

Exercise 8: Determination of cover concrete properties

Background

A series of laboratory tests were carried out on two 80/80/20 cm reinforced concrete walls, cast in a vertical position (Figure 1). The cement used for the walls was CEM I 42.5, with a dosage of 300 kg/m³. The concretes for the two walls differ in their water/cement ratio, i.e. W/C = 0.43 for low wall 1 (with a superplasticizer admixture) and W/C = 0.52 for wall 2. One vertical side of the formwork per wall (side B) was fitted with a CPF (Controlled Permeability Formliner) membrane between the formwork panel and the concrete surface until the formwork was stripped, in order to obtain a less permeable, more compact concrete skin. The principle of draining formwork by using a CPF membrane is based on the evacuation of excess water and air from freshly poured concrete in areas close to the formwork.

The measurements of air permeability $kT_{i,mes}$ at three different points, carried out at 28 days on the vertical faces A and B of the two walls are given below, with the average value of electrical resistivity ρ at xx days for each face and type of formwork.

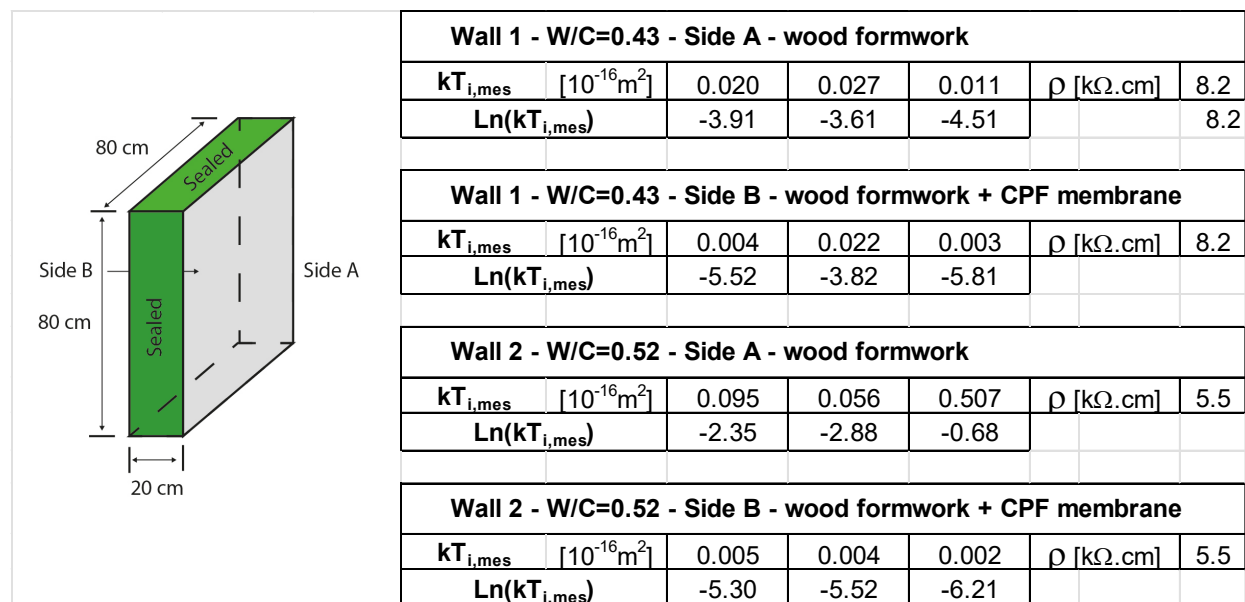


Figure 1 Diagram of walls tested in the laboratory and test results.

Work to be carried out:

1. Using equation (1) given in appendix A1, calculate the geometric mean kT_{geom} of the air permeability values measured for the 4 faces of the 2 walls (for the 2 concretes and the 2 formwork conditions).
2. Classify the average kT_{geom} measurement values and ρ for the 4 faces tested on the 2 walls in the chart provided in appendix A2.
3. Discuss the method and results obtained.

Appendix: Characterization of cover concrete

A1. Geometric mean

According to Torrent (2000), there is a strong correlation between the logarithm of air permeability kT and compressive strength. As compressive strength is statistically normally distributed, so is the logarithm of permeability. This indicates that air permeability kT is log-normally distributed, Torrent (2000). The geometric mean of kT is defined by the following formula, where n is the number of measurements Denarié (200x):

$$kT_{geom} = e^{\frac{\sum_{i=1}^n \ln(kT_{i,mes})}{n}} = \sqrt[n]{\prod_{i=1}^n kT_{i,mes}} \quad (1)$$

This value corresponds to the median, which is the value for the 50% fractile. In the case of a symmetrical distribution such as the normal distribution, the median is equal to the arithmetic mean (also known as the mathematical expectation).

A2. Classification into permeability classes (PC)

