - \theta_B) = \frac{m\lambda_{max}}{a}$, so λ_{max} is determined by system geometry (α , θ_B). The optimized "blazed" wavelength can reach >80% efficiency; for other wavelengths, the intensity is lower.



The diffraction grating – physics (5)

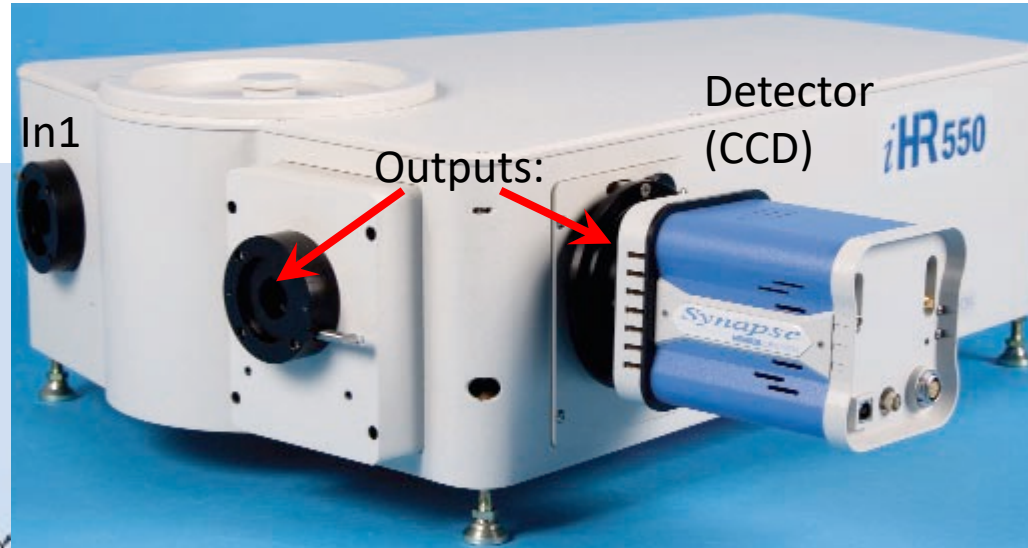
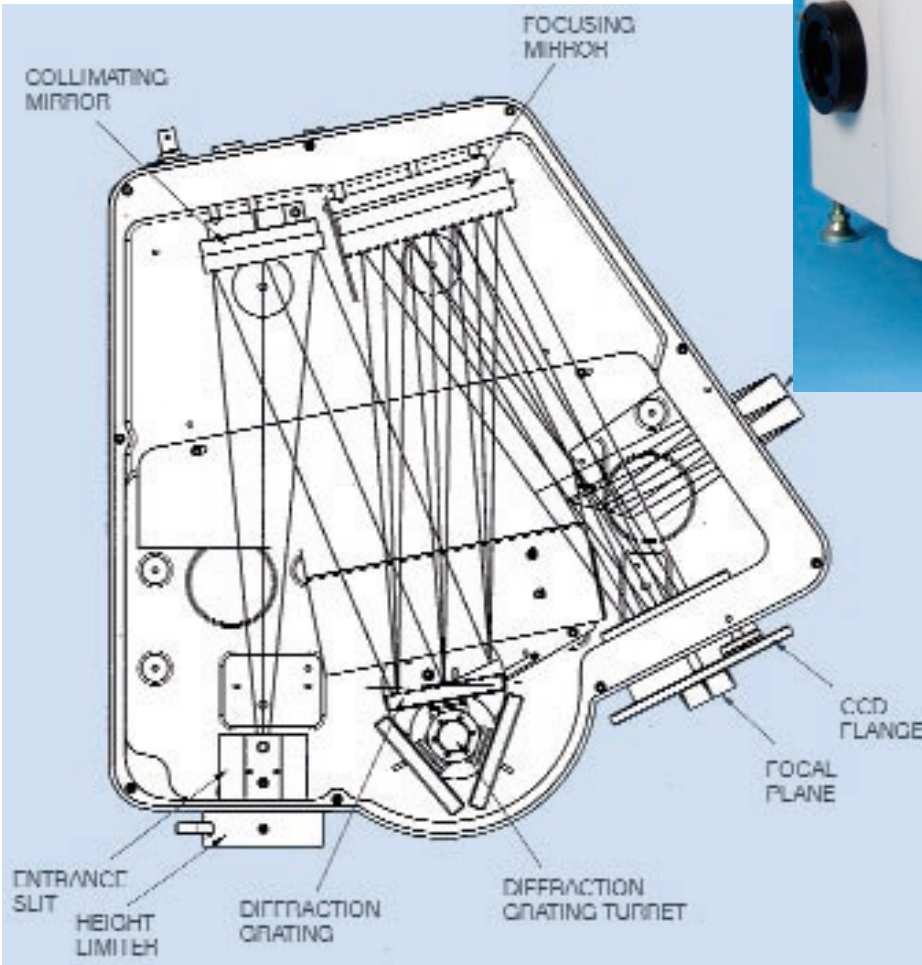
- Let's suppose that wavelengths λ_1 of an order m and λ_2 of an order $m+1$ are diffracted into the same angle β .
The grating equation gives: $\sin \beta - \sin \alpha = \frac{m\lambda_1}{a} = \frac{(m+1)\lambda_2}{a}$, or: $m\lambda_1 = (m+1)\lambda_2$.
- The difference is: $\Delta\lambda = \lambda_1 - \lambda_2 = \frac{\lambda_2}{m} = \frac{\lambda_1}{m+1}$.
- The result: there is an overlap between half the first order and the second order, a third of the second order and the third order, etc.



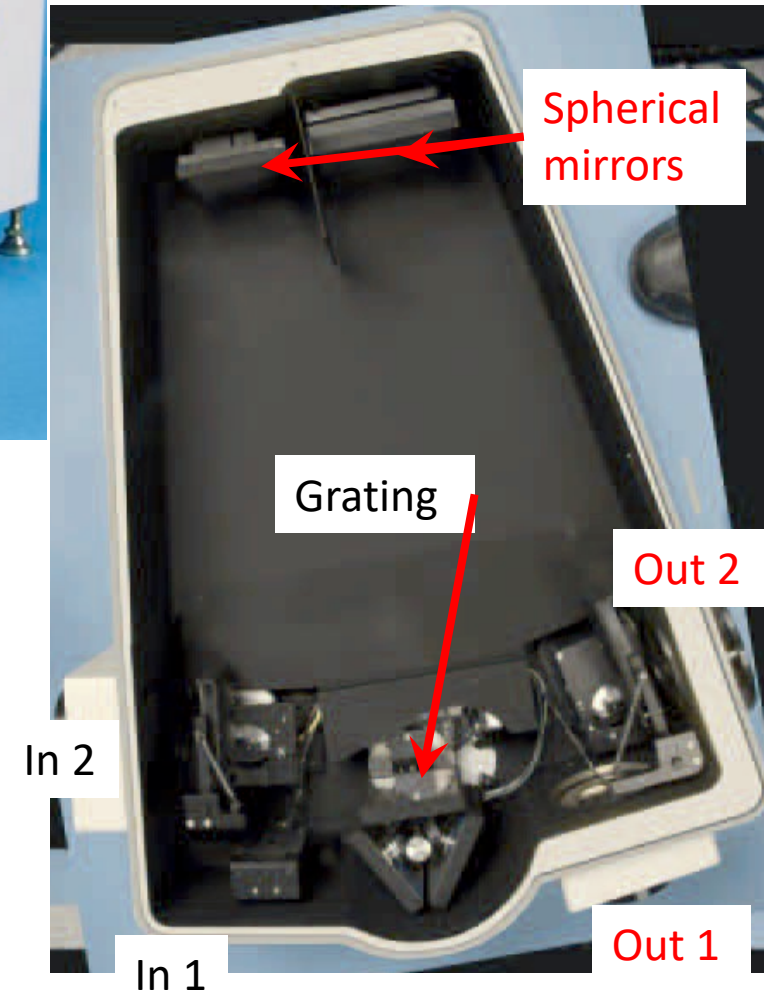
The grating monochromator/spectrograph

- A typical grating spectrometer is composed of two spherical mirrors and a grating:

Optical path inside the monochromator

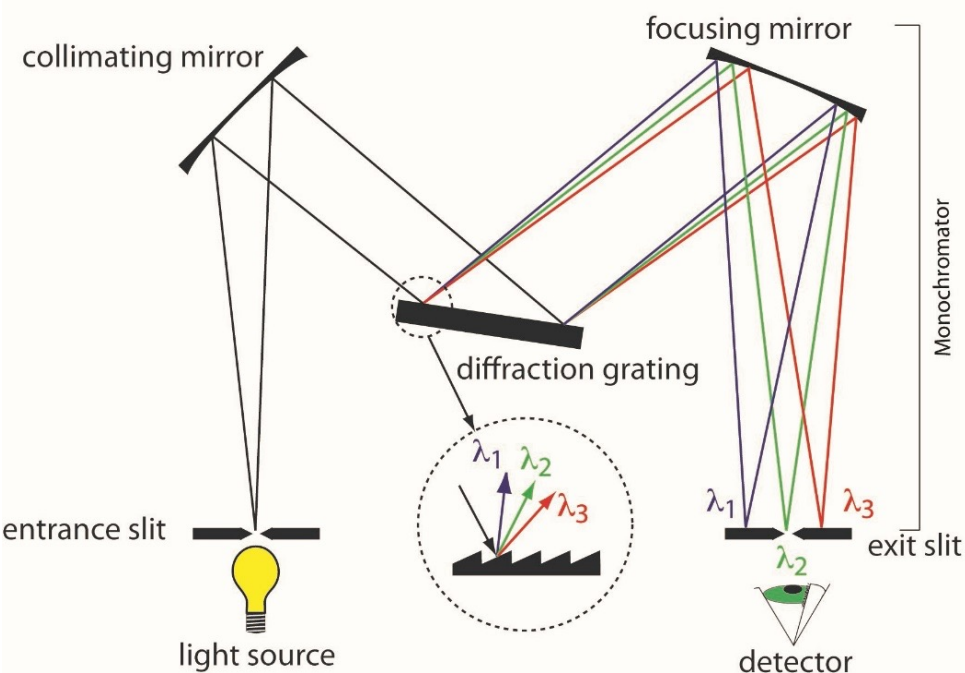


Inside view



Using the grating monochromator

- As a filter, using a broadband light source at the input to obtain a (low efficiency) source of monochromatic light.
- To measure the spectrum of the sample emission. There are two modes of operation:
 - Spectrometer: A narrow output slit selects the output wavelength, then a single detector measures the intensity. To obtain the full spectrum, we turn the grating according to: $\sin \beta - \sin \alpha = \frac{m\lambda}{a}$.
 - Spectrograph: A camera or detector array at the output measures simultaneously a full or partial spectrum. The position of the spectrum peak on the detector is determined by: $\sin \frac{y}{L} - \sin \alpha = \frac{m\lambda}{a}$. If the detector size is D, the measured spectral range is: $\Delta\lambda \approx \frac{aD}{mL}$. For a larger spectral range, several spectra should be measured by turning the grating.



Typical values:

$$a=0.83 \mu\text{m}$$

$$L=550 \text{ mm}$$

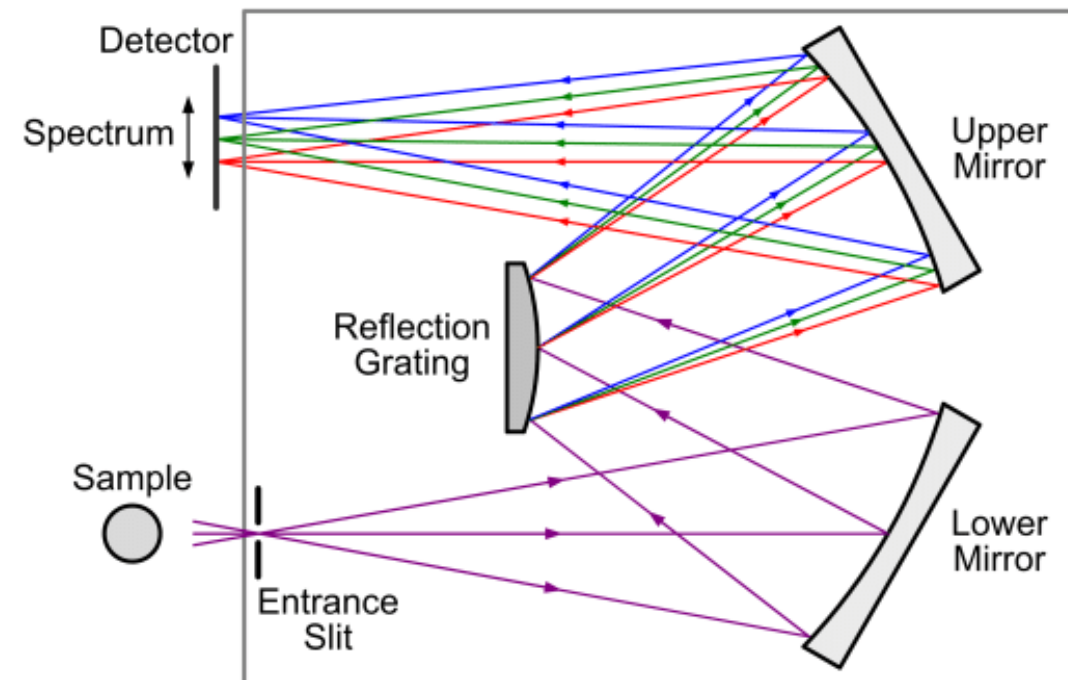
$$D=25 \text{ mm}$$

$$\Delta\lambda=38 \text{ nm}$$

=>

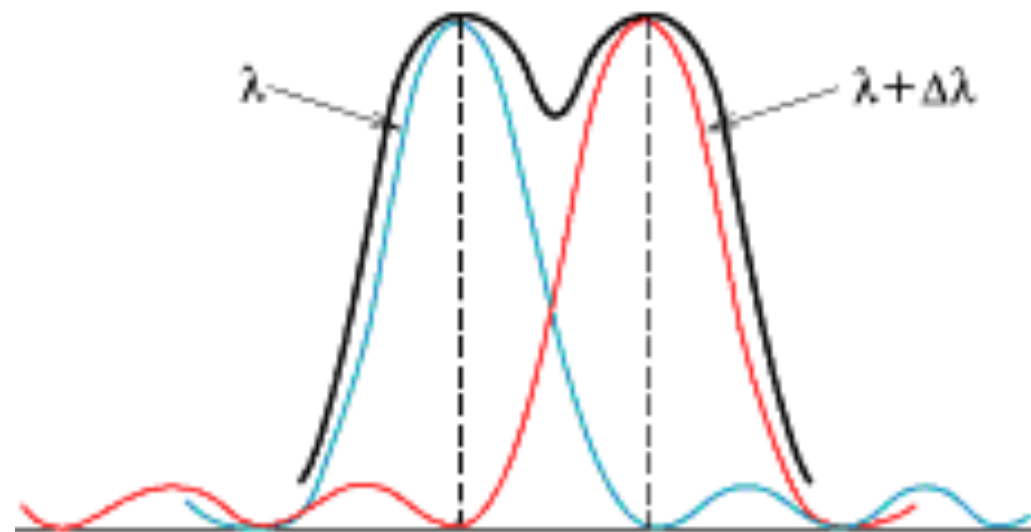
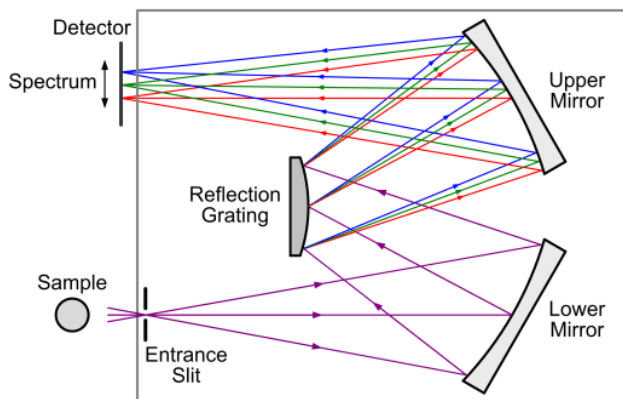
https://www.researchgate.net/profile/Jianwei_Qin/publication/312956040/figure/fig1/AS:456608141582336@1485875272925/Wavelength-dispersive-imaging-spectrographs-a-prism-grating-prism-PGP-transmission.png

<https://blogs.maryville.edu/aas/wp-content/uploads/sites/1601/2015/04/monochromater.jpg>



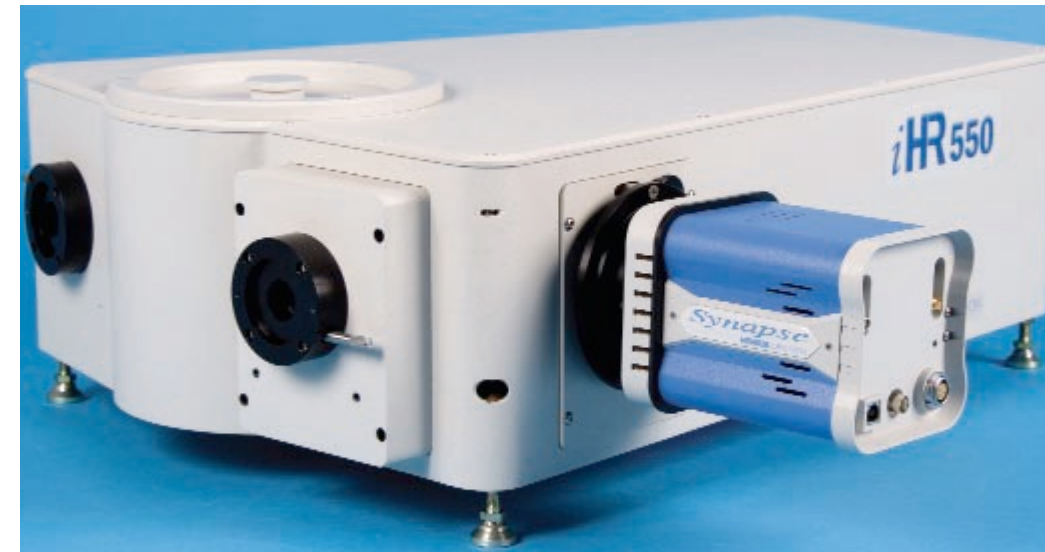
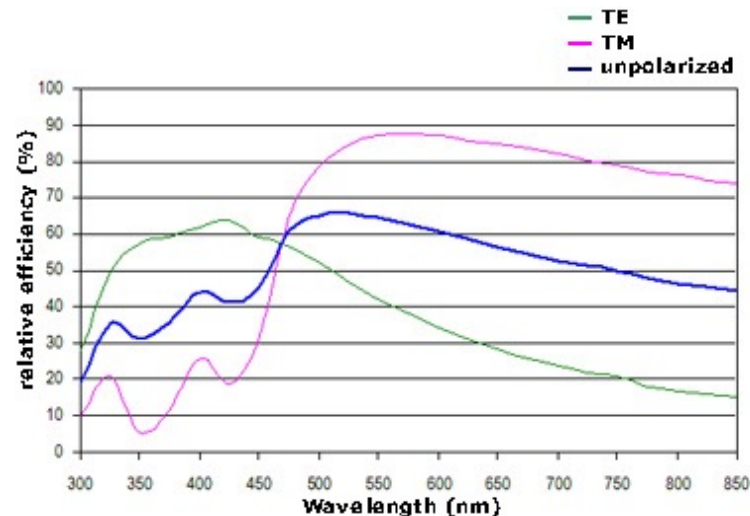
Performance of the grating spectrometer/spectrograph

- The angle of the peaks: $\sin \beta - \sin \alpha \approx \sin \frac{y}{L} - \sin \alpha = \frac{m\lambda}{a}$ ($y \approx L\beta$ is the position of the peak on the detector).
- The **dispersion** (difference in peak position for a given wavelength change) is: $\frac{d\lambda}{dy} \approx \frac{a}{m} \frac{d}{dy} \sin \frac{y}{L} = \frac{a \cos \beta}{mL}$.
- The **resolution** is given by the Rayleigh criterion to distinguishing between two wavelengths: the coincidence of the peak of a wavelength λ_1 with the zero of a wavelength $\lambda_2 = \lambda_1 + \Delta\lambda$, for the same grating angle.
- The corresponding angles are given by: $\sin \beta = \frac{m\lambda_1}{a} = \frac{m'\lambda_2}{Na}$; the wavelength difference is: $\Delta\lambda = \lambda_2 \frac{m' - mN}{mN}$. The **resolution** corresponds to: $m' - mN = 1$, giving: $\frac{\Delta\lambda}{\lambda} = \frac{1}{mN}$. The **resolvance** is: $R \equiv \frac{\lambda}{\Delta\lambda} = mN$.
- Typical values: $a = 0.83 \mu\text{m}$ (1200 l/mm), $L = 55 \text{ cm}$, $N = 91200$, $\beta = 28^\circ$; for the 1st order: $\frac{d\lambda}{dy} \cong 1.35 \text{ nm/mm}$, $\frac{\Delta\lambda}{\lambda} \cong 1.1 \cdot 10^{-5}$. A typical element of a CCD detector (13 μm) corresponds to $\Delta\lambda = 17 \text{ pm}$, and the Rayleigh resolution is 11 pm at $\lambda = 1 \mu\text{m}$. The resolvance is: $R = N = 91200$.
- The spectral range is 38 nm for a 2000 pixel (25.4 mm) CCD.



Summary of grating spectrometer properties

- Advantages:
 - High resolvance
 - Large spectral range
 - Weak dependence of resolution on wavelength
- Disadvantages:
 - High resolution instruments are large, expensive
 - Medium efficiency, wavelength and polarization-dependent
- Main applications:
 - "Workhorse" spectrometer in most physics laboratories, when high resolution and large spectral range are needed



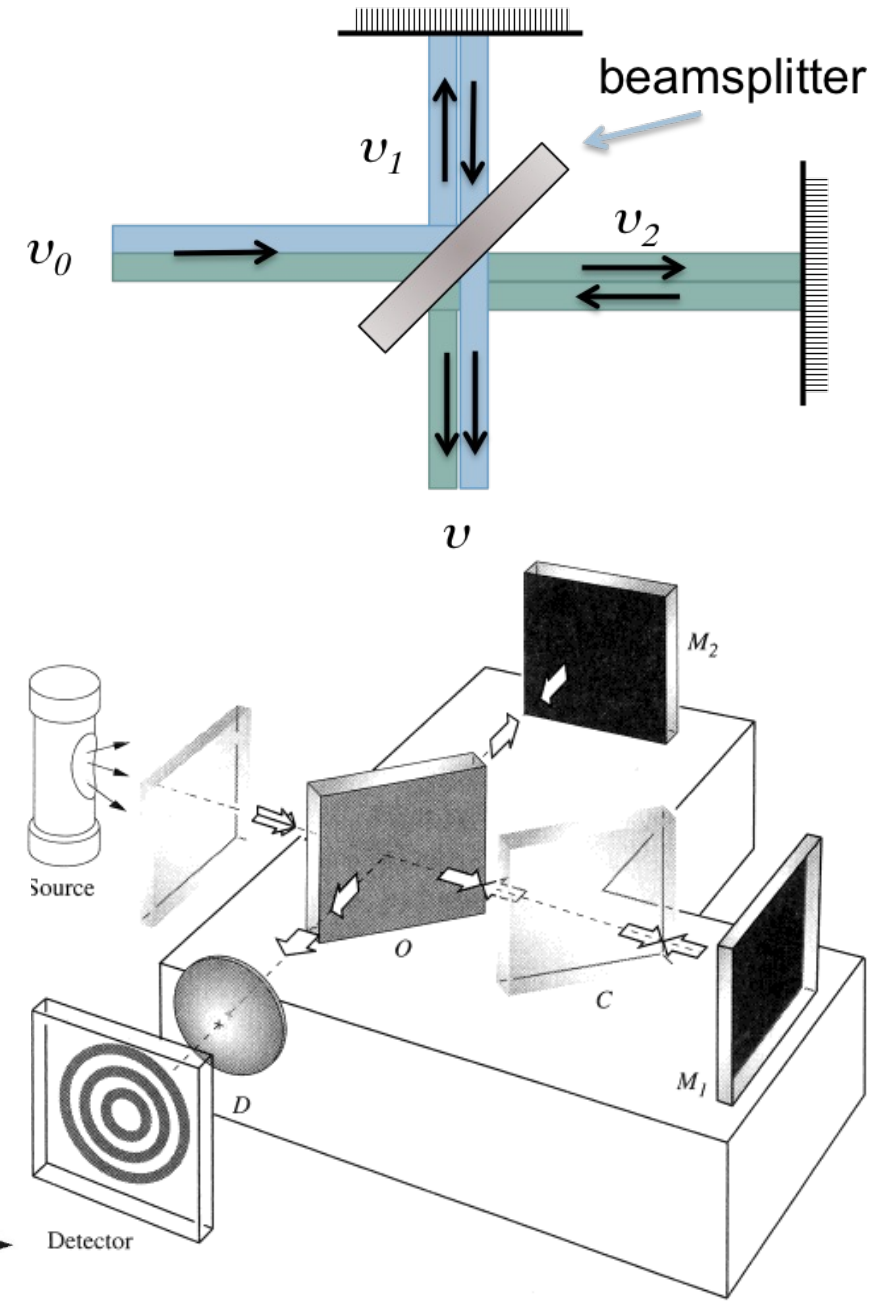
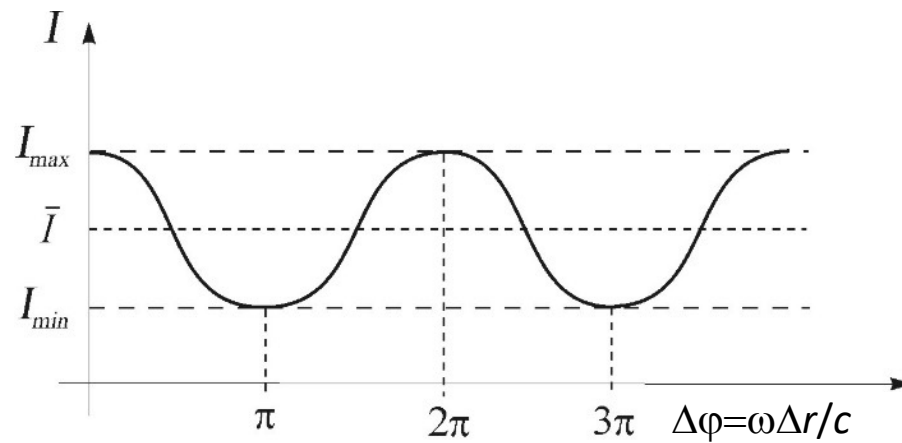
The FTIR spectrometer

- The Fourier-Transform IR (FTIR) spectrometer is widely used in (bio-)chemistry research and industry, where it is used to measure the absorption spectra of molecules.
- It combines moderately high resolution, wide spectral range (usually 1-10 μm), high efficiency, and simple (automatic) use.
- Its operation is based on light interference in the **Michelson interferometer**.



The Michelson interferometer

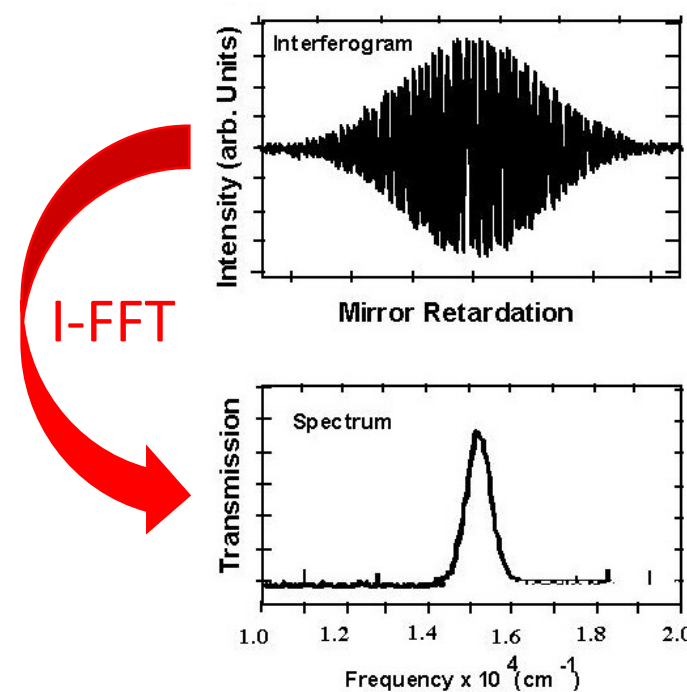
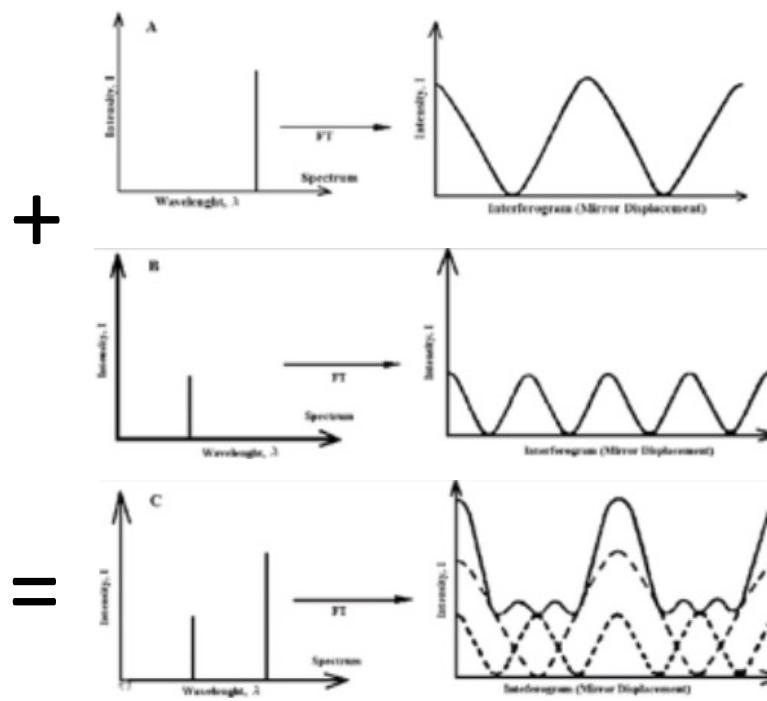
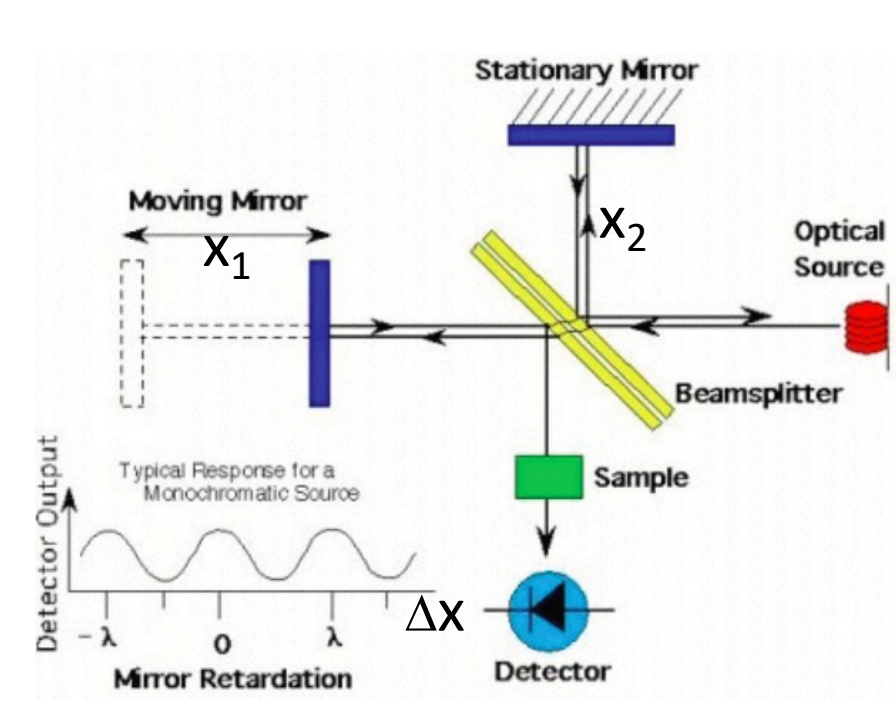
- The Michelson interferometer (1885) is composed of a 50% beamsplitter and two mirrors. Light coming from v_0 is split into the two equal beams (v_1 and v_2), that are reflected back and redirected by the beamsplitter in the direction v towards a detector, where they interfere.
- If the initial beam is described by: $E_s = E_0 \cos(kx - \omega t)$, then the detector receives the sum: $E_d = E_1 + E_2 = \frac{E_0}{\sqrt{2}} [\cos(kx_1 - \omega t) + \cos(kx_2 - \omega t)] = \sqrt{2} E_0 \cos(kx_a - 2\omega t) \cos(k\Delta x/2)$, where: $x_a = (x_1 + x_2)/2$, and: $\Delta x = x_1 - x_2$ is the **optical path difference (OPD)**
- The detector measures the intensity: $I_d \propto \langle E_d^2 \rangle_T = 2E_0^2 \langle \cos^2(kx_a - 2\omega t) \rangle_T \cos^2(k\Delta x/2) = I_s [1 + \cos(k\Delta x)] = I_s [1 + \cos(2\pi\Delta x/\lambda)] = I_s [1 + \cos(2\pi\Delta x\sigma)]$.
- $\sigma = \frac{1}{\lambda}$ is the *spatial frequency*, usually measured in cm^{-1} ($1 \mu\text{m} = 10^4 \text{ cm}^{-1}$)



The Michelson interferometer can produce a spectrum

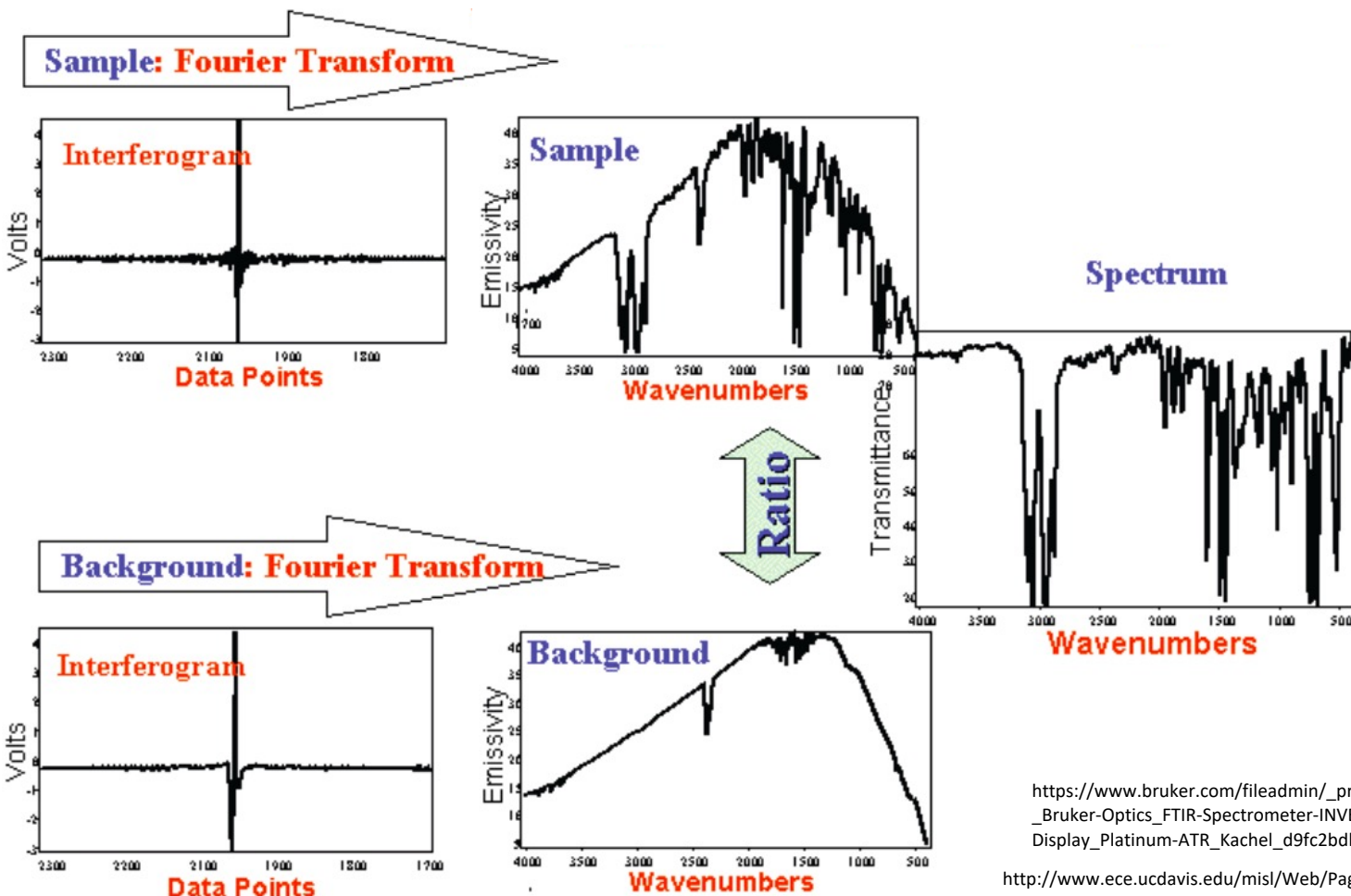
- We build an interferometer with one fixed and one moving mirror. The detected intensity varies with the moving mirror's position x : $I_d = I_s[1 + \cos(2\pi\sigma\Delta x)]$.
- If the source contains two frequencies, the intensity will be their sum:

$$I_d(\Delta x) = I_{\sigma_1}(\Delta x) + I_{\sigma_2}(\Delta x) = I_s(\sigma_1) + I_s(\sigma_2) + I_s(\sigma_1) \cos(2\pi\sigma_1\Delta x) + I_s(\sigma_2) \cos(2\pi\sigma_2\Delta x)$$
- For a multitude of frequencies: $I_d(\Delta x) = \sum_i I_s(\sigma_i) + \sum_i I_s(\sigma_i) \cos(2\pi\sigma_i\Delta x) = I_{s,total} + \mathcal{F}(I_s(\sigma))$ is the Fourier transform of the spectrum $I_s(\sigma)$.
- The **spectrum** is the *inverse Fourier transform* of the **interferogram** $I_d(\Delta x)$: $I_s(\sigma) = \mathcal{F}^{-1}(I_d(\Delta x))$.



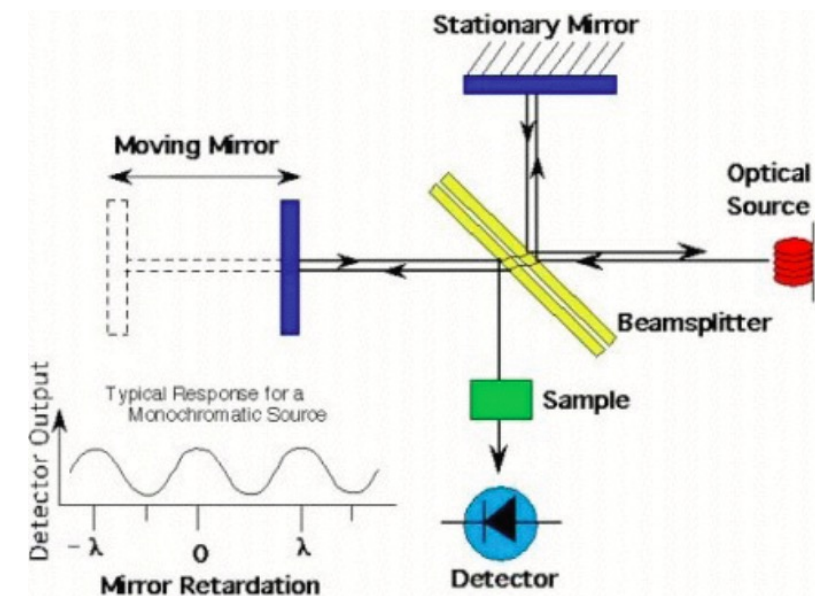
The FTIR spectrometer

The *FTIR spectrometer* is usually used to measure the absorption spectra of molecules. We measure the spectrum of a broadband (white) light source, then insert in the optical path the solution and measure again. The absorption spectrum is obtained as the ratio of the two spectra.



https://www.bruker.com/fileadmin/_processed_/csm/_Bruker-Optics_FTIR-Spectrometer-INVENIO-S_Touch-Display_Platinum-ATR_Kachel_d9fc2bdbbea.jpg

<http://www.ece.ucdavis.edu/misl/Web/Pages/LSMweb/FTtran99.htm>



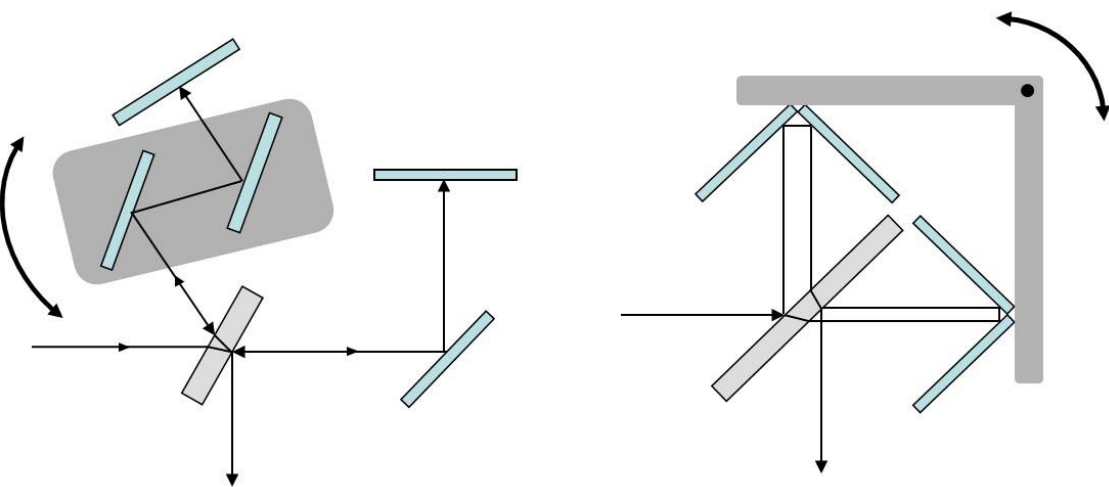
The FTIR spectrometer: performance

- The optical spectrum is calculated by a numerical Fourier transform (FFT) of the sampled interference pattern:
$$I_d(\Delta x) = \sum_i I_s(\sigma_i) + \sum_i I_s(\sigma_i) \cos(2\pi\sigma_i\Delta x) = I_{s,total} + \mathcal{F}(I_s(\sigma)) .$$
- For a broadband source, the detected signal has a maximum for $\Delta x=0$ (all wavelengths interfere positively).
- If δx is the sampling interval, the first data point after $x=0$ is at $x=\delta x$; the corresponding frequency is: $\sigma_{max}\delta x = 1/2$, giving: $\sigma_{max} = \frac{1}{2\delta x}$, which is the highest detectable frequency. This results also from the Nyquist-Shannon sampling theorem.
- The ability to distinguish between two close frequencies is related to the maximal path $2\Delta x_{max}$: suppose that the frequencies σ_1 and σ_2 correspond to n and $n+1$ interference cycles: $\sigma_1 2\Delta x_{max} = n$ and $\sigma_2 2\Delta x_{max} = n + 1$. The difference is: $(\sigma_2 - \sigma_1)2\Delta x_{max} = 1$, or: $\Delta\sigma = \frac{1}{2\Delta x_{max}}$. The resolvance is then: $R = \frac{\lambda}{\Delta\lambda} = \frac{-\sigma}{\Delta\sigma} = \frac{2\Delta x_{max}}{\lambda}$,
$$R_{max} = \frac{\Delta x_{max}}{\delta x} .$$
- Typical values for FTIR spectrometers:

δx (μm)	Δx_{max} (cm)	$\sigma_{min}=\Delta\sigma$ (cm^{-1})	σ_{max} (cm^{-1})	λ_{min} (μm)	R
0.633	0.3	1.7	$7.9\cdot 10^3$	1.27	$4.7\cdot 10^3$
0.633	3	0.17	$7.9\cdot 10^3$	1.27	$4.7\cdot 10^4$
0.633	30	0.017	$7.9\cdot 10^3$	1.27	$4.7\cdot 10^5$

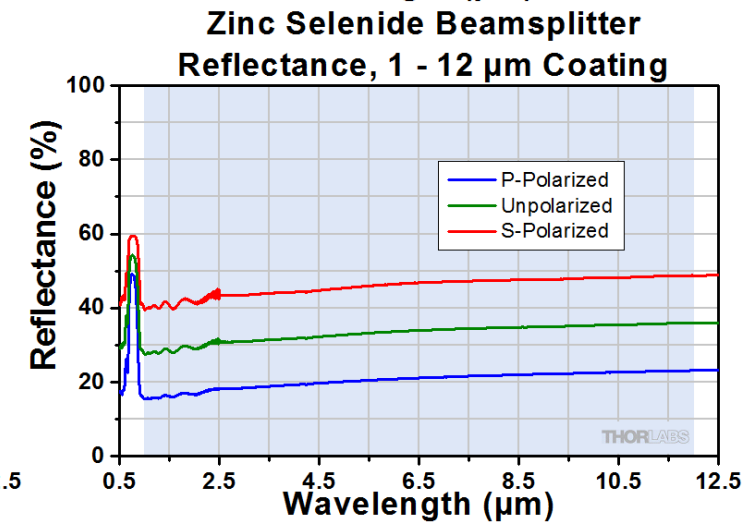
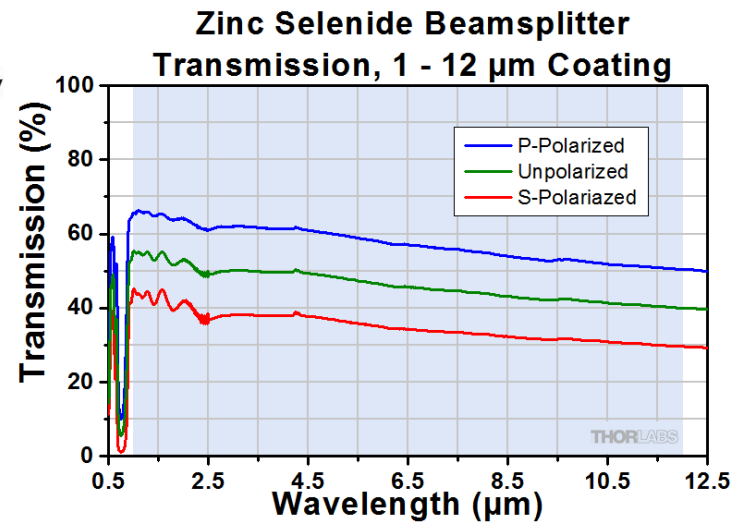
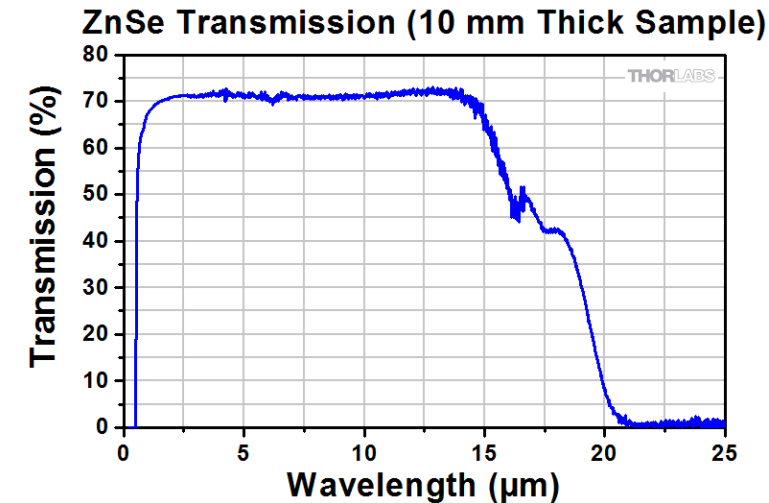
Material and structure issues

- The performance of the FTIR spectrometer depends on the beam splitter
- To work at long IR wavelengths, special materials are needed: ZnSe (to 20 μm), KBr (to 25 μm), CsI (to 50 μm).
- The detector should also be broadband (vis to FIR), usually a bolometer.
- To avoid water absorption, the spectrometer volume is filled with dry N_2 .
- Another issue is the stability of the moving mirror along its trajectory ($< 0.5 \mu\text{m}$) and beam alignment.
- In some instruments, alternative methods are used (cube retroreflectors, rotating mirror assemblies).



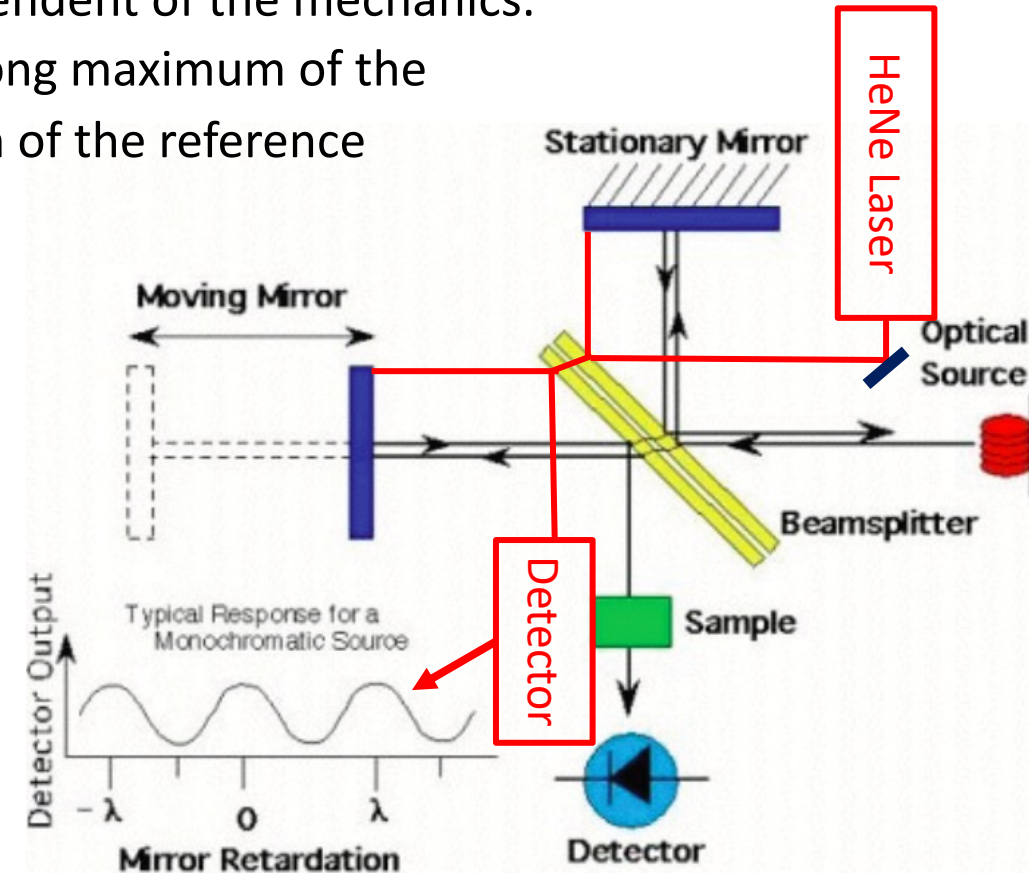
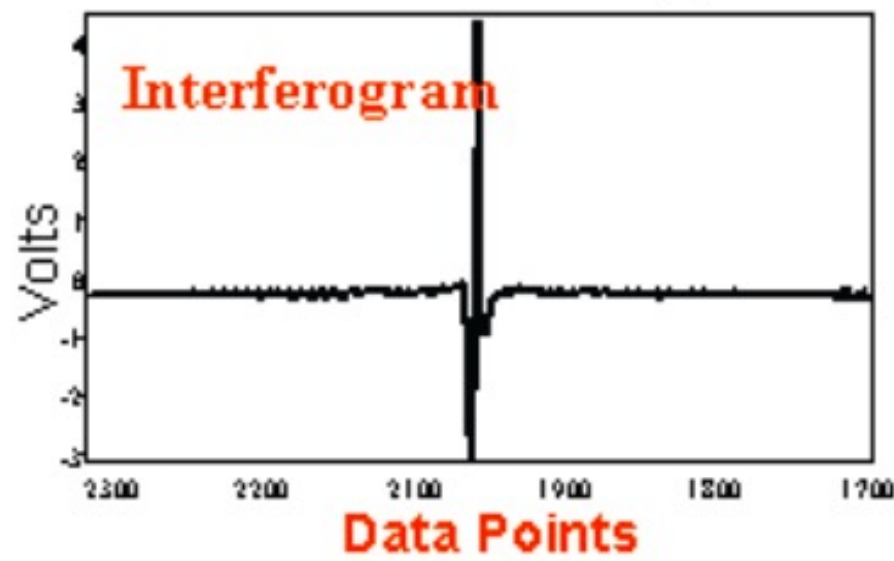
https://upload.wikimedia.org/wikipedia/commons/8/8e/Interferometer_schematics.jpg

https://www.thorlabs.com/newgrouppage9.cfm?objectgroup_id=4805



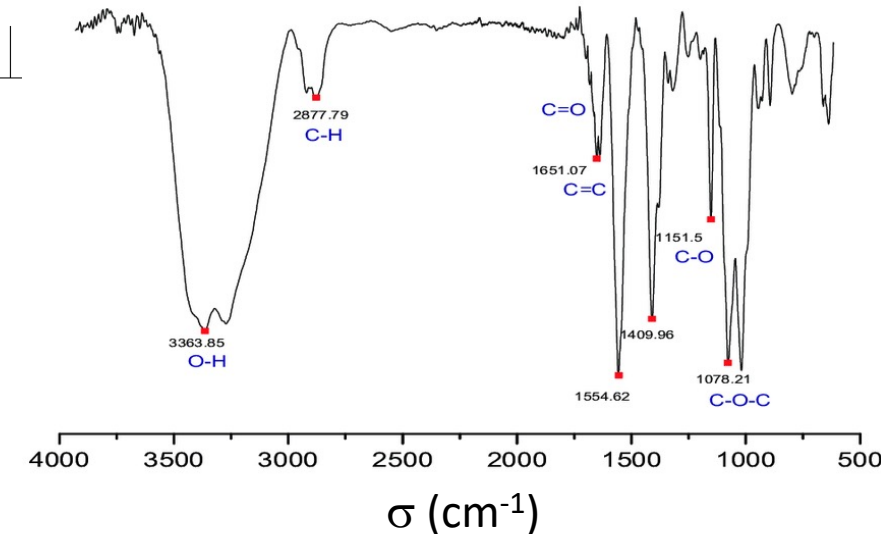
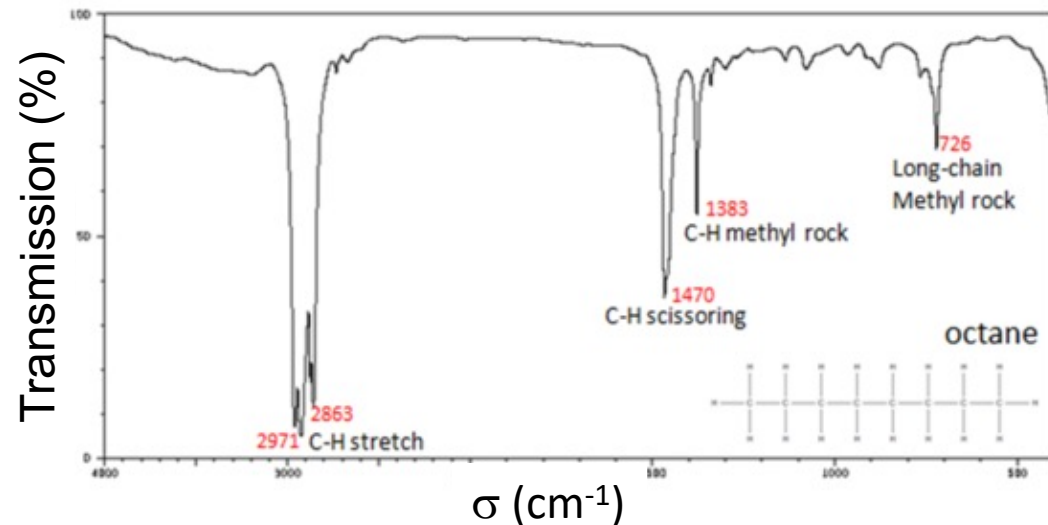
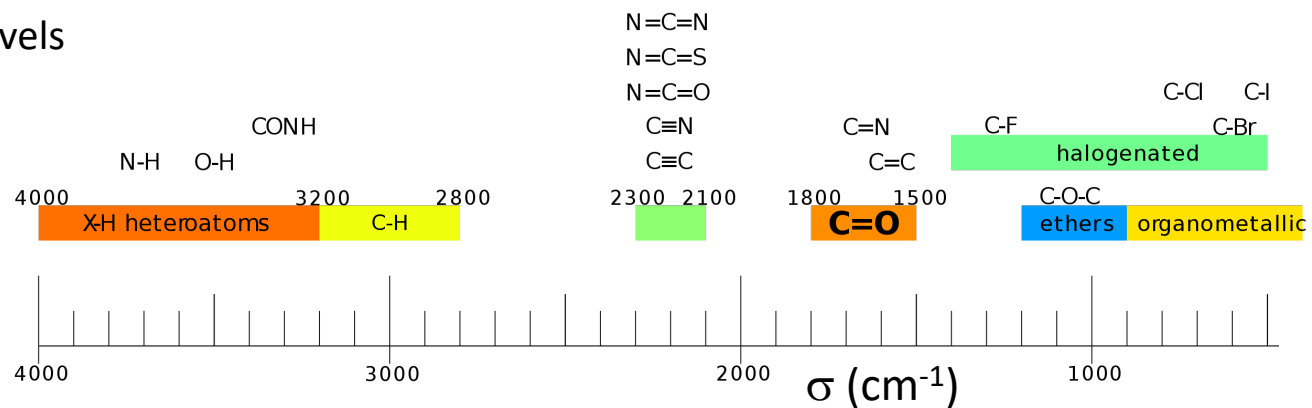
How to increase resolution

- To obtain high resolution at long wavelength, we need a long mirror trajectory with high-resolution, stable linear movement. This is not easy to achieve!
- A simple method to overcome the mechanical deficiencies is to add an internal standard. Usually it's a HeNe laser, emitting at 632.816 nm. It passes through the interferometer in parallel to the source beam, and into a separate detector, which provides a reference sinusoidal voltage corresponding to the spatial frequency of $\lambda=0.633 \mu\text{m}$, which gives the precise position of the mirror independent of the mechanics.
- The zero point of the mirror path $\Delta x=0$ is also detected as the strong maximum of the interferogram at that point, which also coincides with a maximum of the reference signal.



The use of the FTIR spectrometer

- The *FTIR spectrometer* is usually used to measure the absorption spectra of molecules as the ratio of the light passing through the molecules and the source's light.
- Typical absorption peaks are related to molecular properties:
 - Rotational levels
 - Vibrational levels



<http://www.ece.ucdavis.edu/misl/Web/Pages/LSMweb/FTtran99.htm>

https://s3-us-west-2.amazonaws.com/courses-images/wp-content/uploads/sites/1518/2017/10/05153652/octane_1.png

https://www.bruker.com/fileadmin/_processed_/csm_Bruker-Optics_FTIR-Spectrometer-INVENIO-S_Touch-Display_Platinum-ATR_Kachel_d9fc2bdbbea.jpg

<https://upload.wikimedia.org/wikipedia/commons/thumb/d/d9/IR-spectroscopy-sample.svg/2880px-IR-spectroscopy-sample.svg.png>

Summary of FTIR properties

Advantages:

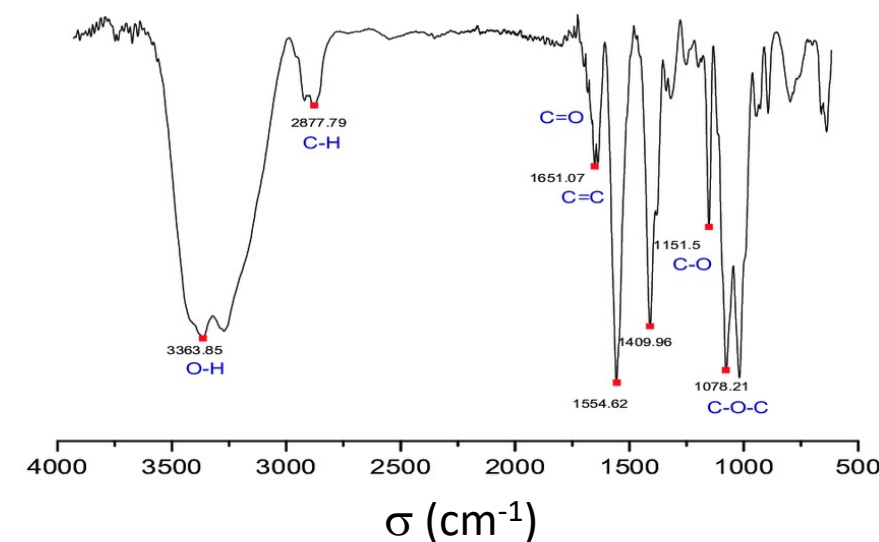
- High transmittance (full beam size is used, no slits)
- Hi speed (full spectrum taken in one fast sweep), averaging can be used to reduce noise.
- Wide wavelength range ($1 \rightarrow >10 \mu\text{m}$)
- No strange resonances

Disadvantages:

- Low resolvance, unless long trajectory
- Needs good alignment and stability of moving mirror path

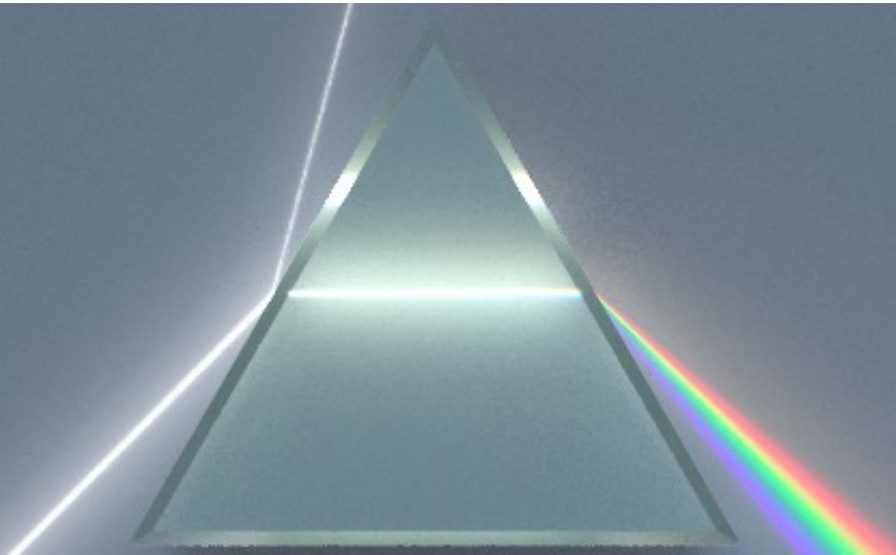
Main applications:

- Organic chemistry and bio-chemistry laboratories
- Forensic laboratories



The prism spectrometer

- The oldest (Newton 1670) and simplest spectrometer is the prism spectrometer.
- It uses the dispersion of light by a glass prism.



https://upload.wikimedia.org/wikipedia/commons/b/bd/Dispersive_Prism_Illustration.jpg



<http://www.scitechantiques.com/special%20instruments/090HTML/images/90PrismSpectroscopeB.jpg>

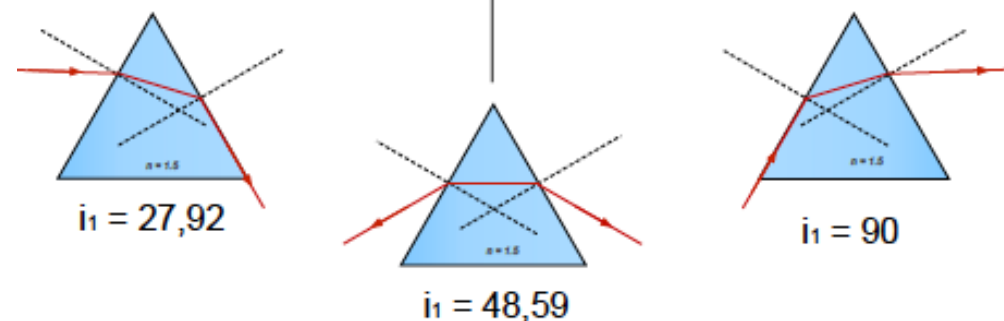
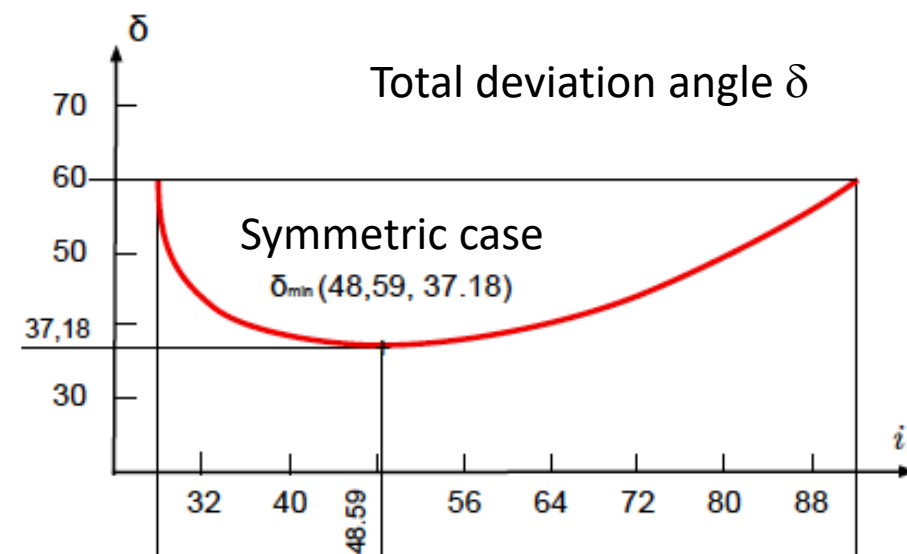
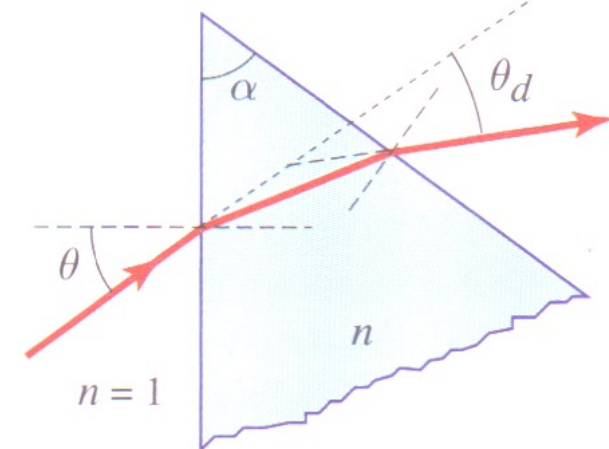
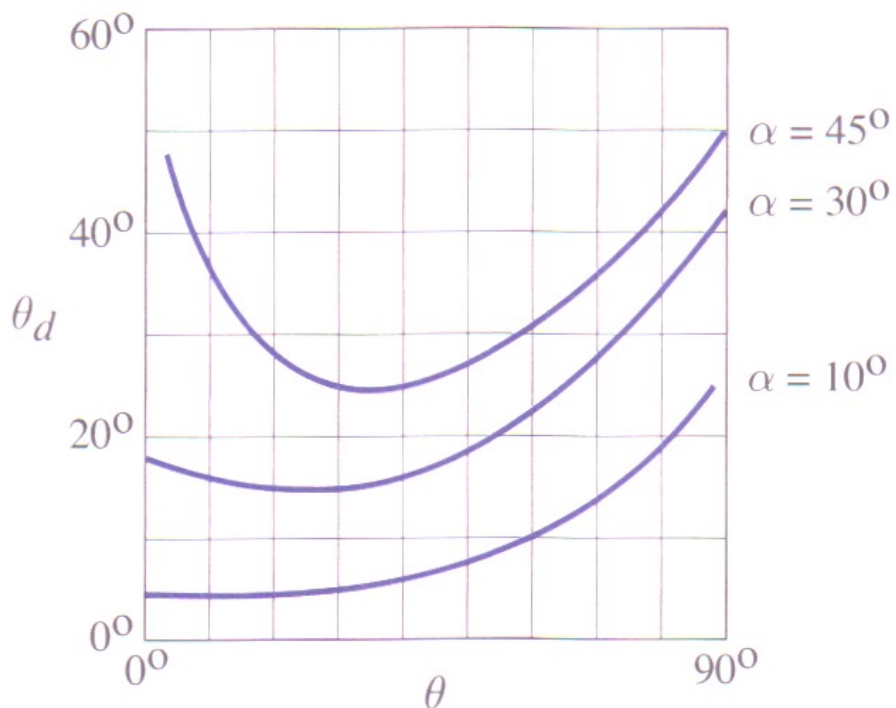
The refractive prism – physics(1)

- The simple glass prism can be used as a dispersive element.
- The deviation angle δ of light passing through a prism is:

$$\delta \equiv \theta_d = \theta - \alpha + \sin^{-1}[\sqrt{n^2 - \sin^2 \theta} \sin \alpha - \sin \theta \cos \alpha]$$

- δ depends on θ , α and n . The dependence of δ on θ has a minimum at $\delta = \delta_m$; this angle corresponds to the symmetrical situation when the beam travels inside the prism parallel to its base.

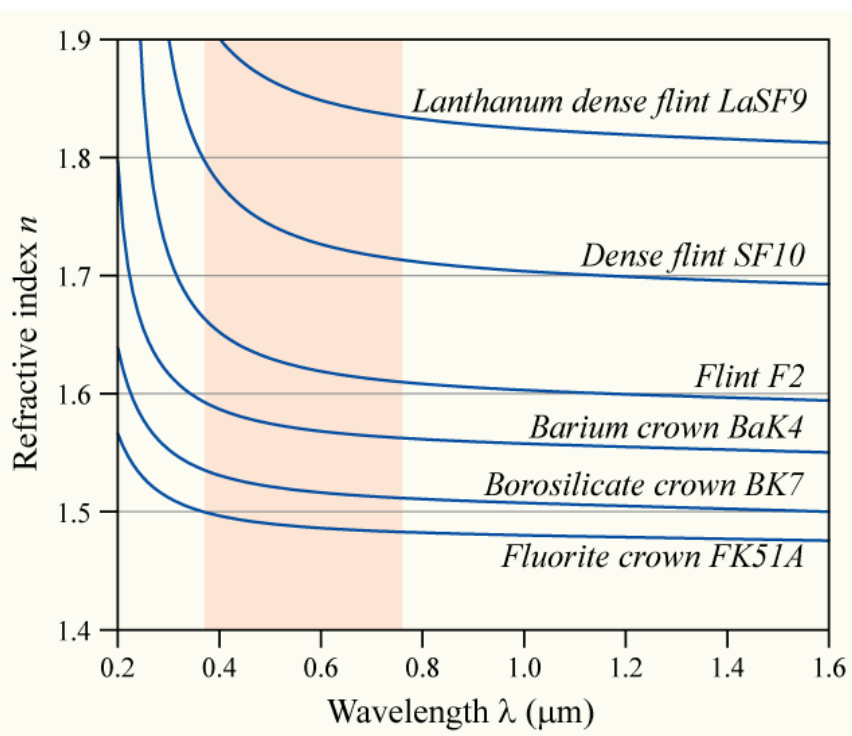
- In this case, we can find n through: $n = \frac{\sin[(\delta_m + \alpha)/2]}{\sin(\alpha/2)}$



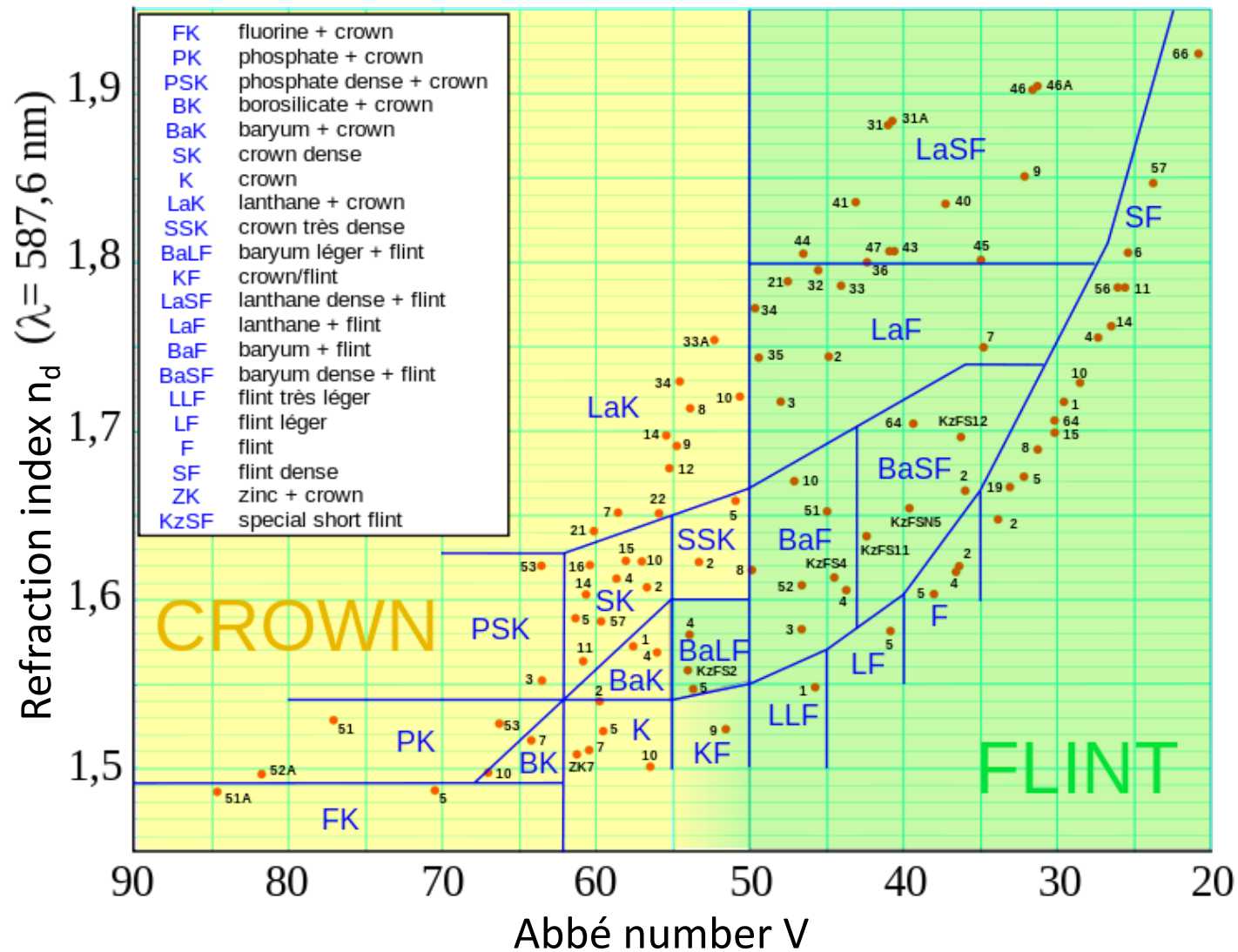
The refractive prism – physics(2)

- The usefulness of the prism in spectroscopy is because n depends on wavelength: $n=n(\lambda)$
- The relation between δ_m and n produces:

$$\sin[(\delta_m + \alpha)/2] = \frac{n(\lambda)}{\sin(\alpha/2)}$$
- Choice of the prism material allows to get the wanted change in $n(\lambda)$.
- Dense glasses (La-doped) are best

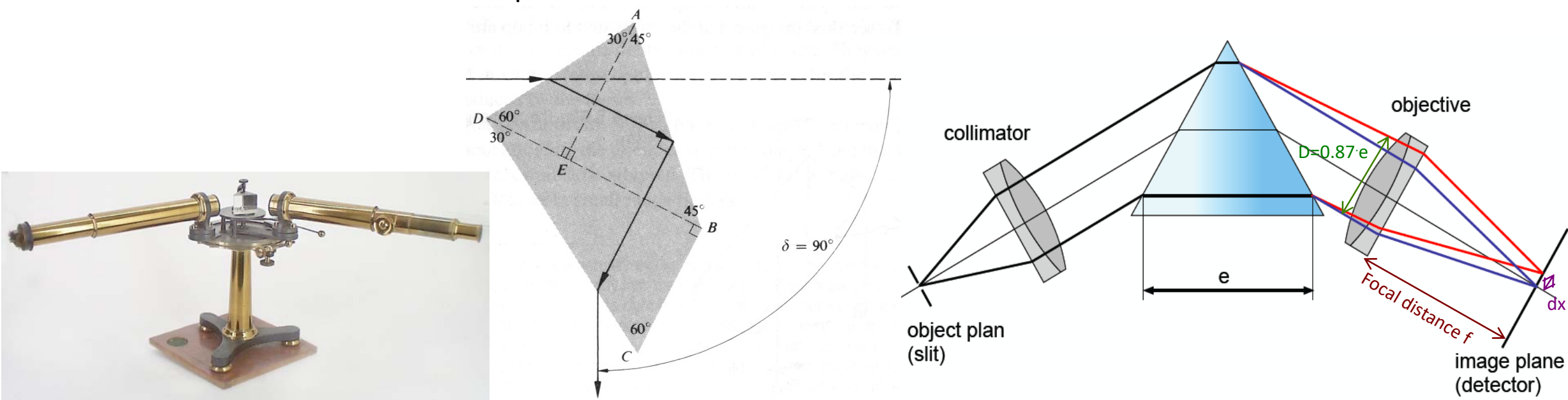


A way to characterize glasses is by the Abbé number: $V_d = \frac{n_d - 1}{n_F - n_C}$; d, F, C = atomic spectral lines (587.6, 486.1, 656.3 nm)



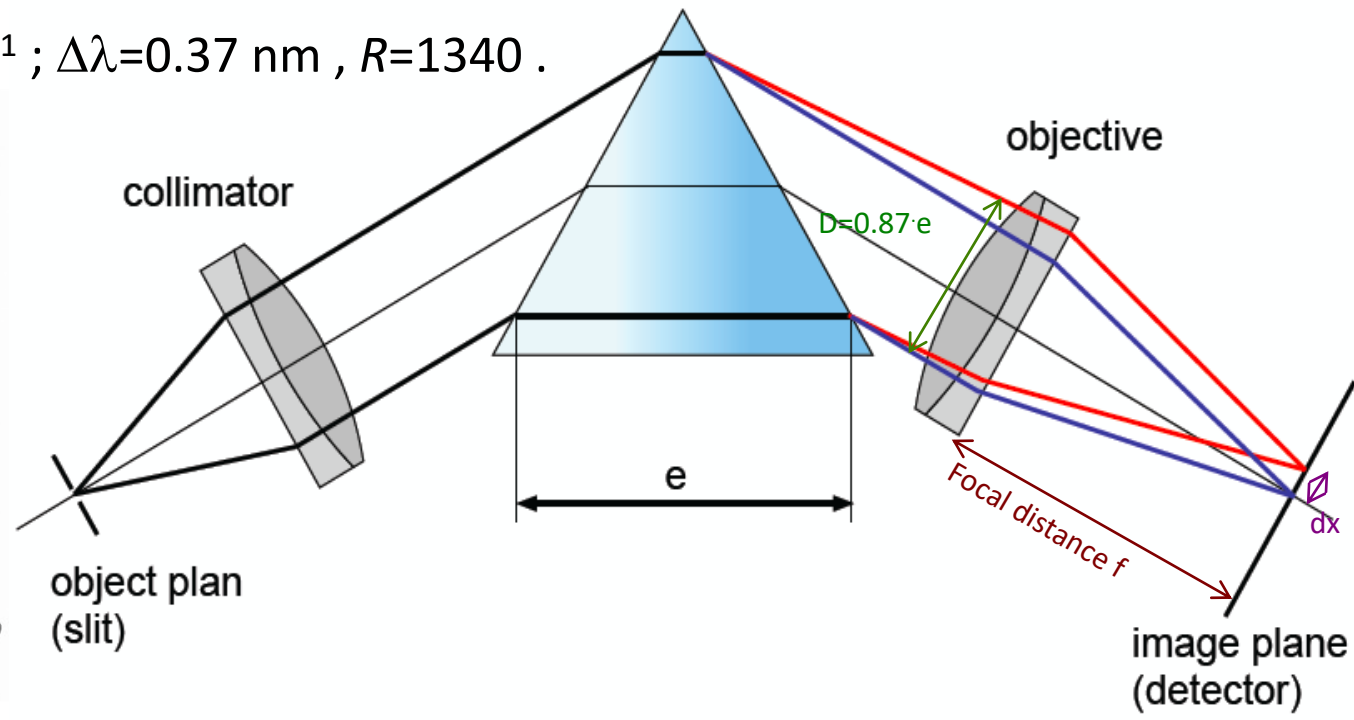
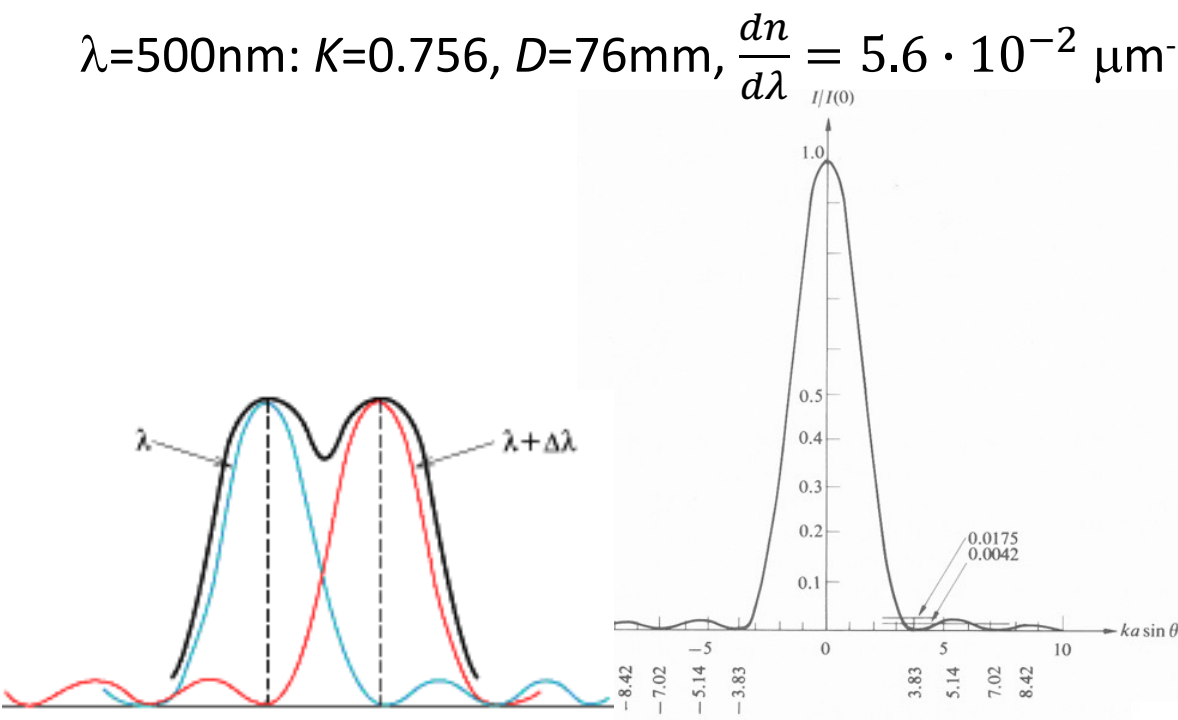
Using the prism spectrometer

- A lens is used to transform light coming from an entrance slit to a parallel beam entering the prism. A similar lens focuses the parallel beam coming from the prism onto an exit slit.
- To maintain the condition of minimum deviation, both entrance and exit angles should change simultaneously. This is not very convenient!
- A solution of this problem is the Pellin-Broca prism, which is a double 30° top prism plus internal reflection at 90°. In this prism, the beam deviation is always $\delta_m = 90^\circ$ if: $\sin(\theta_i) = n/2$.
- In this configuration, we keep entrance and exit optics at 90° to each other, and turn the prism to satisfy the refraction condition $\sin(\theta_i) = n(\lambda)/2$. This allows to filter a single wavelength (according to the slit width), either as a filtered source or as a spectrometer.



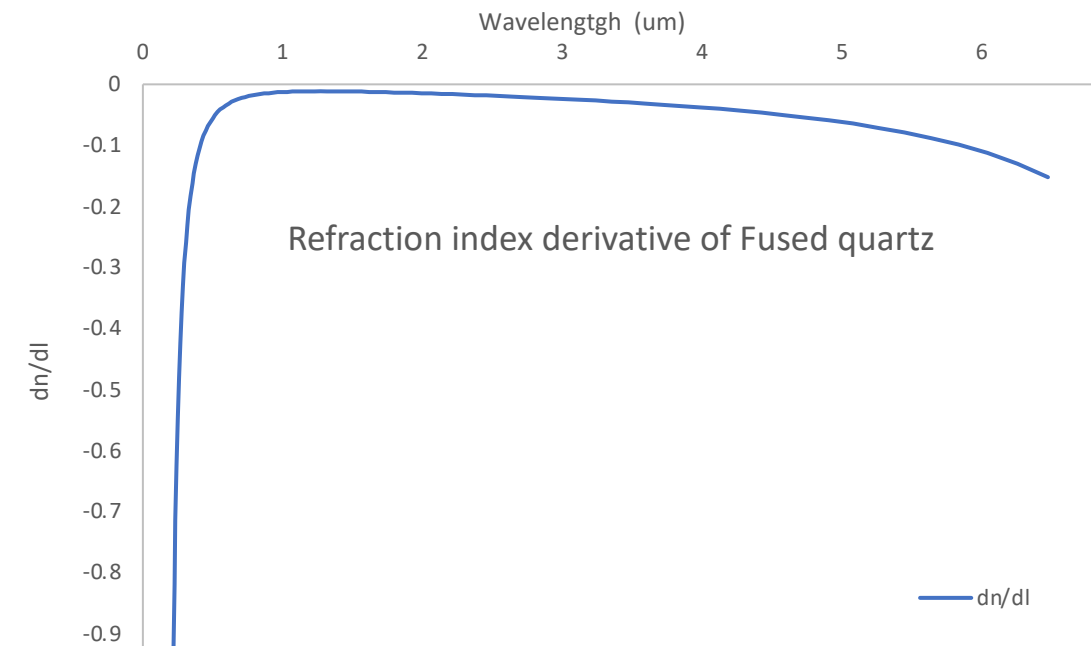
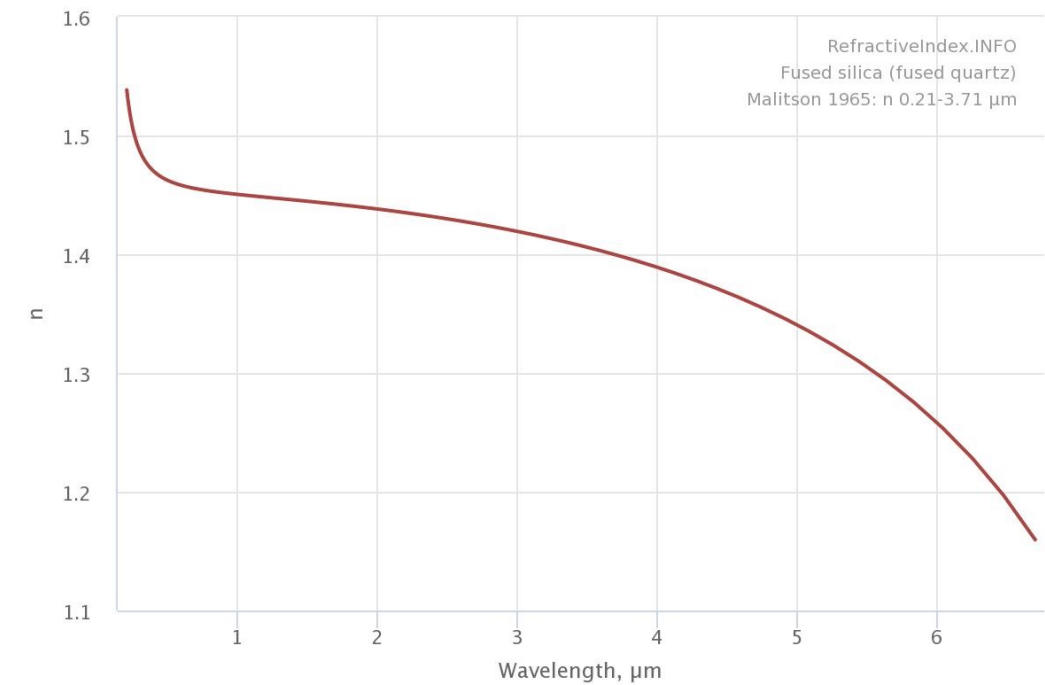
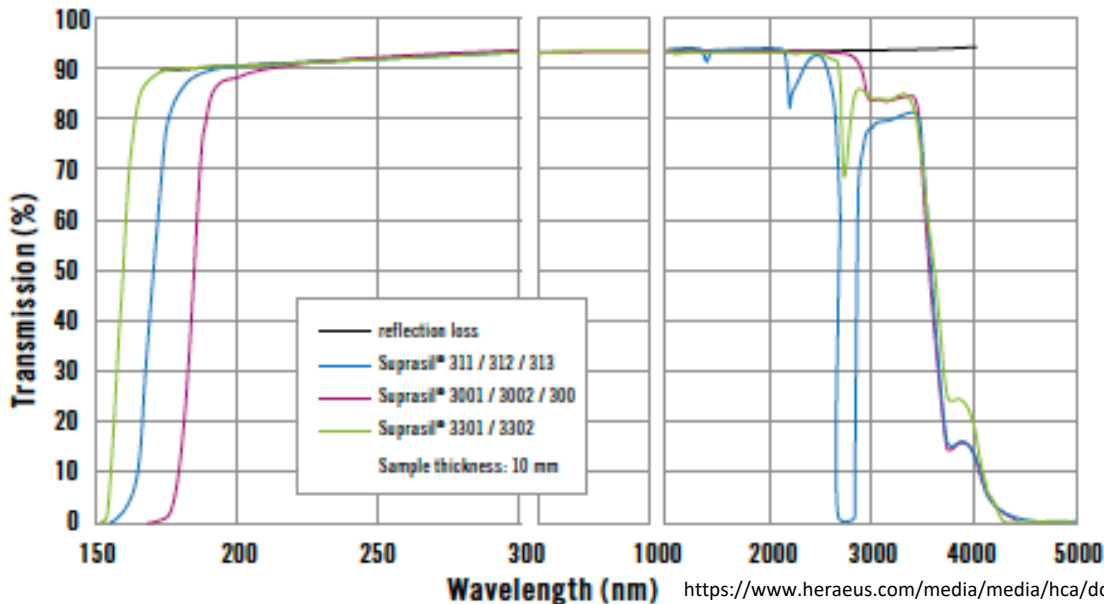
Performance of the prism spectrometer

- The prism equation: $\sin[(\delta_m + \alpha)/2] = n \sin(\alpha/2)$ allows us to calculate the prism **dispersion** (difference in angle for a given wavelength change) is: $\frac{d\delta_m}{d\lambda} = 2(1/\sin^2(\alpha/2) - n^2)^{-1/2} \frac{dn}{d\lambda} = K \frac{dn}{d\lambda}$. Typical values for $\alpha=60^\circ$, $n=1.5$: $K = 0.756$. If the focal length of the focusing lens is f , the linear dispersion is: $\frac{dx}{d\lambda} = Kf \frac{dn}{d\lambda}$.
- The **resolution** is given by the size of the diffraction-limited focused spot: $dx_{min} = 1.2 \frac{\lambda}{NA} = 1.2 \frac{\lambda}{D/2f}$. Using the equation above, we get the **resolution**: $\Delta\lambda = \frac{2.4\lambda}{KD \frac{dn}{d\lambda}}$, and the **resolvance**: $R \equiv \frac{\lambda}{\Delta\lambda} = \frac{KD}{2.4} \frac{dn}{d\lambda}$. Typical values at $\lambda=500\text{nm}$: $K=0.756$, $D=76\text{mm}$, $\frac{dn}{d\lambda} = 5.6 \cdot 10^{-2} \mu\text{m}^{-1}$; $\Delta\lambda=0.37 \text{ nm}$, $R=1340$.



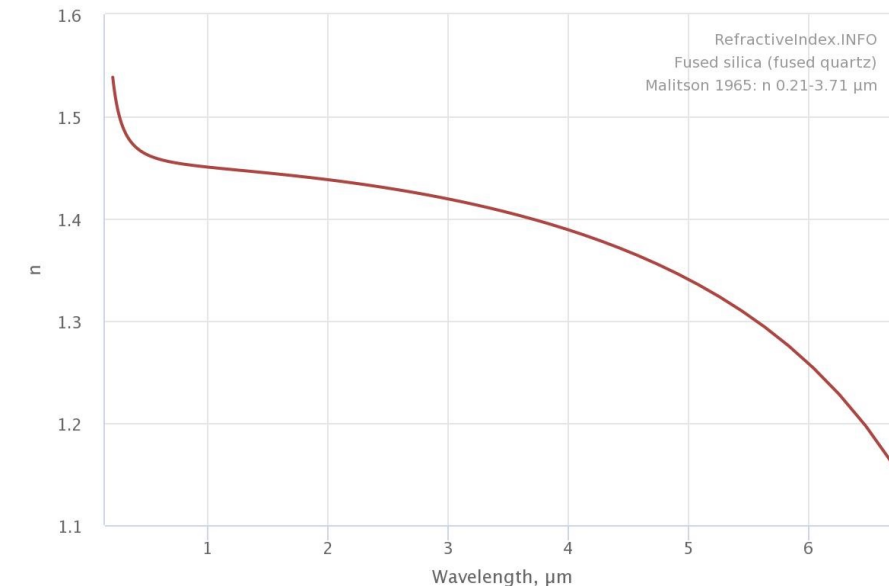
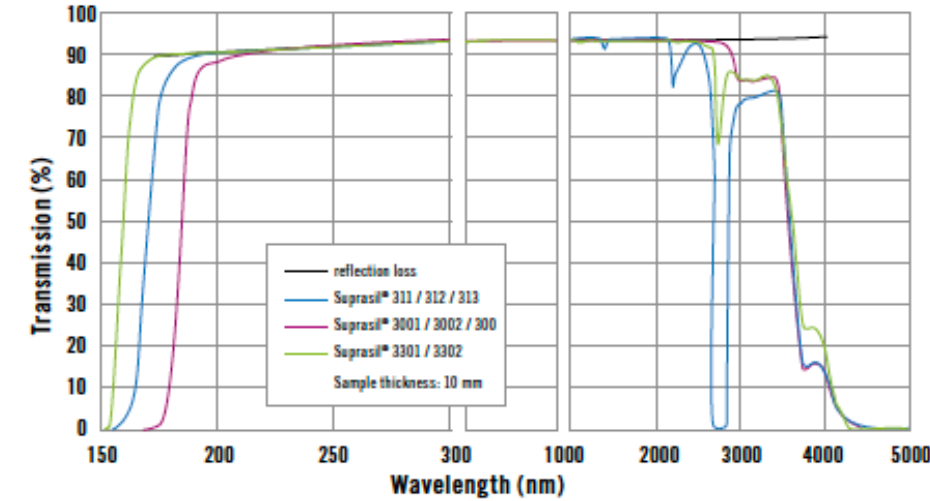
Material issues

- The performance of a prism spectrometer depends directly on the material properties:
 - The resolvance is proportional to: $\frac{dn}{d\lambda}$ (in most materials it's non-linear, changing strongly with wavelength).
 - The material should be transparent at the required wavelength (limited wavelength range).
- Typical example: Fused quartz
 - Can be used from UV (200 nm) to IR (3.5 μm).
 - Refraction index varies a lot (from 0.95 μm^{-1} at $\lambda = 220 \text{ nm}$ to 0.011 μm^{-1} at $\lambda = 1.3 \mu\text{m}$) and in a non-linear way.



Summary of prism spectrometer properties

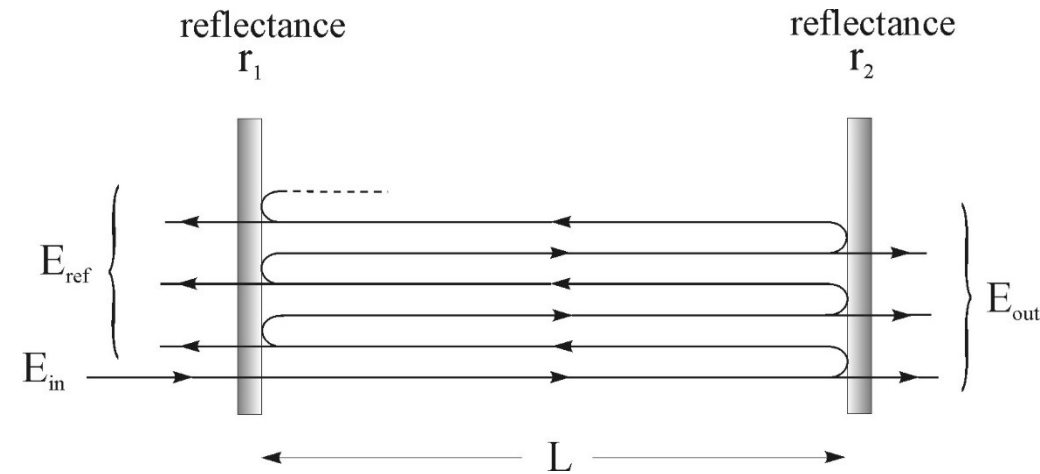
- Advantages:
 - High transmission efficiency (close to 100%)
 - Large spectral range
 - Cheap
- Disadvantages:
 - Transmission wavelength range depends on prism material
 - Non-linear dispersion, depends on $n(\lambda)$ curve.
 - Medium resolvance
 - Resolvance depends on material, can vary a lot for different wavelengths
- Main applications:
 - Simple spectrometer in demonstration laboratories
 - As a filter to choose the diffraction order of a grating
 - Filtered light sources



The Fabry-Pérot cavity spectrometer: principles (1)

- The Fabry-Pérot cavity is made of two high-reflectivity mirrors, each with transmission t and reflection r , separated by a distance L . The light beam enters the cavity from the left, and gets partially reflected and partially transmitted at each passage, exiting at the right.
- Each passage (back and forth) in the cavity contributes a component: $E_{out_j} = E_{out_{j-1}} r^2 e^{i2kL}$. The total output field is: $E_{out} = E_0 t^2 e^{ikL} \sum_{j=0}^{\infty} (r^2 e^{i2kL})^j = E_0 t^2 e^{i\Delta\varphi/2} \sum_{j=0}^{\infty} r^{2j} e^{i\Delta\varphi j} = E_0 t^2 e^{i\Delta\varphi/2} \frac{1}{1 - r^2 e^{i\Delta\varphi}}$, with $\Delta\varphi = 2kL$.
- The output intensity is: $I_{out} = I_0 t^4 \left| \frac{1}{1 - r^2 e^{i\Delta\varphi}} \right|^2 = \frac{I_0 t^4}{(1 - r^2 e^{i\Delta\varphi})(1 - r^2 e^{-i\Delta\varphi})} = \frac{I_0 t^4}{1 + r^4 - r^2(e^{i\Delta\varphi} + e^{-i\Delta\varphi})} =$
 $\frac{I_0 t^4}{1 + r^4 - 2r^2 \cos \Delta\varphi} = \frac{I_0 t^4}{1 + r^4 - 2r^2(1 - 2 \sin^2 \Delta\varphi/2)} = \frac{I_0 t^4}{(1 - r^2)^2 + 4r^2 \sin^2 \Delta\varphi/2} = \frac{I_{max}}{1 + \left(\frac{2\mathcal{F}}{\pi}\right)^2 \sin^2 \Delta\varphi/2}$, with: $I_{max} \equiv \frac{I_0 t^4}{(1 - r^2)^2} = I_0$,
and $\mathcal{F} \equiv \frac{\pi r}{1 - r^2} = \frac{\pi \sqrt{R}}{1 - \sqrt{R}}$, where $R = r^2$ is the mirror reflectivity.
- To increase $\mathcal{F}$, R should be close to 1:
- To reach such high R , dielectric mirrors are needed.

R	$\mathcal{F}$
0.73134	10
0.9690737	100
0.99686334	1000



The Fabri-Pérot cavity spectrometer : principles (2)

- The output intensity: $I_{out} = \frac{I_{max}}{1 + \left(\frac{2\mathcal{F}}{\pi}\right)^2 \sin^2 \Delta\varphi/2}$, with: $\Delta\varphi = 2kL = \frac{4\pi L}{\lambda}$,

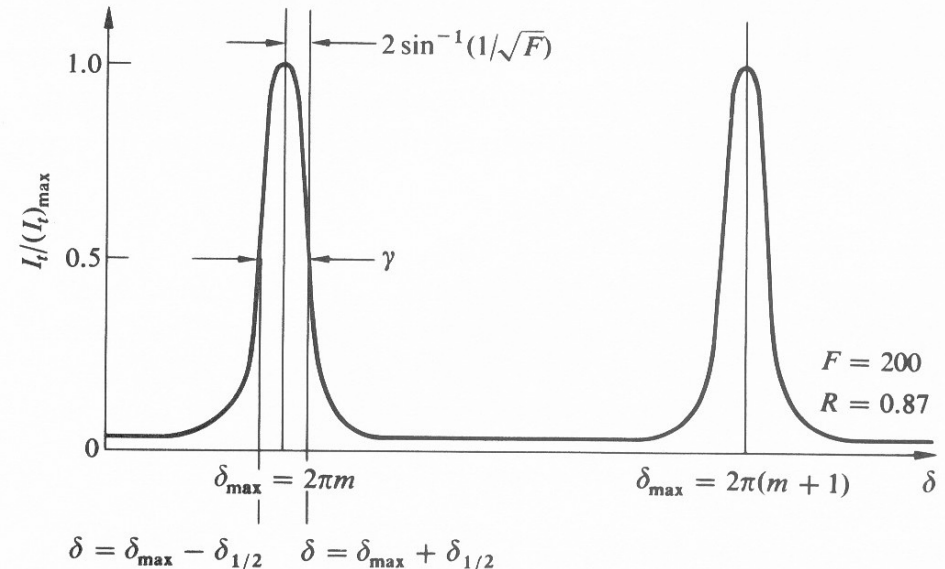
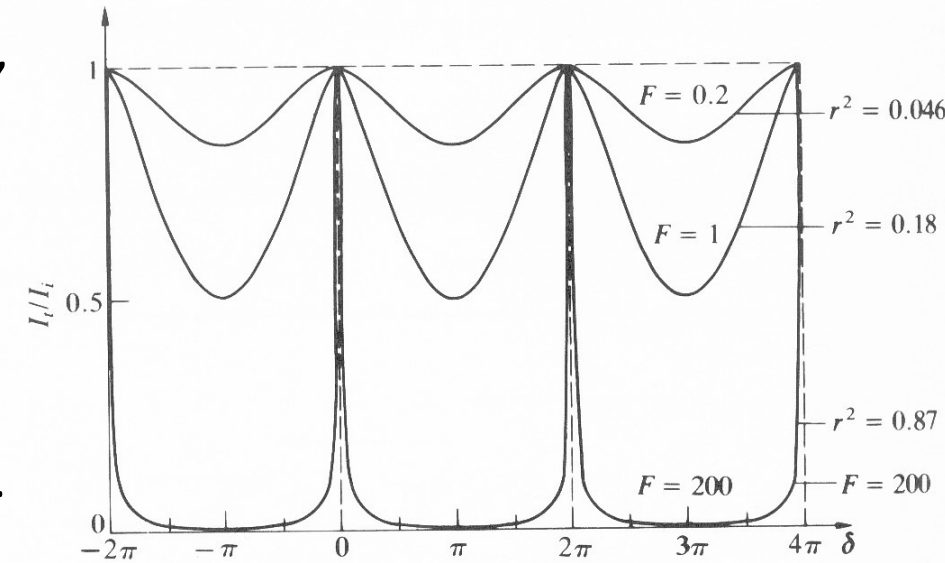
$$\mathcal{F} \equiv \frac{\pi r}{1-r^2} = \frac{\pi \cdot \sqrt{R}}{1-\sqrt{R}}.$$

- We have maximal intensity $I_{out} = I_{max}$ when: $\sin^2 \Delta\varphi/2 = 0$, or: $\Delta\varphi_{max} = 2\pi m$ ($m=1,2,3,\dots$). This corresponds to: $L = \lambda m/2$. The phase difference between peaks is thus: $\Delta\varphi_{p-p} = 2\pi$, corresponding to $\Delta L = \lambda$.

- The width at half-maximum is obtained when: $\left(\frac{2\mathcal{F}}{\pi}\right)^2 \sin^2 \Delta\varphi_{1/2}/2 = 1$. For $\mathcal{F} > 4$ we can use the linear approximation of the sinus, giving: $\Delta\varphi_{1/2} = \pi/\mathcal{F}$. The ratio of p-p distance and full width at half-maximum (FWHM) $\delta\varphi = 2\Delta\varphi_{1/2}$ is: $R = \Delta\varphi_{p-p}/\delta\varphi = \mathcal{F}$.

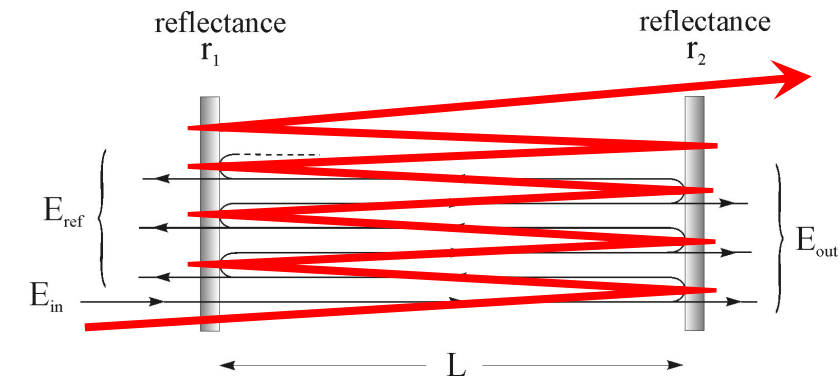
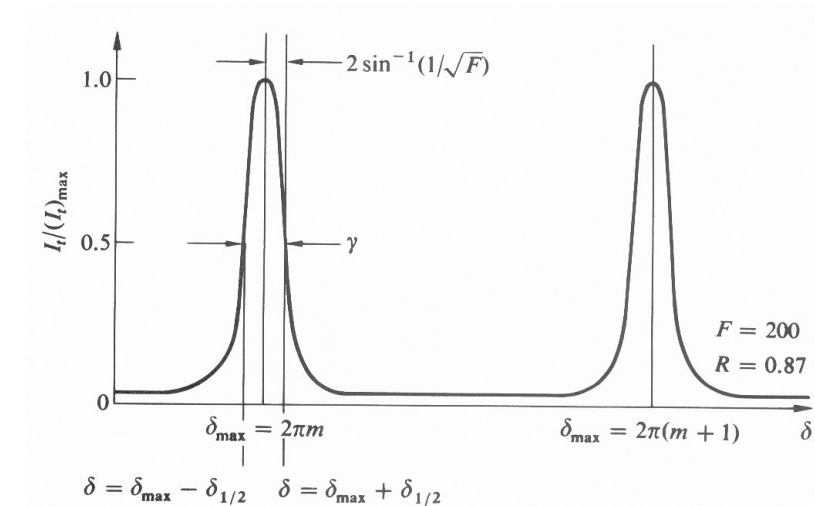
- As the width at half-maximum is small, most of the phase values lead to low intensity, with the minimal intensity occurring when:

$$\sin^2 \Delta\varphi/2 = 1, \text{ or: } \Delta\varphi_{min} = \pi(2m+1) \text{ (} m=1,2,3,\dots \text{), or: } L = \lambda(2m+1)/4.$$



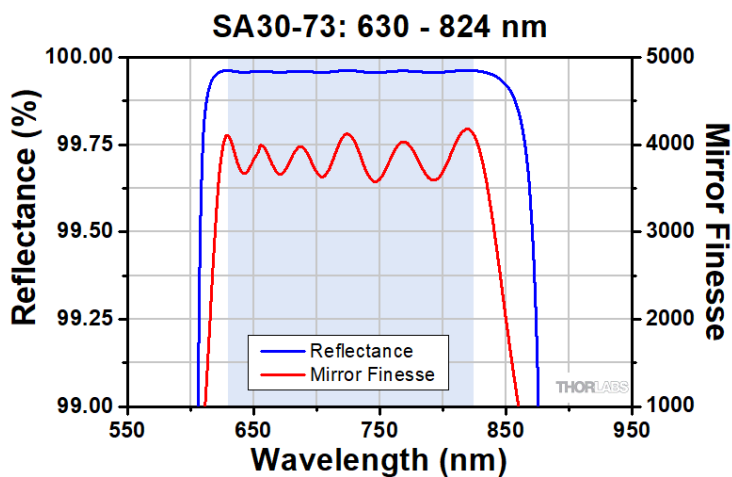
The Fabri-Pérot cavity spectrometer : principles (3)

- We saw that the maxima correspond to: $L=\lambda m/2$. Typically, $L=10\text{mm}$, so: $m=2L/\lambda=2\cdot 10^4$.
- To pass from one maximum to the next, we need to change L by $\lambda/2$, or change the wavelength by: $\Delta\lambda=\lambda^2/2L$. We call $\Delta\lambda$ the **free spectral range** (FSR). In our example, $L=10\text{mm}$, $\lambda=1\mu\text{m}$, so $\Delta\lambda=50\text{pm}$!
- The wavelength **resolution** is the FWHM: $\delta\lambda=\Delta\lambda/\mathcal{F}$. In our example, and with $\mathcal{F}=1000$, $\delta\lambda=50\text{fm}$! The **resolvance** is $R = \mathcal{F}$.
- Due to the small values of $\Delta\lambda$ and $\delta\lambda$, we often state them in MHz/GHz ($f=c/\lambda$): $\Delta f=c\Delta\lambda/\lambda^2 = 3\cdot 10^{20}\Delta\lambda$. In our example: $\Delta f=15\text{GHz}$, $\delta f=15\text{MHz}$.
- In a plane mirrors cavity, if the angle between the beam and the mirror is not precisely 90° , the beam will go out of the cavity after several reflections, which will reduce $\mathcal{F}$ to a much smaller value.
- To maintain a finesse $\mathcal{F}$, the maximal angle error is : $\alpha_{\text{max}}=\text{tg}^{-1}(H/2FL)$, where H is the mirror radius. In our example, for $H= \text{c cm}$, $\mathcal{F}=1000$, we get: $\alpha_{\text{max}}=0.06^\circ$!

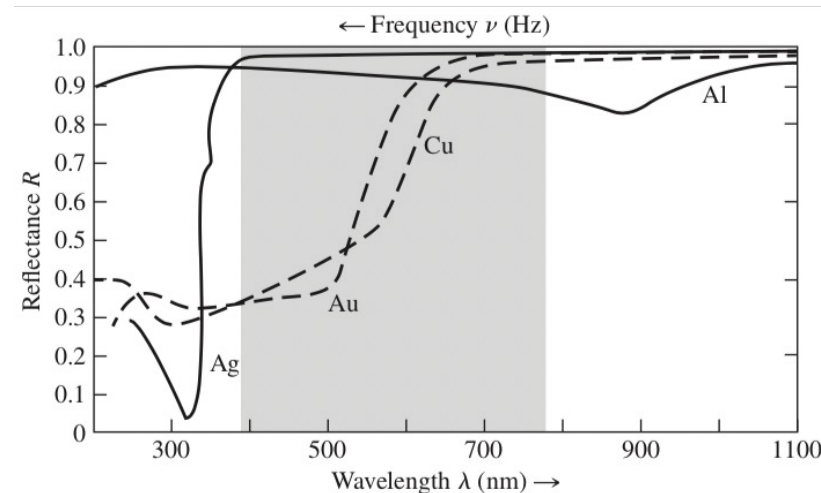


The Fabri-Pérot cavity spectrometer : instrument

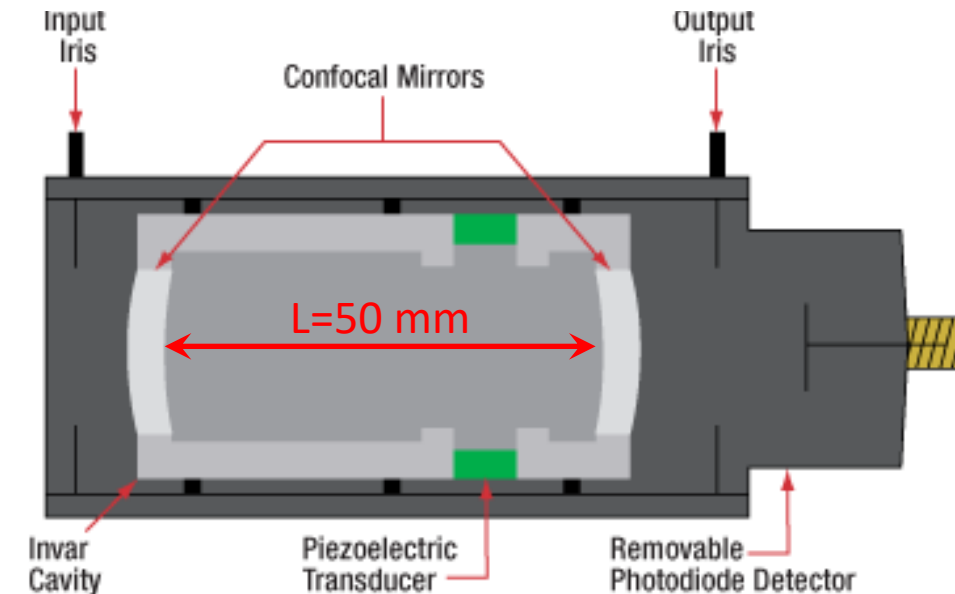
- We saw that the maxima correspond to: $L=\lambda m/2$. Typically, $L=10\text{mm}$, so:
 $m=2L/\lambda=2\cdot 10^4$.
- The Fabri-Pérot spectrometer is usually constructed with spherical mirrors, to avoid the sensitivity to beam misalignment. This design often doubles the optical path, giving the condition for maxima: $L=\lambda m/4$.
- To obtain precise cavity tuning, a piezoelectric actuator is used to displace the mirrors. Typical movement range is of a few μm , with a resolution of a few nm.
- Only **dielectric mirrors** have sufficient reflectivity needed for a high finesse value.



Dielectric mirror for FP cavity

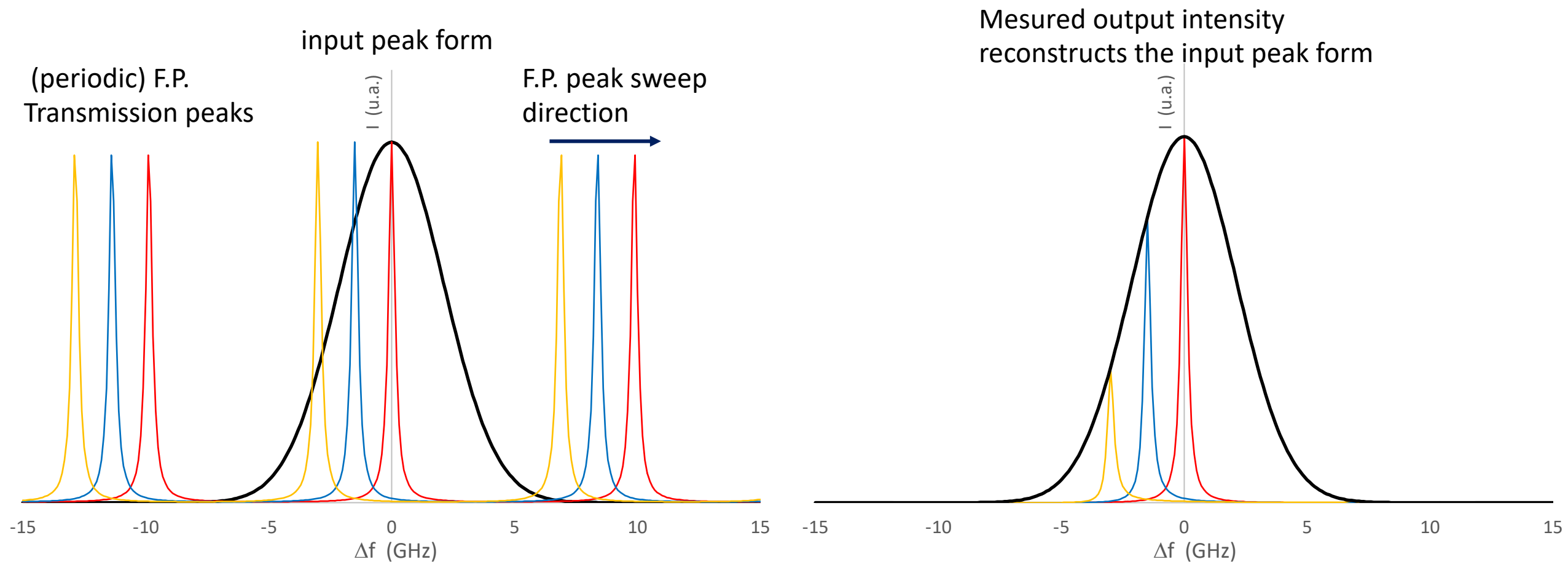


Reflectivity of common metals



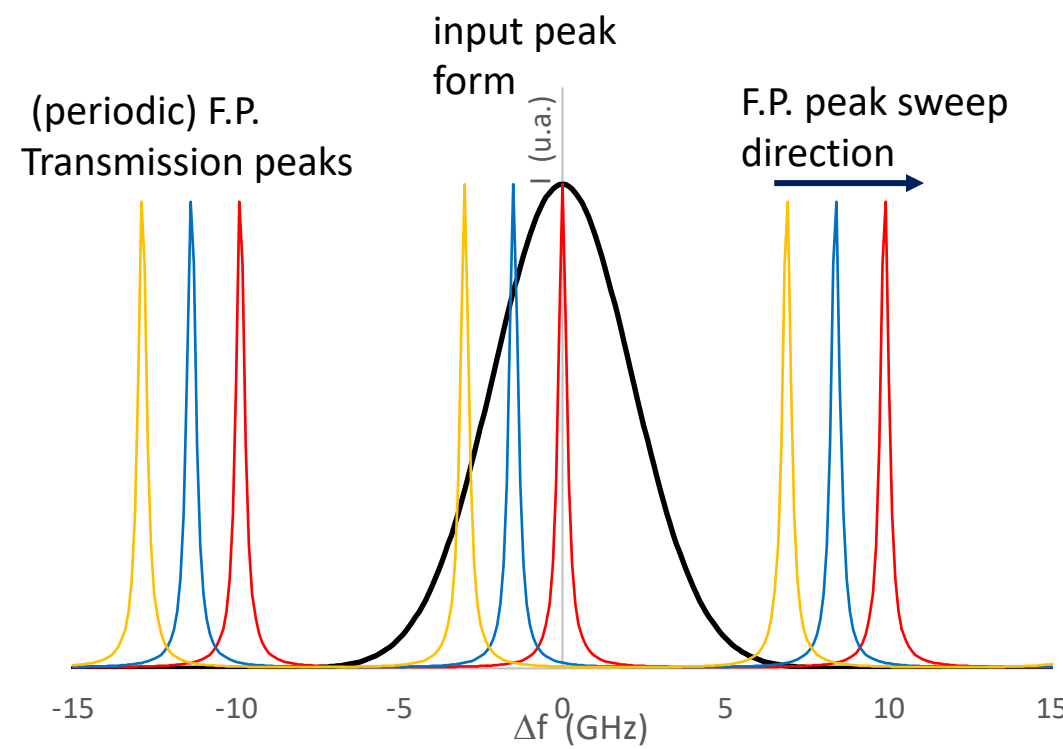
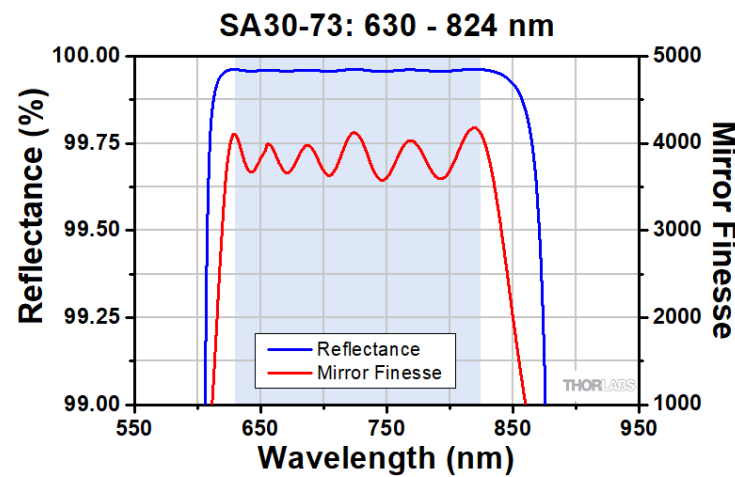
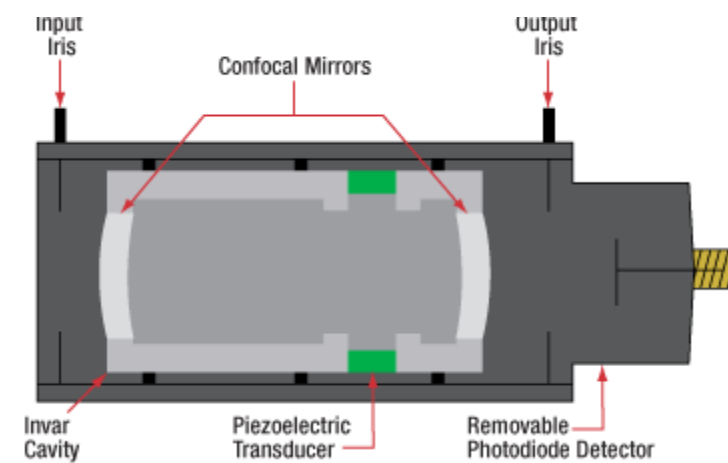
The Fabry-Pérot cavity spectrometer : use

- The special property of the Fabry-Pérot spectrometer: periodic series of very narrow transmission peaks.
- The main use: linewidth analysis of light sources (e.g. lasers, quantum dots). The cavity is a very narrow filter, and we sweep the transmission peak through a small wavelength range to trace the form of the measured spectrum. The FWHM (resolution) of the transmission peak must be much smaller than the measured linewidth.



Summary of Fabri-Pérot cavity spectrometer properties

- Advantages:
 - High transmission efficiency (close to 100%)
 - Extremely high resolution – better than other spectrometers.
- Disadvantages:
 - Periodic transmission peaks – no absolute wavelength measurement.
 - The high-reflectivity mirrors can work over a limited wavelength range (about 20% of the center wavelength).
- Main applications:
 - Linewidth measurement of narrow emission lines.



Comparison of spectrometer types

	Prism spectrometer Pellin-Broca	Grating spectrometer iHR 320 (Horiba-Jobin-Yvon)	Interferential Spectrometer PF -Thorlabs SA210-3B	FTIR IRTracer-100 [Shimadzu]
Price	low	medium	medium / high	medium / high
absorption mode	yes	yes	yes	yes
emission mode	yes	yes	yes	no
simplicity	simple	intermediate	sophisticated	sophisticated
stability (mechanical)	low	intermediate	high	high
stability (thermal)	low	intermediate	high	high
spectral domain	0.19 μm - 2.5 μm (max 5 μm)	0.15 μm - 1.5 μm (max 40 μm)	0.3 μm - 2.5 μm	0.8 μm - 25 μm
detector	PM - CCD/CMOS - bolometer	PM - CCD/CMOS - bolometer	PM, Avalanche diode	InGaAs, bolometer, Golay
resolvance	2135 [0.06 nm at 435 nm]	7250 [0.06 nm at 435 nm]	10 ⁶ [60 MHz at 6x10	3200 (0.25 cm-1 at nm at 800 cm-1)
dispersive element size	25 mm (F2 glass)	68mm x 68 mm (1200g/mm)	1 mm beam Ø	1mm beam Ø
	