

Flow case: Maglev

Numerical Flow Simulation

Overview

- Problem definition
 - physical problem
 - model geometry
 - flow conditions
- Numerical simulations
 - pre-processing
 - solver
 - post-processing
- Possible improvements
 - numerical simulation
 - Maglev concept

Simulation methodology: basic steps

1. Problem definition

- define simulation goals (physical problem, important questions...)
- identify geometrical domain

2. Pre-processing

- create the geometry
- create the mesh

3. Computation

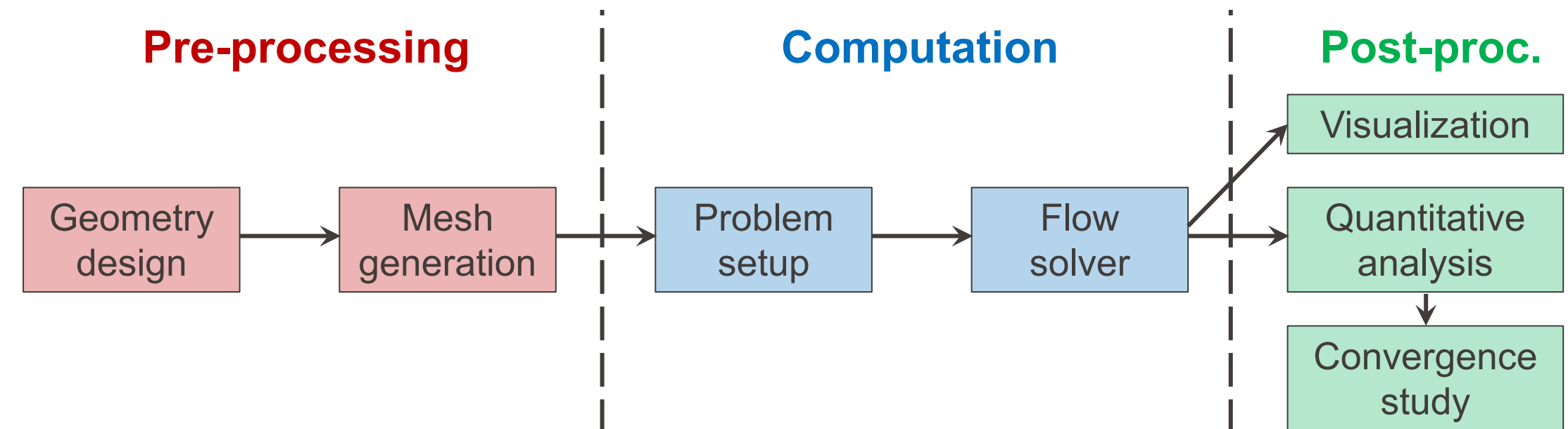
- choose the physical model (turbulence, multiphase...)
- choose the numerical method (spatial discretization, time integration...)
- run flow solver

4. Post-processing

- examine the numerical results (visualization, quantitative analysis)
- extract insights regarding physical behavior

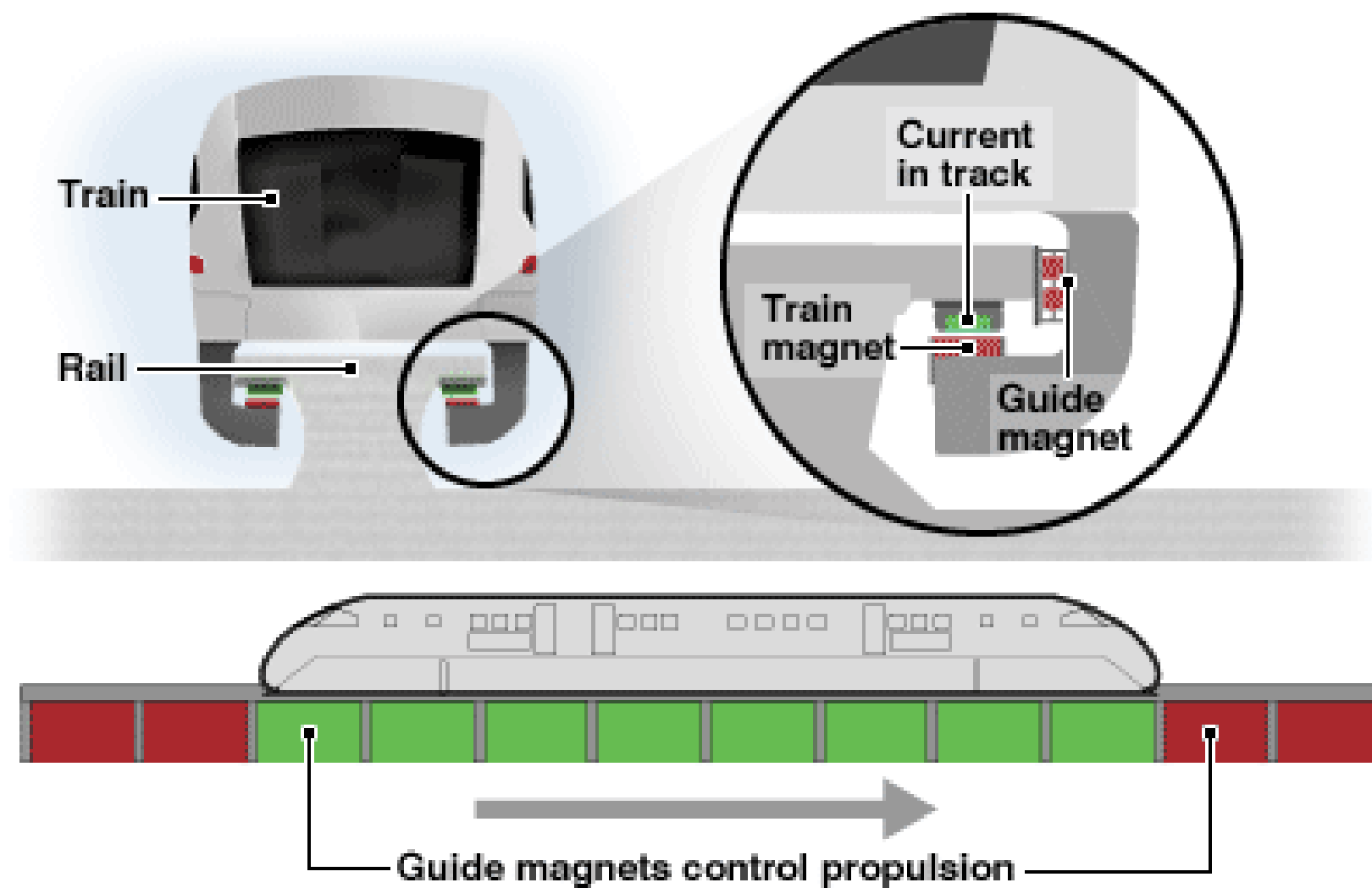
5. Improvement

- perform verification and validation
- revise problem definition (geometry, mesh, modeling, solver)



Physical problem

- Maglev (magnetically-levitated) vehicles for high-speed ground transport
 - magnetic levitation to provide “frictionless” interaction with the rail
 - linear motors are used for propulsion (speeds in excess of 1000 km/h)
 - aerodynamic cooling of levitation and propulsion systems



Shanghai Maglev

Physical problem

- Maglev (magnetically-levitated) vehicles for high-speed ground transport
 - SwissRapide (proposed) Maglev transportation system
 - fast (500 km/h) above-ground system
 - energy efficient, environmentally friendly, low maintenance & operation cost

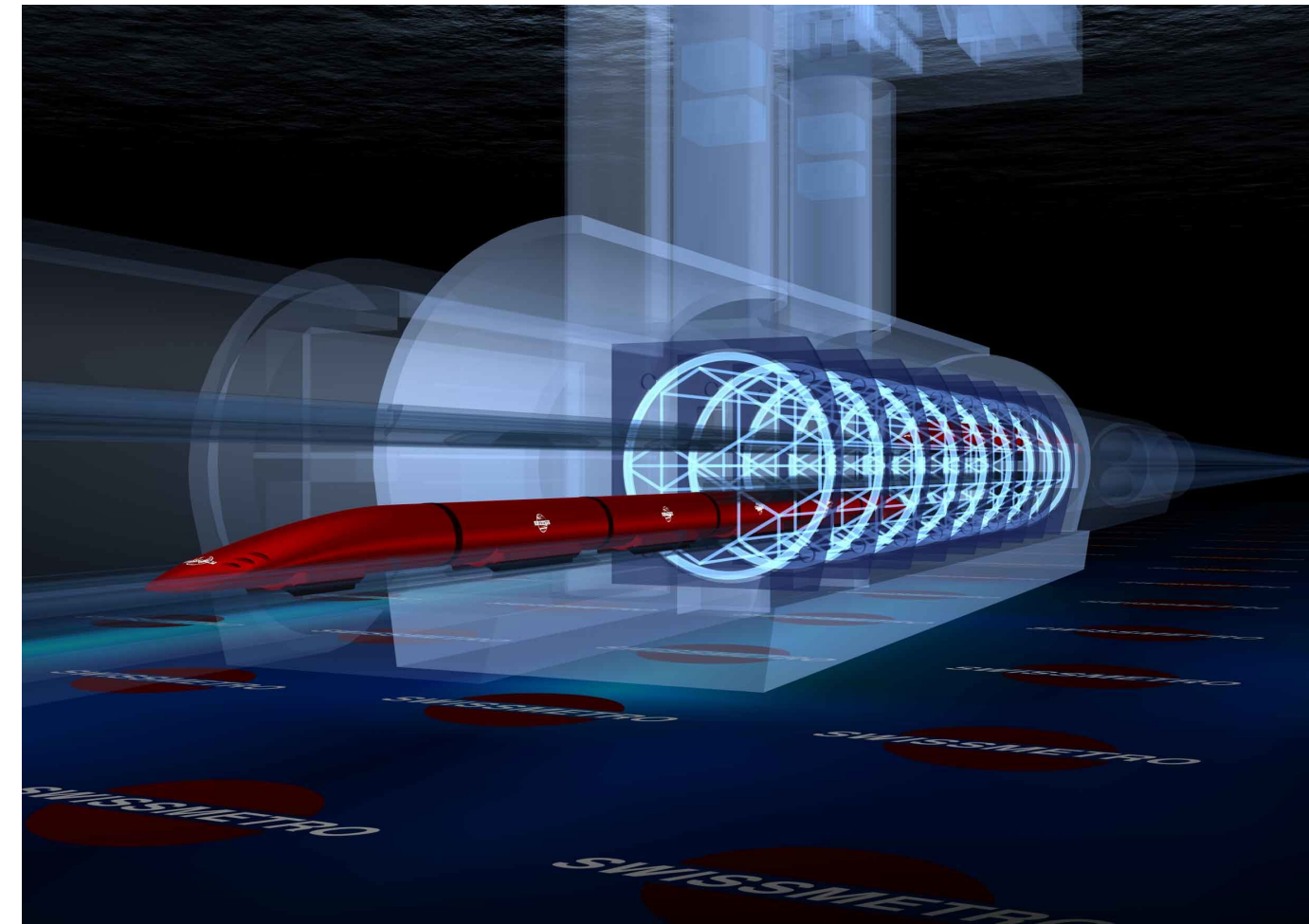
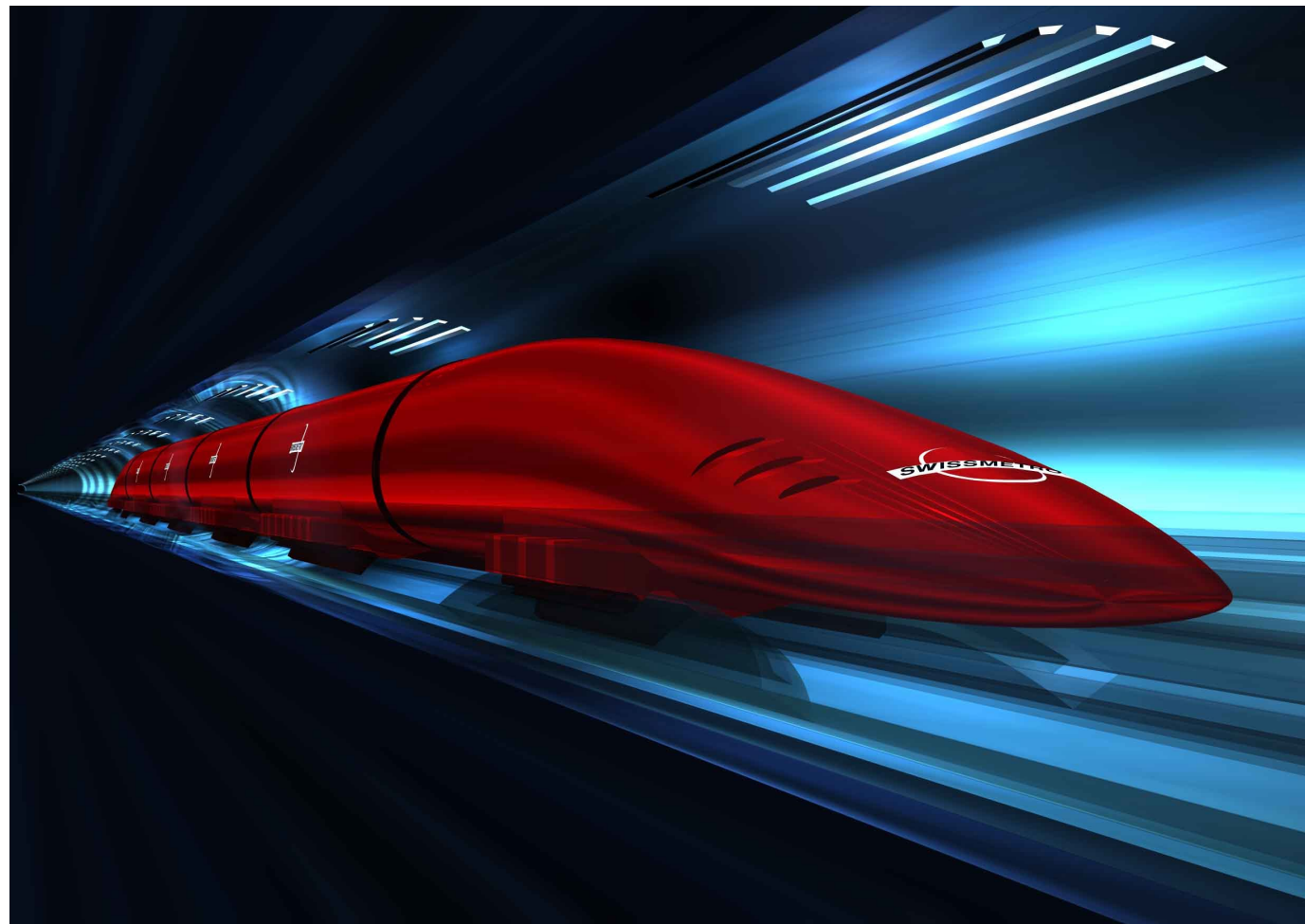


www.swissrapide.com

Physical problem

- Vactrain: high-speed vehicle in a de-pressurized tunnel
 - reduced aerodynamic drag
 - underground system provides less surface disruption
 - basis for the Swissmetro concept (1974-2009)

Numerical Flow Simulation



www.swissmetro.ch

Physical problem

- Vactrain: high-speed vehicle in a de-pressurized tunnel
 - recently re-invented as the Hyperloop concept by Tesla and SpaceX
- Hyperloop concept
 - pod-like vehicle design, reduced pressure tubes
 - open-source approach to advance technology
 - test track has been constructed
- 2019 Hyperloop Pod Competition
 - worldwide university student competition
 - design the best self-propelled transport pod
 - sole criterion: maximum speed
 - tested in one-mile Hyperloop test track
 - EPFLoop placed 3rd

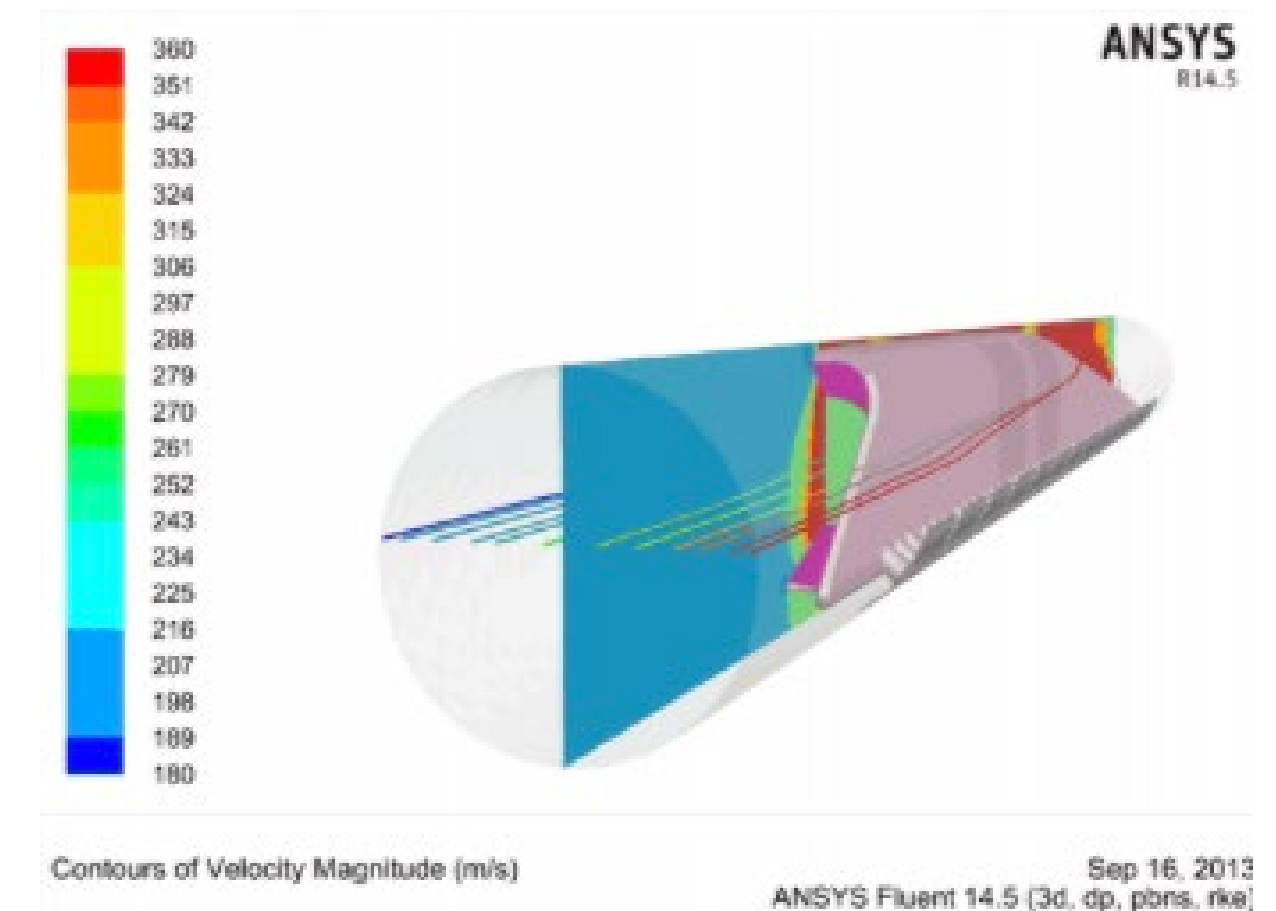


<http://www.spacex.com/hyperloop>

Physical problem

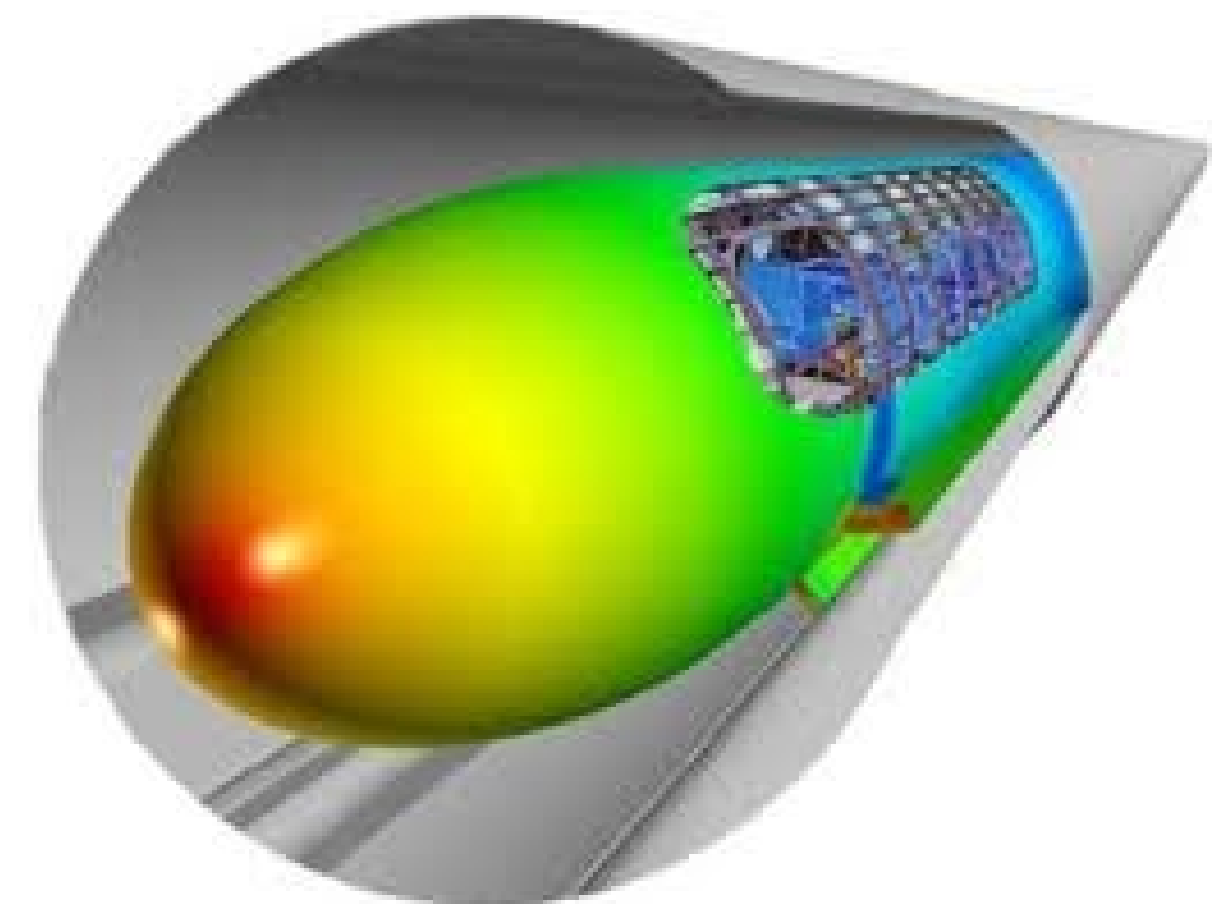
- Operation in a long tunnel
 - high blockage ratio leads to strong “piston” effect
 - aerodynamic forces different in a tunnel and in open environment
 - cooling also influenced by different aerodynamics
- In 2013, ANSYS ran CFD simulations to investigate the aerodynamics of the pod. They showed that:
 - the capsule would need to be significantly reshaped to avoid creating supersonic airflow,
 - Hyperloop has challenges but may be feasible.

Numerical Flow Simulation



Physical problem

- Goals of present numerical simulation study
 - Compute 2D solution for low-speed flow in a tunnel
 - flow fields
 - surface pressure, lift & drag forces
 - thermal effects in cooling system
 - Compute 3D solution for high-speed flow in tunnel
 - determine influence of velocity on flow & thermal properties
 - Determine influence of tunnel
 - compare solution with & without tunnel
 - optimize design of tunnel

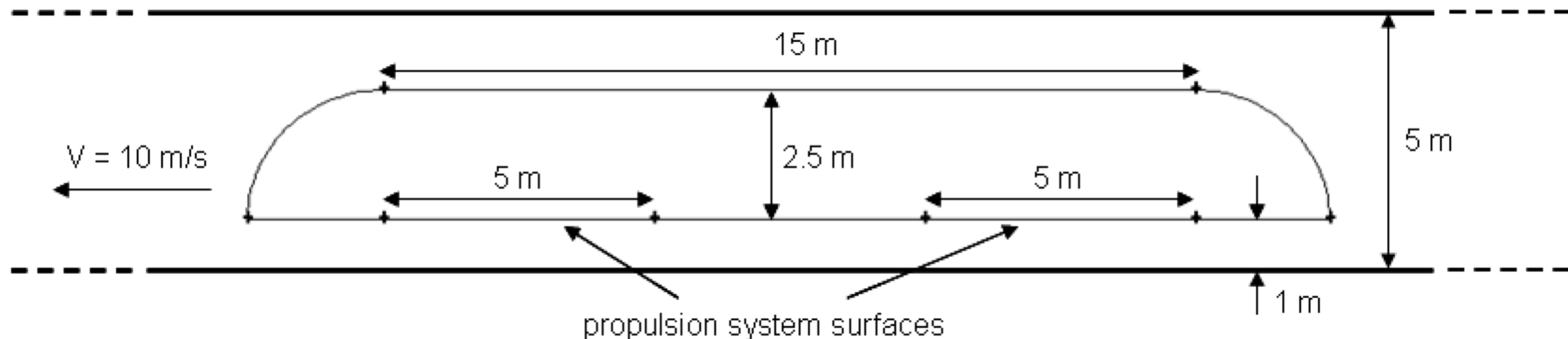


Physical problem

- Goal of this lecture: to present the procedure for NFS
 - Typical selection of choices are presented
 - These choices are not necessarily optimal; they need to be analyzed
 - “The correct solution” is not presented (since it does not exist)
 - Your goal is to propose improvements of the presented solution

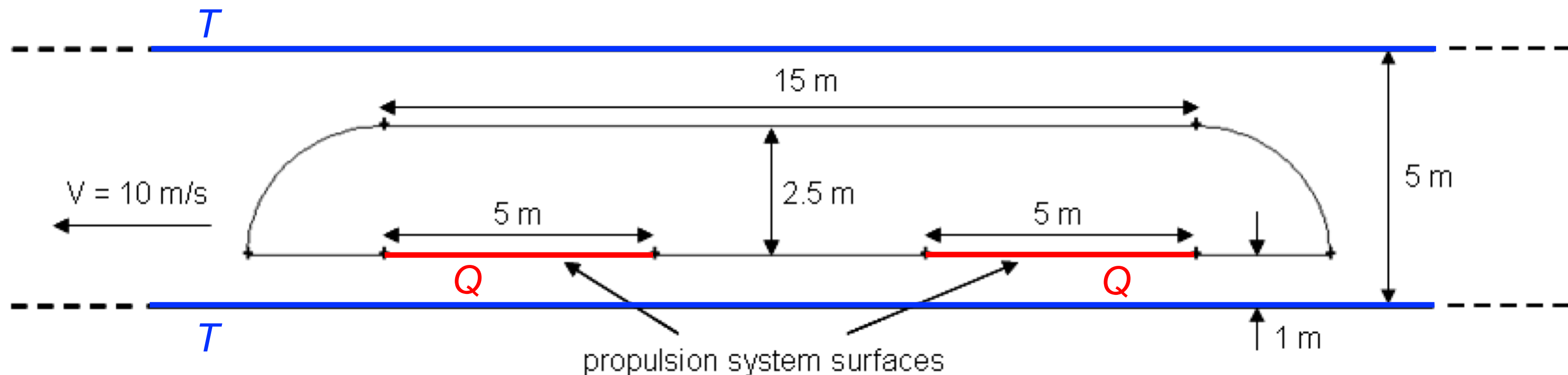
Maglev geometry

- In this study: simplified Maglev geometry
 - 2D cross-section through vertical midplane
 - Central rectangular section with circular nose and tail
 - Maglev length $L = 20$ m, Maglev diameter $d = 2.5$ m, tunnel diameter $D = 5$ m
 - Neglect central and guidance rails
 - 2 propulsion systems (electromagnets) incorporated into lower surface (investigate thermal effects)



Flow conditions

- Flow and thermal conditions:
 - vehicle speed, $v = 10 \text{ m/s}$ (36 kph)
 - constant heat flux on propulsion system surfaces, $Q = 5 \text{ kW/m}^2$
 - all other train surfaces are assumed adiabatic
 - tunnel surface has a constant temperature, $T = 15 \text{ C}$
- Material properties (air):
 - density, $\rho = 1.225 \text{ kg/m}^3$
 - dynamic viscosity, $\mu = 1.7894 \times 10^{-5} \text{ Pa s}$
 - specific heat capacity at constant pressure, $C_p = 1.006.43 \text{ J/kg K}$
 - thermal conductivity, $k = 0.0242 \text{ W/m K}$
 - upstream turbulence intensity = 5%



Flow conditions

- Dimensionless numbers

- Reynolds number

- $Re = \rho_{\infty} V_{\infty} d / \mu = 1.7 \times 10^6 \gg 1$
 - Fully turbulent flow
 - Thin boundary layer (thickness $\delta \sim x / Re^{1/2}$)
→ choice of wall treatment for turbulence model

- Mach number

- $M_{\infty} = V_{\infty} / c = V_{\infty} / (\gamma p_{\infty} / \rho_{\infty})^{1/2} = 0.03 \ll 1$
 - Flow can be considered as incompressible
→ choice of physical model for fluid
→ choice of numerical method

Flow conditions

- Dimensionless numbers

- Prandtl number (depends only on material)

- $Pr = \text{momentum diffusivity} / \text{thermal diffusivity} = \mu/(k/C_p) = 0.74$
 - Thermal boundary layer, $\delta_t \sim \delta/Pr^{-1/3} \sim 1.1\delta$
→ thermal boundary layer as thin as velocity boundary layer

- Brinkman number

- $Br = \text{heat produced by viscous dissipation} / \text{heat transported by conduction}$
 $= \mu V^2 / k(T_w - T_f) \ll 1$ for air in general
→ viscous heating effects can be neglected (in turbulence model)

- Nusselt number

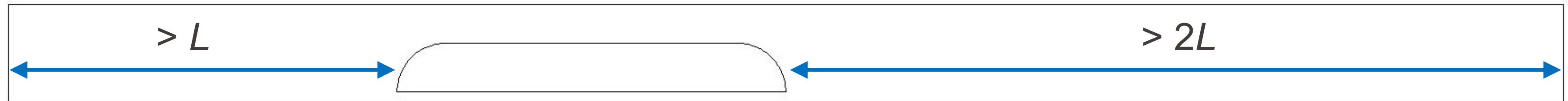
- $Nu = \text{convective heat transfer} / \text{conductive heat transfer}$
 $= h/(k/L)$ (with $h = Q/\Delta T$ the heat transfer coefficient) $> 10^3 \gg 1$
→ heat produced will be transported, not conducted

Flow conditions

- Other geometrical / physical considerations
 - Boundary layers: decide which boundary layers are important
 - Bluff body: possible separation in tail region → need suitable turbulence model to capture accurately separation point.

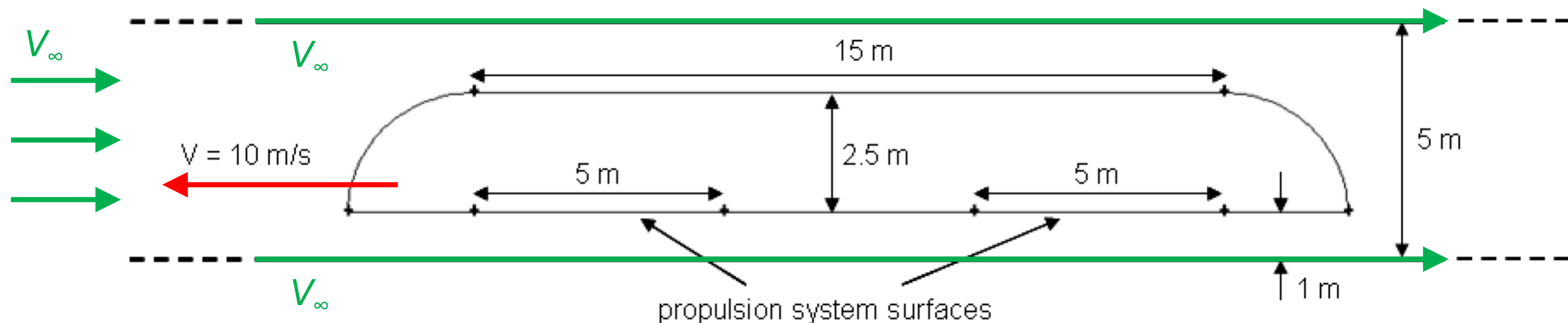
Pre-processing

- Choose locations of inlet and outlet



- Change of frame of reference
 - Use frame in which Maglev is stationary
 - $V_{\infty} = -V_{\text{Maglev}}$
 - Note: tunnel is moving in this frame of reference!

Numerical Flow Simulation



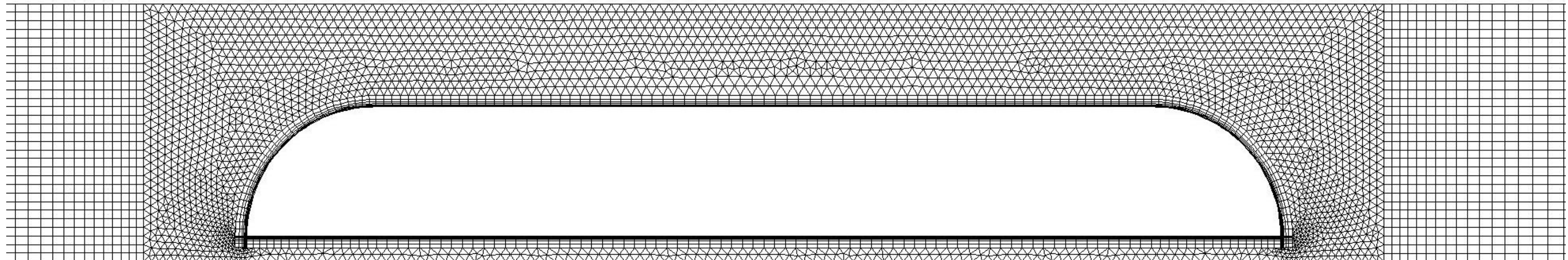
Pre-processing

- Mesh
 - Specific physics to capture:
 - boundary layers (Maglev & tunnel walls)
 - separation point, wake
 - Type of mesh?
 - structured / unstructured / block-structured / hybrid
 - triangular / quadrilateral / mixed



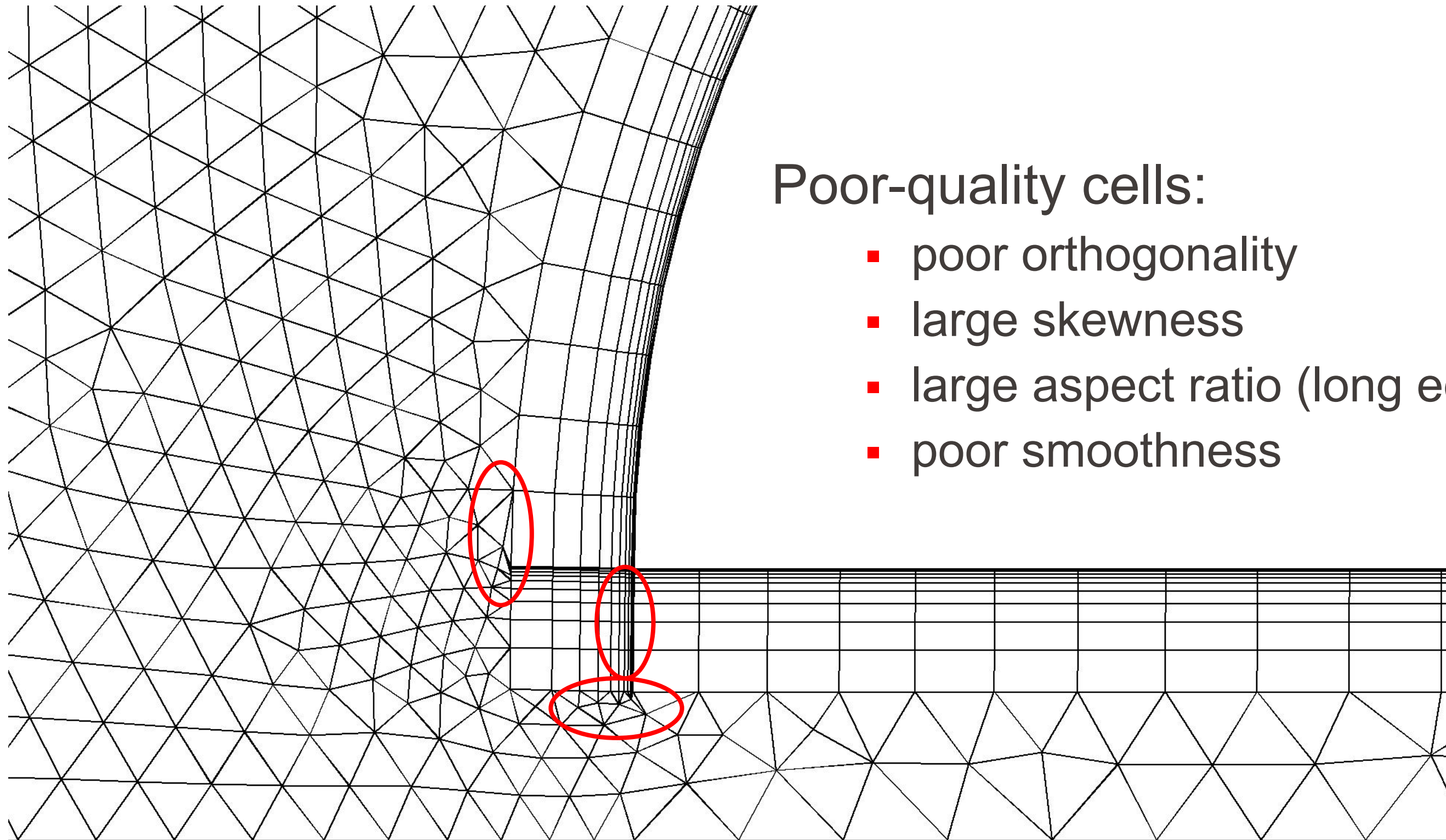
Pre-processing

- Mesh
 - Create a mesh that is not too coarse / too fine
 - Neglect boundary layers on tunnel walls
- Mesh properties
 - hybrid: structured (quad) in boundary layer and tunnel ends + unstructured (tri) (other suitable mesh types exist)
 - 11'220 cells
 - minimum orthogonal quality well below 0.01 → some poor-quality cells!



Pre-processing

- Mesh (close-up): should resolve problems in tail / nose regions



Poor-quality cells:

- poor orthogonality
- large skewness
- large aspect ratio (long edge not in the flow direction)
- poor smoothness

Solver set-up

- Physical models

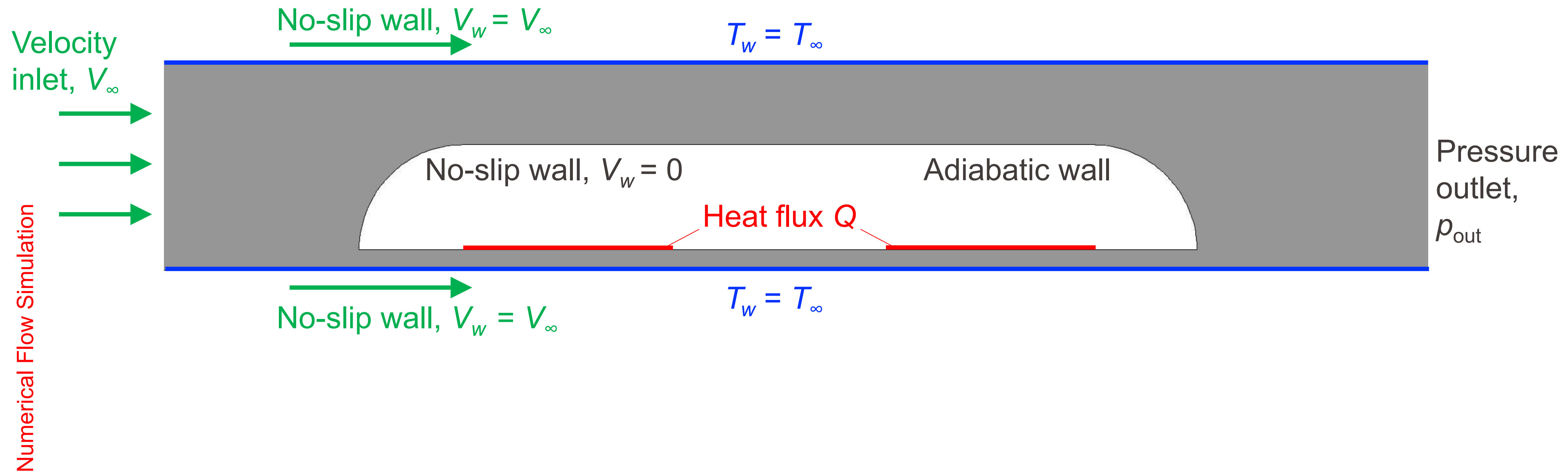
- Ideal gas law, default air properties (atmospheric conditions)
- k - ε turbulence model (k - ω also appropriate)
 - RNG (“realizable” also possible; “standard” doesn’t capture accurately separation)
 - Near-wall treatment: non-equilibrium wall functions (for complex flows, e.g. separation)
 - Neglect viscous heating (Brinkman number $Br \sim 10^{-3} \ll 1$)

- Numerical methods

- Steady
- Pressure-based solver
 - SIMPLE scheme
 - Both first-order and second-order discretization have been considered
 - Default under-relaxation factors
- Convergence: monitor temperature on propulsion system + drag / lift coeffs.

Solver set-up

- Boundary conditions (flow + thermal)



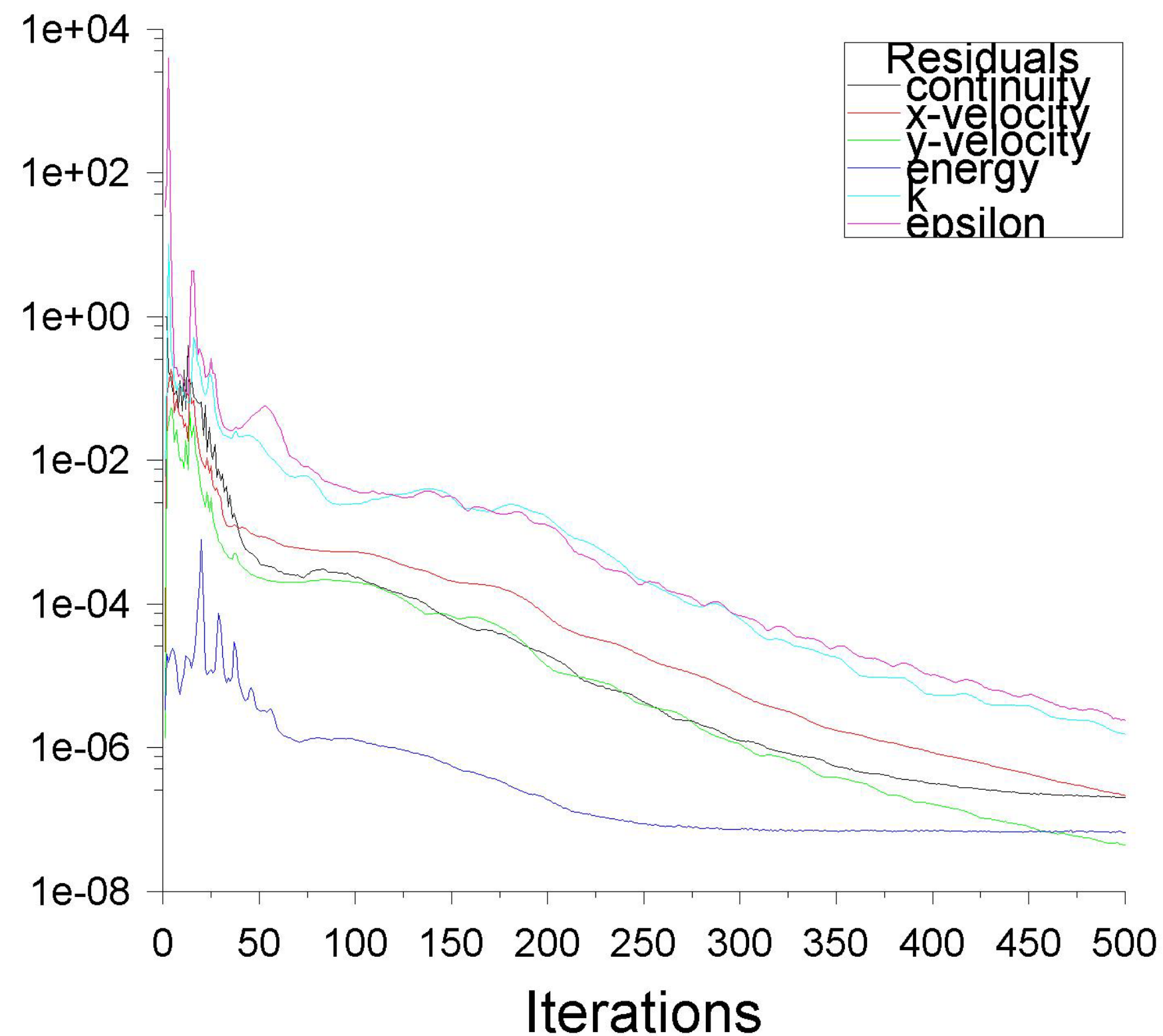
Solver set-up

- Reference values

- Needed for pressure coefficient $C_p = \frac{p - p_\infty}{\frac{1}{2}\rho_\infty V_\infty^2}$, drag / lift coeffs $C_{D/L} = \frac{F_{D/L}}{\frac{1}{2}\rho_\infty V_\infty^2 A}$
- 2D case = 3D with a depth of 1 m
- Length: Maglev length L or height d
- Area: length*depth = $L*1$ (typical for airfoils) or $d*1$ (typical for cars)
- Density: freestream density ρ_∞

Solver procedure

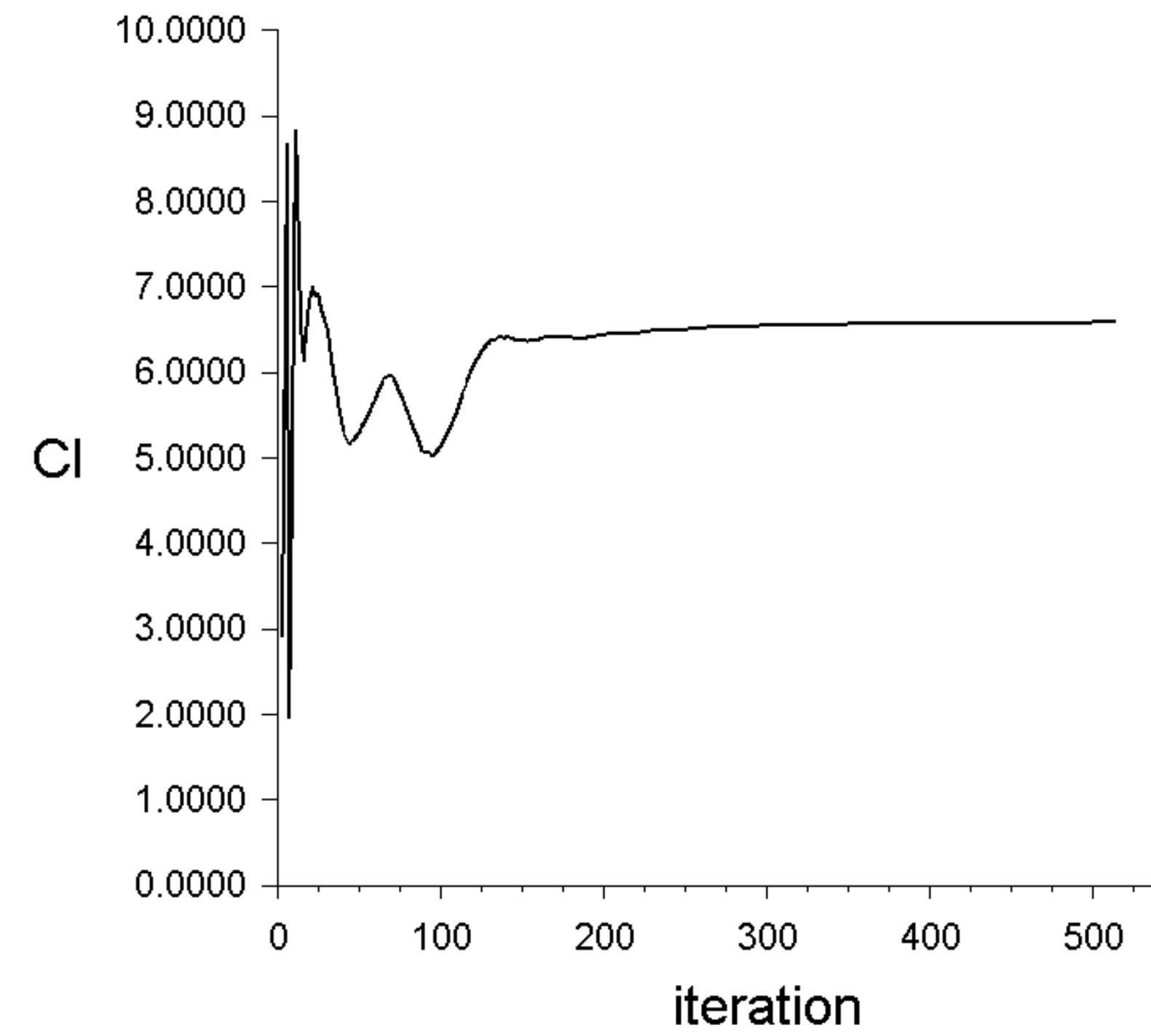
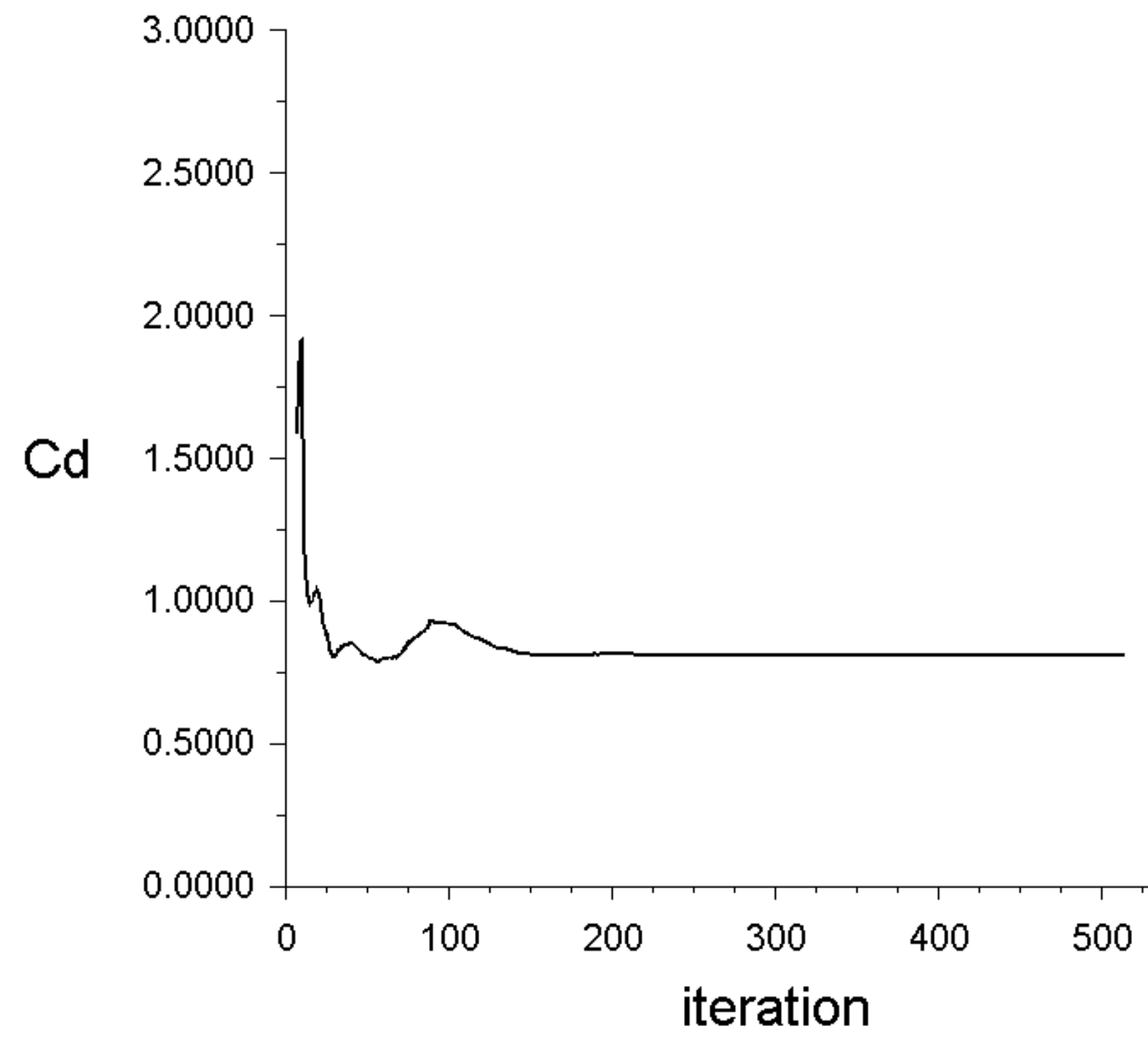
- Convergence: residuals (first-order discretization)



Almost all residuals below 10^{-6} after 500 iterations

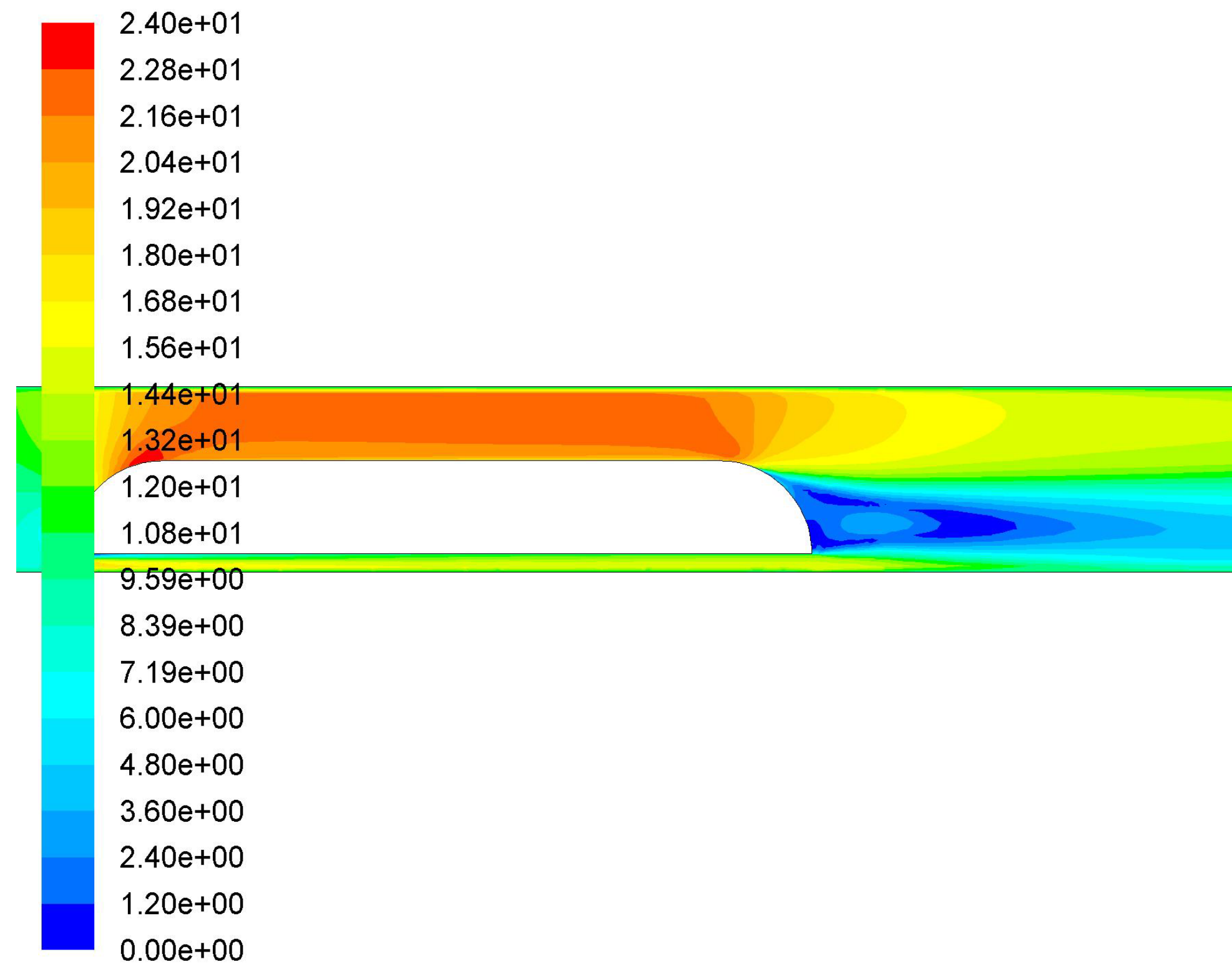
Solver procedure

- Convergence: drag / lift coefficients



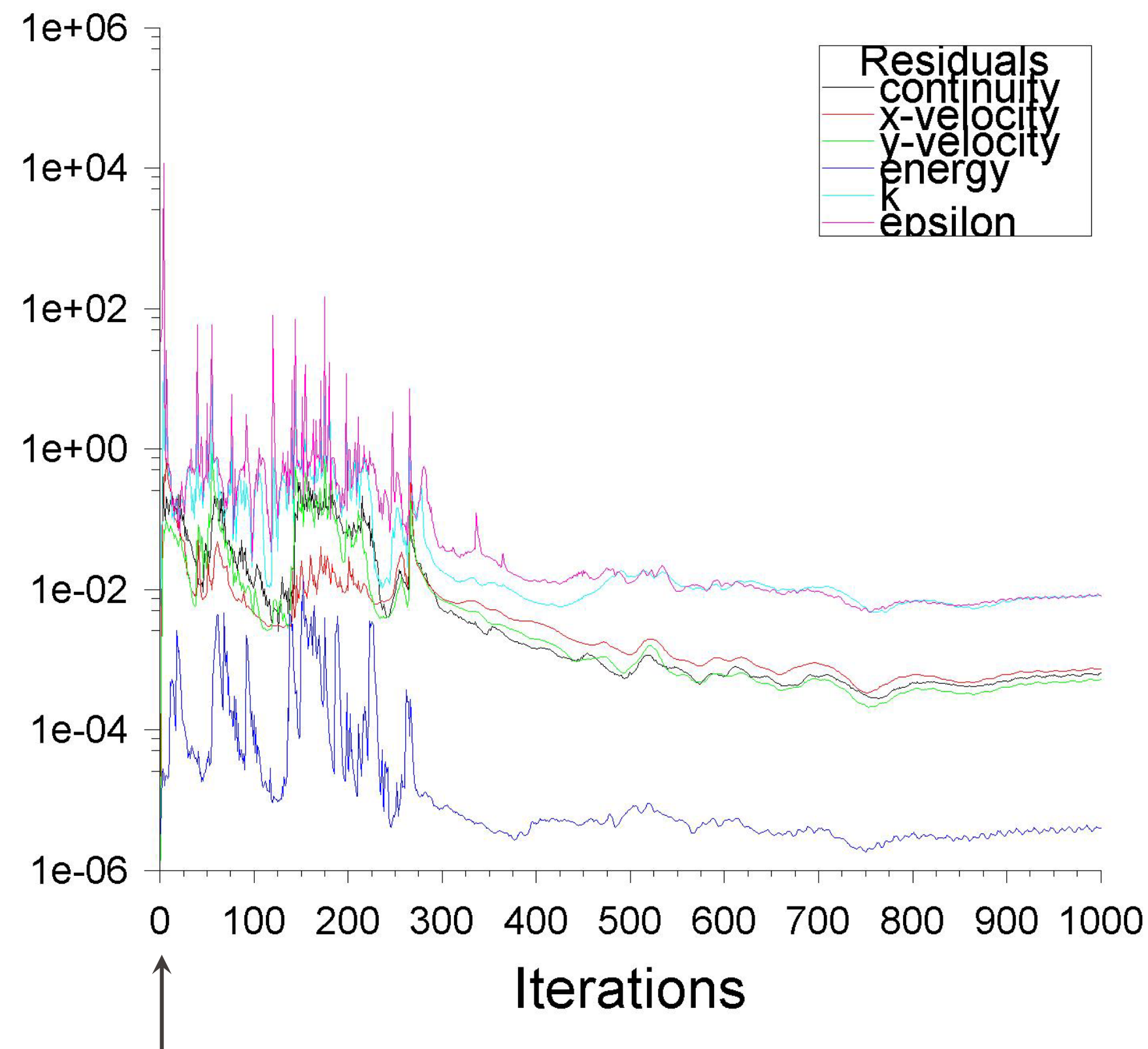
Post-processing

- Contours of velocity magnitude



Solver procedure

- Convergence: residuals (second-order discretization)

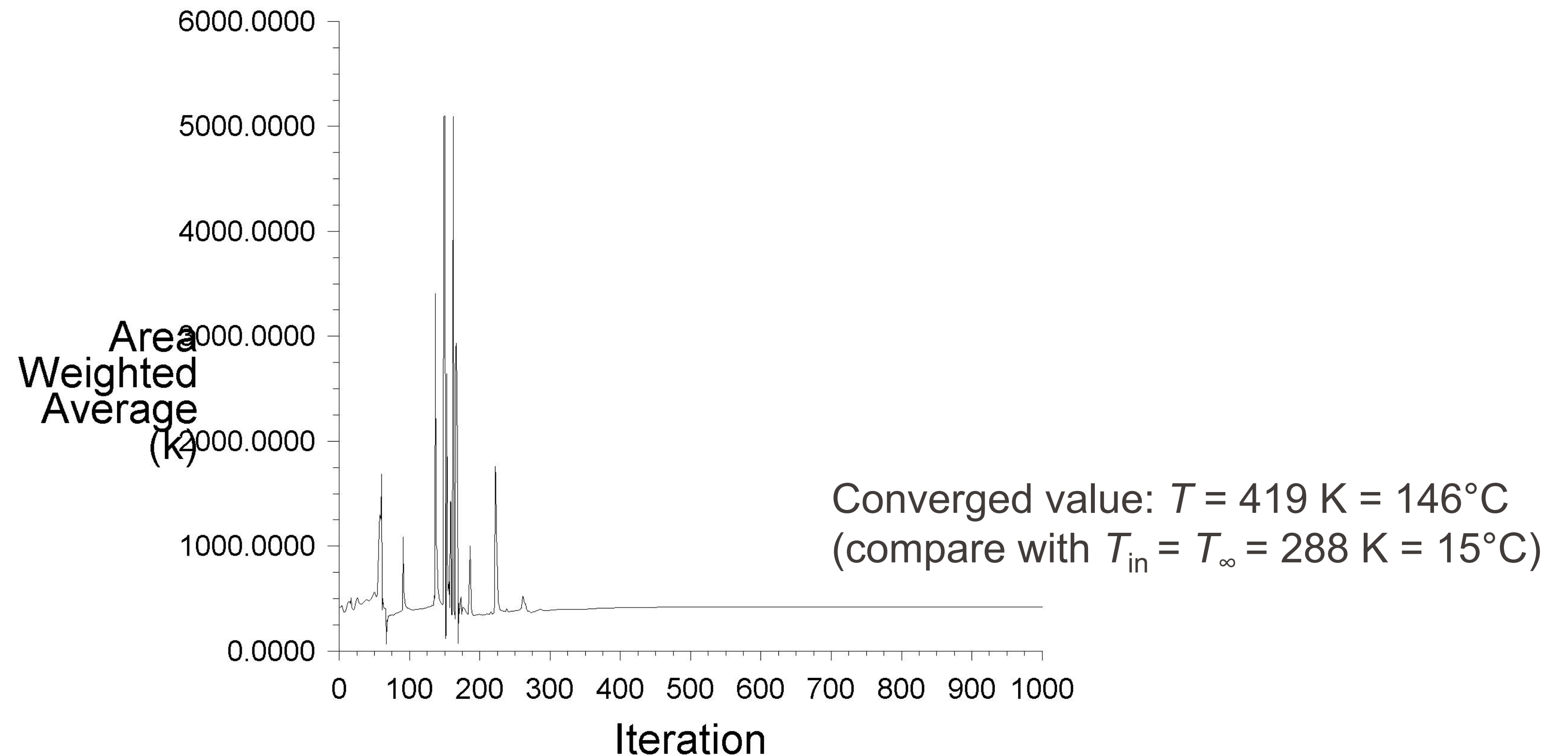


Not quite converged after 1000 iterations. The flow may actually be unsteady.

Note: reinitialized the solution; would have been smarter to restart from 1st-order solution.

Solver procedure

- Convergence: average temperature on propulsion system



Solver procedure

- Convergence: mass conservation
 - Require net mass flux between inlet and outlet to be conserved to $< 0.2 \%$

Mass flow rate [kg/s]	
Inlet	61.25000
Outlet	-61.23362
Net imbalance	0.01638 (0.03 %)

- Mass conservation satisfied for this solution.

Solver procedure

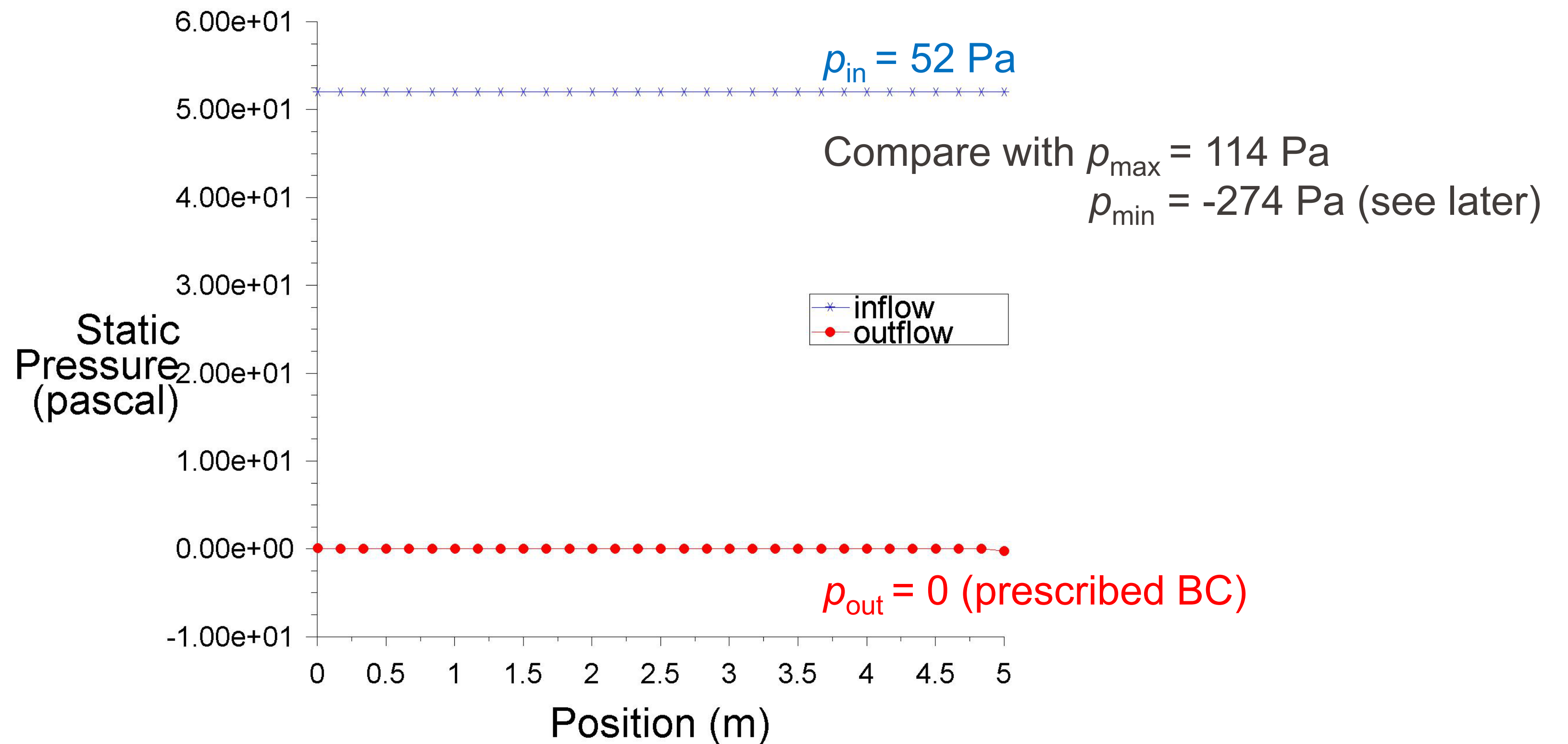
- Convergence: energy conservation
 - Require net heat flux between inlet and outlet to be conserved to $< 0.2 \%$

Heat flow rate [kW]	
Inlet	-615.82
Propulsion	50
Maglev	0
Tunnel	1.48
Outlet	566.84
Net imbalance	-0.46 (0.07 %)

- Energy conservation satisfied for this solution.

Post-processing

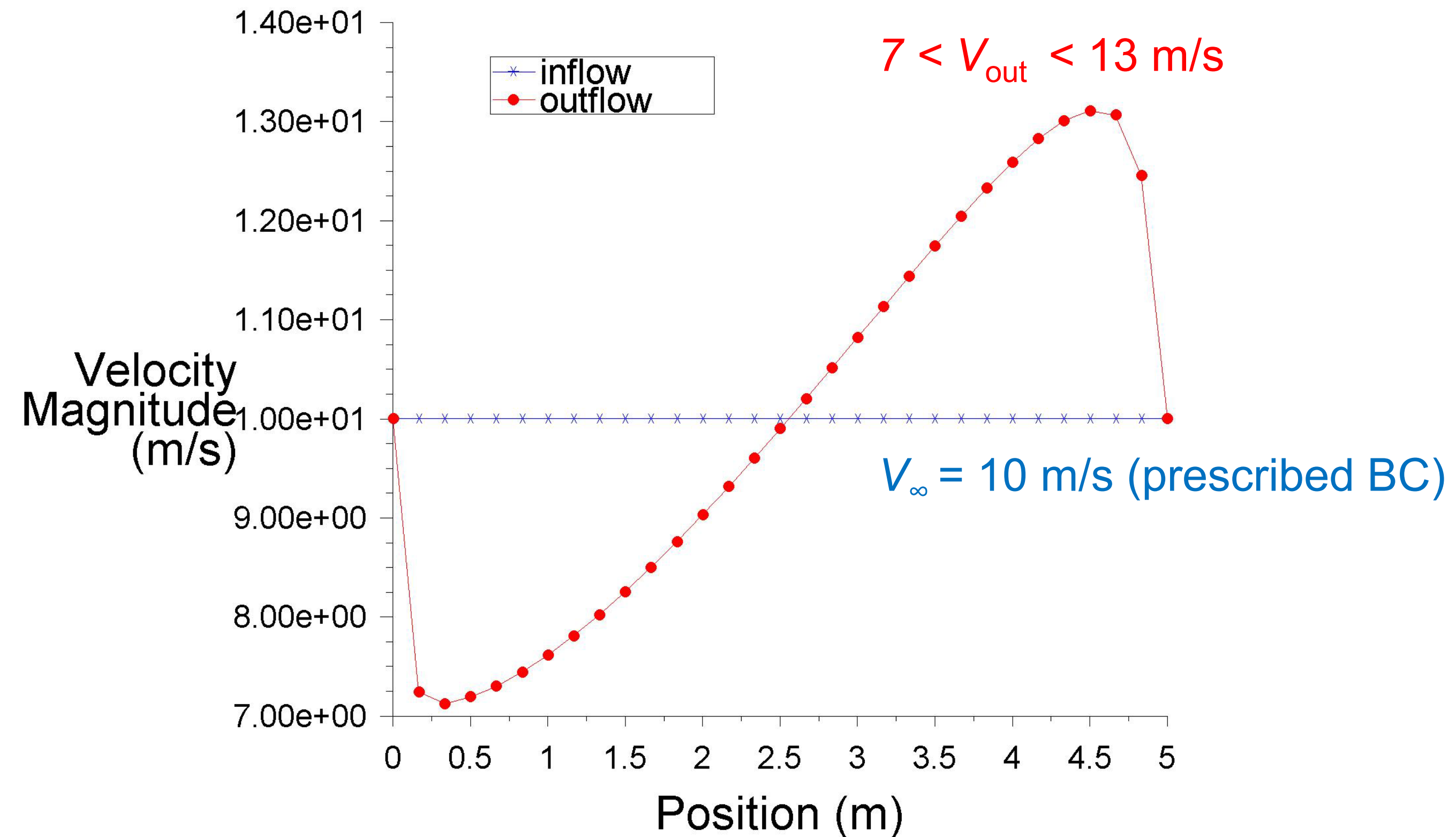
- Control: inlet / outlet pressure



Post-processing

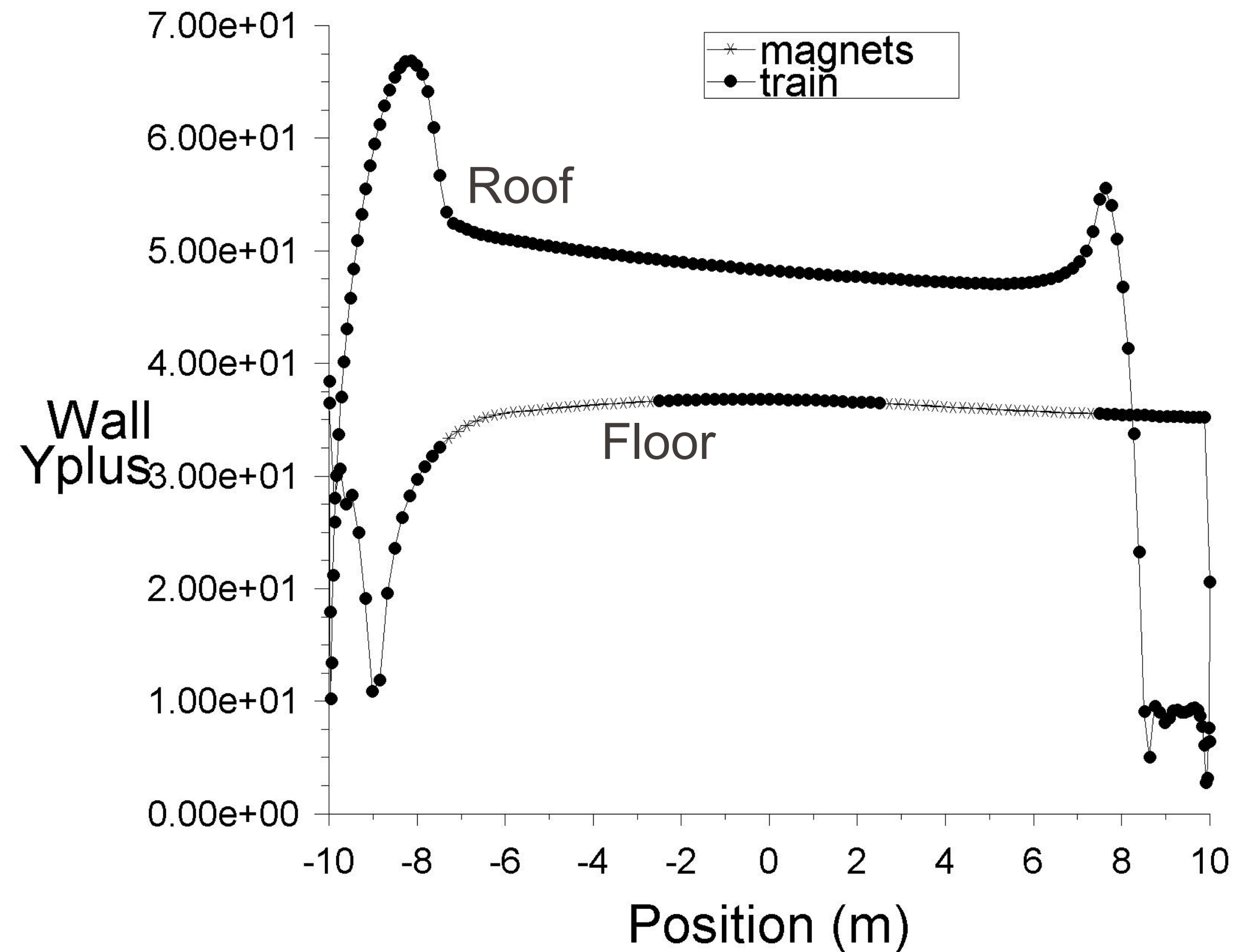
- Control: inlet / inlet velocity

Compare with $V_{\max} = 24$ m/s (see later)



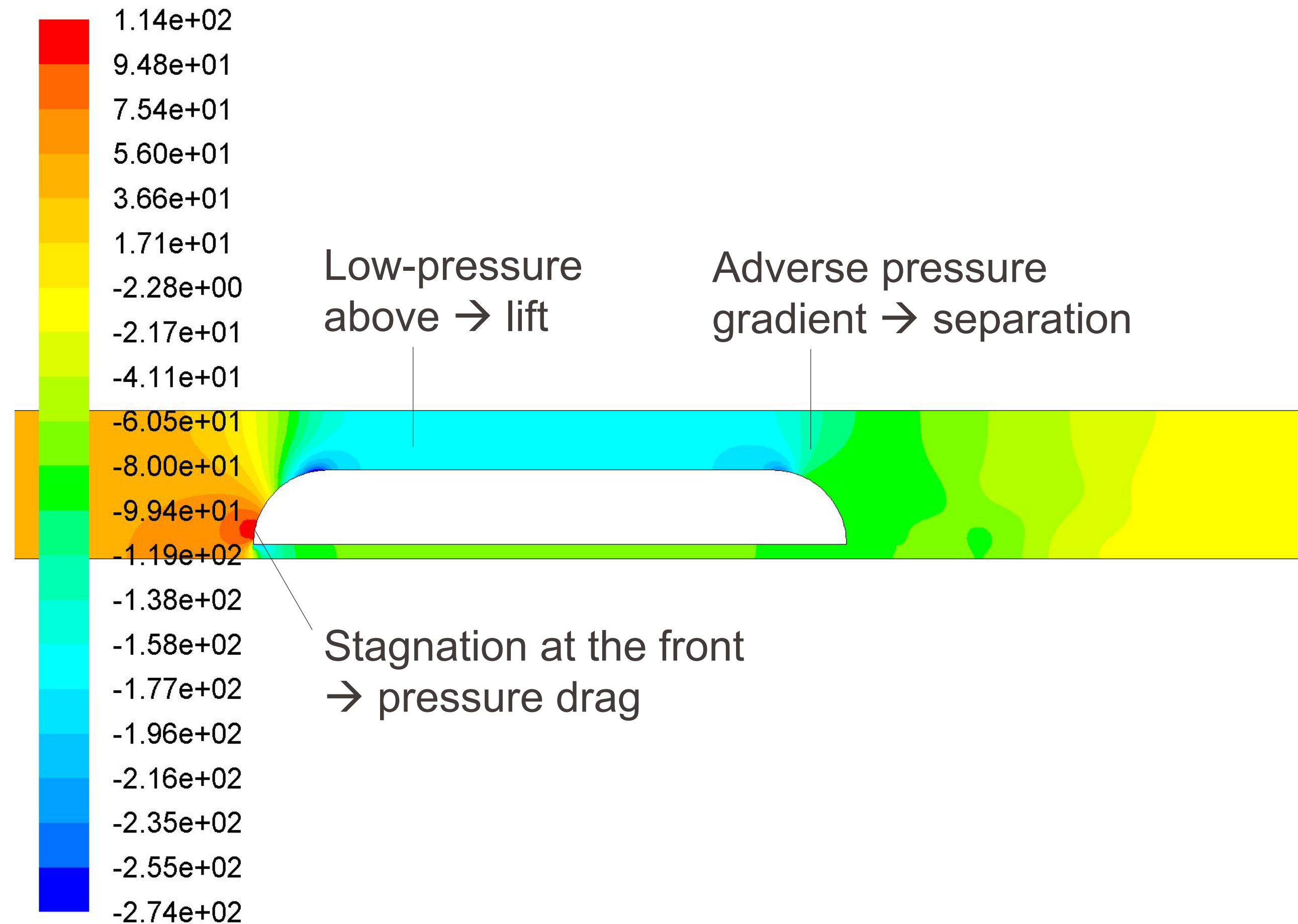
Post-processing

- Control: first cell value of y^+ along Maglev wall



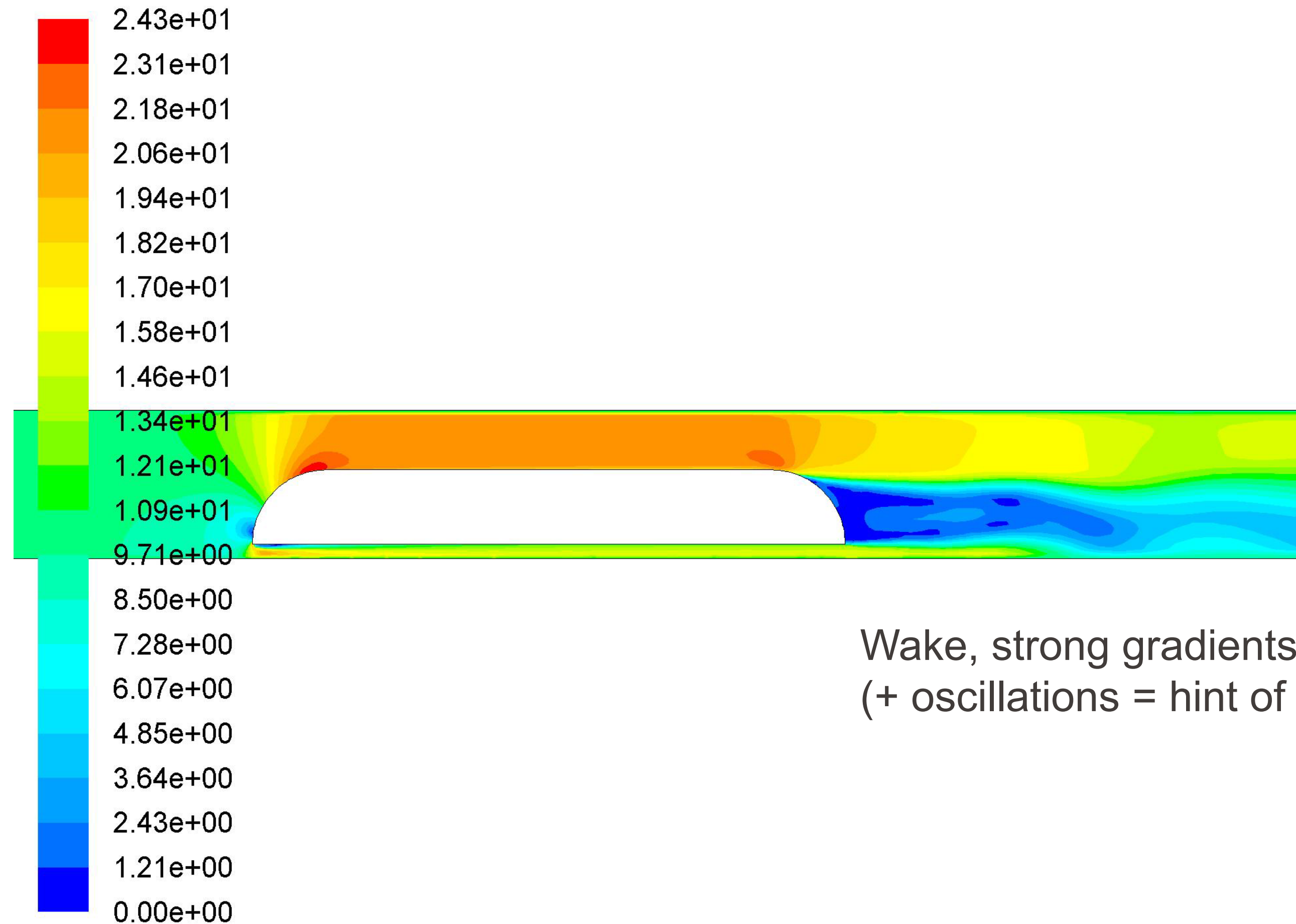
Post-processing

- Contours of pressure



Post-processing

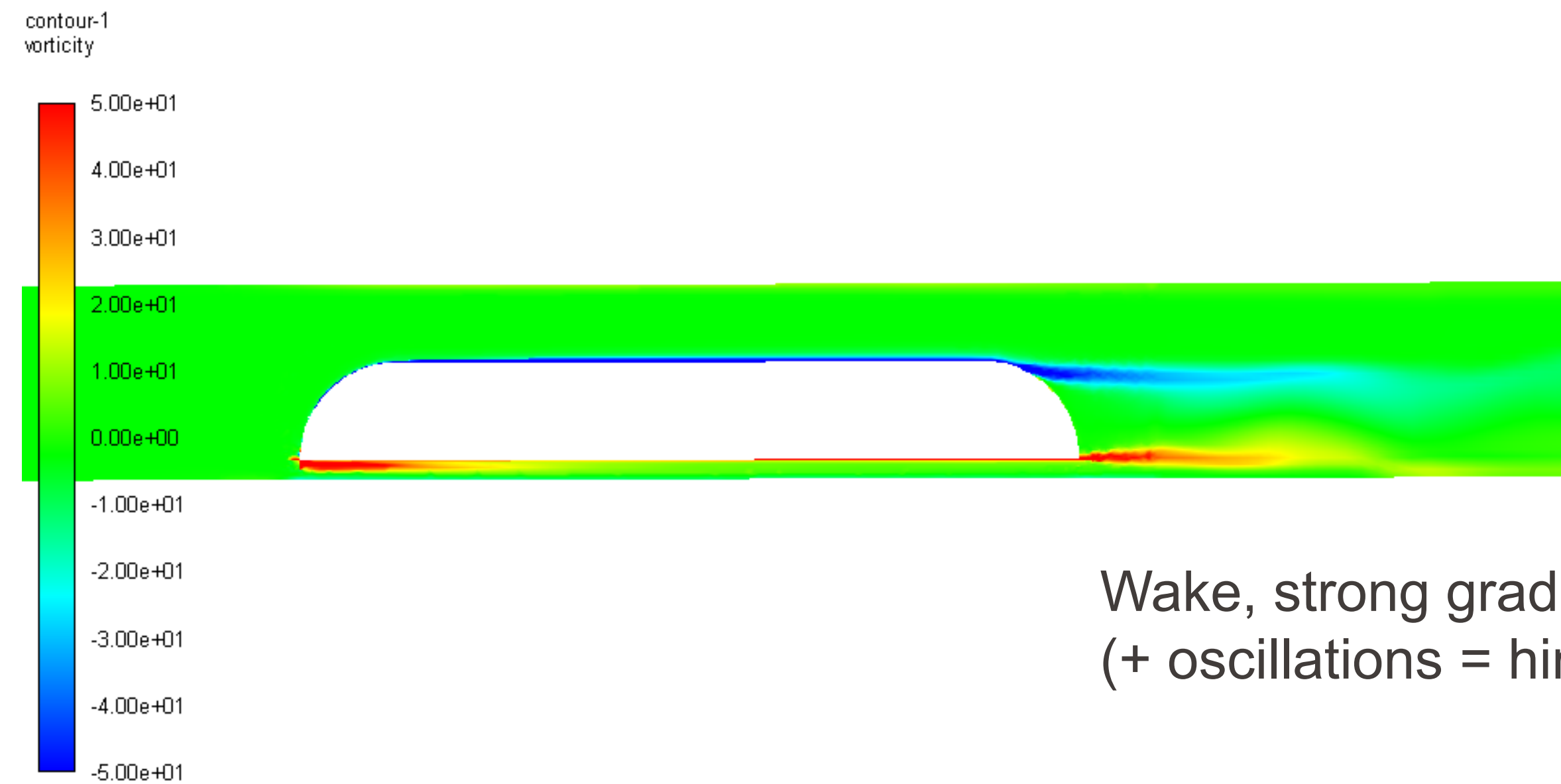
- Contours of velocity magnitude



Wake, strong gradients
(+ oscillations = hint of unsteadiness)

Post-processing

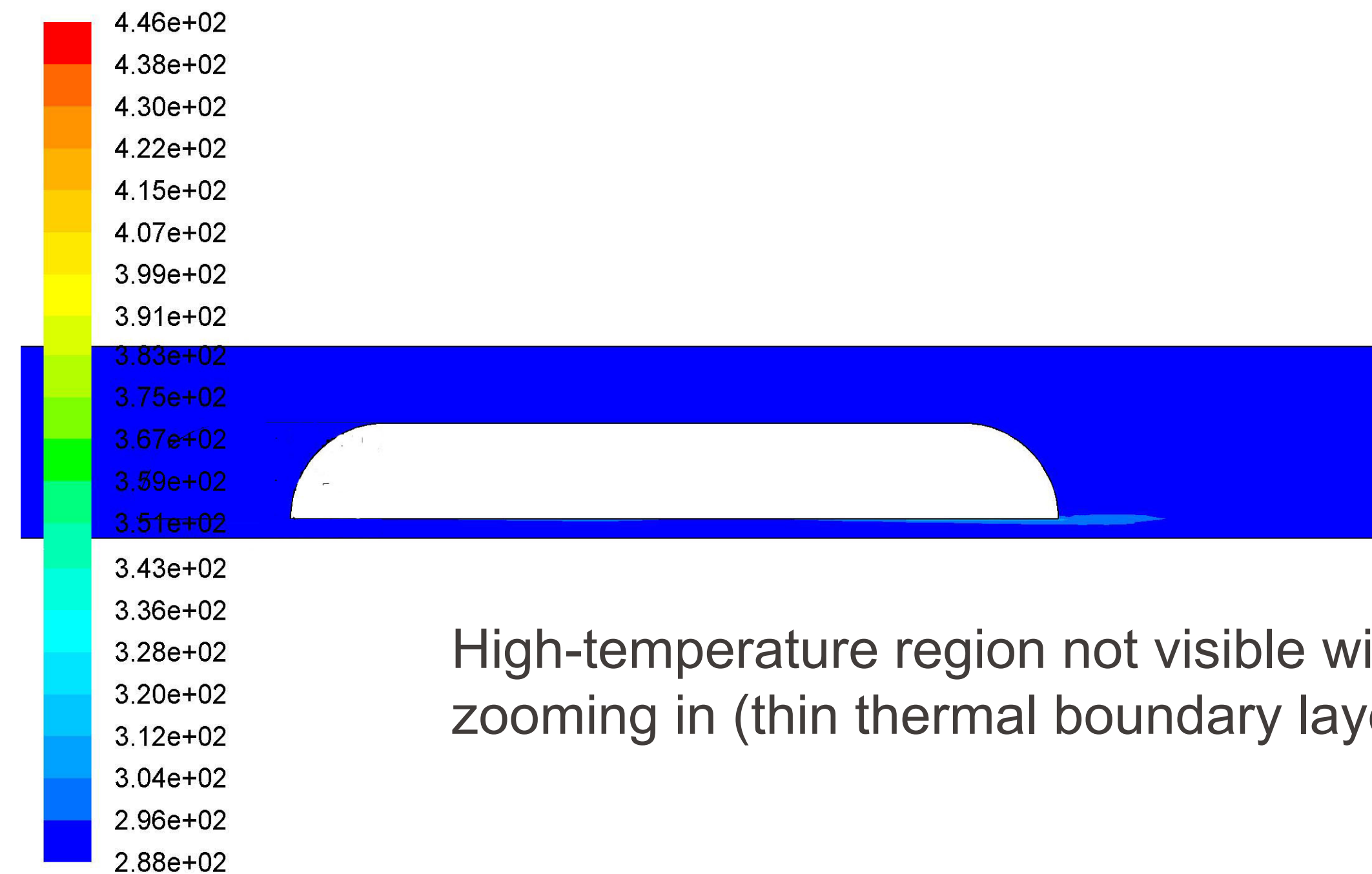
- Contours of vorticity



Wake, strong gradients
(+ oscillations = hint of unsteadiness)

Post-processing

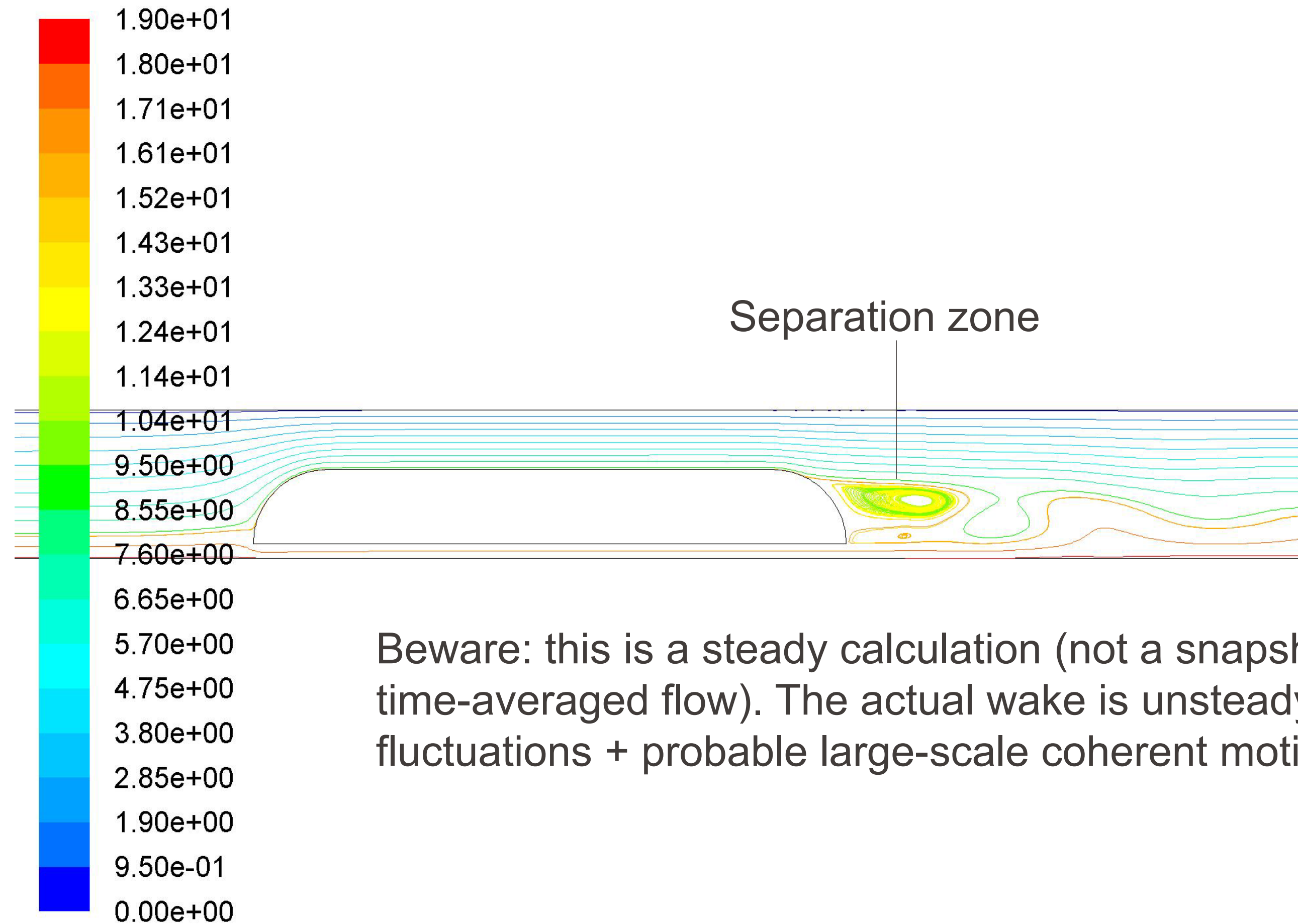
- Contours of temperature



High-temperature region not visible without zooming in (thin thermal boundary layer)

Post-processing

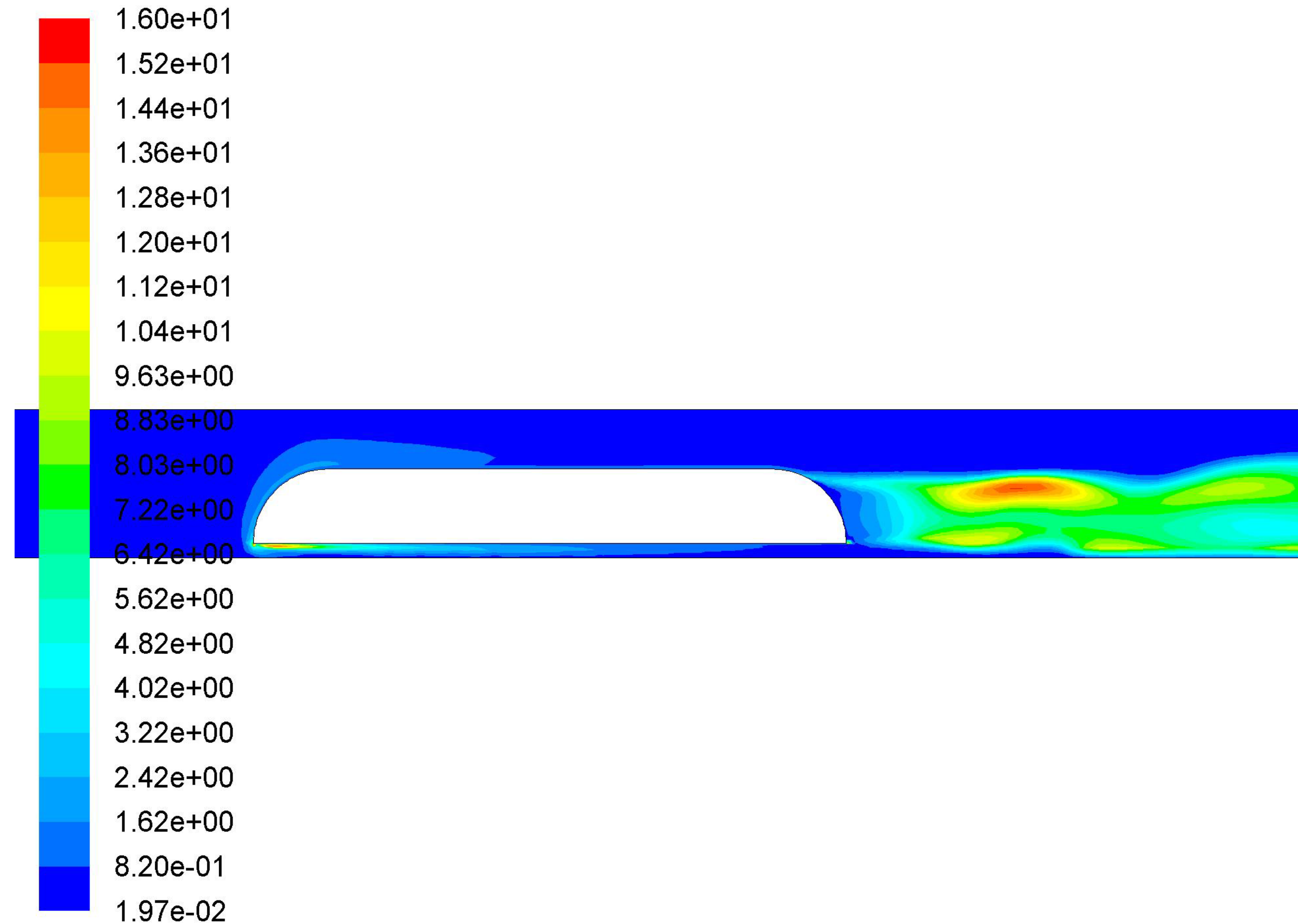
■ Streamlines



Beware: this is a steady calculation (not a snapshot, not a time-averaged flow). The actual wake is unsteady (turbulent fluctuations + probable large-scale coherent motion)!

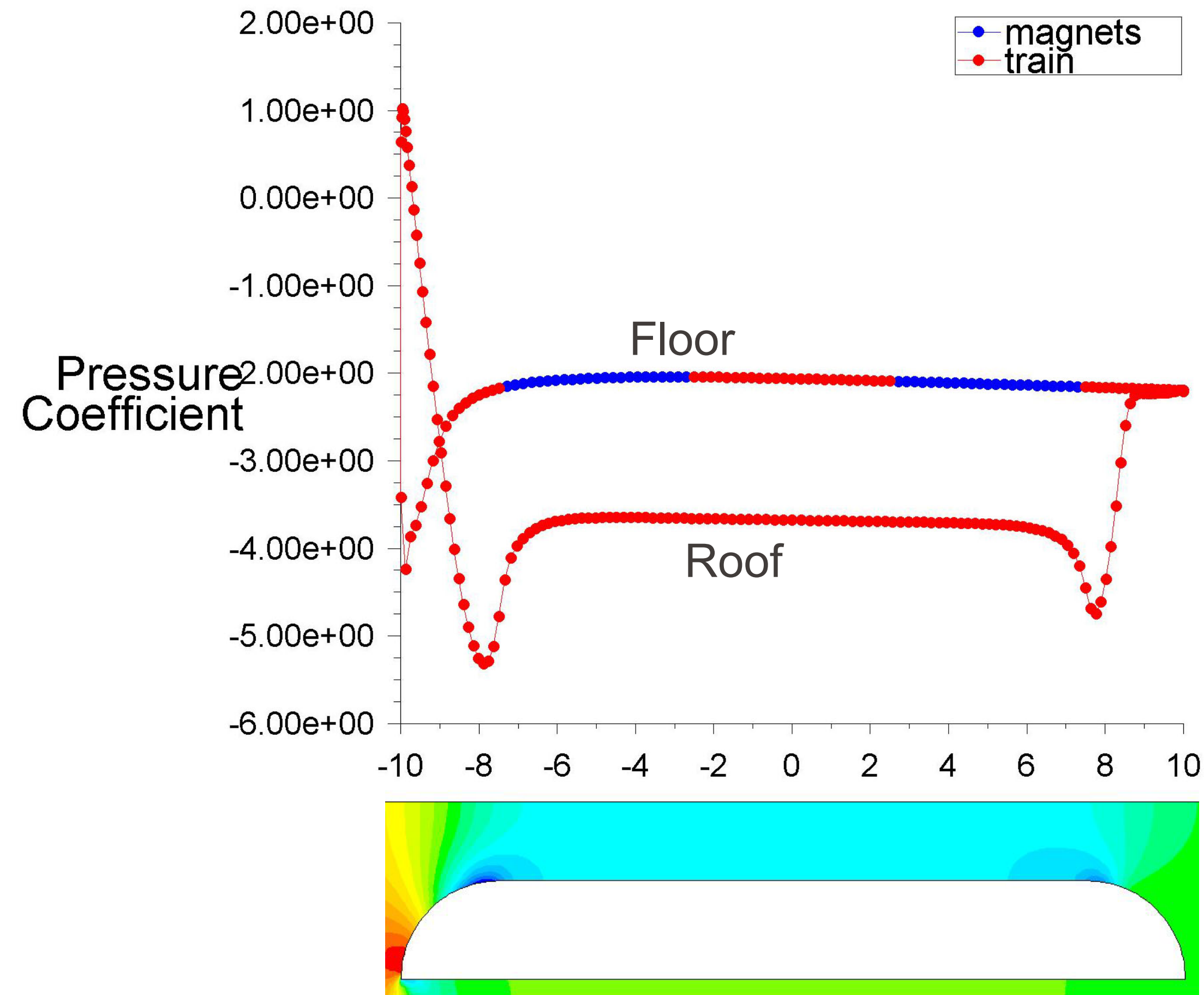
Post-processing

- Contours of turbulent kinetic energy k



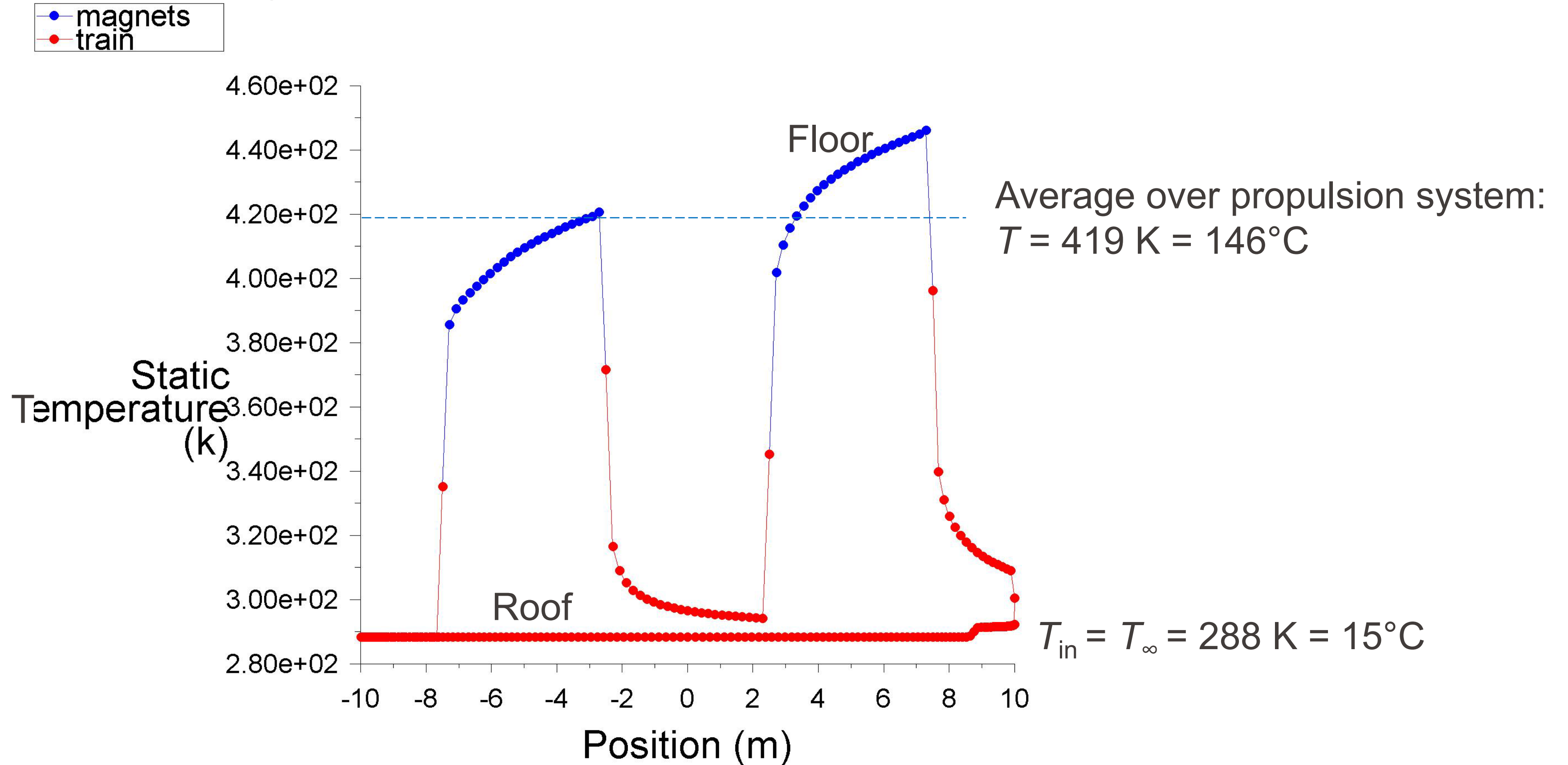
Post-processing

- Pressure coefficient on Maglev wall



Post-processing

■ Temperature on Maglev wall



Global observations

- Physical analysis of the numerical solution:
 - The flow accelerates more over the Maglev than below, producing a region of lower pressure ($\rightarrow$ positive lift).
 - Strong wake behind the Maglev, with large velocity gradients; probably unsteady.
 - Flow attached along most of the Maglev, separation in the tail region, associated recirculation zone.
 - Turbulence generation highest in boundary layer / wake due to strong gradients.
 - Thin boundary layer, justifying the use of wall functions in the turbulence model.
 - Wall y^+ around 30, consistent with the choice of BL mesh + wall function. Due to separation, a non-equilibrium wall function has been used.
 - Air temperature raises significantly in the (immediate) vicinity of the propulsion system.

Possible improvements

- In the numerical simulation:
 - Use a longer domain (e.g. $2L$ upstream, $4L$ downstream)
 - Improve quality of the mesh (nose and tail regions)
 - Use enhanced-wall treatment for turbulence model (+ finer BL mesh)
 - Investigate unsteady flow behavior (unsteady simulation)
 - Perform 3D simulation (more realistic geometry, weaker blockage effect)
- In the Maglev design:
 - Increase tunnel diameter compared to Maglev diameter
 - Use different shapes for nose and tail (e.g. elongated nose, etc.)

Your work (optional)

- Perform the flow simulation using ANSYS Workbench and Fluent
 - Use a finer mesh (is the solution converged?)
 - Use a higher-quality mesh (is the convergence rate improved?)
 - Use a longer computational domain (influence of inflow/outflow?)
- Perform a detailed post-processing analysis of the solution.
- Examine the sensitivity of the solution on:
 - the mesh,
 - the turbulence model,
 - the numerical method.