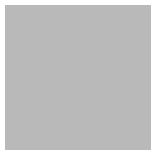


PAUL SCHERRER INSTITUT



Materials Science at Large Scale Facilities

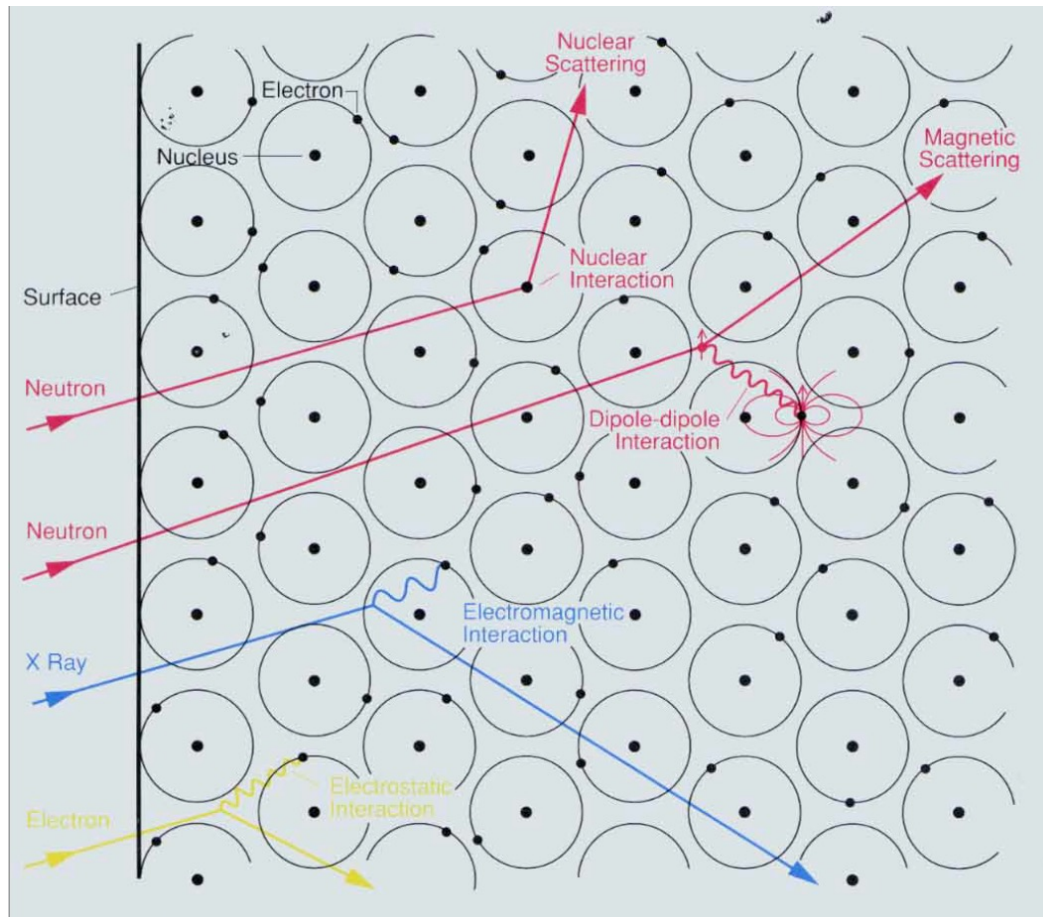
Magnetic Scattering



Contrast variation

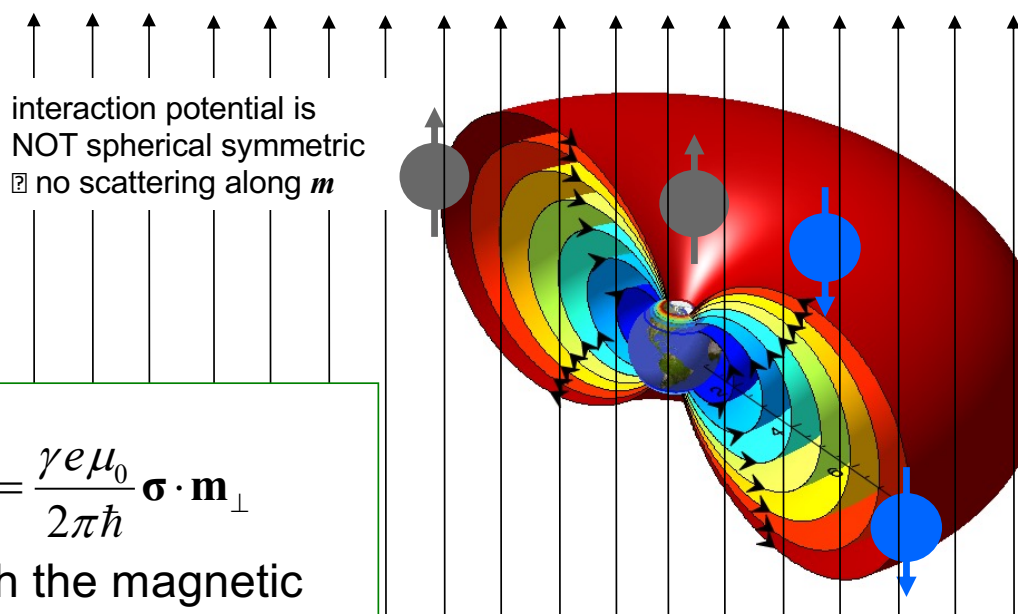


Nuclear vs magnetic interaction



	No applied magnetic field	Applied magnetic field
Ferromagnetic Ferrimagnetic	→ → → → → → → → → aligned	→ → → → → → → → → aligned
Paramagnetic	↓ ↓ ↓ ↖ ↗ ↗ ↙ → ↗ random	→ → → → → → → → → aligned
Diamagnetic	○ ○ ○ ○ ○ ○ ○ ○ ○ none	↖ ↖ ↖ ↖ ↖ ↖ ↖ ↖ ↖ opposing

Magnetic scattering



$$b_M = \frac{\gamma e \mu_0}{2\pi \hbar} \boldsymbol{\sigma} \cdot \mathbf{m}_\perp$$

with the magnetic
interaction vector

$$\mathbf{m}_\perp = \mathbf{Q} \times [\mathbf{m} \times \mathbf{Q}] / Q^2$$

$$\mathbf{B}(\mathbf{r}) = \frac{\mu_0}{4\pi} \left(\frac{3\mathbf{r}(\mathbf{m} \cdot \mathbf{r})}{r^5} - \frac{\mathbf{m}}{r^3} \right)$$

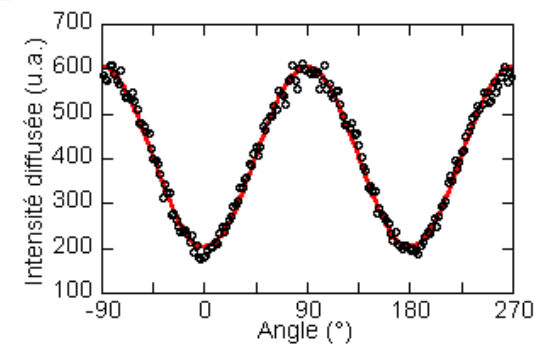
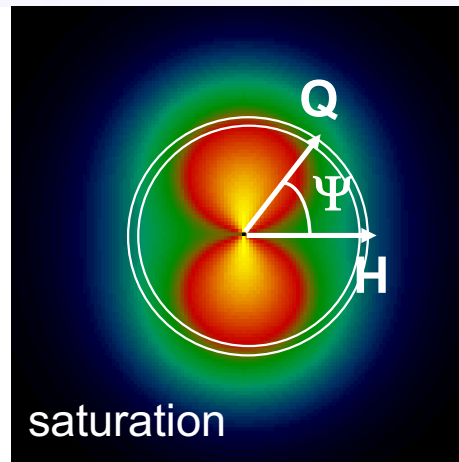
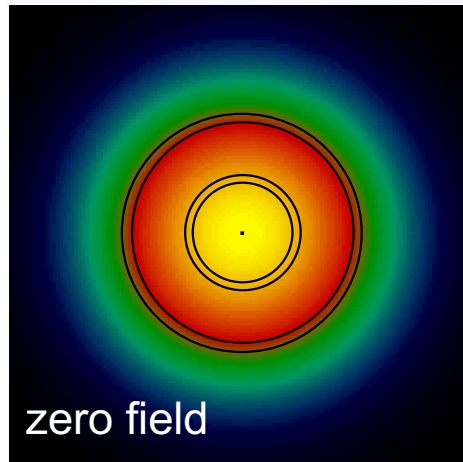
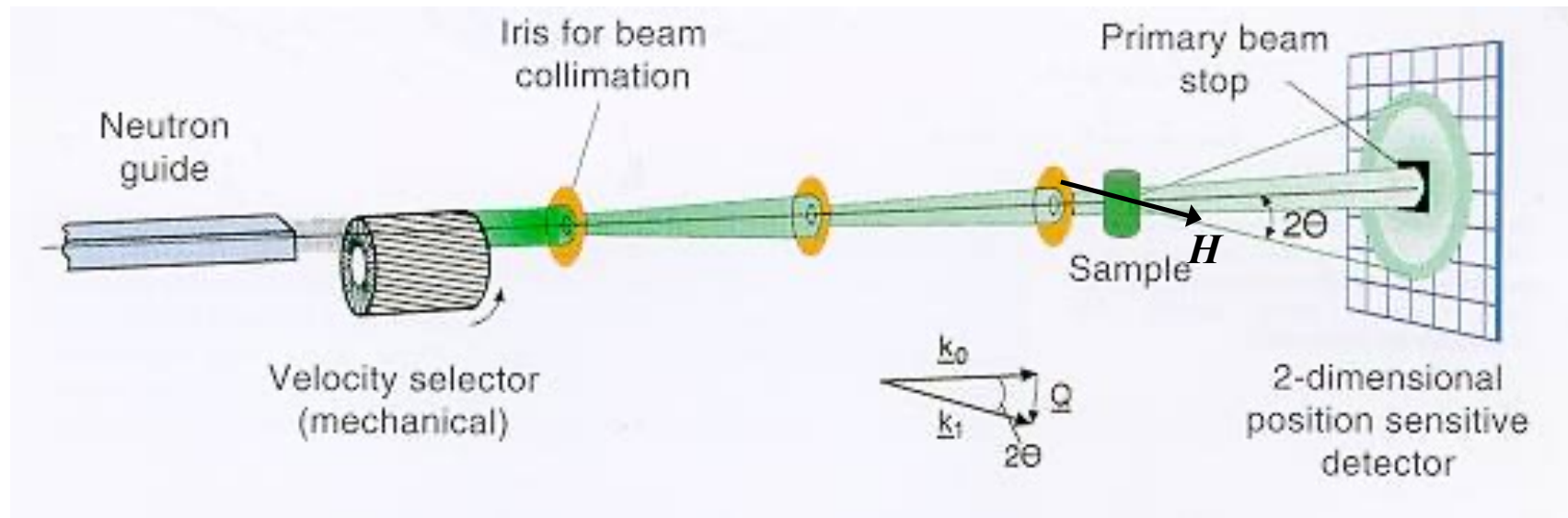
$$V(\mathbf{r}) = -\boldsymbol{\mu}_N \cdot \mathbf{B}(\mathbf{r})$$

with

$$\boldsymbol{\mu}_N = \gamma \frac{e\hbar}{2m_N} \boldsymbol{\sigma}$$

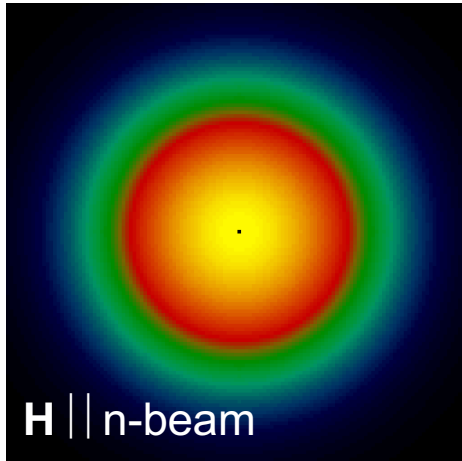
$$b_M = -\frac{m_N}{2\pi\hbar^2} \int d^3r e^{i\mathbf{Q}\cdot\mathbf{r}} \boldsymbol{\mu}_N \cdot (\mathbf{B}_S(\mathbf{r}) + \mathbf{B}_L(\mathbf{r}))$$

Magnetic scattering



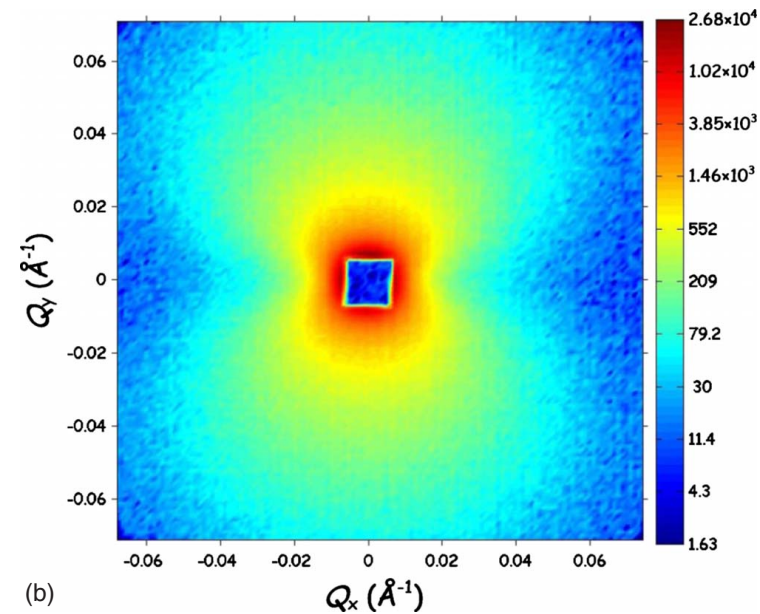
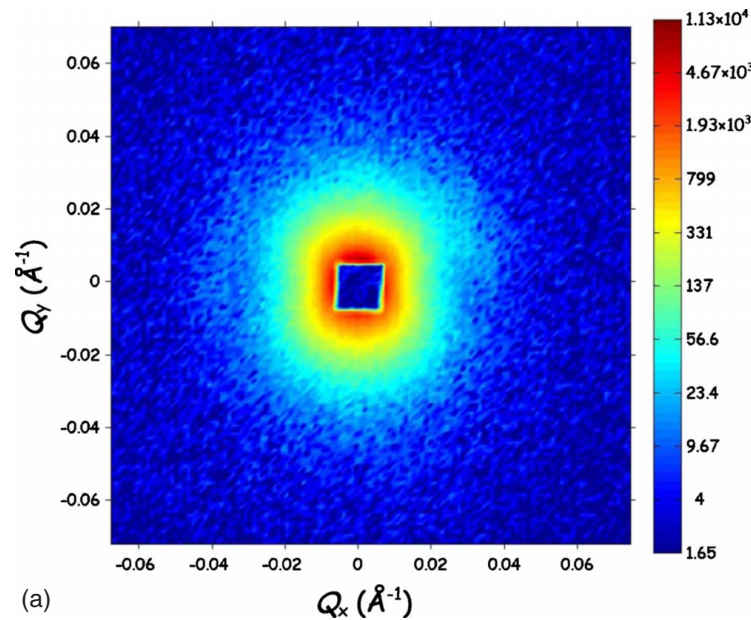
$$\frac{d\sigma}{d\Omega} = F_N^2(Q, R) + F_M^2(Q, R) \sin^2 \Psi$$

Magnetic scattering

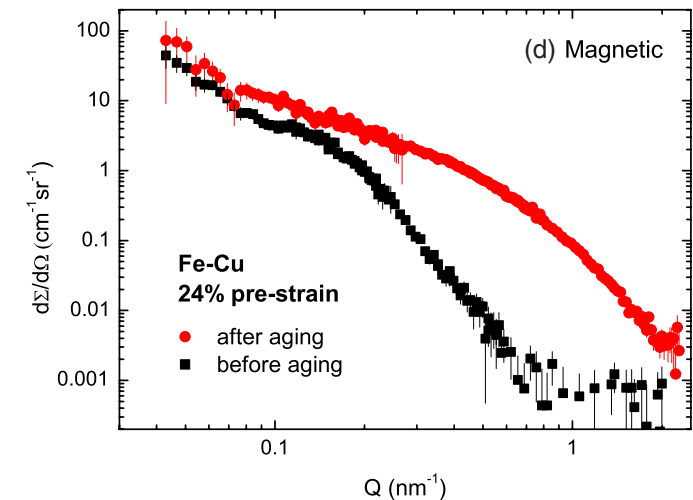
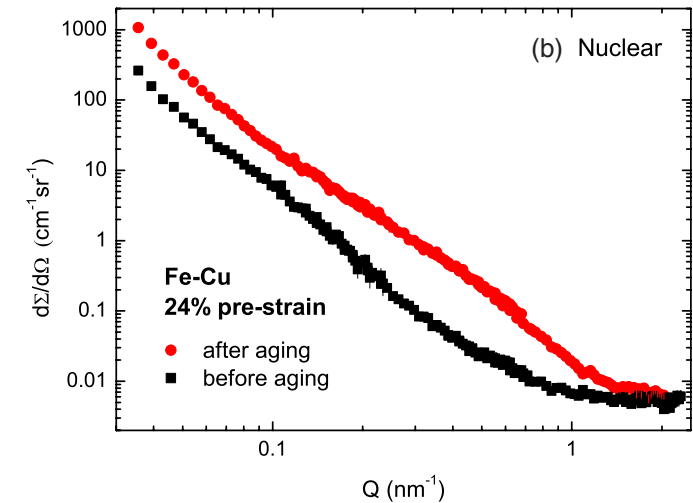
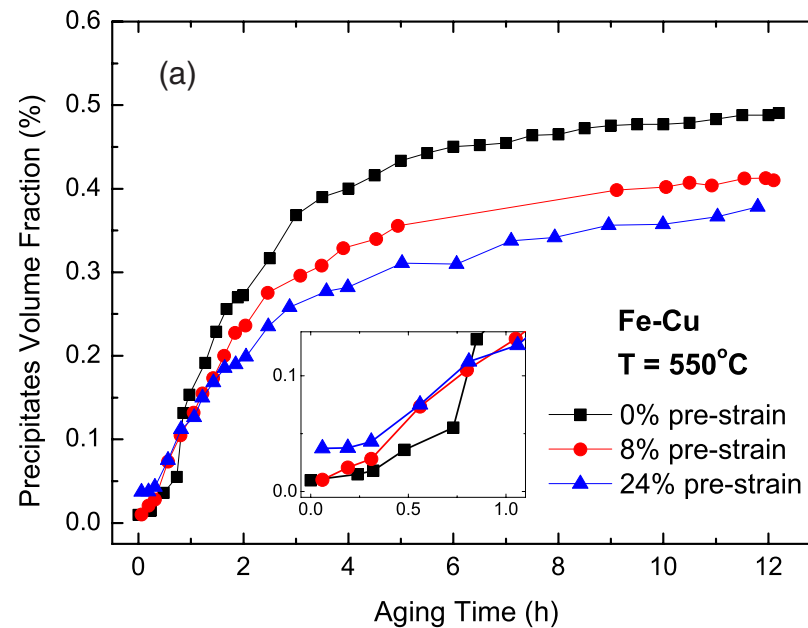


$$\frac{d\sigma}{d\Omega} = F_N^2(Q, R) + F_M^2(Q, R) \sin^2(\Psi)$$

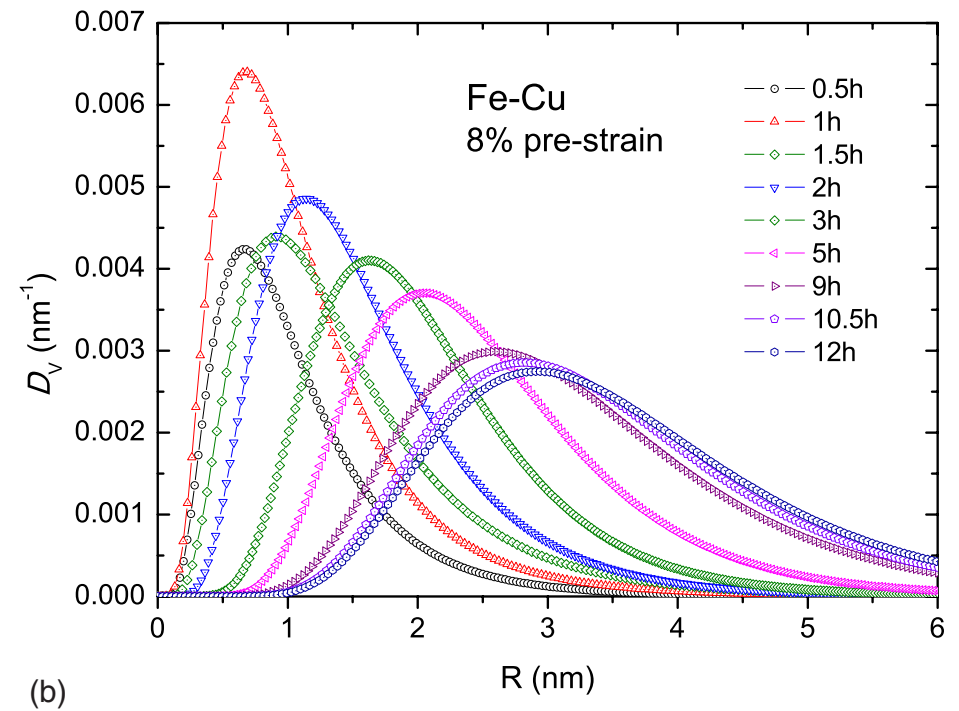
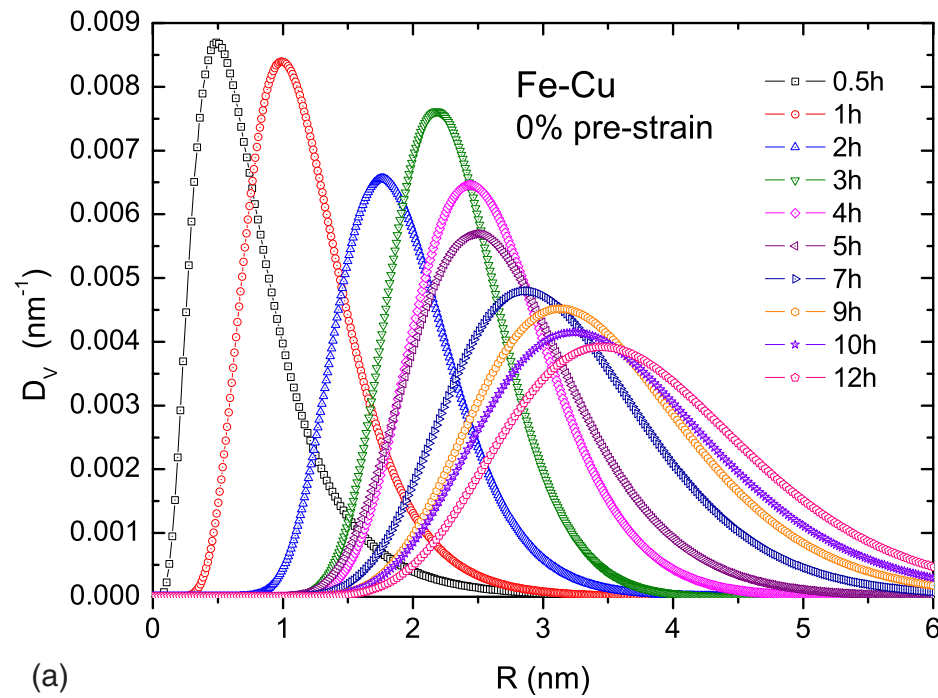
- Self-healing in ferritic steels
- Dynamic formation of precipitates
- Model system: Fe-1wt%Cu
- Comparison with and without pre-strain of 8% and 24%



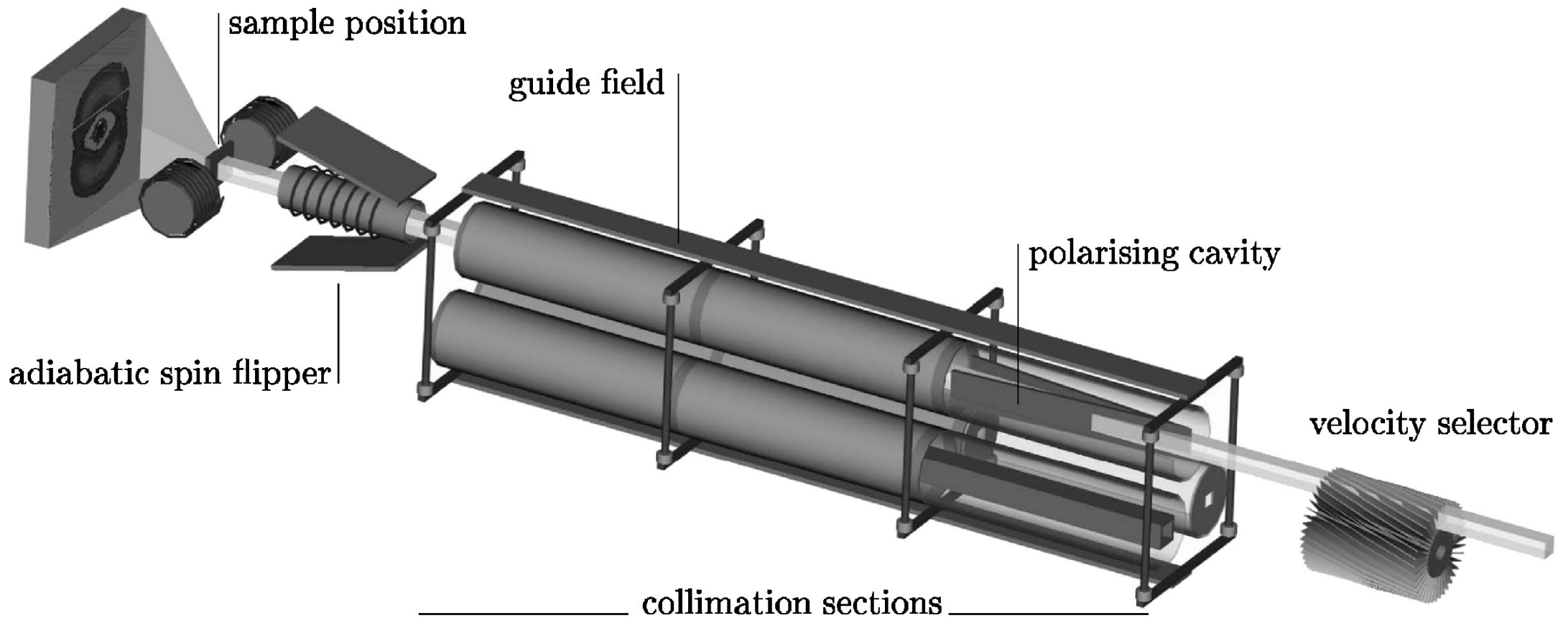
- Increased contrast between Fe matrix and Cu precipitates
- Precipitation kinetics can be tracked as function of time



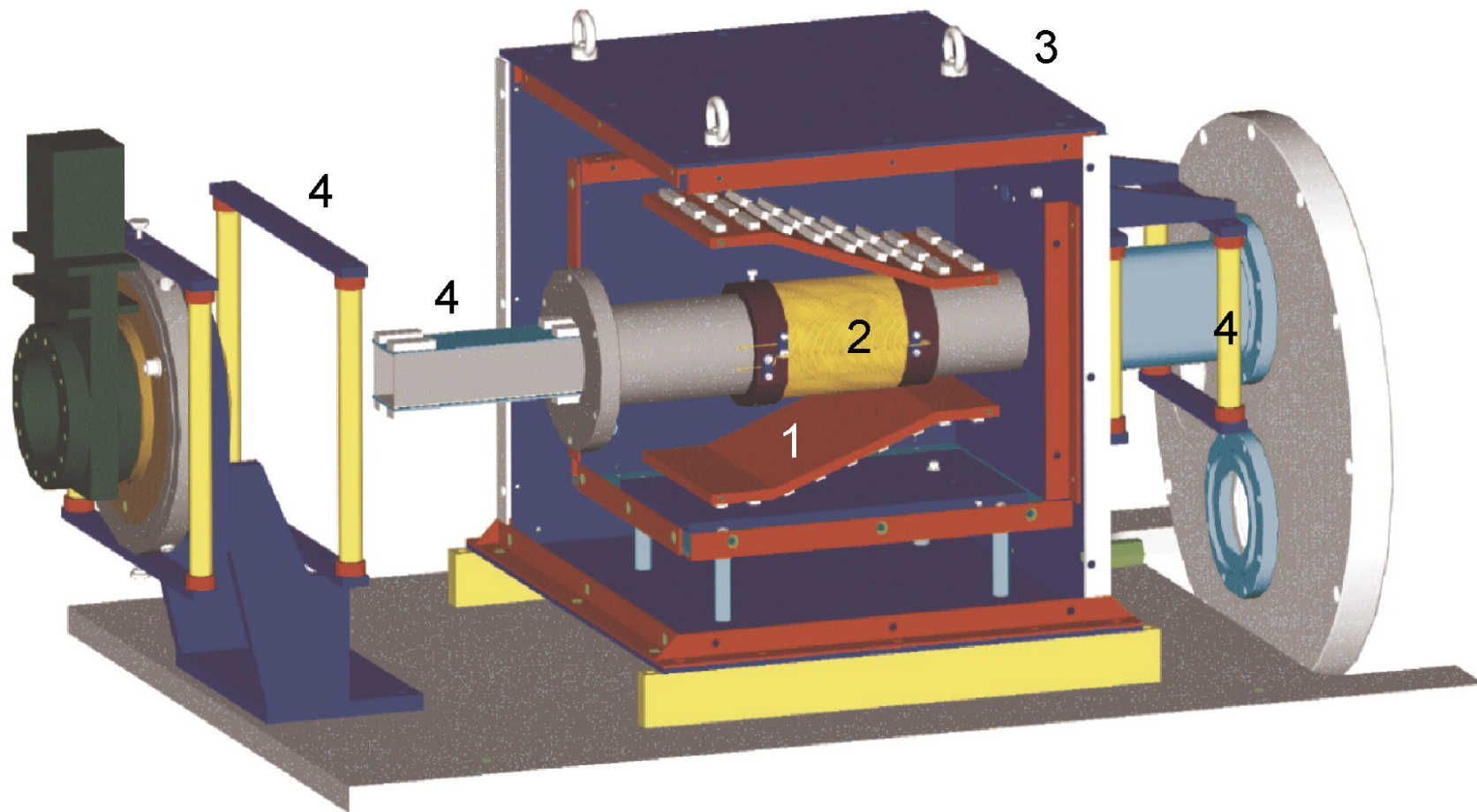
- Precipitate size distribution as a function of aging time



Spin-polarized SANS

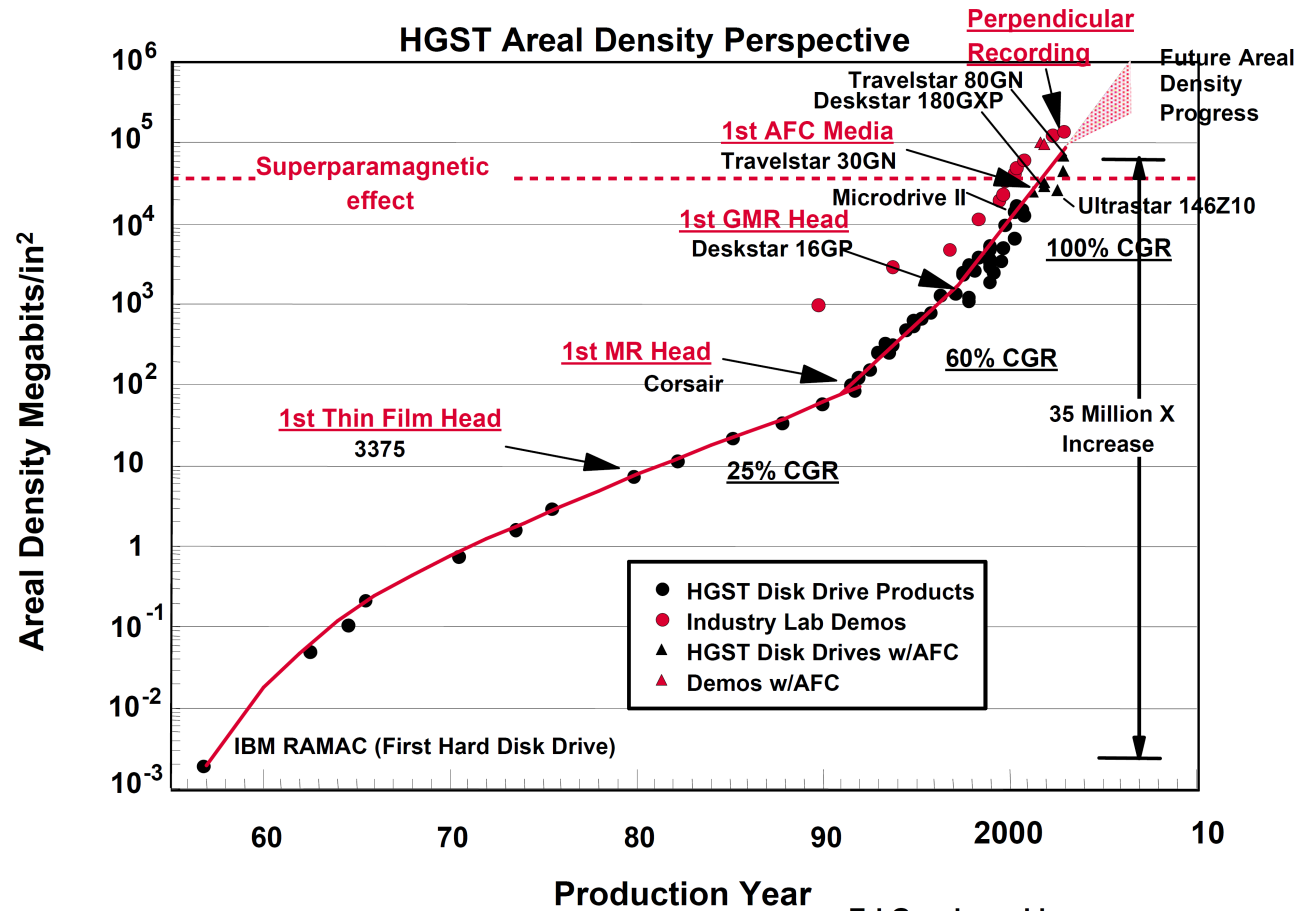


Spin flipper



Schematic drawing of the spin flipper setup with (1) the gradient field, (2) the radio-frequency solenoid, (3) the magnetic shielding box and (4) the magnetic guiding field.

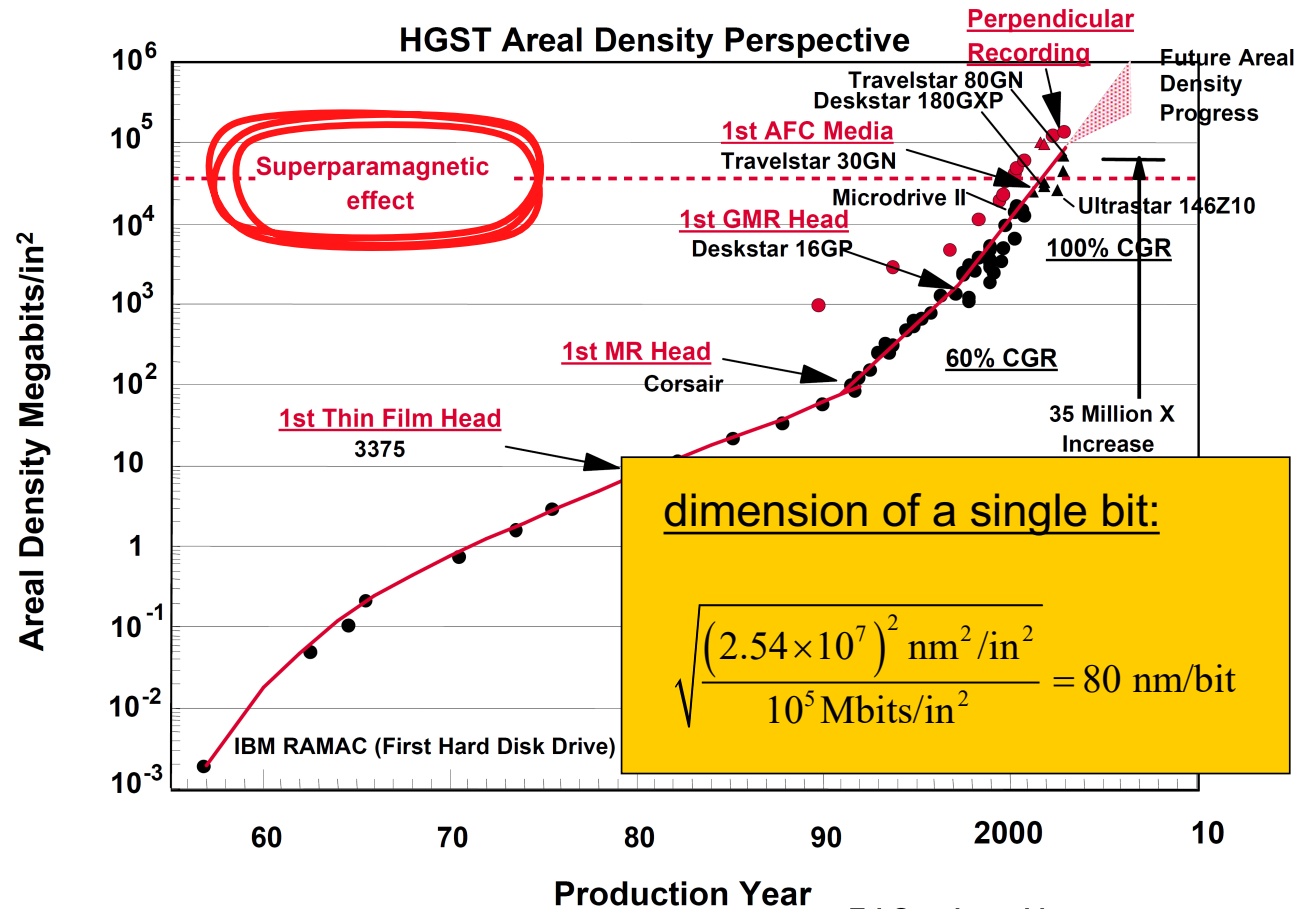
superparamagnetic effect



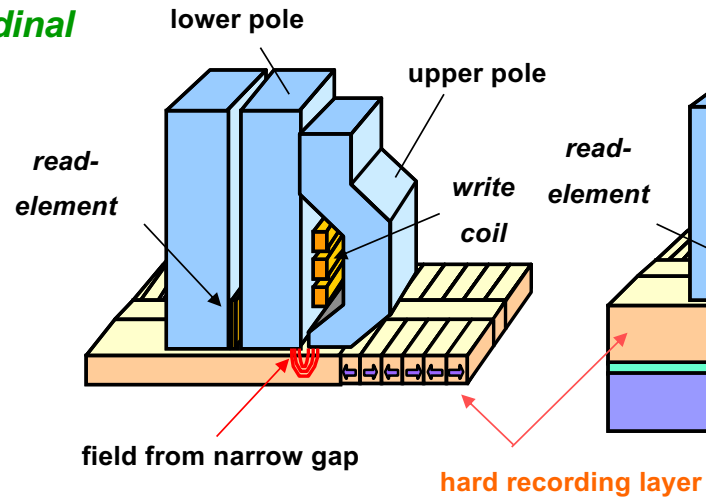
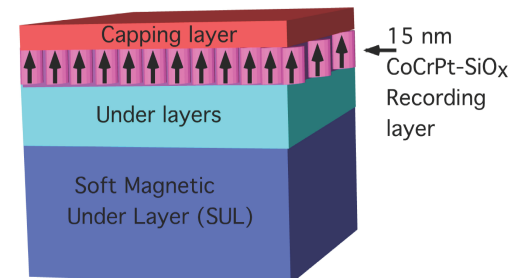
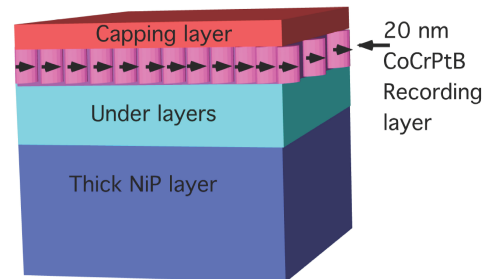
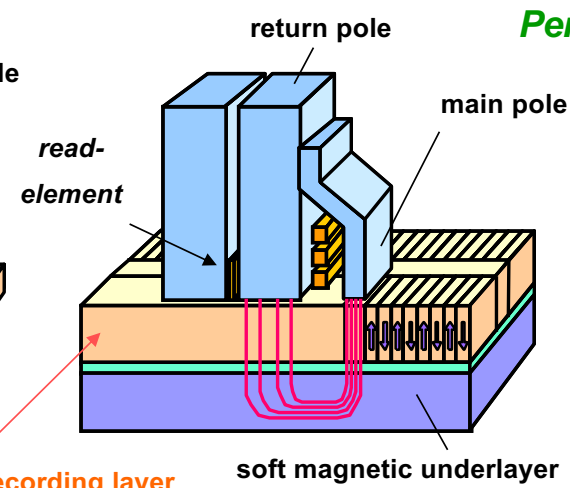
https://www1.hitachigst.com/hdd/hddpdf/tech/hdd_technology2003.pdf

Ed Grochowski

superparamagnetic effect

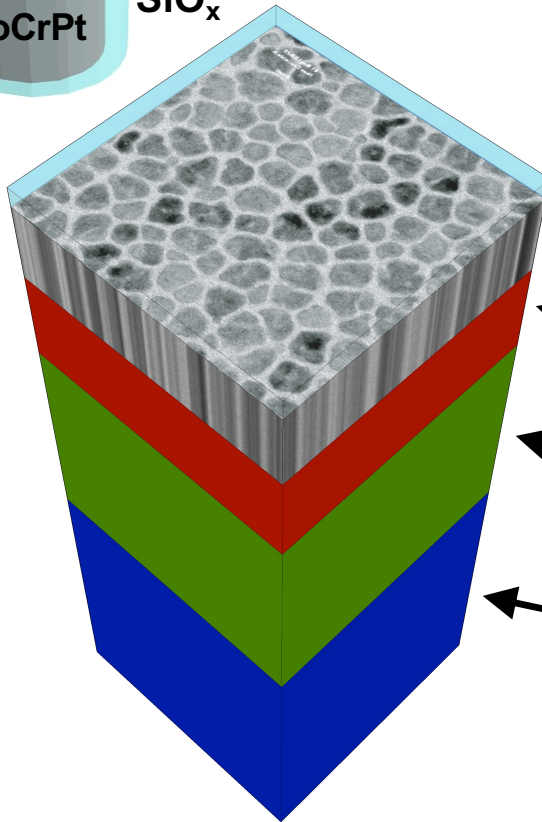
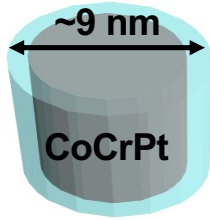


recording media

Longitudinal*Perpendicular*

perpendicular recording allows higher head field and taller grains → smaller grain area.

compositionally inhomogeneous PRM



protective overcoat to inhibit oxidation

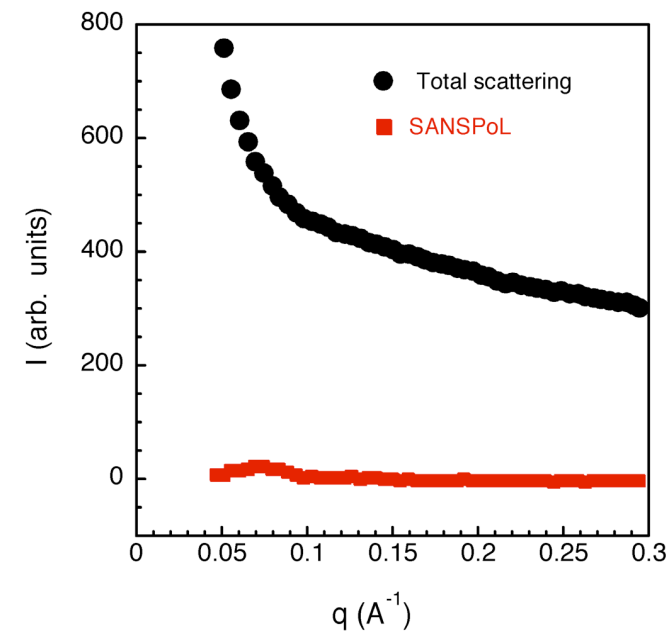
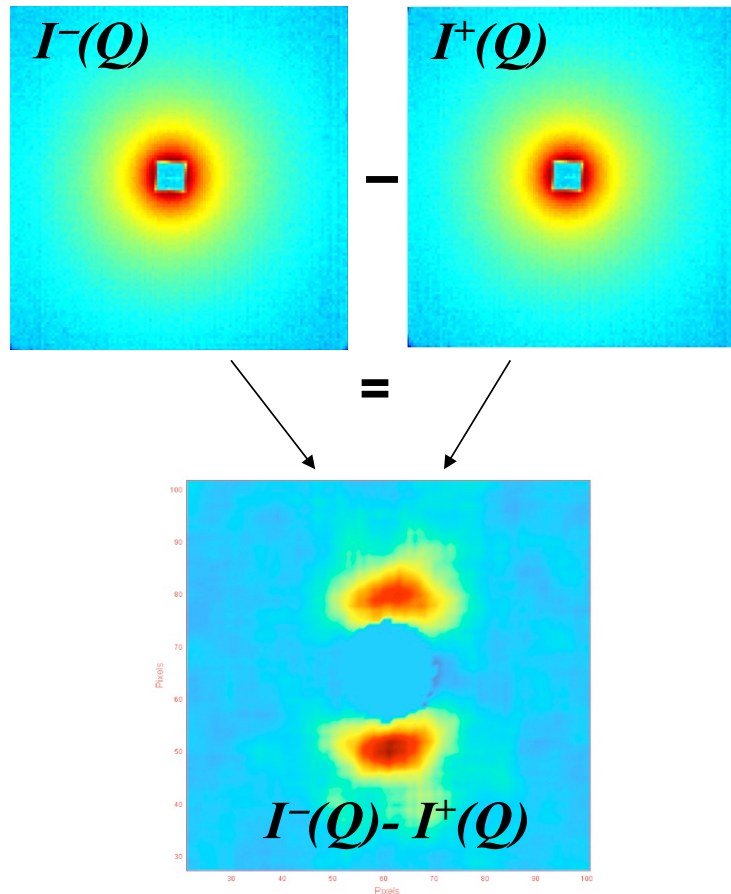
10 nm thick recording layer: CoCrPt-SiO_x

Ru based seed layer ($\sim 20 \text{ nm}$)

CoFe-based soft magnetic underlayer
($\sim 50 \text{ nm}$)

0.8 mm thick silicon substrate

benefits of using spin-polarised SANS

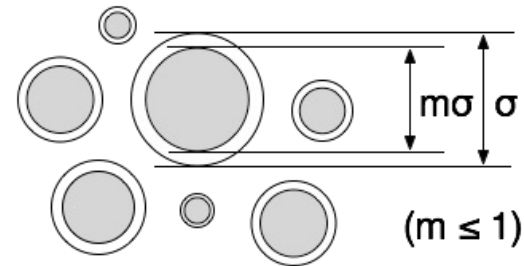
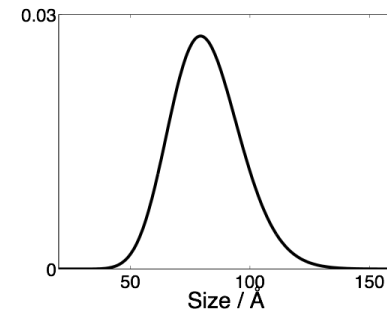


modeling of scattering data: analytic model

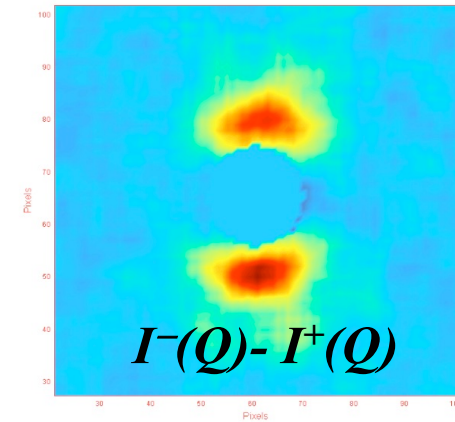
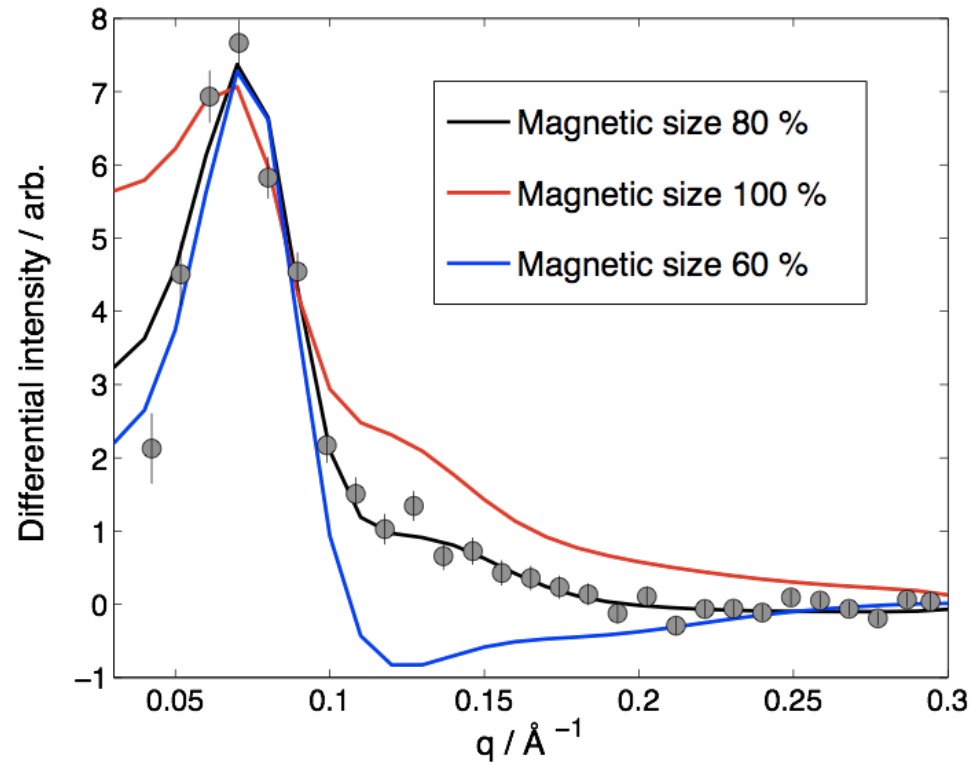
- $F(q, \sigma)$ form-factor (cylindrical, diameter σ)
- $S(q, \sigma_1, \sigma_2)$ partial structure factor for poly-disperse P-Y model
- $f(\sigma)$ size distribution (Gamma-Schulz)
- differential intensity can then be written:

$$\int F_N(\sigma) F_M(\sigma) f(\sigma) d\sigma + \iint F_N(\sigma_1) F_M(\sigma_2) f(\sigma_1) f(\sigma_2) S_{12}(q, \sigma_1, \sigma_2) d\sigma_1 d\sigma_2$$

- for grains of given size, the size and strength of the magnetised region can then be varied freely

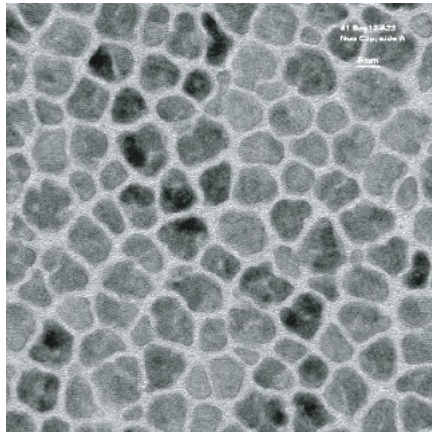


Modeling scattering data: real space images

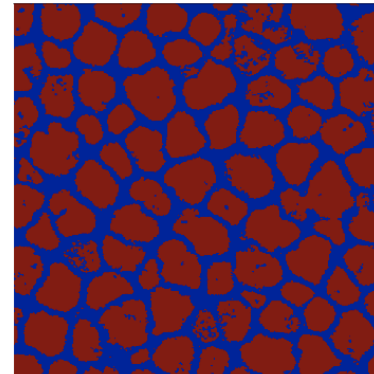


modeling scattering data: real space images

transmission electron microscope (TEM)
image of surface of recording layer

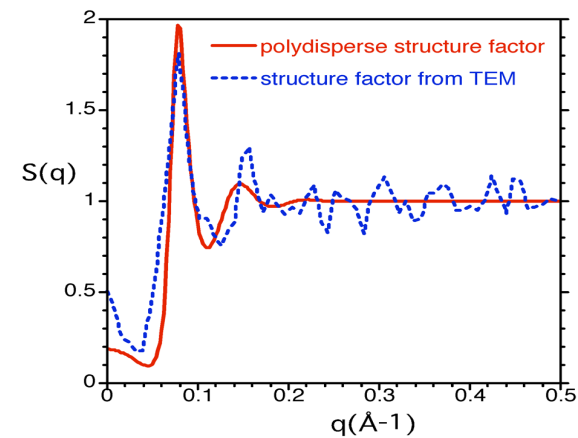
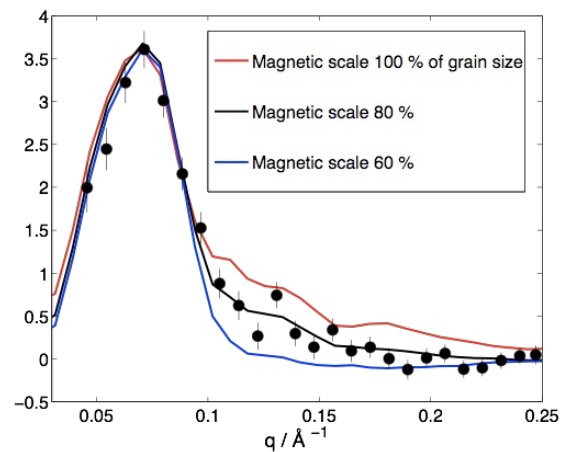
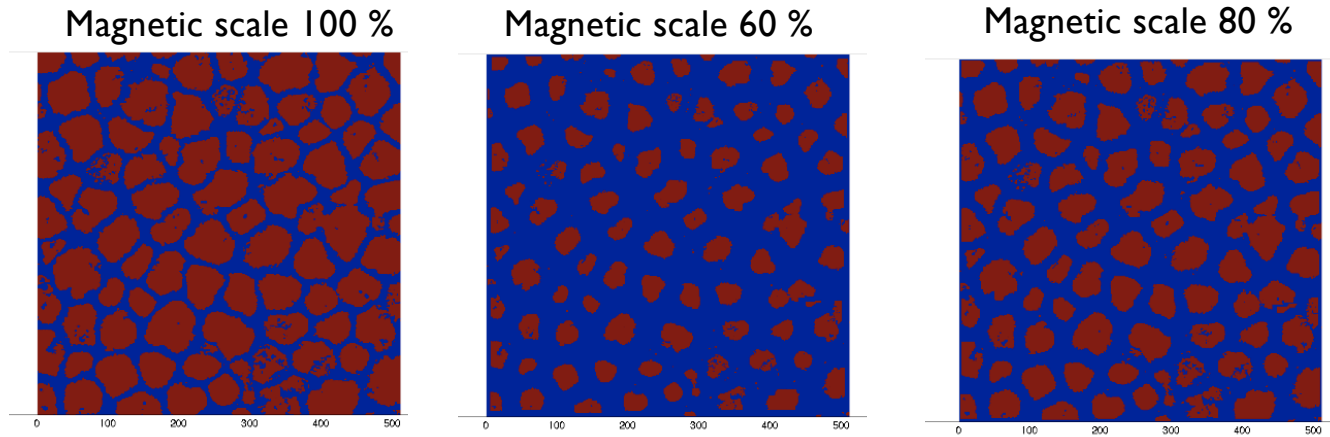


processed image to give
two-level contrast



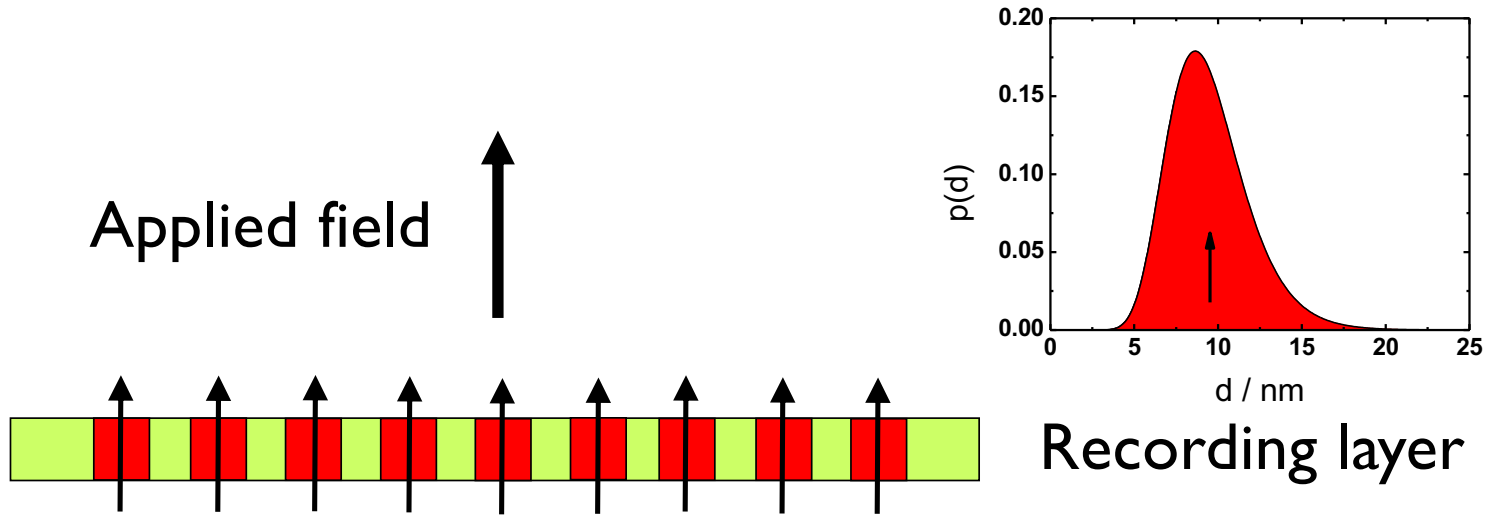
- TEM image clearly shows the heterogeneous granular structure
- nuclear scattering contrast is expected to be similar
- metallic grains are magnetised, while inter-granular medium is non-magnetic. However the full volume of the grain may not be uniformly magnetised

modeling scattering data: real space images



comparison of the structure factor obtained from the center of the grains in the TEM image and from the analytical model

'Switching' experiment

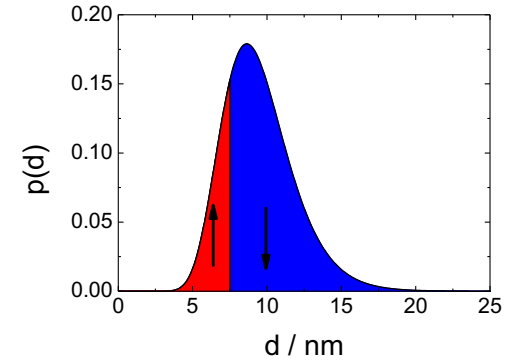
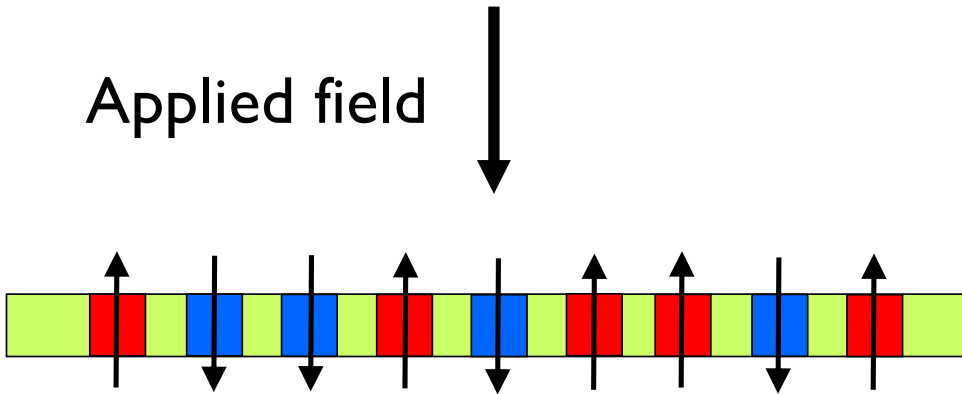


I. first saturate with out-of-plane field

'Switching' experiment



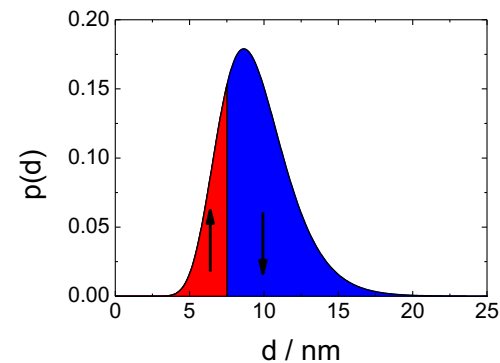
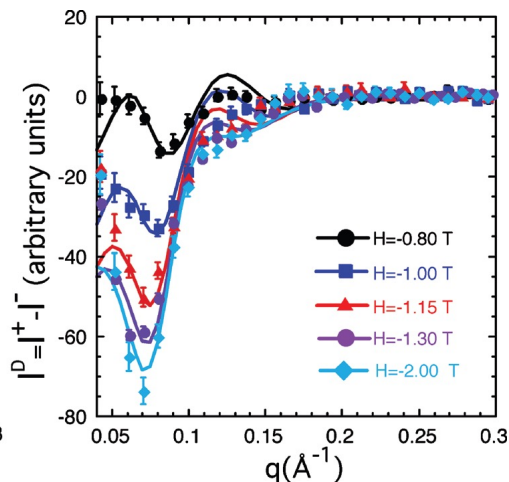
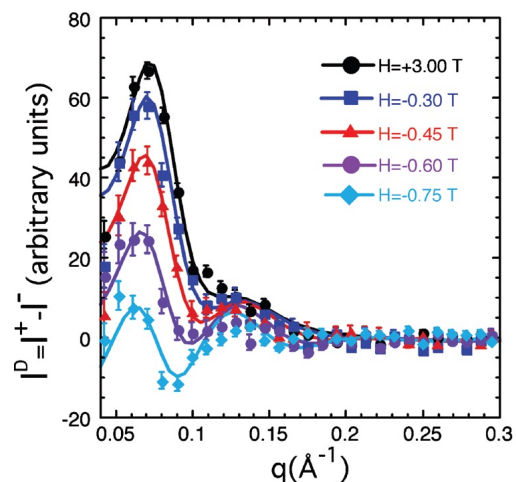
Applied field



Recording layer

1. first saturate with out-of-plane field
2. then apply reverse field

'Switching' experiment

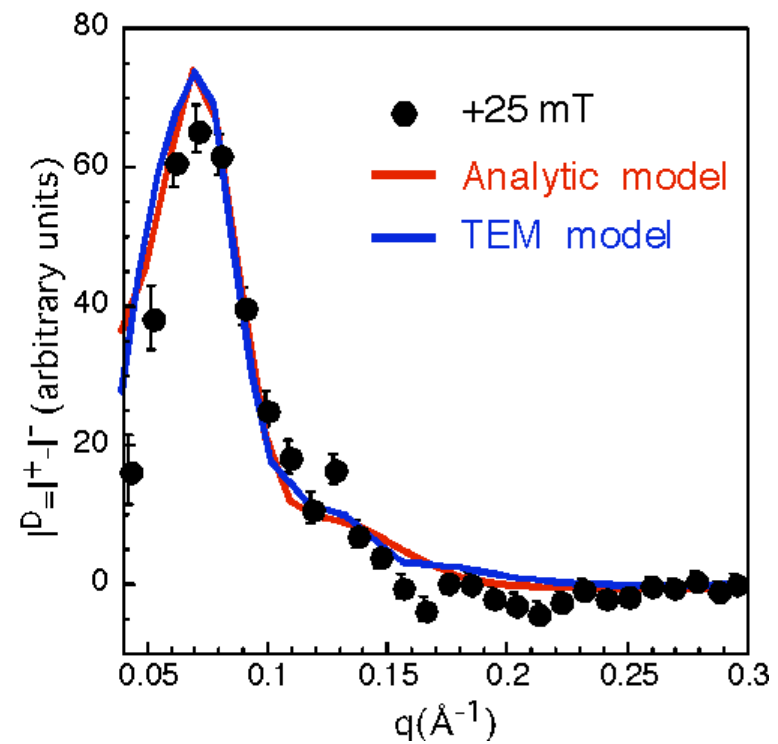
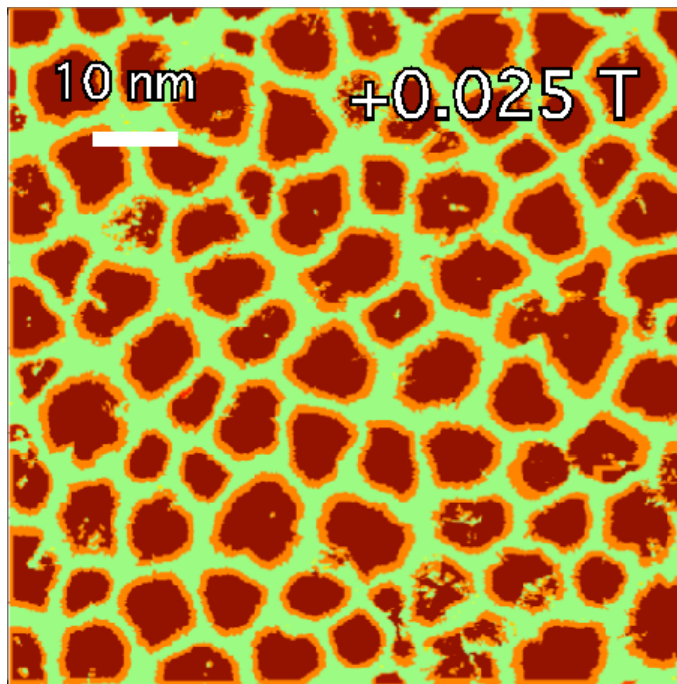


$I^-(Q) - I^+(Q)$ $\longrightarrow$ changes sign as grains reverse magnetisation

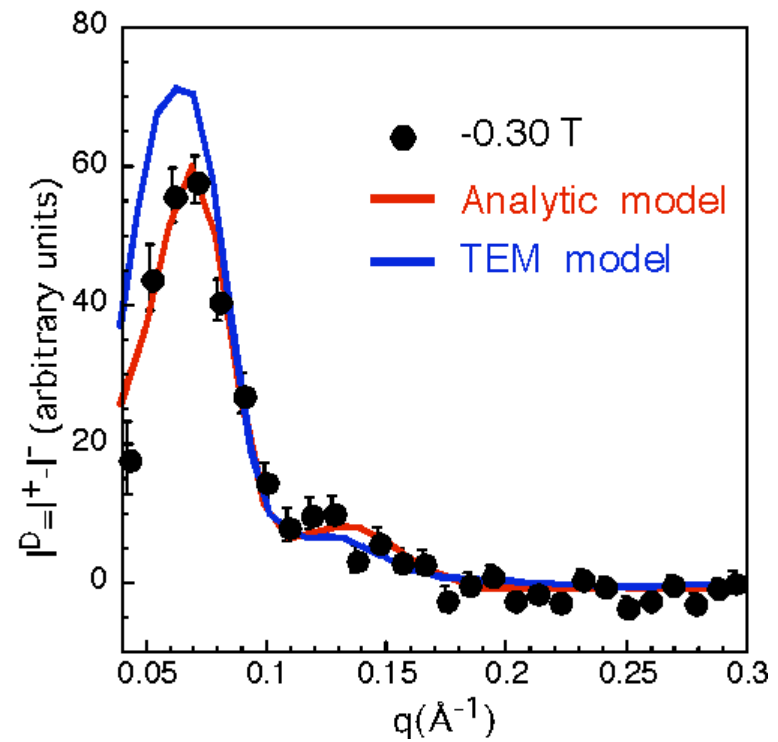
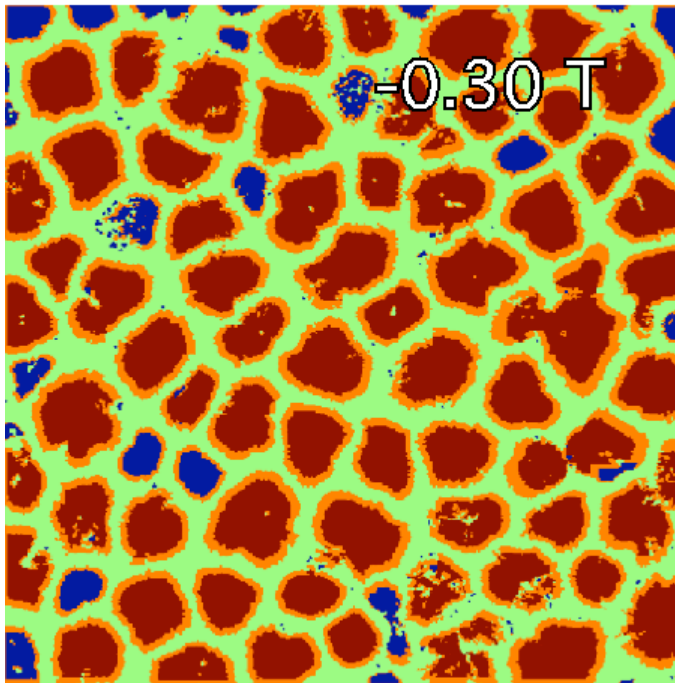
q-dependency $\longrightarrow$ length scale over which reversal has occurred

$\longrightarrow$ Information on which sized grains reverse at each reversal field

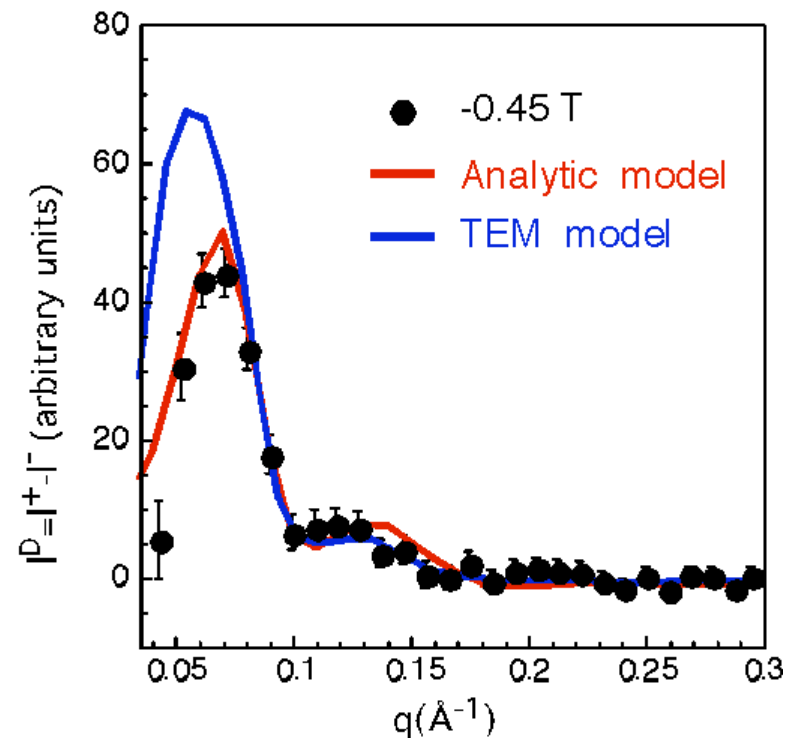
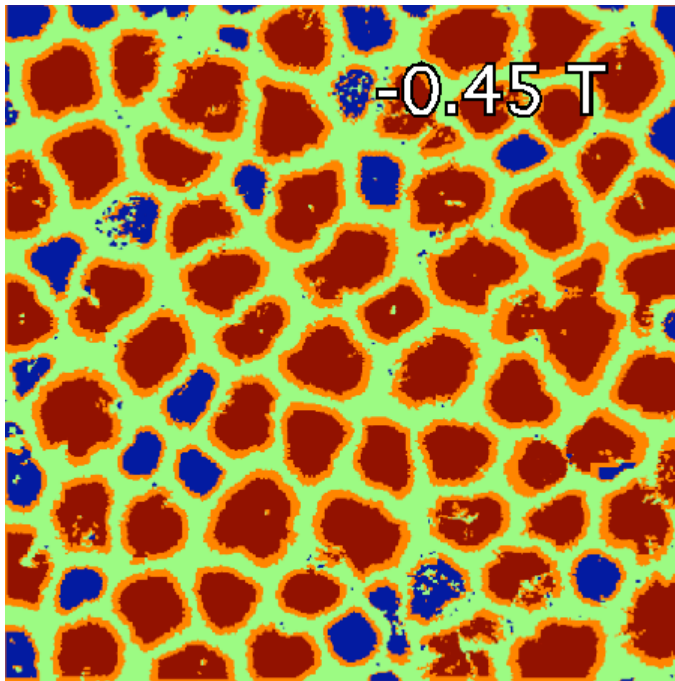
'Switching' experiment



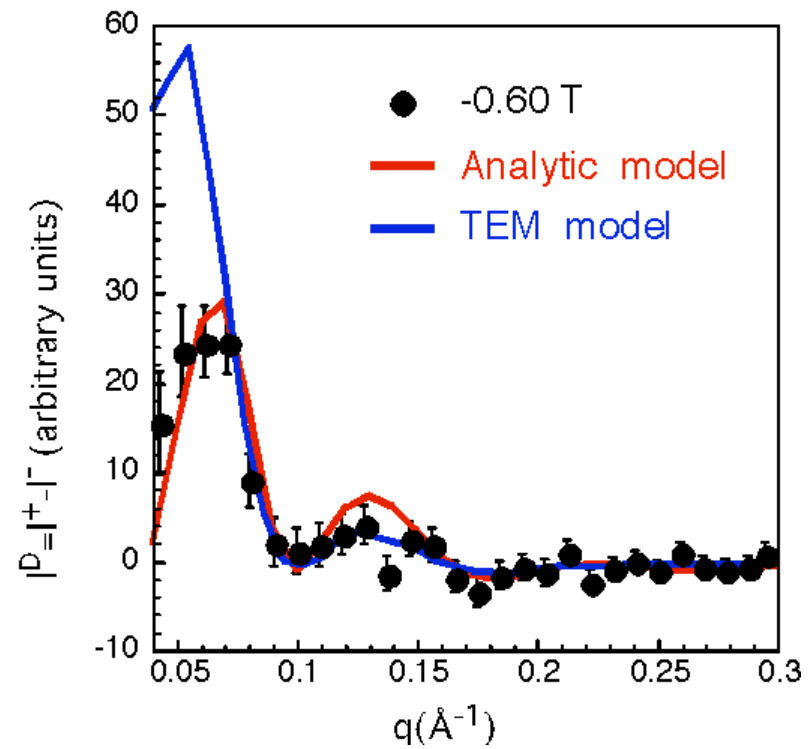
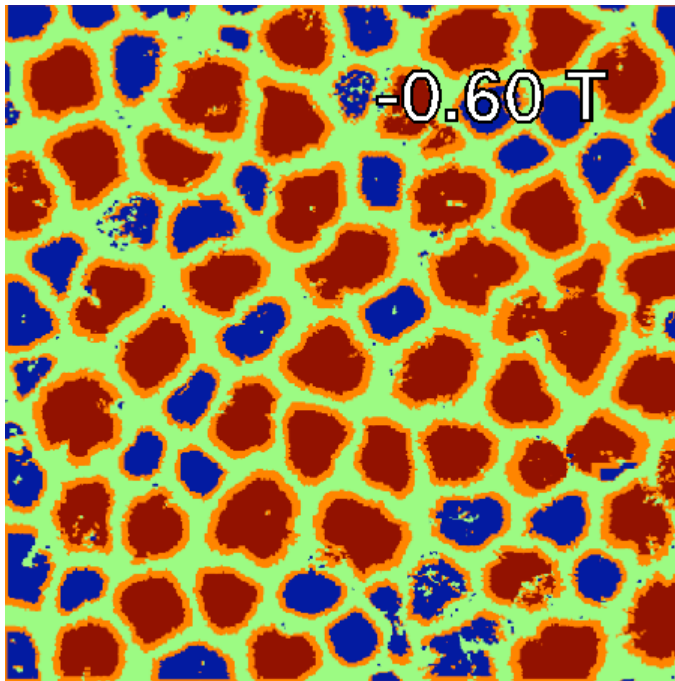
'Switching' experiment



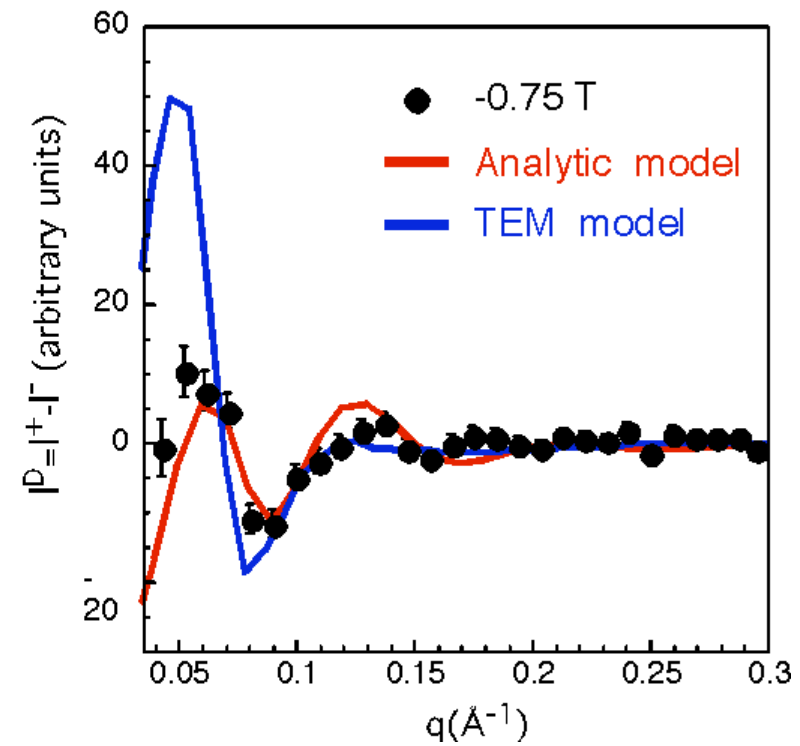
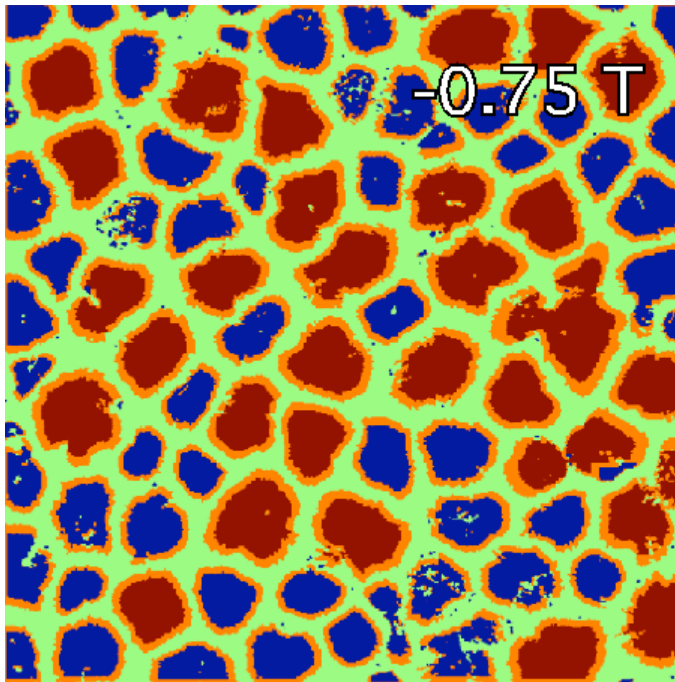
'Switching' experiment



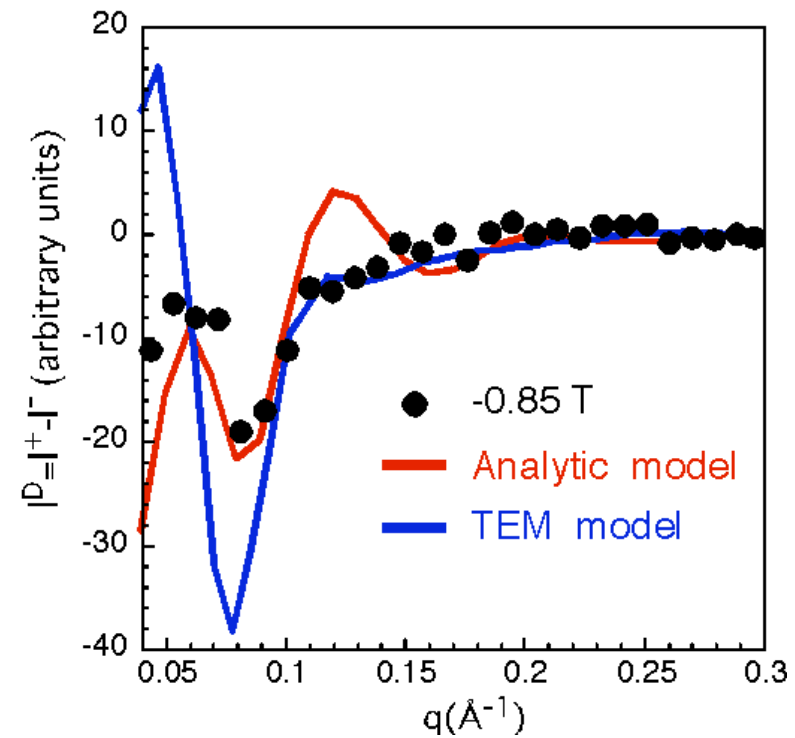
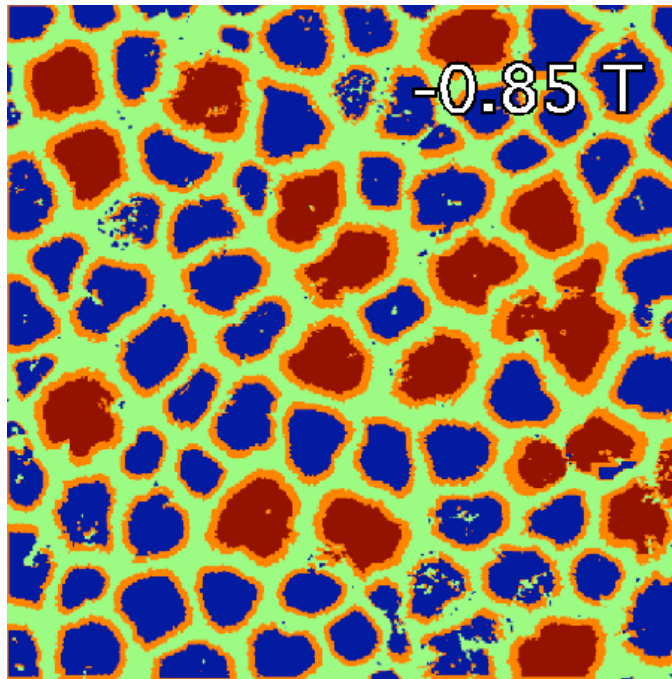
'Switching' experiment



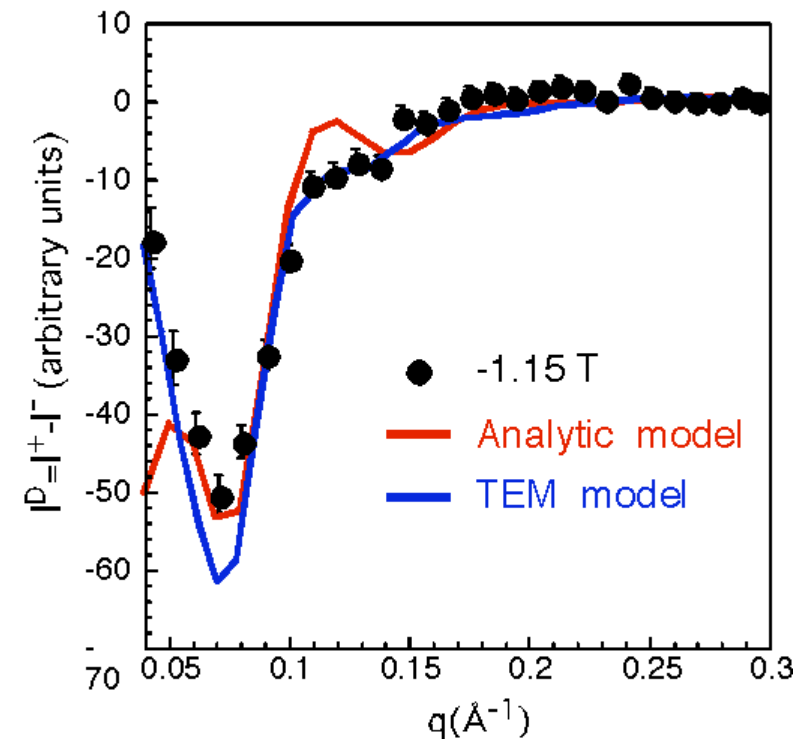
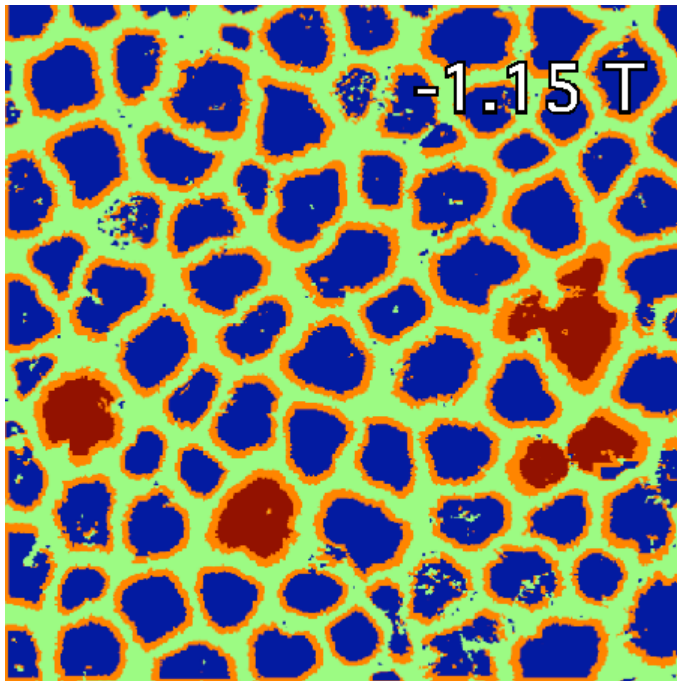
'Switching' experiment



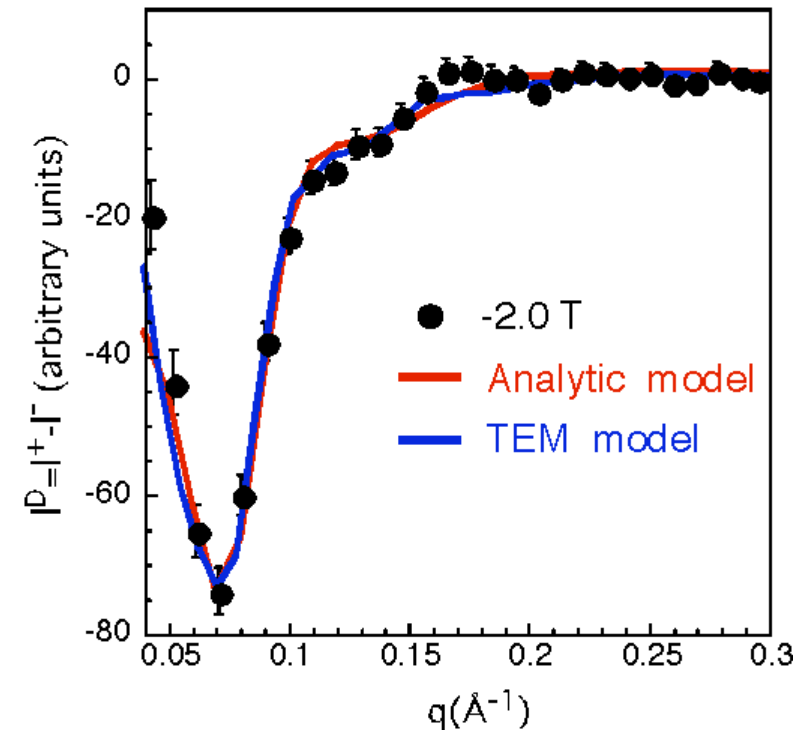
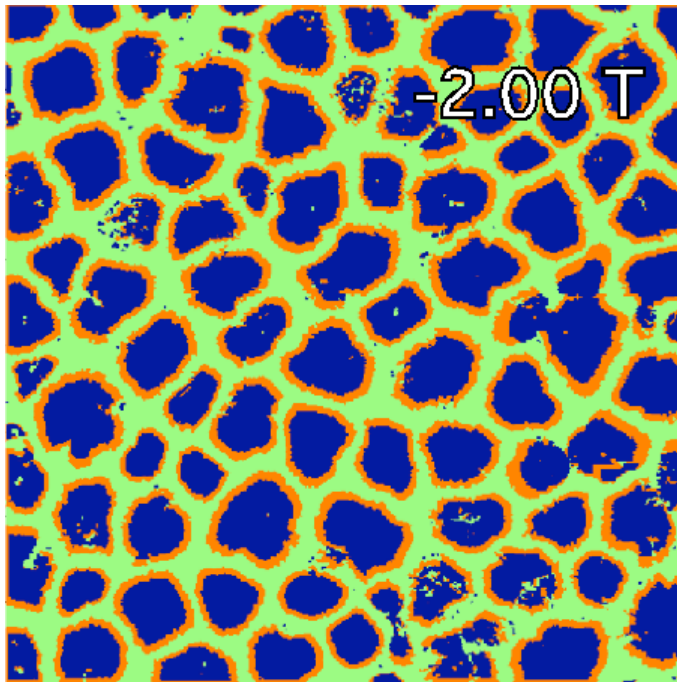
'Switching' experiment



'Switching' experiment



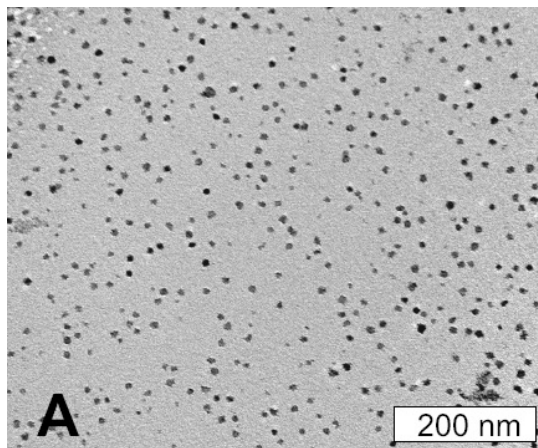
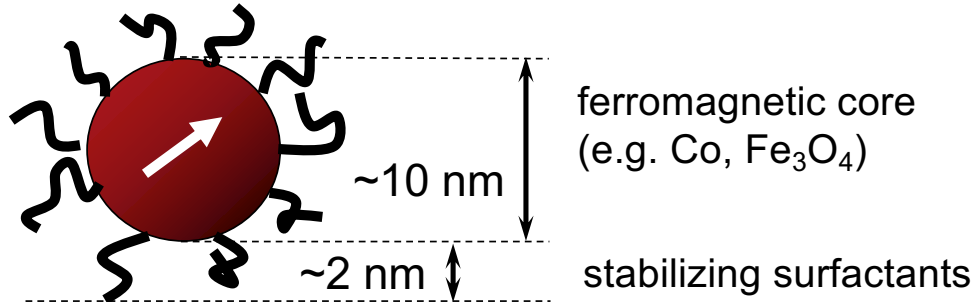
'Switching' experiment



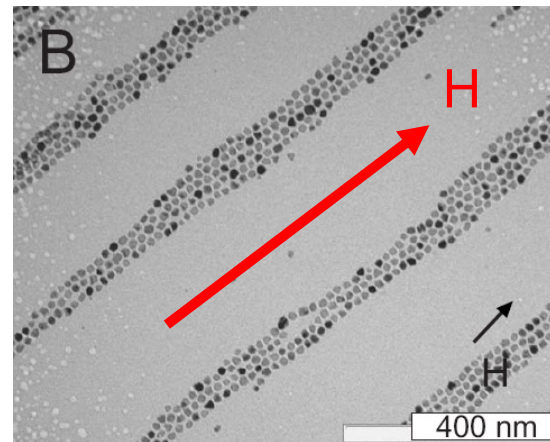
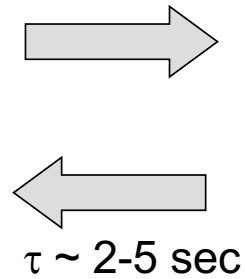


<https://youtu.be/n8Zvyr2Bc5Y>

Magnetic colloids

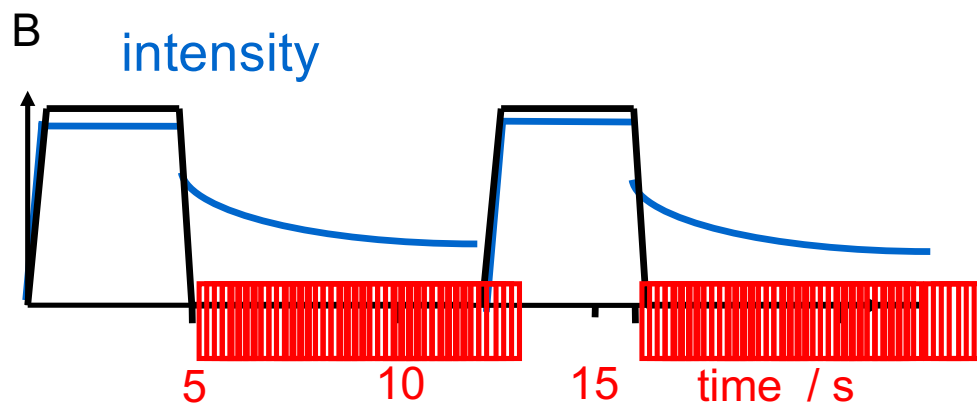
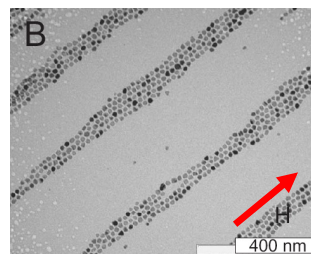
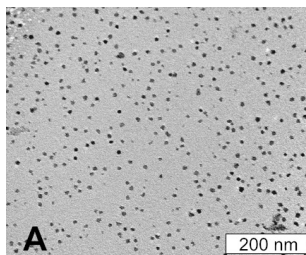


zero field



field induced ordering

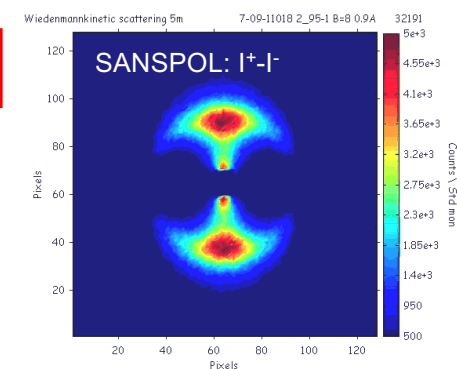
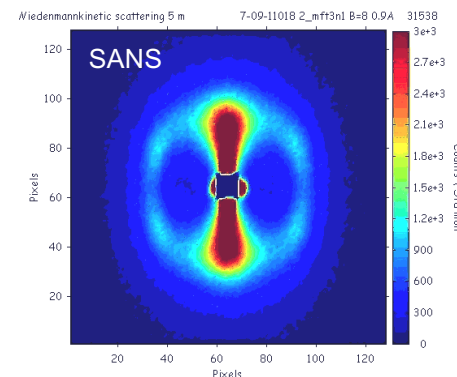
time-resolved SANS and SANSPOLE



decay of nuclear and magnetic
correlations measured in time

slices of 0.1 s

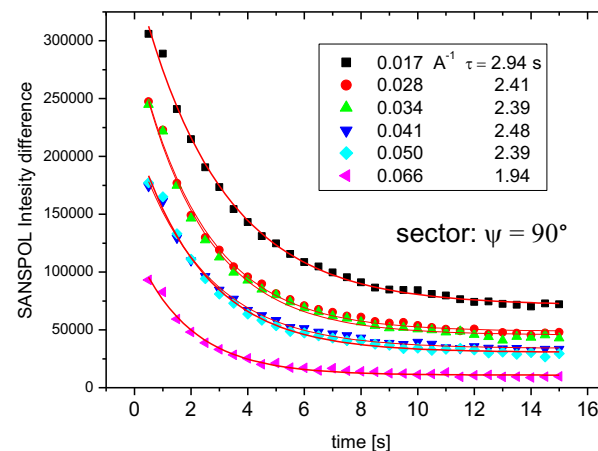
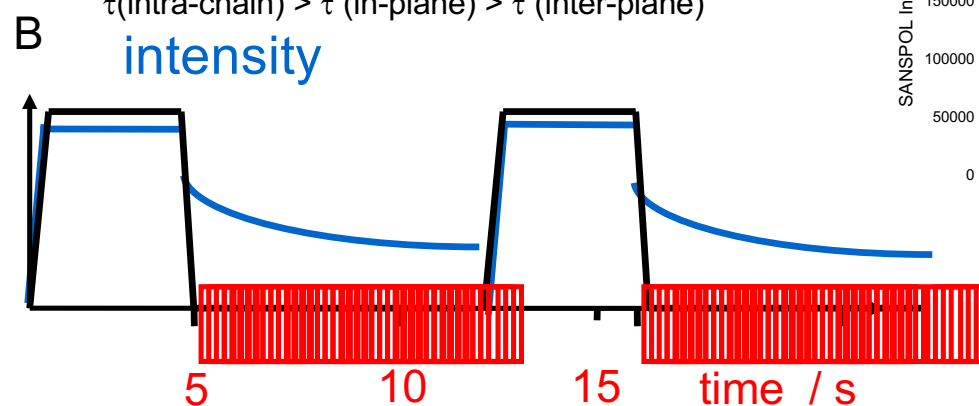
duty cycle 15-30 s



time-resolved SANSPOL

switch-off of B:

- slow decay of field-induced ordering (few seconds).
- fully reversible relaxation onto equilibrium
- single exponential decay:
time constants depending on Q and $B_{\max}$
 $\tau(\text{intra-chain}) > \tau(\text{in-plane}) > \tau(\text{inter-plane})$



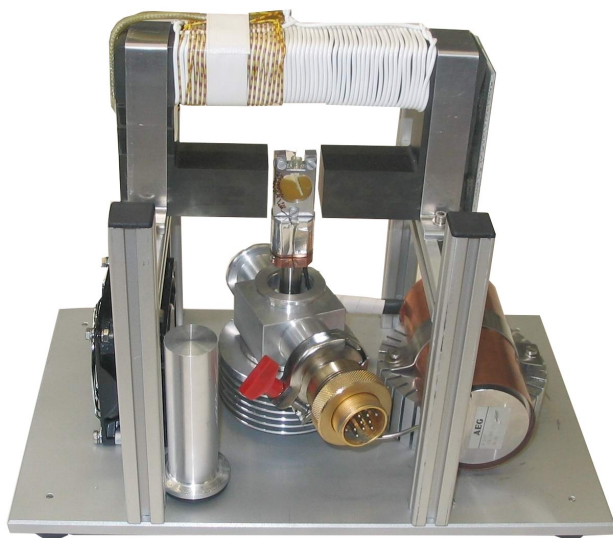
Slow exponential decay
when B is switched off
 $I(t) = I_0 \exp(-t/\tau)$

switch-on of B:

reordering follows B-sweep rate: process too fast!

Extensions: Sample environments

small electromagnet with closed cycle refrigerator



temperatures :

70K - 300K

magnetic field:

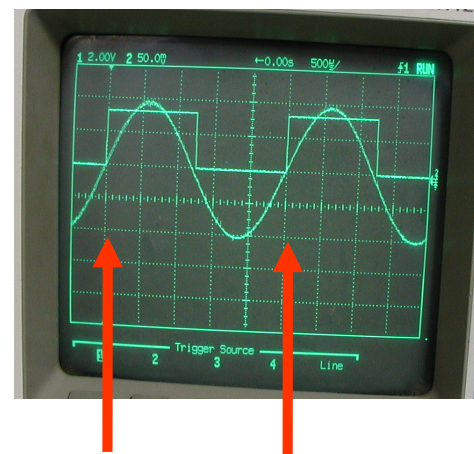
ac, dc, ac+dc :

± 40 mT

frequency:

sine-wave, square

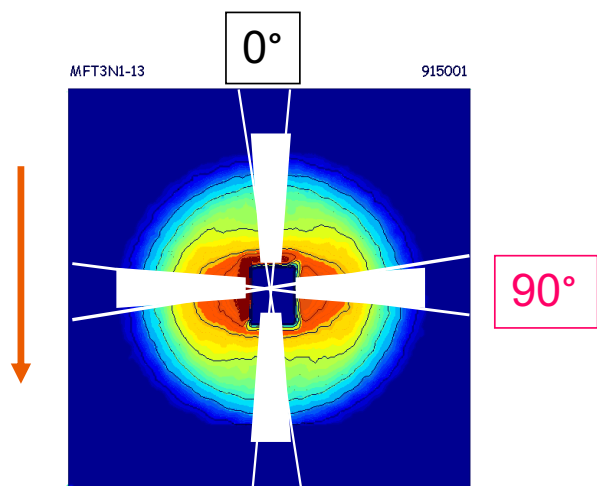
ν : mHz... 5 kHz



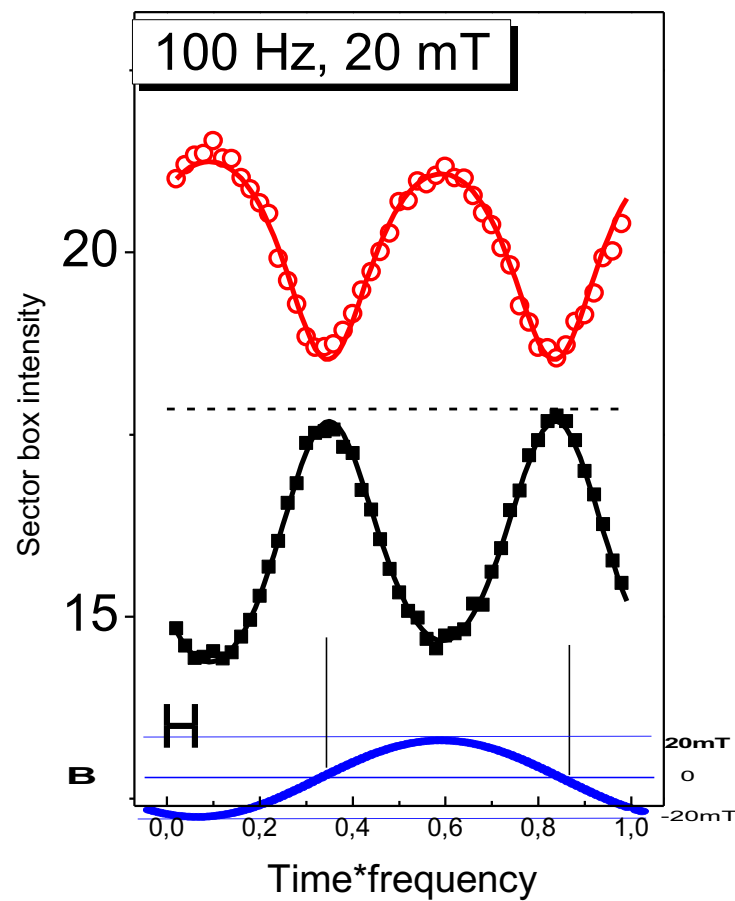
trigger for data
acquisition of 2D
detector

stroboscopic SANS

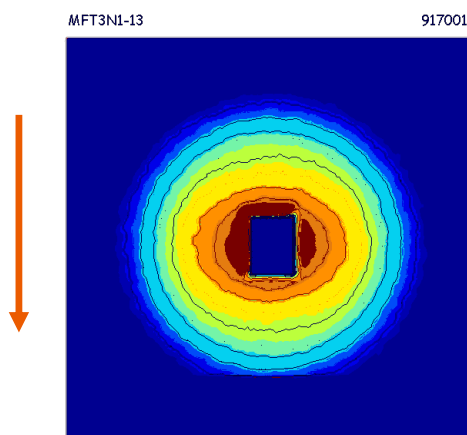
$$\nu_s = 100 \text{ Hz} \quad B_0 = 20 \text{ mT}$$



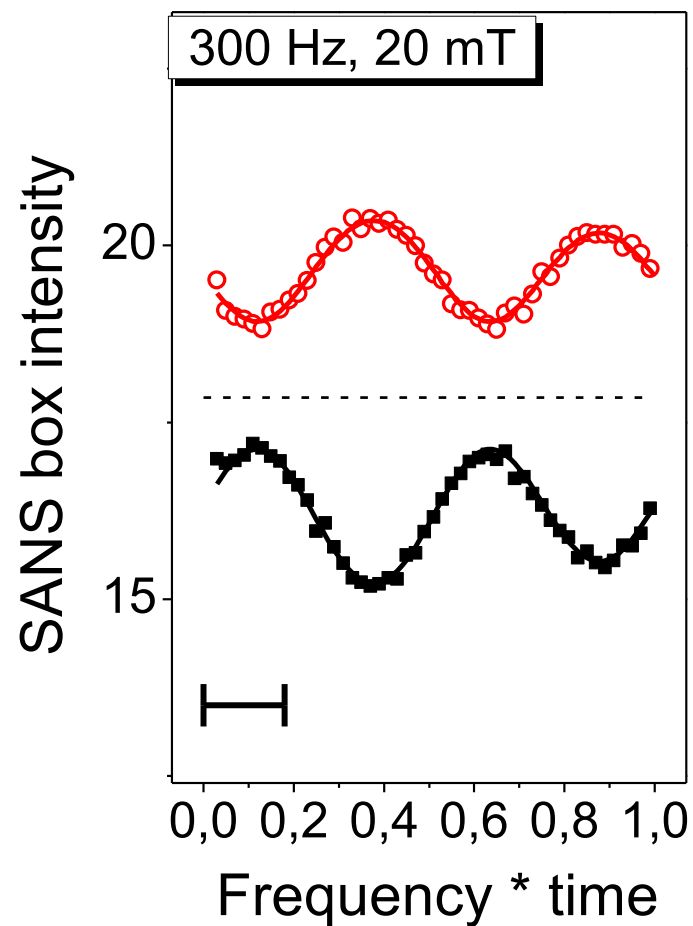
frequency of response
twice of **B-field**



stroboscopic SANS

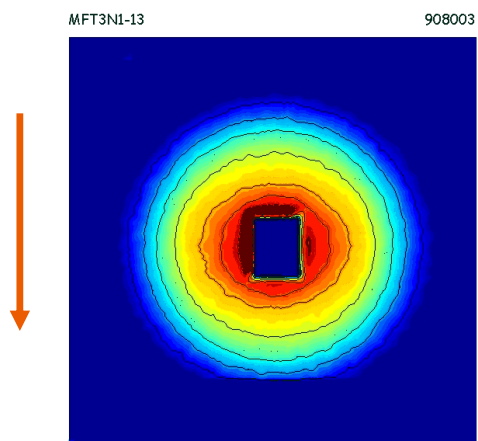
 $\nu_s = 300 \text{ Hz}$ $B_0 = 20 \text{ mT}$ 

damping of oscillations
with increasing frequency



stroboscopic SANS

$\nu_s = 600 \text{ Hz}$ $B_0 = 20 \text{ mT}$



damping of oscillations
with increasing frequency

